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Comparison of single genome and allele frequency data reveals discordant demographic histories

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48 **ABSTRACT.** Inference of demographic history from genetic data is a primary goal of 49 population genetics of model and non-model organisms. Whole genome-based approaches such 50 as the Pairwise/Multiple Sequentially Markovian Coalescent (PSMC/MSMC) methods use 51 genomic data from one to four individuals to infer the demographic history of an entire 52 population, while site frequency spectrum (SFS)-based methods use the distribution of allele 53 frequencies in a sample to reconstruct the same historical events. Although both methods are 54 extensively used in empirical studies and perform well on data simulated under simple models, 55 there have been only limited comparisons of them in more complex and realistic settings. Here 56 we use published demographic models based on data from three human populations (Yoruba 57 (YRI), descendants of northwest-Europeans (CEU), and Han Chinese (CHB)) as an empirical test case to study the behavior of both inference procedures. We find that several of the 58 59 demographic histories inferred by the whole genome-based methods do not predict the genome-60 wide distribution of heterozygosity nor do they predict the empirical SFS. However, using 61 simulated data, we also find that the whole genome methods can reconstruct the complex 62 demographic models inferred by SFS-based methods, suggesting that the discordant patterns of 63 genetic variation are not attributable to a lack of statistical power, but may reflect unmodeled 64 complexities in the underlying demography. More generally, our findings indicate that 65 demographic inference from a small number of genomes, routine in genomic studies of non-66 model organisms, should be interpreted cautiously, as these models cannot recapitulate other 67 summaries of the data.

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INTRODUCTION

71 The Pairwise Sequentially Markovian Coalescent (PSMC) and related methods have 72 become a popular tool to estimate the history of a population from genetic variation data 73 (McVean and Cardin 2005; Li and Durbin 2011; Schiffels and Durbin 2014). These methods use 74 whole genome sequences from one to four individuals to infer the demographic history of an 75 entire population. Specifically, they estimate the local time to the most recent common ancestor 76 (TMRCA) for small regions in the genome, then use the distribution of these coalescent times to 77 infer an overarching demographic history. For instance, if many regions of the genome coalesce 78 at a specific time, it may be evidence for a population contraction, which would reduce the 79 number of genetic lineages. The great appeal of these methods is that they do not rely on deep 80 sequencing of multiple individuals in a population; instead, a single genome can be used to infer 81 the demographic history of an entire population. PSMC and its successors have been used to 82 infer the demographic histories and split times of many human populations (Li and Durbin 2011: 83 Kidd et al. 2012; Schiffels and Durbin 2014; 1000 Genomes Project Consortium 2015; Henn et 84 al. 2016), and were recently featured in three prominent articles that reconstructed human history 85 using whole genome sequencing data from over 20 populations (Malaspinas et al. 2016; Mallick et al. 2016; Pagani et al. 2016). 86

PSMC plots have also become a cornerstone of many studies of non-model organisms
lacking resources for the sequencing of numerous individuals, including archaic hominins
(Meyer *et al.* 2012; Prufer *et al.* 2014), great apes (Prado-Martinez *et al.* 2013), wild boars and
domestic pigs (Groenen *et al.* 2012; Bosse *et al.* 2014), canids (Freedman *et al.* 2014; Wang *et al.* 2016), horses (Orlando *et al.* 2013), over 38 bird species (Nadachowska-Brzyska *et al.* 2013;

92 Hung et al. 2014; Nadachowska-Brzyska et al. 2015; 2016; Murray et al. 2017), pandas (Zhao et 93 al. 2012), dromedaries (Fitak et al. 2016), flowering plants (Albert et al. 2013; Ibarra-Laclette et 94 al. 2013; Holliday et al. 2016), and even woolly mammoths (Palkopoulou et al. 2015). 95 Despite their wide-spread prominence, there is concern over the validity of demographic 96 models obtained from this set of whole genome-based methods. Particularly, Mazet et al. (2015) 97 found that PSMC captures the inverse instantaneous coalescent rate (IICR) rather than an 98 absolute measure of population size. The IICR corresponds to the effective population size if the 99 population is panmictic, but it can differ from the population size due to gene flow and 100 population structure which affect the time to coalescence between subgroups. Thus, population 101 structure can give a false signal of population growth or contraction – a notorious problem in 102 demographic inference (Ptak and Przeworski 2002; Chikhi et al. 2010; Peter et al. 2010; 103 Gattepaille et al. 2013; Heller et al. 2013; Mazet, Rodriguez, and Chikhi 2015; Mazet, 104 Rodriguez, Grusea, et al. 2015; Orozco-terWengel 2016). Given these possible confounders, the 105 degree to which whole genome-based plots derived from PSMC and its successors correspond to 106 actual population size changes, rather than other demographic phenomena, remains unclear. 107 An alternative approach to infer population demography from genetic data uses the site 108 frequency spectrum (SFS). The SFS represents the distribution of alleles at different frequencies 109 in a sample of individuals from a population (Nielsen 2000; Wakeley 2009). The distribution of 110 single nucleotide polymorphisms (SNPs), ranging from rare 'singletons' which appear only once 111 in the sample, to high-frequency variants that may appear in the majority of individuals, is 112 directly affected by the demographic history of the population (Nielsen 2000; Wakeley 2009). 113 Population contractions ('bottlenecks') can lead to a dearth of rare variants (Nei *et al.* 1975),

114 whereas a rapid population expansion can lead to an overabundance (Tajima 1989; Slatkin and 115 Hudson 1991; Keinan and Clark 2012). The SFS is a sufficient statistic for unlinked SNPs and 116 has been used extensively in population genetic inference of demography (Nielsen 2000; 117 Polanski and Kimmel 2003; Adams and Hudson 2004; Marth et al. 2004; Keinan et al. 2007; 118 Gutenkunst et al. 2009; Gravel et al. 2011; Excoffier et al. 2013). SFS-based demographic 119 inference has been implemented in programs such as $\partial a \partial i$ (Gutenkunst *et al.* 2009), moments 120 (Jouganous et al. 2017), fastsimcoal2 (Excoffier et al. 2013), stairway plot (Liu and Fu 2015), 121 fastNeutrino (Bhaskar et al. 2015), and others (Schraiber and Akey 2015). The SFS requires less 122 sequence data per individual than the whole genome methods, but requires a greater number of 123 individuals to be studied, with a minimum of ten per population typically used (Gutenkunst et al. 124 2009; Excoffier et al. 2013). While the SFS is impractical if one can only sequence one or two 125 individuals per population, population genomic studies based on many short loci scattered 126 throughout the genome are beginning to be carried out on non-model organisms. RAD-seq data 127 or gene transcript data from RNA-seq can readily be used for SFS-based demographic inference 128 (McCoy et al. 2014; Trucchi et al. 2014; Sovic et al. 2016). 129 SFS-based and whole genome-based methods may have different strengths and

130 weaknesses for demographic inference (Schraiber and Akey 2015). Theoretical and empirical

131 data show that SFS-based approaches using large numbers of individuals can accurately estimate

recent population growth (Nelson *et al.* 2012; Tennessen *et al.* 2012; Gazave *et al.* 2013;

133 Bhaskar *et al.* 2015; Gao and Keinan 2016). In contrast, whole genome-based methods are less

- able to do so (Li and Durbin 2011). Recently, however, Schiffels and Durbin (2014) developed
- the multiple sequentially Markovian coalescent (MSMC), an extension to PSMC that uses the

SMC' algorithm (Marjoram and Wall 2006) and can infer demography from two, four or eight
haplotypes (also known as PSMC' when inferring from two haplotypes). The incorporation of
multiple genomes in MSMC is specifically meant to improve estimates of recent growth
(Schiffels and Durbin 2014).

140 The SFS may be limited in the degree to which it can detect ancient bottlenecks $> 2N_e$ 141 (effective population size) generations ago and in its ability to detect population declines 142 (Bunnefeld et al. 2015; Terhorst and Song 2015; Boitard et al. 2016). Whole genome-based 143 approaches are not constrained *a priori* by the number of population size changes as is common 144 in the SFS-based approaches (but see the "stairway plot" approach of Liu and Fu (2015)). They 145 therefore often give information about events occurring millions of years ago, but the reliability 146 of those results remains uncertain (Li and Durbin 2011). Further, demographic models inferred 147 from human populations using the SFS were unable to recapitulate the empirical distribution of 148 identity by state (IBS) tracts across the genome, while PSMC-derived models and a new IBS-149 derived model were better able to match the IBS tract distribution (Harris and Nielsen 2013). 150 However, the IBS-derived model did not predict the empirical SFS. 151 Due to these different strengths and weaknesses of approaches using a single type of data, 152 new methods have been developed which attempt to combine linkage disequilibrium (LD) 153 information and the SFS (Bunnefeld et al. 2015; Boitard et al. 2016; Terhorst et al. 2017; 154 Weissman and Hallatschek 2017). One of the most recent is Terhosrt, Kamm and Song's (2017) 155 method, SMC++, which combines a PSMC-like approach with the SFS to condition an SFS 156 calculated from many individuals on the distribution of TMRCA from a single unphased 157 genome. This approach is fast and potentially very powerful, but has the same barrier to entry for

158 those studying non-model organisms as the other SFS methods, as it requires sequence data from 159 many individuals.

160 Due to anthropological and biomedical interest, humans are an organism that has been 161 extensively studied using numerous demographic inference methods and provide a means to 162 quantitatively compare these demographic inference approaches using the same empirical 163 populations. Gutenkunst et al. (2009) and Gravel et al. (2011) carried out SFS-based inference of 164 human demography using the diffusion approximation in $\partial a \partial i$, while Li and Durbin (2011) and 165 Schiffels and Durbin (2014) estimated human demography from the same populations using 166 PSMC and MSMC, respectively. Although the results are in some ways generally similar, the 167 demographic models inferred for three human populations using MSMC (Schiffels and Durbin 168 2014) differ from demographic models for the same populations derived from SFS-based 169 methods (Gutenkunst et al. 2009). MSMC infers ancient ancestral sizes and periods of growth 170 and decline (the characteristic "humps" in MSMC trajectories) that were not detected in the SFS-171 derived models as well as inferring greater recent growth (Figure 1). The models inferred using 172 MSMC also vary depending on the number of genomes used for the inference (Figure 1). 173 Terhorst et al. (2017) analyzed the same populations with the combined whole genome 174 and SFS method, SMC++, finding an ancestral size more in line with Gutenkunst et al.'s (2009) 175 model, but with greater recent growth and ancestral bottlenecks more resembling the MSMC 176 models (Figure 1). The reasons why these approaches to demographic inference yield different 177

178 Here we leverage humans as a model system to perform an empirical comparison of the 179 performance of whole genome, SFS, and combined methods of demographic inference.

estimates remain poorly understood.

Specifically, we determine which published models of human demography described above
(Figure 1) best fit the empirical distributions of genome-wide heterozygosity, LD decay, and the
observed SFS.

183 We find that the models inferred using the SFS or the combined method SMC++ 184 accurately recapitulate heterozygosity and the observed SFS. Among the MSMC models inferred 185 by Schiffels and Durbin (2014), only the MSMC models based on a single genome were able to 186 accurately recapitulate heterozygosity, and none of the MSMC models predicted an SFS that 187 matched the empirical SFS. None of the demographic histories accurately predicted LD decay, 188 but the histories derived from MSMC using four genomes (8 haplotypes), the SFS, and SMC++ 189 based models fit better than the MSMC models based on one or two genomes. Our results 190 provide a cautionary tale against the literal interpretation of demographic models inferred using 191 one type of data, instead arguing for considering multiple summaries of the data when making 192 detailed demographic inferences in non-model species. 193 194 **METHODS** 195 Published demographic models used in this study 196 We determined which, if any, of the published models of human demography (Figure 1) 197 described below could accurately predict multiple summaries of the genetic variation data. 198 Demographic models that fit the data well should produce patterns of genetic variation that 199 match the empirical patterns in the data. We focused on three human populations: Utah residents

200 with Northern and Western European ancestry from the Centre d'Etude du Polymorphism

Humain (CEPH) collection (CEU), Han Chinese in Beijing, China (CHB), and Yoruba in Ibadan,
Nigeria (YRI).

The first set of demographic models was jointly inferred for the three populations in $\partial a \partial i$ by Gutenkunst *et al.* (2009) using a three-population joint SFS based on data from intronic regions. Their model parameters were made available both in $\partial a \partial i$ and Hudson's ms (Hudson 2002) format, and include gene flow between the three populations (here referred to as the "Gutenkunst" model).

The next nine models were inferred by Schiffels and Durbin (2014) using whole genome
Complete Genomics (Drmanac *et al.* 2010) sequence data of two, four and eight statistically

210 phased genomic haplotypes (1, 2 and 4 individual genomes) per population to infer demographic

histories using MSMC (here referred to as the "MSMC 2-Haplotype", "MSMC 4-Haplotype",

and "MSMC 8-Haplotype" models; **Supplementary Note 1**).

213 To analyze their models with $\partial a \partial i$, we converted these nine demographic models (CEU,

214 CHB, YRI populations, each based on two, four and eight haplotypes) into step-wise models of

215 population size changes over small time intervals (Supplementary Note 2, Figure S1).

The final set of models was inferred by Terhorst *et al.* (2017) in SMC++, a combined SFS plus whole genome approach. For the whole genome portion of the analysis, they used high coverage sequence data from Complete Genomics, and generated an SFS based on a combination of 1000 Genomes and Complete Genomics whole genome data for each population (Drmanac *et al.* 2010; 1000 Genomes Project Consortium 2015; Terhorst *et al.* 2017). We converted these SMC++ models to $\partial a \partial i$ and ms format in the same manner as the MSMC models (here referred to as the "SMC++" models; **Supplementary Note 2**).

223 Heterozygosity predicted by demographic models

224	We compared the distribution of expected heterozygosity from data simulated under each
225	demographic model to empirical 1000 Genomes data from the same populations in order to
226	determine which models most accurately predict this broad summary of the data (Figure 2;
227	Table S1). While heterozygosity is a summary of the SFS, we considered it valuable to examine
228	both statistics since information regarding the spatial correlation among SNPs along the genome
229	is lost in the genome-wide SFS. The distribution of heterozygosity across windows of the
230	genome retains some spatial information and is more similar to what is used by the MSMC
231	inference approach.
231 232	inference approach. <i>Empirical heterozygosity:</i> 1000 Genomes data from the CEU, CHB and YRI populations were
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232 233	<i>Empirical heterozygosity:</i> 1000 Genomes data from the CEU, CHB and YRI populations were downloaded. Ten unrelated individuals per population (see Supplementary Note 3 for sequence
232 233 234	<i>Empirical heterozygosity:</i> 1000 Genomes data from the CEU, CHB and YRI populations were downloaded. Ten unrelated individuals per population (see Supplementary Note 3 for sequence IDs) were randomly chosen so that comparisons could be made with Gutenkunst <i>et al.</i> 's (2009)

Expected heterozygosity per site (π) was calculated in non-overlapping 100kb windows
from the whole genome data (Supplementary Note 3) as:

240
$$\pi = \frac{n}{n-1} \frac{\sum_{i=1}^{L} 2p_i(1-p_i)}{L}$$

where *p* is the frequency of one allele, *L* is the total number of callable sites in the window, and *n* is number of sampled chromosomes (n = 20 for 10 diploid individuals).

Because genetic variation can be affected by linked natural selection (Gazave *et al.* 2014;
Schrider *et al.* 2016), we also calculated expected heterozygosity for a set of 6333 x 10kb neutral

windows that were selected using the Neutral Region Explorer (NRE) (Arbiza *et al.* 2012)

246 (Supplementary Note 3; Figure S2). The NRE is a useful tool that allows for the quick

247 identification of putatively neutral regions that have high recombination rates and high *B*-values

- 248 (indicating less linked selection). For the full set of parameters used in selection of putatively
- 249 neutral regions, see **Supplementary Note 3**.

250 Simulated heterozygosity: For each demographic model, whole genome data for 10 individuals

were simulated in MaCS (Chen *et al.* 2009) over 20,000 x 100kb independent blocks, each with

a different recombination rate drawn from the distribution of recombination rates calculated by

253 Phung et al. (2016) from the pedigree-based genetic map assembled by the deCODE project

254 (Kong *et al.* 2010). Additionally, 6300 x 10kb independent blocks per 10 individuals were

simulated for comparison to the neutral regions from the 1000 Genomes dataset (1000 Genomes

256 Project Consortium 2015). Each 10kb block was simulated using a recombination rate matched

to that of one of the empirical neutral 10kb windows, linearly interpolated from the deCODE

258 project (Kong et al. 2010). For both sets of simulations, the expected heterozygosity across the

259 10 individuals was calculated using the equation above in msstats (Hudson 2002).

260

261 Linkage disequilibrium decay predicted by demographic models

We calculated LD between pairs of SNPs using genotype data from 10 individuals from each of the four populations in the 1000 Genomes Project data. We removed singletons and sites where all ten individuals were homozygous for the reference allele and then calculated genotype r^2 using vcftools (Danecek *et al.* 2011). All pairs of SNPs were then placed into bins based on their physical distance (bp) between each other, from 0-1000bp (bin 1) to 50,000-51,000bp (bin 267 51). Within each bin, the average r^2 was calculated by dividing the sum of r^2 values of each pair 268 of SNPs in the bin by the total number of SNP pairs in that bin.

269 The same procedure was carried out for the data simulated in MaCS (Chen et al. 2009) 270 that were used for the calculations of heterozygosity above. The MaCS output was converted to vcf format using a custom bash script. Genotype r^2 was calculated in vcftools (Danecek *et al.* 271 272 2011) for each 100kb simulated window, the SNP pairs were binned by distance, and average r^2 273 was calculated as described above. The MSMC 8-Haplotype YRI and MSMC 4-Haplotype CEU, 274 CHB and YRI models have extremely large ancestral sizes, and so their simulations involve so 275 many SNPs that the LD calculations become highly computationally intensive. Therefore, for 276 these models only 5000 x 100kb blocks were used for LD decay calculations, with 20,000 x 277 100kb blocks used for the other models. We experimented with down-sampling the results and 278 found no change in the LD decay curve due to the smaller amount of data. 279 To demonstrate that the use of the SMC' approximation in the MaCS (Chen et al. 2009) 280 simulator was not biasing our estimates of LD, we simulated data in the manner described above 281 under a simple model of extreme population decline (from 100,000 ancestral individuals to 1000) 282 using both MaCS and MSMS (Ewing and Hermisson 2010) (which does not use the SMC'

approximation) and ran it through the same LD decay pipeline used for our other simulated data(Figure S3).

285

286 SFS predicted by demographic models

We used the diffusion approximation in ∂a∂i (Gutenkunst *et al.* 2009) to calculate the
expected SFSs under the Gutenkunst, MSMC 2-Haplotype, MSMC 4-Haplotype, MSMC 8-

289	Haplotype, and SMC++ models for the CEU, CHB and YRI populations. We compared the SFSs
290	expected under each of these models both to the empirical SFS used by Gutenkunst et al. (2009)
291	to infer the demographic histories of these three populations ("Observed (Gutenkunst)", Figure
292	4-5) as well as to the SFSs based on low-coverage 1000 Genomes whole genome sequencing
293	data ("1000 Genomes (Whole Genome)", Figure 6) and SFSs based on putatively neutral
294	regions in the 1000 Genomes dataset ("1000 Genomes (Neutral)", Figure 6). We assessed the fit
295	of different models to the observed SFS by comparing their log-likelihoods (see below,
296	Supplementary Note 4; Table 1, S2-S4).
297	
298	Empirical SFSs: The primary empirical SFSs used in our comparisons were produced by
299	Gutenkunst et al. (2009) and used to infer the joint demographic histories of CEU, CHB and YRI
300	populations in their study ("Observed (Gutenkunst)"). As described in their supplementary
301	information, the joint SFS represents 4.04Mb of Sanger sequencing data from 10 diploid
302	individuals per population for a total of 17,446 segregating SNPs polarized against chimp, with a
303	correction for ancestral misidentification applied. We marginalized the SFS using $\partial a \partial i$
304	(Gutenkunst et al. 2009), in order to have one SFS per population (Figure 4, 5).
305	In order to make sure our results were consistent with SFSs derived from other
306	sequencing methodologies and different genomic regions, we also generated folded proportional
307	genome-wide and neutral SFSs from the 1000 Genomes data described above ("1000 Genomes
308	(WG)" and "1000 Genomes (Neutral)") (1000 Genomes Project Consortium 2015)
309	(Supplementary Note 3; Figure 6, S7).

310 *Expected SFSs under published demographic models:* Expected SFSs for a sample size of 10

diploid individuals were calculated in $\partial a \partial i$ (2009) for each of the published demographic models

extrapolating calculations across three grid points (40, 50, 60) (Figure 4, 5). To test whether the

effect of differences in mutation rate between the studies may be responsible for discrepancies,

314 we also considered an alternative scaling of the MSMC models using a higher mutation rate

315 (Supplementary Note 5).

We generated both the proportional (**Figure 4, S5**) and absolute (i.e. SFS based on SNP counts) SFSs (**Figure 5, S6**). The proportional SFS was calculated by dividing each bin of the SFS output by $\partial a \partial i$ by the sum of the bins. The absolute SFS was calculated by scaling the SFS output by $\partial a \partial i$ (which is relative to $\theta = 1$) by:

320

$$\theta = 4N_{Ai}\mu L$$

where N_{Ai} is the oldest ancestral size inferred in each model and L is the sequence length 321 322 (4.04Mbp), in Gutenkunst et al. (2009). θ for the Gutenkunst model used the authors' preferred mutation rate, $\mu = 2.35 \times 10^{-8}$ mutations per base per generation, and θ for the MSMC and 323 SMC++ models used the authors' preferred mutation rate of $\mu = 1.25 \times 10^{-8}$ mutations per base per 324 325 generation (see **Supplementary Note 5** for scaling using alternate mutation rates). 326 Assessing SFS fit: Log-likelihoods were calculated for each proportional SFS relative to the each 327 of the three observed SFSs (Observed (Gutenkunst), 1000 Genomes (Whole Genome), and 1000 328 Genomes (Neutral)) using a multinomial log-likelihood (Supplementary Note 4; Table 1, S2, 329 S4). The fit of different models was compared by examining their decrease in log-likelihood

compared to that of each of the observed SFSs to itself (Supplementary Note 4; Table 1, S2,

S4). Due to the uncertainty of singleton SNP calls using high-throughput sequencing data, log-

likelihoods were calculated both with singletons and with the SFS renormalized without the
singletons category when comparing to the 1000 Genomes SFSs (Figure S7; Table S4).
Log-likelihoods were calculated for each absolute SFS (in terms of SNP counts) using a
Poisson likelihood relative to the Observed (Gutenkunst) SFS (Supplementary Note 4; Table
S36
S3).

337 Effect of Uncertainty in Ancestral Population Size

To investigate whether changing the ancestral population size (N_A) in the MSMC trajectories would result in SFSs that better fit the observed SFS, we adjusted the CEU MSMC 2-Haplotype model to have a variety of N_A values. We also trimmed the model to remove ancient events (older than 225.5 kya) to better match the time period (in years) encompassed by the Gutenkunst *et al.*'s (2009) model. These adjusted stepwise models were then used to calculate the expected SFS in $\partial a \partial i$, as above. **Supplementary Note 7** describes the values of N_A used when testing the trimmed and untrimmed models (**Figure S10-S13**).

346 MSMC Population Size Trajectories for Demographic Models Inferred from the SFS

To determine whether MSMC is capable of inferring a demography as complex as the one inferred in the Gutenkunst model, we used coalescent simulations to generate long chromosomal sequence data for each population under the Gutenkunst *et al.* (2009) inferred demographic model (see Gutenkunst *et al.*'s (2009) Figure 2B and Table 1 for full model), then ran MSMC on these simulated datasets to assess whether the program is capable of recovering the underlying demographic model.

353

Simulations were carried out using MaCS (Chen et al. 2009). For each population, we

simulated 50 replicate "genomes," made up of 80 independent 30Mb "chromosomes," each made
up of 300 linked 100kb recombination blocks, with per-block recombination rates calculated by
Phung *et al.* (2016) from the pedigree-based genetic map assembled by the deCODE project
(Kong *et al.* 2010).

358 Each simulated genome was then used for a separate MSMC inference, using the default 359 parameters (Schiffels and Durbin 2014) (Figure 7A). To determine whether these inferred 360 MSMC trajectories would lead to SFSs matching those predicted by Gutenkunst et al.'s (2009) 361 model, the MSMC trajectories were averaged and the average was converted into a step-wise 362 $\partial a \partial i$ model. This model was then used to calculate the expected SFS under the averaged model 363 based on simulated data (Figure 7B-C). The multinomial and Poisson log-likelihoods for the 364 proportional and SNP count SFSs were calculated as described in Supplementary Note 4 365 (Table S2, S3).

366 *Extreme Recent Growth and Neanderthal Admixture:* We simulated data under more complex

367 demographic histories, first to explore MSMC 2-Haplotype and 8-Haplotype's relative abilities

to infer extreme recent growth, then to determine whether the addition of Neanderthal admixture

369 may lead to MSMC trajectories resembling those inferred from real data by Schiffels and Durbin

370 (2014) (**Supplementary Note 6; Figure S8-S9**).

371

372 Data Availability

373 All code to simulate data under each demographic model and calculate heterozygosity and

generate the SFS from simulated and empirical data are available on GitHub:

375 github.com/LohmuellerLab/Compare_Demographic_Models

376	RESULTS
377	We compared published models of demography for three human populations (CEU,
378	CHB, YRI) inferred using different methods for demographic inference: (1) using the SFS in
379	∂a∂i ("Gutenkunst") (Gutenkunst et al. 2009); (2) using whole genomes in MSMC ("MSMC 2,
380	4, 8-Haplotype") (Schiffels and Durbin 2014); (3) using a combined SFS plus whole genome
381	approach in SMC++ ("SMC++") (Terhorst et al. 2017). The evaluation of the MSMC models
382	involves three models per population because Schiffels and Durbin's (2014) inference was
383	carried out using 2, 4, or 8 chromosomal haplotypes (from one, two and four individuals),
384	sometimes resulting in fundamentally different demographic parameter estimates. We evaluated
385	whether the method's performance was improved using certain numbers of haplotypes.
386	
387	Heterozygosity predicted by demographic models
388	The distribution of expected heterozygosity across 100kb and 10kb blocks was calculated
389	from data simulated under each published demographic model for each of the three populations
390	and compared to empirical distributions of heterozygosity based on whole genome and putatively
391	neutral sequence data from the 1000 Genomes project.
392	We find that the Gutenkunst demographic model inferred from the SFS, the MSMC 2-
393	Haplotype model and the SMC++ model all yielded distributions of heterozygosity that resemble
394	the empirical whole genome distribution of heterozygosity, with MSMC 2-Haplotype fitting the
395	mean most closely (Figure 2). However, we found that the higher haplotype MSMC models
396	(MSMC 4-Haplotype and 8-Haplotype) yielded distributions of heterozygosity that were highly
397	divergent from the empirical distribution (Figure 2; Table S1).

398	The MSMC 4-Haplotype models fit worst due to their extremely high inferred ancestral
399	size across all three populations (Figure 1; Table S2; CEU: 187,514; CHB: 191,238; YRI:
400	205,845 individuals, compared to 4,000-40,000 individuals in the other models), with mean
401	whole genome heterozygosity distributions nearly 7x larger than that of the empirical whole
402	genome distribution (Figure 2; Table S1). The MSMC 8-Haplotye model for YRI infers a
403	similarly large ancestral size and has a similarly high mean heterozygosity to the 4-Haplotype
404	YRI model. The MSMC 8-Haplotype models for CEU and CHB, however, infer much lower
405	ancestral sizes (CEU: 2,147, CHB: 5,666) (Figure 1). Due to the low ancestral size, these models
406	also do not fit the empirical distribution well, yielding distributions of heterozygosity with means
407	that are 2-4x lower than the empirical distributions.
407 408	that are 2-4x lower than the empirical distributions. When examining the 1000 Genomes data, we found that heterozygosity in the neutral
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408 409 410	When examining the 1000 Genomes data, we found that heterozygosity in the neutral regions was higher than that seen for the genome wide distribution of heterozygosity calculated in 10kb windows (Table S1 ; e.g. CEU mean heterozygosity per site, whole genome: 7.8x10 ⁻⁴ vs.
408 409 410 411	When examining the 1000 Genomes data, we found that heterozygosity in the neutral regions was higher than that seen for the genome wide distribution of heterozygosity calculated in 10kb windows (Table S1 ; e.g. CEU mean heterozygosity per site, whole genome: 7.8×10^{-4} vs. neutral: 9.4×10^{-4}), suggesting that natural selection has directly and/or indirectly affected
408 409 410 411 412	When examining the 1000 Genomes data, we found that heterozygosity in the neutral regions was higher than that seen for the genome wide distribution of heterozygosity calculated in 10kb windows (Table S1 ; e.g. CEU mean heterozygosity per site, whole genome: 7.8×10^{-4} vs. neutral: 9.4×10^{-4}), suggesting that natural selection has directly and/or indirectly affected genome-wide patterns of heterozygosity. When the published demographic models were

416 Linkage disequilibrium predicted by demographic models

417 None of the published demographic models could perfectly recapitulate the empirical LD
418 decay curve (Figure 3). For SNP pairs less than 10kb apart, the MSMC-8 Haplotype model
419 comes closest to the empirical curve for the CEU and CHB populations (Figures 3A and 3B),

420	but underestimates the amount of LD, while all other models predict too much LD. The
421	Gutenkunst and SMC++ models predict similar LD curves and are closer to the empirical curve
422	than the MSMC 2-Haplotype and 4-Haplotype models. For YRI SNP pairs less than 10kb apart,
423	SMC++ and MSMC 8-Haplotype predict similar LD decay curves and are close to the empirical
424	distribution, with Gutenkunst still fitting better than MSMC 2-Haplotype and 4-Haplotype
425	(Figure 3C). At distances greater than 10kb apart, all demographic models predict there to be
426	more LD than seen in the empirical data (Figure 3).
427	We found that the lack of fit is not due to the use of the SMC' approximation in the
428	simulator MaCS (Chen et al. 2009), as both MaCS and MSMS (Ewing and Hermisson 2010), a
429	coalescent simulator which does not use the SMC' approximation, yielded highly similar LD
430	decay curves when simulating data under the same simple population contraction model (Figure
431	S3).
432	
433	SFS predicted by demographic models
434	Lastly, we examined which of the demographic models could match the SFS of the
435	empirical data. To account for the possibility of overfitting the SFS-based Gutenkunst model to
436	the SFS it was inferred from, we also compared all models to empirical SFSs based on low-
437	coverage high-throughput 1000 Genomes sequence data from the same three populations.

Comparing to the observed Gutenkunst SFS: For each population, the SFSs predicted by
the three MSMC models do not match the empirical proportional SFS from Gutenkunst *et al.*(2009), regardless of the mutation rate or number of genomes used (Figure 4, S5; Table 1, S2).
The expected SFS based on the Gutenkunst *et al.* (2009) demographic history matches the

observed SFS closely, being only 9 log-likelihood units worse than the best possible fit
(comparing the empirical SFS to itself) for CEU, 48 units worse for CHB, and 17 units worse for
YRI (Table 1). In comparison, the best fitting MSMC models for each population are 152, 188
and 373 log-likelihood units below the best possible fit (Table 1). The combined whole genome
plus SFS method SMC++ has an intermediate fit, with a log-likelihood well below the
Gutenkunst model, but consistently better than any of the MSMC models (Table 1).

448 Interestingly, there is not consistent improvement in fit to the observed SFS when

449 increasing the number of individuals used for the MSMC inference. For each population, the 4-

450 Haplotype model has the worst fit (Figure 4; Table 1). For CEU and YRI, the MSMC 2-

451 Haplotype models fit best of the MSMC models, but both are over 100 log-likelihood units

452 worse than the Gutenkunst model. For CHB, the 8-Haplotype model fits best, but is still 140

453 units worse than the Gutenkunst model (**Table 1**).

454 The above comparisons considered the proportions of SNPs at specific frequencies in the sample. We also performed a comparison of the number of SNPs in each bin of the SFS, the 455 456 absolute SFS, to the observed absolute SFS used in Gutenkunst et al.'s (2009) inference using a 457 Poisson likelihood. The absolute SFS expected under the Gutenkunst et al. (2009) model fits the 458 observed SFS best (Figure 5; Table S3), and is only 9, 49 and 17 log-likelihood units below the 459 best possible fits for CEU, CHB and YRI models, respectively. The SMC++ models have the 460 next best fit to the absolute SFS, but come 86 (CEU), 176 (CHB) and 193 (YRI) log-likelihood 461 units below the best possible fit, followed by MSMC 2-Haplotype which fell 278 (CEU), 378 462 (CHB), and 455 (YRI) below the optimal fit (Table S3). In all three populations, the MSMC 4-463 Haplotype and 8-Haplotype models are thousands of log-likelihood units worse than the best

possible fit, showing no improvement based on using a larger number of individuals in the
inference (Table S3). The over-estimation of SNPs in the 4-Haplotype model is due to the
model's extremely high predicted ancestral size (around 200,000 individuals for each population)
(Table S3).

For both the proportional and absolute SFSs, we found that rescaling the models using a higher mutation rate did not produce large qualitative differences in how the MSMC models fit the observed (Gutenkunst) SFS (**Supplementary Note 5; Figure S4-S6**).

471 Comparing to the folded low-coverage 1000 Genomes SFS: To avoid giving the Gutenkunst 472 model an unfair advantage by fitting all models to the SFS used to infer that particular model, we 473 also compared all models to proportional folded SFSs based on whole genome and neutral data 474 from the 1000 Genomes project (Figure 6, S7). The fit to the empirical singletons bin was poor 475 for all models, except for SMC++, which was, in part, fit to an SFS based on 1000 Genomes 476 data. Calling singletons is notoriously difficult in low-coverage data, making that bin the least reliable in the 1000 Genomes data (Kim et al. 2011; Nielsen et al. 2011; Han et al. 2014; 2015). 477 478 We therefore calculated likelihoods for all models relative to the data both with singletons 479 included and again with the SFSs renormalized without the singletons category (Figure S7; 480 Table S4).

For YRI, the Gutenkunst model is the best fitting model for the whole genome and
neutral 1000 Genomes SFSs, both with and without singletons, with all other models having a
much worse fit (the next best model, SMC++, is hundreds to thousands of log-likelihood units
below the fit of the Gutenkunst model) (Figure 6C; Table S4). For CEU and CHB, if singletons
are included, SMC++ fits the whole genome and neutral 1000 Genomes SFSs best. For CEU, the

Gutenkunst model then fits second-best, with the MSMC models far behind (Figure 6A; Table
S4). For CHB, the MSMC 2-Haplotype fits second-best after SMC++, with the Gutenkunst
model coming third, but both are over 10,000 log-likelihood units below SMC++ (Figure 6B;
Table S4). If singletons are excluded for CEU and CHB, then the Gutenkunst model fits best,
with SMC++ coming in second, and the MSMC models all ranking far below (Table S4).

491

492 Effect of Uncertain Ancestral Population Size

493 The accuracy of ancient ancestral population sizes, particularly more than 3 million years 494 (>100,000 generations) ago, using the whole genome-based methods remains unclear (Li and 495 Durbin 2011). As discussed above, the MSMC 2-Haplotype and 4-Haplotype models infer large 496 ancestral sizes for each population that are not supported by previous inferences of human 497 demographic history (Adams and Hudson 2004; Keinan et al. 2007; Boyko et al. 2008; 498 Gutenkunst et al. 2009; Nielsen et al. 2009; Gravel et al. 2011). We hypothesized that these 499 extreme ancestral sizes, as well as ancient bottlenecks and population growth (the signature 500 "humps" of MSMC trajectories), which do not appear in demographic models inferred using 501 other methods, could be artifacts that are causing the SFS predicted by these models to deviate 502 from the true SFS.

To test this hypothesis, we took the best fitting of the MSMC models, the CEU 2-Haplotype model, and carried out a series of adjustment experiments to determine whether changes to the model could provide a better fit to the observed SFS. Without adjusting the time period encompassed by the model, we altered the ancestral population size to a variety of values including those inferred by Gutenkunst *et al.* (2009) (**Supplementary Note 7**; **Figure S10-S11**).

We also truncated the MSMC trajectory to remove ancient events and better match the time
period (in years) encompassed by the Gutenkunst *et al.* (2009) model. We again adjusted the
ancestral population size to a variety of plausible values (Supplementary Note 7; Figure S12S13).

512 We found trimming away the ancient (older than ~225k years ago) part of the 513 demographic trajectory and lowering the ancestral population size to 10,000 - 12,300 (compared 514 to 41,261 inferred initially) dramatically improved the fit of the proportional SFSs predicted 515 under these adjusted models to the Observed (Gutenkunst) SFS (Figure S12; Table S5). The 516 best-fit model with ancestral size (N_A) equal to 12,300 was brought to within 38 log likelihood 517 units of the best possible likelihood (Figure S12D; Table S5), only 29 units below the 518 Gutenkunst model. When repeating this procedure using the SFS based on counts, the SFSs 519 under these adjusted models showed a different pattern of improvement. Here the untrimmed 520 models that did *not* have ancient events >225 kya trimmed away, but had a lowered ancestral 521 population size of 7,300-12,300, showed the most improvement (Figure S11-S12). However, 522 their fit was still more than 100 log-likelihood units worse than the Gutenkunst model (Figure 523 S12; Table S6).

524

525 MSMC Population Size Trajectories for Demographic Models Inferred from the SFS

Given that the SFSs predicted by the demographic models inferred using MSMC do not
fit the observed SFS, we examined whether MSMC is capable of recovering a complex
demography such as the one inferred by Gutenkunst *et al.* (2009) from a single simulated
genome. We find that MSMC performs relatively well at inferring the underlying demography

530 from the simulated data. Figure 7A shows the underlying Gutenkunst demographic model for 531 each population (purple) (as in the other Gutenkunst model simulations, migration is included in 532 the model, but is not depicted in our diagrams), with the results of 50 independent MSMC 533 inferences on each 2-Haplotype simulated dataset coming close to the underlying demography. 534 However, sharp bottlenecks are inferred as long population declines (as noted by Li and Durbin 535 (2011) and Schiffels and Durbin (2014)). Additionally, we found evidence of MSMC detecting a 536 false spurt of growth in the YRI population 1350 generations ago (Figure 7A). Both of these 537 phenomena were also noted by Bunnefeld et al. (2015). 538 The SFSs predicted by the demographic models inferred using MSMC on the simulated 539 data fit the SFS expected under the Gutenkunst model and the observed Gutenkunst SFSs better 540 than the MSMC demographic models inferred by Schiffels and Durbin (2014) (Figure 7B-C). 541 The proportional MSMC simulated data SFSs were only 40, 74 and 10 log-likelihood units 542 below the Gutenkunst model SFS (**Table S2**), with the SFSs based on SNP counts showing a 543 similar pattern (**Table S3**). Therefore, if the Gutenkunst model is the true demographic model for 544 human history, MSMC accurately captures the population size changes and produces an 545 appropriate SFS. 546 It is well established that 2-haplotype whole genome-based inference (PSMC, MSMC 2-547 Haplotype, also known as PSMC') is not able to detect recent demographic events (Li and 548 Durbin 2011; Schiffels and Durbin 2014). However, the ability to detect recent growth by using 549 more than two haplotypes in the inference is cited as a feature of MSMC (Schiffels and Durbin

5502014). We ran MSMC 2-Haplotype and 8-Haplotype on datasets simulated under the Gutenkunst

551 model and a Gutenkunst model plus extreme recent growth (Supplementary Note 6; Figure

552 **S8**). Unsurprisingly, MSMC 2-Haplotype was not able to detect extreme recent growth. Its 553 estimates of current population size were fairly accurate for the original Gutenkunst model 554 (Figure 7A), but the method dramatically underestimated the growth for data simulated under 555 the Gutenkunst + Growth model (Figure S8). The results from 8-Haplotype MSMC inference 556 were most surprising. We found that for both models, MSMC 8-Haplotype inferred extreme 557 recent growth as many as four orders of magnitude beyond that in the underlying model, with a 558 high degree of variance between replicates (Figure S8). Despite the high degree of variance, the 559 average of the MSMC trajectories all showed a strong upward bias in estimates of the recent past 560 (Figure S8). While the ability to detect recent growth is meant to be a feature of MSMC, our 561 findings indicate that the magnitude of growth may not be estimated well. 562 We had hypothesized that Neanderthal admixture could cause deviation between the 563 MSMC and Gutenkunst demographic models, but found that the addition of Neanderthal 564 admixture to our Gutenkunst model simulations did not substantively change the MSMC 565 trajectories or expected SFSs (Supplementary Note 6; Figure S9; Table S2, S3). 566 567 DISCUSSION 568 We tested which published models of human demographic history, inferred using either 569 whole genome sequence data, the SFS, or a combined approach, can recapitulate multiple 570 summaries of human genetic variation data. We found that no model was able to recapitulate all 571 summaries of the data, but some models still performed better than others. In particular, none of 572 the models was able recapitulate LD decay, but the Gutenkunst SFS-based models and the 573 combined whole genome and SFS-based SMC++ models were able to recapitulate empirical

heterozygosity and the SFS. MSMC 2-Haplotype was able to recapitulate heterozygosity, but not
the SFS, and MSMC 4-Haplotype and 8-Haplotype could fit neither heterozygosity nor the SFS,
though MSMC 8-Haplotype did fit LD decay slightly better than the other models. These results
highlight the uncertainties of demographic inference from one, or even two, types of data and the
need to assess the fit of demographic models using multiple summaries of the data.

We found that the models based on MSMC inference from 4 or 8 haplotypes did not 579 580 improve the fit of the expected SFS compared to that based on two haplotypes; in fact, in most 581 cases the 4- and 8-Haplotype models fit much worse than the 2-Haplotype models. The 4-582 Haplotype models for CEU, CHB and YRI and the 8-Haplotype model for YRI appear to fit 583 poorly due to their extremely high ancestral sizes and ancient humps of growth and decline 584 (Figure 1). The expected SFSs under the 8-Haplotype models for CEU and CHB show a skew 585 toward low-frequency variants that may be due to their low ancestral size followed by extreme 586 recent growth (Figure 1). We find that MSMC 8-Haplotype vastly overestimates recent growth 587 in simulated data, which may be contributing to the lack of fit to the SFS (Figure S8). This result 588 is at odds with the findings of Schiffels and Durbin (2014), who suggested that using eight 589 haplotypes instead of two should increase accuracy of population size inference in the recent 590 past, though they also noted a bias toward smaller ancient population sizes when using an 591 increased number of haplotypes. Changing the scaling of the mutation rate did not generally help 592 the MSMC models to fit the expected SFS better (Figure S4-S6). It is worth noting that the 593 model inferred in SMC++ used the same mutation rate as MSMC, yet fit the empirical SFSs 594 much better (Figure 4-6; Table 1, S2-S4), indicating that mutation rate differences between the 595 whole genome and SFS-based studies is not the source of the discrepancies.

We found that in addition to not fitting the empirical SFS, the MSMC 4-Haplotype and 8-Haplotype models did not predict the genome-wide distribution of heterozygosity (**Figure 2**) which may be surprising as the genome-wide distribution of heterozygosity is a major feature of the data used by MSMC. The reason for the lack of fit for these models appears to be the extremely high ancestral size inferred in the 4-Haplotype models for all three populations and in the 8-Haplotype YRI model, and the low ancestral size inferred in the 8-Haplotype Models for CEU and CHB (**Figure 1**).

603 Since the most ancient size in the MSMC trajectory will have a large influence on 604 heterozygosity and the SFS and the most ancient bin of the MSMC trajectory may be unreliable 605 (Li and Durbin 2011; Schiffels and Durbin 2014), we explored the effect of altering this ancient 606 size and removing ancient growth events in the CEU MSMC 2-Haplotype model. We found that 607 selective trimming could improve the fit to the SFS (Figure S10-S13). However, the final bin of 608 the model cannot explain all of the lack of fit of the MSMC models to the data as the CEU and 609 CHB MSMC 8-Haplotype trajectories do not show the extreme ancestral sizes in the last bin, yet 610 these models also dramatically deviate from empirical heterozygosity and the SFS. In other 611 words, simple exclusion of the final high ancestral size is not sufficient to improve model fit to 612 other summaries of the data. Our trimming experiments were only made possible by the 613 abundance of human sequence data and demographic models previously fit to the data. Since 614 many MSMC trajectories are calculated for species for which there is no prior information about 615 ancient demographic history, the "informed trimming" we carried out is not a practicable 616 solution to improve the reliability of MSMC inference.

617 While our results indicate that features of MSMC trajectories, particularly ancient events, 618 should be regarded with caution, we also found that MSMC 2-Haplotype is able to accurately 619 recapitulate a complex demography (with the exception of steep drops in population size, 620 extreme recent growth, and some false periods of growth) from simulated data, supporting the 621 validity of the method, at least for use on simulated data (Figure 7). Migration between 622 populations did not appear to cause deviations in MSMC trajectories from the underlying model 623 (Figure 7), nor did a small degree of Neanderthal admixture (Figure S9), indicating that MSMC 624 is robust to small amounts of gene flow. The fact that the 2-Haplotype model based on real data 625 did not fit the observed SFS very well (Figure 4-6; Table 1, S2-S4) suggests that the true 626 underlying pattern of human demography is more complex than either type of inference ($\partial a \partial i$ or 627 MSMC) is capturing, potentially revealing weaknesses in both methods.

628 Alternatively, if the Gutenkunst *et al.* (2009) demographic model is largely accurate, 629 biases or other factors that exist in real data but not in simulated data may be affecting MSMC 630 inference, resulting in the method failing to recover an underlying demography that matches 631 Gutenkunst et al.'s (2009) model. For example, Song et al. (2016) found that statistical phasing 632 could affect MSMC estimates of population split times, and Nadachowska-Brzyska et al. (2016) 633 found that per-site sequencing depth, mean genome coverage and the amount of missing data led 634 to differences in PSMC curve amplitudes, expansions and contractions, and the timing and 635 values of N_e . They therefore recommended only using samples with a mean genome coverage of 636 \geq 18X and < 25% missing data, and employing a per-site sequencing depth filter of \geq 10 637 (Nadachowska-Brzyska et al. 2016). The Complete Genomics genomes used by Li & Durbin 638 (2011) were > 40X coverage (Drmanac *et al.* 2010), indicating that lack of coverage is not

responsible for their divergence from estimates based on the SFS. However, the standards suggested by Nadachowska-Brzyska (2016) may not always be attainable in *de novo* genome projects, and thus, data quality issues may affect non-model organism PSMC and MSMC inferences more acutely. Future work should also examine the impact of artifacts of genome assembly errors and structural variants on PSMC inference. For example, collapsing duplicate regions of the genome on top of each other could result in regions of the genome having excess heterozygosity, which could in turn affect inference of demography.

646 We found that no model was able to accurately recapitulate the empirical distribution of 647 LD decay. The lack of fit of the SFS-based models is perhaps unsurprising, as Harris & Nielsen 648 (Harris and Nielsen 2013) found that the Gutenkunst model cannot recapitulate empirical IBS 649 distributions (a finer-scale summary of the data related to LD), and Garud et al. (Garud et al. 650 2015) found that they could not recover empirical LD patterns in Drosophila, despite matching 651 the SFS, number of segregating sites (S) and number of pairwise differences (π). Garud et al. 652 (Garud *et al.* 2015) suggested the lack of fit could either be due to linked positive selection or to 653 an incompleteness of the demographic model, demonstrating how models that fit some 654 summaries of the data may not recapitulate others. It is more surprising that the MSMC 2-655 Haplotype and 4-Haplotype models do not fit the data well, as the method uses LD information 656 in its inference, though different summaries of LD may be affected by demography in distinct 657 ways (Plagnol and Wall 2006). Other possible factors that could lead to the lack of fit of all 658 models to empirical LD decay patterns include the absence of natural selection, gene conversion, 659 and fine-scale recombination hotspots in our simulations (Ardlie et al. 2001; Frisse et al. 2001; 660 Wall and Pritchard 2003). Further, if the true mutation rate is actually smaller than the relatively

high value used by Gutenkunst et al. ($\mu = 2.35 \times 10^{-8}$ mutations/bp/generation), then the population sizes would have to be larger than those estimated by Gutenkunst et al. (2009). Larger population sizes would yield larger values of the population scaled recombination rate (ρ) than what was used in our simulations under the Gutenkunst model. Larger values of ρ would then lead to a decrease in LD in the simulations, which might better match the empirical LD decay curves.

667 Natural selection may affect both SFS and whole genome based methods of demographic 668 inference. Li and Durbin (Li and Durbin 2011) found that masking exonic sequence did not alter 669 PSMC trajectories. However, Schrider et al. (2016) examined the impact of selective sweeps on 670 demographic inference using the SFS in $\partial a \partial i$, approximate Bayesian computation (ABC), and 671 PSMC and found that all three methods were influenced to varying degrees and in slightly 672 different directions by the presence of selective sweeps, with $\partial a \partial i$ the most robust to these 673 effects. This is a concern for published human demographic models as Gutenkunst et al. (2009) 674 used noncoding sequence from autosomal genes in their study, which may be subject to linked 675 selection (Gazave et al. 2014; Schrider et al. 2016). Schiffels and Durbin (2014) used whole 676 genome sequences that included genic and non-genic regions some of which are certainly under selection. Thus, the sensitivity of these methods to selection may partially explain why both 677 678 perform well on simulated data without selection, yet have such divergent results when run on 679 empirical data.

Our results have implications for understanding human demographic history. First, there
has been controversy concerning the presence of ancient bottlenecks (>100kya) in human
populations (Takahata *et al.* 1995; Harpending *et al.* 1998; Takahata and Satta 1998; Hawks *et*

683 al. 2000; Garrigan and Hammer 2006; Fagundes et al. 2007; Scholz et al. 2007; Blum and 684 Jakobsson 2011; Sjödin et al. 2012). The inferred "humps" in the ancient portions of MSMC 685 plots (Figure 1) tended to lend support to these ancient population size changes that appeared to 686 be absent from SFS demographic estimates. Our results suggest that if these ancient population 687 size changes did indeed occur, the resulting SFS would appear very different from the SFSs seen 688 in human populations (Figure 4-6, S10-S13). The fact that they are not seen in the observed SFS 689 suggests that either the size changes did not occur, and the inferred size changes are artifacts, or 690 instead, the true demography is more complex than currently modeled using either approach. Our 691 conclusion of finding little evidence for the ancient population size changes is supported by the 692 study of Sjödin et al. (2012). They employed an approximate Bayesian computation approach to 693 directly test models with ancient population size changes in Africa and found little support for 694 such ancient bottlenecks.

695 Deep ancestral structure has been put forward as explanation for the humps detected by 696 the whole genome-based methods by the developers of PSMC and others (Li and Durbin 2011; 697 Henn et al. 2012; Mazet, Rodriguez, and Chikhi 2015; Mazet, Rodriguez, Grusea, et al. 2015; 698 Orozco-terWengel 2016). While Blum and Jakobssen (2011) used the TMRCA to postulate an 699 ancient bottleneck 150-kya, they also were not able to a reject a model of ancestral structure. 700 Strikingly, Mazet et al. (2015) were able to perfectly recapitulate the human PSMC humps 701 without invoking a single size change in the population by simulating data from a highly 702 structured ancestral population (10 sub-populations) and modulating the amount of gene flow 703 between these populations. Therefore, the large 'population size changes' inferred in MSMC, 704 which cause the models not to match the empirical SFS, may in fact be due to complex structure

705 and large-scale changes in gene flow. This ancient structure may have a large effect on MSMC 706 trajectories and LD patterns, but may not strongly influence the SFS (see Figure 7 in Lohmueller 707 et al. (2009)), potentially resolving the discrepancy between the methods (Henn et al. 2012). 708 Our work provides a cautionary tale for understanding population history in non-model 709 organisms. Our results argue against a literal interpretation of "humps" and other jumps in 710 MSMC plots as reflecting population size changes. This problem is exacerbated for putative 711 ancient size changes. Given the ever-increasing generation of genomic data from non-model taxa 712 and the application of whole genome-based approaches to such data (Meyer *et al.* 2012; Groenen 713 et al. 2012; Zhao et al. 2012; Albert et al. 2013; Ibarra-Laclette et al. 2013; Orlando et al. 2013; 714 Prado-Martinez et al. 2013; Nadachowska-Brzyska et al. 2013; Bosse et al. 2014; Freedman et 715 al. 2014; Prufer et al. 2014; Hung et al. 2014; Nadachowska-Brzyska et al. 2015; Palkopoulou et 716 al. 2015; Holliday et al. 2016; Nadachowska-Brzyska et al. 2016; Wang et al. 2016), our 717 findings are especially concerning. We recommend employing other model-based types of 718 demographic inference leveraging either SFS-based or other summary statistics in an ABC 719 framework to test whether important demographic features suggested by PSMC or MSMC plots 720 can be recapitulated using other features in the data. We also recommend, as done in Freedman 721 et al. (2014), Song et al. (2016) and Cahill et al. (2016) that the PSMC or MSMC plots and 722 TMRCA estimates be used themselves as summary statistics for model comparison, rather than 723 the actual population size estimates. In other words, more complex demographic models can be 724 simulated and tested to see whether they recapitulate the observed whole genome-based 725 trajectories. Of course, this approach will not be successful if the trajectories are strongly 726 influenced by bioinformatics artifacts or other features not captured within the simulations, such

727	as natural selection. For both PSMC/MSMC and SFS-based inference methods, we also
728	recommend testing whether the estimated models can predict multiple features of the data.
729	Specifically, researchers should check whether their inferred model can recapitulate the genome-
730	wide distribution of heterozygosity. The genome-wide distribution of heterozygosity may be the
731	most practical and useful statistic for studies of non-model organisms that only have a handful of
732	genomes available to them. SMC++ and other new approaches that leverage multiple types of
733	data (Bunnefeld et al. 2015; Boitard et al. 2016; Weissman and Hallatschek 2017) are promising
734	alternatives, though our results indicate that SMC++ still cannot recapitulate all summaries of the
735	data.
736	Testing more complex demographic scenarios using multiple summaries of the data may
737	help to resolve uncertainties about our own species' history and will improve demographic
738	inference for non-model organisms. Incorporating the potential complexity of possible
739	demographic histories to produce models that better recapitulate the data may in fact present the
740	greatest challenge.
741	

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752	

754

TABLES

755

756 Table 1: Multinomial log-likelihoods comparing the fit of various models to the observed

- 757 SFS derived from Sanger sequencing data and used by Gutenkunst et al. (2009) for their
- 758 inference (SFSs in Figure 4)

759

CEU		
Model	Multinomial LL	∆ LL (Model - Data)
Data to Data ^a	-21546	0
Gutenkunst ^b	-21555	-9
SMC++ ^c	-21599	-53
MSMC 2-Hap ^d	-21698	-152
MSMC 8-Hap ^d	-21816	-270
MSMC 4-Hapd	-22760	-1214
•	СНВ	
Model	Multinomial LL	∆ LL (Model - Data)
Data to Data	-20154	0
Gutenkunst	-20202	-48
SMC++	-20277	-123
MSMC 8-Hap	-20343	-188
MSMC 2-Hap	-20370	-216
MSMC 4-Hap	-21411	-1257
	YRI	
Model	Multinomial LL	∆ LL (Model - Data)
Data to Data	-29630	0
Gutenkunst	-29647	-17
SMC++	-29779	-150
MSMC 2-Hap	-30003	-373
MSMC 8-Hap	-31282	-1652
MSMC 4-Hap	-32976	-3346

760

^aDenotes the best log-likelihood possible when replacing the proportions predicted by the model with the
 observed proportions from the SFS used in Gutenkunst *et al.*'s (2009) study (see Supplementary Note

762 obse 763 4).

764 ^bDenotes the model inferred by Gutenkunst *et al.* (2009) fit to the observed SFS

765 Cenotes the model inferred by Terhorst *et al.* (2017) using a combined whole genome and SFS

766 approach

^dDenotes the demographic models inferred by Schiffels and Durbin (2014) using MSMC on 2, 4 and 8
 haplotypes

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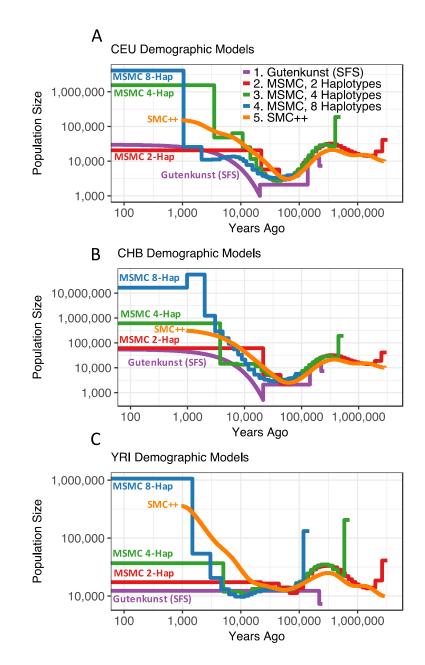
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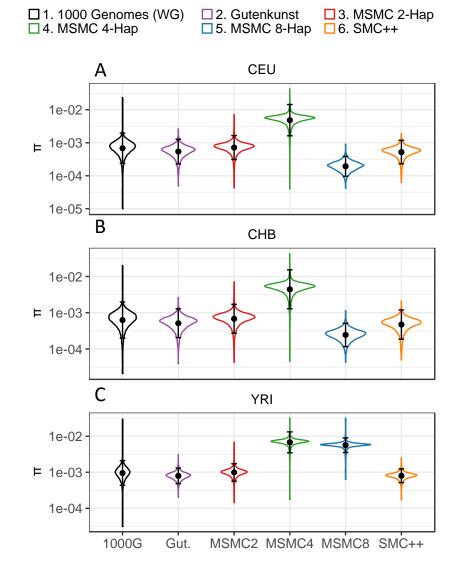
1017	DATA ACCESSIBILITY
1018	All code to simulate data under each demographic model and calculate heterozygosity and
1019	generate the SFS from simulated and empirical data are available on GitHub:
1020	github.com/LohmuellerLab/Compare_Demographic_Models
1021	
1022	AUTHOR CONTRIBUTIONS
1023	KEL and ACB conceived the study. ACB carried out all analyses based on the demographic
1024	models, and TNP carried out all empirical analyses based on the 1000 Genomes data. ACB
1025	generated all figures. ACB, TNP and KEL all participated in manuscript preparation.
1026	
1027	

1028

FIGURES



1030 Figure 1. Demographic histories for the CEU (A), CHB (B), and YRI (C) populations. Trajectories 1031 are log-scaled and in terms of physical units (diploid individuals and years). Models were either inferred 1032 using SFS-based methods ("Gutenkunst") by Gutenkunst et al. (2009), from a sequentially Markovian 1033 coalescent-based approach ("MSMC") from two, four and eight haplotypes by Schiffels and Durbin (2014), or using a combined SFS and whole genome approach ("SMC++") by Terhorst et al. (2017). The 1034 1035 Gutenkunst models also include migration between all three populations, not depicted here. Models are 1036 scaled by the generation times used in each study (Gutenkunst et al. (2009): 25 years/generation; Schiffels 1037 and Durbin (2014): 30 years/generation; Terhorst et al. (2017): 29 years/generation).



1038

1039Figure 2. Kernel density distribution of expected heterozygosity (π per site). Heterozygosity was1040calculated across 100kb windows from whole genome 1000 Genomes project data for CEU (A), CHB1041(B), and YRI (C), and from 20,000 x 100kb blocks for data simulated under each demographic model.1042The black dot and bars indicate the mean \pm two standard deviations for each distribution. Note the log-101043scaling on the y-axis.1044

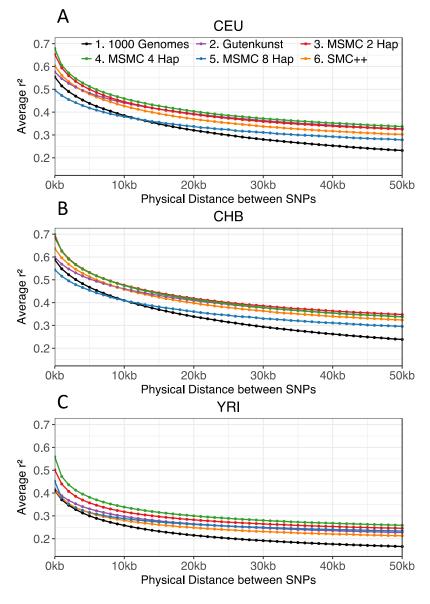
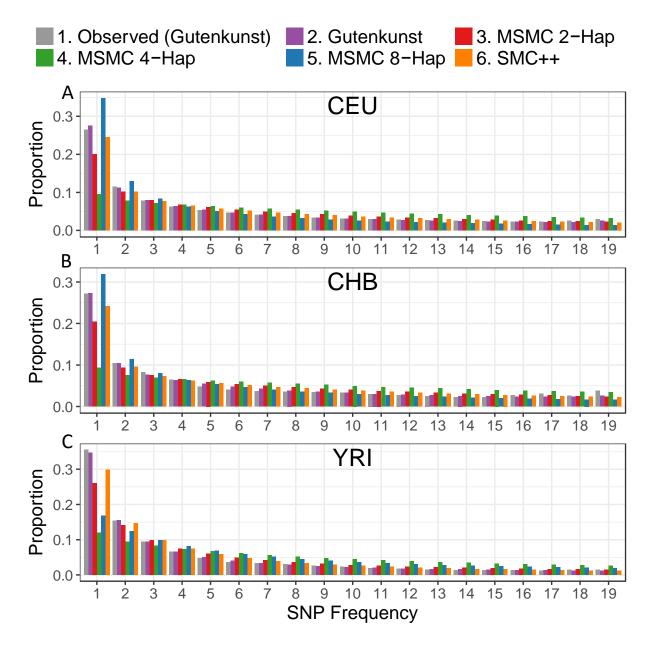
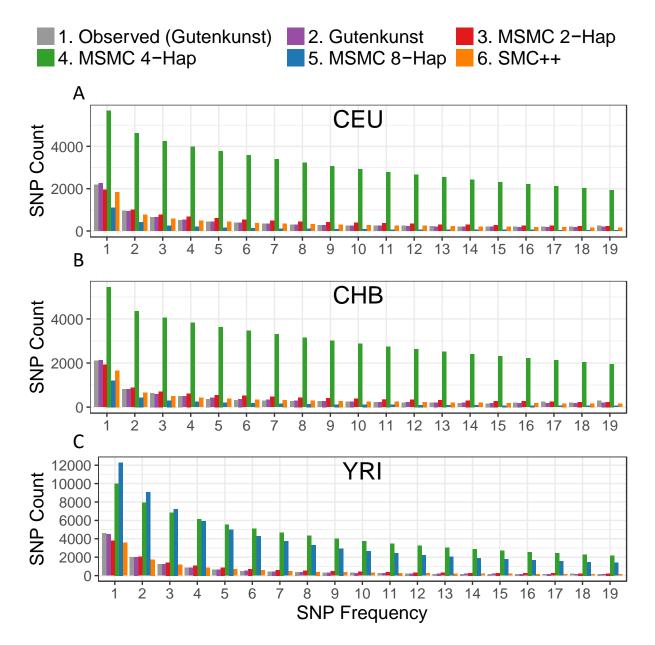


Figure 3. Linkage disequilibrium (LD) decay patterns. LD decay was calculated across 100kb
windows from 1000 Genomes data and simulated data under each demographic model for CEU (A), CHB
(B), and YRI (C). Pairs of SNPs are binned based on physical distance (bp) between them, up to 51kb.
Average genotype r² is calculated within each distance bin.



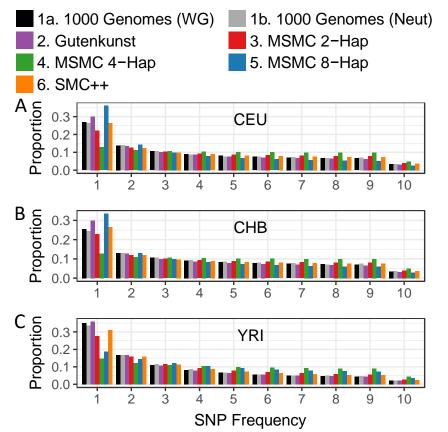
1052 1053

Figure 4. Unfolded proportional site frequency spectra for CEU (A), CHB (B), and YRI (C)
 populations. The "Observed" SFS is from noncoding sequence used by Gutenkunst *et al.* (2009) to infer
 demographic histories for these three populations. See Figure S5 for scaling using alternative mutation
 rates.



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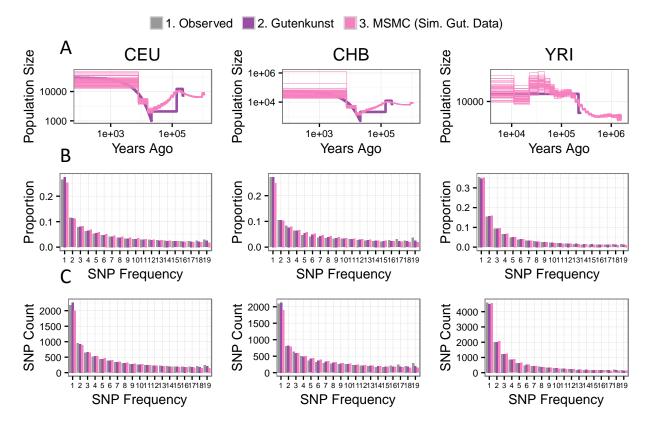
Figure 5. SNP count site frequency spectra using the counts of SNPs for the CEU (A), CHB (B), and YRI (C) populations. The "Observed" SFS is from noncoding sequence used by Gutenkunst *et al.* (2009) to infer demographic histories for these three populations. SFSs are scaled using the ancestral population size given by each model, the mutation rate used to scale each model by the authors and the sequence length of the empirical dataset (4.04Mb). See Figure S6 for scaling using alternative mutation rates.



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Figure 6. Folded proportional site frequency spectra for CEU (A), CHB (B), and YRI (C)

populations. The "1000 Genomes (WG)" SFS is from low-coverage whole genome 1000 Genomes data,
and the "1000 Genomes (Neut)" SFS is from 6333 x 10kb putatively neutral regions in the 1000 Genomes
data.



1074 1075

1076 Figure 7. MSMC 2-Haplotype can accurately infer the demographic model predicted by

1077 Gutenkunst et al. (2009). (A) shows the results of running MSMC 2-Haplotype on 50 independent 2-1078 haplotype datasets simulated under the Gutenkunst et al. (2009) model of human demographic history ("Gutenkunst," heavy purple line). The resulting MSMC 2-Haplotype trajectories ("MSMC Sim. Gut. 1079 1080 Data," fine pink lines) show the MSMC trajectories inferred from these 50 datasets. Note that these 1081 trajectories accurately track the demographic model used to simulate the data. (B) and (C) show 1082 proportional and SNP count site frequency spectra for each population, respectively. The gray bars 1083 (Observed) denote the empirical SFS used by Gutenkunst et al. (2009). The purple bars denote the 1084 expected SFS under the inferred Gutenkunst demographic models. The pink bars denote the expected SFS 1085 under the average of the 50 MSMC 2-Haplotype demographic model trajectories for each population. 1086 Note that these three SFSs agree.