Manuscript

Higher mortality rates leave heated ecosystem with similar size-structure despite larger, younger, and faster growing fish

Max Lindmark\textsuperscript{a,1}, Malin Karlsson\textsuperscript{a}, Anna Gårdmark\textsuperscript{b}

\textsuperscript{a}Swedish University of Agricultural Sciences, Department of Aquatic Resources, Institute of Coastal Research, Skolgatan 6, 742 42 Öregrund, Sweden

\textsuperscript{b}Swedish University of Agricultural Sciences, Department of Aquatic Resources, Box 7018, 750 07 Uppsala, Sweden

\textsuperscript{1}Author to whom correspondence should be addressed. Current address:
Max Lindmark, Swedish University of Agricultural Sciences, Department of Aquatic Resources, Institute of Marine Research, Turistgatan 5, 453 30 Lysekil, Sweden, Tel.: +46(0)104784137, email: max.lindmark@slu.se

Keywords: body growth, size-structure, size-spectrum, mortality, climate change, global warming, temperature
Abstract

Ectotherms are often predicted to “shrink” with global warming. This is in line with general growth models and the temperature-size rule (TSR), both predicting smaller adult sizes with warming. However, they also predict faster juvenile growth rates, leading to larger size-at-age of young organisms. Hence, the result of warming on the size-structure of a population depends on the interplay between how mortality rate, juvenile- and adult growth rates are affected by warming. In this study, we use time series of biological samples spanning more than two decades from a unique enclosed bay heated by cooling water from a nearby nuclear power plant to become +8°C warmer than its reference area. We used growth-increment biochronologies (12658 reconstructed length-at-age estimates) to quantify how >20 years of warming has affected body growth and size-at-age and catch data to quantify mortality rates and population size-structure of Eurasian perch (*Perca fluviatilis*). In the heated area, growth rates were faster for all sizes, and hence size-at-age was larger for all ages, compared to the reference area. However, mortality rates were also higher, such that the difference in the size-spectrum exponent (describing the proportion of fish by size) was relatively minor and statistically uncertain. As such, our analysis reveals that mortality, in addition to plastic growth and size-responses, is a key factor determining the size structure of populations exposed to warming. Understanding the mechanisms by which warming affects the size-structure of populations is critical for prediction the impacts of climate change on ecological functions, interactions, and dynamics.
Significance statement

Ecosystem-scale warming experiments provide unique insight into potential impacts of climate change but are very rare. Our work utilizes an experimental set-up consisting of an enclosed bay heated by cooling water from a nuclear power plant for more than two decades, and a reference area. We analyze how changes in growth and mortality have affected the size- and age distribution in a common freshwater fish using time series of catch data and growth-increment biochronologies derived from their gill lids. Despite fish in the heated area being ~10% larger at a given age, elevated mortality rates have resulted in similar size structures. Accounting for the interplay between mortality and growth is key for predicting climate impacts on the size-structure of populations.
Introduction

Ectotherm species, constituting 99% of species globally (Wilson 1992; Atkinson & Sibly 1997), are commonly predicted to shrink in a warming world (Gardner et al. 2011; Sheridan & Bickford 2011; Cheung et al. 2013). Mean body size responses to temperature may however be uninformative, as the size-distribution of many species spans several orders of magnitude. For instance, warming can shift size-distributions without altering mean size if increases in juvenile size-at-age outweigh the decline in size-at-age in adults, which is consistent with the temperature size-rule, TSR (Atkinson 1994). Resolving how warming induces changes in population size-distributions may thus be more instructive (Fritschie & Olden 2016), especially for inferring warming effects on species’ ecological role, biomass production, or energy fluxes (Yvon-Durocher et al. 2011). This is because key processes such as metabolism, feeding, growth, mortality scale with body size (Ursin 1967; Pauly 1980; Brown et al. 2004; Blanchard et al. 2017; Thorson et al. 2017; Andersen 2020). Hence, as the value of these traits at mean body size is not the same as the mean population trait value (Bernhardt et al. 2018), the size-distribution within a population matters for its dynamics and for how it changes under warming.

The population size distribution can be represented as a size-spectrum, which generally is the frequency distribution of individual body sizes (Edwards et al. 2017). It is often described in terms of the size-spectrum slope (slope of individuals or biomass of a size class over the mean size of that class on log-log scale (Sheldon et al. 1973; White et al. 2007; Edwards et al. 2017)) or simply the exponent of the power law individual size-distribution (Edwards et al. 2017). The size-spectrum thus results from temperature-dependent ecological processes such as body growth, mortality and recruitment (Blanchard et al. 2017; Heneghan et al. 2019). Despite its rich theoretical foundation (Andersen 2019) and usefulness as an ecological indicator (Blanchard et al. 2005), few studies have evaluated warming-effects on the species size-spectrum in larger bodied species (but see Blanchard et al. 2005), and none in large scale...
experimental set-ups. There are numerous paths by which a species’ size-spectrum could change with warming (Heneghan et al. 2019). For instance, in line with TSR predictions, warming may lead to a smaller size-spectrum exponents (steeper slope) if the maximum size declines. However, changes in size-at-age and the relative abundances of juveniles and adults may alter this decline in the size-spectrum slope. Warming can also lead to elevated mortality (Pauly 1980; Biro et al. 2007; Barnett et al. 2020; Berggren et al. 2021), which truncates the age-distribution towards younger individuals (Barnett et al. 2017). This may reduce density dependence and potentially increase growth rates, thus countering the effects of mortality on the size spectrum exponent. However, not all sizes may benefit from warming, as e.g. the optimum temperature for growth declines with size (Lindmark et al. 2022). Hence, the effect of warming on the size-spectrum depends on several interlinked processes affecting abundance-at-size and size-at-age.

Size-at-age is generally predicted to increase with warming for small individuals, but decrease for large individuals according to the mentioned TSR (Atkinson 1994; Ohlberger 2013). Several factors likely contribute to this pattern, such as increased allocation to reproduction (Wootton et al. 2022) and larger individuals in fish populations having optimum growth rates at lower temperatures (Lindmark et al. 2022). Empirical support in fishes for this pattern seem to be more consistent for increases in size-at-age of juveniles (Thresher et al. 2007; Rindorf et al. 2008; Huss et al. 2019) than declines in adult size-at-age (but see (Baudron et al. 2014; Smoliński et al. 2020; Oke et al. 2022)), for which a larger diversity in responses is observed among species (Barneche et al. 2019; e.g., Huss et al. 2019). However, most studies have been done on commercially exploited species (since long time series are more common in such species), which may confound effects of temperature plastic and/or genetic responses to size-selective mortality on growth and size-at-age (Audzijonyte et al. 2016).
The effect of temperature on mortality rates of wild populations are more studied using among-species analyses. These relationships based on thermal gradients in space may not necessarily be the same as the effects of warming on mortality on single populations. Hence, the effects of warming on growth and size-at-age and mortality within natural populations constitute a key knowledge gap for predicting the consequences of climate change on population size-spectra.

Here we used data from a unique, large-scale 23-year-long heating-experiment of a coastal ecosystem to quantify how warming changed fish body growth, mortality, and the size structure in an unexploited population of Eurasian perch (Perca fluviatilis, ‘perch’). We compare fish from this enclosed bay exposed to temperatures approximately 8°C above normal (‘heated area’) with fish from a reference area in the adjacent archipelago (Fig. 1). Using hierarchical Bayesian models, we quantify differences in key individual- and population level parameters, such as body growth, asymptotic size, mortality rates, and size-spectra, between the heated and reference coastal area.

Materials and Methods

Data

We use size-at-age data from perch sampled annually from an artificially heated enclosed bay (‘the Biotest basin’) and its reference area, both in the western Baltic Sea (Fig. 1). Heating started in 1980, the first analyzed cohort is 1981, and first and last catch year is 1987 and 2003, respectively, to omit transient dynamics and acute responses, and to ensure we use cohorts that only experienced one of the thermal environments during its life. A grid at the outlet of the heated area (Fig. 1) prevented fish larger than 10 cm from migrating between the areas (Adill et al. 2013; Huss et al. 2019), and genetic studies confirm the reproductive isolation between the two populations during this time-period (Björklund et al. 2015). However, the grid was
removed in 2004, and since then fish growing up in the heated Biotest basin can easily swim out, fish caught in the reference area cannot be assumed to be born there. Hence, we use data only up until 2003. This resulted in 12658 length-at-age measurements from 2426 individuals in 256 net deployments.

We use data from fishing events using survey-gillnets that took place in October in the heated Biotest basin and in August in the reference area when temperatures are most comparable between the two areas (Huss et al. 2019), because temperature affect catchability in static gears. The catch was recorded by 2.5 cm length classes during 1987-2000, and into 1 cm length groups 2001-2003. To express lengths in a common length standard, 1 cm intervals were converted into 2.5 cm intervals. The unit of catch data is hence the number of fish caught by 2.5 cm size class per net per night (i.e., a catch-per-unit-effort [CPUE] variable). All data from fishing events with disturbance affecting the catch (e.g., seal damage, strong algal growth on the gears, clogging by drifting algae) were removed (years 1996 and 1999 from the heated area in the catch data).

Length-at-age throughout life was reconstructed for a semi-random length-stratified subset of caught individuals each year. This was done using growth-increment biochronologies derived from annuli rings on the operculum bones (with control counts done on otoliths). Such analyses have become increasingly used to analyze changes in growth and size-at-age of fishes (Morrongiello & Thresher 2015; Essington et al. 2022). Specifically, an established power-law relationship between the distance of annual rings and fish length was used: \( L = \kappa R^s \), where \( L \) is the length of the fish, \( R \) the operculum radius, \( \kappa \) the intercept, and \( s \) the slope of the line for the regression of log-fish length on log-operculum radius from a large reference data set for perch (Thoresson 1996). Back-calculated length-at-age were obtained from the relationship \( L_a = L_s \left( \frac{r_a}{R} \right)^s \), where \( L_a \) is the back-calculated body length at age \( a \), \( L_s \) is the final body length (body length at catch), \( r_a \) is the distance from the center to the annual ring corresponding to
age $a$ and $s = 0.861$ for perch (Thoresson 1996). Since perch exhibits sexual size-dimorphism, and age-determination together with back calculation of growth was not done for males in all years, we only used females for our analyses.

159

**Statistical Analysis**

The differences in size-at-age, growth, mortality, and size structure between perch in the heated and the reference area were quantified using hierarchical linear and non-linear models fitted in a Bayesian framework. First, we describe each statistical model and then provide details of model fitting, model diagnostics and comparison.

164

We fit the von Bertalanffy growth equation (VBGE) (von Bertalanffy 1938; Beverton & Holt 1957) on a log scale, describing length as a function of age to evaluate differences in size-at-age and asymptotic size: $\log(L_t) = \log(L_\infty(1 - e^{(-K(t-t_0))}))$, where $L_t$ is the length at age ($t$, years), $L_\infty$ is the asymptotic size, $K$ is the Brody growth coefficient ($yr^{-1}$) and $t_0$ is the age when the average length was zero. We used only age- and size-at-catch as the response variables (i.e., not back-calculated length-at-age). This was to have a simpler model and not have to account for parameters varying within individuals as well as cohorts, as mean sample size per individual was only ~5. We let parameters vary among cohorts rather than year of catch, because individuals within cohorts share similar environmental conditions and density dependence (Morrongiello & Thresher 2015). Eight models in total were fitted (with area being dummy-coded), with different combinations of shared and area-specific parameters. We evaluated if models with area-specific parameters led to better fit and quantified the differences in area-specific parameters (indexed by subscripts heat and ref). The model with all area-specific parameter can be written as:

$$L_i \sim \text{Student-t}(v, \mu_i, \sigma)$$

(1)
\[
\log(\mu_i) = A_{\text{ref}} \log \left[ L_{\infty \text{ref}j[i]} \left( 1 - e^{-K_{\text{ref}}j[i](t-t_{\text{ref}j[i]})} \right) \right] + \]
\[
A_{\text{heat}} \log \left[ L_{\infty \text{heat}j[i]} \left( 1 - e^{-K_{\text{heat}}j[i](t-t_{\text{heat}j[i]})} \right) \right]
\]

(2)

where lengths are \( \text{Student-t} \) distributed to account for extreme observations, \( v, \mu \) and \( \phi \) represent the degrees of freedom, mean and the scale parameter, respectively. \( A_{\text{ref}} \) and \( A_{\text{heat}} \) are dummy variables such that \( A_{\text{ref}} = 1 \) and \( A_{\text{heat}} = 0 \) if it is the reference area, and vice versa for the heated area. The multivariate normal distribution in Eq. 3 is the prior for the cohort-varying parameters \( L_{\infty \text{ref}j}, L_{\infty \text{heat}j}, K_{\text{ref}j} \) and \( K_{\text{heat}j} \) (for cohorts \( j = 1981, \ldots, 1997 \)) (note that cohorts extend further back in time than the catch data), with hyper-parameters \( \mu_{L_{\infty \text{ref}}}, \mu_{L_{\infty \text{heat}}}, \mu_{K_{\text{ref}}}, \mu_{K_{\text{heat}}} \) describing the non-varying population means and a covariance matrix with the between-cohort variation along the diagonal (note we did not model a correlation between the parameters, hence off-diagonals are 0). The other seven models include some or all parameters as parameters common for the two areas, e.g., substituting \( L_{\infty \text{ref}j} \) and \( L_{\infty \text{heat}j} \) with \( L_{\infty j} \). To aid convergence of this non-linear model, we used informative priors chosen after visualizing draws from prior predictive distributions (Wesner & Pomeranz 2021) using probable parameter values (Supporting Information, Fig. S1, S7). We used the same prior distribution for each parameter class for both areas to not introduce any other sources of differences in parameter estimates between areas. We used the following priors for the VBGE model:

\( \mu_{L_{\infty \text{ref}j}}, \mu_{L_{\infty \text{he}atj}}, \mu_{K_{\text{ref}j}}, \mu_{K_{\text{heat}j}} \) were given a \( \text{Student-}t(3,0,2,5) \) prior.

We also compared how body growth scales with body size (in contrast to length vs age).

This is because size-at-age reflects lifetime growth history rather than current growth histories...
and may thus be large because growth was fast early in life, not because current growth rates are fast (Lorenzen 2016). We therefore fit allometric growth models describing how specific growth rate scales with length: \( G = \alpha L^\theta \), where \( G \), the annual specific growth between year \( t \) and \( t + 1 \), is defined as: \( G = 100 \times (\log (L_{t+1}) - \log (L_t)) \) and \( L \) is the geometric mean length: \( L = (L_{t+1} \times L_t)^{0.5} \). Here we also used back-calculated length-at-age, resulting in multiple observations for each individual. As with the VBGE model, we dummy coded area to compare models with different combinations of common and shared parameters. We assumed growth rates were Student \( - t \) distributed, and the full model can be written as:

\[
L_t \sim \text{Student} - t(\nu, \mu_t, \sigma) \\
\mu_t = A_{\text{ref}}(\alpha_{\text{ref},j}[i,k][L^{\theta_{\text{ref}}}] + A_{\text{heat}}(\alpha_{\text{heat},j}[i,k][L^{\theta_{\text{heat}}}] \\
\alpha_{\text{ref},j} \sim N\left(\mu_{\alpha_{\text{ref},j}}, \sigma_{\alpha_{\text{ref},j}}\right) \\
\alpha_{\text{heat},j} \sim N\left(\mu_{\alpha_{\text{heat},j}}, \sigma_{\alpha_{\text{heat},j}}\right) \\
\theta_{\text{ref},j} \sim N\left(\mu_{\theta_{\text{ref},j}}, \sigma_{\theta_{\text{ref},j}}\right) \\
\theta_{\text{heat},j} \sim N\left(\mu_{\theta_{\text{heat},j}}, \sigma_{\theta_{\text{heat},j}}\right)
\]

We assumed only \( \alpha \) varied across individuals \( j \) within cohorts \( k \) and compared two models: one with \( \theta \) common for the heated and reference area, and one with an area-specific \( \theta \). We used the following priors, after visual exploration of the prior predictive distribution (Supporting Information, Fig. S8, S10): \( \alpha_{\text{ref},j} \sim N(500, 100) \), \( \theta_{\text{ref},j} \sim N(-1.2, 0.3) \) and \( \nu \sim \text{gamma}(2,0.1) \). \( \sigma \), \( \sigma_{\text{id,cohort}} \) and \( \sigma_{\text{cohort}} \) were all given a Student \( - t (3,0,13.3) \) prior.

We estimated total mortality by fitting linear models to the natural log of catch (CPUE) as a function of age (catch curve regression), under the assumption that in a closed population, the exponential decline can be described as \( N_t = N_0 e^{-2t} \), where \( N_t \) is the population at time \( t \), \( N_0 \) is the initial population size and \( Z \) is the instantaneous mortality rate. This equation can be rewritten as a linear equation: \( \log (C_t) = \log (vN_0) - Zt \), where \( C_t \) is catch at age \( t \), if catch is assumed proportional to the number of fish (i.e., \( C_t = vN_t \)). Hence, the negative of the slope of the regression is the mortality rate, \( Z \). To get catch-at-age data, we constructed area-specific
age-length keys using the sub-sample of the total (female) catch that was age-determined. Age-length keys describe the age-proportions of each length-category (i.e., a matrix with length category as rows, ages as columns). Age composition is then estimated for the total catch based on the “probability” of fish in each length-category being a certain age. With fit this model with and without an age × area-interaction, and the former can be written as:

$$\log(\text{CPUE}_i) \sim \text{Student-}t(\nu, \mu, \sigma)$$ (10)

$$\mu_i = \beta_{0j}[\text{area}_{\text{ref}}] + \beta_{1j}[\text{area}_{\text{heat}}] + \beta_{2j}[\text{age}] + \beta_{3j}[\text{age} \times \text{area}_{\text{heat}}]$$ (11)

$$\begin{bmatrix} \beta_{0j} \\ \beta_{1j} \\ \beta_{2j} \\ \beta_{3j} \end{bmatrix} \sim \text{MVNormal} \left( \begin{bmatrix} \mu_{\beta_0} \\ \mu_{\beta_1} \\ \mu_{\beta_2} \\ \mu_{\beta_3} \end{bmatrix}, \begin{bmatrix} \sigma_{\beta_0} & 0 & 0 & 0 \\\ 0 & \sigma_{\beta_1} & 0 & 0 \\\ 0 & 0 & \sigma_{\beta_2} & 0 \\\ 0 & 0 & 0 & \sigma_{\beta_3} \end{bmatrix} \right)$$ (12)

where $\beta_{0j}$ and $\beta_{1j}$ are the intercepts for the reference and heated areas, respectively, $\beta_{2j}$ is the age slope for the reference area and $\beta_{3j}$ is the interaction between age and area. All parameters vary by cohort (for cohort $j = 1981, \ldots, 2000$) and their correlation is set to 0 (Eq. 12). We use the following (vague) priors: $\mu_{\beta_{0,\ldots,3j}} \sim N(0, 10)$ (where $\mu_{\beta_2}$ is the population-level estimate for $-Z_{\text{ref}}$ and $\mu_{\beta_2} + \mu_{\beta_3}$ is the population-level estimate for $-Z_{\text{heat}}$) and $\nu \sim \text{gamma}(2,0.1)$. $\sigma$ and $\sigma_{\beta_{0,\ldots,3}}$ were given a Student $- t(3,0,2.5)$ prior.

Lastly, we quantified differences in the size-distributions between the areas using size-spectrum exponents. We estimate the biomass size-spectrum exponent $\gamma$ directly, using the likelihood approach for binned data, i.e., the MLEbin method in the R package sizeSpectra (Edwards et al. 2017, 2020; Edwards 2020). This method explicitly accounts for uncertainty in body masses within size-classes (bins) in the data and has been shown to be less biased than regression-based methods or the likelihood method based on bin-midpoints (Edwards et al. 2017, 2020). We pooled all years to ensure negative relationships between biomass and size in the size-classes (as the sign of the relationship varied between years).
All analyses were done using R (R Core Team 2020) version 4.0.2 with R Studio (2021.09.1). The packages within the tidyverse (Wickham et al. 2019) collection were used to processes and visualize data. Models where fit using the R package brms (Bürkner 2017). When priors were not chosen based on the prior predictive distributions, we used the default priors from brms as written above. We used 3 chains and 4000 iterations in total per chain. Models were compared by evaluating their expected predictive accuracy (expected log pointwise predictive density) using leave-one-out cross-validation (LOO-CV) (Vehtari et al. 2017) while ensuring Pareto k values < 0.7, in the R package loo (Vehtari et al. 2020). Results of the model comparison can be found in the Supporting Information, Table S1-S2. We used bayesplot (Gabry et al. 2019) and tidybayes (Kay 2019) to process and visualize model diagnostics and posteriors. Model convergence and fit was assessed by ensuring potential scale reduction factors ($\hat{R}$) were less than 1.1, suggesting all three chains converged to a common distribution) (Gelman et al. 2003), and by visually inspecting trace plots, residuals QQ-plots and with posterior predictive checks (Supporting Information, Fig. S2, S9, S11).

Results

Analysis of fish (perch) size-at-age using the von Bertalanffy growth equation (VBGE) revealed that fish cohorts (year classes) in the heated area both grew faster initially (larger size-at-age and VBGE $K$ parameter) and reached larger predicted asymptotic sizes than those in the unheated reference area (Fig. 2). The model with area-specific VBGE parameters ($L_\infty$, $K$ and $t_0$) had best out of sample predictive accuracy (the largest expected log pointwise predictive density for a new observation; Table S1), and there is a clear difference in both the estimated values for fish asymptotic length ($L_\infty$) and growth rate ($K$) between the heated and reference area (Fig. 2B-E). For instance, the distribution of differences between the heated and reference area of the posterior samples for $L_\infty$ and $K$ only had 11% and 2%, respectively, of the density
below 0, illustrating that it is likely that the parameters are larger in the heated area (Fig. 2C, E). We estimated that the asymptotic length of fish in the heated area was 1.16 times larger than in the reference area ($L_{\infty, \text{heat}} = 45.7[36.8, 56.3]$, $L_{\infty, \text{ref}} = 39.4[35.4, 43.9]$, where the point estimate is the posterior median and values in brackets correspond to the 95% credible interval). The growth coefficient was 1.27 times larger in the heated area ($K_{\text{heat}} = 0.19[0.15, 0.23]$, $K_{\text{ref}} = 0.15[0.12, 0.17]$). Also $t_{0, \text{heat}}$ was larger than $t_{0, \text{ref}}$ ($-0.16[-0.21, -0.11]$ vs $-0.44[-0.56, -0.33]$, respectively). These differences in growth parameters lead to fish being approximately 10% larger in the heated area relative to the reference area (Fig. S4).

In addition, we found that growth rates in the reference area were both slower and declined faster with size compared to the heated area (Fig. 3). The best model for growth ($G = \alpha L^\theta$) had area-specific $\alpha$ and $\theta$ parameters (Table S2). Initial growth ($\alpha$) was estimated to be 1.18 times faster in the heated than in the reference area ($\alpha_{\text{heat}} = 509.7[460.1, 563.5]$, $\alpha_{\text{ref}} = 433.5[413.3, 454.1]$), and growth of fish in the heated area decline more slowly with length than in the reference area ($\theta_{\text{heat}} = -1.13[-1.16, -1.11]$, $\theta_{\text{ref}} = -1.18[-1.19, -1.16]$). The distribution of differences of the posterior samples for $\alpha$ and $\theta$ both only had 0.3% of the density below 0 (Fig. 3C, E), indicating high probability that length-based growth rates are faster in the heated area.

By analyzing the decline in catch-per-unit-effort over age, we found that the instantaneous mortality rate $Z$ (rate at which log abundance declines with age) is higher in the heated area (Fig. 4). The overlap with zero is 0.05% for the distribution of differences of posterior samples of $Z_{\text{heat}}$ and $Z_{\text{ref}}$ (Fig. 4C). We estimated $Z_{\text{heat}}$ to be $0.7[0.67, 0.82]$ and $Z_{\text{ref}}$ to be $0.63[0.57, 0.68]$, which corresponds to annual mortality rates of 53% in the heated area and 47% in the reference area.
Lastly, analysis of the size-structure in the two areas revealed that, despite the faster growth rates and larger sizes in the heated area for fish of all sizes, the higher mortality rates in the heated area led to largely similar size-structures. Specifically, while largest fish were found in the heated area, the size-spectrum exponent was only slightly larger in the heated area (Fig. 5A), and their 95% confidence intervals largely overlap (Fig. 5C).

Discussion

Our study provides strong evidence for warming-induced differentiation in growth, mortality, and size-structure in a natural population of an unexploited, temperate fish species exposed to an ecosystem-scale experiment with 5-10 °C above normal temperatures for more than two decades. While it is a study on only a single species, these features make it a unique climate change experiment, as experimental studies on fish to date are much shorter and often on scales much smaller than whole ecosystems, and long time series of biological samples exist mainly for commercially exploited fish species (Thresher et al. 2007; Baudron et al. 2014; Smoliński et al. 2020) (in which fisheries exploitation affects size-structure both directly and indirectly by selecting for fast growing individuals). While factors other than temperature could have contributed to the observed elevated growth and mortality, the temperature contrast is unusually large for natural systems (i.e., 5-10 °C, which can be compared to the 1.35 °C change in the Baltic Sea between 1982 and 2006 (Belkin 2009)). Moreover, heating occurred at the scale of a whole ecosystem, which makes the findings highly relevant in the context of global warming.

Interestingly, our findings contrast with both broader predictions about declining mean or adult body sizes based on the GOLT hypothesis (Cheung et al. 2013; Pauly 2021), and with intraspecific patterns such as the TSR (temperature-size rule (1994)). The contrasts lie in that both asymptotic size and size-at-age of mature individuals, as well as the proportion of larger
individuals were slightly larger and higher in the heated area—despite the elevated mortality rates. This result was unexpected for two reasons: optimum growth temperatures generally decline with body size within species under food satiation in experimental studies (Lindmark et al. 2022), and fish tend to mature at smaller body size and allocate more energy into reproduction as it gets warmer (Wootton et al. 2022). Both patterns have been used to explain how growth can increase for small and young fish, while large and old fish typically do not benefit from warming. Our study species is no exception to these rules (Karås & Thoresson 1992; Sandström et al. 1995; Huss et al. 2019). This suggests that growth dynamics under food satiation may not be directly proportional to those under natural feeding conditions (Railsback 2022). Moreover, our results suggest that growth changes emerge not only from direct physiological responses to increased temperatures, but also from warming-induced changes in the food web, e.g., prey productivity, diet composition and trophic transfer efficiencies (Gårdmark & Huss 2020). It also highlights that we need to focus on understanding to what extent the commonly observed increase in size-at-age for juveniles in warm environments can be maintained as they grow older.

Our finding that mortality rates were higher in the heated area was expected—warming leads to faster metabolic rates, which in turn is associated with shorter life span (Brown et al. 2004; McCoy & Gillooly 2008; Munch & Salinas 2009) (higher “physiological” mortality). Warming may also increase predation mortality, as predators’ feeding rates increase in order to meet the higher demand of food (Ursin 1967; Pauly 1980; Biro et al. 2007). However, most evidence to date of the temperature dependence of mortality rates in natural populations stem from across species studies (Pauly 1980; Gislason et al. 2010; Thorson et al. 2017) (but see Biro et al. 2007; Berggren et al. 2021)). Across species relationships are not necessarily determined by the same processes as within species relationships; thus, our finding of warming-
induced mortality in a heated vs control environment in two nearby con-specific populations is important.

Since a key question for understanding the implications of warming on ectotherm populations is if larger individuals in a population become rarer or smaller (Ohlberger 2013; Ohlberger et al. 2018), within-species mortality and growth responses to warming need further study. Importantly, this requires accounting also for effects of warming on growth, and how responses in growth and mortality depend on each other. For instance, higher mortality (predation or natural, physiological mortality) can release intra-specific competition and thus increase growth. Conversely, altered growth and body sizes can lead to changes in size-specific mortality, such as predation or starvation. In conclusion, individual-level patterns such as the TSR may be of limited use for predicting changes on the population-level size structure as it does not concern changes in abundance-at-size via mortality. Mortality may, however, be an important driver of the observed shrinking of ectotherms (Peralta-Maraver & Rezende 2021).

Understanding the mechanisms by which the size- and age-distribution change with warming is critical for predicting how warming changes species functions and ecological roles (Fritschie & Olden 2016; Audzijonyte et al. 2020; Gårdmark & Huss 2020). Our findings demonstrate that a key to do this is to acknowledge temperature effects on both growth and mortality and how they interact.

Acknowledgements

We thank all staff involved in data collection, and Jens Olsson and Göran Sundblad for discussion. This study was supported by SLU Quantitative Fish and Fisheries Ecology.

Code and Data Availability
All data and R code to reproduce the analyses can be downloaded from a GitHub repository (https://github.com/maxlindmark/warm_life_history) and will be archived on Zenodo upon publication. Researchers interested in using the data for purposes other than replicating our analyses are advised to request the data from the authors, as other useful information from the original data might not be included.

Author Contributions

ML conceived the idea and designed the study and the statistical analysis. Data-processing, initial statistical analyses, and initial writing was done by MK and ML. AG contributed critically to all mentioned parts of the paper. All authors contributed to the manuscript writing and gave final approval for publication.

References


Fig. 1. Map of the area with the unique whole-ecosystem warming experiment from which perch in this study was sampled. Inset shows the 1 km² enclosed coastal bay that has been artificially heated for 23 years, the adjacent reference area with natural temperatures, and locations of the cooling water intake and where the heated water outlet from nuclear power plants enters the heated coastal basin.
Fig. 2. Fish grow faster and reach larger sizes in the heated (red) enclosed bay compared to the reference (blue) area. Points in panel (A) depict individual-level length-at-age and lines show the global posterior prediction (both exponentiated) without group-level effects (i.e., cohort) from the von Bertalanffy growth model with area-specific coefficients. The shaded areas correspond to 50% and 90% credible intervals. Panel (B) shows the posterior distributions for growth coefficient (parameters $K_{\text{heat}}$ (red) and $K_{\text{ref}}$ (blue)) and (C) the distribution of their difference. Panel (D) shows the posterior distributions for asymptotic length (parameters $L_{\infty\text{heat}}$ and $L_{\infty\text{ref}}$), and (E) the distribution of their difference.
Fig. 3. The faster growth rates in the heated area (red) compared to the reference (blue) are maintained as fish grow. The points illustrate specific growth estimated from back-calculated length-at-age (within individuals) as a function of length (expressed as the geometric mean of the length at the start and end of the time interval). Lines show the global posterior prediction without group-level effects (i.e., individual within cohort) from the allometric growth model with area-specific coefficients. The shaded areas correspond to the 90% credible interval. The equation uses mean parameter estimates. Panel (B) shows the posterior distributions for initial growth ($\alpha_{\text{heat}}$ (red) and $\alpha_{\text{ref}}$ (blue)), and (C) the distribution of their difference. Panel (D) shows the posterior distributions for the allometric decline in growth with length ($\theta_{\text{heat}}$ and $\theta_{\text{ref}}$), and (E) the distribution of their difference.
Fig. 4. The instantaneous mortality rate ($Z$) is higher in the heated area (red) than in the reference (blue). Panel (A) shows the log (CPUE) as a function of age, where the slope corresponds to the global $-Z$. Lines show the posterior prediction without group-level effects (i.e., cohort) and the shaded areas correspond to the 50% and 90% credible intervals. The equation uses mean parameter estimates. Panel (B) shows the posterior distributions for mortality rate ($Z_{heat}$ and $Z_{ref}$), and (C) the distribution of their difference.
**Fig. 5.** The heated area (red) has a larger proportion of large fish than the reference area (blue), illustrated both in terms of the biomass size-spectrum (A), and histograms of proportions (C), but the difference in the slope of the size-spectra between the areas is not statistically clear (B). Panel (A) shows the size distribution and MLEbins fit (red and blue solid curve for the heated and reference area, respectively) with 95% confidence intervals indicated by dashed lines. The vertical span of rectangles illustrates the possible range of the number of individuals with body mass ≥ the body mass of individuals in that bin. Panel (B) shows the estimate of the size-spectrum exponent, 𝛾, and vertical lines depict the 95% confidence interval. Panel (C) illustrates histograms of length groups in the heated and reference area as proportions (for all years pooled).