# Highly replicated evolution of parapatric ecotypes 

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#### Abstract

Parallel evolution of ecotypes occurs when selection independently drives the evolution of similar traits across similar environments. The multiple origin of ecotypes is often inferred on the basis of a phylogeny which clusters populations according to geographic location and not by the environment they occupy. However, the use of phylogenies to infer parallel evolution in closely related populations is problematic due to the potential for gene flow and incomplete lineage sorting to uncouple the genetic structure at neutral markers from the colonization history of populations. Here, we demonstrate multiple origins within ecotypes of an Australian wildflower, Senecio lautus. We observed strong genetic structure as well as phylogenetic clustering by geography, and show this is unlikely due to gene flow between parapatric ecotypes, which is surprisingly low. We further confirm this analytically by demonstrating that phylogenetic distortion due to gene flow often requires higher levels of migration than those observed in S. lautus. Our results imply that selection can repeatedly create similar phenotypes despite the perceived homogenizing effects of gene flow.


## Introduction

Parallel evolution occurs when populations evolve similar traits after repeatedly and independently colonizing similar habitats ${ }^{1}$. The patchy distribution of habitats means that phenotypically similar populations frequently occur next to other contrasting phenotypes (e.g., plant species adapted to serpentine and non-serpentine soils in Scandinavia ${ }^{2}$, and marine snails adapted to crab predators or wave action along the rocky coasts of Spain ${ }^{3}$ ). Parallel evolution by natural selection creates consistent patterns of phenotypic similarity and divergence that can extend to morphological ${ }^{4-6}$, behavioural ${ }^{7}$, and reproductive ${ }^{8}$ traits. The nature of parallel trait evolution largely depends on the demographic history of the system under investigation, where the interplay of geography, gene flow, and natural selection with the genetic architecture of traits determines its repeatability ${ }^{9-15}$. However, it is surprisingly rare for studies of parallel evolution to convincingly demonstrate that populations exhibiting similar phenotypes have arisen in an independent and repeated fashion ('multiple origin' scenario). Ruling out alternative demographic scenarios, such as a single origin of ecotypes followed by gene flow upon secondary contact, is seldom performed (but see refs. ${ }^{16-19}$, and see ref. ${ }^{20}$ for a critical review of the evidence in plants). In light of this, researchers may incorrectly assume a parallel demographic history, leading to inaccurate inferences about the prevalence of parallel evolution in nature.

Typically, researchers identify parallel evolution by natural selection by asking whether phylogenetic clustering of populations coincides with the geography and not with the ecology of populations ${ }^{3,17,18,21,22}$. This is because genetic clustering of geographically close populations implies dispersal might be geographically restricted (i.e., isolation by distance ${ }^{23}$ ), and colonization of contrasting and neighboring habitats might have occurred independently many times. The rationale for this argument is that the genome-wide phylogenetic history can be used as a proxy for understanding the history of adaptation across multiple populations. That is, if adaptation appears to have taken place on different genetic backgrounds, then the genetic changes that drove adaptation likely occurred independently. By genetic changes, we refer specifically to independent allele frequency changes driven by similar natural selection pressures, rather than the identity of the beneficial mutations themselves ${ }^{24}$.

The above argument rests upon the assumption that the genome-wide pattern of relatedness accurately depicts the history of the loci underlying adaptation, though this is not necessarily the case. For example, alternative historical scenarios could also lead to clustering of
populations by geography, and must be ruled out before examining the evolution of traits in light of parallel evolution ${ }^{16,25-27}$. To understand this problem, first consider a scenario where an ancestral population gives rise to two locally adapted populations that occupy ecologically distinct yet geographically proximate habitats (hereafter ecotypes, Fig. 1A). These two populations migrate to new localities in parallel, where each time the same contrasting habitats are geographically close. This scenario of a single split followed by range expansion of two ecotypes does not involve a parallel adaptation history because each ecotype only arose once (rather than multiple independent times after independent colonization of contrasting habitats). Because gene flow is either not possible after the original ecotypic split, or does not homogenize adjacent populations after range expansion, populations sharing the same ecology form reciprocally monophyletic clades in a phylogeny (Fig. 1A).

Nevertheless, if there is sufficient gene flow between geographically close populations from two ecotypes that originated only once, the original phylogenetic signal of reciprocal monophyly can be eroded ${ }^{16,25-27}$. In other words, as the original genome-wide phylogenetic signal of a single origin disappears, populations become most related to their neighboring population and not to the other populations of the same ecotype. Therefore, gene flow can result in grouping of populations by geography rather than ecology (Fig. 1B). This phylogenetic signal is identical to that of true parallel evolution (a multiple origin scenario), where the derived ecotype arises multiple independent times from the ancestral ecotype (Fig. 1C). Gene flow dynamics can thus fundamentally alter our interpretation of parallel evolution, to the extent that we can mistakenly infer parallel evolution in systems where secondary contact after range expansion of a single origin has obscured the history of locally adapted populations ${ }^{16,25-27}$. We note that non-monophyly is not a requirement for parallel evolution in a more general sense, but it is so in systems where parallel evolution coincides with a patchy geographic distribution of populations (pairs of ecotypes in multiple localities) ${ }^{16}$, where the phylogenetic line of reasoning is commonly employed.

In systems of parallel evolution, gene flow is frequently detected between populations, especially when contrasting ecotypes are in close geographic proximity (i.e., parapatry). Although not all levels of gene flow have the same equivocal effect on the genetic record of colonization history ${ }^{16}$, gene flow between ecotypes must be taken into account when demonstrating parallel evolution within a system. However, only very few systems have thoroughly investigated the demographic history of populations, and even fewer have used
coalescent modelling or simulations to address whether the estimated levels of gene flow could have obscured the observed phylogeny. The system that has perhaps most clearly demonstrated the parallel origins of contrasting populations in the presence of gene flow is the marine snail Littorina saxatilis. Multiple lines of evidence suggest the wave and crab ecotypes have evolved multiple independent times along rocky coastlines ${ }^{3,16-19}$. Other systems providing clear evidence for parallel evolution include Lake Victoria cichlids ${ }^{28}$ and alpine and montane Heliosperma pusillum ecotypes ${ }^{22}$. Also, an obvious case of multiple origins is when parallel evolution occurs between geographically distant populations where gene flow could not have obscured the phylogenetic signal and demographic history of populations (e.g., threespine stickleback populations that colonized freshwater environments on separate continents ${ }^{29}$ ). However, in other systems where gene flow is moderate between ecotypes ${ }^{30-34}$, it remains unclear to what extent gene flow contributed to the signal of parallel evolution.

Despite the potential for gene flow to paint a false picture of the phylogenetic history of multiple populations adapted to the same environment, this false signal itself does not necessarily negate the argument for parallel evolution. For one, it is possible that two populations that are true sister groups in a phylogenetic sense -a single origin of the genetic background- did in fact adapt independently. Second, distortion of the phylogenetic topology by gene flow occurs under rather restrictive settings, namely high migration rates, as we show in our results. Thus, for the trait-environment association to have persisted in spite of constant reintroduction of maladaptive alleles implies that selection must have had to regenerate the optimal phenotype independently across populations. In other words, if gene flow was indeed sufficiently high to have distorted the phylogenetic topology in multiple cases, selection must have independently resisted the introduction of maladaptive alleles. In this manner, Lee and Coop's (ref. ${ }^{24}$ ) framing of independence as an overlap in selective deaths across populations can be extended to consider both the overlap in selective deaths during the initial sweep, as well as during a secondary phase of resisting maladaptive gene flow.

We must keep in mind that identifying the genetic basis of parallel trait evolution often provides unambiguous evidence for parallel evolution of ecotypes. For instance, in sticklebacks, the repeated evolution of pelvic loss in separate populations occurred via different mutations in the same gene ${ }^{35}$, suggesting this adaptive trait has arisen and been
selected for multiple independent times. In contrast, in systems where the exact same mutation is repeatedly involved in adaptation (e.g., ref. ${ }^{36}$ ), it is challenging to identify whether the adaptive mutation was repeatedly and independently selected for in each population (either from de-novo mutations or via standing genetic variation ${ }^{24,37}$ ). Knowing the causal genes of adaptation is ideal as the demographic history of individual adaptive loci can be modelled, avoiding the complications of distinguishing between single and multiple origins using neutral polymorphisms (as described above). However, directly isolating the specific genes involved in adaptation is infeasible in most non-model organisms or when the genetic architecture of adaptation is highly polygenic ${ }^{38,39}$.

The above considerations suggest that without knowing the genetic basis of parallel adaptation, we should carefully characterize and interpret the phylogeographic history to understand the level of independence in systems where populations are adapted to similar environments. Such an approach is necessary to demonstrate that natural selection has independently acted in separate populations during the repeated adaptation to similar environments. This knowledge paves the way for future research on dissecting the molecular basis of parallel adaptation, and its implications for our understanding of the predictability and repeatability of evolution. In this work, we characterize the phylogenetic and demographic history of Senecio lautus, an Australian wildflower that appears to have evolved multiple times in parapatry into two contrasting coastal forms called Dune and Headland ecotypes ${ }^{40,41}$. The two forms differ in their growth habit: the Dune ecotype is erect and inhabits sand dunes, and the Headland ecotype is prostrate, forming matts on the ground of rocky headlands ${ }^{42-44}$. These locally adapted populations ${ }^{40,45-49}$ are separated by strong extrinsic reproductive isolation ${ }^{40,47}$, and populations exhibit similar morphology within each ecotype ${ }^{50,51}$. With this work we hope to clearly illustrate how the demographic history of populations affects the evidence for the independent and repeated origins of parapatric ecotypes.

Previous work using pools of DNA sequences from multiple coastal, inland, alpine, and woodland S. lautus ecotypes found that strong isolation by distance separated all populations along the coast and that geography, not ecology, explained the phylogenetic clustering of its coastal populations ${ }^{41}$. Although these results suggest that the Dune and Headland ecotypes have evolved in parallel, it remains unclear if gene flow could be responsible for this pattern of ecotypic and geographic differentiation, thus potentially affecting our inferences on the
number of independent colonization and origin events of multiple Dune and Headland populations. Here, we directly estimate patterns of gene flow between 23 Dune and Headland populations, as well as other parameters important for characterizing the demographic history of this system. We create a coalescent model to explore the conditions that would erode a signal of phylogenetic monophyly of each ecotype, thus enabling us to gain further confidence in our conclusions about parallel parapatric divergence in this system. Our results enhance our understanding of the nature of parallel evolution and pave the way for analyses of parallel trait evolution driven by natural selection in plants, where cases of parallelism remain understudied.

## Results

## Populations cluster by geography and not by ecology

To ask whether populations cluster according to their geographic distribution, we explored broad patterns of genetic clustering across the 23 Dune and Headland S. lautus populations (Fig 2A). Phylogenetic inference in IQ-TREE provides evidence against a single origin scenario: neither ecotype forms a monophyletic clade, and parapatric Dune-Headland populations are often sister-taxa, giving evidence for the multiple origin of ecotypes (Fig. 2B). To visualize the major genetic structure within fastSTRUCTURE, we plotted the lowest K-values that capture the major structure in the data as suggested by refs. ${ }^{52,53}$, although the "best" K-value across all populations was higher (see below). The clustering of populations into two genetic groups ( $\mathrm{K}=2$ ) revealed a striking correspondence to geography (Fig. 2C), where the eastern populations (dark blue) are separated from those populations further south and to the west (light blue). This strong genetic structuring into two main clades suggests there are at least two independent origins within the system. When three genetic groups $(\mathrm{K}=3)$ are considered, the eastern populations are further separated into two clusters, again largely corresponding to geography and reflecting the phylogenetic structure of the data; $\mathrm{K}=4$ distinguishes the west Australia populations from those on the south-eastern coast. This genetic clustering of populations according to their geographic distribution provides further evidence against a single origin scenario, and is consistent with previous work in this system ${ }^{41,54}$.

## Minimal admixture across the system

To understand the role of gene flow in shaping the patterns of divergence across the system, we explored patterns of admixture in a phylogenetic context within TreeMix and formally tested for admixture using $f 3$-statistics across the 23 Dune and Headland populations. In the absence of migration, the TreeMix phylogeny explained $95.9 \%$ of the data, with 24 additional migration events augmenting this value to 98.9 \% (Supplementary Fig. S1). Fig. 3A shows the first migration event $\left(\mathrm{P}<2.2 \times 10^{-308}\right)$ with a migration weight $(w)$ of 0.40 . Although the 24 other migration events were also significant $\left(\mathrm{P}_{\text {average }}=2.92 \times 10^{-3}, \mathrm{SD}=0.0062\right)$, their individual weightings were small (see Supplementary Fig. S2 for 1-10 migration events), most of them were not between parapatric pairs, and the addition of these migration events did not substantially alter the topology from its estimation in the absence of gene flow. Although these results could suggest a potential complex colonization history including long distance yet rare migration events, these P -values should be treated with caution. This is because model comparisons in TreeMix suffer from multiple testing, a large number of parameters, and the estimated graph can be inaccurate ${ }^{55}$. We therefore tested the robustness of this inference using $f 3$-statistics. All $f 3$-statistics were positive (Supplementary Fig. S3), giving no evidence of admixture between any populations. Strong isolation by distance within each ecotype further supports this contention using $\widehat{M}$ as a proxy for migration rates (IBD within Dunes: Mantel test, $\mathrm{r}=-0.83, \mathrm{P}=0.0001$; within Headlands $\mathrm{r}=-0.73, \mathrm{P}=$ $<0.0001$; Fig. 3C). A strong IBD trend exists between ecotypes for the eight pairs studied here ( $\widehat{M}: F_{1,6}=0.55, \mathrm{P}=0.05661$, multiple $\mathrm{R}^{2}=0.48$, Fig. 3C). Although the same trend was seen in the migration rate estimates from fastsimcoal2, it was not statistically significant, perhaps due to the low sample size (fastsimcoal2: $\mathrm{F}_{1,6}=0.53, \mathrm{P}=0.4953$, multiple $\mathrm{R}^{2}=0.08$, Fig. 3B). Overall, this pattern of IBD implies that there is geographically restricted dispersal within the system and populations are evolving largely independently from one another.

The absence of admixture across the system is also supported by fastSTRUCTURE across all populations. The inferred value of K is close to the number of sampled populations (Supplementary Figs. S4B, S4C) and each population is genetically distinct (Supplementary Fig. S4A), suggesting that S. lautus has a simple demographic history with limited admixture ${ }^{52}$. Specifically, the K-value that best explained the structure in the data was 22 , and the K-value that maximized the marginal likelihood of the data was 28 (Supplementary Fig. S4B). The rate of change in the likelihood of each K -value was negligible for $\mathrm{K}=24-28$
(Supplementary Fig. S4C). Together, this suggests that the optimal K-value is around 23, which is the number of populations within our study. The fastSTRUCTURE results for $\mathrm{K}=23$ show that each population forms a distinct genetic cluster (Fig. 3D), suggesting very little, if any, admixture between them. This further implies that each sampled population has been separated from other populations long enough to be genetically distinct (see pairwise FST values in Supplementary Table S1) and with insufficient levels of gene flow to homogenize their genomes ${ }^{52}$. Further, when we examine all K -values from 1-23, there is a distinct hierarchical structure that mirrors the phylogeny, suggesting that such structure is an accurate representation of the history of the populations. The Tasmania population pair (D14-H15) should be treated with caution due to the smaller sample size $\left(\mathrm{n}_{\text {Dune }}=12, \mathrm{n}_{\text {Headland }}=11\right)$ compared to other populations ( $\mathrm{n}_{\text {mean }}=62, \mathrm{SD}=1.19$ ). For groups with few samples, genetic clustering programs such as fastSTRUCTURE are likely to assign them as mixtures of multiple populations rather than their own distinct population ${ }^{52}$. This is evident for $\mathrm{K}=22$, where the Tasmania populations appear admixed (Supplementary Fig. S4A).

## Minimal gene flow between parapatric ecotypes and distant populations

We investigated whether the parapatric ecotypes at each locality have diverged in the face of gene flow by analyzing patterns of admixture in STRUCTURE and directly estimating levels of gene flow in fastsimcoal2. We observed very few admixed individuals between the parapatric Dune-Headland populations at each locality within the STRUCTURE analysis for $\mathrm{K}=2$ (Fig. 4B). On average, $9.36 \%(\mathrm{SD}=5.48)$ of individuals were admixed per population, although their admixture proportions were on average less than $1 \%$ (mean $=0.8 \%, \mathrm{SD}=1.8$ ). This suggests that gene flow between parapatric populations might have ceased in the past. For all pairs, the best K-value based on the Evanno method ${ }^{56}$ was $\mathrm{K}=2$ (Supplementary Fig. S5). Demographic modelling in fastsimcoal2 revealed the most likely divergence model for all comparisons within and between ecotypes was bidirectional gene flow after secondary contact ( $w_{\mathrm{i}}>0.99$; Supplementary Fig. S6). For Dune-Headland population pairs, direct measurements of migration rates were very low, with all Dune-Headland migration rates below one ( $2 \mathrm{Nm}<1.00$ ), except for D04-H05 and D32-H12 where 2 Nm was slightly above one (Fig. 3B upper section, 4B; Supplementary Tables S2, S3). For Dune-Dune population comparisons we also detected very low migration rates $\left(2 \mathrm{Nm}_{\text {mean }}=0.23, \mathrm{SD}=0.09\right.$; Supplementary Tables S2, S3), with all comparisons containing $2 \mathrm{Nm}<1.00$. Similarly, for Headland-Headland comparisons we again detected very low migration rates $\left(2 \mathrm{Nm}_{\text {mean }}=\right.$
$0.57, \mathrm{SD}=1.01$ ), with all comparisons containing $2 \mathrm{Nm}<1.00$, with the exception of $\mathrm{H} 12-$ H12A (Fig. 3B upper section, 4B; Supplementary Tables S2, S3). Across all comparisons, all Dune-Dune pairs and most Headland-Headland pairs exhibited gene flow levels lower than the maximum migration rate of allopatric populations separated by more than $1,500 \mathrm{~km}$ (i.e., the null gene flow expectation; $2 \mathrm{Nm}=0.39$; Fig. 3B). Three Dune-Headland pairs (D00-H00, D03-H02 and D12-H14) were also within this null range. Alternative models that assumed negligible gene flow, while keeping other demographic parameters fixed, did not fit the data better with the exception of the D03-H02 pair (Supplementary Fig. S7). Although the most likely divergence scenario for all population comparisons was bidirectional gene flow after secondary contact, migration rates under all models were very low across all population pairs $\left(2 \mathrm{Nm}_{\text {mean }}=0.58, \mathrm{SD}=1.43\right.$, Supplementary Table S 4$)$. Thus, even if our choice of model was biased towards secondary contact ${ }^{57}$, the extent of gene flow during the history of populations is consistently low and does not depend strongly upon the mode of divergence.

## Potential for gene flow to obscure a single origin scenario

We analyzed a neutral coalescent model representing a single origin of the derived ecotype to investigate under which situations the history at a neutral locus unlinked to the selected site would indicate a pattern of non-monophyly of the derived ecotype, thus potentially supporting a false inference of parallel evolution. We found a clear influence of all examined parameters (Fig. 5A) on the probability of inferring non-monophyly, suggesting that certain demographic scenarios can lead to an observed phylogenetic signal that belies the history of a single origin of ecotypes. When internal branches $(t 2-t 1)$ are short, and ancestral polymorphism is expected to be elevated, the probability of distortion is high and relatively independent of migration rates in the terminal branches (Fig. 5B, lower section of graph). When internal branches are long, the probability of distortion is low and again relatively independent of migration rates (Fig. 5B, upper section of graph). Furthermore, when the terminal branches $(t l)$ are long relative to the timing of the burst of migration $(\mathrm{tm})$, phylogenetic distortion requires high levels of migration (Fig. 5C, upper section of graph). When the terminal branches are short relative to the timing of migration, very high levels of migration are required to distort the phylogeny (Fig. 5C, lower section of graph). Note that the probability of phylogenetic distortion when the terminal branches are long relative to the timing of migration is not as high as the distortion due to short internal branches (pay attention to the different scale of probability in Fig. 5C compared to Fig. 5B).

Although we cannot directly map our observed data for S. lautus in the modelled parameter space, we can nonetheless explore the likelihood of phylogenetic distortion by considering divergence time estimates from fastsimcoal2 in combination with the phylogenetic topology estimated in IQ-TREE. If the paraphyly in our phylogeny is not an artifact of gene flow, we expect the order of divergence times estimated from fastsimcoal2, which accounts for gene flow, to be in accordance with the observed phylogeny, which does not account for gene flow. We observed deeper divergence times for populations of the same ecotype compared to sister-taxa of different ecotypes. For D04-H05 and D05-H06, the average divergence time between populations of the same ecotype (D04-D05 and H05-H06) was 79,801 generations ( $\mathrm{SD}=2,698$ ), whereas the average divergence time between populations at each locality (D04-H05 and D05-H06) was 49,317 generations ( $\mathrm{SD}=26,319$ ). This was also true for D14H15 and D32-H12, where the average divergence time between populations of the same ecotype (D14-D32 and H15-H12) was 68,723 generations ( $\mathrm{SD}=17,526$ ), and the average divergence time between populations at each locality (D14-H15 and D32-H12) was 43,318 generations ( $\mathrm{SD}=6,522$ ). Overall, this gives further evidence that the phylogenetic topology (estimated in the absence of gene flow) has not resulted from gene flow distortion.

## Discussion

We have used an array of complementary approaches to disentangle the demographic history of the coastal Senecio lautus ecotypes. In this system, many lines of evidence support a multiple origin scenario for the evolution of the parapatric Dune and Headland populations. The demographic history of this system reveals striking population structure and a strong effect of geography and restricted dispersal, to the extent that all populations are evolving largely independently from each other. Together with previous results from transplant experiments ${ }^{40,45-49}$, our results convincingly show that selection and drift, rather than gene flow, play a predominant role in the genetic structure among ecotypic populations in this system. Below we discuss these results in light of parallel parapatric divergence in this highly replicated system.

Large scale genetic structure within S. lautus clusters populations according to their geographic distribution along the Australian coast, and not by the environment they occupy. Within fastSTRUCTURE, the largest genetic groups encompass two clades which are largely independent of each other, do not have evidence of long-distance gene flow between them, and also appear to contain multiple repeated instances of parapatric divergence. This genetic
structure, where populations group by geography and not ecology, is mirrored in the phylogeny, and is consistent with our previous work using targeted sequencing of 13 neutral genes ${ }^{54}$ and RADseq using pools of individuals ${ }^{41}$. There is also a strong signal of isolation by distance ${ }^{23}$ within each ecotype as well as across Dune-Headland pairs, implying long distance dispersal within the system is not pervasive, and populations are likely at an equilibrium between dispersal and $\operatorname{drift}^{58}$. This is perhaps not surprising given that Dune and Headland populations have restricted geographic ranges along the coast.

Fine scale genetic structure at the level of the locality (i.e., parapatric Dune-Headland populations) shows that each population is genetically distinct. $\mathrm{F}_{\text {ST }}$ values are above 0.2 for most population pair comparisons, and fastSTRUCTURE reveals that all parapatric pairs are fully differentiated with little admixture. Consistent with this, no single estimate of the $f 3$ statistic for any population triad was negative, further suggesting that there are negligible levels of admixture between parapatric populations as well as across the entire system. Despite the high potential for gene flow between parapatric populations due to their close geographic proximity and relatively weak F1 intrinsic reproductive isolation ${ }^{40,45,47}$, multiple transplant experiments in the system have shown that divergent natural selection is strong and creates extrinsic reproductive isolation between Dune and Headland populations at each locality ${ }^{40,45-49}$. Therefore our findings are in agreement with theoretical expectations, where parapatric divergence and speciation is favored when gene flow is limited and selection against immigrants and hybrids is strong ${ }^{59,60}$. Overall, a combination of strong selection and limited dispersal can explain why parapatric populations persist despite the opportunity for homogenizing gene flow between them.

A common doubt arising in purported cases of parallel evolution is whether gene flow is responsible for the grouping of populations by geography and not by ecology ${ }^{3,16-}$ 19,22,28,30,31,34,61. A single origin of ecotypes combined with high levels of gene flow between parapatric ecotypes at each locality can alter the phylogenetic relationships of populations, falsely suggesting multiple independent origins. This is because genetic structure at neutral markers can be decoupled from colonization history via introgression and incomplete lineage sorting ${ }^{16,25-27}$. This needs careful scrutiny in our system as previous work showed that genomic divergence was more heterogenous in parapatric populations compared to allopatric populations ${ }^{41}$, a signature of divergence with gene flow ${ }^{62,63}$. However, this pattern can also arise due to ancestral polymorphism and incomplete lineage sorting if parapatric populations
are younger than allopatric ${ }^{64}$, which our current work shows. Thus, processes unrelated to divergence in the face of high levels of gene flow could have also contributed to the patterns of genomic divergence in this system ${ }^{41}$.

To help understand the role of gene flow during parapatric divergence in $S$. lautus, we first directly estimated rates of gene flow within fastsimcoal2. Unexpectedly, we observed minimal levels of gene flow within parapatric $S$. lautus Dune-Headland pairs. This reveals that previous patterns of genomic divergence among these populations ${ }^{41}$ likely reflect a signature of increased genome-wide differentiation over time in allopatry, and incomplete lineage sorting in parapatric populations rather than heterogeneous divergence in the face of high levels of gene flow. Furthermore, we observed that most Dune-Headland levels of bidirectional gene flow were similar to populations from different clades and separated by $>1,500 \mathrm{~km}$, suggesting that most Dune and Headland populations at each locality could be viewed as effectively allopatric. Although unmodelled changes in population size tend to favor secondary contact models of gene flow ${ }^{57}$, our estimated migration rates were consistently very low across all models of gene flow (see Supplementary Table S4 for details) with the notable exceptions of D04-H05 and D32-H12 pairs. These populations experience levels of gene flow that would make them genetically undistinguishable ( $2 \mathrm{Nm}>$ $1.00)^{65}$. Thus, it is still possible that gene flow has altered the observed phylogenetic topology for these populations.

We therefore explored the conditions which are likely to obscure the history of colonization by modelling the neutral divergence process through coalescent analyses. We observed that the likelihood of phylogenetic distortion is accentuated with very short internal branches, which are expected to carry high levels of ancestral polymorphism and therefore increase the probability that true sister taxa do not remain monophyletic; this effect is largely independent of migration rates as gene flow will not contribute more to population similarity beyond to what ancestral polymorphism already does. Short internal branches are frequently detected in systems where diversification occurs rapidly, such as in cases of adaptive radiations ${ }^{66}$, which seems to be the case in S. lautus. Our theoretical approach also reveals that increasing levels of gene flow increases the likelihood of phylogenetic distortion, especially when the time of migration is further from the population split. This is because when $t 1-\mathrm{tm}$ is long, there is more time for a coalescent event to occur that produces a topology different from the true species tree. More importantly, in these cases of secondary contact, quite high levels of
migration are required to create the appearance of multiple origins. Although conventional thinking highlights that even small amounts of gene flow have the potential to mix populations and erode their history (e.g., refs. ${ }^{25-27}$ ), our work suggests that this might not be true under all cases of secondary contact between diverged populations. As expected, our work reveals that it is important to consider the joint contributions of gene flow as well as ancestral polymorphism when inferring the likelihood of phylogenetic distortion.

Within S. lautus, even though the short internal branches and recent secondary contact have the potential to obscure the phylogeny and falsely suggest parallel evolution, this is likely circumvented by the extremely low rates of gene flow between most parapatric ecotypes. In other words, it appears that higher amounts of gene flow would be needed to counteract the divergence that has accumulated over time in the $S$. lautus system. We must also note that our theoretical approach is conservative as we have ignored the effects of selection against introgressed alleles. We expect that linkage to loci underlying local adaptation should act to decrease the probability of a phylogeny topology switch at the locus considered. As such, a polygenic basis of local adaptation could greatly reduce the probability of a topology switch due to gene flow. Overall, when considering our theoretical work in combination with patterns of gene flow and genetic structure in the system, there is strong evidence that $S$. lautus populations have evolved multiple independent times. Below we outline other lines of evidence from our empirical work that support this assertion.

First, further evidence that gene flow has not obscured a single origin scenario in S. lautus comes from comparing joint estimates of gene flow and divergence times (as implemented in isolation with migration models) between population pairs of the same ecotype and putative sister populations of divergent ecotypes. We observed that populations of the same ecotype consistently show deeper divergence times than those from different ecotypes, which reflects the topology of the phylogeny estimated in the absence of gene flow. In addition, constructing the phylogeny considering gene flow (in TreeMix) did not alter the topology from its estimation in the absence of gene flow. Although the divergences at two localities (D04-H05 and D32-H12) experience levels of gene flow high enough to potentially result in phylogenetic distortion, their levels of differentiation are rather high. Furthermore, each of these pairs is from a separate clade and are genetically isolated from other such pairs, so even moderate levels of gene flow within each pair would not have distorted the phylogeny across the entire system. Even if we treat the divergences at these two localities (D04-H05 and D32-

H12) with some caution, transplant experiments within D04-H05 and other population pairs ${ }^{40,45-49}$ have revealed strong extrinsic reproductive isolation, suggesting the barrier to gene flow is very strong between parapatric ecotypes. Together, these results also imply that phylogenetic distortion is highly unlikely in $S$. lautus and that such relationships reflect the true history of populations and ecotypes.

Additional support for the parallel evolution of $S$. lautus populations comes when considering our results in combination with previous work. Even if gene flow was high enough to distort the phylogeny across multiple populations, the clear association between environment and phenotype in the system in both common garden ${ }^{51}$ and field conditions ${ }^{50}$ as well as the strong divergent selection within each population pair ${ }^{40,45-49}$, suggests that natural selection may have independently resisted the introduction of maladaptive alleles across parapatric populations. Similar phenotypes across replicate populations have also arisen via mutations in different genes ${ }^{49,50,67}$, indicating that natural selection has necessarily acted independently within each population to drive the evolution of similar phenotypes. This adds further strength to our argument that observed levels of gene flow in $S$. lautus are not strong enough to obscure the historical relationships of populations. Overall, our results indicate that Dune and Headland populations have originated multiple independent times in parapatry with limited levels of gene flow which makes $S$. lautus a highly replicated system of parapatric divergences.

The $S$. lautus system allows us to study the deterministic nature of parallel evolution in multiple ways. For instance, we can now begin to understand how genetic architectures vary and evolve during adaptation. In doing so, researchers can then demonstrate whether alleles, genes or pathways have been repeatedly selected for across replicate populations ${ }^{24,68}$. This will also help us understand whether adaptation arises from new mutations or standing genetic variation (e.g., ref. ${ }^{68}$ ), or from fixation of functionally equivalent alleles (such as during polygenic adaptation ${ }^{38,39,69}$ ), or loss-of-function mutations (e.g., ref. ${ }^{35}$ ). Once adaptive genes have been identified, studies of parallel evolution should directly link the adaptive loci to phenotypic traits and further demonstrate that the traits themselves have been under repeated selection in independent populations ${ }^{70-72}$. In systems where this is not feasible, our study demonstrates that studying genome-wide loci can uncover patterns of phylogeography and migration that are consistent with parallel evolution.

Finally, in our work we have unusual high power to detect gene flow, as the number of individuals sequenced in each population is large ( $N_{\text {mean }}=57,2 N_{\text {mean }}>100$ chromosomes per population). This sampling regime allowed us to sample many rare variants and therefore better distinguish ancestral polymorphism from migration. Studies undertaking demographic modelling often sample 10-25 individuals per population (e.g., refs. ${ }^{22,73,74}$ ) and occasionally even less than 10 (e.g., ref. ${ }^{28}$ ). Thus these studies cannot easily distinguish shared variants due to gene flow from ancestral polymorphism, which can make results biased to detecting moderate to high levels of gene flow, especially for recently diverged populations and in underpowered studies ${ }^{64,75-77}$. As our coalescent modelling reveals that little gene flow can obscure a phylogenetic topology under certain conditions (e.g., during very young adaptive radiations), studies that fail to detect gene flow with many numbers of individuals and loci can treat results with confidence.

Overall, we provide strong evidence for multiple origins of parapatric Dune and Headland populations within S. lautus. Across this highly replicated system we observed phylogenetic clustering by geography, strong genetic structure between populations, isolation by distance, and surprisingly low gene flow between parapatric populations at each locality as well as the system as a whole. Coalescent modelling confirmed that levels of gene flow are likely not high enough to obscure a single origin scenario. Furthermore, the phylogenetic relationships of populations estimated in the presence of gene flow agree with the main phylogeny, which supports a multiple origin scenario. These results from our current work in combination with strong divergent selection between ecotypes ${ }^{40,45-49}$, strong trait-environment association in the system ${ }^{50,51}$ and adaptation across replicate populations occurring mainly via mutations in different genes ${ }^{49,50,67}$, implies that selection has independently driven the parallel evolution of populations. This makes S. lautus one of the clearest examples of the parallel evolution of ecotypes discovered yet, adding to the increasing number of potential cases of parallel evolution in plants ${ }^{22,78-80}$. It also positions the species as a powerful system of replicated parapatric divergence to study the origin of adaptations and reproductive isolation.

## Methods

## Sample collection and DNA extraction

Leaf samples for DNA extraction were collected from 23 Dune and Headland populations of Senecio lautus along the coast of Australia, which included eight parapatric Dune-Headland
population pairs, three allopatric Headland populations, and three allopatric Dune populations $\left(\mathrm{n}_{\text {mean }}=58, \mathrm{n}_{\text {total }}=1338\right.$; Fig. 2A, Supplementary Table S5). We sampled mature (flowering) plants evenly across the geographic range of each population, ensuring that sampled plants were at least one meter apart. DNA was extracted using a modified CTAB protocol ${ }^{81}$ and cleaned with Epoch Life Sciences spin columns. We quantified sample concentration with the Invitrogen Quant-iT PicoGreen dsDNA Assay Kit, and used the BioTek Take3 MicroVolume Plate to ensure DNA samples were pure. Samples were standardized to $10 \mathrm{ng} / \mathrm{uL}$.

## GBS library construction

We created reduced representation libraries to obtain restriction site associated DNA (RAD) markers. Specifically, we used a two-enzyme Genotyping-by-Sequencing (GBS) approach (modified from ref. ${ }^{82}$ ). We created seven libraries from the 23 Dune and Headland populations, each containing 192 barcoded individuals. For each individual, genomic DNA was digested with the restriction enzymes Pst1-HF (New England Biosciences; NEB) and Msp1 (NEB). Forward and reverse barcodes were ligated to fragments from each sample, and subsequently cleaned with homemade Serapure beads ${ }^{83,84}$. For each sample we amplified the fragments and added Illumina sequencing primers via PCRs. Each sample was quantified with the Invitrogen Quant-iT PicoGreen dsDNA Assay Kit. We created seven equimolar pools (192 individuals per pool), ensuring each population was evenly distributed across the pools. Each pool was size-selected on the BluePippin (2\% DF Marker V1, 300-500bp; Sage Science), and cleaned with the Monarch PCR \& DNA cleanup kit (NEB). Pooled libraries were sent to Beijing Genomics Institute for sequencing on seven lanes of the HiSeq4000, with 100 bp paired-end sequencing.

## Bioinformatics

The Beijing Genomics Institute removed forward barcodes and quality filtered the raw reads to remove reads containing Illumina adaptors, low quality reads ( $>50 \%$ of bases $<$ Q10), and reads with $>10 \%$ Ns. We trimmed reverse barcodes with TagCleaner standalone v0.12 ${ }^{85}$. We retained an average of $2,849,159$ clean reads $(\mathrm{SD}=827,036)$ across the 1,319 individuals (after the removal of 19 individuals with high missing data, see below; Supplementary Table S6). Reads were mapped to the $S$. lautus reference PacBio genome v $1.0^{49}$ with BWA-MEM v0.7.15 ${ }^{86,87}$. On average, $86 \%$ of reads $(S D=15)$ mapped to the reference genome, and $81 \%$ $(S D=15)$ mapped properly with their paired-read (Supplementary Table S6). PicardTools
v2.7.0 ${ }^{88}$ was used to clean aligned reads and to add read groups (PCR duplicates were not marked for removal). We jointly called all variant and invariant sites for each population with FreeBayes v1.1.0 ${ }^{89}$. Because SNPs were separately called for each of the 23 populations, we first normalized the 23 VCF files before merging them together. This was achieved by first using BCFtools v1.4.1 ${ }^{90}$ to split multiallelic sites into biallelic records. Each file was then normalized by re-joining biallelic sites into multiallelic records. We then left-aligned and normalized indels, and used $v t^{91}$ to decompose biallelic block substitutions into separate SNPs for each population. We then merged the 23 per-population VCF files into one large file for subsequent SNP filtering.

We largely followed the $d$ Docent pipeline for SNP filtering ${ }^{92,93}$, including iterative filtering to maximize the number of sampled SNPs ${ }^{94}$. Using VCFtools $\mathrm{v} 0.1 .15^{95}$, we first retained sites if they were present in $>50 \%$ of individuals, had a minimum quality score of 30 , and a minimum minor allele count of 1 . We then filtered for a minimum depth of 3 for a genotype call. Individuals were removed if they contained $>40 \%$ missing data. We then filtered for a maximum mean depth of 100 , and a minimum mean depth of 10 . We filtered for missing data per population, removing sites if they contained $>50 \%$ of missing data within each population. We refiltered for an overall missing data of $20 \%$. Indels were removed with $v c f l i b^{96}$. We then filtered for population-specific Hardy Weinberg Equilibrium using the filter_hwe_by_pop.pl script within dDocent. See below for the minor allele frequency thresholds for each analysis.

## Do populations cluster by geography or ecotype?

To explore the broad patterns of genetic clustering of populations, we performed two separate analyses: phylogeny construction and fastSTRUCTURE ${ }^{97}$. We used PLINK v1. ${ }^{98}$ to filter for a minor allele frequency of 0.05 and also to thin SNPs by retaining one unlinked SNP per RAD locus. This dataset contained 3,844 unlinked SNPs across the 1,319 individuals. We generated a maximum likelihood phylogeny within IQ-TREE v1.6.0 ${ }^{99}$ using the polymorphisms-aware phylogenetic model ${ }^{100}$. We first used ModelFinder ${ }^{101}$ to determine the best-fit substitution model for the data (TVMe $+\mathrm{FQ}+\mathrm{P}+\mathrm{N} 9+\mathrm{G} 4$ ), and increased the virtual population size $(\mathrm{N})$ to the maximum value of 19 (as recommended by ref. ${ }^{100}$ ). Default parameters were used for tree construction, with the western Australia D09 population assigned as the outgroup. To assess convergence, we undertook 10 separate runs of IQ-TREE and examined tree topology (which remained unchanged with 10 independent runs). We also
ensured that the log-likelihood values were stable at the end of each run. Branch support was performed using 10,000 replicates of UFboot ${ }^{102}$, and 10,000 replicates of SH-aLRT ${ }^{103}$.

We further explored broad patterns of population structure using the variational Bayesian framework, fastSTRUCTURE v1.097. Here, we implement fastSTRUCTURE as extra evidence for whether populations genetically cluster by geography or ecotype. We did not infer specific historical admixture scenarios from fastSTRUCTURE, as different demographic scenarios can give rise to indistinguishable structure plots ${ }^{52}$. The fastSTRUCTURE algorithm assigns individuals into genetic clusters (K) by minimizing departures from Hardy-Weinberg equilibrium and inferring individual ancestry proportions to each genetic cluster. We followed the recommendations by refs. ${ }^{104,105}$. We ran the simple prior ( $\mathrm{K}=1-30$ ) with 100 independent runs per K-value. In order to determine the most likely number of genetic clusters (the optimal K), we used the chooseK.py script from fastSTRUCTURE to examine (1) the K-value that best explained the structure in the data (the smallest number of model components that accounted for almost all of the ancestry in the sample), and (2) the K-value that maximized the marginal likelihood of the data. Results were summarized and plotted in the R package pophelper $\mathrm{v} 2.2 .7^{106}$.

## Has gene flow shaped patterns of divergence across the system?

To explore patterns of gene flow in a phylogenetic context, we used TreeMix v1.13 ${ }^{55}$. TreeMix constructs a bifurcating maximum likelihood tree, identifies populations that are poor fits to the model, and sequentially adds migration events that improve the fit of the data. We filtered our data for MAF 0.01 , retaining 24,933 SNPs across the 1,319 individuals. We constructed an initial 25 maximum likelihood trees with no migration, 1,000 bootstrap replicates in blocks of 50 SNPs with D09 as the assigned outgroup, and selected the tree with the highest log-likelihood as the input tree for all subsequent analyses. We then tested between 1-25 migration events in blocks of 50 SNPs. Trees and migration events were robust to varying the size of the linkage blocks as well as the MAF threshold of the dataset (data not shown). To select the number of migration events, we examined the log-likelihoods and cumulative variance explained by each model, as well as performed jackknife estimates to obtain the standard error and significance of the weight of each migration event. However, the interpretation of these P -values should be treated with caution due to possible errors in the tree structure as well as the inference of incorrect migration events ${ }^{55}$.

To more formally test for admixture, we used the threepop function in TreeMix to calculate $f 3$-statistics ${ }^{107}$. The $f 3$-statistic determines whether a particular population $(A)$ is the result of admixture between two other populations ( $B$ and $C$ ). It measures the difference in allele frequencies between populations $A$ and $B$, and populations $A$ and $C$. Only when admixture is present, we expect the allele frequency of population $A$ to be intermediate between the allele frequencies of populations $B$ and $C$. In contrast, in the absence of gene flow, population $A$ allele frequency should not be consistently intermediate between $B$ and $C$. Therefore, $f 3$ can be interpreted as the amount of shared genetic drift between two populations from a common ancestor. In the absence of admixture, $f 3(A ; B, C)$ will be positive, whereas a significantly negative value of $f 3$ provides evidence for $A$ being admixed from $B$ and $C$. We calculated $f 3$ for all triads of populations with jackknifing in blocks of 50 SNPs to obtain Z-scores for calculating statistical significance ( Z -score $<-3.8=\mathrm{P}<0.0001$ ).

The erect phenotype is common across Australian species of the genus Senecio ${ }^{43}$, except for the prostrate $S$. lautus Headland ecotype and a few Alpine populations, suggesting these prostrate forms are derived. We tested for isolation by distance ( $\mathrm{IBD}^{23}$ ) in the ancestral and derived ecotypes to evaluate similarities in their dispersal dynamics ${ }^{58}$. We tested for IBD using migration rates (2Nm) inferred in fastsimcoal2 (see below) as well as Slatkin's $\widehat{M}$, ( $1 /$ $\left.F_{S T}-1\right) / 4$, as a proxy for gene flow $^{58}$. For Slatkin's $\widehat{M}$, we excluded the western Australia populations (D09 and D35), filtered for a MAF of 0.05, and calculated pairwise FSt in VCFtools. We calculated pairwise geographic distances using the following formula, which uses the spherical law of cosines to consider the curvature of the earth:
$6378137 * \operatorname{acos}\left(\sin \left(\right.\right.$ lat $\left._{1}\right) * \sin \left(\right.$ lat $\left._{2}\right)+\cos \left(\right.$ lat $\left._{1}\right) * \cos \left(\right.$ lat $\left._{2}\right) * \cos \left(\right.$ long $_{1}-$ long $\left.\left._{2}\right)\right)$, where 6378137 is earth's radius in meters, and lat and long are the latitude and longitude (in radians) of the two populations compared. For the fastsimcoal2 migration rates, we tested for IBD between the Dune and Headland of each population pair using a linear model in R v3.4.2 ${ }^{108}$, using an average of the bidirectional gene flow rates for each pair (log-log scale). For Slatkin's $\widehat{M}$, we also tested for IBD between the Dune and Headland of each population pair (log-log scale) using a linear model in R, and tested for IBD within the Dunes, and within the Headlands (log-log scale) using Mantel tests with 9,999 permutations in R (mantel function in the vegan package ${ }^{109}$ ).

## Is there gene flow between parapatric populations?

We examined levels of admixture between parapatric populations with STRUCTURE v2.3.4 ${ }^{55}$. STRUCTURE is a Bayesian MCMC approach that assigns populations into genetic clusters (K) based on individual genotypes by assuming Hardy-Weinberg Equilibrium within a population. It assigns each individual an admixture coefficient to depict the proportion of the genome that originated from a particular K cluster. To increase the numbers of SNPs, we took a subset of the data by excluding the two populations from the west coast of Australia (D09 and D35). Excluding these most divergent populations decreased the amount of missing data and thus increased the number of common SNPs in the south-eastern populations. We used the same filtering procedure as above, filtered for MAF 0.05 and thinned SNPs in PLINK to retain one SNP per RAD locus. Each population pair was extracted and subsequently filtered for MAF 0.05 . We retained between 837 and 2,606 unlinked SNPs per pair (mean $=1,905$ SNPs; $\mathrm{SD}=575$ ). STRUCTURE analysis was run using the admixture model and the correlated allele frequency model ${ }^{110}$ with 10 independent runs for $\mathrm{K}=1-6$ (50,000 burn-in and 200,000 MCMC). We ensured convergence of all summary statistics. As we were specifically interested in detecting admixed individuals between the two ecotypes, we plot results for $\mathrm{K}=2$. To explore any additional genetic structure within a pair, we also estimated the optimal K-value with the Evanno method ${ }^{56}$, by examining the maximum value for $\Delta \mathrm{K}$ (the second order rate of change in the log probability of data between successive Kvalues). The R package pophelper was used to calculate the $\Delta \mathrm{K}$, summarize results and plot the data.

We directly estimated levels of gene flow between population pairs from the site frequency spectrum (SFS) using the composite-likelihood method implemented in fastsimcoal2 v2.6.0.3 ${ }^{111}$. The joint SFS of two populations is sensitive to demographic processes. For instance, gene flow will result in more low-frequency shared polymorphisms than expected under a non-migration scenario ${ }^{112}$. We tested eight demographic models (Fig. 4A), and inferred migration rates, as well as other demographic parameters including current population sizes, ancestral population size, divergence time, time of secondary contact, and gene flow cessation time, for eight Dune-Headland (DH) population pairs. We additionally asked whether gene flow was occurring in a linear fashion down the coast within each ecotype by testing eight Dune-Dune (DD) and eleven Headland-Headland (HH) pairs. To determine the baseline level of gene flow inferred by fastsimcoal2 between isolated
populations, namely the null gene flow expectation, we estimated migration rates for three very divergent allopatric populations ( $>1,500 \mathrm{~km}$ apart, between the eastern and south-eastern clades; D03-D32, D03-H12, and H02-H12), and took the highest detected migration rate from these allopatric comparisons as the baseline migration rate.

As above, the western Australia populations (D09 and D35) were excluded from this dataset to increase the number of sampled SNPs. For each pair, we filtered for a minor allele count of one (MAC1), retaining between 6,679 and 19,951 variable sites per pair (mean $=12,155$ SNPs, $\mathrm{SD}=3,316$ ). By using a MAC1 and a relatively high number of samples per population (mean $=57, \mathrm{SD}=15$ ), we retained rare alleles that are informative about migration events between the populations ${ }^{75}$. Since we cannot distinguish ancestral from derived alleles, we used the minor allele SFS (folded SFS). We used an ad hoc approach to estimate the number of monomorphic sites (see Supplementary Methods section "Estimation of monomorphic sites per pair"). Gene flow estimates were robust to varying the number of monomorphic sites (data not shown). We used custom R functions (modified from ref. ${ }^{113}$ ) to generate the joint folded SFS per population pair without downsampling. See Supplementary Table S4 for details on the number of SNPs, number of monomorphic sites and models tested for each pair comparison.

We performed 50 independent fastsimcoal2 runs per model per population pair. Each run consisted of 100,000 coalescent simulations and 40 expectation-maximization cycles for parameter optimization. We used a mutation rate of $1.0 \times 10^{-8}$ based on Asteraceae EST sequence comparisons and fossil calibrations ${ }^{114}$. We ranked the models based on the Kullback-Leibler information value which was estimated from the AIC scores of the best run per model. Here, the normalization of the difference between the AIC scores of a particular model and the best model in the set provides a measure of the degree of support for a particular model, namely model likelihood ( $\left.w_{i}\right)^{115}$. Since the use of linked-SNPs might lead to pseudo-replication issues when comparing models based on fastsimcoal2 likelihood values ${ }^{116}$ and the SFS discards linkage information, we verified SNPs were largely unlinked by calculating linkage-disequilibrium in PLINK (data not shown).

As fastsimcoal2 uses simulations to approximate the likelihood values, there is variance in the likelihood estimates. To test whether the best model significantly differs from alternative models with negligible gene flow $(2 \mathrm{Nm}=0.01)$ but the same values at other parameters, we compared their likelihood distributions based on 100 expected SFS from 100,000 coalescent
simulations per model ${ }^{116}$. If likelihood distributions overlap, there is no significant differences between the fit of both models ${ }^{28}$. To obtain confidence intervals for all demographic parameters, we performed parametric bootstrapping. Given the parameter values of the best run of the best model, we simulated 100 SFS and re-estimated the parameter values from them. Each run consisted of 100,000 coalescent simulations and 30 expectation-maximization cycles. The parameter values of the best run of the best model were specified as initial values of each bootstrapping run. We computed the $95 \%$ confidence intervals of all parameters with the groupwiseMean function of rcompanion R package ${ }^{117}$.

## Is gene flow high enough to obscure a single origin scenario?

To better understand under what conditions gene flow can erode a signal of phylogenetic monophyly of each ecotype, we created a coalescent model to represent a single origin scenario of ecotypes (see Supplementary Methods section "Probabilities of gene flow distorting phylogeny topology" for full details). We assumed a species tree consisting of four populations, with two sets of sister taxa to represent populations of the same ecotype (Fig. 5A). The ancestor of the ecotypes splits at time $t 2$ in the past, and we can think of this split as an initial single origin of the Dune and Headland ecotypes. To represent two parapatric population pairs, each of these two ecotypes further split simultaneously at time $t l$ in the past. We considered an instantaneous burst of migration from the ancestral ecotype populations into the derived ecotype populations at each locality by assuming that a fraction $m$ of alleles in each derived ecotype population $(10 \%)$ is replaced by migrant alleles from a parapatric population at time tm in the past (50,000 generations ago). We then considered sampling an allele from each of the four populations at the present, and conditioned on the migrant status of the sampled alleles to calculate coalescent probabilities of gene tree topologies that result in a grouping in which the two populations of the derived ecotype do not appear as sister taxa in the gene genealogy. These methods recapitulate recent more formal treatments of the probability of hemiplasy (non-monophyly despite a single evolutionary origin) under incomplete lineage sorting and introgression ${ }^{188,119}$, though we have considered a scenario involving four populations to reflect the nature of parapatric pairs. Moreover, our emphasis is placed on the implications of gene flow for the original inference of the species tree itself, rather than how it pertains to the history of a selected locus of interest under an inferred phylogeny.

Finally, although we cannot directly map where our observed data fall in the simulated parameter space, we can gain further confidence on the likelihood of phylogenetic distortion by considering divergence time estimates from fastsimcoal2 in combination with the phylogenetic topology estimated in IQ-TREE. More specifically, we asked whether divergence times between populations from the same ecotype are deeper than between populations from different ecotypes. The estimation of divergence times in fastsimcoal2 considers gene flow, thus if they are in accordance with relative node order of the IQ-TREE phylogeny (which is estimated without accounting for gene flow), it suggests that phylogenetic distortion within the system is unlikely. We thus compared the fastsimcoal2 divergence times to the relative node order of the IQ-TREE phylogeny for four population pairs (D04-H05 and D05-H06; D14-H15 and D32-H12). We selected these pairs because they represent neighboring sister-taxa within the phylogeny.

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## Author contributions

M.E.J and D.O. conceived the project. M.E.J. and J.E. undertook sample collection. M.E.J. extracted DNA, prepared libraries, performed bioinformatics, and undertook the IQ-TREE, fastSTRUCTURE, STRUCTURE and TreeMix analyses. H.A. conducted the fastsimcoal2 analyses. J.S.G. performed the coalescent modelling with input from J.E. The paper was written by M.E.J. and D.O. with input from all authors. D.O. is the mentor and supervisor for the research program.

## Competing interests

The authors declare no competing interests.

## 713 Data availability

714 Data will be uploaded to Dryad upon acceptance of the manuscript.

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## Figures

Fig. 1 The colonization history and phylogenetic topology for alternate origin scenarios

Schematic diagram representing the colonization history and phylogenetic topology of two ecotypes (dark green and light green) from an ancestral population (grey) for three origin scenarios. Solid arrows depict the sequence of colonization. Double headed dotted arrows represent gene flow ( $m$ ) between the ecotypes within each locality. L1, L2 and L3 represent three geographically distant localities, where a population of each ecotype resides. (A) Within a single origin scenario, the two ecotypes arise once from the ancestor, followed by range expansion. In the absence of gene flow, ecotypes form monophyletic clades within the phylogeny. (B) The single origin with gene flow scenario involves gene flow upon secondary contact between the ecotypes within each locality. Here, the observed phylogenetic topology shows populations clustering according to their geographic distribution. (C) Within a multiple origin scenario, the ancestral (dark green) ecotype arises once from the ancestor followed by range expansion, with the derived (light green) populations independently arising from each dark green population. Populations phylogenetically cluster according to their geographic distribution, which can be indistinguishable from a single origin with gene flow scenario (B).
A) $\begin{aligned} & \text { Single origin } \\ & \text { without gene flow }\end{aligned}$

B) Single origin with gene flow
C) Multiple origins







Fig. 2 Sampling locations and genetic clustering of Senecio lautus populations
(A) Sampling locations of the 23 Dune (orange) and Headland (green) Senecio lautus populations along the coast of Australia. (B) Maximum likelihood phylogeny of Dune and Headland populations implemented in IQ-TREE. Numbers on each node represent the SHalRT support (\%), followed by the ultrafast bootstrap support (\%). (C) Bayesian assignment of individuals to genetic clusters within fastSTRUCTURE for $\mathrm{K}=2-4$. Each of the 1,319 individuals is depicted as a bar, with colors representing ancestry proportions to each cluster. Populations are ordered according to their geographic distribution along the coast.
A)

C)


Fig. 3 Patterns of long-distance gene flow, IBD, and genetic clustering
(A) Maximum likelihood tree with one migration event inferred in TreeMix, the x -axis representing genetic drift. The red arrow represents the migration event $(w=0.40)$. (B) Patterns of isolation by distance across Dune and Headland populations for Dune-Headland (DH, black), DuneDune (DD, orange) and Headland-Headland (HH, green) pairs. Average migration rate is the mean bidirectional migration for each pair estimated in fastsimcoal2. Grey shading represents the null expectation for migration rates, inferred from the maximum migration value from three allopatric comparisons. Grey horizontal dashed line represents one migrant per generation $(2 \mathrm{Nm}=1)$. Pairs falling above this line are labelled. Black dashed line represents the linear model for the DH comparisons. (C) Patterns of isolation by distance using Slatkin's $\widehat{M}$ for parapatric Dune-Headland (black), Dune-Dune (orange) and Headland-Headland (green) pairs. Black, orange and green dashed line represent the linear model for the DH, DD and HH comparisons respectively. (D) Bayesian assignment of individuals to genetic clusters within fastSTRUCTURE for $\mathrm{K}=23$. Each of the 1,319 individuals is depicted as a bar, with colors representing ancestry proportions to each cluster. Populations are ordered according to their geographic distribution along the coast.


Fig. 4 Patterns of gene flow and admixture between parapatric Dune-Headland populations
(A) Schematic diagram representing the eight demographic models run in fastsimcoal2 and their estimated parameters: no migration, bidirectional migration, Dune to Headland migration, Headland to Dune migration, bidirectional migration after secondary contact, Dune to Headland migration after secondary contact, Headland to Dune migration after secondary contact, bidirectional migration after population splitting with cessation of gene flow. (B) Bayesian assignment of individuals to genetic clusters within STRUCTURE for $\mathrm{K}=2$ for the Dune (dark green) and Headland (light green) ecotypes at each locality. Each individual is depicted as a bar, with colors representing ancestry proportions to each cluster. Below are the migration rates ( $m$, forward in time) from the Dune to Headland, and Headland to Dune within each locality estimated within fastsimcoal2. Asterisks denote pairs with $2 \mathrm{Nm}>1$.
A)

B)


$$
\begin{array}{ll}
m=\xrightarrow{3.24 \mathrm{E}-06} & m=2.08 \mathrm{E}-06 \\
m=1.18 \mathrm{E}-05 & m=2.73 \mathrm{E}-05
\end{array}
$$







$m=\xrightarrow{2.25 \mathrm{E}-05}$$*$
$m=\xrightarrow{1.14 \mathrm{E}-05}$
$m=6.56 \mathrm{E}-06$
$m=\xrightarrow{4.25 \mathrm{E}-06}$
$m=1.69 \mathrm{E}-06$
$m=5.51 \mathrm{E}-05$
$m=2.62 \mathrm{E}-06$
$m=\xrightarrow{5.25 \mathrm{E}-05} *$
$m=1.59 \mathrm{E}-05$$*$

Fig. 5 Coalescent modelling to infer the probability of phylogenetic distortion
(A) Schematic diagram representing the modelled single origin scenario. $t 2$ represents the time to the split of the ancestral population (i.e., the initial origin of the Dune and Headland ecotypes). Each of these two ecotypes further split at time $t l$ in the past. Parapatric populations at each locality are connected with dashed lines, and an instantaneous burst of migration ( $m$ ) occurs at time $t m$ in the past (dashed horizontal red line). In the model, all times are expressed in units of $2 N$ generations. Light green and dark green circles represent populations from different ecotypes. (B, C) Probability that the phylogenetic topology of the single origin scenario is distorted, falsely suggesting the parallel evolution of ecotypes. Population size is set to 250,000 and $t m$ is 0.1 (corresponding to 50,000 generations). Small phylogenies are schematic diagrams of the extreme values of the $y$-axis (B) High probability of phylogenetic distortion occurs when internal branches (IB) are short (lower yellow region). tl is set to 1 (corresponding to 500,000 generations). (C) The probability of phylogenetic distortion requires high migration and increases when length of terminal branches (TB) are longer prior to the burst of migration (right-hand yellow region). $t 2$ is set to 1 (corresponding to 500,000 generations). Note the different scale of probability in panel (C) compared to panel (B).
A)

B)

C) Long TB relative to timing of migration


## Supplementary information

## Supplementary Table S1. Pairwise F ST $^{\text {values for }}$ S. lautus populations

Pairwise FST values between all 21 populations of the eastern and south-eastern clades.

|  | D00 | D01 | D02 | D03 | D04 | D05 | D12 | D14 | D32 | H00 | H01 | H02 | H03 | H04 | H05 | H06 | H07 | H12 | H12A | H14 | H15 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| D00 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D01 | 0.25 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D02 | 0.25 | 0.22 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D03 | 0.27 | 0.22 | 0.20 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D04 | 0.29 | 0.25 | 0.26 | 0.28 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D05 | 0.29 | 0.25 | 0.27 | 0.27 | 0.25 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D12 | 0.34 | 0.29 | 0.31 | 0.33 | 0.31 | 0.28 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D14 | 0.34 | 0.28 | 0.29 | 0.31 | 0.29 | 0.26 | 0.32 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |
| D32 | 0.34 | 0.30 | 0.33 | 0.34 | 0.32 | 0.30 | 0.30 | 0.32 | - |  |  |  |  |  |  |  |  |  |  |  |  |
| H00 | 0.26 | 0.23 | 0.24 | 0.25 | 0.26 | 0.26 | 0.29 | 0.28 | 0.31 | - |  |  |  |  |  |  |  |  |  |  |  |
| H01 | 0.26 | 0.22 | 0.25 | 0.25 | 0.25 | 0.24 | 0.26 | 0.25 | 0.28 | 0.23 | - |  |  |  |  |  |  |  |  |  |  |
| H02 | 0.26 | 0.21 | 0.21 | 0.20 | 0.27 | 0.27 | 0.31 | 0.30 | 0.33 | 0.25 | 0.25 | - |  |  |  |  |  |  |  |  |  |
| H03 | 0.33 | 0.29 | 0.31 | 0.32 | 0.30 | 0.27 | 0.28 | 0.30 | 0.30 | 0.29 | 0.25 | 0.31 | - |  |  |  |  |  |  |  |  |
| H04 | 0.28 | 0.23 | 0.25 | 0.26 | 0.27 | 0.26 | 0.30 | 0.29 | 0.31 | 0.24 | 0.22 | 0.26 | 0.29 | - |  |  |  |  |  |  |  |
| H05 | 0.29 | 0.25 | 0.27 | 0.28 | 0.21 | 0.26 | 0.31 | 0.30 | 0.32 | 0.27 | 0.25 | 0.27 | 0.30 | 0.27 | - |  |  |  |  |  |  |
| H06 | 0.30 | 0.27 | 0.28 | 0.29 | 0.27 | 0.21 | 0.30 | 0.28 | 0.31 | 0.27 | 0.24 | 0.28 | 0.28 | 0.27 | 0.28 | - |  |  |  |  |  |
| H07 | 0.31 | 0.27 | 0.28 | 0.29 | 0.28 | 0.24 | 0.28 | 0.28 | 0.30 | 0.27 | 0.24 | 0.29 | 0.27 | 0.27 | 0.28 | 0.26 | - |  |  |  |  |
| H12 | 0.35 | 0.31 | 0.33 | 0.34 | 0.33 | 0.30 | 0.31 | 0.32 | 0.22 | 0.31 | 0.28 | 0.33 | 0.30 | 0.31 | 0.33 | 0.32 | 0.30 | - |  |  |  |
| H12A | 0.34 | 0.30 | 0.33 | 0.33 | 0.32 | 0.30 | 0.29 | 0.31 | 0.20 | 0.31 | 0.27 | 0.32 | 0.29 | 0.31 | 0.32 | 0.32 | 0.30 | 0.22 | - |  |  |
| H14 | 0.34 | 0.30 | 0.31 | 0.33 | 0.31 | 0.28 | 0.28 | 0.30 | 0.30 | 0.30 | 0.27 | 0.32 | 0.28 | 0.29 | 0.32 | 0.30 | 0.28 | 0.31 | 0.30 | - |  |
| H15 | 0.34 | 0.28 | 0.29 | 0.31 | 0.30 | 0.26 | 0.32 | 0.15 | 0.32 | 0.28 | 0.25 | 0.30 | 0.30 | 0.29 | 0.31 | 0.28 | 0.28 | 0.32 | 0.30 | 0.30 | - |

## Supplementary Table S2. Estimation of gene flow and other demographic parameters in fastsimcoal2

Populations: the two populations used for each comparison (population 1 is on the left, and population 2 on the right). Asize: ancestral effective population size. Pop1size: effective population size of population 1. Pop2size: effective population size of population 2.
DivTime: divergence time. SecTime: time since gene flow upon secondary contact. 2NmP1$>$ P2: migration rate ( 2 Nm ) from population 1 to population $2.2 \mathrm{NmP2}->\mathrm{P} 1$ : migration rate $(2 \mathrm{Nm})$ from population 2 to population 1. Migration rates are forward in time. Values in bold represent $2 \mathrm{Nm}>1$.

| Comparison | Populations | Asize | Pop1size | Pop2size | DivTime | SecTime | 2NmP1->P2 | 2NmP2->P1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | D00-H00 | 100497 | 47926 | 134364 | 71945 | 18690 | 0.2176 | 0.2830 |
|  | D03-H02 | 88035 | 34637 | 152616 | 44190 | 15031 | 0.1590 | 0.4722 |
|  | D01-H01 | 72385 | 90270 | 159101 | 71918 | 13268 | 0.6241 | 0.3671 |
| Dune- | D04-H05 | 87603 | 90859 | 123949 | 30707 | 6329 | $\mathbf{1 . 3 9 4 2}$ | $\mathbf{1 . 5 0 2 4}$ |
| Headland | D05-H06 | 97653 | 131873 | 70970 | 67927 | 16810 | 0.4049 | 0.4325 |
|  | D12-H14 | 56510 | 211701 | 103102 | 110018 | 11783 | 0.2188 | 0.1787 |
|  | D14-H15 | 102574 | 39573 | 143420 | 47929 | 39730 | 0.3952 | 0.5187 |
|  | D32-H12 | 56568 | 661726 | 212041 | 38706 | 11290 | $\mathbf{5 . 5 6 9 4}$ | $\mathbf{5 . 2 6 9 4}$ |
|  | D00-D02 | 97055 | 63843 | 113624 | 52711 | 6436 | 0.3242 | 0.2617 |
|  | D01-D03 | 99168 | 142624 | 51613 | 58652 | 23772 | 0.3280 | 0.2119 |
|  | D01-D04 | 92638 | 121936 | 74257 | 66970 | 11319 | 0.2901 | 0.2200 |
|  | D02-D03 | 93440 | 116800 | 48492 | 54857 | 23163 | 0.3514 | 0.2029 |
|  | D04-D05 | 78638 | 86635 | 110138 | 77895 | 18111 | 0.3178 | 0.2027 |
|  | D05-D12 | 35322 | 103044 | 223346 | 128159 | 21689 | 0.1562 | 0.2041 |
|  | D12-D14 | 22223 | 259172 | 38450 | 118024 | 35758 | 0.0991 | 0.1046 |
|  | D14-D32 | 47348 | 27002 | 641721 | 56330 | 12595 | 0.3179 | 0.1074 |
|  | H00-H02 | 97070 | 107516 | 94259 | 81290 | 9622 | 0.3920 | 0.4012 |
|  | H01-H04 | 78784 | 171269 | 86431 | 81443 | 19633 | 0.2561 | 0.3261 |
|  | H01-H05 | 61893 | 173061 | 89468 | 95145 | 17016 | 0.2546 | 0.3116 |
|  | H02-H04 | 78009 | 107213 | 91698 | 87055 | 20222 | 0.2913 | 0.1768 |
|  | H03-H07 | 57850 | 147099 | 125603 | 109197 | 12874 | 0.1904 | 0.1921 |
| Headland- | H03-H14 | 63207 | 157400 | 119559 | 108683 | 9099 | 0.2068 | 0.2012 |
| Headland | H05-H06 | 84257 | 109077 | 88382 | 81710 | 10907 | 0.2559 | 0.1953 |
|  | H06-H07 | 67117 | 89121 | 141737 | 88627 | 14422 | 0.2532 | 0.2387 |
|  | H12-H12A | 52196 | 286574 | 322443 | 43928 | 14082 | $\mathbf{3 . 7 5 8 4}$ | $\mathbf{4 . 0 3 1 5}$ |
|  | H12-H15 | 46457 | 362929 | 51902 | 81116 | 9800 | 0.1921 | 0.2501 |
|  | H14-H15 | 46091 | 168257 | 72243 | 101092 | 18596 | 0.1396 | 0.1181 |
|  | D03-D32 | 35657 | 53174 | 566115 | 76621 | 5201 | 0.3873 | 0.3238 |
|  | D03-H12 | 37227 | 67316 | 333665 | 99511 | 8840 | 0.1984 | 0.2642 |
|  | H02-H12 | 33876 | 78181 | 313687 | 111278 | 9257 | 0.1884 | 0.2707 |
|  |  |  |  |  |  |  |  |  |

## Supplementary Table S3. Confidence intervals for gene flow estimates inferred in fastsimcoal2

$95 \%$ confidence intervals (CI) for migration rates inferred from 100 bootstrap runs in fastsimcoal2. Populations: the two populations used for each comparison; population 1 (P1) is on the left, and population $2(P 2)$ on the right. $2 \mathrm{NmP1}->P 2$ min and max are the lower and upper $95 \%$ CI for migration rate ( 2 Nm ) from P1 to P2, respectively. 2NmP2->P1min and max are the lower and upper 95\% CI for migration rate from $P 2$ to $P 1$, respectively.

Migration rates are forward in time. Populations in bold represent $2 \mathrm{~N} m>1$.

| Comparison | Populations | 2NmP1->P2min | 2NmP1->P2max | 2NmP2->P1min | 2NmP2->P1max |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | D00-H00 | 0.2181 | 0.2281 | 0.2769 | 0.2865 |
|  | D03-H02 | 0.1511 | 0.1611 | 0.4576 | 0.4758 |
|  | D01-H01 | 0.5991 | 0.6174 | 0.3554 | 0.3655 |
| Dune- | D04-H05 | $\mathbf{1 . 3 1 2 0}$ | $\mathbf{1 . 3 6 4 8}$ | $\mathbf{1 . 4 3 4 7}$ | $\mathbf{1 . 4 9 0 3}$ |
| Headland | D05-H06 | 0.3924 | 0.4054 | 0.4172 | 0.4321 |
|  | D12-H14 | 0.2174 | 0.2236 | 0.1775 | 0.1840 |
|  | D14-H15 | 0.3776 | 0.4010 | 0.5001 | 0.5215 |
|  | D32-H12 | $\mathbf{4 . 9 0 4 6}$ | $\mathbf{5 . 0 8 1 0}$ | $\mathbf{5 . 2 0 8 8}$ | $\mathbf{5 . 3 9 9 9}$ |
|  | D00-D02 | 0.3186 | 0.3344 | 0.2576 | 0.2686 |
|  | D01-D03 | 0.3183 | 0.3305 | 0.2040 | 0.2137 |
|  | D01-D04 | 0.2818 | 0.2911 | 0.2148 | 0.2226 |
|  | D02-D03 | 0.3417 | 0.3563 | 0.2000 | 0.2096 |
|  | D04-D05 | 0.3106 | 0.3228 | 0.2008 | 0.2078 |
|  | D05-D12 | 0.1533 | 0.1584 | 0.2020 | 0.2077 |
|  | D12-D14 | 0.0976 | 0.1011 | 0.1037 | 0.1068 |
|  | D14-D32 | 0.3109 | 0.3274 | 0.1050 | 0.1106 |
|  | H00-H02 | 0.3828 | 0.3952 | 0.3901 | 0.4038 |
|  | H01-H04 | 0.2504 | 0.2574 | 0.3183 | 0.3290 |
|  | H01-H05 | 0.2485 | 0.2558 | 0.3033 | 0.3139 |
|  | H02-H04 | 0.2892 | 0.2978 | 0.1741 | 0.1802 |
| Headland- | H03-H07 | 0.1882 | 0.1945 | 0.1917 | 0.1975 |
| Headland | H03-H14 | 0.2029 | 0.2089 | 0.1976 | 0.2038 |
|  | H05-H06 | 0.2526 | 0.2610 | 0.1926 | 0.1992 |
|  | H06-H07 | 0.2460 | 0.2537 | 0.2310 | 0.2382 |
|  | H12-H12A | $\mathbf{3 . 6 2 9 2}$ | $\mathbf{3 . 7 7 5 4}$ | $\mathbf{3 . 9 9 0 1}$ | $\mathbf{4 . 1 2 7 8}$ |
|  | H12-H15 | 0.1878 | 0.1954 | 0.2484 | 0.2574 |
|  | H14-H15 | 0.1357 | 0.1415 | 0.1163 | 0.1202 |
|  | D03-D32 | 0.3699 | 0.3893 | 0.3174 | 0.3273 |
| Allopatric | D03-H12 | 0.1932 | 0.2013 | 0.2604 | 0.2680 |
|  | H02-H12 | 0.1832 | 0.1900 | 0.2645 | 0.2731 |

Supplementary Table S4. Parameter estimates for all tested models in fastsimcoal2
(see excel file for Supplementary Table S4)

## Supplementary Table S5. Sampling locations

Sampling locations of the 23 Senecio lautus Dune and Headland populations. Coordinates represent the mid-point of each population. N corresponds to the final number of individuals after removing individuals with low coverage. Parapatric pairs in bold are sister-taxa within the phylogeny. H12A is a population found within an ecotone between the Dune (D32) and Headland (H12) at this locality.

| Clade | Population code | Location | Ecotype | Pair | Coordinates | N |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Eastern | D00 | QLD: Stradbroke Island | Dune | D00-H00 | S27 ${ }^{\circ} 31.153^{\prime} \mathrm{E} 153^{\circ} 30.189^{\prime}$ | 62 |
| Eastern | H00 | QLD: Stradbroke Island | Headland | D00-H00 | $\mathrm{S} 27^{\circ} 26.140^{\prime} \mathrm{E} 153^{\circ} 32.749^{\prime}$ | 63 |
| Eastern | D02 | QLD: Southport | Dune | - | S27 ${ }^{\circ} 56.846^{\prime}$ E153 ${ }^{\circ} 25.736^{\prime}$ | 62 |
| Eastern | D03 | NSW: Cabarita | Dune | D03-H02 | S28 ${ }^{\circ} 19.794^{\prime} \mathrm{E} 153^{\circ} 34.264^{\prime}$ | 61 |
| Eastern | H02 | NSW: Cabarita | Headland | D03-H02 | S28 ${ }^{\circ} 21.013^{\prime} \mathrm{E} 153^{\circ} 34.676^{\prime}$ | 61 |
| Eastern | H04 | NSW: Byron Bay | Headland | - | S28 ${ }^{\circ} 38.060^{\prime} \mathrm{E} 153^{\circ} 38.268^{\prime}$ | 62 |
| Eastern | D01 | NSW: Lennox Head | Dune | D01-H01 | S28 ${ }^{\circ} 46.858^{\prime} \mathrm{E} 153^{\circ} 35.655^{\prime}$ | 60 |
| Eastern | H01 | NSW: Lennox Head | Headland | D01-H01 | S28 ${ }^{\circ} 48.813^{\prime} \mathrm{E} 153^{\circ} 36.313^{\prime}$ | 58 |
| Eastern | D04 | NSW: Coffs Harbour | Dune | D04-H05 | S30 ${ }^{\circ} 18.946{ }^{\prime} \mathrm{E} 153^{\circ} 08.142^{\prime}$ | 62 |
| Eastern | H05 | NSW: Coffs Harbour | Headland | D04-H05 | S30 ${ }^{\circ} 18.741^{\prime} \mathrm{E} 153^{\circ} 08.676^{\prime}$ | 62 |
| Eastern | D05 | NSW: South West Rocks | Dune | D05-H06 | S30 ${ }^{\circ} 53.027^{\prime} \mathrm{E} 153^{\circ} 04.037{ }^{\prime}$ | 62 |
| Eastern | H06 | NSW: South West Rocks | Headland | D05-H06 | S30 ${ }^{\circ} 52.710^{\prime} \mathrm{E} 153^{\circ} 04.549^{\prime}$ | 62 |
| South-eastern | H07 | NSW: Port Macquarie | Headland | - | S31 ${ }^{\circ} 28.526^{\prime} \mathrm{E} 152^{\circ} 56.219$ | 60 |
| South-eastern | H03 | NSW: Kiama | Headland | - | S34 ${ }^{\circ} 40.301^{\prime}$ E150 ${ }^{\circ} 51.704^{\prime}$ | 63 |
| South-eastern | D12 | NSW: Bermagui | Dune | D12-H14 | S36 ${ }^{\circ} 28.346^{\prime} \mathrm{E} 150^{\circ} 03.581^{\prime}$ | 62 |
| South-eastern | H14 | NSW: Green Cape | Headland | D12-H14 | S37 ${ }^{\circ} 15.748^{\prime} \mathrm{E} 150^{\circ} 02.991^{\prime}$ | 62 |
| South-eastern | D32 | VIC: Cape Bridgewater | Dune | D32-H12 | S38 ${ }^{\circ} 19.631^{\prime} \mathrm{E} 141^{\circ} 23.772^{\prime}$ | 62 |
| South-eastern | H12 | VIC: Cape Bridgewater | Headland | D32-H12 | $\mathrm{S} 38^{\circ} 22.728^{\prime} \mathrm{E} 141^{\circ} 22.018^{\prime}$ | 63 |
| South-eastern | H12A | VIC: Cape Bridgewater | Intermediate | - | S38 ${ }^{\circ} 20.282^{\prime} \mathrm{E} 141^{\circ} 23.896^{\prime}$ | 62 |
| South-eastern | D14 | TAS: Port Arthur | Dune | D14-H15 | S43 ${ }^{\circ} 10.550^{\prime} \mathrm{E} 147^{\circ} 51.267^{\prime}$ | 12 |
| South-eastern | H15 | TAS: Port Arthur | Headland | D14-H15 | S $43^{\circ} 11.240^{\prime} \mathrm{E} 147^{\circ} 50.672^{\prime}$ | 11 |
| Western | D35 | WA: Isthmus Hill | Dune | - | S35 ${ }^{\circ} 05.885^{\prime} \mathrm{E} 117^{\circ} 59.182^{\prime}$ | 62 |
| Western | D09 | WA: Leeuwin-Naturaliste National Park | Dune | - | S33 ${ }^{\circ} 46.239^{\prime} \mathrm{E} 114^{\circ} 59.541^{\prime}$ | 63 |

## Supplementary Table S6. Sequencing and alignment summary for Senecio lautus populations

Summary statistics for the 23 populations used within the study. The 19 individuals removed due to high missing data are not included.

| Population code | Mean \# clean reads (range) | Mean \% mapped reads <br> (range) | \% mapped reads <br> properly paired (range) |
| :---: | :---: | :---: | :---: |
| D00 | $2,138,896(971,466-3,506,240)$ | $94(62-98)$ | $92(61-96)$ |
| H00 | $3,075,580(1,528,536-6,198,407)$ | $81(16-97)$ | $79(16-95)$ |
| D02 | $2,714,361(895,858-5,258,091)$ | $80(18-96)$ | $76(17-94)$ |
| D03 | $3,160,935(2,015,566-8,748,545)$ | $84(21-97)$ | $78(20-95)$ |
| H02 | $2,772,081(1,408,465-4,192,718)$ | $85(34-96)$ | $83(33-94)$ |
| H04 | $3,176,210(1,695,120-5,950,574)$ | $90(72-97)$ | $79(60-95)$ |
| D01 | $3,061,253(1,318,262-4,548,766)$ | $96(83-98)$ | $90(72-96)$ |
| H01 | $2,770,561(1,105,881-6,164,034)$ | $93(42-98)$ | $91(36-96)$ |
| D04 | $2,922,712(2,146,253-3,718,635)$ | $91(62-98)$ | $83(61-96)$ |
| H05 | $2,866,233(1,754,603-4,696,562)$ | $92(71-97)$ | $85(67-95)$ |
| D05 | $2,854,456(1,554,814-4,156,601)$ | $93(48-97)$ | $87(44-94)$ |
| H06 | $2,112,573(1,253,010-3,538,428)$ | $84(37-97)$ | $82(36-95)$ |
| H07 | $3,116,096(1,646,581-10,437,355)$ | $82(27-98)$ | $73(21-96)$ |
| H03 | $2,795,169(1,593,958-5,514,042)$ | $77(15-97)$ | $76(14-95)$ |
| D12 | $2,700,235(1,448,045-5,032,607)$ | $90(45-98)$ | $83(39-94)$ |
| H14 | $3,033,007(1,661,205-8,349,758)$ | $71(11-96)$ | $67(11-95)$ |
| D32 | $2,854,449(1,517,908-5,609,011)$ | $79(19-97)$ | $76(17-95)$ |
| H12 | $2,892,473(1,200,369-4,774,451)$ | $83(34-97)$ | $80(33-94)$ |
| H12A | $2,614,734(1,509,934-8,120,979)$ | $85(27-98)$ | $82(27-95)$ |
| D14 | $2,894,283(1,704,586-4,893,613)$ | $94(75-98)$ | $85(58-95)$ |
| H15 | $3,229,783(1,823,447-4,958,055)$ | $90(33-97)$ | $84(29-94)$ |
| D35 | $2,987,725(1,754,767-6,004,276)$ | $90(62-98)$ | $78(44-95)$ |
| D09 | $3,008,471(1,794,627-4,826,686)$ | $67(21-96)$ | $63(20-92)$ |

## Supplementary Fig. S1 Summary of TreeMix runs

(A) Maximum likelihood tree with no migration. (B) Residuals for the no migration tree. (C) Log-likelihoods for each model for 1-25 migration events. (D) Proportion of variance explained by each model for 1-25 migration events.


## Supplementary Fig. S2 TreeMix migration events 1-10

Maximum likelihood tree with 10 migration events. Colored arrows denote the intensity and direction of migration events.


## Supplementary Fig. S3 Frequency distribution of $\boldsymbol{f 3}$-statistics

Frequency distribution of $f 3$-statistics calculated in TreeMix across all populations.


## Supplementary Fig. S4 fastSTRUCTURE K=22, K=28 and marginal likelihoods

(A) Bayesian assignment of individuals to genetic clusters within fastSTRUCTURE for $\mathrm{K}=22$ and $\mathrm{K}=28$. Each of the 1,319 individuals is depicted as a bar, with colors representing ancestry proportions to each cluster. Populations are ordered according to their geographic distribution along the coast. (B) Marginal likelihood values for successive K -values within fastSTRUCTURE. Red dashed lines denote the Kvalue that best explained the structure in the data $(\mathrm{K}=22)$, as well as the K -value that maximized the marginal likelihood of the data $(\mathrm{K}=28)$. (C) Change in marginal likelihoods from fastSTRUCTURE for successive K -values. Red dashed line denotes $\mathrm{K}=23$, higher K -values produce a negligible change in likelihood values.
A)

B)

C)


## Supplementary Fig. S5 STRUCTURE best K-values for the Dune-Headland pairs

STRUCTURE best K-values for the eight Dune-Headland replicate pairs based on the maximum value for $\Delta \mathrm{K}$ (the second order rate of change in the log probability of data between successive K-values).


## Supplementary Fig. S6 Log-likelihood values for the eight demographic models tested in fastsimcoal2 per pair

NM: no migration. BM: bidirectional migration. M21: migration from population 2 to 1 . M12: migration from population 1 to 2 . BSC: bidirectional migration after secondary contact. SC21: migration from population 2 to 1 after secondary contact. SC12: migration from population 1 to 2 after secondary contact. EBM: bidirectional migration after population splitting with cessation of gene flow.


## Supplementary Fig. S6 cont.



## Supplementary Fig. S6 cont.



## Supplementary Fig. S6 cont.



## Supplementary Fig. S7 Likelihood values for testing whether gene flow is negligible

Max L: maximum likelihood for the best run from the best model. $A$ : fixed negligible gene flow ( $2 \mathrm{Nm}=0.01$ ) from population 2 (on the right) to population 1 (on the left). $B$ : fixed negligible gene flow from population 1 to $2(2 \mathrm{Nm}=0.01)$. $C$ : fixed negligible gene flow in both directions $(2 \mathrm{Nm}=0.01)$. The asterisk denotes the pair where at least one of the migration rates is not significantly different from $2 \mathrm{Nm}=0.01$.


Supplementary Fig. S7 cont.





Supplementary Fig. S7 cont.







## Supplementary methods

## Estimation of monomorphic sites per pair

To estimate the number of monomorphic sites per pair we first calculated the number of RAD loci by using PLINK to thin for one SNP per RAD locus. The total read length of each RAD locus was (on average) 190bp (taking into account the length of the sequencing read after removal of barcodes/indexes). We used the following formula to calculate the number of monomorphic sites per pair:

Monomorphic sites $=($ read length $x$ number RAD loci) - number variable sites Here, we may be slightly overestimating the number of monomorphic sites as we are assuming all sites without a called SNP are monomorphic, although some could be actual variants that were not called due to not passing filtering requirements. Nevertheless, the parameter estimates (especially the migration rates) were robust to varying the number of monomorphic sites (data not shown).

## Probabilities of gene flow distorting phylogeny topology

Consider a phylogeny of four populations, referred to as P1, P2, P3, P4. We have observed a species/population topology in which populations P3 and P4 are not sister. If we assume that the true species/population tree has the topology ((P1, P2), (P3, P4)), what is the probability that P3 and P4 are not sister under a model containing gene flow between P1 and P3 and between P2 and P4?

Alleles $\mathrm{x} 1, \mathrm{x} 2, \mathrm{x} 3, \mathrm{x} 4$ represent four lineages which are sampled from the respective populations at the present $(\mathrm{t}=0)$. The lineages will be traced backwards in time, tracking coalescent events. The MRCA common ancestor of the sampled lineages is denoted $\mathrm{x} 1,2,3,4$. Other common ancestors are denoted likewise. Migration occurs from P1 to P3 and from P2 to P4 at tm. Migration occurs as an instantaneous burst and the parameter $m$ represents the fraction of alleles in the recipient populations replaced by migrant alleles from the donor population. Divergence between P1 and P2 and between P3 and P4 occurs at time t1. The ancestor of P1 and P2 diverges from the ancestor of P3 and P4 at time t2.

The approach below will sum coalescent probabilities of all mutually exclusive ways in which $(3,4)$ are not closest relatives. The probability of each scenario will be assigned to a variable and these will be summed at the end. Probabilities will be conditioned on whether x 3 and x 4 are descended from migrant alleles.

## Condition on $x 3$ being descended from a migrant, $x 4$ not descended from a migrant

S1. x 1 and x 3 coalesce between tm and t 1
$\ln [1]:=\quad \mathrm{S} 1=1-\mathrm{E}^{\wedge}(-(\mathrm{t} 1-\mathrm{tm}))$
Out[1]=
$1-e^{-t 1+t m}$
S2. $x 1$ and $x 3$ don't coalesce between $t m$ and $t 1$. In the ancestral lineage containing exclusively $x 1$, $x 2$, and $x 3$, a single coalescent event occurs between t 1 and t 2 . That coalescent event is either ( x 3 with x 1 ) or ( x 3 with x 2 ).
$\ln [2]:=\quad \mathrm{t}=\mathrm{t} 2-\mathrm{t} 1$
OneCoal $=$ Integrate $\left[3 \mathrm{E}^{\wedge}(-3 \mathrm{~s})\left(\mathrm{E}^{\wedge}(-(\mathrm{t}-\mathrm{s}))\right),\{\mathrm{s}, 0,(\mathrm{t})\}\right]$
S2 $=(1-\mathrm{S} 1)$ OneCoal (2/3)
Out[2]= $\quad-\mathrm{t} 1+\mathrm{t} 2$
out $[3]=\frac{3}{2} e^{t 1-3 t 2}\left(-e^{2 t 1}+e^{2 t 2}\right)$

Out[4] $=e^{-3 t 2+t m}\left(-e^{2 t 1}+e^{2 t 2}\right)$
S3. $x 1$ and $x 3$ don't coalesce between $t m$ and $t 1$. In the ancestral lineage containing exclusively $x 1$, $x 2$, and $x 3$, a single coalescent event occurs between $t 1$ and $t 2$. That coalescent event is ( $x 1$ with $x 2$ ). In the ancestral lineage containing $x 1,2$, $x 3$, and $x 4$, the first coalescent event that occurs is either ( $\mathrm{x} 1,2$ with x 3 ) or ( $\mathrm{x} 1,2$ with x 4 ).
$\ln [5]:=\quad \mathrm{S} 3=(1-\mathrm{S} 1)$ OneCoal $(1 / 3)(2 / 3)$
Out[5] $=\frac{1}{3} e^{-3 t 2+t m}\left(-e^{2 t 1}+e^{2 t 2}\right)$
S4. $x 1$ and $x 3$ don't coalesce between $t m$ and $t 1$. In the ancestral lineage containing exclusively $x 1, x 2$, and $x 3$, two coalescent events occur, the first is ( x 1 with x 2 ) and the second is ( $\mathrm{x} 1,2$ with x 3 )
$\ln [6]:=$ TwoCoal $=$ Integrate $\left[3 \mathrm{E}^{\wedge}(-3 \mathrm{~s})\left(1-\mathrm{E}^{\wedge}(-(\mathrm{t}-\mathrm{s}))\right),\{\mathrm{s}, 0, \mathrm{t}\}\right]$
S4 $=(1-\mathrm{S} 1)$ TwoCoal (1/3)
Out[6]=$\frac{1}{2}\left(2+e^{3 t 1-3 t 2}-3 e^{t 1-t 2}\right)$
out [7] $=\frac{1}{6} e^{-t 1+t m}\left(2+e^{3 t 1-3 t 2}-3 e^{t 1-t 2}\right)$
S5. $x 1$ and $x 3$ don't coalesce between tm and $t 1$. In the ancestral lineage containing exclusively $x 1$, $x 2$, and $x 3$, zero coalescent events occur between $t 1$ and $t 2$. In the ancestral lineage containing $x 1, x 2$, $x 3$, and $x 4$, the first coalescent event that occurs is one of ( $x 3$ with $\mathrm{x} 1)$, ( x 3 with x 2 ), ( x 1 with x 4 ), ( x 2 with x 4 ).
$\ln [8]:=\quad \mathrm{S} 5=(1-\mathrm{S} 1) \mathrm{E}^{\wedge}(-3(\mathrm{t} 2-\mathrm{t} 1))(4 / 6)$
Out[8]=$\frac{2}{3} e^{-t 1-3(-t 1+t 2)+t m}$

S6. $x 1$ and $x 3$ don't coalesce between $t m$ and $t 1$. In the ancestral lineage containing exclusively $x 1$, $x 2$, and $x 3$, zero coalescent events occur between t 1 and t 2 . In the ancestral lineage containing $\mathrm{x} 1, \mathrm{x} 2, \mathrm{x} 3$, and x 4 , the first coalescent event that occurs is ( x 1 with x 2 ). The next coalescent event to occur is either ( $\mathrm{x} 1,2$ with x 3 ) or ( $\mathrm{x} 1,2$ with x 4 ).
$\ln [9]:=\quad \mathrm{S} 6=(1-\mathrm{S} 1) \mathrm{E}^{\wedge}(-3(\mathrm{t} 2-\mathrm{t} 1))(1 / 6)(2 / 3)$
Out[9] $=\frac{1}{9} e^{-t 1-3(-t 1+t 2)+t m}$
Putting this together, the probability that x 3 is descended from a migrant, x 4 is not descended from a migrant, and that conditional on this scenario x 3 and x 4 do not appear as sister in the phylogeny is:
$\ln [10]:=\operatorname{Prob} 1=\mathrm{m}(1-\mathrm{m})(\mathrm{S} 1+\mathrm{S} 2+\mathrm{S} 3+\mathrm{S} 4+\mathrm{S} 5+\mathrm{S} 6)$
Out[10] $=\left(1-e^{-t 1+t m}+\frac{7}{9} e^{-t 1-3(-t 1+t 2)+t m}+\frac{1}{6} e^{-t 1+t m}\left(2+e^{3 t 1-3 t 2}-3 e^{t 1-t 2}\right)+\frac{4}{3} e^{-3 t 2+t m}\left(-e^{2 t 1}+e^{2 t 2}\right)\right)(1-m) m$

## Condition on $x 4$ being descended from a migrant, $x 3$ not descended from a migrant

By symmetry, the probability that $x 4$ is descended from a migrant, $x 3$ is not descended from a migrant, and that conditional on this scenario x 3 and x 4 not being each other's closest relatives is:
$\ln [11]:=\quad$ Prob2 $=$ Prob1
Out[11] $=\left(1-e^{-t 1+t m}+\frac{7}{9} e^{-t 1-3(-t 1+t 2)+t m}+\frac{1}{6} e^{-t 1+t m}\left(2+e^{3 t 1-3 t 2}-3 e^{t 1-t 2}\right)+\frac{4}{3} e^{-3 t 2+t m}\left(-e^{2 t 1}+e^{2 t 2}\right)\right)(1-m) m$

## Condition on neither $\mathbf{x} 3$ nor $\mathbf{x} 4$ being descended from migrants

S7. $x 3$ and $x 4$ don't coalesce between $t 1$ and $t 2 . x 1$ and $x 2$ don't coalesce between $t 1$ and $t 2$. In the ancestral lineage containing $x 1$, $x 2$, $x 3$, and $x 4$, the first coalescent event is one of ( $x 3$ with $x 1$ ), ( $x 3$ with $x 2$ ), ( $x 1$ with $x 4$ ), ( $x 2$ with $x 4$ ).
$\ln [12]:=\quad S 7=\left(E^{\wedge}(-(t 2-t 1))\right)^{\wedge} 2(4 / 6)$
Out[12] $=\frac{2}{3} e^{2 t 1-2 t 2}$
S8. $x 3$ and $x 4$ don't coalesce between $t 1$ and $t 2$. $x 1$ and $x 2$ don't coalesce between $t 1$ and $t 2$. In the ancestral lineage containing $x 1, x 2$, x 3 , and x 4 , the first coalescent event is ( x 1 with x 2 ). The next coalescent event is one of ( $\mathrm{x} 1,2$ with x 3 ), ( $\mathrm{x} 1,2, \mathrm{x} 4$ ).
$\begin{array}{ll}\ln [133]:= & \mathrm{S} 8=\left(\mathrm{E}^{\wedge}(-(\mathrm{t} 2-\mathrm{t} 1))\right)^{\wedge} 2(1 / 6)(2 / 3) \\ \text { Out }[13]]= & \frac{1}{9} e^{2 \mathrm{t} 1-2 \mathrm{t} 2}\end{array}$
S9. x 3 and x 4 don't coalesce between t 1 and t 2 . x 1 and x 2 coalesce between t 1 and t 2 . In the ancestral lineage containing $\mathrm{x} 1,2, \mathrm{x} 3$, and x 4 , the first coalescent event is one of ( $\mathrm{x} 1,2$ with x 3 ), ( $\mathrm{x} 1,2, \mathrm{x} 4$ ).
$\ln [14]=\quad \mathrm{S} 9=\mathrm{E}^{\wedge}(-(\mathrm{t} 2-\mathrm{t} 1))\left(1-\mathrm{E}^{\wedge}(-(\mathrm{t} 2-\mathrm{t} 1))\right)(2 / 3)$
Out[14] $=\frac{2}{3} e^{\mathrm{t} 1-\mathrm{t} 2}\left(1-e^{\mathrm{t} 1-\mathrm{t} 2}\right)$
Putting this together, the probability that neither x 3 nor x 4 are descended from migrants, and conditional on this x 3 and x 4 not being each other's closest relatives is:
$\ln [15]:=\operatorname{Prob} 3=(1-\mathrm{m})^{\wedge} 2(\mathrm{~S} 7+\mathrm{S} 8+\mathrm{S} 9)$
out [15] $=\left(\frac{7}{9} e^{2 t 1-2 t 2}+\frac{2}{3} e^{t 1-t 2}\left(1-e^{t 1-t 2}\right)\right)(1-m)^{2}$

## Condition on both $x 3$ and $x 4$ being descended from migrants.

S10. x 1 and x 3 coalesce between tm and t 1 . x 2 and x 4 do not coalesce between tm and t 1 .
$\ln [16]:=\quad \mathrm{S} 10=\left(1-\mathrm{E}^{\wedge}(-(\mathrm{t} 1-\mathrm{tm}))\right) \mathrm{E}^{\wedge}(-(\mathrm{t} 1-\mathrm{tm}))$
Out[16] $=e^{-t 1+t m}\left(1-e^{-t 1+t m}\right)$
S11. $x 1$ and $x 3$ do not coalesce between $t m$ and $t 1 . x 2$ and $x 4$ coalesce between $t m$ and $t 1$. By symmetry, this is the same as above
$\ln [1]]:=\quad$ S11 $=S 10$
Out[17] $=e^{-t 1+t m}\left(1-e^{-t 1+t m}\right)$
S12. $x 1$ and $x 3$ coalesce between $t m$ and $t 1 . x 2$ and $x 4$ coalesce between tm and $t 1$.
$\ln [18]:=\quad \mathrm{S} 12=\left(1-\mathrm{E}^{\wedge}(-(\mathrm{t} 1-\mathrm{tm}))\right)^{\wedge} 2$
Out[18]= $\left(1-e^{-t 1+t m}\right)^{2}$
S13. $x 1$ and $x 3$ do not coalesce between tm and $t 1$. $x 2$ and $x 4$ do not coalesce between tm and $t 1$. In the ancestral lineage containing x 1 , $\mathrm{x} 2, \mathrm{x} 3$, and x 4 , the first coalescent event is one of ( x 3 with x 1 ), ( x 3 with x 2 ), ( x 1 with x 4 ), ( x 2 with x 4 ).
$\ln [19]:=\quad \mathrm{S} 13=\left(\mathrm{E}^{\wedge}(-(\mathrm{t} 1-\mathrm{tm}))\right)^{\wedge} 2(4 / 6)$
Out[19] $=\frac{2}{3} e^{-2 t 1+2 t m}$
S14. $x 1$ and $x 3$ do not coalesce between tm and $t 1$. $x 2$ and $x 4$ do not coalesce between $t m$ and $t 1$. In the ancestral lineage containing $\mathrm{x} 1, \mathrm{x} 2$, x 3 , and x 4 , the first coalescent event is ( x 1 with x 2 ). The next coalescent event is either ( $\mathrm{x} 1,2$ with x 3 ) or ( $\mathrm{x} 1,2$ with x 4 ).
$\ln [20]:=\quad \mathrm{S} 14=\left(\mathrm{E}^{\wedge}(-(\mathrm{t} 1-\mathrm{tm}))\right)^{\wedge} 2(1 / 6)(2 / 3)$
Out[20] $=\frac{1}{9} e^{-2 t 1+2 t m}$
Putting this together, the probability of x 3 and x 4 both being descended from migrant alleles, and conditional on this x 3 and x 4 not being each other's closest relatives is:
$4 \mid$
$\ln [21]:=\operatorname{Prob} 4=\mathrm{m}^{\wedge} 2(\mathrm{~S} 10+\mathrm{S} 11+\mathrm{S} 12+\mathrm{S} 13+\mathrm{S} 14)$
Out[21] $=\left(\frac{7}{9} e^{-2 t 1+2 t m}+2 e^{-t 1+t m}\left(1-e^{-t 1+t m}\right)+\left(1-e^{-t 1+t m}\right)^{2}\right) m^{2}$

Then from the law of total probability, we have that the probability of $x 3$ and $x 4$ not being each other's closest relatives is:

$$
\begin{aligned}
\ln [22]:= & P=\operatorname{Prob} 1+\operatorname{Prob} 2+\operatorname{Prob} 3+\operatorname{Prob4} \\
\text { Out[22] }= & \left(\frac{7}{9} e^{2 t 1-2 t 2}+\frac{2}{3} e^{t 1-t 2}\left(1-e^{t 1-t 2}\right)\right)(1-m)^{2}+ \\
& 2\left(1-e^{-t 1+t m}+\frac{7}{9} e^{-t 1-3(-t 1+t 2)+t m}+\frac{1}{6} e^{-t 1+t m}\left(2+e^{3 t 1-3 t 2}-3 e^{t 1-t 2}\right)+\frac{4}{3} e^{-3 t 2+t m}\left(-e^{2 t 1}+e^{2 t 2}\right)\right)(1-m) m+ \\
& \left(\frac{7}{9} e^{-2 t 1+2 t m}+2 e^{-t 1+t m}\left(1-e^{-t 1+t m}\right)+\left(1-e^{-t 1+t m}\right)^{2}\right) m^{2}
\end{aligned}
$$

## Visuals

$$
\begin{aligned}
& \ln [23]:=\text { PPlot } 1=\mathrm{P} / . \mathrm{t} 2 \rightarrow(\mathrm{t} 3+\mathrm{t} 1) / . \mathrm{tl} \rightarrow 1 / . \mathrm{tm} \rightarrow .1 \\
& \text { PPlot2 }=\mathrm{P} / . \mathrm{t} 2 \rightarrow \mathrm{t} 1+1 / \mathrm{tl} \rightarrow \mathrm{tm}+\mathrm{t} 4 / . \mathrm{tm} \rightarrow .1 \\
& \text { Out[23] }=\left(\frac{7}{9} e^{2-2(1+t 3)}+\frac{2}{3} e^{-t 3}\left(1-e^{-t 3}\right)\right)(1-m)^{2}+ \\
& 2\left(0.59343+\frac{7}{9} e^{-0.9-3 t 3}+\frac{4}{3} e^{0.1-3(1+t 3)}\left(-e^{2}+e^{2(1+t 3)}\right)+0.0677616\left(2-3 e^{-t 3}+e^{3-3(1+t 3)}\right)\right)(1-m) m+ \\
& 0.963267 \mathrm{~m}^{2} \\
& \text { Out[24]= }\left(\frac{2\left(1-\frac{1}{e}\right)}{3 e}+\frac{7}{9} e^{2(0.1+\mathrm{t} 4)-2(1.1+\mathrm{t} 4)}\right)(1-\mathrm{m})^{2}+ \\
& 2\left(1+\frac{7 e^{-3-t 4}}{9}-e^{-t 4}+\frac{4}{3} e^{0.1-3(1.1+t 4)}\left(-e^{2(0.1+t 4)}+e^{2(1.1+t 4)}\right)+\frac{1}{6} e^{-t 4}\left(2-\frac{3}{e}+e^{3(0.1+t 4)-3(1.1+t 4)}\right)\right)(1-m) m+ \\
& \left(\frac{7}{9} e^{0.2-2(0.1+t 4)}+2 e^{-t 4}\left(1-e^{-t 4}\right)+\left(1-e^{-t 4}\right)^{2}\right) m^{2}
\end{aligned}
$$

ContourPlot [PPlot1, \{m, 0, .1\}, \{t3, ((1/50)), 1\}, PlotLegends $\rightarrow$ Automatic,
Axes $\rightarrow$ False, Frame $\rightarrow$ \{True, True, False, False \}, FrameLabel $\rightarrow\{m, t 2-\mathrm{t} 1\}$,
LabelStyle $\rightarrow$ Directive [FontSize $\rightarrow$ 16], FrameTicksStyle $\rightarrow$ Directive [FontSize $\rightarrow$ 14]]
ContourPlot [PPlot2, \{m, 0, .1\}, \{t4, ((1/50)), 1\}, PlotLegends $\rightarrow$ Automatic,
Axes $\rightarrow$ False, Frame $\rightarrow$ \{True, True, False, False \}, FrameLabel $\rightarrow\{\mathrm{m}, \mathrm{tl}-\mathrm{tm}\}$,
FrameTicksStyle $\rightarrow$ Directive [FontSize $\rightarrow$ 14], LabelStyle $\rightarrow$ Directive [FontSize $\rightarrow$ 16]]



