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HapCHAT: Adaptive haplotype assembly for efficiently leveraging high coverage in long reads

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Abstract

Background: Haplotype assembly is the process of assigning the different alleles of the variants covered by mapped sequencing reads to the two haplotypes of the genome of a human individual. Long reads, which are nowadays cheaper to produce and more widely available than ever before, have been used to reduce the fragmentation of the assembled haplotypes since their ability to span several variants along the genome. These long reads are also characterized by a high error rate, an issue which may be mitigated, however, with larger sets of reads, when this error rate is uniform across genome positions. Unfortunately, current state-of-the-art dynamic programming approaches designed for long reads deal only with limited coverages.

Results: Here, we propose a new method for assembling haplotypes which combines and extends the features of previous approaches to deal with long reads and higher coverages. In particular, our algorithm is able to dynamically adapt the estimated number of errors at each variant site, while minimizing the total number of error corrections necessary for finding a feasible solution. This allows our method to significantly reduce the required computational resources, allowing to consider datasets composed of higher coverages. The algorithm has been implemented in a freely available tool, HapCHAT: Haplotype Assembly Coverage Handling by Adapting Thresholds. An experimental analysis on sequencing reads with up to $60 \times$ coverage reveals improvements in accuracy and recall achieved by considering a higher coverage with lower runtimes.

Conclusions: Our method leverages the long-range information of sequencing reads that allows to obtain assembled haplotypes fragmented in a lower number of unphased haplotype blocks. At the same time, our method is also able to deal with higher coverages to better correct the errors in the original reads and to obtain more accurate haplotypes as a result.

Availability: HapCHAT is available at http://hapchat.algolab.eu under the GPL license.

Keywords: Single Individual Haplotyping; Long Reads; High Coverage; Haplotype Assembly; Minimum Error Correction

Introduction

Due to the diploid nature of the human genome, *i.e.*, it has two copies of its genome, called *haplotypes*, genomic variants appear on either of these two copies. Knowing the specific haplotype on which each of the genomic variants occurs has a strong impact on various studies in genetics, from population genomics [1, 2], to clinical and medical genetics [3], or to the effects of compound heterozygosity [2, 4].

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More specifically, the variations between two haplotypes of the genome are, for the most part, in the form of heterozygous Single Nucleotide Variants (SNVs), *i.e.*, single genomic positions where the haplotypes contain two distinct alleles. Since a direct experimental reconstruction of the haplotypes is not yet cost effective [5] or require methods that have not yet gained widespread adoption [6, 7], computational methods aim to perform this task starting from sequencing reads mapped to a reference human genome. In fact, sequencing reads usually cover multiple SNV positions on the genome, hence providing information about the corresponding alleles that co-occur on a haplotype. In particular, *haplotype assembly* is the computational approach aiming to partition the reads into two sets such that all the reads belonging to the same set are assigned to the same haplotype.

Due to the availability of curated, high quality haplotype reference panels on a large population of individuals [8, 9], computational methods for statistically inferring the haplotypes of an individual from these panels are widely used [10, 1]. The accuracy of these methods, however, depends heavily on the size and diversity of the population used to compile the panels, entailing poor performance on rare variants, while *de novo* variants are completely missed. These types of variants appear in the sequencing reads of the individual, making read-based haplotype assembly the obvious solution.

The combinatorial Minimum Error Correction (MEC) problem is the most commonly cited formulation of haplotype assembly [11]. Under the principle of parsimony, MEC aims to find the minimum number of corrections to the values of sequencing reads in order to be able to partition the reads into two haplotypes. Unfortunately, this problem is NP-hard [11] and it is even hard to approximate [12, 13, 14]. As such, several heuristics for haplotype assembly have been proposed [15, 16, 17, 18, 19]. Beyond that, several exact methods have been proposed, including Integer Linear Programming (ILP) approaches [20, 21], and Dynamic Programming (DP) approaches which are *Fixed-Parameter Tractable* (FPT) in some parameter [22, 13]. These methods achieve good results on datasets obtained using the traditional short sequencing reads. However, short reads do not allow to span more than a few SNV positions along the genome, rendering them inadequate for reconstructing long regions of the two haplotypes. In fact, the short range information provided by these reads does not allow to link many – if any – SNVs together. Consequently, the resulting assembled haplotypes are fragmented into many short haplotype blocks that remain unphased, relative to each other [23].

The advent of third generation sequencing technologies introduces a new kind of sequencing reads, called *long reads*, that are able to cover much longer portions of the genome [24, 25, 26]. Each read may span several positions along the genome and the long-range information provided by these reads allow to link several SNVs. This results in the possibility of obtaining longer haplotype blocks that assign more variants to the corresponding haplotype [27, 28]. Current third generation sequencing platforms offered by Pacific Biosciences (PacBio) [29] and Oxford Nanopore Technologies (ONT) [30] are now able to produce reads of tens to hundreds of kilobasepairs (kbp) in length, and are much more capable of capturing together more variants than the short reads that are commonplace today. While PacBio technologies are characterized by a high error rate (substitution error rate up to 5% and indel

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rate up to 10%), this is uniformly distributed along the genome positions [24, 25, 31] – something we can take advantage of. Oxford Nanopore Technologies, on the other hand, have an even higher error rate which is also not uniformly distributed [32]. Traditional approaches that have been designed for short reads fail when they are applied to these long reads, even when considering low coverages, as demonstrated in [33]. This is due to the fact that these approaches scale poorly with increasing read length [21, 22].

Recently, two methods have been proposed to specifically deal with long reads and their characteristics, namely WhatsHap [33, 34] and HapCol [35]. On the one hand, WhatsHap introduces a dynamic programming algorithm that is fixed parameter tractable, with *coverage* as the parameter, where coverage is the maximum number of reads covering any genome position. Hence, this algorithm is able to leverage the long-range information of long reads since its runtime is independent of the read length, but unfortunately it can deal only with datasets of limited coverages – up to $20\times$, and hence resorts to pruning datasets with higher coverage [33]. A parallel version of WhatsHap has been recently proposed showing the capability to deal with higher coverages of up to $25\times$ [36]. Although WhatsHap computes the theoretically optimal solution to the MEC problem, minimizing the overall number of corrections in the input reads, this could result, however, in columns having an unrealistically large number of corrections, which may not be coherent with how the errors are truly distributed in the actual reads.

On the other hand, HapCol proposes an approach that exploits the uniform distribution of sequencing errors characterizing long reads. In particular, the authors propose a new formulation of the MEC problem where the maximum number of corrections is bounded in every column and is computed from the expected error rate [35]. HapCol has been shown to be able to deal with datasets of higher coverages compared to WhatsHap. However, the presence of genome positions containing more errors than expected (due to errors in the alignment or repetitive regions) is a problem for this approach. As a result, even HapCol was effectively limited to deal with instances of relatively low coverages up to $25-30\times$, since even the presence of few outliers forces the algorithm to change the global behavior, or to fail.

As a result, both the methods proposed for haplotype assembly from long reads, WhatsHap and HapCol, have issues managing datasets with increasing coverages. However, considering a higher number of reads covering each position is indeed the most reliable way to face the high error rate characterizing the sequencing reads produced by third generation sequencing technologies. In fact, long reads generated by the PacBio platform share a limited number of errors on any given SNV position that they cover because errors are almost uniformly distributed across genome positions. Therefore, increasing the coverage mitigates the effects of sequencing errors and may allow to reconstruct haplotypes of higher quality.

In this work we propose a new method which combines and extends the main features of the previous WhatsHap and HapCol, and aims to deal with datasets of higher coverages while being robust to the presence of noise and outliers. In particular, we re-design the approach proposed in [35] by allowing also the dynamic adaption of the estimated error rate and, consequently, the maximum number of corrections that are allowed in each position. This allows the handling of columns

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that require more errors than expected, while avoiding the exploration of scenarios that involve a number of corrections that is much higher than necessary for a site. This is coupled with a merging procedure which merges pairs of reads that are highly likely to originate from the same haplotype, allowing this method to scale to significantly higher values of coverage. The method has been implemented in HapCHAT: <u>Haplotype</u> Assembly <u>Coverage Handling by Adapting Thresholds that is freely available at http://github.com/AlgoLab/HapCHAT</u>. An experimental analysis on real and simulated sequencing reads with up to $60 \times$ coverage reveals that we are able to leverage high coverage towards better predictions in terms of both accuracy (switch error rate) and recall (QAN50 score), as we see an upward trend in both, as coverage increases. This trend is the most stark in the case of recall, which is where it counts the most, since the ultimate goal of haplotype assembly is indeed to assemble the longest haplotype blocks possible.

We compare our method to some of the state-of-the-art methods in haplotype assembly, including HapCol [35]; the newest version of WhatsHap [37], to which many features have since been added; and HapCUT2 [16, 17]. We show that HapCHAT is comparable to or better than any tool in terms of both accuracy and recall, while requiring an amount of computational resources (time and memory) that is on the same or a lower order of magnitude of any comparable (in terms of accuracy or recall) tool in every case. These results confirm that high coverage can indeed be leveraged in order to deal with the high error rate of long reads in order to take advantage of their long-range information.

Background

Let v be a vector, then v[i] denotes the value of v at position i. A haplotype is a vector $h \in \{0, 1\}^m$. Given two haplotypes of an individual, say h_1, h_2 , the position j is heterozygous if $h_1[j] \neq h_2[j]$, otherwise j is homozygous. A fragment is a vector f of length l belonging to $\{0, 1, -\}^l$. Given a fragment f, position j is a hole if f[j] = -, while a gap is a maximal sub-vector of f of holes, *i.e.*, a gap is preceded and followed by a non-hole element (or by a boundary of the fragment).

A fragment matrix is a matrix M that consists of n rows (fragments) and m columns (SNVs). We denote as L the maximum length for all the fragments in M, and as M_j the *j*-th column of M. Notice that each column of M is a vector in $\{0, 1, -\}^n$ while each row is a vector in $\{0, 1, -\}^m$.

Given two row vectors r_1 and r_2 belonging to $\{0, 1, -\}^m$, r_1 and r_2 are in *conflict* if there exists a position j, with $1 \leq j \leq m$, such that $r_1[j] \neq r_2[j]$ and $r_1[j], r_2[j] \neq -$, otherwise r_1 and r_2 are in *agreement*. A fragment matrix M is *conflict free* if and only if there exist two haplotypes h_1 , h_2 such that each row of M is in agreement with one of h_1 and h_2 . Equivalently, M is conflict free if and only if there exists a *bipartition* (P_1, P_2) of the fragments in M such that each pair of fragments in P_1 is in agreement and each pair of fragments in P_2 is in agreement. A *k*-correction of a column M_j , is obtained from M_j by flipping at most k values that are different from -. A column of a matrix is called *homozygous* if it contains no 0 or no 1, otherwise (if it contains both 0 and 1) it is called *heterozygous*. We say that a fragment i is *active* on a column M_j , if $M_j[i] = 0$ or $M_j[i] = 1$. The *active fragments* of a column M_j are the set $active(M_j) = \{i : M_j[i] \neq -\}$. The coverage of the column M_j is defined

as the number cov_j of fragments that are active on M_j , that is $cov_j = |active(M_j)|$. In the following, we indicate as cov the maximum coverage over all the columns of M. Given two columns M_i and M_j , we denote by $active(M_i, M_j)$ the intersection $active(M_i) \cap active(M_j)$. Moreover, we will write $M_i \approx M_j$, and say that M_i, M_j are in accordance [13], if $M_i[r] = M_y[r]$ for each $r \in active(M_i, M_j)$, or $M_i[r] \neq M_y[r]$ for each $r \in active(M_i, M_j)$, or $M_i[r] \neq M_y[r]$ for each $r \in active(M_i, M_j)$. Notice that $M_i \approx M_j$ means that these two columns are compatible, that is, they induce no conflict. Moreover, $d(M_i, M_j)$ denotes the minimum number of corrections to make columns M_i and M_j in accordance.

The Minimum Error Correction (MEC) problem [11, 38], given a matrix M of fragments, asks to find a conflict free matrix C obtained from M with the minimum number of corrections. In this work, we consider the variant of the MEC problem, called k-cMEC in which the number of corrections per column is bounded by an integer k [35]. More precisely, we want a k-correction matrix D for M where each column C_j is a k-correction of column M_j , minimizing the total number of corrections. We recall that in this paper we will consider only matrices where all columns are heterozygous.

Now, let us briefly recall the dynamic programming approach to solve the kcMEC problem [35]. This approach computes a bidimensional array $D[j, C_j]$ for each column $j \ge 1$ and each possible heterozygous k-correction C_j of M_j , where each entry $D[j, C_j]$ contains the minimum number of corrections to obtain a k-correction matrix C for M on columns M_1, \ldots, M_j such that the columns C_j are heterozygous. For the sake of simplicity, we pose $D[0, \cdot] = 0$. For $0 < j \le m$, the recurrence equation for $D[j, C_j]$ is the following, where δ_j is the set of all heterozygous kcorrections of the column M_j .

$$D[j, C_j] = \min_{C_{j-1} \in \delta_{j-1}, C_j \approx C_{j-1}} \bigg\{ D[j-1, C_{j-1}] + d(M_j, C_j) \bigg\}.$$

For the complete description of the dynamic programming recurrence we refer the reader to [35, 13].

Methods

In this section, we highlight the new insight of HapCHAT for the assembly of single individual haplotypes, with the specific goal of processing high coverage in long read datasets. In fact, as reported in the original HapCol paper [35], the FPT algorithm is exponential in the number k of allowed corrections in each position. Therefore, we developed a preprocessing step which merges reads belonging to the same haplotype based on a graph clustering method. Moreover, we also improved the HapCol method by introducing a heuristic procedure to cope with problematic positions, i.e. those requiring more than k corrections.

As anticipated, the combination of all these improvements allowed the possibility of reconstructing haplotypes using higher coverage reads (w.r.t. the original HapCol method), while reducing the runtimes.

Preprocessing

The first step of our pipeline is to merge pairs of fragments that, with high probability, originate from the same haplotype. With p we denote the (average) probability

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that any single base has been read incorrectly (i.e. that a nucleotide in the input BAM file is wrong) — we recall that $p \approx 0.15$ and that errors are uniformly distributed for PacBio reads. Let r_1 and r_2 be two reads that share m + x sites, where they agree on m of those sites and disagree on the other x sites. For this pair of reads, we compute a likelihood under the hypothesis that the reads originate from the same haplotype, and a likelihood under the hypothesis that the reads originate from different haplotypes. We then compute the ratio of these two likelihoods. This idea is similar to the one adopted in [39], but our use is different.

Then, the probability of obtaining the two reads r_1 and r_2 under the hypothesis that they originate from the same haplotype is approximately $p_s(r_1, r_2) = (1 - p)^{2m}p^x(1 - p/3)^x$, that is we assume that we have no error in the shared part and exactly one error on the other sites. Similarly, the probability of obtaining the two reads r_1 and r_2 under the hypothesis that they originate from two different haplotypes is approximately $p_d(r_1, r_2) = p^m(1 - p/3)^m(1 - p/3)^x(1 - p)^x$, that is we assume that there is exactly one error in the sites with same value and at most an error in the sites with different values.

A simple approach to reduce the size of the instance is to merge all pairs (r_1, r_2) of fragments such that $p_s(r_1, r_2)$ is sufficiently large. But that would also merge some pairs of fragments whose probability p_d is too large. Since we want to be conservative in merging fragments, we partition the fragment set into clusters such that $p_s/p_d \ge 10^6$ for each pair of fragments in the cluster. This threshold was obtained empirically, in order to achieve the best performance in terms of quality of the predictions in the performed experimental analysis. Then, for each site, the character that is the result of a merge is chosen applying a majority rule, weighted by the Phred score of each symbol. Notice that the merging heuristic of ProbHap [39] considers only the ratio to determine when to merge two reads, while we analyze all pairs of reads to determine which *sets* of reads to merge.

Adaptive k-cMEC

Here, we describe how we modified the HapCol dynamic programming recurrence in order to deal with problematic columns for which the maximum allowed number of corrections is not enough to obtain a solution. As stated in the original HapCol paper [35], the number k_j of corrections for each column M_j is computed, based on its coverage cov_j and on two input parameters: ϵ (average *error-rate*) and α (the probability that the column M_i has more than k_i errors). The idea is that the number of errors in a column j follows a binomial distribution, and hence we allow the lowest value k_j such that the probability of having more than k_j errors (with error rate ϵ) is at most α . This is done in order to bound the value of k, which is fundamental since HapCol implements an FPT algorithm that is exponential in the maximum number of allowed corrections. For this reason, we would prefer to have low values of k_j . A side effect of this approach is that, when all solutions of an instance contain a column with more than k_j errors, HapCol is not able to find a solution. Therefore, we developed a heuristic procedure which has the final goal of guaranteeing that a solution is found, by slightly increasing the allowed number of errors beyond k_i , such that a solution exists for this number. We recall that the recurrence equation governing the original dynamic programming

approach considers all k_j -correction $C_j \in \delta_j$. We slightly modify the definition of k-corrections to cope with those problematic columns, by increasing the number of allowed corrections. Let $C_{j,k}$ be a k-correction of M_j with exactly k corrections, let $z_{j,0} = k_j$ and $z_{j,i} = z_{j,i-1} + \lfloor \log_2(z_{j,i-1}) + 1 \rfloor$, *i.e.*, each term is obtained from the previous one by adding a logarithmic term, to guarantee that the number of allowed corrections does not grow too quickly. Then $k_j^* = \min_{i:D[j,C_{j,z_{j,i-1}}]\neq\infty} \{z_{j,i}\}$ if i > 0, where $D[\cdot, \cdot] \neq \infty$ means it is a feasible correction. Starting from this notation, the new set of possible corrections of column M_j is

$$\delta_j = \{ C_{j,k} : 1 \le k \le k_j^* \}.$$

Notice that the sequence of $z_{j,i}$ is monotonically increasing with i, hence we can compute k_j^* by starting with k_j and increasing it until we are able to find a k_j^* correction for the column M_j . The dynamic programming equation is unchanged, but our new construction of the set δ_j guarantees that we are always able to compute a solution. Moreover, just as for HapCol, we cannot guarantee that we solve optimally the instance of the MEC problem.

One of the key points of this procedure is how we increment $z_{j,i}$, that is by adding a logarithmic quantity. This guarantees a balance between finding a low value of k_j^* and the running time needed for the computation.

Results and Discussion

We now describe the results of our experiments. In the first subsection, we describe the data that we use, or simulate. Then we detail the experiments that we set up in order to compare our tool with others in the next subsection. Finally, we present and discuss the results of these experiments.

Data description

The Genome in a Bottle (GIAB) Consortium has released publicly available highquality sequencing data for seven individuals, using eleven different technologies [40, 41, 42]. Since our goal is to assess the performance of different single-individual haplotype phasing methods, we study chromosome 1 of the Ashkenazim individual NA24385, as well as chromosomes 1–22 of individual NA12878.

The Ashkenazim individual is the son in a mother-father-son trio. We downloaded from GIAB the genotype variants call sets NIST_CallsIn2Technologies_05182015, a set of variants for each individual of this trio that have been called by at least two independent variant calling technologies. In order to be able to compare against methods that use reference panels or information from multiple individuals, *e.g.*, a trio, for single-individual haplotype phasing, we considered all the bi-allelic SNVs of the chromosome that: (a) appear also in the 1000 Genomes reference panel https://mathgen.stats.ox.ac.uk/impute/1000GP_Phase3.tgz, and (b) have been called in all three individuals of the Ashkenazim trio, *i.e.*, also in the mother and the father. For chromosome 1, this resulted in 140744 SNVs, of which 48023 are heterozygous. We refer to this set of SNVs as the set of benchmark SNVs for this dataset – the set is in the form of a VCF file. Since the authors of [43] also studied this trio, and have made the pipeline for collecting and generating their data publicly available at

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https://bitbucket.org/whatshap/phasing-comparison-experiments/, we use or modify parts of this pipeline to generate our data as detailed in the following.

As for the individual NA12878, we downloaded the latest high confidence phased VCF of GIAB for hg37, available at ftp://ftp-trace.ncbi.nlm.nih.gov/giab/ ftp/release/NA12878_HG001/latest/GRCh37/HG001_GRCh37_GIAB_highconf_CG-IllFB-IllGATKHC-Ion-10X-SOLID_CHROM1-X_v.3.3.2_highconf_PGandRTGphasetransfer. vcf.gz, and used all SNVs in this file as our set of benchmark SNVs for the respective chromosomes.

GIAB PacBio Reads

One of the more recent technologies producing long reads – those which are the most informative for read-based phasing – is the Pacific Biosciences (PacBio) platform. PacBio is one of the eleven technologies on which GIAB provides sequencing reads.

We hence downloaded the set of aligned PacBio reads from ftp://ftp-trace. ncbi.nlm.nih.gov/giab/ftp/data/AshkenazimTrio/HG002_NA24385_son/PacBio_ MtSinai_NIST/MtSinai_blasr_bam_GRCh37/hg002_gr37_1.bam for chromosome 1 of the Ashkenazim individual, which has an average coverage of $60.2 \times$ and an average mapped read length of 8687 bp. We then downsampled the read set to average coverages of $25 \times$, $30 \times$, $35 \times$, $40 \times$, $45 \times$, $50 \times$, $55 \times$, and $60 \times$. This was done using the DownsampleSam subcommand of Picard Tools, which randomly downsamples a read set by selecting each read with probability p. We downsample recursively, so that each downsampled read set with a given average coverage is a subset of any downsampled read set with an average coverage higher than this set.

As for individual NA12878, we downloaded the set of aligned PacBio reads ftp:// ftp-trace.ncbi.nlm.nih.gov/giab/ftp/data/NA12878/NA12878_PacBio_MtSinai/ sorted_final_merged.bam, which comprises chromosomes 1-22. The average coverages (resp., mapped read lengths) ranged between 26.9 and 44.2 (resp., 4746 and 5285), so we did not perform any downsampling for this dataset.

As a phasing benchmark for the Ashkenazim chromosome 1, we used the latest high confidence trio-phased VCF of GIAB for hg37, available at ftp://ftp-trace.ncbi.nlm.nih.gov/giab/ftp/release/AshkenazimTrio/HG002_NA24385_son/latest/GRCh37/HG002_GRCh37_GIAB_highconf_CG-IIIFB-IIIGATKHC-Ion-10X-SOLID_CHROM1-22_v.3.3.2_highconf_triophased.vcf.gz. As for chromosomes 1-22 of the individual NA12878, we used the (original, *i.e.*, phased version of the) high confidence phased VCF mentioned in the previous section.

Simulated PacBio Data

Aside from the PacBio data described in the previous section, we also produce and run our experiments on a simulated read set for chromosome 1 of the Ashkenazim individual. Reference panels may leave out some variants with low allele frequency – a good reason for doing read-based phasing – and statistical methods might be susceptible to systematic bias in the data. For these reasons, we complement our study with an experimental analysis on simulated reads, as follows.

We first obtain a pair of "true" haplotypes off of which we simulate reads. This is obtained from the output of the population-based phasing tool SHAPEITv2r837 [44] with default parameters on the 1000 Genomes reference panel, the corresponding genetic map http://www.shapeit.fr/files/genetic_map_b37.tar.gz, and the unphased genotypes, *i.e.*, the set of benchmark SNVs of this chromosome.

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Given the phasing by SHAPEIT, we incorporate the (benchmark) SNVs of the first haplotype of this phasing into the reference genome (hg37) by flipping the variant sites that are the alternative allele in this haplotype. The second haplotype is obtained analogously. Using these two true haplotypes as the input, we produce a corresponding set of reads for this haplotype using PBSIM [45], a PacBio-specific read simulator. We input to PBSIM the optional parameters --depth 60 so that our simulated reads have sufficient coverage, and as **--sample-fastq** a sample of the original GIAB PacBio reads described in the previous section, so that our simulated reads have the same length and accuracy profile as the corresponding real read set. We align the resulting simulated reads to the reference genome using BWA-MEM 0.7.12-r1039 [46] with optional parameter -x pacbio. Finally, this pair of aligned read sets, representing the reads coming off of each haplotype is merged using the MergeSamFiles subcommand of Picard Tools, obtaining the final simulated read set. In the same way as we have done with the read sets for the real Chromosome 1, we downsample to average coverages $25 \times, 30 \times, 35 \times, 40 \times, 45 \times, 50 \times, 55 \times$, and $60 \times$.

To summarize, the data we use or simulate regards both real and simulated reads on chromosome 1 of the Ashkenazim individual for a set of 8 average coverages, for a total of 16 read sets, each in the form of a BAM file. The autosomes of individual NA12878 adds an additional 22 read sets, each in the form of a BAM file. It is on these 38 read sets, along with their corresponding set of benchmark SNVs – in the form of VCF files – that we carry out our experiments, as described in the following section.

Experimental Setup

We compare our tool HapCHAT to the most recent state-of-the-art read-based phasing methods of WhatsHap [34, 37], HapCol [35], HapCUT2 [17], ProbHap [39], ReFHap [19] and FastHare [15] by running them all on the data described in the previous subsection. Recall that, as detailed in the introduction, WhatsHap, HapCol and HapCHAT are approaches with a core phasing algorithm that is FPT either in the coverage or in the number of errors at each SNV site. Hence the coverage must first be reduced to some target maximum coverage before its core algorithm can be run. Each run of a tool on a dataset is given a time limit of one day, and a memory limit of 64GB. We now describe the details of how we parameterized each tool for comparison in what follows.

WhatsHap

For each read set, we provide to WhatsHap (version 0.13) the corresponding BAM and VCF file. We run WhatsHap on this input pair on otherwise default settings, with the exception of providing it the reference genome (hg37) via the optional parameter --reference. This allows WhatsHap to run in *realignment mode*, which has been shown to significantly boost accuracy predictions for noisy read sets such as PacBio, as detailed in [37]. In particular, this mode is well suited to handle the abundant indel errors in the input reads. WhatsHap has a built-in read selection procedure [47] which subsequently prunes to a default maximum coverage of 15 before the core phasing algorithm is called. The default value has been selected by

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the authors of WhatsHap to provide the best trade-off between quality of the results and runtime [48]. Additionally, we run WhatsHap in realignment mode as above, but fixing to target maximum coverage 20 by providing the additional optional parameter -H 20. It is the resulting set of phasings by WhatsHap, in the form of phased VCF, that we use for the basis of comparison with the other methods.

HapCol

For each read set, together with the VCF file of the corresponding chromosome, we convert it to the custom input format for HapCol. Since HapCol does not have a read selection procedure – something it does need for data at $35 \times$ (or higher) coverage (cf. the Introduction) — we then apply the read selection procedure of [47]to prune this set to the target maximum coverages of $15\times$, $20\times$, $25\times$, and $30\times$. On these resulting input files, we run HapCol with its default value of $\alpha = 0.01$ (and of $\varepsilon = 0.05$) (cf. the subsection on Adaptive k-cMEC or [35] for details on the meaning of α and ε). Since HapCol is not adaptive, but we want to give it a chance to obtain a solution on its instance, should a given α be infeasible (*cf.* the subsection on Adaptive k-cMEC), we continue to rerun HapCol with an α of one tenth the size of the previous until a solution exists. HapCol outputs a pair of binary strings representing the phasing, which we then convert to phased VCF. Note that we did not further attempt any higher maximum coverages, because at maximum coverage 30, HapCol either exceeded one day of runtime or 64GB of memory on every dataset. It is this set of resulting phasings (phased VCF files) that we use to compare with the other methods.

ProbHap, RefHap and FastHare

For each read set, we use the extractHAIRS program that is distributed with the original HapCut [16] to convert its BAM / VCF pair into the custom input format for these methods. We then ran each method on these instances with default settings, each producing a custom input which is then converted to a phased VCF with the subcommand hapcut2vcf of the WhatsHap toolbox.

HapCUT2

For each read set, we use the extractHAIRS program that comes with HapCUT2, with parameter --pacbio 1, which activates a newly-developed realignment procedure for pacbio reads, to convert its BAM / VCF pair into the custom input format for HapCUT2. We then ran HapCUT2 on the resulting instances with default settings, each producing a custom output which is then converted to phased VCF with the subcommand hapcut2vcf of the WhatsHap toolbox.

HapCHAT

For each read set, we provide to HapCHAT the corresponding BAM and VCF file. We run HapCHAT on this input pair on otherwise default settings, with the exception of providing it the reference genome (hg37) via the optional parameter **--reference**. This allows HapCHAT to run in realignment mode like with WhatsHap, thanks to the partial integration of HapCHAT into the WhatsHap codebase. We then apply our merging step as described in the subsection Preprocessing, which

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reduces the coverage. If necessary, the reads are further selected via a greedy selection approach (based on the Phred score), with ties broken at random, to down-sample each dataset to the target maximum coverages of $15\times$, $20\times$, $25\times$, and $30\times$. It is the resulting phasings, in phased VCF format, for which the comparison of HapCHAT to other methods is based.

Experimental results and discussion

The times reported here do not include the time necessary to read the input (BAM) file, which is more-or-less the same for each method. The results are summarized in Tables 1-17 and Figures 1,2 and 3.

The accuracy of the predictions obtained from the experiments and measured in terms of switch error percentages is summarized in Tables 1, 6 and 11. We have also assessed the accuracy of the predictions by computing the Hamming distance percentages — Tables 2, 7 and 12. Each true haplotype is a mosaic of the predicted haplotypes. A switch error is the boundary (that is two consecutive SNV positions) between two portions of such a mosaic. The switch error percentage is the ratio between the number of switch errors and the number of phased SNVs minus one (expressed as a percentage). It is immediate to notice that HapCHAT, WhatsHap, and HapCUT2 compute the best predictions, all of them being very close. Figures 2 and 3 give bar chart representations of switch error rates for just these three methods on all real datasets. We point out that HapCHAT (resp., HapCUT2) computes the best switch error rates for almost all instances of the real and simulated Ashkenazim (resp., NA12878) datasets.

Although the switch error is one of the most widely adopted measures used to evaluate the quality of the phased haplotypes, it does not take into account the *recall*, or the completeness of the haplotype – that is, the size of the phased haplotype blocks recovered. While N50 is the classical median size of an assembled haplotype block in terms of length in basepairs (bps) from the literature on assembly, [49] introduced the *adjusted* N50, that is AN50 score which normalizes each block in terms of the number of phased SNVs appearing on a block. In order to account for completeness and quality, [50] introduced the notion of quality AN50, that is the QAN50 score, where assembled haplotype blocks are fractured at each switch error, and then AN50 is taken on the resulting sub-blocks. This is an important measure because it is closest to the objective of haplotype assembly – to reassemble the longest (error-free) haplotype blocks possible. We hence computed QAN50 scores for all methods, as summarized in Tables 3, 8, and 13. It is immediate to notice that HapCHAT and WhatsHap have the best QAN50 scores, more precisely HapCHAT (resp., WhatsHap) computes the best QAN50 scores for almost all instances of the real and simulated Ashkenazim (resp., NA12878) datasets. HapCUT2 is a close second: despite its good switch error rate, it has consistently lower QAN50 scores.

This could possibly be explained by [17]: "HapCUT2 implements likelihood-based strategies for pruning low-confidence variants to reduce mismatch errors and splitting blocks at poor linkages to reduce switch errors (see Methods). These post-processing steps allow a user to improve accuracy of the haplotypes at the cost of reducing completeness and contiguity." – indeed their switch error rate tends to be consistently the best for the NA12878 dataset at least, the tradeoff being that

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QAN50 score is consistently lower than the best method in all cases. Figures 2 and 3 give bar chart representations of QAN50 scores for HapCHAT, WhatsHap and HapCUT2 on all real datasets.

Since HapCHAT and WhatsHap can be influenced by a maximum coverage parameter, we did a deeper analysis of these two methods at different values of such parameter. The plots in Figure 1 represent the quality of the predictions computed by WhatsHap and HapCHAT as a function of the running time, for Chromosome 1 on the Ashkenazim dataset. Besides the switch error rate, we have also investigated the Hamming distance, that is the number of phase-calls that are different from the ground truth. Both plots confirm that HapCHAT computes predictions that are at least as good as those of WhatsHap (and clearly better in terms of Hamming distance) with a comparable runtime. We decided to include in the Tables the comparison of WhatsHap at both 20x and 15x max coverage, while 20x is the maximum coverage that we could test for WhatsHap — 15x is suggested by the authors as the default value for running WhatsHap and achieve the best trade off between accuracy and running time [48]. Observe in Figure 1 that with 20x max coverage WhatsHap obtains better predictions — close to those by HapCHAT — but with a much higher runtime.

It is possible to observe from Tables 4, 5, 9 and 10 that although both time and memory used by HapCHAT is growing with the (average) coverage, with higher coverage the rate at which the time increments is decreasing. Similarly, also the memory increment is almost linear with respect to the growth of the coverage of the datasets. On the other hand, while the changes of time and memory required by HapCol and WhatsHap to process higher coverages remain similar. Contrary to HapCHAT, because HapCol and WhatsHap are not adaptive (see intro for more details) that is they do not change their behaviour w.r.t. increasing average coverage, they must be run at a uniform *maximum* coverage of 25 and 15, respectively, and exhibit similar runtimes and memory usage for all datasets. HapCHAT, on the other hand, processes these datasets at the higher uniform maximum coverage of 30, and because it *adapts* to this increased average coverage, we see this linear trend in increased resource usage, as expected. Finally, we point out that HapCUT2, ReFHap, and FastHare require always the same memory, since it does not depend on the coverage, and the time grows linearly, while ProbHap exhibits a behavior reflecting the coverage increment, especially in terms of memory consumption.

An analysis of Tables 1 and 6 towards finding the effect of average coverage shows that there is a trend of improving predictions with higher average coverage, but this improvement is irregular. Since those irregularities are more common for HapCHAT than for the other tools, we have produced Table 17 which gives a more detailed breakdown of how the switch error is changing as a result of increasing coverage. More precisely, we have found that only in one case the erroneous sites at higher coverage is a subset of the erroneous sites at lower coverage. This shows a higher sensitivity of HapCHAT to changing (in this case sampling) instances. On the other hand, the quality measure given by the QAN50 reported in Tables 3 and 8 and also summarized in Figure 2 shows that there is a regular increase of the QAN50 for all the data sets consistent with the increase of the coverage.

Table 16 reports for each of the 16 Ashkenazim datasets, the SNV sites when the adaptive procedure of subsection Adaptive k-cMEC was activated. Interestingly, it is

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only in the Simulated dataset that the number of corrections needed to be increased from 5 to 8 – the rest needing an increase only to 7 (from 4) – indicating that it contains more unanticipated errors than the real datasets. Indeed this demonstrates that this adaptive procedure is an improvement over HapCol, recalling that each time this procedure is invoked, HapCol fails by definition. An added benefit of this procedure is that it can serve as an indicator of the quality of the read set to be phased. More specifically, it can serve as an indicator of the quality of the variant calling itself — indeed it is a third type of accuracy prediction, on top of switch error and Hamming distance — one that can be used to integrate the predictions of several tools to obtain higher quality variant calls [41, 42]. We plan to investigate further this advantage in future developments of HapCHAT.

Conclusions

We have presented HapCHAT, a tool that is able to phase high coverage PacBio reads. We have compared HapCHAT to WhatsHap, HapCol, HapCUT2, ReFHap, ProbHap and FastHare on on real and simulated whole-chromosome datasets, with average coverage up to $60\times$. The real datasets have been taken from the GIAB project. Our experimental comparison shows that HapCHAT has accuracy and recall that are comparable with those of WhatsHap and HapCUT2, and better than all other tools. At the same time, HapCHAT requires an amount of computational resources that is on the same order of magnitude as WhatsHap and HapCUT2. In particular, our QAN50 scores are almost consistently better than all other tools, showing that we reconstruct the longest, least fragmented haplotype blocks – the ultimate aim of haplotype assembly. Trying our dynamic programming approach with even *longer* reads, such as those bolstered with Hi-C information [51] would hence be an interesting future endeavour, to see how far we can push this method for assembling haplotypes.

Introducing the capability of adapting the number of errors permitted in each column allows HapCHAT to achieve a better fit than HapCol of the number of corrections needed at each variant site. Still, the current approach allows such adaptation only for the current column. Coupling this step with backtracking could result in fewer overall corrections.

Another direction of research is to fully consider the parent-sibling relations in trios, as done in [43] here. This is especially relevant, since most of the GIAB data is on trios.

Finally, we are working on the integration of HapCHAT with the WhatsHap tool to provide a more powerful haplotype phasing method able to combine the strengths of the two approaches.

Declarations Ethics approval and consent to participate Not applicable

Consent for publication Not applicable

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Availability of data and materials

The PacBio long reads data that we used are publicly available at ftp://ftp-trace.ncbi.nlm.nih.gov/giab/ftp/data/AshkenazimTrio/HG002_NA24385_son/PacBio_MtSinai_ NIST/MtSinai_blasr_bam_GRCh37/hg002_gr37_1.bam and ftp://ftptrace.ncbi.nlm.nih.gov/giab/ftp/data/NA12878/NA12878_PacBio_MtSinai/sorted_final_merged.bam The simulated datasets that we have used can be downloaded at: https://drive.google.com/drive/folders/OBxqLPsY2hmAXMlowZF9JQl11ZNEU. The BAM files are in archiveHapCHAT-experiments_bam--simulated.tar.gz, while the corresponding VCFs can be found at HapCHAT-experiments.tar.gz.

Instructions on how to use and replicate the experiments can be found at http://hapchat.algolab.eu

Competing interests

The authors declare that they have no competing interests.

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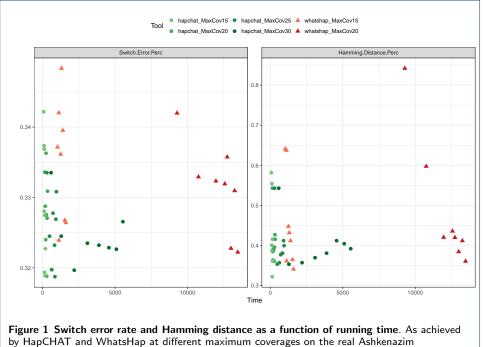
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Figures



Chromosome 1 dataset. For each tool and each maximum coverage, we represent a point for each of the 8 possible values of the average coverage.

Tables

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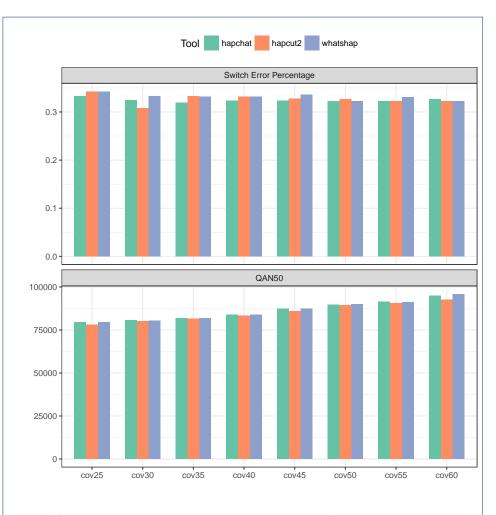
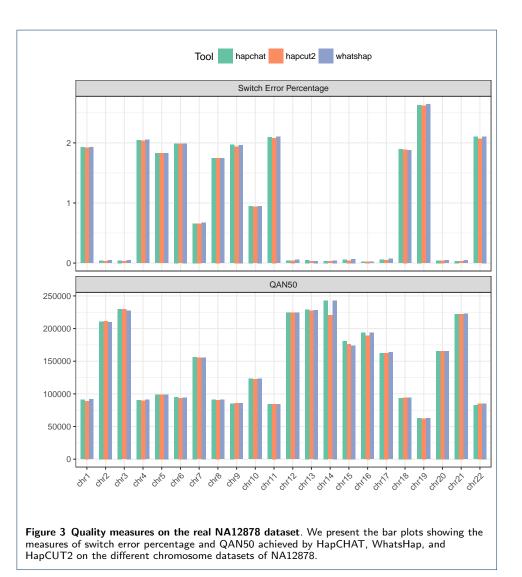


Figure 2 Quality measures on the real Ashkenazim Chromosome 1 dataset. We present the bar plots showing the measures of switch error percentage and QAN50 achieved by HapCHAT, WhatsHap, and HapCUT2 on the Ashkenazim Chromosome 1 dataset at different coverage values.

Avg. Cov.	HapCHAT	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	0.334	0.662	0.342	0.342	0.342	2.813	3.303	3.547
30	0.324	0.623	0.337	0.333	0.308	2.420	2.980	3.133
35	0.320	0.601	0.324	0.332	0.333	2.221	-	2.933
40	0.324	0.575	0.336	0.332	0.332	2.027	-	2.691
45	0.323	0.533	0.348	0.336	0.328	1.932	-	2.522
50	0.323	0.490	0.340	0.323	0.327	1.864	-	2.303
55	0.323	0.452	0.327	0.331	0.323	1.774	-	2.268
60	0.327	0.452	0.326	0.322	0.322	1.740	-	2.123

Table 1 Switch error percentage on the real Ashkenazim dataset, Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

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Avg. Cov.	HapCHAT	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	0.54	2.41	0.64	0.84	0.44	3.96	3.42	5.53
30	0.35	2.18	0.64	0.60	0.24	3.46	3.41	5.38
35	0.36	2.02	0.37	0.42	0.37	3.99	-	5.62
40	0.37	1.66	0.45	0.44	0.37	3.10	-	5.08
45	0.38	1.80	0.43	0.42	0.37	3.02	-	4.49
50	0.41	1.47	0.41	0.38	0.35	2.84	-	4.32
55	0.40	0.87	0.36	0.41	0.37	3.28	-	4.67
60	0.39	1.25	0.34	0.36	0.35	3.60	-	5.06

Table 2 Hamming distance on the real Ashkenazim dataset, Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

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Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	79452	76856	79515	79515	78192	48097	45492	45445
30	80662	80150	80426	80426	80150	52713	50806	49308
35	81842	81464	81757	81757	81464	54182	-	51766
40	83968	82758	83802	83802	83263	57589	-	55014
45	87267	86001	87267	87267	86001	59161	-	57008
50	89669	89738	89858	89858	89306	60380	-	59447
55	91434	91434	91224	91224	90718	62652	-	59582
60	94913	92938	95818	95818	92565	64710	-	62655

Table 3 QAN50 on the real Ashkenazim dataset, Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (highest value) for each dataset is boldfaced.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15×	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	591	39456	1115	9278	1563	80	43573	3
30	1292	46564	1031	10753	1596	196	72696	4
35	2193	50071	1122	11959	1888	308	-	4
40	3095	50301	1247	12570	2160	499	-	5
45	3888	51570	1308	12735	2388	822	-	6
50	4579	53030	1395	12996	2731	1192	-	8
55	5103	54012	1534	13252	2983	1777	-	9
60	5550	53496	1605	13469	3216	2493	-	13

Table 4 Time in seconds of the tools on real Ashkenazim datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	1370	2263	930	5510	3266	3005	4693	3005
30	1661	2562	931	6195	3270	3005	5355	3005
35	1966	2908	931	6513	3276	3005	-	3005
40	2291	3231	931	6483	3279	3005	-	3005
45	2636	3190	952	6937	3283	3005	-	3005
50	3158	3286	1007	7144	3287	3005	-	3005
55	3549	3479	1042	7229	3292	3005	-	3005
60	3968	5412	1073	7430	3296	3005	-	3005

Table 5 Peak of RAM usage in Megabytes of the tools on real Ashkenazim datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	0.035	0.218	0.035	0.039	0.037	1.081	1.487	2.112
30	0.028	0.181	0.035	0.031	0.037	0.725	1.166	1.430
35	0.028	0.161	0.033	0.037	0.037	0.537	0.879	1.086
40	0.026	0.148	0.026	0.030	0.037	0.425		0.901
45	0.022	0.139	0.024	0.024	0.022	0.404		0.781
50	0.020	0.134	0.020	0.024	0.018	0.324		0.586
55	0.022	0.126	0.024	0.022	0.018	0.273		0.565
60	0.020	0.108	0.020	0.024	0.022	0.248	-	0.470

Table 6 Switch error percentage on simulated datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	0.35	1.30	0.42	0.42	0.33	3.43	2.66	5.95
30	0.33	1.92	0.43	0.42	0.38	2.52	2.43	4.55
35	0.27	1.37	0.34	0.55	0.37	1.92	2.09	3.93
40	0.26	1.18	0.24	0.41	0.27	1.86	-	3.31
45	0.34	1.02	0.32	0.34	0.27	1.95	-	3.12
50	0.27	1.18	0.78	0.81	0.73	1.42	-	3.14
55	0.28	1.13	0.76	0.76	0.20	1.48	-	3.19
60	0.13	1.26	0.17	0.16	0.57	1.49	-	3.49

Table 7 Hamming Distance percentage on simulated datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	87890	85002	87581	87581	51183	50325	49121	45846
30	93454	87599	92831	92565	57323	56745	54412	52138
35	96311	92483	96167	95611	61204	60612	59047	56881
40	97810	95818	97810	97270	64979	64535	-	60748
45	100826	98674	100826	100826	68274	66973	-	64003
50	103348	100826	103348	103348	73159	73256	-	69457
55	105243	103348	106341	106341	74273	74402	-	71058
60	107121	105243	107569	107569	76497	76497	-	73256

Table 8 QAN50 results of the tools on real simulated datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30\times$ for HapCHAT, $25\times$ for HapCol, $15\times$ and $20\times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (highest value) for each dataset is boldfaced.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	572	38863	1027	9686	205	44	33988	3
30	1317	47367	883	11095	238	91	56165	3
35	2167	18813	954	11650	286	167	80061	4
40	3052	20007	1048	12760	323	269	-	5
45	3754	56403	1161	12678	367	423	-	6
50	4399	57135	1170	12860	412	672	-	6
55	4882	56745	1287	13174	467	1019	-	7
60	5277	21070	1336	13407	496	1536	-	9

Table 9 Time in seconds of the tools on simulated datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30\times$ for HapCHAT, $25\times$ for HapCol, $15\times$ and $20\times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare.

Avg. Cov.	НарСНАТ	HapCol	WhatsHap cov. 15×	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
25	1378	2180	930	5161	3262	3007	4284	3007
30	1667	4187	930	6117	3266	3008	5320	3008
35	1984	2134	931	6558	3270	3008	5709	3008
40	2315	2186	932	6780	3272	3009		3009
45	2665	5037	932	7043	3276	3010	-	3010
50	3180	5223	932	7058	3279	3010	-	3010
55	3591	5483	996	7212	3282	3011	-	3011
60	4009	2374	1039	7294	3286	3011	-	3011

Table 10 Peak of RAM usage in Megabytes of the tools on simulated datasets of Chromosome 1. For each dataset, its row identified by its average coverage (Avg. Cov.). We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare.

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				\A/I · II	1		1	
Chrom.	HapCHAT	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
			000. 13	000.200				
1	1.929	-	1.926	1.924	1.920	-	-	2.191
2	0.038	-	0.050	0.035	0.030	-	-	0.374
3	0.044	-	0.045	0.039	0.031	-	-	0.381
4	2.042	-	2.052	2.048	2.033	-	-	2.237
5	1.829	-	1.828	1.824	1.825	-	-	1.998
6	1.991	-	1.990	1.991	1.983	-	-	2.205
7	0.659	-	0.669	0.666	0.660	-	-	0.924
8	1.743	-	1.746	1.748	1.749	-	-	1.992
9	1.966	-	1.965	1.966	1.940	2.140	-	2.187
10	0.949	-	0.949	0.948	0.939	1.171	-	1.232
11	2.092	-	2.101	2.101	2.081	2.282	-	2.325
12	0.041	-	0.055	0.048	0.043	0.319	-	0.405
13	0.051	-	0.036	0.049	0.029	0.285	-	0.349
14	0.034	-	0.042	0.039	0.032	0.347	-	0.421
15	0.055	0.331	0.069	0.065	0.043	0.358	-	0.427
16	0.022	0.289	0.022	0.029	0.027	0.322	-	0.420
17	0.055	0.277	0.071	0.067	0.047	0.337	-	0.426
18	1.895	-	1.879	1.876	1.889	2.072	-	2.122
19	2.629	-	2.642	2.644	2.616	2.807	-	2.914
20	0.043	0.277	0.046	0.043	0.043	0.412	-	0.451
21	0.033	-	0.044	0.041	0.030	0.364	-	0.408
22	2.102	2.323	2.106	2.114	2.068	2.378	-	2.452

Table 11 Switch error percentage on datasets of NA12878. Each row corresponds to a chromosome. The dataset consists of all reads aligned to the chromosome. We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

Chrom.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
1	2.12	-	1.92	2.10	2.11	-	-	6.16
2	0.51	-	0.49	0.29	0.77	-	-	4.91
3	0.32	-	0.42	0.42	0.48	-	-	4.74
4	2.47	-	2.15	2.18	2.00	-	-	6.44
5	2.33	-	2.53	2.22	1.98	-	-	6.56
6	3.39	-	3.02	3.20	2.82	-	-	7.15
7	1.16	-	1.10	1.10	1.36	-	-	5.05
8	2.44	-	2.46	2.54	2.02	-	-	6.14
9	2.45	-	2.31	2.49	2.11	5.68	-	6.23
10	1.19	-	1.16	1.18	0.93	3.89	-	5.29
11	2.08	-	2.06	2.06	1.99	4.25	-	5.08
12	0.43	-	0.48	0.38	0.51	2.92	-	5.54
13	0.41	-	0.63	0.57	0.35	4.01	-	4.84
14	0.21	-	0.48	0.58	0.17	3.01	-	3.24
15	0.23	3.39	0.24	0.34	0.34	4.18	-	5.49
16	0.24	2.09	0.45	0.88	0.28	1.65	-	2.87
17	0.50	2.84	0.38	0.79	0.20	2.89	-	4.61
18	1.80	-	1.67	1.65	1.68	4.77	-	8.10
19	3.19	-	3.14	3.40	2.99	4.37	-	7.32
20	1.37	3.47	0.16	0.10	0.16	2.99	-	4.07
21	0.10	-	0.10	0.10	1.95	5.37	-	4.22
22	1.82	4.92	1.84	1.83	1.82	4.83	-	6.52

Table 12 Hamming Distance percentage on datasets of NA12878. Each row corresponds to a chromosome. The dataset consists of all reads aligned to the chromosome. We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

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Chrom.	HapCHAT	HapCol	WhatsHap	WhatsHap	HapCUT2	ReFHap	ProbHap	FastHare
cinoin.		Tapeor	cov. 15x	cov. 20x	napco12	Rei Hap		rastriare
1	91098	-	91668	91677	89249	-	-	84863
2	210603	-	210098	211732	211732	-	-	177388
3	229835	-	227732	229835	229655	-	-	170494
4	90639	-	91034	90639	89868	-	-	84861
5	99011	-	99012	99567	98900	-	-	91745
6	94780	-	94200	94780	93894	-	-	85483
7	156573	-	155773	155773	155209	-	-	135095
8	90928	-	91069	90836	90661	-	-	84076
9	85172	-	85655	85469	85655	82917	-	80957
10	123171	-	123171	123224	122317	114172	-	112861
11	84153	-	84108	84108	84237	81526	-	79057
12	224308	-	224308	228356	224308	190161	-	174540
13	229318	-	228310	228310	227286	178173	-	175124
14	243192	-	243192	227040	220294	186476	-	181826
15	180874	153527	173950	176529	176529	147339	-	138185
16	193611	160049	193611	190884	189342	158848	-	152960
17	162690	151262	163789	163789	162328	140216	-	133887
18	93705	-	94210	93705	94210	87076		83383
19	62662	-	62662	62568	62233	59716	-	58694
20	165921	163062	165921	176807	165921	140498	-	140034
21	222171	-	222769	221786	222171	149165	-	146675
22	82618	73223	85112	82618	85112	72117	-	70718

Table 13 QAN50 results of the tools on datasets of NA12878. Each row corresponds to a chromosome. The dataset consists of all reads aligned to the chromosome. We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare. The best result (lowest value) for each dataset is boldfaced.

Chrom.	НарСНАТ	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
1	20183	-	3300	41626	6301	-	-	980
2	21913	-	3686	46937	6758	-	-	1075
3	19325	-	2994	38040	5536	-	-	776
4	21744	-	3031	40083	5998	-	-	862
5	18416	-	2943	36674	5169	-	-	790
6	17792	-	2658	35189	5640	-	-	759
7	14321	-	2409	32550	4429	-	-	744
8	15930	-	2421	29902	4578	-	-	669
9	11307	-	1886	23586	3369	86913	-	635
10	13943	-	2244	27638	3914	86941	-	670
11	13291	-	1983	25419	3916	86833	-	567
12	12684	-	1916	25865	4054	86814	-	554
13	11100	-	1474	20288	2952	86686	-	406
14	9017	-	1265	17658	2644	86684	-	384
15	6934	63221	1114	14218	2102	86700	-	368
16	7426	69771	1265	16323	2589	86783	-	461
17	6460	54037	956	12312	1832	86669	-	312
18	8440	-	1152	15794	2497	86671	-	353
19	3625	-	826	10368	1617	86668	-	296
20	5878	55032	827	11815	1594	86600	-	243
21	3561	-	560	7508	1308	86585	-	226
22	2835	31617	505	7059	1002	86568	-	195

Table 14 Time in seconds on datasets of NA12878. Each row corresponds to a chromosome. Thedataset consists of all reads aligned to the chromosome. We report the results obtained by runningthe tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap.No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare.

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Chrom.	HapCHAT	HapCol	WhatsHap cov. 15x	WhatsHap cov. 20x	HapCUT2	ReFHap	ProbHap	FastHare
1	6361	-	2983	13259	3351	-	-	3050
2	7082	-	3173	13938	3362	-	-	3056
3	6180	-	2669	12672	3329	-		3041
4	7531	-	2685	12959	3334	-	-	3046
5	5882	-	2551	12364	3320	-		3033
6	5649	-	2325	12120	3312	-	-	3031
7	4597	-	2080	11167	3309	-		3022
8	5075	-	2091	11164	3302	-	-	3023
9	3583	-	1639	9345	3285	17915	-	3009
10	4059	-	1819	10164	3303	9766	-	3017
11	3965	-	1814	10135	3290	9632	-	3018
12	4011	-	1787	10229	3288	13984	-	3016
13	7950	-	1449	8982	3267	8371	-	3006
14	2857	-	1281	8198	3261	10024	-	2998
15	2232	8437	1077	7370	3257	8302	-	2993
16	3116	19698	1128	7703	3263	10328		2995
17	7844	7845	962	6737	3253	5941		2990
18	3542	-	1152	7810	3254	15868	-	2995
19	1721	-	793	6055	3244	8808		2983
20	8496	9966	865	6612	3242	7973	-	2985
21	1329		611	5211	3229	7852	-	2977
22	3324	7782	542	4912	3225	7904	-	2975

Table 15 Peak of RAM usage in Megabytes of the tools on datasets of NA12878. Each row corresponds to a chromosome. The dataset consists of all reads aligned to the chromosome. We report the results obtained by running the tools with maximum coverage $30 \times$ for HapCHAT, $25 \times$ for HapCol, $15 \times$ and $20 \times$ for WhatsHap. No maximum coverage was set for HapCUT2, ReFHap, ProbHap, and FastHare.

Chr Data	.1 Avg. Cov.	4 to 7	5 to 8
Ashkenazim	Cov. 25 Cov. 30 Cov. 35 Cov. 40 Cov. 45 Cov. 50 Cov. 55 Cov. 60	35556 35581 35593, 42897 3528 46338, 46339	
Simulated	Cov. 25 Cov. 30 Cov. 35 Cov. 40 Cov. 45 Cov. 50 Cov. 55 Cov. 60	35569, 38788 35594, 38815, 38817 38827 38837 38844	26778 26800 26811 38834, 38835, 38836 38842 38849

Table 16 List of SNV positions when the adaptive procedure of subsection Adaptive k-cMEC was activated for real Ashkenazim and simulated datasets of Chromosome 1. For each dataset, its row is identified by its average coverage (Avg. Cov.). The positions in column '4 to 7' are those for which the number of corrections was increased from 4 to 7, and similarly for the column '5 to 8'.

Ashkenazim	Cov. 25	Cov. 30	Cov. 35	Cov. 40	Cov. 45	Cov. 50	Cov. 55
Cov. 30	75/2/4	1- 1-					
Cov. 35	72/4/7	74/2/3					
Cov. 40	71/6/8	74/4/4	75/2/1				
Cov. 45	71/6/8	73/4/4	75/2/1	77/0/0			
Cov. 50	70/7/9	72/5/5	73/4/3	75/2/2	75/2/2		
Cov. 55	71/6/8	73/4/4	73/4/3	75/2/2	75/2/2	75/2/2	
Cov. 60	71/7/8	73/5/4	73/5/3	75/3/2	75/3/2	75/3/2	76/2/1

Table 17 Comparison of the switch error positions on the Ashkenazim datasets of Chromosome 1 obtained with HapCHAT. For each pair of datasets having different coverages, we report the number of positions in which a switch error occurred as follows: those in common between the two datasets, those only found in the dataset of the row, and those only found the dataset of the column, respectively.