Title: A Bayesian Framework for Multiple Trait Colocalization from Summary Association Statistics

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ABSTRACT

Most genetic variants implicated in complex diseases by genome-wide association studies (GWAS) are non-coding, making it challenging to understand the causative genes involved in disease. Integrating external information such as quantitative trait locus (QTL) mapping of molecular traits (e.g., expression, methylation) is a powerful approach to identify the subset of GWAS signals explained by regulatory effects. In particular, expression QTLs (eQTLs) help pinpoint the responsible gene among the GWAS regions that harbor many genes, while methylation QTLs (mQTLs) help identify the epigenetic mechanisms that impact gene expression which in turn affect disease risk. In this work we propose **m**ultiple-trait-c**oloc** (*moloc*), a Bayesian statistical framework that integrates GWAS summary data with multiple molecular QTL data to identify regulatory effects at GWAS risk loci. We applied *moloc* to schizophrenia (SCZ) and eQTL/mQTL data derived from human brain tissue and identified 52 candidate genes that influence SCZ through methylation. Our method can be applied to any GWAS and relevant functional data to help prioritize disease associated genes.

INTRODUCTION

Genome-wide association studies (GWAS) have successfully identified thousands of genetic variants associated with complex diseases[1]. However, since the discovered associations point to non-coding regions, it is difficult to identify the causal genes and the mechanism by which risk variants mediate disease susceptibility. Advancement of high-throughput array and sequencing technology has enabled the identification of quantitative trait loci (QTLs), genetic variants that affect molecular phenotypes such as gene expression (expression QTL or eQTL) and DNA methylation (methylation QTL or mQTL). Integration of molecular QTL data has the potential to functionally characterize the GWAS results. Additionally, analyzing two datasets jointly has been a successful strategy to identify shared genetic variants that affect different molecular processes, in particular eQTL and GWAS[2–5] and mQTL and GWAS[6–9] integration. All these previous efforts have focused on pairwise trait integration (e.g. eQTL and GWAS or mQTL and GWAS). Analyzing multiple datasets jointly has the potential to increase power for functional characterization of non-coding, risk variants. In addition, it has the potential to link changes in methylation with specific transcripts, avoiding the issues of arbitrary annotating GWAS-mQTL associations to the nearby genes.

To our knowledge, a statistical approach to integrate multiple QTL datasets with GWAS is lacking. Therefore, we developed **m**ultiple-trait-**coloc** (*moloc*), a statistical method to quantify the evidence in support of a common causal variant at a particular risk region across multiple traits. We applied *moloc* to schizophrenia (SCZ), a complex polygenic psychiatric disorder, using summary statistics from the most recent and

largest GWAS by the Psychiatric Genomics Consortium[10], which reported association

for 108 independent genomic loci. eQTL data were derived from the CommonMind

Consortium[2], which generated the largest eQTL dataset in the dorsolateral prefrontal

cortex (DLPFC) from SCZ cases and control subjects (N=467). Finally, we leveraged

mQTL data that were previously generated in human DLPFC tissue (N=121) to

investigate epigenetic variation in SCZ[6]. Integration of multiple phenotypes helps better

characterize the genes predisposing to complex diseases such as SCZ.

MATERIALS AND METHODS

Overview of the Method

We introduce an approach (***moloc***) to detect colocalization among any number of traits

concurrently rather than pairwise colocalizatin (i.e. ***coloc[11]***) . We first derive our model

using three traits, then generalize to any number of traits. The input of the model is the

set of summary statistics derived from three traits measured in distinct datasets of

unrelated individuals, {1} GWAS (which we denote as G), {2} eQTL (E) and {3} mQTL

(M). We define a genomic region containing **Q** variants, for example a *cis* region around

expression or methylation probe. We are interested in a situation where summary

statistics (effect size estimates and standard errors) are available for all datasets in the

genomic region. If we consider three traits, there can be up to three causal variants and

15 possible scenarios summarizing how the variants are shared among the traits. Each

hypothesis can be represented by a set of index set according to which of the traits

each SNP is associated with: H_0- no association to any trait, H_1- association only for

trait {1}, H_2- association only for trait {2}, H_3- association only for trait {3}, H_4-

association for traits {1 and 2}, H_5- association for traits {2 and 3}, H_6- association for

traits {1 and 3}, H_7- association for trait 1 and 2, but different causal variants for {1} and

{2}, H_8- association for traits 2 and 3, but different causal variants for {2} and {3}, H_9-

association for traits 1 and 3, but different causal variants for {1} and {3}, H_{10}-

association for traits 1, 2 and 3, but different causal variants for {1} and {2,3}, H_{11}-

association for traits 1, 2 and 3, but different causal variants for {3} and {1,2}, H_{12}-

association for traits 1, 2 and 3, but different causal variants for {2} and {1,3}, H_{13}-

association for traits 1, 2 and 3, but different causal variants for {1}, for {2} and for {3},

and H_{14} SNP is associated with all 3 traits (GEM).

Our aim is to find the evidence supporting 15 possible scenarios $(H_0 \cdots H_{14})$, of sharing

of SNPs among traits in the given genomic region. We compute the posterior probability

of a configuration by weighting the likelihood of the data D given a configuration S,

$P(D|S)$, by the prior probability of a configuration, $P(S)$. We obtain Bayes factors by

dividing each likelihood to the baseline likelihood supporting the first model of no

association with any trait H_0. The Regional Bayes Factor (RBF) is then the sum over all

configurations Sh which are consistent with the given hypothesis:

125
$$RBF_h = \frac{P(H_h|D)}{P(H_0|D)} = \sum_{S \in S_h} \frac{P(D \mid S)}{P(D \mid S_0)} \times \frac{P(S)}{P(S_0)}, \qquad (1)$$

where, $P(D|S)/P(D|S_0)$ is the Bayes Factor for each configuration compared to the

baseline configuration of no association with any trait S_0, $P(S)/P(S_0)$ is the prior odds of

a configuration compared with the baseline configuration S_0, and the sum is over Sh,

the set of configurations supporting hypothesis H_0 to H_{14}. Similar to pairwise

colocalization[11] we then estimate the evidence in support of different scenarios in a

given genomic region using the posterior probability supporting hypothesis *h* among *H*

possible hypothesis, is computed from:

135
$$PP_h = P(H_h|D) = \frac{P(H_h|D)}{\sum_{i=0}^{H} P(H_i)} = \frac{\frac{P(H_h|D)}{P(H_0|D)}}{1 + \sum_{i=1}^{H} \frac{P(H_i|D)}{P(H_0|D)}} \qquad (2)$$

Therefore, in our application, the algorithm outputs 15 posterior probabilities. We are

most interested in the scenarios supporting a shared causal variant for two and three

traits. All the computations are analytical and no iterative methods are required.

We make three important assumptions in *moloc*, the same that are made in our

previous *coloc* methodology. Firstly, that the causal variant is included in the set of *Q*

common variants, either directly typed or well imputed. If the causal SNP is not present,

the power to detect a common variant will be reduced depending on the linkage

disequilibrium (LD) between other SNPs included in the model and the causal SNP

(**Figure S5**). Secondly, we assume at most one causal variant is present for each trait.

In the presence of multiple causal variants per trait, this algorithm is not able to identify

colocalization between additional association signals independent from the primary one.

Thirdly, as we do not explicitly model LD between SNPs, we assume the samples are

drawn from the same ethnic population and therefore have identical allele frequencies

and patterns of LD.

Configurations and Notations

To compute the likelihood of the data, we need to first introduce the concepts of

configurations and sets of configurations supporting each hypothesis listed above. Each

trait at a region of *Q* variants can be described using a binary vector of (0,1) values,

where a 1 means that the SNP is associated with the trait and only 1 SNP is non-zero.

We call a configuration ***S*** a possible combination of ***M*** binary vectors, an array with

dimensions *Q* X *M*, where *M* is the number of traits. The columns represent a particular

sharing of any one SNP across the traits. We can combine the configurations into sets

corresponding to different scenarios of SNP sharing to assess the evidence in support

of each model. Thus, each hypothesis can be represented by a set of index set

containing the traits each causal SNP associates with.

To illustrate our notation, consider a region with 8 SNP. Four examples of configurations

are show in **Figure 1**. The "." in the subscript denotes scenarios supporting different

causal variants. For instance, GE summarizes the scenario for one causal variant

shared between traits GWAS and eQTL (**Figure 1** - Right plot top panel); GE.M

summarizes the scenario with one causal variant for traits GWAS and eQTL, and a

different causal variant for trait mQTL (**Figure 1** - Left plot bottom panel).

Formally, let Sh denote the set of configurations supporting hypothesis h, then Sh can

be written as:

171
$$S_h = \left\{ \cup_{k=1}^{|h|} \{i_{|h|}\} \times h_k \mid \forall\, i_1...i_{|h|} \in \{1,...,Q\}, i_1 \neq \cdots \neq i_{|h|} \right\}, \qquad (3)$$

where hk represents the k-th element (an index set) in the set representation of the

hypothesis h.

We can then assess the support for each hypothesis by assigning the possible

combinations of causal configurations (binary vectors with at most 1 entry equal to 1) to

one of the following 15 hypotheses listed above.

Bayes Factor of a SNP with one trait

We start by computing a Bayes Factor for each SNP and each of the trait (i.e GWAS,

eQTL, mQTL). We assume a simple linear regression model to relate the phenotypes or

a log-odds generalized linear model for the case-control dataset, and the genotypes.

Using the Wakefield Approximate Bayes factors[12] (WABF), only the variance and effect

estimates from regression analysis are needed, as shown below and previously

described[11,13]:

$$WABF_i^j = \frac{1}{\sqrt{1-r}} \times exp\left[-\frac{Z_i^{2(j)}}{2}186r\right] \quad (4)$$

where $Z_{ij} = \hat{\beta}/\sqrt{V}$ is the usual Z statistic and the shrinkage factor r is the ratio of the

variance of the prior and total variance ($r = W/(V + W)$).

The WABF requires specifying the variance W of the normal prior. In the moloc method

we set W to 0.15 for a continuous trait and 0.2 for the variance of the log-odds ratio

parameter, as previously described [11]. Another possibility is to average over Bayes

factors computed with W = 0.01, W = 0.1, and W = 0.5 [14]. We provide this as an option

that can be specified by the user.

If the variance of the estimated effect size V is not provided, it can be approximated

using the allele frequency of the variant f, the sample size N (and the case control ratio

s for binary outcome). For example, in the case-control setting, V is estimated using the

following equation[11]:

199
$$V_i = Var(\hat{\beta}_i) = \frac{1}{Ns_i(1 - s_i) \times 2f_i(1 - f_i)}$$
         (5)

201 Bayes factor of a SNP across more than one trait

203   To compute the BF where a SNP i associates with more than one trait, we use:

204
$$BF_{i,\mathbf{s}} = \prod_{j \in S} WABF_i^j$$
         (6)

Where **s** is the set of trait indices for which SNP i is associated with.

Note that the computations under >1 trait multiply the individual Bayes Factors together.

This is equivalent to the Bayes Factor under the maximum heterogeneity model used in

Wen and Stephens[15]. Two key assumptions are necessary for the following

computations. Firstly that the traits are measured in unrelated individuals, and secondly

that the effect sizes for the two traits are independent. We will consider when these

assumptions are appropriate in Discussion.

213 Prior probabilities that SNP i associates with traits in s

215   The prior probability that SNP i associates with all traits indexed in a set in our three trait

216   model is: π_φ SNP i associates with no trait, with one trait, pairs or traits or all traits $\pi_{\{1,2,3\}}$

217   such that they sum to 1: $\pi_\varphi + \pi_{\{1\}} + \pi_{\{2\}} + \pi_{\{3\}} + \pi_{\{1,2\}} + \pi_{\{1,3\}} + \pi_{\{2,3\}} + \pi_{\{1,2,3\}} = 1$

219 Prior Probabilities of each configuration

In our model (Equation 1), *P(S)* is the prior probability of a configuration. We can define

these priors from the prior probability that a SNP i associates with traits indexed in π_s

(section above). Additionally, since the prior probability *P(S)* of any one configuration in

the different sets do not vary across SNPs that belongs to the same set S_h, we can

multiply the likelihoods by one common prior supporting the different hypothesis[11]. P(S)

depends on a ratio of π_s and on Q, the number of SNPs in the region. Specifically, the

prior probability of the configuration associated with no traits is $P_0 = \pi_\varphi^Q$, with one trait is

e.g. $P_1 = Q \times \pi_0^{Q-1} \pi_{\{1\}}$, with a pair of traits with a causal variant shared by trait {1} and

{2} is e.g. $P_4 = Q \times \pi_0^{Q-1} \pi_{\{1,2\}}$, with a pair of traits with a different causal variant for trait

{1} and {2} is e.g. $P_7 = Q(Q-1) \times \pi_0^{Q-2} \pi_{\{1\}} \pi_{\{2\}}$, and with all three traits, each with a

different causal variant is $P_{13} = Q(Q-1)(Q-2) \times \pi_0^{Q-3} \pi_{\{1\}} \pi_{\{2\}} \pi_{\{3\}}$.

Regional Bayes factor (the 3-trait special case)

The Regional Bayes Factor (RBF) can be computed by summing the probability of all

the causal configurations consistent with a particular hypothesis (Equation 1).

For example, the RBF for hypothesis 4 is:

$\bullet \ RBF_4 = \frac{P(H_4|D)}{P(H_0|D)} = \pi_{\{1,2\}} \times \sum_{i=1}^{Q} BF_{i,\{1,2\}} = \pi_{\{1,2\}} \times \sum_{i=1}^{Q} WABF_i^1 WABF_i^2$

For example, the RBF for hypothesis 11 is:

$\bullet \ RBF_{11} = \frac{P(H_{11}|D)}{P(H_0|D)} = \pi_{\{3\}} \times \pi_{\{1,2\}} \times \sum_{i=1}^{Q} \sum_{j=1}^{Q} BF_{i,\{3\}} BF_{j,\{1\}} BF_{j,\{2\}}$
$= \pi_{\{3\}} \times \pi_{\{1,2\}} \times \sum_{i=1}^{Q} \sum_{j=1}^{Q} WABF_i^3 WABF_j^1 WABF_j^2 I[i \neq j]$

where WABF are Wakefield's Asymptotic Bayes Factors for each SNP and each trait 1,

2 and 3,$I[i \neq j]$ is an indicator that evaluates to 1 if SNP i and j are different and to 0

otherwise, π are the prior probabilities that SNP i is the causal SNP under a specific

model.

Notably, the RBF for non-colocalized signals [7 . . . n − 1] can be derived from the colo-

calized signals. This generalization speeds up computation significantly:

$$\bullet \quad \frac{P(H_{11}|D)}{P(H_0|D)} = \pi_{\{3\}} \times \pi_{\{1,2\}} \times \sum_{i=1}^{Q} BF_{i,\{3\}} \sum_{j=1}^{Q} BF_{j,\{1,2\}} - \left[\frac{\pi_{\{3\}} \times \pi_{\{1,2\}}}{\pi_{\{1,2,3\}}} \times \frac{P(H_{14}|D)}{P(H_0|D)} \right]$$

In practice, we collapsed the prior probabilities to a smaller set for each kind of con-

figuration. We set the prior probability that a SNP is causal in each trait to be identical

($\pi_{\{1\}} = \pi_{\{2\}} = \pi_{\{3\}}$) and refer to this a p1. We also set the prior probability that is asso-

ciated with two traits to be identical ($\pi_{\{1,2\}},\pi_{\{2,3\}},\pi_{\{1,3\}}$) and refer to this as p2. We

refer to the prior probability that SNP i the causal for all traits ($\pi_{\{1,2,3\}}$) as p3.

Regional Bayes factor (the general case)

Across a set of M traits {1,2,3...,M}, for a hypothesis h, where there are more than one

independent associations among the M traits (i.e. |h| > 1), we can compute the Regional

Bayes factor supporting h using a generalization which speeds up computation

significantly:

$$258 \quad RBF_h = \frac{P(H_h|D)}{P(H_0|D)} = \prod_{s \in h} \pi_s \sum_{i=1}^{Q} BF_{i,s} - \frac{\prod_{s \in h} \pi_s}{\pi_t} \sum_{i=1}^{Q} \pi_t BF_{258,t}, \quad (7)$$

260   where **s** is the set of trait indices for which SNP i is associated with, and **t** is the union of

261   the index set in **h**, i.e. $t = \cup_{j=1}^{|h|} h_j$.

262   For example, let there be three traits {1,2,3} with two independent associations. The first

263   signal colocalizes with traits 1 and 2 while the second is an independent association

264   with trait 3. Hence, M = 3, h = {1,2},{3} and:

$$\frac{P(H_h|D)}{P(H_0|D)} = \pi_{\{1,2\}}\pi_{\{3\}} \sum_{i=1}^{Q} BF_{i\{1,2\}} \sum_{j=1}^{Q} BF_{j\{3\}} - \frac{\pi_{\{1,2\}}\pi_{\{3\}}}{\pi_{\{1,2,3\}}} \sum_{i=1}^{Q} \pi_{\{1,2,3\}} BF_{i\{1,2,3\}}$$

266   We pre-compute the single terms in the above equation, so that in practice we have:

$$\frac{P(H_h|D)}{P(H_0|D)} = RBF_{\{1,2\}} \times RBF_{\{3\}} - \frac{\pi_{12} \times \pi_3}{\pi_{123}} \times RBF_{\{1,2,3\}}$$

268   Similarly, let there be five traits {1,2,3,4,5} with two independent associations. First one

269   is common to traits 1, 2, the second one common to traits 4 and 5. Hence, M = 5, h =

270   {{1, 2}, {4, 5}} and:

$$\frac{P(H_h|D)}{P(H_0|D)} = \pi_{\{1,2\}}\pi_{\{4,5\}} \sum_{i=1}^{Q} BF_{i\{1,2\}} \sum_{j=1}^{Q} BF_{j\{4,5\}} - \frac{\pi_{\{1,2\}}\pi_{\{4,5\}}}{\pi_{\{1,2,4,5\}}} \sum_{i=1}^{Q} \pi_{\{1,2,4,5\}} BF_{i\{1,2,4,5\}}$$

GWAS dataset

Summary statistics for genome-wide SNP association with Schizophrenia were

obtained from the Psychiatric Genomics Consortium-Schizophrenia Workgroup (PGC-

SCZ) primary meta-analysis (35,476 cases and 46,839 controls) [10].

Expression QTL (eQTL) analysis

For the eQTL associations, we used pre-QC'ed expression and imputed

genotypes, on case-control of European-ancestry (N=467) collected by the

CommonMind Consortium. Briefly, gene expression was assayed data from post-

mortem DLPFC (Brodmann areas 9 and 46) with RNA-seq and mapped to human

Ensembl gene reference (v70) using TopHat version 2.0.9 and Bowtie version 2.1.0.

Genes with less than 1 CPM (counts per million) in at least 50% of the samples were

discarded and RNA-seq data for a total of 16,423 Ensembl genes were considered for

downstream analyses. After RNA sample QC, and retaining only genetically-identified

European-ancestry individuals, a total of 467 samples were used for downstream

analyses. These comprised 209 SCZ cases, 52 AFF (Bipolar, Major depressive

disorder, or Mood disorder, unspecified) cases, and 206 controls. The expression data

was voom-adjusted for both known covariates (RIN, library batch effect, institution,

diagnosis, post-mortem interval, age and sex) and hidden confounds identified based

on surrogate variable analysis.

Samples were genotyped at 958,178 markers using the Illumina Infinium

HumanOmniExpressExome array. Genotyped variants were QC'd, phased, and

imputed based on the Phase 1 reference panel from the 1,000 Genomes Project.

Variants with INFO < 0.8 or MAF < 0.05 were filtered out, and approximately 6.4 million

variants were included in further analysis. Further details on processing of raw data,

normalization, and quality control procedures, can be found in [2].

The R package MatrixEQTL [16] was used to fit an additive linear model between

the expression of 16,423 genes and SNP dosage data at 6.4 million markers within a 1

Mb window around the transcription start site for each gene, including covariates for

diagnosis, five ancestry covariates and known and hidden variables detected by

surrogate variable analysis.

Following eQTL identification, summary statistics on 72,441,005 SNPs and 15,791

autosomal genes were retained for downstream analyses. Overall, the model identified

2,154,331 significant cis-eQTL, (i.e., SNP–gene pairs within 1 Mb of a gene) at a false

discovery rate (FDR) ≤ 5%, for 13,137 (80%) genes.

Methylation QTL (mQTL) analysis

For the mQTL dataset, we used pre-QC'd DNA methylation data and imputed

genotypes on non-psychiatric adult Caucasian control donors (age > 13, N=121). We

briefly summarize here the procedures to process the raw data. More details on data

processing, normalization, and QC can be found in [6].

DNA methylation was assessed on postmortem tissue homogenates of the dorsolateral

prefrontal cortex (DLPFC, Brodmann areas 9 and 46) on 534 unique subjects using the

Illumina HumanMethylation450 ("450k") microarray (which measures CpG methylation

across 473,058 probes covering 99% of RefSeq gene promoters). The average intensity

was used to check for low quality samples, intensities from the sex chromosomes were

used to drop samples that had predicted sex which was different from its recorded

value, and across-sample quantile normalization was used. DNA for genotyping was

obtained from the cerebella of samples with either the Illumina Human Hap 650v3, 1M

Duo V3, or Omni 5M BeadArrays. Genotypes were called, QC'd, phased and imputed to

the 1000 Genomes Phase 3 variant set, separately by genotyping platform. Imputed

genotypes were then merged across the three platforms, and SNPs with MAF > 5% and

imputation quality above 90% were retained across the samples. Multidimensional

scaling (MDS) components were obtained for quantitative measures of ancestry.

For the mQTL association analysis, we only considered 121 adult Caucasian

individuals (age > 13). The analysis was conducted using the R package MatrixEQTL [16],

fitting an additive linear model up to 20kb distance between each SNP and CpG

analyzed, including as covariates the first five MDS components from the genetic data

and the first 8 PCs (based on the 100,000 most inter-individual variable probes for

computational efficiency). Summary statistics on 47,675,913 SNPs and 473,058

Illumina 450k probes were used for downstream analyses. Overall, the model identified

3,601,681 significant cis-mQTL, (i.e., SNP–probe pairs within 20kb distance of a probe)

at a false discovery rate (FDR) ≤ 5%, for 127,237 (27%) probes.

Moloc Analysis

The GWAS, eQTL, mQTL datasets were filtered by minor allele frequency

greater than 5% and had individually been filtered by imputation quality (Methods).. The

Major Histocompatibility (MHC) region (chr 6: 25 Mb - 35 Mb) was excluded from all co-

localization analyses due to the extensive linkage disequilibrium. We applied a genic-

centric approach, defined *cis*-regions based on a 50kb upstream/downstream from the

start/end of each gene, since our goal is to link risk variants with changes in gene

expression. We evaluated all methylation probes overlapping the *cis*-region. The

number of cis-regions/methylation pairs is higher than the count of genes because, on

average, there are more than one methylation sites per gene. Common SNPs were

evaluated in the colocalization analysis for each gene, and each methylation probe, and

GWAS. In total, 12,003 *cis*-regions and 481,995 unique *cis*-regions/methylation probes

were tested. Genomic regions were analyzed only if greater than 50 SNPs were in

common between all the datasets. Across all of the analyses, a posterior probability

equal to, or greater than, 80% for each configuration was considered evidence of

colocalization.

In order to compare existing methods for colocalization of two trait analyses with

three traits, we applied *moloc* using the same region definitions across the same set of

SNPs, using a previously developed method (coloc[11]). Effect sizes and variances were

used as opposed to p-values, as this strategy achieves greater accuracy when working

with imputed data[11].

Simulations

We simulated genotypes from sampling with replacement among haplotypes of

SNPs with a minor allele frequency of at least 5% found in the phased 1000 Genomes

Project within 49 genomic regions that have been associated with type 1 diabetes (T1D)

susceptibility loci (excluding the major histocompatibility complex (MHC) as previously

described[17]. These represent a range of region sizes and genomic topography that

reflect typical GWAS hits in a complex trait. For each trait, two, or three "causal

variants" were selected at random. We have simulated continuous traits, and assume

that causal effect follow a multivariate Gaussian distribution, with each causal variant

explaining 0.01 variance of the trait in the GWAS data, and 0.1 in the eQTL and mQTL

datasets. For the null scenario, the causal variants explain zero variance of the traits.

Each scenario was simulated 1,000 times. To quantify false positive rates on a large

number of tests, we simulated the null 500,000 times. We simulated the 15 possible

scenarios with different sharing patterns between the GWAS, eQTL, and mQTL

datasets. We used sample sizes of 82,315, 467, and 121 individuals to reflect our true

sample sizes. We also used different combinations of sample sizes to explore power to

detect the correct hypothesis.

We estimated the number of false positives within each simulated scenario, by

counting the proportion of simulations under the null that passed a posterior probability

supporting each of the 14 hypothesis at a particular threshold (PPA>=threshold). We

also report the false positives using the sum of the posteriors (PPA.ab + PPA.abc +

PPA.abc). The false positive rate is the number of false positives over 1,000

simulations. We repeated this procedure using 500,000 simulations under our true

sample sizes.

We next sought to compare the misclassification rates, and power to detect the

correct hypothesis. To compute the number of misclassified calls within each simulated

scenario, we counted the proportion of simulations that passed a posterior probability

supporting a different hypothesis from the one simulated at a particular threshold

(PPA>=threshold). We estimated power to distinguish a particular hypothesis from the

others by counting the proportion of simulations that did not reach a posterior probability

supporting each scenario at a particular threshold (PPA(true)<threshold).

To explore the effect of linkage disequilibrium (LD) on estimated posterior

probability, we first computed an LD score for each SNP in the region, defined as the

sum of the squared correlation between a SNP and all the SNPs in the region. To

assess the degree of LD at a locus we took the average of these scores.

All analyses were conducted in R.

RESULTS

Sample Size Requirements

We explored false positive rates and the posterior probability under different

sample sizes. **Figure S1** illustrate the posterior probability distribution across all of the

possible scenarios that includes three traits: GWAS, eQTL and mQTL. With a GWAS

sample size of 10,000 and eQTL and mQTL sample sizes of 300, the method provides

reliable evidence to detect a shared causal variant behind the GWAS and another trait

(median posterior probability of any hypothesis >50%). Although in this paper we

analyze GWAS, eQTL and mQTL, our method can be applied to any combinations of

traits, including 2 GWAS traits and an eQTL dataset. We explored the minimum sample

size required when analyzing two GWAS datasets (GWAS1, GWAS2) and one eQTL

(**Figure S2**). The method provides reliable evidence for all hypotheses when the two

GWAS sample sizes are 10,000 and eQTL sample size reaches 300. False positive

rates are below 0.05 even if a threshold of 0.3 for posteriors is used, and where the

causal variant is masked (**Tables S4**, **S5**, **S6**). When samples are greater than 10000

for GWAS and 300 for eQTL and mQTL, our misclassification rates are all below 0.05

(**Table S8**). Where the causal variant is masked, sample sizes need to reach 10000 for

GWAS and 500 for eQTL and mQTL, for our misclassification rates to be below 0.05

(**Table S9**). Given the small sample size for the mQTL data, the algorithm has trouble

detecting a different causal variant for the mQTL dataset (**Table S7**). For example,

evidence pointing to two different causal variants between GWAS and eQTL could be

generated by the presence of three causal variants in reality, but the causal variant for

mQTL remains undetected. For this reason, we focused on cases with shared casual

variants between GWAS, eQTL, with or without mQTL.

It is instructive to observe where evidence for other hypotheses is distributed. **Figure 2**

illustrates the accuracy of our approach under different scenarios where two or three

causal variants are shared. For example, under simulations of one shared variant for

GWAS and eQTL and a second variant for mQTL (GE.M), on average 60% of the

evidence points to the simulated scenario, while 12% point to GE, 12% to G.E.M and

7.2% to GEM.

Choice of priors

The algorithm requires the definition of prior probabilities at the SNP level for the

association with one (p1), two (p2), or three traits (p3). We set the prior probability that a

variant is associated with one trait as 1×10^{-4} for GWAS, eQTL and mQTL, assuming

that each genetic variant is equally likely a priori to affect gene expression or

methylation or disease. This estimate has been suggested in the literature for GWAS[18]

and used in similar methods[19]. We set the priors $p2 = 1 \times 10^{-6}$, $p3 = 1 \times 10^{-7}$ based on

sensitivity and exploratory analysis of genome-wide enrichment of GWAS risk variants

in eQTLs and mQTLs. In **Figure S3**, we find eQTLs and mQTLs to be similarly enriched

in GWAS, justifying our choice of the same prior probability of association across the

two traits. These values are also suggested by a crude approximation of *p2* and *p3* from

the common genome-wide significant SNPs across the three dataset.

We performed sensitivity analyses using different priors. Specifically, we fixed p1 to

1×10^{-4} and tested a range of priors for p2 and p3 from 1×10^{-5} to 1×10^{-8}, with increasing

difference between p1, p2 and p3. We used a form of internal empirical calibration to

compare our prior and posterior expectations. We considered a range of values for p2

and p3 while keeping p1 fixed, and find that the posterior expectation of colocalisation

most closely resembled the prior expectation under our choice of priors (**Table S1**).

We note that our R package implementation allows users to specify a different set of

priors.

Co-localization of eQTL, mQTL and risk for Schizophrenia

We applied our method to SCZ GWAS using eQTLs derived from 467 samples

and mQTL from 121 individuals. Our aim is to identify the genes important for disease

through colocalization of GWAS variants with changes in gene expression and DNA

methylation. We analyzed associations genome-wide, and report results both across

previously identified GWAS loci, and across potentially novel loci. While we consider all

15 possible scenarios of colocalization, here we focus on gene discovery due to higher

power in our eQTL dataset, by considering the combined probabilities of cases where

the same variant is shared across all three traits GWAS, eQTLs and mQTLs (GEM >

0.8) or scenarios where SCZ risk loci are shared with eQTL only (GE > 0.8 or GE.M >

0.8) (**Table 1**).   We identified 1,053 cis-regions/methylation pairs with posterior

probability above 0.8 that are associated with all three traits (GEM), or eQTLs alone

(GE or GE.M). These biologically relevant scenarios affect overall 84 unique genes and

include 39 genes that fall within the previously identified SCZ LD blocks (**Table S2**) and

45 potentially novel genes outside of these regions (**Table S3**). Fifty-two out of the 84

candidate genes influence SCZ, gene expression and methylation (GEM>=0.8). One

possible scenario is that the variants in these genes could be influencing the risk of SCZ

through methylation, although other potential interpretations such as pleiotropy should

be considered.

Addition of a third trait increases gene discovery

We examined whether moloc with 3 traits enhance power for GWAS and eQTL

colocalization compared to using 2 traits. In simulations to compare coloc and moloc

under one causal variant and our true sample sizes for all three datasets, we observe a

fold increase of 1.5 for gene discovery using moloc versus coloc. Moloc with three traits

recovers all the genes discovered using *coloc* with eQTL and mQTL, and additional

genes from the inclusion of the third layer. In our real data, colocalization analysis of

only GWAS and eQTL traits identified 45 genes with a posterior probability, PP4 in

coloc, of >= 0.8. The 39 additional genes that were found by adding methylation include

genes such as *CALN1,* a neuronal transcript associated with abnormalities in

sensorimotor gating in humans[20], that would have been missed by only GWAS and

eQTL colocalization.

Loci overlapping reported SCZ LD blocks

Psychiatric Genomics Consortium (PGC) identified 108 independent loci and

annotated LD blocks around these, 104 of which are within non-HLA, autosomal regions

of the genome[10]. In **Table 1** we report the number of identified gene-methylation pairs

and unique genes under each scenario that overlap the SCZ-associated LD blocks. Out

of the 78 SCZ-associated LD blocks we examined in our analysis, we found

colocalizations in 20 of them with an average gene density per block of 2.4 unique

genes. **Figure 3A** illustrates the average distribution of the posteriors across these

regions. Cumulatively, 12% of the evidence points to shared variation with an eQTL

(GE, GE.M and GEM). The majority of the evidence within these regions (64%) did not

reach support for shared variation across the three traits, with 20% not reaching

evidence for association with any traits, and 44% with only one of the three traits (36%

with GWAS; 6% with eQTL, 2% with mQTLs). The lack of evidence in these regions

could be addressed with greater sample sizes. **Figure 3B** shows the evidence for

colocalization of GWAS with eQTL or mQTL across the 39 candidate genes. We

provide illustrative examples of SCZ association with expression and DNA methylation

in the FURIN locus (**Figure 4** and **Figure S4A**).

Potentially novel SCZ loci

We found 45 unique genes that have a high posterior for SCZ and eQTL, but fall

in regions not previously identified to be associated with SCZ (at p-value of 5×10^{-8}).

All genes were far from a SCZ LD block (more than 150kb, **Table S3**), and contained

SNPs with p-values for association with SCZ ranging from 10^{-4} to 10^{-8}. These genes will

likely be identified using just the GWAS signal if the sample size is increased. *KCNN3* is

among these genes which encodes an integral membrane protein that forms a voltage-

independent calcium-activated channel. It regulates neuronal excitability by contributing

to the slow component of synaptic afterhyperpolarization[21]. A plot of the associations

with the three datasets within this locus is shown in **Figure S4B.**

Comparison with previous findings

We compare our gene discovery results to previous studies that assess GWAS-

eQTL[2–5] or GWAS-mQTL[5,7–9] colocalization using the same or similar datasets (**Table**

2). A substantial proportion of genes detected in our study (range 44%-85%) was

validated with four studies [2–5] that used eQTL and GWAS integration to prioritize genes

important for schizophrenia. Several studies have also linked methylation data with

schizophrenia [7–9]. Two recent studies[7,9] used blood mQTL data from 639 samples and

identified colocalization of SCZ loci with 32 and 200 methylation probes by applying

COLOC and SMR, respectively. A substantial proportion of SCZ-mQTL colocalization

was validated in our study (COLOC: 46%; SMR: 18%, **Table 2**). Another study[8] used

mQTL data from 166 fetal brain samples and identified 297 methylation probes

important for schizophrenia. We analyzed 184 of those and found evidence for 13

probes. We note that our methylation data did not included fetal brain samples. Finally,

a recent study[5] identified 44 genes involved in schizophrenia through TWAS, followed

by integration with chromatin data in blood that resulted in 11 genes associated with

GWAS, eQTL and epigenome QTL. We analyzed 8 out of the 11 associations and

confirmed 6 of these genes that, in our study, influence SCZ through eQTL and mQTL.

Association of gene expression with methylation

We explored direction of effects of methylation and expression, for gene

expression and DNA methylation that colocalize (PPA.GEM + PPA.EM + PPA.G.EM >=

0.8). Overall, we tested 1,947 DNA methylation and gene expression pairwise

interactions and found a significant negative correlation between the effect sizes of

methylation and expression in the proximity of the transcription start site (**Figure 5**, p-

value:<2.2e-16).

DISCUSSION

In this paper, we propose a statistical method for integrating genetic data from molecular quantitative trait loci (QTL) mapping into genome-wide genetic association analysis of complex traits. The proposed approach requires only summary-level statistics and provides evidence of colocalization of their association signals. To our knowledge, a method integrating more than two traits is lacking. In contrast to other methods that attempt to estimate the true genetic correlation between traits such as LD score regression[22] and TWAS[23], *moloc* focuses on genes that are detectable from the datasets at hand. Thus, if the studies are underpowered, most of the evidence will lie in the null scenarios. We note that our model is the same as *gwas-pw* in Pickrell et al.[13] under specific settings. Precisely, *gwas-pw* averages over Bayes factors computed with $W = 0.01$, $W = 0.1$, and $W = 0.5$ (Methods). We provide this as an option that can be specified by the user. Additionally, *gwas-pw* estimates the prior parameters genome-wide using a maximization procedure. However, we note that, unlike *gwas-pw* that focuses on genome-wide estimation across pairs of traits, our approach focuses on one locus at a time with multiple traits.

We expose one possible application of this approach in SCZ. In this application, we focus on scenarios involving eQTLs and GWAS, alone or in combination with mQTLs. Other scenarios are also biologically important. For example, colocalization of GWAS and mQTL excluding eQTLs (GM.E scenario) could unveil important methylation mechanisms affecting disease but not directly influencing gene expression in *cis*. We report these and other scenarios in our web resource and encourage further examination of these cases in future analyses. The GEM scenario provides evidence

that SCZ risk association is mediated through changes in DNA methylation and gene

expression. While our method does not detect causal relationships among the

associated traits, i.e. whether risk allele leads to changes in gene expression through

methylation changes or vice versa, there is evidence supporting the notion that risk

alleles might affect transcription factor binding and epigenome regulation that drives

downstream alterations in gene expression[24,25]. Importantly, our method helps to link a

specific gene to a methylation probe. DNA methylation is one the best studied

epigenetic modifications. Methylation can alter gene expression by disrupting

transcription factor binding sites (with variable consequences to expression depending

on the TF), or by attracting methyl-binding proteins that initiate chromatin compaction

and gene silencing. Therefore methylation can be associated with both increased or

decreased gene expression[24,26]. Increased CpG methylation in promoter regions is

usually associated with silencing of gene expression[27]. However, in genome-wide

expression and methylation studies, the correlation of methylation and gene expression

is low or the pattern of association is mixed, even for CpG methylation within promoter

regions[26]. We found a negative correlation between the effect sizes of methylation and

expression in the proximity of the transcription start site. However, we note that the

current assay (Illumina 450K) cannot discriminate DNA methylation from

hydroxymethylation sites. DNA methylation is generally associated with the inhibition of

gene expression, while DNA hydroxymethylation, the oxidized form of methylation, has

been associated with enhancers and increased gene expression.

We provide posterior probabilities supporting respective hypotheses for each

gene-methylation pair analyzed, and the SNP for each trait with the highest probability

of colocalization with any other trait. For example, the SNP with the highest posterior

probability of GWAS colocalization with eQTL or mQTL will be computed from PPA of

GE + GE.M + GM + GM.E + GEM. However, the aim of this method is not fine-mapping

of SNPs and we encourage researchers to further analyze the identified local

associations with methods better suited for fine-mapping.

We assign a prior probability that a SNP is associated with one trait (1×10^{-4}), to

two (1×10^{-6}), and to three traits (1×10^{-7}). We find support for our choice of priors in the

data using two methods. The first uses stratified QQ plots (Figure S3). We find that

eQTL enrichment in GWAS has a similar enrichment to mQTL in GWAS. The second is

a form of empirical calibration as in Guo et al.[28]. We find that the prior and posterior

expectations of colocalisation matched more closely under our choice of priors (Figure

S6). However the choices for prior beliefs for each hypothesis are always arguable. One

could estimate priors for the different combinations of datasets. Pickrell et al.[13] proposed

estimation of enrichment parameters from genome-wide results maximizing *a posteriori*

estimates for two traits. For multiple traits, another possibility is using deterministic

approximation of posteriors[29]. We leave these explorations to future research.

The results of this analysis apply to a particular brain region (dorsolateral

prefrontal cortex), age period (adulthood), and ancestry (Caucasians only). We justify

using functional data from DLPFC to examine the colocalization with schizophrenia

variants as it is the most proximal to disease etiopathogenesis tissue [4,5]. In addition, due

to the tissue specificity of gene expression regulatory mechanisms, we matched eQTL

and mQTL data on the same brain region and age period. The genotypes and gene

expression data reported by the CommonMind Consortium (CMC) comprises the largest

existing postmortem brain genomic resource from individuals with psychiatric disorders

as well as unaffected controls. The mQTL dataset used here is the largest dataset in the

adult brain measured in the brain region and age period considered. Although this was

out of the scope of this paper, we encourage application of similar methods to functional

data derived from different tissues and age periods to elucidate the spatiotemporal

regulatory mechanisms of gene expression that are involved in the etiopathogenesis of

schizophrenia.

The method makes use of LD to weigh out the posteriors for the different models,

therefore the statistics (priors and posteriors of configurations) will depend on the

pattern of association (LD) and the number of SNPs in the region (Q). Specifically,

increased LD in a region with one causal variant in the decreases our chance to detect

a shared causal effect (**Figure S5A**). This is because in loci where the extent of LD is

strong (a large number of variants with the same strength of association), there is

uncertainty on whether we are dealing with a single variant causal for both traits, or two

independent variants in the same LD block. Similarly, the chance of the same SNP

being causal for all three traits decreases as Q increases (**Figure S5B**).

The Bayes Factors under the models of colocalization (for the case of a single

variant affecting more than one trait) are computed by multiplying the individual WABFs

together, and this assumes independence of the effect sizes for the traits.

Independence is appropriate in the case of analyzing different phenotypes, or eQTLs in

different tissues. On the other hand, this assumption may be inappropriate in other

cases, for example if we were looking at colocalization of a variant for the same trait in

two different studies, or the same eQTLs across different tissue type, or the same trait

in two different studies. A more general BF computation which includes cases where the

effects are correlated has been proposed in [15] and could be used to extend our

approach to these situations. Additionally, correlation among the SNP effect sizes may

result if the studies contain overlapping individuals. In this case we may overestimate

the evidence in favor of colocalization. We could adjust SNP Bayes factors to account

for this overlap as in [14]. The datasets we used in the current analysis does not contain

overlapping individuals, however we provide the code to use this approach.

We note that this approach can be extended to more than three traits. Since the

calculations are analytical and no recursive method is used, computation time for a

region with 1000 SNPs is less than one second. However, time increases exponentially

as number of traits increases. For four traits it is about 3 seconds, for five traits it is

greater than 22 minutes.

Overall, owing to the increasing availability of summary statistics from multiple

datasets, the systematic application of this approach can provide clues into the

molecular mechanisms underlying GWAS signals and how regulatory variants influence

complex diseases.

CONFLICTS OF INTEREST

None reported.

SUPPLEMENTAL DATA

Supplemental Data include four figures and four tables.

CONSORTIA

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and R37MH057881S1, HHSN271201300031C, AG02219, AG05138 and MH06692.

Brain tissue for the study was obtained from the following brain bank collections: the

WEB RESOURCES

680   We developed a web site to visualize the colocalization results of SCZ GWAS, eQTL,

681   mQTLs under all possible scenarios (**icahn.mssm.edu/moloc**). The browser allows

682   searches by gene, methylation probe, and scenario of interest. The *moloc* method is

683   available as an R package from https://github.com/clagiamba/moloc.

FIGURE TITLES AND LEGENDS

Figure 1. Graphical representation of four possible configurations at a locus with 8 SNPs in common across three traits. The traits are labeled as G, E, M representing GWAS (G), eQTL (E), and mQTL (M) datasets, respectively. Each plot represents one possible configuration, which is a possible combination of 3 sets of binary vectors indicating whether the variant is associated with the selected trait. Left plot top panel (GEM scenario): points to one causal variant behind all of the associations; Right plot top panel (GE scenario): represent the scenario with the same causal variant behind the GE and no association or lack of power for the M association; Left plot bottom panel (GE.M scenario): represents the case with two causal variants, one shared by the G and E, and a different causal variant for M; Right plot bottom panel (G.E.M. scenario): represents the case of three distinct causal variants behind each of the datasets considered.

Figure 2. Results from simulations under colocalization/non-colocalization scenarios using a sample size of 10,000 individuals for GWAS trait (denoted as G), 300 for eQTL trait (denoted as E), and 300 for mQTL trait (denoted as M). X-axis shows all 15 simulated scenarios, e.g. G.E.M, three different causal variants for each of the three traits; G.EM, 2 different causal variants, one for G and one shared between E and M; GE, 1 shared causal variant for G and E; GE.M, 2 different causal variants, one shared between G and E and one for M; GEM, one causal variant shared between all the three traits. Y-axis shows the distribution of posterior probabilities under the simulated scenario. The height of the bar represents the mean of the PPA for each configuration across simulations.

Figure 3. Summary of genes identified using three-trait colocalization within the SCZ LD

blocks. **A**. Mean posterior probability for each hypotheses computed using the cis-

regions overlapping the SCZ LD blocks. Sections of the pie chart represent the 15

scenarios representing the possible combination of the three traits. The "." between the

traits denotes scenarios supporting different causal variants. The combined scenarios

GE, GE.M, GE account for 12.0%. **B**. Heatmap displaying the maximum posterior

probabilities reached by the 39 regions overlapping known SCZ LD blocks (gene,

number of methylation probes).

Figure 4. Illustration of one example of colocalization results with GWAS-eQTL-mQTL.

FURIN gene and cg24888049; Shown are Z-scores (regression coefficients/standard

errors) from association of expression (x-axis) and association of methylation (y-axis) at

the *FURIN* locus. Each point represents a SNP and the size of the dot represent the

level of association using Z-scores. The red point shows the SNP with the strongest

evidence for eQTL, mQTL, GWAS (rs4702).

Figure 5. Spearman correlation of eQTL and mQTL effect estimates by distance from

transcription start site of the gene. Intervals of methylation probe distance from TSS

were estimated based on 10 equal size bins.

 TABLE TITLES AND LEGENDS

735 **Table 1**. Number of genes with evidence of colocalization (PPA>=0.8) under each

736 scenario.

Scenarios	Sharing of variant	Unique gene-methylation pairs	Unique genes		
		Total PPA>=80%	Total PPA>=80%	Overlapping SCZ LD blocks	Number of LD blocks
Null	No associations	268569	9317	90	55
G	GWAS only	4331	215	146	63
E	eQTL only	97852	3597	14	12
M	mQTL only	21914	5588	42	28
G.E	GWAS not eQTL (2 causals)	1257	66	47	27
E.M	eQTL not mQTL (2 causals)	7542	1952	7	6
G.M	GWAS not mQTL (2 causals)	219	75	52	26
GE	GWAS,eQTL	359	30	18	14
EM	eQTL,mQTL	1494	769	3	3
GM	GWAS,mQTL	38	23	18	10
GM.E	GWAS,mQTL not eQTL (2 causals)	20	11	7	5
G.EM	eQTL,mQTL not GWAS (2 causals)	22	10	7	4
GE.M	GWAS,eQTL not mQTL (2 causals)	31	17	10	7
G.E.M	not GWAS not eQTL not mQTL (3 causals)	63	29	23	15
GEM	GWAS,eQTL,mQTL	123	52	25	11
GEM *or* GE.M *or* GE	**combined scenarios for GWAS,eQTL**	1053	84	39	20
total	total	481995	12003	273	78

737 **Table 2**. Summary of Previous Findings integrating SCZ GWAS, CMC eQTL and

738 methylation datasets.

Reference	Fromer et al. [2]	Zhu et al. [3]	Hauberg et al. [4]	Gusev at al. [5]	Hannon et al. [7]	Hannon et al. [8]	Hannon et al. [9]
Method Used Datasets	**Sherlock**	**SMR**	**SMR**	**TWAS**	**COLOC**	**COLOC**	**SMR**
	GWAS SCZ (N=82315); eQTL in brain (N=537)	GWAS SCZ (N=82315); eQTL in blood (N=5311)	GWAS SCZ (N=82315); eQTL in brain (N=467)	GWAS SCZ (N=82315); eQTL in brain (N=621); chromatin QTL in blood (N=45)	GWAS SCZ (N=82315); mQTL in blood (N=639)	GWAS SCZ (N=82315); mQTL in fetal brain (N=166)	GWAS SCZ (N=82315); mQTL in blood (N=639)
Scenarios examined in our analysis	**22**	**9**	26	GWAS+eQTL: **35** GWAS+eQTL+mQTL: **8**	**15**	184	49
Validated scenarios (%) at PPA 0.8	**15 (68%)**	**4 (44.4%)**	**22 (85%)**	GWAS+eQTL: **21 (60%)** GWAS+eQTL+mQTL: **6 (75%)**	**7 (46%)**	**13 (7%)**	**9 (18%)**
Genes and methylation sites validated*	GWAS+eQTL: SF3B1, C2orf47, CNTN4, CLCN3, ENSG00000253553, PPP1R13B, EFTUD1P1, ENSG00000225151, FURIN, INO80E, TOM1L2, DRG2, MAU2, GATAD2A, WBP2NL	GWAS+eQTL: SF3B1, PCCB, C17ORF39, IRF3	GWAS+eQTL: AL022476.2, ALMS1P, CLCN3, DOC2A, DRG2, EFTUD1P1, ELAC2, EMB, FAM86B3P, FURIN, GATAD2A, GOLGA2P7, INO80E, JRK, PCCB, PCDHA7, RBBP5, RP11-45P15.4, SF3B1, SLC9B1, SLCO4C1, VPS37A	GWAS+eQTL: ALMS1P ,C2orf47, CPNE7, DOC2A, DRG2, ELOVL7, EMB, FURIN, GATAD2A, MAU2, MCHR1, NDUFA2, NT5C2, PCCB, PCDHA2, PRMT7, SEPT10, SF3B1, SLC45A1, TMEM81, ZMAT2 **GWAS+eQTL+mQTL:** SLC45A1,PCCB,NDUFA2,PCDHA2,ZMAT2,PRMT7	GWAS+mQTL: cg00585072, cg01262667, cg02951883, cg08607108, cg08772003, cg19624444, cg26732615	GWAS+mQTL: cg08772003, cg19624444, cg08607108, cg02951883, cg00585072, cg26732615, cg02206767, cg26395211, cg25066665, cg04140906, cg04398451, cg10596483, cg24634471	GWAS+mQTL: cg25066665, cg02951883, cg07143303, cg08772003, cg14047540, cg04140906, cg12863693, cg04398451, cg26732615

739   * Genes validated (GWAS+eQTL+mQTL and GWAS+eQTL) include the genes with

740   PPA.GEM+PPA.GE+PPA.GE.M>= 80%; methylation sites validated (GWAS+mQTL)

741   include PPA.GEM+PPA.GM+PPA.GM.E>= 80%.

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Figure S1. Simulations under different sample sizes for all scenarios in *moloc* of

three traits (GWAS, eQTL, mQTL). All cases include 10,000 individuals in the

GWAS dataset. The variance explained by the trait was set to 0.01 for GWAS (1%), and to 0.1 (10%) for the eQTL and mQTL.

Figure S2. Simulations under different sample sizes for all scenarios in *moloc* of three traits ("a" is GWAS 1, "b" is GWAS 2, "c" is eQTL). All cases include 10,000 individuals in the biomarker dataset. The variance explained by the trait was set to 0.01 for GWAS 1 and GWAS 2, and to 1% (10%) for the eQTL.

Figure S3. Stratified Q-Q plots for eQTL and mQTLs in the SCZ GWAS. Enrichment of each functional category (blue line: eQTL; green: mQTL; red: combined eQTL and mQTL) illustrate the estimated increase in terms of the proportion of p-values expected in each scenario and in the functionally unannotated variant (FUV) category (grey line). The estimated enrichment for eQTL and mQTL is similar.

Figure S4. Illustration of two example of colocalization results with GWAS-eQTL-mQTL in the *FURIN* locus and cg24888049 and *KCNN3* and cg09359103. −log10(p) association p-values for GWAS (top panels), −log10(p) association p-values for eQTL (center panels), -log10(p) association p-values for mQTL (bottom panels) with location of genes at the FURIN locus, 200kb range. Highlighted is the region with the methylation probe (15:91426667 +/- 20kb for cg24888049 in the FURIN locus, and 1:154839909 +/- 20kb for cg09359103 in the *KCNN3 locus*).

Figure S5. Simulation analysis with a shared causal variant between three studies using a sample size of 10,000 individuals for GWAS trait, 300 for eQTL trait, and 300 for mQTL trait. X-axis is the posterior probability of a shared causal causal variant for all three datasets (PPA.abc). **A.** Y-axis id the mean LD in the region. **B**. Y-axis is the number of SNPs Q in the region. Number of simulations 1,000.

Supplemental Tables

p1	p2	p3	Mean PPA Expectation	Mean Prior Expectation
1e-04	1e-05	1e-06	0.78	0.93
1e-04	1e-05	1e-07	0.77	0.92
1e-04	1e-06	1e-07	0.64	0.60
1e-04	1e-06	1e-08	0.65	0.58
1e-04	1e-07	1e-08	0.48	0.13
1e-04	1e-05	1e-08	0.77	0.92

Table S1. Effect of prior probability of co-localization for hypotheses of interest (GEM, GE, GE.M) on the prior and posterior support for colocalisation in regions

where there is evidence for association across the three dataests (PPA.GE + PPA.GE.M + PPA.GEM + PPA.G.E + PPA.G.EM + PPA.G.E.M). We repeated the moloc analysis with different combinations of priors p2 and p3 while keeping p1 fixed to 1×10^{-4}. The posteriors with support for colocalization (PPA.coloc = PA.GE + PPA.GE.M + PPA.GEM) are contrasted to the ones with support against colocalization (PPA.nocoloc = PPA.G.M +PPA.G.EM+PPA.G.E.M) for our hypothesis of interest. For each analysis in which PPA.GE + PPA.GE.M + PPA.GEM + PPA.G.E + PPA.G.EM + PPA.G.E.M >= 0.8, we report the mean relative posterior support for colocalization, defined by PPA.coloc / (PPA.nocoloc + PPA.coloc), and the mean relative prior support, averaged across all regions. We find that the combination of priors p1=1e-04, p2=1e-06, p3=1e-07 has the lowest difference between the prior and posterior expectation.

Table S2. 39 genes falling within SCZ LD blocks with a high probability of influencing SCZ through expression or methylation (GEM, GE, GE.M>=0.8). "CHR", "START", "STOP" indicate the positions of the regions considered; "PGC2_LDclump_info" indicates position of the previously identified SCZ LD block; "PPA.combined" shows maximum posterior probability reached by a gene for evidence of association with GWAS and eQTL (PPA.GE + PPA.GE.M + PPA.GE.M); "numbMethyl" indicates the number of methylation probes overlapping this region.

Table S3. Potentially novel SCZ loci. 45 candidate genes outside of the SCZ LD blocks with a high probability of influencing SCZ (GEM, GE, GE.M>=0.8).

Table S4. False positive rates using 1000 and 500,000 simulations and our true sample sizes at a cut off of 80% (N simulations = 1000 and 500,000). We compute the false positives by counting the proportion of simulations under the null that passed a posterior probability supporting the "Detected Hypothesis" at a particular threshold (PPA>=threshold). PPA.comb is PPA.abc + PPA.ab + PPA.ab.c.

Table S5. False positive rates under the null of no association with any traits and different combination of sample sizes (N simulations = 1000). We compute the false positives by counting the proportion of simulations under the null that passed a posterior probability supporting the "Detected Hypothesis" at a particular threshold (PPA>=threshold). PPA.comb is PPA.abc + PPA.ab + PPA.ab.c.

Table S6. False positive rates under the null of no association with any traits and when the causal variant is masked (N simulations = 1000). We compute the false positives by counting the proportion of simulations under the null that passed a posterior probability supporting the "Detected Hypothesis" at a particular threshold (PPA>=threshold). PPA.comb is PPA.abc + PPA.ab + PPA.ab.c.

Table S7. Misclassification rates and power to detect the correct hypothesis (N simulations = 1000). We simulated each hypothesis of interest indicated under

the column "TRUE", and compute the number of misclassified calls under other 14 scenarios by counting the proportion of simulations that passed a posterior probability supporting a different hypothesis from the one simulated at a particular threshold (PPA>=cut). We estimated power to distinguish a particular hypothesis from the others by counting the proportion of simulations that did not reach a posterior probability supporting each scenario at a particular threshold (PPA(true)<cut). PPA.comb is PPA.abc + PPA.ab + PPA.ab.c.

Table S8. Misclassification rates and power to detect the correct hypothesis for combination of sample sizes (N simulations = 1000). We simulated each hypothesis of interest indicated under the column "TRUE", and compute the number of misclassified calls under other 14 scenarios by counting the proportion of simulations that passed a posterior probability supporting a different hypothesis from the one simulated at a particular threshold (PPA>=cut). We estimated power to distinguish a particular hypothesis from the others by counting the proportion of simulations that did not reach a posterior probability supporting each scenario at a particular threshold (PPA(true)<cut). PPA.comb is PPA.abc + PPA.ab + PPA.ab.c.

Table S9. Misclassification rates and power to detect the correct hypothesis for combination of sample sizes when the causal SNP is masked (N simulations = 1000). We simulated each hypothesis of interest indicated under the column "TRUE", and compute the number of misclassified calls under other 14 scenarios

by counting the proportion of simulations that passed a posterior probability supporting a different hypothesis from the one simulated at a particular threshold (PPA>=cut). We estimated power to distinguish a particular hypothesis from the others by counting the proportion of simulations that did not reach a posterior probability supporting each scenario at a particular threshold (PPA(true)<cut). PPA.comb is PPA.abc + PPA.ab + PPA.ab.c.