# Disinhibitory and neuromodulatory regulation of hippocampal synaptic plasticity

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## Abstract

Hippocampal synaptic plasticity, particularly in the Schaffer collateral (SC) to CA1 pyramidal excitatory transmission, is considered as the cellular mechanism underlying learning. The CA1 pyramidal neurons are embedded in an intricate local circuitry that contains a variety of interneurons. The roles these interneurons play in the regulation of the excitatory synaptic plasticity remains largely understudied. Our recent experiments showed that repeated cholinergic activation of $\alpha7$ nACh receptors expressed in oriens-lacunosum-moleculare (OLM$\alpha2$) interneurons could induce LTP in SC-CA1 synapses, likely through disinhibition by inhibiting stratum radiatum (s.r.) interneurons that provide feedforward inhibition onto CA1 pyramidal neurons, revealing a potential mechanism for local interneurons to regulate SC-CA1 synaptic plasticity. Here, we pair *in vitro* studies with biophysically-based modeling to uncover the mechanisms through which cholinergic-activated GABAergic interneurons can disinhibit CA1 pyramidal cells, and how repeated disinhibition modulates hippocampal plasticity at the excitatory synapses. We found that $\alpha7$ nAChR activation increases OLM activity. OLM neurons, in turn inhibit the fast-spiking interneurons that provide feedforward inhibition onto CA1 pyramidal neurons. This disinhibition, paired with tightly timed SC stimulation, can induce potentiation at the excitatory synapses of CA1 pyramidal neurons. Our work further describes the pairing of disinhibition with SC stimulation as a general mechanism for the induction of hippocampal synaptic plasticity.

Disinhibition of the excitatory synapses, paired with SC stimulation, leads to increased NMDAR activation and

intracellular calcium concentration sufficient to upregulate AMPAR permeability and potentiate the synapse.

Repeated paired disinhibition of the excitatory synapse leads to larger and longer lasting increases of the AMPAR

permeability. Our study thus provides a novel mechanism for inhibitory interneurons to directly modify glutamatergic

synaptic plasticity. In particular, we show how cholinergic action on OLM interneurons can down-regulate the

GABAergic signaling onto CA1 pyramidal cells, and how this shapes local plasticity rules. We identify paired

disinhibition with SC stimulation as a general mechanism for the induction of hippocampal synaptic plasticity.

**Introduction**

Since the discovery of long-term potentiation (LTP) in the hippocampus in 1973, this structure has been used as a

model to study the mechanisms of synaptic plasticity induction (Bliss, 1973). The hippocampal SC to CA1 synapses are

among the most studied for synaptic plasticity. The majority of the work has focused on excitatory glutamatergic

transmission. However, recent work has shown the importance of inhibitory inputs in the modulation of local

hippocampal synaptic plasticity (Saudargiene & Graham, 2015; Chevaleyre & Piskorowski, 2014; Wigstrom &

Gustafsson, 1985).

The hippocampal network comprises a large variety of locally connected GABAergic interneurons exerting powerful

control on network excitability. GABAergic interneurons receive important cholinergic innervation from the medial

septum and are endowed with a variety of different subtypes of nicotinic acetylcholine receptors (nAChRs) that are

thought to be involved in regulating excitability, plasticity, and cognitive functions (Griguoli & Cherubini, 2012; Levin,

2002; Yakel, 2012). However, the mechanisms through which cholinergic-activated GABAergic interneurons modulate

excitatory transmission and induction of hippocampal plasticity at excitatory synapses remain largely unclear.

Alterations of cholinergic action on hippocampal GABAergic interneurons have been implicated in cognitive dysfunction

in Alzheimer's disease (AD) (Schmid, et al., 2016). Understanding how cholinergic activation of GABAergic interneurons

regulates hippocampal excitability and induces synaptic plasticity will provide insight for understanding higher brain

functions, namely memory impairment, with potential relevance for AD treatments.

Previous studies showed that activation of OLMα2 interneurons increases SC to CA1 transmission, likely through

disinhibition by reducing the activity of stratum radiatum (s.r.) interneurons that in turn provide feed-forward

inhibition onto pyramidal neurons (Leão, et al., 2012). Consistent with these studies, Gu et al. found that activation

of OLMα2 interneurons increased SC to CA1 EPSCs and reduced IPSCs (Gu, et al., 2020). However, the mechanisms

through which the activation of the inhibitory interneurons OLMα2 is regulating the activity of inhibitory

interneurons targeting the CA1 pyramidal cell, and how this facilitates the potentiation of SC-evoked EPSPs of the

CA1 pyramidal cells, remain elusive.

In this work, we use a minimal biophysical circuit model, driven quantitatively by in vitro data, to examine how

activation of OLM cells modulates the activity of fast-spiking interneurons whose GABAergic inputs are co-localized

with the SC glutamatergic synapses onto a CA1 pyramidal cell  dendrite , and how this promotes the induction of

plasticity at the SC-CA1 synapse. More specifically, we seek to determine how cholinergic activation of the OLM cells

through the post-synaptic α7 nAChRs can down-regulate the GABAergic signaling onto the pyramidal cells, and how

a decrease in inhibitory inputs to the pyramidal cells can modulate the plasticity of the excitatory SC-CA1 synapse.

We thus constructed a minimal circuit consisting of a single compartment spiking model of an OLM interneuron with

postsynaptic α7 nAChRs, a fast-spiking interneuron with postsynaptic AMPA and $GABA_A$ receptors, and a pyramidal

cell dendritic compartment with postsynaptic AMPA, NMDA and $GABA_A$ receptors, connected as schematically shown

in Figure 1.

It is currently well accepted that LTP triggering processes require calcium influx through NMDARs. At the same time,

LTP has been associated with changes in the properties of postsynaptic AMPARs; namely changes in their number

and phosphorylation state (Barria, Muller, Derkach, Griffith, & Soderling, 1997; Collingridge, Kehl, & McLennan, 1983;

Lüscher & Malenka, 1994) . To reflect these mechanisms, we employ the calcium-based synaptic plasticity model

(proposed by Shouval et al. (Shouval, Bear, & Cooper, 2002)) to model synaptic plasticity of the SC-CA1 excitatory

synapse. We describe how a decreased release of the inhibitory neurotransmitter GABA could lead to increased

NMDAR activation and intracellular calcium concentration, leading to changes in the CA1 pyramidal cell postsynaptic

AMPA-mediated conductance. Our work also shows how nicotinic cholinergic action on OLM interneurons can

downregulate the GABAergic signaling onto CA1 pyramidal cells and facilitate potentiation of the SC-CA1 synapse.

[Figure 1]

## Methods

### Animals and materials

All procedures related to the use of mice followed protocols approved by the Institutional Animal Care and Use

Committees of the NIEHS. ChAT-cre mice (B6;129S6-Chattm2(cre)Lowl/J), Sst-cre mice (Ssttm2.1(cre)Zjh), and floxed

α7 nAChR knockout mice (B6(Cg)-Chrna7tm1.1Ehs/YakelJ) were originally purchased from Jackson Laboratory and

then bred at NIEHS. OLMα2-cre mice (Tg(Chrna2cre)OE29Gsat/Mmucd) were originally obtained from Mutant Mouse

Resource and Research Centers (MMRRC) and then bred at NIEHS. Mice (of either sex) were used for slice culture

from day 6 to 8.

Culture media were from Sigma and Invitrogen. AAV serotype 9 helper plasmid was obtained from James Wilson at

the University of Pennsylvania. The AAV vector containing floxed ChR2 (Addgene #20297) and floxed eNpHR

(Addgene #26966) were obtained from Karl Deisseroth (Witten et al., 2010; Gradinaru et al., 2010). AAV viruses were

packaged with serotype 9 helper at the Viral Vector Core facility at NIEHS.

### Brain slice culture and AAV virus infection

To study the effects of cholinergic coactivation on the plasticity of SC to CA1 synapses in Figure 2, coronal septal slices

(350  m) from ChAT-cre mice and horizontal hippocampal slices from floxed α7 nAChR mice or OLMα2-cre/floxed α7

nAChR mice (350  m) were cut with Leica VT1000S vibratome.  Medial septal tissue containing cholinergic neurons

was then dissected out and placed next to the hippocampus on a 6-well polyester Transwell insert (Corning) and

cultured there for about 2 weeks before being used for experiments, similar as previously described (Gu and Yakel,

2017). AAV viruses containing double floxed ChR2 construct (5 nl) were microinjected to the septal tissue with a

micro injector (Drummond Scientific) on the second day of culturing. To study the effects of disinhibition on the

plasticity of SC to CA1 synapses in Figure 4, horizontal hippocampal slices from Sst-cre mice were cultured and AAV

viruses containing double floxed eNpHR construct were microinjected to the hippocampus the next day.

**Whole-cell patch clamp recordings**

SC to CA1 excitatory post-synaptic currents (EPSCs) were recorded from hippocampal CA1pyramidal neurons under

whole-cell patch clamp, similar as described before (Gu and Yakel, 2011, 2017). Briefly, 2-3 weeks after culturing, the

slices were removed from transwell inserts and put into a submerged chamber, continuously perfused with

95%$O_2$/5%$CO_2$ balanced ACSF (in mM, 122 NaCl, 2.5 KCl, 2 $MgCl_2$, 2 $CaCl_2$, 1.2 $NaH_2PO_4$, 25 $NaHCO_3$, 25 glucose) at

room temperature. EPSCs were recorded at -60 mV under voltage clamp through a glass pipette filled with internal

solution (in mM, 130 potassium gluconate, 2 $MgCl_2$, 3 MgATP, 0.3 $Na_2$GTP, 10 KCl, 10 HEPES, and 1 EGTA, with pH

~7.2-7.3 and osmolarity ~280-290 mOsm). Whole-cell patch clamp recordings were performed with Multiclamp 700B

amplifier (Axon Instruments). Data were digitized with Digidata 1550, collected with Clampex. The amplitudes of

EPSCs were analyzed with Clampfit and graphs were drawn with Excel. The amplitudes were normalized to the mean

of the 10-min baseline recording before cholinergic pairing or disinhibition pairing. Values were presented as mean

± SEM.

EPSCs were evoked every 60 seconds by stimulating the SC pathway with an electrode placed in the stratum radiatum

through a stimulator (Grass S88X). The stimulation intensity was 1-10 μA for 0.1 ms. To study the effects of cholinergic

coactivation on SC to CA1 synaptic plasticity in Figure 2, cholinergic terminals in the hippocampus were

optogenetically activated (10 pulses at 10 Hz, 1 sec before SC stimulation) through ChR2 that was selectively

expressed in ChAT-cre positive (cholinergic) neurons. ChR2 was activated with 488-nm laser light (20 ms) through a

40× objective with an Andor spinning disk confocal microscope (Andor technology). To study the effects of

disinhibition on SC to CA1 synaptic plasticity in Figure 4, Sst positive neurons were inhibited optogenetically through

eNpHR which was activated with 530-nm laser light for 1 sec over SC stimulation.

**Model**

The minimal network used in this study consists of an OLM cell (O), a fast-spiking interneuron (I), and a pyramidal

cell. All the cells in the network are modeled as point neurons. Since we are interested in studying local changes at

the SC-CA1 synapse, the pyramidal cell is represented by a dendritic compartment ($E_D$).

**Neuron dynamics models**

The O and I cells are modeled using the standard Hodgkin-Huxley currents (Hodgkin & Huxley, 1952) (transient $I_{Na}$,

delayed rectifier potassium $I_K$, and leak $I_{leak}$), with synaptic currents $I_{syn}$. Its membrane potential $V_m$ is described as

follows:

$$C_m \frac{dV_m}{dt} = -I_{leak} - I_K - I_{Na} - I_{syn} \tag{1}$$

137    where $C_m$ is the membrane capacitance. The $I_{leak}$, $I_K$ and $I_{Na}$ currents are given by:

$$I_{leak} = g_{leak}(V_m - E_{leak}) \tag{2}$$

$$I_K = \bar{g}_K n^4 (V_m - E_K) \tag{3}$$

$$I_{Na} = \bar{g}_{Na} m^3 h \tag{4}$$

140    here $\bar{g}_i$ and $E_i$ are, respectively, the maximal conductance and reversal potential of channel i (i=leak, K, Na), and m, h

141    and n are gating variables that obey the following differential equation:

$$\frac{dx}{dt} = \alpha_x(1 - x) - \beta_x \tag{5}$$

144    where $\alpha_x$ and $\beta_x$ are voltage-dependent rate constants.

145    In addition, the O-cells have an applied current $I_{app}$ = −2.6 μA/cm$^2$, a persistent Na-current $I_p$, and a hyperpolarization-

146    activated inward current $I_h$ (with a slow and fast component), as described in (Rotstein, et al., 2005):

$$I_p = \bar{g}_p p\, (V_m - E_{Na}) \tag{6}$$

$$I_h = \bar{g}_h (0.65 h^f + 0.35 h^s)(V_m - E_h) \tag{7}$$

148    While the gate variable p obeys equation (5), $h^f$ and $h^s$ are described by the following equation:

$$\frac{dx}{dt} = \frac{x_\infty(V_m) - x}{\tau_x(V_m)}$$

(8)

151    where $x_\infty$ is the voltage dependent steady state and $\tau_x$ the time constant. Definitions for the $\alpha_x$, $\beta_x$, $x_\infty$ and $\tau_x$ for each

152    of the dynamic variables are as follows.

153    For the O-cells:

$$\alpha_n = \frac{-0.01(V_m + 27)}{exp(-0.1(V_m + 27)) - 1}$$

$$\beta_n = 0.125\, exp\left(-\frac{V_m + 37}{80}\right)$$

$$\alpha_m = \frac{-0.1(V_m + 23)}{exp(-0.1(V_m + 23)) - 1}$$

$$\beta_m = 4exp\left(-\frac{V_m + 48}{18}\right)$$

$$\alpha_h = 0.07exp\left(-\frac{V_m + 37}{20}\right)$$

$$\beta_h = \frac{1}{exp\left(-0.1(V_m + 7) + 1\right)}$$

$$\alpha_p = \frac{1}{0.15(1 + exp\left(-\frac{V_m + 38}{6.5}\right))}$$

$$\beta_p = \frac{exp\left(-\frac{V_m + 38}{6.5}\right)}{0.15(1 + exp\left(-\frac{V_m + 38}{6.5}\right))}$$

$$h_\infty^f = \frac{1}{1 + exp\left(\frac{V_m + 79.2}{9.78}\right)}$$

$$\tau_h^f = \frac{0.51}{exp\left(\frac{V_m - 1.7}{10}\right) + exp\left(-\frac{V_m + 340}{52}\right)} + 1$$

$$h_\infty^s = \frac{1}{\left[1 + exp\left(\frac{V_m + 2.83}{15.9}\right)\right]^{58}}$$

$$\tau_h^s = \frac{5.6}{exp\left(\frac{V_m - 1.7}{14}\right) + exp\left(-\frac{V_m + 260}{43}\right)} + 1$$

155    For the I-cells:

$$\alpha_n = \frac{0.032(V_m + 52)}{1 - exp\left(-\frac{V_m + 52}{5}\right)}$$

$$\beta_n = 0.5\, exp\left(-\frac{V_m + 57}{40}\right)$$

$$\alpha_m = \frac{0.32(V_m + 54)}{1 - exp\left(-\frac{V_m + 54}{4}\right)}$$

$$\beta_m = \frac{0.28(V_m + 27)}{exp\left(\frac{V_m + 27}{5}\right) - 1}$$

$$\alpha_h = 0.128\, exp\left(-\frac{V_m + 50}{18}\right)$$

$$\beta_h = \frac{4}{1 + exp\left(-\frac{V_m + 27}{5}\right)}$$

156    The parameter values used in the simulations are the ones presented in Table 1.

157    Since we are interested in studying local synaptic changes of the SC-CA1 synapse, we use the following equation to

158    describe the activity of the pyramidal cell dendritic compartment:

(9)

$$C \frac{dV_{E_D}}{dt} = -I_{leak} - I_{syn}$$

159   The parameters C, $g_{leak}$ and $E_{leak}$ are the same as for the I-cells.

161   **Synaptic models**

162   The O-cells have a synaptic current mediated by pre-synaptic α7 nAChR channels. The description of the current here

163   used is an adaptation of the model proposed in (Graupner & Gutkin, 2013), and it is given by

(10)

$$I_{\alpha7} = \bar{g}_{\alpha7} r_{\alpha7} (V_m - E_{\alpha7})$$

164   where $\bar{g}_{\alpha7}$ is the maximal conductance of the α7 nAChR channel, and $E_{\alpha7}$ the reversal potential. The opening gate

165   variable $r_{\alpha7}$ is described by equation (8), with $\tau_{r\alpha7}$ constant and $r_{(\alpha_7)\infty}$ given by

(11)

$$r_{(\alpha_7)\infty} = \frac{[ACh]^n}{EC_{50}^n + [ACh]^n}$$

166   where $EC_{50}$ is the half-maximum concentration, and *n* the Hill's coefficient of activation.

167   The I-cell has an excitatory AMPA and inhibitory $GABA_A$ synaptic currents, described by the following set of equations:

(12)

$$I_{GABA_A} = \bar{g}_G r_G (V_m - E_G)$$

$$I_{AMPA} = \bar{g}_A r_A (V_m - E_A)$$

(13)

168   The gating variables $r_x$ is, as described in (Destexhe, Mainen, & Sejnowski, 1998), given by

(14)

$$\frac{dr_x}{dt} = \alpha_x [T](1 - r_x) - \beta_x r_x$$

170   where $\alpha_x$ and $\beta_x$ are the opening and closing rate of the receptor channel, and [T] the neurotransmitter's

171   concentration available for binding.

172   The GABA release resultant from the respective activation of the O and I-cells depends on its membrane potential

173    $V_m$ according to the following equation:

$$[GABA] = \frac{T_{max}}{1 + \exp\left(-\frac{V_m - V_p}{K_p}\right)}$$

(15)

174    where $T_{max}$ is the maximal neurotransmitter concentration, $K_p$ gives the steepness of the function, and $V_p$ sets the

175    value at which the function is half-activated.

176    The dendritic compartment $E_D$ is modeled using synaptic GABA$_A$, AMPA and NMDA currents. The GABA$_A$ and AMPA

177    currents are given by equations (12) and (13), respectively. The NMDA current is described by the following equation:

(16)

$$I_{NMDA} = \bar{g}_N r_N B(V_m)(V_m - E_N)$$

179    where $r_N$ is the gating variable described by equation (14). Due to the presence of a Mg$^{2+}$ block, the NMDA channels

180    have an extra voltage-dependent term, $B(V_m)$, defined as:

$$B(V_m) = \frac{1}{1 + \exp(-0.062V_m)\frac{[Mg^{2+}]}{3.57}}$$

(17)

The reversal potentials of the excitatory receptors $E_A$ and $E_N$ are 0 mV, while one of the inhibitory GABA$_A$ receptor is

$E_G$ = −80 mV. Postsynaptic AMPA and GABA$_A$ receptors at the I-cell have maximal conductance $\bar{g}_{AMPA} = 0.1\ mS/cm^2$

and $\bar{g}_G = 0.6\ mS/cm^2$. at $E_D$ have a maximal conductance of $\bar{g}_{AMPA} = 0.3\ mS/cm^2$. Postsynaptic AMPA, GABA$_A$ and

NMDA receptors at $E_D$ have maximal conductances of $\bar{g}_{AMPA} = 0.3\ mS/cm^2$, $\bar{g}_G = 0.42\ mS/cm^2$ and $\bar{g}_N =$

$0.4\ mS/cm^2$, except for Figures 2 and 3 where we use $\bar{g}_N = 0.2\ mS/cm^2$ and $\bar{g}_G = 0.7\ mS/cm^2$ . The remaining

parameters are defined in Table 2.

**Model of synaptic plasticity**

We use a calcium-based synaptic plasticity model based on (Shouval, Bear, & Cooper, 2002). We assume that

changes in the AMPA receptor conductance reflect changes in the strength of the excitatory SC-CA1 synapse. Our

synaptic plasticity model is formulated as follows:

$$\frac{d\bar{g}_{AMPA}}{dt} = \eta(Ca)\big(\Omega(Ca) - \sigma(\bar{g}_{AMPA} - 0.3)\big) \tag{18}$$

193 where $\sigma$ is a decay constant. The variable $\eta$ is a calcium-dependent learning rate described by equation (19), and $\Omega$

194 determines the sign magnitude of synaptic plasticity as a function of the intracellular Ca levels (equation (20)).

$$\eta(Ca) = \left(\frac{P_1}{P_2 + Ca^{P_3}} + P_4\right)^{-1} \tag{19}$$

$$\Omega(Ca) = \gamma_p \frac{\exp\big(40(Ca - \theta_p)\big)}{1 + \exp\big(40(Ca - \theta_p)\big)} - \gamma_d \frac{\exp\big(40(Ca - \theta_d)\big)}{1 + \exp\big(40(Ca - \theta_d)\big)} \tag{20}$$

196 The parameters $\Theta_p$ and $\Theta_d$ define the depression and potentiation threshold, with $\Theta_p > \Theta_d$, and $\gamma_p$ and $\gamma_d$ define the

197 potentiation and depression amplitude, with $\gamma_p > \gamma_d$.

198 We assume that the main source of $Ca^{2+}$ is the calcium flux entering the cell through the NMDA receptor channels.

199 The intracellular $Ca^{2+}$ concentration evolves according to the following equation

$$\frac{dCa}{dt} = -\alpha I_{NMDA} - \frac{Ca}{\tau_{Ca}} \tag{21}$$

201 where $\alpha$ is the NMDARs permeability to calcium, and $\tau_{Ca}$ the calcium decay constant.

202 The parameter values used in the simulations are the ones presented in Table 3, except for Figure 2 and Figure 3

203 where $\gamma_p = 0.165$ and $\gamma_d = 0.100$.

## Results

**Co-activation of cholinergic and glutamatergic inputs modifies the SC-CA1 synaptic transmission**

Previously, it has been observed that coactivation of hippocampal cholinergic inputs and local SC pathway increases the amplitude of SC to CA1 pyramidal EPSCs. Moreover, repeated pairing of cholinergic and hippocampal inputs (8 times) induced the enhancement of EPSCs from pyramidal neurons not only during the pairing, but also long after, indicating the induction of long-term synaptic plasticity at SC to CA1 excitatory synapses. The induction of potentiation was abolished by a knock-out of OLM$\alpha$2 interneuronal $\alpha$7 nAChRs  (Figures 2A and 2C).

SC stimulation elicits EPSCs in s.r. interneurons and in the CA1 pyramidal cell dendrites (Leão, et al., 2012). On the other hand, despite the fact that $\alpha$7 nAChR-mediated currents have been observed in both hippocampal pyramidal neurons and interneurons, only the knockout of $\alpha$7 nAChRs in OLM$\alpha$2 interneurons blocked the potentiation of cholinergic-pairing-induced SC-evoked pyramidal cell EPSPs (Gu, et al., 2020). We thus modeled $\alpha$7 nAChR-mediated modulation of OLM neurons only. We constructed a minimal feed-forward circuit with an OLM cell (O), a fast-spiking interneuron (I), and the pyramidal cell s.r. dendritic compartment ($E_D$) connected as schematically shown in Figure 1B to examine mechanistically how pairing cholinergic activation of the O-cell with glutamatergic activation of the I-cell and $E_D$ can potentiate the EPSCs of $E_D$. Both the OLM cell and the FS neuron are modelled following a conductance-based Hodgkin-Huxley formalism (see methods). We study how the EPSC of $E_D$, modelled as the sum of the postsynaptic AMPA and NMDA currents ($I_{AMPA}$ and $I_{NMDA}$), change when the glutamatergic inputs acting on the I-cell and $E_D$ are paired with the cholinergic inputs that act on the post-synaptic $\alpha$7 nAChR of to the O-cell during a co-pairing period of 8 minutes, identical to the experimental protocol. Both before, during and after the co-pairing period, the I-cell and $E_D$ receive one pulse of glutamate per minute. During the co-pairing period the O-cell receives a pulse of ACh per minute, 1 msec prior to each glutamate pulse. Not much is known about the concentration profile of ACh in vivo, but it is believed that it can be cleared from the synaptic cleft within milliseconds**.** Therefore, both ACh and glutamate are modeled as square pulses with a duration of 3 msec and 1 mM of amplitude. ACh then acts to activate the $\alpha$7 nAChRs, producing a depolarising current in the target neuron in our model.

From Figure 2D, we see that during the co-pairing period (from t=10 min to t=18 min), the EPSC is increased. This increase in our model is maintained for an extended period of time after the co-pairing period is over (black line),

matching the experimental results. We also see that during the co-pairing period, GABA release from the I-cells,

$GABA_I$ , decreases significantly (see Figure 2D inset). If we decrease the maximal conductance of the α7 nAChR, $g_{\alpha7}$,

from 4 mS/cm² to 1 mS/cm² (or lower), co-pairing no longer potentiates the EPSC of $E_D$ (orange line). This is in

accordance with experimental results that showed that this form of EPSC boost was abolished by knockout of the α7

nAChR in OLMα2 interneurons (Figure 2C).

[Figure 2]

We then examined how the key parameters of the co-paring protocol influence the plasticity of the SC-CA1 EPSCs.

According to our model, the duration of the co-pairing period, the relative time between the cholinergic and

glutamatergic inputs, as well as their frequency during the co-pairing period, can modulate the efficiency and direction

of plasticity. Results of our simulations show that the longer the co-pairing period, the longer will be the transient

duration, where the potentiation transient duration was defined as the time it takes the EPSCs to return to its

baseline value once the co-pairing period is over (Figure 3A).  We observe a positive relationship between the

frequency of the glutamatergic and cholinergic inputs during a fixed period of paring protocol, and the duration of the

potentiation transient (Figure 3 B). Interestingly, our simulations suggested that while changing the co-pairing

period and the frequency of stimulation modulates the efficiency of the induction of potentiation, it does not

change the direction of plasticity. It was only when varying the relative time between the ACh and glutamate

pulses that we could induce a change in the direction of the plasticity. For the pairing of single pulses, if the

glutamatergic inputs arrive to I and $E_D$ within $0.7 < \Delta t < 20.2$ msec following the ACh pulse potentiation will be

induced. If $20.2 < \Delta t < 38$ msec, depression is induced (Figure 3C). If instead of single pulses we pair doublets of

glutamate and ACh, the potentiation and depression window change. The potentiation window is of $0.3 < \Delta t <$

$18.27$ msec, while the depression window is $-6.28 < \Delta t < 0.3$ msec and $18.27 < \Delta t < 70$ msec (see Figure 3D and

S1).

[Figure 3]

**Disinhibition of the CA1 pyramidal cell dendritic compartment enables potentiation of the SC-CA1 synaptic transmission.**

As we have shown in Figure 2, our model shows a decrease in GABA release from I-cells during the co-pairing period. Based on this result, we hypothesize that a decrease of GABAergic inhibition of $E_D$ allows for the potentiation of the SC-evoked EPSC of the pyramidal cell dendritic compartment. To study the role of disinhibition of $E_D$ in the potentiation of the SC-CA1 excitatory synapse, we use a model where $E_D$ receives a pulse of glutamate followed by a pulse of GABA, except during a disinhibition period when it only receives pulses of glutamate. We also paired, *in vitro*, inhibition of Sst interneurons with SC stimulation.

From Figure S2 we see that the rise and decay time of GABA concentration release that results from the spiking of the I-cells is almost instantaneous. Therefore for simplification, in this section GABA is modelled as a square pulse. Both glutamate and GABA release pulses are modeled as square pulses with a duration of 1 msec and 1 mM of amplitude. $E_D$ receives one pulse of glutamate per minute, followed by a pulse of GABA 2 msec after, except during a disinhibition period when it only receives pulses of glutamate. We note that this choice of simulated stimulation and pairing directly follows from the experimental protocol (see Methods). We use such a model to study how can disinhibition of $E_D$ modulate the induction of synaptic plasticity.

It was observed that during the disinhibition period the EPSC amplitude increases, and that the longer the disinhibition period last, the longer these changes last. Specifically, our model shows that for a disinhibition period of 4 minutes, the EPSC returns to baseline once the disinhibition period is over, and that for a longer disinhibition period of 8 minutes, the EPSC remains potentiated long after the disinhibition period is over (Figure 4D). This is in accordance with experimental results, where inhibition of Sst interneurons projecting to CA1 pyramidal cells was paired with SC stimulation for a short and long period of time (Figure 4C). Inhibition of Sst interneurons via eNpHR resulted in increased SC-CA1 EPSC amplitude not only during the Sst inhibition, but also after the end of Sst inhibition. The EPSC enhancement after the end of Sst inhibition lasted about 10min after 4 times of Sst inhibition and more than 30 min after 8 times of Sst inhibition.

[Figure 4]

Given that the amplitude of the AMPA current is much larger than the NMDA current (a glutamate pulse with a

duration of 1 msec and 1 mM of amplitude elicits an AMPA current with an amplitude of 17.65 $\mu$A/cm$^2$ and a NMDA

current with an amplitude of 2.19 $\mu$A/cm$^2$ ), the AMPAR arethe greatest contributor for the EPSC of $E_D$. Therefore,

we deduce that the changes in the EPSC amplitude seen during the disinhibition period reflect changes in the

AMPARs maximal conductance, $\bar{g}_{AMPA}$. In fact, AMPARs have been known to play an important role in the

regulation and expression of synaptic plasticity in the hippocampus (Barria, Muller, Derkach, Griffith, &

Soderling, 1997). From Figure 5 we see that there is an increase of $\bar{g}_{AMPA}$ during the disinhibition period. The longer

the disinhibition period, the higher is the value of $\bar{g}_{AMPA}$ when the disinhibition period is over. For a disinhibition period

of 4 minutes (blue line), there is an increase of $\bar{g}_{AMPA}$ from 0.3 to 1.8 $mS/cm^2$ during disinhibition. Afterwards, $\bar{g}_{AMPA}$

gradually goes back to its baseline value. For a disinhibition period of 8 minutes (orange line), $\bar{g}_{AMPA}$ increases from

0.3 to 2.8 $mS/cm^2$. When the disinhibition period is over, $\bar{g}_{AMPA}$ remains potentiated.

[Figure 5]

In our simulations we saw hints that not only the maximal voltage-dependent calcium concentration crossing the

potentiation threshold set in the model, but also the dynamics of calcium are determinant for the synaptic plasticity.

Hence, we examined the dynamics of the intracellular calcium concentration to understand how it determines

disinhibition-driven synaptic plasticity. From Figures 5C and D we see that calcium concentration increases

significantly during the disinhibition period, crossing the potentiation threshold $\Theta_p$ with a significant margin. For both

the short and long disinhibition, after the end of the disinhibition period, the calcium levels decrease, yet they remain

above $\Theta_p$. This clearly shows that the maximal calcium concentration, $Ca_{max}$, is not the sole determinant of long-

term synaptic potentiation. In the case of a short disinhibition period, each pairing of GABA and glutamate after the

disinhibition period will elicit a calcium pulse with a smaller amplitude than the previous one. Eventually, at t=25 min,

the calcium concentration that results from the pairing is not enough to cross the potentiation threshold, and by the

time t=30 min it does not cross either the potentiation or the depression threshold, having a similar amplitude as

before the disinhibition period. In the case of a long disinhibition period, each pairing performed after the

disinhibition period evokes a calcium pulse with the same amplitude. To better visualize the synaptic and calcium

dynamics immediately after the disinhibition period in both cases, we plot the system's trajectory in the Ca-$\bar{g}_{AMPA}$

plane. We do so for $\bar{g}_{AMPA}(t_{init})$=1.8 mS/cm$^2$ and for $\bar{g}_{AMPA}(t_{init})$=2.8 mS/cm$^2$ (Figure 5E), which are the values of $\bar{g}_{AMPA}$ at

the end of the disinhibition period for the short- and long- disinhibition durations. For $\bar{g}_{AMPA}(t_{init})$=1.8 mS/cm$^2$, the calcium

concentration crosses the potentiation threshold $\Theta_p$ (Ca$_{max}$ = 1.62 mM) but there is a total decrease in $\bar{g}_{AMPA}$. For

$\bar{g}_{AMPA}(t_{init})$=2.8 mS/cm$^2$, the calcium concentration crosses $\Theta_p$ to a larger extent (Ca$_{max}$ = 1.72 mM) and there is a total

increase of $\bar{g}_{AMPA}$. This result reveals the importance of calcium dynamics in the induction of plasticity.

Changing the calcium dynamics, for example by changing the decay constant of calcium, will change the outcome of

plasticity induction by changing the time calcium spends just above the potentiation threshold – when potentiation

is induced – and between the depression and potentiation threshold – when depression is induced (see Fig. S4).

These results also suggest that it is not sufficient for calcium concentration to cross the potentiation threshold to result

in a potentiation of $\bar{g}_{AMPA}$. To verify this, we looked at changes in maximal conductance of the postsynaptic AMPAR,

$\Delta\bar{g}_{AMPA}$, as a function of the amplitude of the intracellular calcium, Ca$_{max}$. From Figure 5F we see that as Ca$_{max}$

increases we only start to have potentiation ($\Delta\bar{g}_{AMPA} > 0$) when Ca$_{max}$ crosses not the potentiation threshold $\Theta_p$, but

what we will call an effective potentiation threshold $\Theta^{eff}$, at Ca$_{max}$=1.61 mM.

Based on our findings, we infer that the disinhibition period can govern the efficiency of the plasticity induction by

controlling the extent to which $\bar{g}_{AMPA}$ is potentiated, which in turn will determine the outcome of the stimulation

protocol after disinhibition period.

Similarly to what was done in the previous section, we wanted to examine how other parameters influence the

plasticity of SC-CA1 EPSCs. According to our model, the amplitude of the GABA pulse, GABA$_{max}$, as well as the relative

time between the glutamate and GABA pulses, $\Delta t_{(GABA-Glu)}$, can modulate plasticity. We also see that the regions of

the $\Delta t_{GABA-Glu}$-GABA$_{max}$ parameter space that define the zones of depression and potentiation changes with the $\bar{g}_{AMPA}$

(Figure 6). Therefore, the same induction protocol may induce potentiation or depression, more or less efficiently, depending

on the current state of phosphorylation of the AMPA receptors, i.e. $\bar{g}_{AMPA}$, and on the decrease of GABA during disinhibition.

[Figure 6]

**Membrane potential of CA1 pyramidal dendritic compartment controls direction of plasticity**

Based on our results, we hypothesize that the voltage of the pyramidal dendritic compartment $V_{E_D}$ is the critical

variable in the model that controls the direction of plasticity. To explore this hypothesis, we will use phase-plane analysis.

To use this technique, we reduce our 6-variable model ($V_{E_D}$, $\bar{g}_{AMPA}$, $r_N$, $r_G$, $r_{AMPA}$, Ca) to its slow 2-variable subsystem

($\bar{g}_{AMPA}$, $r_N$) so that it may be represented graphically and understood entirely by doing phase-plane analysis. We do

this by exploring the time scale differences between the dynamical variables of the system. The maximal conductance

of the AMPAR and the fraction of open NMDA receptor channels, $\bar{g}_{AMPA}$ and $r_N$, are significantly slower than the other

variables. We use a quasi-equilibrium approximation to the fast variables Ca, $r_{AMPA}$ and $r_G$, i.e. we replace this

variables by their steady state value, to obtain a reduced 2-variable $\bar{g}_{AMPA}$–$r_N$ with $V_{E_D}$ as a parameter. We then plot

the trajectories and respective nullclines of the reduced system in the $\bar{g}_{AMPA}$–$r_N$ plane for 2 different values of $V_{E_D}$, $V_{E_D}$

= -69 mV and $V_{E_D}$ = -60 mV (Figure 7). In the reduced $r_N$–$\bar{g}_{AMPA}$ system, $r_N$ is the fast variable, while $\bar{g}_{AMPA}$ is the slow

variable. We note that from the dynamical systems theory we know that in such fast-slow systems, the solutions

tend to move rapidly towards (or away from) the fast variable nullclines, and then flow slowly along it (the so-called

slow manifold). Hence for most of the time, the dynamics of the system are functionally governed by the shape and

the location of the fast nullcline relative to the slow one and the slow-variable flow along it. More precisely, starting

from some general initial condition, the system will be governed by the fast subsystem $r_N$ until it reaches its steady

state $\frac{dr_N}{dt} = 0$. The system will then evolve slowly governed by the slow subsystem $\bar{g}_{AMPA}$. As shown in Figure 7, the

parameter $V_{E_D}$ controls the nullcline of $\bar{g}_{AMPA}$. For $V_{E_D}$ = −69 mV, the nullcline of $r_N$ is below the one of $\bar{g}_{AMPA}$. Therefore,

when the steady state of $r_N$ is reached, the system will be driven to the left, which corresponds to a decrease in

$\bar{g}_{AMPA}$ - or, in other words, to depression. On the other hand, when $V_{E_D}$ is increased to −60 mV the nullcline of $r_N$ is

now located above $\bar{g}_{AMPA}$, and the system will evolve towards the right once the steady state of $r_N$ is reached - we

have potentiation.

[Figure 7]

These results suggest that a necessary condition for the induction of synaptic plasticity is the depolarization of the

pyramidal cell membrane, which can be accomplished by pairing the activation of the SC with the disinhibition.

**Model Predictions:**

Results of model simulations and analysis make several testable predictions. Despite not knowing the exact type of

s.o. interneuron that is providing feedforward inhibition to the CA1 pyramidal cell, our model predicts that it should

be an interneuron with fast dynamics, i.e. with dynamics comparable to the one of the pyramidal cells.

In this work (both in modelling and experimentally), activation of OLM cells is accomplished through cholinergic

activation of $\alpha 7$ nAChRs. In our model, $\alpha 7$ receptor activation provides a depolarising current to the OLM neurons.

Therefore, we expect that activation of the OLM$\alpha 2$ interneurons through any mechanism other than septal

cholinergic activation, for example through optogenetic stimulation, would lead to the similar results.

Finally, our model predicts a relationship between the relative timing of the septal and hippocampal stimulus paring

and the direction of the synaptic plasticity at the SC-PYR synapse. According to our simulations, increasing the

frequency of septal and hippocampal paired stimulation can induce plasticity more easily, i.e. less pairings would be

required to induce LTP. At the same time, we predict that increasing the relative time between septal and

hippocampal activation can induce LTD instead of LTP.

**Discussion**

This work set out to explain how cholinergic activation of hippocampal OLM interneurons paired with hippocampal

stimulation can potentiate CA1 pyramidal cell EPSC responses. Our modelling results suggest that co-pairing

cholinergic activation of OLM interneurons results in the disinhibition of CA1 pyramidal cells, which paired with

hippocampal stimulation potentiates CA1 pyramidal cell SC-evoked EPSCs. We also show general proof of principle

of how synaptic plasticity is controlled by the disinhibition of the postsynaptic pyramidal membrane through a

disynaptic GABA-ergic circuit.

OLM cells are a major class of GABAergic interneurons located in the stratum oriens hippocampal layer that inhibit

pyramidal cells dendritic compartment located in the stratum lacunusom-moleculare layer, reducing the strength of

EC inputs. However, there are recent findings showing that activation of these cells can facilitate LTP in SC-CA1

pathway, likely by inhibiting s.r. interneurons that synapse on the same dendritic compartment as the SC,

counteracting SC feedforward inhibition (Leão, et al., 2012).

We found that repeated pairing of cholinergic inputs with hippocampal stimulation can induce plasticity if the inputs

are tightly timed. The time window for potentiation depends greatly on the dynamics of the O-cells, I-cells and the

calcium dynamics. This is in accordance with experimental findings showing that activation of cholinergic inputs to the

hippocampus can directly induce different forms of synaptic plasticity depending on the input context in the hippocampus, with

a timing precision in the millisecond range (Gu & Yakel, Timing-dependent septal cholinergic induction of dynamic hippocampal

synaptic plasticity, 2011). Our model also shows that the longer the co-pairing period and the higher the frequency of

stimulation during the co-pairing period, the longer lasting is the potentiation of the synapse.

It is important to note that in our model, the OLM fast-spiking interneuron and pyramidal cell are connected through

a feedforward connection. It is likely that recurrent connections between these neurons exist. However, adding these

recurrent connections to our model does not qualitatively change our results, provided we adjust the parameters

corresponding to the potentiation and depression threshold, $\Theta_p$ and $\Theta_d$, and/or the potentiation and depression

amplitudes, $\gamma_p$ and $\gamma_d$, as well as the maximal conductance of the synaptic currents.

According to our model, the key mechanism behind paired cholinergic induction of synaptic plasticity is the

disinhibition of the pyramidal cell dendritic compartment. Cholinergic activation of the O-cell inhibits the fast-spiking

I-cell that projects to the dendritic compartment $E_D$. The disinhibition of $E_D$ paired with glutamatergic stimulation

allows for the depolarization of the pyramidal dendritic compartment. This leads to increased NMDAR activation and

intracellular calcium concentration sufficient to upregulate postsynaptic AMPAR permeability and potentiate the

excitatory synapse. It is worth mentioning that we consider a minimal model and that there are other pathways that

may play a role in the induction of plasticity by modulating the calcium dynamics at the s.r. dendritic compartment;

namely, the OLM projection to the distal dendrites of the CA1 pyramidal neurons.

In order to study in greater detail the mechanisms behind the induction of plasticity through disinhibition, we

modelled changes in synaptic strength when glutamatergic activation of $E_D$ is paired with locally reduced GABA.

Before the disinhibition period starts, the cell receives both excitatory and inhibitory inputs. An excitatory input

evokes an EPSP mediated by AMPAR. The EPSP is followed by a GABA$_A$-mediated IPSP. Because of slow kinetics and

voltage-dependence, at that time, the NMDAR receptors are not in the open state and there is no influx of calcium.

During the disinhibition period, the cell only receives the excitatory inputs (GABA inputs are suppressed). The

pyramidal cell membrane at (or sufficiently near to) the glutamatergic synapse is able to depolarize enough to relieve

the $Mg^{2+}$ block from the NMDA receptors, allowing calcium to permeate through the receptor channel (Figure 8).

Therefore, during the disinhibition period, every time the pyramidal cell receives a pulse of glutamate, the

intracellular calcium concentration crosses the potentiation threshold $\Theta_p$, and $\bar{g}_{AMPA}$ increases.

[Figure 8]

Therefore, down-regulation of the GABAergic signaling during disinhibition leads to increased NMDAR activation.

Because of the receptor's high calcium permeability, there is an elevation in intracellular calcium concentration large

enough to initiate molecular mechanisms that result in the insertion/phosphorylation of the AMPAR. In our model,

this translates into an increase in the AMPAR maximal conductance $\bar{g}_{AMPA}$. Moderate calcium concentrations, on the

other hand, result in the removal of AMPARs. Because changes in calcium concentration are not instantaneous, the

potentiation/depression of the synapse is a result of a balance between the insertion/removal of AMPARs during the

period in which Ca concentration is above potentiation/depression threshold. During disinhibition, this balance is

positive and there is a total increase in $\bar{g}_{AMPA}$. The more times we pair disinhibition with SC stimulation, i.e. the longer

the disinhibition period, the higher will be the value of $\bar{g}_{AMPA}$ by the end of the disinhibition period. After the

disinhibition period, if the increase of $\bar{g}_{AMPA}$ was large enough, the calcium resultant from glutamatergic and

GABAergic stimulation is such that there was a balance between potentiation and depression, which is close to zero

($\Delta\bar{g}_{AMPA}$=-0.0002). Therefore, the synapse remains potentiated long after the disinhibition period is over. If there is

no stimulation after the disinhibition period, $\bar{g}_{AMPA}$ slowly decays to its initial value (i.e. its value before the disinhibition

period). If the increase of the AMPAR permeability is high enough, the potentiation of the excitatory synapse is

maintained when the disinhibition period is over through repeated stimulation of the SC that keeps a balance between

the down and upregulation of the AMPARs. This is in accordance with experimental results that show that repeated

pairing of inhibition of Sst interneurons (which are not OLM interneurons) that target the CA1 pyramidal cell with SC

stimulation can induce plasticity.

Our model is robust to changes of parameters that maintain the same ratio of potentiation/depression. Meaning

that, for example, for different values of the potentiation amplitude $\gamma_p$, there is (at least) a pair of maximal depression

$\gamma_d$ and decay constant $\sigma$ for which our results remain the same (Fig. S3).

It is worth noting that the type of synaptic plasticity induced depends on the value of maximal conductance of the

postsynaptic AMPAR, $\bar{g}_{AMPA}$, as shown in Figure 6. Therefore, despite not having explicit memory or considering

metaplasticity, our model shows that future changes in synaptic strength depend on previous plasticity events and

how these changed $\bar{g}_{AMPA}$. This explains why, after the disinhibition period, pairs of glutamate and GABA pulses with

the same characteristics are going to induce different results when the disinhibition period was short or long.

In summary, using our minimal biophysically-based model, we accounted for key experimental observations that

provided a cogent explanation for the role of the septal cholinergic pathway activation in the induction of

hippocampal synaptic plasticity. Our modeling work suggests that GABAergic neurotransmission controls the local

pyramidal voltage in the vicinity of the glutamatergic synapses, thereby the inhibitory synapses critically modulate

excitatory transmission and the induction of plasticity at excitatory synapses. This puts into evidence the importance

of dendritic GABA and glutamate co-location in shaping local plasticity rules. Our work also suggests a cholinergic

mechanism for the inhibition of GABA release at the pyramidal dendrites and consequent potentiation of excitatory

synapses, unraveling the intricate interplay of the hierarchal inhibitory circuitry and cholinergic neuromodulation as a

mechanism for hippocampal plasticity.

Previous work by Gu et al. (2017) showed that co-paired activation of the cholinergic input pathway from the septum

to the hippocampus, either electrically or using optogenetics, with stimulation of the Schaffer collateral pathway

could readily induce theta oscillations in a co-culture septal-hippocampal-entorhinal preparation. They also observed

that performing this co-pairing mechanism increased excitatory transmission in the hippocampus and subsequent

outputs to the EC in slice co-cultures. Moreover, after synaptic plasticity has been induced it becomes easier to evoke

the theta rhythm in the preparation (one pulse stimulus of the SC is sufficient to generate theta oscillations in the

circuit with the same characteristics as before) (Gu & Yakel, Inducing theta oscillations in the entorhinal hippocampal

network in vitro, 2017; Gu, Alexander, Dudek, & Yakel, 2017). Therefore, induction of hippocampal plasticity, in

particular potentiation of the CA1 EPSPs, appears to facilitate the generation of the theta rhythm. Moreover, a recent

study directly linked OLMα2 interneurons to theta oscillations (Mikulovic, et al., 2018). We thus may speculate that the

action of ACh on the α7 nAChRs at the OLMα2 neurons potentiates the SC-CA1 synapses to close the critical link in the

synaptic chain of events, enabling recurrent reverberation of excitation in the hippocampal-entorhinal theta generating

circuit. Understanding the mechanisms underlying the induction of hippocampal plasticity by this co-pairing

mechanism will allow future studies of how changes on the synaptic level can propagate to the network level and

change the mechanisms of theta generation.

We may also note that our results can be relevant to understanding the neural circuit origins of pathological conditions.

The hippocampus is one of the earliest brain structures to develop neurodegenerative changes in Alzheimer's disease

(AD) (Arriagada, Growdon, Hedley-Whyte, & Hyman, 1992). Numerous studies suggest that cognitive deficits in AD such

as memory impairment are caused in part by cholinergic dysfunction action on hippocampal GABAergic interneurons

(Schmid, et al., 2016; Haam & Yakel, 2017). Here, we have shown that a decrease in the conductance of cholinergic α7

nAChRs on OLM interneurons caused the impairment of induction of hippocampal synaptic plasticity.

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**Table 1:** Parameters of pyramidal cell, OLM interneuron, and fast-spiking interneuron dynamics. All the parameter values and expressions here described were taken from (Rotstein, et al., 2005).

| Parameter | Value |
| --- | --- |
| **O-cells** | |
| $C_m$ | 1 $\mu F/cm^2$ |
| $g_{leak}$ | 0.5 $mS/cm^2$ |
| $E_{leak}$ | -65 $mV$ |
| $\bar{g}_K$ | 11 $mS/cm^2$ |
| $E_K$ | -90 $mV$ |
| $\bar{g}_{Na}$ | 52 $mS/cm^2$ |
| $E_{Na}$ | 55 $mV$ |
| $\bar{g}_p$ | 0.5 $mS/cm^2$ |
| $\bar{g}_h$ | 1.45 $mS/cm^2$ |
| $E_h$ | -20 $mV$ |
| **I-cells** | |
| $C_m$ | 1 $mu\ F/cm^2$ |
| $g_{leak}$ | 0.1 $mS/cm^2$ |
| $E_{leak}$ | -66 $mV$ |
| $\bar{g}_K$ | 80 $mS/cm^2$ |
| $E_K$ | -100 $mV$ |
| $\bar{g}_{Na}$ | 100 $mS/cm^2$ |
| $E_{Na}$ | 50 $mV$ |

**Table 2:** Parameter values of synaptic currents *AMPA*, *NMDA* and *GABA$_A$*. The parameter values were based on (Graupner & Gutkin, 2013) and (Destexhe, Mainen, & Sejnowski, 1998).

| Parameter | Value |
|---|---|
| $\alpha_A$ | 10 $ms^{-1}mM^{-1}$ |
| $\beta_A$ | 0.3 $ms^{-1}$ |
| $[Mg^{2+}]$ | 1 $mM$ |
| $\alpha_N$ | 0.75 $ms^{-1}mM^{-1}$ |
| $\beta_N$ | 6.6 x $10^{-3}$ $ms^{-1}$ |
| $\alpha_G$ | 3.3 $ms^{-1}mM^{-1}$ |
| $\beta_G$ | 0.1 $ms^{-1}$ |
| $\bar{g}_{\alpha 7}$ | 4 $mS/cm^2$ |
| $EC_{50}$ | 80 x $10^{-3}$ $mM$ |
| $\tau_{r\alpha 7}$ | 5 $ms$ |
| $n$ | 1.73 |

**Table 3:** Parameter values for synaptic plasticity. The values were adjusted from (Shouval, Bear, & Cooper, 2002) to obtain calcium level changes able to induce potentiation and depression in our simulations.

| Parameter | Value |
|-----------|-------|
| $\sigma$ | 0.003 |
| $P_1$ | 30 $ms$ |
| $P_2$ | $P_1 \times 10^{-4}$ |
| $P_3$ | 11.4 |
| $P_4$ | 1 $ms$ |
| $\vartheta_p$ | 1.4 |
| $\vartheta_d$ | 1 |
| $\gamma_p$ | 0.143 |
| $\gamma_d$ | 0.105 |
| $\alpha$ | 0.2 |
| $\tau_{Ca}$ | 5 $ms$ |

<div align="center">

**(A)**    **(B)**

</div>

**Figure 1: Disynaptic disinhibition circuit for ACh induced long-term plasticity in the CA1. (A)** Simplified wiring diagram of an interneuron network that mediates feedforward inhibition in the CA1 region of the hippocampus. Activation of the Schaffer Collateral (SC) pathway leads to the activation of CA1 pyramidal cell dendrites and of the stratum radiatum (s.r.) interneurons, which provide feedforward inhibition onto the pyramidal cell. Cholinergic activation of OLMα2 interneurons in stratum oriens (s.o.) leads to the inhibition of the s.r. interneurons, counteracting SC feedforward inhibition (Leão, et al., 2012). **(B)** Minimal network to investigate plasticity induced by pairing of cholinergic and SC activation. Glutamate activates postsynaptic AMPA and NMDARs at the pyramidal cell dendritic compartment $E_D$ and postsynaptic AMPARs at I-cells, which in turn provide feedforward inhibition onto $E_D$ by activating postsynaptic GABA$_A$Rs. Cholinergic inputs act on postsynaptic α7 nAChRs of O-cells, which results in GABA release of the O-cells that it is going to bind to postsynaptic GABA$_A$Rs of the I-cells.

**Figure 2: Cholinergic activation of OLM interneurons potentiates SC-evoked EPSCs.** **(A)** Scheme of *in vitro* induction of cholinergic pairing induced hippocampal synaptic plasticity. EPSCs were recorded from CA1 pyramidal neurons. Cholinergic neurons were activated via channelrhodopsin-2 that was specifically expressed in ChAT-positive neurons. The Schaffer collateral (SC) pathway was activated by a stimulating electrode. Adapted from (Gu, Alexander, Dudek, & Yakel, 2017). **(B)** Scheme of minimal network used to study role of cholinergic inputs in the potentiation of SC-evoked EPSCs. Glutamatergic inputs activate the pyramidal cell dendritic compartment ($E_D$) and the fast-spiking interneuron (I) that projects to it. The OLM interneuron (O) is activated by ACh during the co-pairing period. **(C)** Normalized SC-evoked EPSC responses from CA1 pyramidal neurons showing that the enhancement of EPSCs was impaired in hippocampal slices from mice with selective α7 nAChR knockout in OLMα2 interneurons. Adapted from (Gu, Alexander, Dudek, & Yakel, 2017). **(D)** Numerical simulation of normalized EPSC amplitude when glutamatergic inputs acting on the I-cell and $E_D$ are paired with cholinergic inputs acting on the O-cell. The EPSCs are calculated as the sum of postsynaptic AMPA and NMDA currents, $I_{AMPA}$ and $I_{NMDA}$, and are a result of 10 simulations with white noise on the $E_D$ membrane potential. Normalization of the results was calculated according with the expression (100 + (EPSC - EPSCmin).(150-100))/(EPSCmax - EPSCmin). Inset: Concentration of GABA released from fast-spiking interneurons (I), calculated according to equation 15 (see Methods).

**Figure 3: Co-pairing temporal parameters determine the duration and polarity of synaptic plasticity: relative timing between cholinergic and glutamatergic stimulation, extent of the co-pairing period, and the frequency of stimulation. (A)** Synaptic strength transient duration is proportional to the extent of the pairing period. Here, the transient duration is defined as the time it takes the EPSC to go back to baseline after co-pairing is over. The I-cell and $E_D$ receive a pulse of glutamate per minute. During the co-pairing period, the O-cell receives a pulse of ACh per minute, 1 msec prior to the pulses of glutamate. **(B)** Synaptic strength transient duration is proportional to the frequency of the

ACh and glutamate pulses during the co-pairing period. Before and after co-pairing period, the I-cell and $E_D$ receive a pulse of glutamate per minute. During the co-pairing period (4 minutes), the frequency changes to $^1/_{120}$, $^1/_{60}$ or $^1/_{30}$ sec$^{-1}$, and the O-cell receives a pulse of ACh 1 msec prior to the pulses of glutamate with the same frequency. **(C)** Relative paring timing provides a window of opportunity for plasticity. If glutamatergic inputs are administrated within $0.7msec < \Delta t < 20.2msec$ the $E_D$ excitatory synapse is potentiated. If glutamatergic inputs are administrated within $20.2msec < \Delta t < 38msec$, depression is induced. Negative values of $\Delta t$ correspond to glutamatergic stimulation prior to cholinergic activation. In that case, there are no changes in synaptic strength ($\Delta \bar{g}_{AMPA}$=0). The change in the AMPAR conductance $\Delta \bar{g}_{AMPA}$ is measured 60 msec after one pairing. **(D)** Pairing multiple pulses of glutamate and ACh can change window of opportunity for plasticity. Two pulses of glutamate and ACh with a frequency of $^1/_5$ msec$^{-1}$ are paired. If glutamatergic inputs arrive within $-6.28msec < \Delta t < 0.3msec$ or $18.27msec < \Delta t < 70msec$ of the cholinergic inputs, depression is induced. If glutamatergic inputs are administrated within $0.3 < \Delta t < 18.27$ msec, the $E_D$ excitatory synapse is potentiated. The change in the AMPAR conductance $\Delta \bar{g}_{AMPA}$ is measured 60 msec after one pairing. Parameters for subfigure (D): $g_N$=0.18 mS/cm$^2$ and $g_G$=0.95 mS/cm$^2$ for the postsynaptic receptors of $E_D$. All other parameters are as indicated in the Methods.

**Figure 4: Disinhibition of CA1 pyramidal cell facilitates induction of hippocampal synaptic plasticity. (A)** Scheme of in vitro induction of hippocampal synaptic plasticity through concurrent Sst inhibition. EPSCs were recorded from CA1 pyramidal neurons. Sst neurons were inhibited via eNpHR that was specifically expressed in Sst-positive neurons. The Schaffer collateral (SC) pathway was activated by a stimulating electrode. **(B)** Schematic representation of a CA1 pyramidal neuron dendritic compartment $E_D$ with post-synaptic GABA$_A$, AMPA and NMDA receptors used to study the disinhibitory mechanisms for induction of plasticity at the SC-CA1 excitatory synapse. The dendritic compartment of the pyramidal cell receives one pulse of both Glutamate and GABA per minute, except during the disinhibition period where it only receives pulses of Glutamate. Glutamate binds to the excitatory AMPA and NMDA receptors, while GABA binds to the inhibitory GABA$_A$ receptor. **(C)** Experimental measurements showing the effects of inhibition of Sst and OLM$\alpha$2 interneurons in s.o. on SC-evoked EPSCs. Inhibition of Sst interneurons from t=4min to t=8min enhanced the SC-evoked EPSC amplitude of CA1 Pyramidal cell, followed by a return to the baseline after inhibition period (blue line). Inhibition of Sst interneurons from t=4min to t=12min resulted in the increase of SC-evoked EPSCs amplitude, which remained potentiated after inhibition period (orange line). **(D)** Numerical simulation of normalized EPSCs of $E_D$ for a disinhibition period of 4 minutes (from t=5 min to t=9 min) and 8 minutes (from t=5 min to t=13 min).

**Figure 5: Calcium dynamic is key for the induction of synaptic plasticity. (A)** Time course of maximal AMPAR

conductance, $\bar{g}_{AMPA}$, when dendritic compartment is disinhibited for a short period of time (from t=5 min to t=9 min). The maximal AMPAR conductance increases from its initial value $\bar{g}_{AMPA}$=0.3 $mS/cm^2$ to $\bar{g}_{AMPA}$=1.8 $mS/cm^2$ during disinhibition period. **(B)** Time course of $\bar{g}_{AMPA}$ when dendritic compartment is disinhibited for a long period of time (from t=5 min to t=13 min). It increases from its initial value $\bar{g}_{AMPA}$= 0.3 $mS/cm^2$ to $\bar{g}_{AMPA}$=2.8 $mS/cm^2$ during the disinhibition period. The AMPAR conductance $\bar{g}_{AMPA}$ is described by equation 18. **(C)** Time course of intracellular calcium concentration when dendritic compartment $E_D$ is disinhibited for a short period of time (from t=5 min to t=9 min). The pairing of a pulse of glutamate with a pulse of GABA at t=10 min, i.e. immediately after the disinhibition period, results in a calcium pulse with an amplitude of 1.62 mM. **(D)** Time course of intracellular calcium concentration when dendritic compartment is disinhibited for a long period of time (from t=5 min to t=13 min). The pairing of a pulse of glutamate with a pulse of GABA at t=14 min, i.e. immediately after disinhibition period, results in a calcium pulse with an amplitude of 1.72 mM. The calcium dynamics is described by equation 21 (see Methods). **(E)** Trajectories of the system in the $\bar{g}_{AMPA}$-Ca plane when a pulse of glutamate is paired with a pulse of GABA for different initial values of $\bar{g}_{AMPA}$. **(F)** Changes in the maximal AMPAR conductance, $\Delta\bar{g}_{AMPA}$, as a function of the amplitude of intracellular calcium pulse, $Ca_{max}$. Each point of the graph was obtained by submitting $E_D$ to a pulse of glutamate for different initial values of $\bar{g}_{AMPA}$. This induced different levels of depolarization and, consequently, different levels of activation of NMDARs and calcium pulses of different amplitudes.

**Figure 6: Amplitude of GABA pulse, GABA$_{max}$, and relative time between GABA and glutamate pulses, $\Delta t(GABA-Glu)$, control direction and efficiency of induction of synaptic plasticity. (a)** Depression and potentiation regions for $\bar{g}_{AMPA}$= 0.3 mS/cm$^2$. **(b)** Depression and potentiation regions for $\bar{g}_{AMPA}$= 1.8 mS/cm$^2$. **(c)** Depression and potentiation regions for $\bar{g}_{AMPA}$= 2.8 mS/cm$^2$.

**Figure 7: Trajectories of the slow subsystem $r_N$ -$\bar{g}_{AMPA}$ for $V_{ED}$ =-69 mV and $V_{ED}$ =-60 mV, and respective nullclines.**

**(A)** For $V_{ED}$ = −69 mV, the system has a stable fixed point at (-34.1,0.99). Initiating the system at $\bar{g}_{AMPA}$ = 0.3 mS/cm² and $r_N$ =0, depression will be induced. **(B)** For $V_{ED}$ = −60 mV, the system has a stable fixed point at (12.9,0.99). Initiating the system at $\bar{g}_{AMPA}$ = 0.3 mS/cm² and $r_N$ =0, potentiation will be induced. **(C)** For $V_{ED}$ = −66.76 mV, the system has a stable fixed point at (0.3, 0.99). Initiating the system at $\bar{g}_{AMPA}$ = 0.3 mS/cm² and $r_N$ =0, no plasticity will be induced. **(D)** Bifurcation diagram for slow subsystem $r_N$-$\bar{g}_{AMPA}$. The system has a continuity of stable steady states. If we initialize the system with $\bar{g}_{AMPA}$ = 0.3 mS/cm², values of $V_{ED}$ bellow -66.76 mV will move the system to a steady state with $\bar{g}_{AMPA}$ < 0.3 mS/cm², inducing depression. Values of $V_{ED}$ above -66.76 mV will make the system evolve towards a steady state with $\bar{g}_{AMPA}$ > 0.3 mS/cm², inducing potentiation.

**Figure 8: Scheme of the activation mechanisms of NMDARs and consequent calcium influx**. **(A)** Glutamatergic activation evokes an EPSP mediated by AMPAR. The EPSP is followed by an IPSP mediated GABA acting on GABA$_A$ receptors. **(B)** Dendritic compartment does not receive GABAergic inhibition. The dendritic compartment is able to depolarize enough - and remain depolarized for long enough - to relieve Mg$^{2+}$ block from NMDA receptors, allowing calcium to permeate through the receptor channel.

**Supplementary Material**

**(A)**                                                                                              **(B)**

**Figure S1: (A)** Single spike pairs yield three qualitatively regions with respect to induction of plasticity. <u>Region A</u> ( $\Delta t$

< 0.7 msec): A pulse of glutamate activates the I-cell and $E_D$. The I-cell releases one pulse of GABA that inhibits $E_D$. In

the meantime, the O-cell receives a pulse of ACh. Because the O-cell has a slower dynamic than the I-cell, by the time

the O-cell releases GABA and inhibits the I-cell, the I-cells have already inhibited $E_D$ and no plasticity is induced. <u>Region</u>

<u>B</u> (0.7 < $\Delta t$ < 20.2 msec): ACh activates the O-cell which inhibits the I-cell. The I-cell and $E_D$ receive a pulse of

glutamate with a delay $\Delta t$. By the time the I-cell and $E_D$ receive the pulse of glutamate, the I-cell is in a hyperpolarized

state and cannot release GABA. The feedforward inhibition is cancelled, i.e. no GABA arrives to $E_D$, and the pulse of

glutamate depolarizes $E_D$, activating NMDARs and allowing enough calcium to enter the cell to induce potentiation.

<u>Region C</u> (20.2 < $\Delta t$ < 38 msec): As the arrival of the Glutamate pulse is delayed, eventually the I-cell will be able to

spike and release one pulse of GABA. But because it is still recovering from the inhibition that received from the O-

cell, GABA will arrive to $E_D$ later than in Region A. $E_D$ depolarizes just enough for calcium to cross the depression

threshold before being inhibited, and depression is induced. **(B)** Single spike-douplets yield four qualitatively regions

with respect to induction of plasticity. <u>Region D</u> ( $\Delta t < -6.28$ msec): Similarly to Region A, glutamate is administrated before ACh. Two pulses of glutamate activate the I-cell, which releases 2 pulses of GABA that inhibit $E_D$. ED cannot depolarize enough to activate enough NMDARs to induce plasticity.  <u>Region E</u> (-6.28 < $\Delta t$ < 0.3 msec): the I-cell receives 2 pulses of glutamate but only releases 1 pulse of GABA because of the inhibition is receiving from the O-cell. $E_D$ depolarizes enough to allow calcium to cross the depression threshold, and depression is induced. <u>Region F</u> (0.3 < $\Delta t$ < 18.27 msec): I-cell receives 2 pulses of glutamate but it does not release any GABA because of the action of the O-cell. $E_D$ depolarizes enough to allow calcium to cross the potentiation threshold and potentiation is induced. <u>Region G</u> (18.27 < $\Delta t$ < 70 msec): the I-cell releases either 1 or 2 pulses of GABA, depending on the delay between the 2 pulses of glutamate and the GABA released from the O-cell, which induces depression. The amplitude of depression depends on the either $E_D$ received 1 or 2 pulses of GABA and the time at which these pulses arrive to $E_D$.

**Figure S2: Membrane potential of the I-cell when it receives two pulses of glutamate (with amplitude 1mM and duration of 3 msec) with a frequency of 0.2 msec$^{-1}$, and respective GABA release.** GABA concentration can be described by a square function.

**Figure S3: Set of parameters for which we obtain the same results as the ones shown in Fig.4**

**(A)**

**(B)**

**Figure S4 : Increasing the ration between the area of potentiation and depression increases induction of synaptic plasticity. (A)** By changing the calcium decay rate $\tau_{Ca}$ , we change the ratio between the potentiation area (integral of calcium concentration above the potentiation threshold $\theta_p$) and the depression area (integral of calcium concentration above the depression threshold $\theta_d$ and bellow the potentiation threshold). **(B)** As the ratio between the potentiation and depression area increases, so does the induction of synaptic plasticity. In these numerical simulations, ED receives a pulse of glutamate followed by a pulse of GABA 2 msec after, each with an amplitude of 1mM and duration of 1 msec. The initial value of $\bar{g}_{AMPA}$ is 1.8 mS/cm$^2$. All the other parameters are as indicated in Methods. The ratio between the potentiation and depression area is calculated by numerically integrating the area in the potentiation and depression zone, using the trapezoidal method.