Choosing variant interpretation tools for clinical applications: context matters

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Abstract

Motivation: Our inability to solve the Variant Interpretation Problem (VIP) has become a bottleneck in the biomedical/clinical application of Next-Generation Sequencing. This situation has favored the development and use of *in silico* tools for the VIP. However, choosing the optimal tool for our purposes is difficult because of a fact usually ignored: the high variability of clinical context/scenarios across and within countries, and over time. Results: We have developed a computational procedure, based on the use of cost models, that allows the simultaneous comparison of an arbitrary number of tools across all possible clinical scenarios. We apply our approach to a set of pathogenicity predictors for missense variants, showing how differences in clinical context translate to differences in tool ranking. Availability: The source code is available at:

 https://github.com/ClinicalTranslationalBioinformatics/clinical_space_partition

BACKGROUND

The clinical application of Next-Generation Sequencing (NGS) is presently limited by our inability to fully interpret its results (Starita *et al.*, 2017; Shendure, Findlay and Snyder, 2019; Berrios *et al.*, 2021): we still cannot establish, with 100% accuracy, if the sequence variants identified by this technique are benign or pathogenic. This problem, known as the Variant Interpretation Problem (VIP) (Starita *et al.*, 2017), has important consequences in terms of patient lives and economic cost, and is considered one of the challenges determining the future of Genomic Medicine (Shendure, Findlay and Snyder, 2019).

A promising option to address the VIP is the experimental characterization of massive amounts of variants using large-scale functional assays (Starita *et al.*, 2017; Shendure, Findlay and Snyder, 2019). However, despite some good results, functional data still lack for many proteins. There is an alternative option for variant annotation, in which the VIP is posed as a classification problem and solved using pathogenicity predictors, which are *in silico* tools based on artificial intelligence algorithms. Fast and inexpensive, these tools require almost no training, and their use is contemplated in the ACMG/AMP (Richards *et al.*, 2015) guidelines for variant interpretation. However, the growing number of these methods (>50) and their varied performances (Özkan *et al.*, 2021) pose a problem when deciding which of these tools is the optimal choice for our application of interest, a non-trivial problem that becomes apparent, e.g., when adapting ACMG/AMP guidelines to specific diseases (Amendola *et al.*, 2016; Ghosh, Oak and Plon, 2017).

The procedure for predictor selection is common to any scientific/technological field: (i) rank all available tools according to some performance measure, and (ii) choose the tool at the top. In the case of VIP, experts often utilize summary parameters (Feliubadaló *et al.*, 2021; Fortuno *et al.*, 2021), like the Area Under the Roc Curve (AUC) or the Matthews Correlation Coefficient (MCC) for the ranking step. However, because these parameters are

blind to the deployment context (Hand, 2012), their use may result in choices that are not universally optimal. This situation is particularly plausible in the case clinical applications, where context includes all the healthcare stakeholders involved in a medical problem, their needs and actions, and the amount and nature of resources at their disposal. All these components are characterized by a large national and international variability that can make what is optimal in a scenario to become sub-optimal in another. For example, tools with high sensitivity and low specificity may be adequate when working with the average population but detrimental when applied to frail populations, for which tools with balanced sensitivity/specificity are more desirable. However, quantifying this type of context considerations in a manner that helps researchers and clinicians to identify the best tool for each scenario, is a difficult challenge. Here we use cost models (Adams and Hand, 1999; Pepe, 2003; Drummond and Holte, 2006; Hernández-Orallo, Flach and Ferri, 2012), a formalism commonly applied in medical decision processes (Pepe, 2003; Hunink *et al.*, 2014), to address this problem. A convenient characteristic of cost models is that we can encode the main features of the application context in a few numerical parameters, thus allowing a systematic analysis of how context affects tool selection. We focus on this aspect for the VIP, applying/extending the standard cost formalism (Adams and Hand, 1999; Drummond and Holte, 2006; Hernández-Orallo, Flach and Ferri, 2012) to variant annotation tools. In particular, we develop a computational procedure that allows comparing these tools across the whole range of clinical scenarios. We apply our methodology to a set of sixteen pathogenicity predictors for missense variants, showing how different methods may be preferred depending on the clinical context.

MATERIALS AND METHODS

Variant dataset

For each predictor, we estimated the three performance parameters used for cost

models, sensitivity (s_e), specificity (s_p), and coverage (α), in a set of benign and pathogenic

variants retrieved from the dbNSFP database (Liu *et al.*, 2016), version 4.0b1a, release:

December 8, 2018. We imposed three filters. First, the variants should not affect a splicing

site. Second, the ClinVar Review Status of the variants should be: 'Practice guideline', or

'Expert Panel' or 'Criteria provided, multiple submitters, no conflicts'. And, third, we unified

the clinical significance classes as follows: 'Benign' and 'Likely_benign' variants were labeled

as 'benign'; 'Pathogenic' and 'Likely_pathogenic' variants were labeled as 'pathogenic'. The

resulting dataset was constituted by 11093 variants, 3752 pathogenic and 7341 benign, from

1914 proteins.

Pathogenicity predictors

We have used sixteen pathogenicity predictors: PolyPhen2-HDIV (Adzhubei *et al.*,

2010), PolyPhen2-HVAR (Adzhubei *et al.*, 2010), SIFT (Kumar, Henikoff and Ng, 2009),

CADD (Rentzsch *et al.*, 2019), MutationTaster2 (Schwarz *et al.*, 2014), MutationAssessor

(Reva, Antipin and Sander, 2011), REVEL (Ioannidis *et al.*, 2016), FATHMM (Shihab *et al.*,

2013), LRT (Chun and Fay, 2009), PROVEAN (Choi *et al.*, 2012), MetaLR (Dong *et al.*,

2015), MetaSVM (Dong *et al.*, 2015), VEST(Carter *et al.*, 2013), MutPred (Pejaver *et al.*,

2020), PON-P2 (Niroula, Urolagin and Vihinen, 2015), and PMut (López-Ferrando *et al.*,

2017). For each variant in our dataset, we retrieved the pathogenicity prediction of these tools

from the dbNSFP (Liu *et al.*, 2016) database, except for PON-P2 and PMut, for which we

used the corresponding website.

Sensitivity, specificity, and coverage

For each predictor, we computed the s_e, s_p, and α as follows:

$$s_e = \frac{TP}{N_p} \qquad\qquad s_p = \frac{TN}{N_b} \qquad\qquad \alpha = \frac{N}{N_{tot}}$$

where N_{tot} is the total number of variants in the dataset (11093), and N is the number of

predictions generated by the tool ($N \leq N_{tot}$). N is the sum of N_p and N_b, the respective numbers

of pathogenic and benign variants for which the predictor gave an output. TP (true positives)

and TN (true negatives) are the numbers of pathogenic and benign variants successfully

predicted by the predictor, respectively.

Sensitivity and specificity are related to the two misclassification errors of

pathogenicity predictors: $1-s_e$, the fraction of pathogenic variants misclassified as benign, and

$1-s_p$, the fraction of benign variants misclassified as pathogenic.

Coverage is related to a different limitation of predictors: $1-\alpha$ is the fraction of

variants for which a predictor does not provide an output.

Cost computations

The computations associated with the two cost models used in this work, MISC and

MISC+NOA (see below), are coded into separate Python scripts, CSP-noco and CSP-co,

respectively.

The code is available at:

https://github.com/ClinicalTranslationalBioinformatics/clinical_space_partition

RESULTS

Before describing the results, we first give an intuitive explanation of the application

of costs models to the VIP in the clinical setting. Although we focus on the case of

pathogenicity predictors, the reasoning is valid for any variant annotation process, whether

computational or experimental.

In different healthcare problems, *in silico* variant annotations are combined with

diverse amounts of clinical data. A common characteristic of these problems, e.g., in

diagnostics, is that one must identify the correct/best answer among several options. Each

answer is associated to a series of medical actions and costs to patients and their families,

healthcare institutions, etc. The medical decision process aims at minimizing these costs

(Hunink *et al.*, 2014). Accurate pathogenicity predictions contribute to this goal, whereas

misclassification errors (MISC) -benign variants predicted as pathogenic, or vice versa- favor

incorrect decisions. Even the apparently harmless situation in which a predictor produces no

answer (which we will call NOA) has consequences. It may call for further clinical testing in

diagnosis, limit the reach of screenings, etc.

In summary, both MISC and NOA are associated with costs affecting healthcare

stakeholders. Reducing this impact is thus a guiding principle when ranking annotation tools

for clinical applications. Here, we advance a rigorous approach, based on cost models

(Adams and Hand, 1999; Pepe, 2003; Drummond and Holte, 2006; Hernández-Orallo, Flach

and Ferri, 2012), to address this challenge. First, we present two frameworks that correspond

to the aforementioned situations: MISC, in which only misclassification errors are

considered, and MISC+NOA, in which we also consider the case when tools give no answer.

The underlying formalism, a combination of computational and mathematical results, is given

in Appendices 1 and 2. After presenting the cost models, we report their application to study

how the diversity of clinical scenarios affects the prioritization of pathogenicity predictors.

Cost model for MISC

This model is appropriate in settings where the consequences of NOA are negligible.

For example, when working with proteins for which pathogenicity predictors have very good

coverage; when searching for combinations of methods that optimally cover all clinical

settings; etc.

In this case (Appendix 1, Supplementary Materials), we can compute rc, the

normalized average cost of misclassification errors (Adams and Hand, 1999; Drummond and

Holte, 2006), applying the standard cost model (Adams and Hand, 1999; Pepe, 2003;

Drummond and Holte, 2006; Hernández-Orallo, Flach and Ferri, 2012):

(1) $rc = [(1-\rho)(1-s_p) - \rho(1-s_e)]rc_1 + \rho(1-s_e)$

where s_e and s_p are the sensitivity and specificity of the predictor, respectively. rc_1 is the

normalized cost of misclassifying benign variants as pathogenic. Each value of rc_1

corresponds to a clinical context encoded in terms of cost. The set of rc_1 values covers all

possible clinical contexts; we will refer to it as 'clinical space'. The equivalent cost for the

misclassification of pathogenic variants as benign is implicit in the formula (see Appendix 1).

Finallly, ρ is the proportion of pathogenic variants expected in the deployment context. Its

value is comprised between 0 and 1, and varies with the genome region sequenced (gene

panel, whole exome, etc.) and with the population of individuals tested (e.g., the individuals

attending a specific hospital unit, ethnic group, etc.). Below, we explore how different values

of ρ affect the cost-ranking of predictors. For some of our analyses, to reflect the biasing

effect of working with patient populations, we chose $\rho=0.5$.

We can use rc for ranking an arbitrary number of predictors in terms of cost. For a

single clinical scenario (defined by its rc_1) the procedure is: (i) compute the rc of each

method using equation (1); and (ii) sort the resulting values. The cost-optimal method will be

the one with the lowest rc.

Fig. 1. Application of the cost model MISC to sixteen pathogenicity predictors. a, Each

predictor is represented by a line in which each point corresponds to the normalized cost of

the predictor (y-axis) at a given value of the benign-to-pathogenic misclassification error (rc_1,

x-axis). We have colored the lines corresponding to PON-P2, REVEL, and CADD. The

colored bar below the x-axis shows the fraction of cost scenarios corresponding to each of

these predictors. **b**, Ranking of the sixteen pathogenicity predictors according to AUC (grey

bars, left half) and fraction of cost scenarios for which each predictor is optimal (pink bars,

right half; results shown for two ρ values, 0.5 and 0.001).

191   To explore the dependence of the previous ranking on clinical context we could use a

brute force approach: varying rc_1 between 0 and 1 systematically and repeating the ranking at

each value. This approach will produce a division of the clinical space into regions within

which only a single predictor is cost-optimal. However, brute force may be computationally

demanding and inaccurate when the number of predictors is large. To avoid these problems,

we have developed a fast alternative; an algorithm (CSP-noco, Appendix 1, Supplementary

Materials) that produces the exact division of the clinical space using some formal properties

of the problem. Below, we illustrate the application of this algorithm to the comparison of a

set of pathogenicity predictors across the whole clinical space (Fig. 1) and show, also, how

the results obtained depend on ρ (Fig. 2).

Fig. 2. Dependency on ρ of the distribution of pathogenicity predictors between cost

scenarios. Each bar represents a version of the clinical space for a ρ value. The size of the

colored regions corresponds to the fraction of cost scenarios where a single predictor is cost-

optimal. The three methods represented (REVEL, PON-P2, CADD) are those that are cost-

optimal in at least some scenarios.

Cost model for MISC+NOA

We have extended MISC to include the cost of NOA (see Appendix 2, Supplementary

Materials), the case when predictors do not produce an output, i.e., when they have an

incomplete coverage, a relatively frequent situation. For example, it may happen when

combining several pathogenicity predictors within the ACMG/AMP guidelines (Richards *et*

al., 2015; de la Campa, Padilla and de la Cruz, 2017; Vihinen, 2020): when the outputs

disagree, computational evidence is rejected. The fraction of cases for which this happens is

$(1-\alpha)$, where α is the coverage of the method (see Materials and Methods).

In this new scenario, rc is equal to:

(2) $rc = [\alpha\rho(1-s_e)+\alpha-1]rc_0+[\alpha(1-\rho)(1-s_p)+\alpha-1]rc_1+1-\alpha$

where rc_0, rc_1, and ρ are the same as in the previous section. α is the coverage of the method

(see Materials and Methods). The cost associated to NOA, rc_2, is implicit in the formalism

(see Appendix 2). The set of (rc_0, rc_1) pairs comprises all possible clinical scenarios when

misclassification and no answer costs are considered. This set defines a triangular region in

the rc_0-rc_1 plane (Fig. 3a) to which we will refer as 'clinical space'.

Fig. 3. Application of the cost model MISC+NOA (misclassification errors+no answer)

to sixteen pathogenicity predictors. a, Comparison of two predictors. The clinical space is

represented by a triangle encompassing all cost scenarios -all (rc_0, rc_1) pairs. The line divides

the triangle into two regions within which a single method is cost-optimal. **b,** As we add

more predictors, a pattern of polygons forms; inside each polygon, a single predictor is cost-

optimal. **c,** Identification and unification of the polygons in regions corresponding to the

same predictor, using our approach (CSP-co). **d,** Ranking of the sixteen pathogenicity

predictors according to AUC (grey bars, left half) and fraction of cost scenarios for which

each predictor is optimal (pink bars, right half; results for $\rho=0.5$ and $\rho=0.001$). This fraction

is the size of the predictor's area in the triangle, divided by 0.5 (the whole triangle area).

Because rc has the same meaning as in MISC, it can be used to systematically rank

predictors in multiple clinical scenarios, in terms of cost. However, for this task we cannot

utilize the above algorithm, CSP-noco, because the clinical space is now two-dimensional. To

solve this problem, we have developed a Breadth First Search-based algorithm (CSP-co,

Appendix 2, Supplementary Materials) that divides the clinical space into regions within

which only a single predictor is cost-optimal. As before, this division depends on ρ, an aspect

that we explore below (Fig. 4).

Fig. 4. Dependency on ρ of the distribution of pathogenicity predictors between cost

scenarios. Each triangle represents the clinical space for a ρ value. **a,** $\rho=0.011$; **b,** $\rho=0.023$; **c,**

$\rho=0.05$; **d,** $\rho=0.108$; **e,** $\rho=0.231$; **f,** $\rho=0.5$. We chose ρ values such that each order of

magnitude is evenly sampled. The colored regions correspond to the cost scenarios where the

same predictor is cost-optimal.

Application of cost models to the comparison of pathogenicity predictors across cost

scenarios

In this section, we show the application of MISC and MISC+NOA, using CSP-noco

and CSP-co, respectively, to the comparison of sixteen selected pathogenicity predictors

across clinical space. The goal is to study the dependence of the cost-optimal method on

context.

1. Analysis using MISC

In MISC, each pathogenicity predictor is characterized by a line relating normalized

cost (rc) and clinical scenario (represented by an rc_1 value).

In Fig. 1a, we show the lines for the sixteen predictors analyzed, for $\rho=0.5$. The

relative positions of these lines at a given rc_1 value determine which predictor is preferable in

terms of cost. This comparison is extended to all possible rc_1 values with our algorithm CSP-

noco (Appendix 1, Supplementary Materials). The result obtained (Fig. 1a, bottom) shows

that changes in rc_1, i.e., in the clinical scenario, may affect the tool of choice for

pathogenicity prediction. More precisely, we see that in 81% of the cases PON-P2 is the cost-

optimal method; in the remainder, REVEL and CADD prevail in 16% and in 3% of the cases,

respectively. This picture contrasts with the fixed view conveyed by the AUC analysis (Fig.

1b), in which REVEL has the highest AUC and would always be the tool of choice,

regardless of the clinical context, if predictor selection is based only on AUC. When

reproducing the same analysis with MCC instead of AUC, we find (Supplementary Figure

S2a) that while choosing methods using MCC is not cost-optimal for some scenarios, on

average, it is better than using AUC, in this case.

Using cost models identifies ρ, the proportion of pathogenic variants, as a factor that

we may want to consider when choosing our preferred predictor. For example, if we change ρ

from 0.5 to 0.001, the ranking of the methods changes (Fig. 1b), and REVEL predominates in

99.5% cost scenarios and PON-P2 in 0.5%. In Fig. 2, we explore more systematically the

effect of ρ on the rankings, describing the transition between REVEL and PON-P2, an effect

due to the fact that as ρ grows methods with high sensitivities will be favored.

Finally, we would like to note that the previous analyses can be repeated as often as

required, e.g., when clinical costs change with time, or when we are working with specific

patient cohorts, etc., because our algorithm CSP-noco is computationally inexpensive.

2. Analysis using MISC+NOA

Again, our goal is to describe the distribution of optimal predictors across the clinical

space (which is now two-dimensional) obtained with our algorithm CSP-co (Appendix 2,

Supplementary Materials).

Once applied, the algorithm divides the clinical space into a mosaic of polygons (Fig.

3b) that is processed to give the distribution of predictors sought (Fig. 3c). We see that

introducing coverage considerations into the election of predictors, i.e., using MISC+NOA,

does not affect, overall, our previous result: deployment context affects the ranking of

predictors. There are, however, some quantitative/qualitative differences in the distribution of

the predictors. For example, for ρ=0.5 five tools (CADD, MutationTaster2, PON-P2,

REVEL, and Vest), instead of three, constitute the optimal division of the clinical space.

Again, this division is uneven, with REVEL prevailing in 77.3% scenarios, PON-P2 in 8.5%,

etc.

Comparison of these results with those of the AUC ranking (Fig. 3d) confirms that

there are clinical scenarios for which the predictor with top AUC is not cost-optimal. NOA

plays an important role in this result. PON-P2, which has moderate coverage, prevails in cost

scenarios near the diagonal (Fig. 3c). That is, for those cases for which the cost of NOA is

negligible. REVEL, on the contrary, because of its higher coverage, predominates over most

of the clinical space. As a consequence, using AUC for choosing predictors gives more cost-

optimal results than for MISC. Reproducing the same analysis with MCC instead of AUC

shows (Supplementary Figure S2b) that choosing predictors using MCC is not cost-optimal

for all scenarios either, as for MISC.

Characterization of the impact of different ρ values (Fig. 4) complete the description

of this section. We find that the overall picture does not vary so much between different ρ's

because only two to five methods out of sixteen participate in the final division of the clinical

space. Their identities change slightly. All across the ρ range, REVEL predominates, with

PON-P2 also appearing, near the diagonal. As ρ increases, three other methods (CADD,

MutationTaster2, and VEST) start occupying the area nearby the bottom-right vertex of the

clinical space. The overall predominance of REVEL has different origins: higher coverage

relative to PON-P2 (0.99 vs. ~0.50); better specificity relative to CADD and MutationTaster2

(0.88 vs. 0.25 and 0.60, respectively); and a mixture of factors relative to VEST.

DISCUSSION

Nowadays, pathogenicity predictors are widely utilized, in combination with other

sources of evidence, to address the VIP (Richards *et al.*, 2015). However, the growing

number of predictors available and their varied performances (Özkan *et al.*, 2021) pose a

challenge to interested users, who have to identify the optimal tool for their needs among tens

of options. Usually, this is done ranking pathogenicity predictors on the basis of their AUCs,

or MCCs, etc., parameters that are blind to the deployment context. Here, we show,

applying/extending cost models used in healthcare (Pepe, 2003; Hunink *et al.*, 2014), that this

procedure is not optimal and that changes in clinical scenarios can indeed affect the tool of

choice. Our work is inspired (i) by the use of cost in the similar problem of deciding between

candidate tests for the same task (Pepe, 2003), e.g., for Elisa assays, etc., and (ii) by the use

of cost to compare the performance of binary classifiers in the machine learning field (Adams

and Hand, 1999; Drummond and Holte, 2006). We have explored two options: MISC, in

which only misclassification errors are contemplated, and MISC+NOA, where, in addition,

the situation in which the predictor does not produce an outcome is also contemplated. In

both cases, clinical context is encoded using a few cost-related parameters (two for MISC and

three for MISC+NOA). For each model, we have developed an algorithm (CSP-noco and

CSP-co, respectively) that allows the comparison of an arbitrary number of predictors across

the whole set of clinical scenarios. We have then applied these results to a set of sixteen

pathogenicity predictors used for the VIP. The views resulting from MISC (Fig. 1) and

MISC+NOA (Fig. 3) coincide in that cost-optimal methods may vary depending on the

region of the clinical space considered. This view contrasts with the unique classification of

predictors emanating from the use of AUC (Figs. 1b, 3d) or MCC (Supplementary Figure S2)

and indicates that context considerations are valuable when choosing pathogenicity predictors

for specific applications. In clinical settings where estimating the cost parameters (rc_0, rc_1,

and rc_2) is challenging, users may explore the cost-division of the clinical space using the

more accessible ratios of these parameters (Adams and Hand, 1999). Or, they can replace

exact values by ranges of values.

An advantage of cost models is that they provide an application-aware approach to

integrating two key components of the tool ranking problem, misclassification error and

coverage. For this reason, they can be used in the design of variant annotation strategies, to

shed new light on their applicability. For example, we know that identification of germline

pathogenic variants in TP53 plays a significant role in the diagnosis of the Li-Fraumeni

syndrome (Schneider *et al.*, 1999). To improve the accuracy of this procedure, Fortuno et al.

(Fortuno *et al.*, 2018) test a group of pathogenicity predictors to establish which one is

preferable for the scoring of missense variants. Using MCC as primary criterion, these

authors conclude that the combination of predictors Align-GVGD+BayesDel (A+B) is better

than the other options, closely followed by Align-GVGD+REVEL (A+R). Based on this

work, the guidelines for the scoring of TP53 variants in the clinical recommend A+B as the

tool of choice (Fortuno *et al.*, 2021) for the generation of computational evidence on

missense variants. When we apply cost models to this problem we see a different situation

(Fig. 5). With MISC, which only considers misclassification errors, the picture obtained with

the MCC is now less clear: A+B predominates over most of the clinical space (80.7%), but

A+R is optimal in 19.3% of the scenarios. The situation changes even more when using

MISC+NOA, which also takes into account discordances between paired predictors (NOA).

The distribution of the clinical space experiences a significant change (Fig. 5) relative to the

MISC case. The accumulated size of A+B and A+R drops from 100% to 31.1%, and two new

regions appear, corresponding to BayesDel (50%) and REVEL (18.9%), respectively. These

new regions correspond to clinical contexts where NOA costs are high relative to

misclassification costs. For example, these could be scenarios in which surveillance programs

for pediatric patients with an unclear Li-Fraumeni diagnosis are more expensive than usual,

etc. In these settings, rejecting *in silico* evidence when Align-GVGD and its companion tool

(REVEL or BayesDel) disagree may be a worse option than using REVEL or BayesDel

alone. We are not advocating the use of these two predictors in these clinical space regions;

we want to emphasize that cost models identify a problem in the election of in silico tools.

There are different options to address this problem, some of which are directly suggested by

the cost model (equation (2)). For example, we can focus on the method-dependent

parameters, sensitivity (s_e), specificity (s_p), and coverage (α), and look for combinations of

predictors that guarantee good s_e and s_p while increasing α. This is a realistic alternative since

presently there are well over 50 pathogenicity predictors available (see Özkan et al. (Özkan *et*

al., 2021), and references therein). Alternatively, we can aim to increase α by developing

methods specific for variants with conflicting predictions (de la Campa, Padilla and de la

Cruz, 2017). We can also try to act directly on the cost parameters; e.g., in the case of rc_2 we

could find strategies that reduce the costs of managing patients with no diagnosis, etc. In

summary, the use of cost models helps identify key issues in the choice of predictors and

provides insight on how to solve them.

Fig. 5. Application of the cost models MISC and MISC+NOA to the predictors used in

Fortuno et al. (Fortuno *et al.*, 2018) **study for TP53 variants.** The rings corresponding to

MISC (left) and MISC+NOA (right) are divided according to the percentages of cost

scenarios corresponding to each predictor.

Finally, it is worth noting that the methodology presented for comparing multiple

tools using cost models is general and independent of the nature of the tools compared (we

only need to know their s_e and s_p, for MISC, plus α for MISC+NOA). That is, it can be

applied to compare pathogenicity predictors, pathogenicity predictors with functional assays,

or sets of bioinformatics tools used in other biomedical/clinical fields. The latter may be an

increasing need in medical imaging (Liu *et al.*, 2019), diagnosis/prognosis of covid-19

(Wynants *et al.*, 2020), etc., where dozens of classifiers are developed, published, and their

performance compared to that of human healthcare experts. We believe that our algorithms

provide objective and easy-to-use ways to compare the performance of human experts and

their artificial intelligence counterparts over the whole clinical application range.

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