

1 **Transient dynamics in plant-pollinator networks: Fewer but higher quality of** 2 **pollinator visits determines plant invasion success**

3
4 **Abstract:** Invasive plants often use mutualisms to establish in their new habitats and tend to be
5 visited by resident pollinators similarly or more frequently than native plants. The quality and
6 resulting reproductive success of those visits, however, have rarely been studied in a network
7 context. Here, we use a dynamic model to evaluate the invasion success and impacts on natives
8 of various types of non-native plant species introduced into thousands of plant-pollinator
9 networks of varying structure. We found that network structure properties did not predict
10 invasion success, but non-native traits and interactions did. Specifically, non-native plants
11 producing high amounts of floral rewards but visited by few pollinators at the moment of their
12 introduction were the only plant species able to invade the networks. This result is determined by
13 the transient dynamics occurring right after the plant introduction. Successful invasions increased
14 the abundance of pollinators that visited the invader, but the reallocation of the pollinators'
15 foraging effort from native plants to the invader reduced the quantity and quality of visits
16 received by native plants and made the networks slightly more modular and nested. The positive
17 and negative effects of the invader on pollinator and plant abundance, respectively, were
18 buffered by plant richness. Our results call for evaluating the impact of invasive plants not only
19 on visitation rates and network structure, but also on processes beyond pollination including seed
20 production and recruitment of native plants.

21
22 **Keywords:** Species invasions, impacts on natives, adaptive foraging, floral rewards dynamics,
23 pollinator visit quality, mutualism models.

24 **Introduction**

25 Species invasions are one of the six global change drivers threatening biodiversity
26 worldwide (Tylianakis et al. 2008). Plants make up the largest and most studied group of
27 invasive species globally (Pyšek et al. 2008, Downey and Richardson 2016), which often use
28 mutualisms to establish in their new habitats (Richardson et al. 2000, Traveset and Richardson
29 2014, Parra-Tabla and Arceo-Gómez 2021). In particular, the interaction of non-native plants
30 with resident pollinators (native or non-native) plays an important role in the reproductive
31 success of invasive plants (Ghazoul 2002, Traveset and Richardson 2014, Parra-Tabla and
32 Arceo-Gómez 2021). Studies analyzing the interactions of non-native plants within plant-
33 pollinator networks indicate that these species are well-integrated into the networks by showing
34 that they share flower visitors with native plants (Aizen et al. 2008, Bartomeus et al. 2008,
35 Kaiser-Bunbury et al. 2011, Traveset et al. 2013, Montero-Castaño and Vilà 2017) or that they
36 are visited either similarly or more frequently than the natives (Lopezaraiza-Mikel et al. 2007,
37 Montero-Castaño and Vilà 2017, Parra-Tabla et al. 2019, Seitz et al. 2020). However, the long-
38 term persistence of pollinator-dependent plants in their new community not only depends on
39 receiving pollinator visits but also on the pollinators' efficiency in transporting their conspecific
40 pollen and the subsequent plant reproduction (Parra-Tabla and Arceo-Gómez 2021).

41 The effects of these two key factors (i.e., pollinator efficiency and plant reproductive
42 success) on pollinator-dependent plant invasions have been rarely studied in the context of plant-
43 pollinator networks (Parra-Tabla and Arceo-Gómez 2021). Some findings suggest that a non-
44 native plant receiving many pollinator visits will not necessarily persist in its new community
45 because those visits might not contribute to its reproduction success. De Santiago-Hernandez et
46 al. (2019) found that only 59% of floral visitors contribute to seed production. Indeed, non-native

47 plants receiving few but high quality visits can also persist in their new community. Thompson
48 and Knight (2018) show that non-native plants can exhibit high reproductive success when
49 visited by only one or a few pollinator species. In contrast, other studies find that several
50 invasive species exhibit generalized floral traits (Parra-Tabla and Arceo-Gómez 2021), are
51 visited by many and abundant pollinator species (Bartomeus et al. 2008, Vilà et al. 2009), and
52 tend to be network hubs (Albrecht et al., 2014). These contrasting empirical patterns have been
53 obtained for plant species that had already invaded the networks and do not necessarily explain
54 their invasion success from the early stages of their introduction.

55 Our understanding of the critical, early stages that determine the success of a species
56 invasion can greatly benefit from studying the transient dynamics right after a new species is
57 introduced into a community. The increasing recognition that many ecological phenomena occur
58 before the system reaches an equilibrium has called for theory focusing on transient as opposed
59 to equilibrium dynamics (Hastings et al. 2018, 2021, Morozov et al. 2020, Francis et al. 2021,
60 Abbott et al. 2021). Dynamical transients are defined as the non-asymptotic dynamical regimes
61 that persist for less than one to ‘as many as tens of generations’ (Hastings et al. 2018). Computer
62 simulations of network dynamic models can help us understand the transient dynamics that
63 occurs within a community after a species introduction, and be used to evaluate whether non-
64 native traits and network characteristics predict the invasion success of the introduced species.

65 Invasive plants can affect plant-pollinator communities negatively by competing with
66 native plants for pollinators or by increasing heterospecific pollen transfer (Traveset and
67 Richardson 2006, 2014, Morales and Traveset 2009, Arceo-Gómez and Ashman 2016, Kaiser-
68 Bunbury et al. 2017, Parra-Tabla et al. 2021), but also have null (Kaiser-Bunbury et al. 2011) or
69 even positive effects on the communities via increased abundance of native pollinators

70 (Lopezaraiza–Mikel et al. 2007, Bartomeus et al. 2008, Carvalheiro et al. 2008, Valdovinos et al.
71 2009). These plants can also affect the networks’ structure by modifying the strength (Kaiser-
72 Bunbury et al. 2017) and number (Bartomeus et al. 2008, Valdovinos et al. 2009) of species
73 interactions, the natives’ position within the network (Aizen et al. 2008, Albrecht et al. 2014),
74 and network-level metrics such as modularity, nestedness, or connectance (Bartomeus et al.
75 2008, Valdovinos et al. 2009). However, the mechanisms behind those network changes and the
76 impacts of those network changes on the native species are not entirely understood (Parra-Tabla
77 and Arceo-Gómez 2021).

78 Here, we use a dynamic plant-pollinator network model to evaluate the efficiency of
79 pollinator visits non-native plants receive and their resulting reproductive success at the critical
80 early stages of invasion. In addition, we determine their impact on native species’ reproductive
81 success at equilibrium. In terms of non-native traits, we focus on rewards production, pollen
82 attachability, and level of generality (i.e., number of pollinator species visiting them) because
83 these are highly variable traits that influence the reproductive success of pollinator-dependent
84 plants (Olesen et al. 2011, Baude et al. 2016, Timberlake et al. 2019, Filipiak et al. 2022). We
85 answer three questions: 1) How does higher reward production, pollen attachability, and number
86 of pollinator visitors affect the reproductive success of non-native plants? 2) How does the
87 quantity and quality of visits a plant receives from resident pollinators affect their invasion
88 success? 3) How do plant invasions impact network structure and the reproduction success of
89 native plants?

90

91 **Materials and methods**

92 *Binary vs. weighted network structures*

93 The binary structure of networks represents species as nodes and their interactions as
94 binary links, while the weighted structure provides information about the strength of those
95 interactions as weighted links. We use the visitation rate of each pollinator species to each plant
96 species (function V_{ij} in Table 1) to determine the weighted structure, which depends on the
97 abundances of plant and pollinator species, the pollinators' foraging efforts, and visitation
98 efficiency. Empirical studies most often use this definition of weighted structures because
99 frequency of visits is what researchers most often record in the field (e.g., Bartomeus et al. 2008,
100 Vilà et al. 2009, Kaiser-Bunbury et al. 2011, 2017). We used the 1200 binary structures from
101 Valdovinos et al. (2018), composed of three sets of 400 networks centered at three combinations
102 of richness (S) and connectance (C), with values: $S = 40$ and $C = 0.25$, $S = 90$ and $C = 0.15$, and
103 $S = 200$ and $C = 0.06$. These combinations represent three points in the empirically observed
104 relation between richness and connectance, and recreate structural patterns of empirically
105 observed networks including their heterogenous degree distribution and nestedness. Half of the
106 networks at each set are nested and the other half, non-nested, with NODFst values ranging
107 between -0.33 and 2.3. These networks maintain the empirically observed mean ratio of animal
108 to plant species of 2.5 (Jordano et al. 2003). The weighted structures emerged from the network
109 dynamics (see below).

110

111 *Network dynamics*

112 We used Valdovinos et al.'s (2013) model, which assumes that all plant species in the
113 network depend on animal pollination for reproduction to simulate the network dynamics.
114 Several previous studies have used and analyzed this model (Valdovinos et al. 2013, 2016, 2018,
115 Valdovinos and Marsland 2020), including its sensitivity to parameter values. We summarize the

116 biological processes encapsulated in the model and its assumptions in Table 1, provide the
 117 definitions and values of its functions and parameters in Table 2, and analyze the robustness of
 118 our results across parameter values in Appendix S1 (Online Supplementary Information). This
 119 model defines the population dynamics (over time t) of each plant (Eq. 1) and pollinator (Eq. 2)
 120 species of the network, as well as the dynamics of floral rewards (Eq. 3) of each plant species,
 121 and the foraging effort (Eq. 4) that each pollinator species (per-capita) assigns to each plant
 122 species as follows:

$$123 \quad \begin{array}{l} \text{population growth of plant sp } i \\ \frac{d\widehat{p}_i}{dt} \end{array} = \begin{array}{l} \text{recruitment from animal pollination reduced by competition} \\ \gamma_i e_i \sum_{j \in A_i} \sigma_{ij} V_{ij} \end{array} - \begin{array}{l} \text{mortality loss} \\ \widehat{\mu}_i^P p_i \end{array} \quad (1)$$

$$125 \quad \begin{array}{l} \text{population growth of animal sp } j \\ \frac{d\widehat{a}_j}{dt} \end{array} = \begin{array}{l} \text{recruitment to adults from rewards consumption} \\ c_j \sum_{i \in P_j} V_{ij} b_{ij} \frac{R_i}{p_i} \end{array} - \begin{array}{l} \text{mortality loss} \\ \widehat{\mu}_j^A a_j \end{array} \quad (2)$$

$$126 \quad \begin{array}{l} \text{floral-rewards dynamics of plant sp } i \\ \frac{d\widehat{R}_i}{dt} \end{array} = \begin{array}{l} \text{saturated production of rewards} \\ \beta_i p_i - \varphi_i R_i \end{array} - \begin{array}{l} \text{consumption by pollinators} \\ \sum_{j \in A_i} V_{ij} b_{ij} \frac{R_i}{p_i} \end{array} \quad (3)$$

$$127 \quad \begin{array}{l} \text{adaptive foraging} \\ \frac{d\widehat{\alpha}_{ij}}{dt} \end{array} = G_j \alpha_{ij} \left(\begin{array}{l} \text{R consumption from plant } i \\ c_j \tau_{ij} b_{ij} R_i \end{array} - \begin{array}{l} \text{average R consumption from all } j' \text{'s plants} \\ \sum_{k \in P_j} \alpha_{kj} c_j \tau_{kj} b_{kj} R_k \end{array} \right) \quad (4)$$

129 Previous work used this model to evaluate the invasion success and impacts of non-native
 130 pollinators on plant-pollinator networks (Valdovinos et al. 2018). However, the dynamics of
 131 pollinators and plant in this model are very different. That is, the equations describing their
 132 population dynamics encapsulate biological mechanisms that differ drastically between
 133 pollinators and plants (see Eqs. 1 and 2; Table 1), which results in very different dynamical
 134 outputs and effects on other species in the network (Valdovinos et al. 2013, 2016, 2018,
 135 Valdovinos and Marsland 2020). Moreover, these differences in modeled population dynamics

136 may provide insights into the mechanisms influencing the invasion processes of pollinators vs.
 137 plants in ecological networks.

138

139 **Table 1. Biological processes and assumptions in Valdovinos et al.'s (2013) model.**

Biological process	In the model	Assumption
Visitation rate	$V_{ij} = \alpha_{ij}\tau_j a_j p_i$	Depends on the pollinator j 's foraging effort (α_{ij}) assigned to plant i , j 's flying efficiency (τ_j), and the plant (p_i) and pollinator (a_j) densities.
Pollination events	$\sigma_{ij}V_{ij}$	Only a fraction of pollinator visits of j to i (V_{ij}) produce pollination events, determined by the proportion of conspecific pollen carried by the pollinator (visit quality function σ_{ij}).
Total pollination events	$\sum_{j \in A_i} \sigma_{ij}V_{ij}$	Pollination events summed over all the pollinator species visiting the plant (set A_i).
Seed production	$e_i \sum_{j \in A_i} \sigma_{ij}V_{ij}$	Only a fraction of the total pollination events become seeds, determined by the seed production efficiency of the plant species (parameter e_i).
Seed recruitment	$\gamma_i e_i \sum_{j \in A_i} \sigma_{ij}V_{ij}$	Only a fraction of seeds produced recruit to adults, determined by the competition among plants (function γ_i).
Consumption of rewards	$V_{ij} b_{ij} \frac{R_i}{p_i}$	In each visit, pollinators consume a fraction of the floral rewards offered by the plant individual (R_i/p_i) at a rate b_{ij} .
Recruitment to adult pollinators	$c_j \sum_{i \in P_j} V_{ij} b_{ij} \frac{R_i}{p_i}$	Floral rewards consumed by the pollinator species summed over all the plant species the pollinator species visits (set P_j) are converted into new pollinator adults at a rate c_j .
Production of rewards	$\beta_i p_i - \varphi_i R_i$	Floral rewards of a plant population increase with its population density in a saturating manner, with rewards production decelerating as rewards increase up to the maximum of $\beta_i p_i / \varphi_i$ when the rewards production stops.
Adaptive foraging	Equation (4)	A pollinator increases its foraging effort to plants with more rewards, by reassigning its efforts from plants with fewer rewards. Foraging efforts are fractions that can take a maximum value of 1 (the pollinator assigns all its effort to that plant) and they sum to 1 over all plants the pollinator visits.
Efforts of a fixed forager	$1/k_{aj}$	Pollinators without adaptive foraging are assumed to have fixed foraging efforts across all the plants they visit equal to one over the number of plant species the pollinator visits

140

141 **Table 2. Model state variables, functions, and parameters.**

Definition	Symbol	Dimension	Mean value
State Variables			
Density of plant population i	p_i	individuals area ⁻¹	0.5* 0.02
Density of animal population j	a_j	individuals area ⁻¹	0.5*
Total density of floral resources of plant population i	R_i	mass area ⁻¹	0.5* 0.00025
Foraging effort of j on i	α_{ij}	None	$1/k_{aj}^*$
Functions			
Visitation rate of j to i (quantity of visits)	$V_{ij} = \alpha_{ij}\tau_j a_j p_i$	visits area ⁻¹ time ⁻¹	variable
Quality of visits (per-capita) of j to i (per-capita)	$\sigma_{ij} = \frac{\varepsilon_i \alpha_{ij} p_i}{\sum_{k \in P_j} \varepsilon_k \alpha_{kj} p_k}$	None	variable
Fraction of seeds i that recruit to adults	$\gamma_i = g_i \left(1 - \sum_{l \neq i \in P_j} u_l p_l - w_i p_i \right)$	None	variable
Parameters			
Visitation efficiency	τ_j	visits area ⁻¹ time ⁻¹ individuals ⁻¹ individuals ⁻¹	1
Expected number of seeds produced by a pollination event	e_i	individuals visits ⁻¹	0.8
Per capita mortality rate of plants	μ_i^P	time ⁻¹	0.001
Conversion efficiency of floral resources to pollinator births	c_j	individuals mass ⁻¹	0.2
Per capita mortality rate of pollinators	μ_j^A	time ⁻¹	0.001
Pollinator extraction efficiency of resource in each visit	b_{ij}	individuals visits ⁻¹	0.4
Maximum fraction of total seeds that recruit to plants	g_i	None	0.4
Inter-specific competition coefficient of plants	u_i	area individuals ⁻¹	0.06
Intra-specific competition coefficient of plants	w_i	area individuals ⁻¹	1.2
Production rate of floral resources	β_i	mass individuals⁻¹ time⁻¹	0.2 0.8^A

Attachability of pollen to pollinator's body	ϵ_t	None	1 4^A
Self-limitation parameter of rewards production	ϕ_{ij}	time ⁻¹	0.04
Adaptation rate of foraging efforts of pollinators	G_j	None	2

142 Values were drawn from a uniform random distribution with the specified mean, and variances of 10%
 143 and 0% of means for plants' and animals' parameters, respectively. The second values in bold for p_i and
 144 R_i are the ones used for the introduced plant species. Note that the parameter values of the introduced
 145 species were chosen with respect to the native abundances at equilibrium, not the natives' initial
 146 abundances. Parameter values other than the ones assigned to introduced plants were taken from
 147 Valdovinos et al. (2013) and (2018). Superscripted A indicates the highest level used for introduced
 148 plants. Asterisks indicate initial conditions. k_{aj} is the number of interactions of animal j .
 149

150 We ran the model for 10,000 timesteps prior to the plant introductions and another 10,000
 151 timesteps after the introduction. We analyzed both the transient dynamics immediately after the
 152 plant introduction (during the first 2,000 timesteps after the introduction) and the equilibrated
 153 dynamics (at 10,000 timesteps after the introduction). The simulations generally equilibrated at
 154 around 3,000 timesteps, so running them longer ensured we captured the dynamics at
 155 equilibrium.

156

157 *Non-native introductions*

158 We introduced 8 types of plant species to each network (one per simulation) based on all
 159 combinations of two levels of three properties (see Table 3) at $t = 10,000$, with density equal to
 160 the plant extinction threshold, 0.02, and reward density 0.02 times that of the average native at
 161 equilibrium (i.e., $R_i^* = 0.0125$, see Eq. S3) to keep the initial rewards density per plant similar
 162 between non-native and native plants. Therefore, the introduced plant species always starts out at
 163 a double disadvantage with respect to the native plants because its initial abundance ($p_x = 0.02$),
 164 and the foraging effort pollinators assign to it ($\alpha_{xj} = 0.0001$) are very small compared to the

165 abundance at equilibrium of native plants at the moment of its introduction (average $p_i^* = 0.8$)
 166 and the foraging efforts that they receive at equilibrium (average $\alpha_{ij} = 0.3$). The extinction
 167 threshold was set in previous work based on the Allee effect experienced by plants for the
 168 parameter values shown in Table 2 (Valdovinos et al. 2013, 2016, 2018).

169 The pollinator species that initially visited the introduced plant were chosen randomly
 170 from: (1) all pollinator species, (2) most-generalist pollinator species, (3) most-specialist
 171 pollinator species. These three options of “linkage algorithms” are called hereafter ‘random’,
 172 ‘most connected’, and ‘least connected’, respectively. The foraging effort of native pollinators
 173 initially visiting the introduced plant was set to 0.0001 (of a total of 1 summed over all the
 174 interactions of the pollinator), which was subtracted from the highest effort of the pollinator so
 175 the effect of the effort subtraction was negligible. We conducted a total of 28,800 plant
 176 introductions (1200 networks \times 8 plant types \times 3 linkage algorithms).

177 **Table 3. Properties of the non-native plants introduced.**

Factor (property)	Description of level 1	Description of level 2
Generality (# links)	Specialist (<i>average # links of 30% most specialist natives</i>)	Generalist (<i>average # links of 30% most generalist natives</i>)
Pollen attachability (ϵ_i)	Same as average native	Four times higher than average native*
Rewards production (β_i)	Same as average native	Four times higher than average native*

178 *We chose the high levels of pollen attachability and rewards production to be four times higher than
 179 those of the average natives, because those levels show clear effects of the properties. Different values did
 180 not change our qualitative results.

181

182 *Analysis of the simulation results*

183 We conducted a Classification and Regression Tree (CART) analysis using the software
 184 JMP® (Version 16.0., SAS Institute Inc., Cary, NC, 1989-2021) to evaluate which network
 185 structure properties and characteristics of non-native plants contributed most to their invasion

186 success. We used five-fold cross validation to avoid overfitting. Network structure properties
187 included species richness (S), the ratio of animal to plant species, four measures of link density
188 [connectance ($C = L / A \times P$, where L is the total number of links, A the number of pollinator
189 species, and P the number of plant species), links per species (L/S), links per plant species (L/P),
190 and links per animal species (L/A)], four measures of degree distribution [power law exponent
191 for plants and animals, the standard deviation of animal generality and the standard deviation of
192 plant vulnerability defined in Williams and Martinez (2000), four measures of niche overlap (the
193 mean and maximum Jaccard index for plants and animals), and nestedness (see Table S1).
194 Introduced plant properties included the generality level, pollen attachability, rewards
195 production, and the linkage algorithm. Network structure properties and non-native traits totaled
196 21 contributors for the analysis.

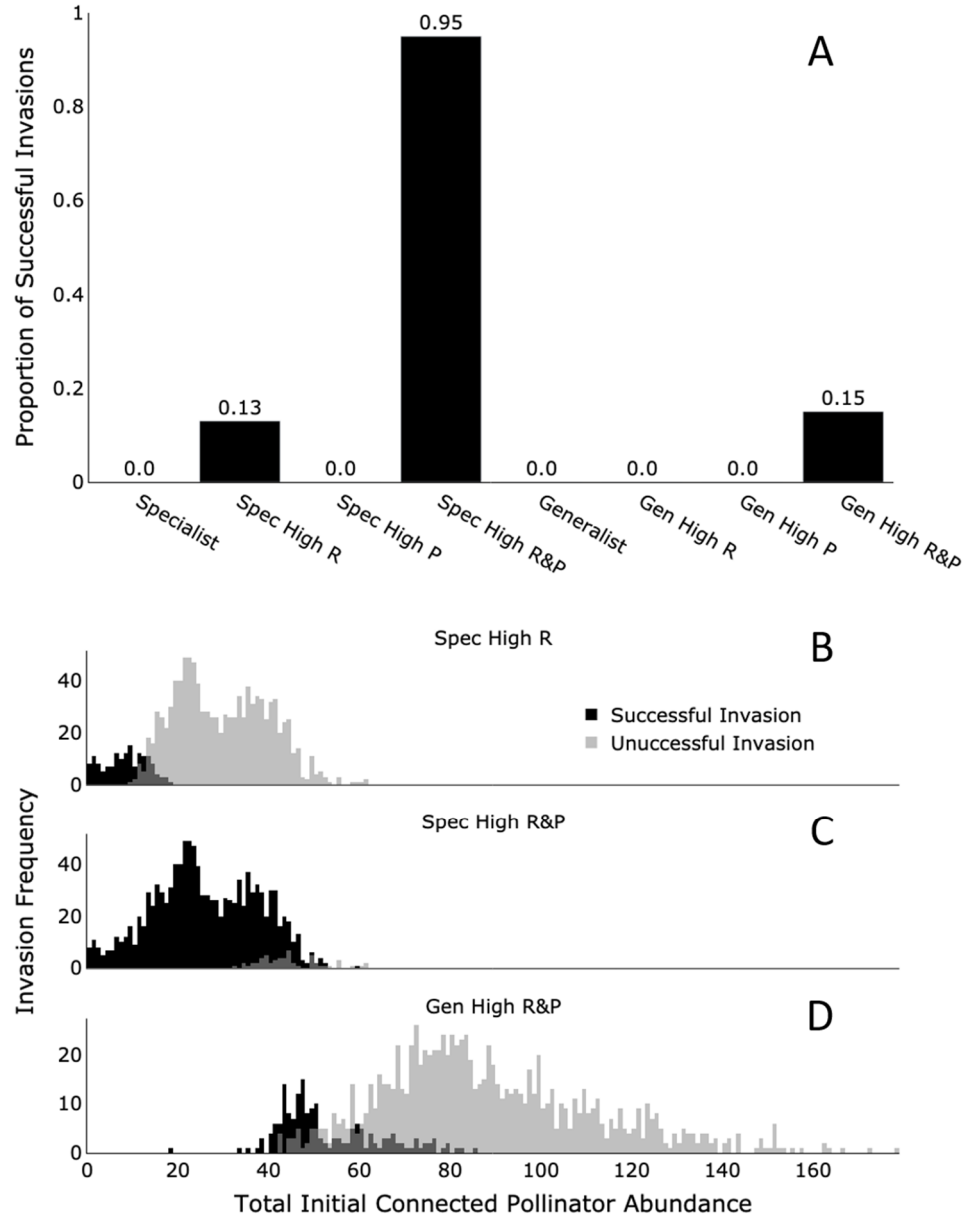
197 We evaluated the effect of successful invasions (i.e., introduced plant species that
198 persisted at high density) on natives' persistence, density, quality and quantity of visits. These
199 variables were measured right before the plant introduction ($t = 10,000$), during the first 2,000
200 timesteps after the introductions (to understand the effects on natives of the initial introduction
201 process), and at the end of the simulation ($t = 20,000$). We evaluated the effect of plant invasions
202 on the networks' weighted structure by calculating the networks' weighted nestedness and
203 weighted modularity before and after the invasion. These metrics were calculated using the
204 `nest.smdm()` and `computeModules()` functions, respectively, from the R package `bipartite`.

205

206 **Results**

207 *How does higher reward production, pollen attachability, and number of pollinator visitors*
208 *affect the reproductive success of non-native plants?*

209 All introduced plant species either went extinct or dramatically increased their density
210 compared to that of native plants. Thus, we characterized the result of an introduction as either
211 invasion failure or success. We found that specialist plants with high rewards production and
212 high pollen attachability were the most successful invaders (see “Spec High R&P” in Fig. 1),
213 These plants invaded 95% of the times they were introduced into the networks, while the same
214 plant type except for being generalist invaded only 15% of the times (see “Gen High R&P” in
215 Fig. 1A). Specialist plants with high production of rewards but average pollen attachability had
216 an invasion success of 13% (see “Spec High R” in Fig. 1A). All other plant types never invaded.
217 Our CART analyses (Table 4, Table S1) confirm these results, showing that among the 21
218 factors analyzed (17 network structure properties and 4 non-native traits, see Methods), high
219 production of rewards contributed the most to the variation in invasion success, followed by
220 being a specialist, and finally by having high pollen attachability. Interestingly, our CART
221 analyses ranked the contribution of network structure to invasion success very low, with less
222 than 5% of predictive power (Table S1).



223

224 **Figure 1. Proportion of successful plant invasions of each introduced species type (A) and the effect**
225 **of pollinator abundance initially visiting them on their invasion success (B-D).** Panel A shows ($N =$
226 $28,800$) that introduced plants visited by one or a few native pollinator species (Spec), high reward
227 producers (High R), and with high pollen attachability (High P) most frequently invaded. Introduced
228 plants visited by many different pollinator species (Gen) and exhibiting the average level of rewards
229 production or pollen attachability found among native plants (indicated by omitting High R or P) never
230 invade. Panels B, C, D show data ($N = 3,600$; per panel) for the only three species types that successfully
231 invaded the networks, that is, specialist plant species with high production of rewards (Spec High R),
232 specialist plant species with high production of rewards and pollen attachability (Spec High R&P), and
233 generalist plant species with high production of rewards and pollen attachability (Gen High R&P),
234 respectively. Black and light gray bars represent successful and unsuccessful invasion, respectively, while
235 medium gray indicates where those two bar types overlap.

236 *How does the quantity and quality of visits a plant receives from resident pollinators affect*
 237 *their invasion success?*

238 We found that plants visited by fewer pollinators (in terms of abundance) at the moment
 239 of their introduction were most likely to invade (Fig. 1B-C). Therefore, we conducted a second
 240 (refined, see Table 4) CART analysis in which we incorporated the initial pollinator abundance
 241 connected to the introduced plant as a contributor for the analysis. This refined analysis shows
 242 that the total abundance of pollinators visiting the introduced plant species better predicts its
 243 invasion success than the number of pollinator species visiting it (note these two variables are
 244 strongly and positively correlated, see Fig. S1).

245
 246 **Table 4. Classification and Regression Tree (CART) analyses for invasion success.**

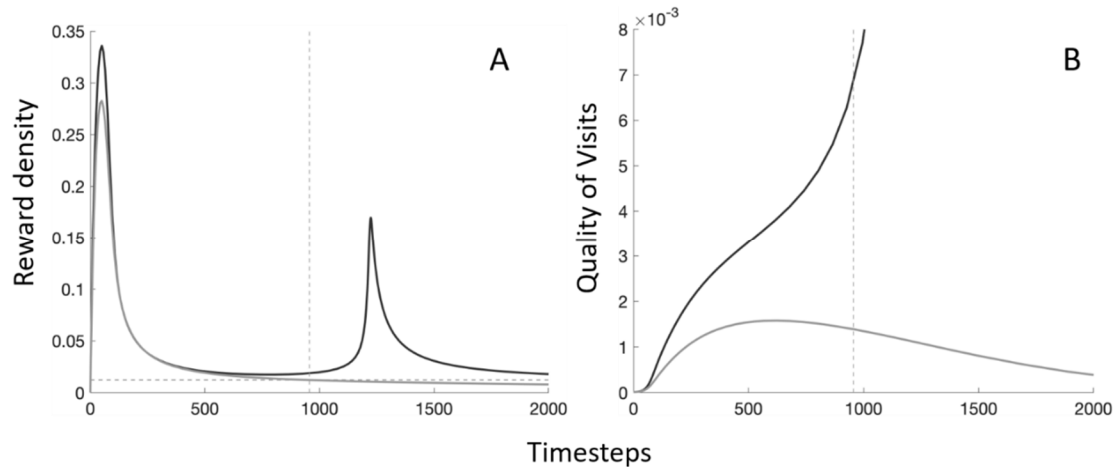
	Initial analysis	Refined analysis*
Five fold R²	0.82	0.87
Main Contributions	High reward producer (34%) More specialized (25%) High pollen attachability (22%) Linkage algorithm (5%)	High reward producer (36%) *Initial pollinator abundance connected to non-native (33%) High pollen attachability (31%)

247 The initial analysis followed the simulation design (see Methods). The asterisk indicates that the refined
 248 analysis (as opposed to the initial) included the initial pollinator abundance connected to the non-native
 249 plant as a new contributor for the CART analysis, which better predicted the plant invasion success than
 250 the trait of being more specialized (i.e., visited by fewer pollinator species). We only listed the factors that
 251 contributed 5% or more to the predictive power of the analysis, which excluded network structure
 252 properties (see Table S1).

253
 254
 255 The explanation for introduced plants visited by fewer pollinators being more likely to
 256 invade resides in the reward threshold determining whether a plant species attracts sustained
 257 visitation or not (hereafter “reward threshold”; Fig 2, Appendix S1, Fig. S2). When the reward
 258 density of a plant species drops from such threshold, the pollinators stop visiting it and the plant
 259 species declines in abundance which, in turn, reduces the reward density of its population even
 260 further (i.e., fewer flowers available for pollinators). This vicious cycle causes the irreversible

261 process of plant species going extinct once their rewards density drops below the reward
262 threshold. All plant species have the same reward threshold at each simulation (Eq. S2 in
263 Appendix S1, R^* in Fig S2), as a result of the “ideal-free distribution” caused by pollinators
264 being adaptive foragers (Valdovinos et al. 2013), and its value is determined by the parameter
265 values drawn randomly prior to running each simulation. However, the dynamics of floral
266 rewards differ among plant species given that they have different per-capita production rate of
267 rewards and are visited by different pollinator species with different abundances and foraging
268 efforts.

269 If the reward density of the introduced species (black curve in Fig. 2A) stays at or above
270 this reward threshold (grey dashed curve in Fig. 2A) the plant population keeps attracting
271 pollinators for long enough to receive high quality of visits (black curve in Fig. 2B), which
272 ensures its population growth and, therefore, its invasion success (Figs. S3A-D). If the reward
273 density of the introduced species (grey curve in Fig. 2A) drops from this threshold due to high
274 consumption by pollinators, the pollinators stop visiting it and reassign their foraging effort to
275 other plant species in their diet whose rewards are at or above the threshold. Consequently, the
276 plant species receives low-quality visits and goes extinct (compare grey with black curve in Fig
277 2B; Fig. S2). See Appendix S1 for a mathematical analysis demonstrating that our results on
278 transient reward dynamics are general (hold true) across parameter values, which is stronger than
279 conducting sensitivity analyses.



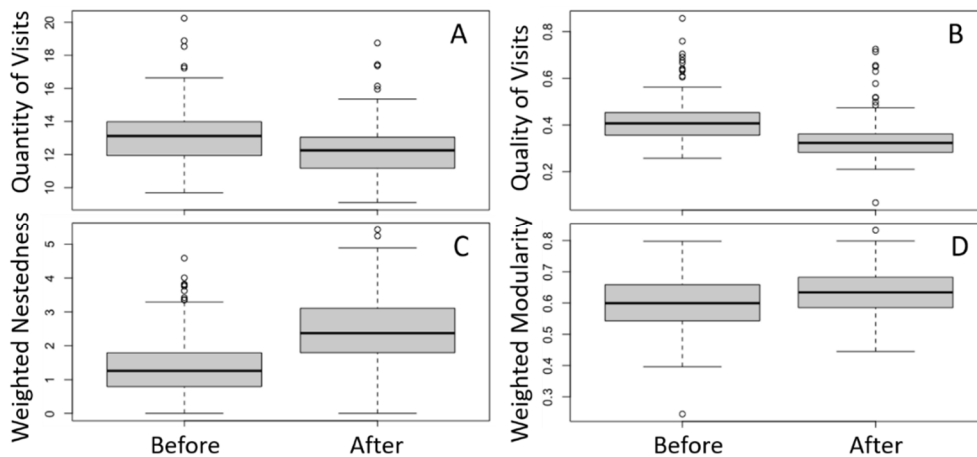
280
281 **Figure 2. Reward threshold that determines invasion success during the transient dynamics.**
282 Transient dynamics are defined as the non-asymptotic dynamical regimes that persist for less than one to
283 ‘as many as tens of generations’ (Hastings et al. 2018). Two simulations (one of the successful, black
284 curves, and one of the failed, gray curves, invasions) for the introduction of specialist plant species with
285 high production of rewards and pollen attachability (Spec High R&P) chosen from the data shown in Fig.
286 1C, to illustrate: **A.** An introduced plant species fails to invade (gray curve) when its rewards drop from
287 the reward threshold (horizontal dashed line). The vertical dashed line indicates the timestep at which the
288 reward threshold was crossed for the failed invasion. **B.** The quality of visits received by the introduced
289 plant species does not increase enough for the failed invasion before the reward threshold is reached, so it
290 goes extinct (see Fig S2). In the successful invasion, the introduced plant species is able to attract the
291 pollinators’ foraging effort fast enough during the transient dynamics that it obtains enough quality of
292 visits to persist before the threshold is met. The second peak observed in panel A corresponds to the
293 increased floral rewards due to the increase in abundance of the introduced species that successfully
294 invades, but then get depleted again to the reward density determining the system’s equilibrium (see Eq.
295 S2 in Appendix S1). All successful and failed invasions look qualitatively the same as these figures.

296
297
298 ***How do plant invasions impact network structure and the reproduction success of native***
299 ***plants?***

300 We found that the native plants that shared pollinator species with the successful invaders
301 received lower quantity (Figs. 3A and 4A) and quality (Figs. 3B and 4B) of visits after the plant
302 invasion, which is explained by pollinators re-assigning their foraging efforts from the native to
303 the invasive plant species (Fig. 4D). However, the native plants only slightly decreased their
304 density (Fig. 4C) and never went extinct (data not shown) as a consequence of the invasion. The
305 magnitude of this negative effect on the density of native plants was reduced by the number of
306 plant species in the network (Fig. 4G). Conversely, the plant invasions increased the density of

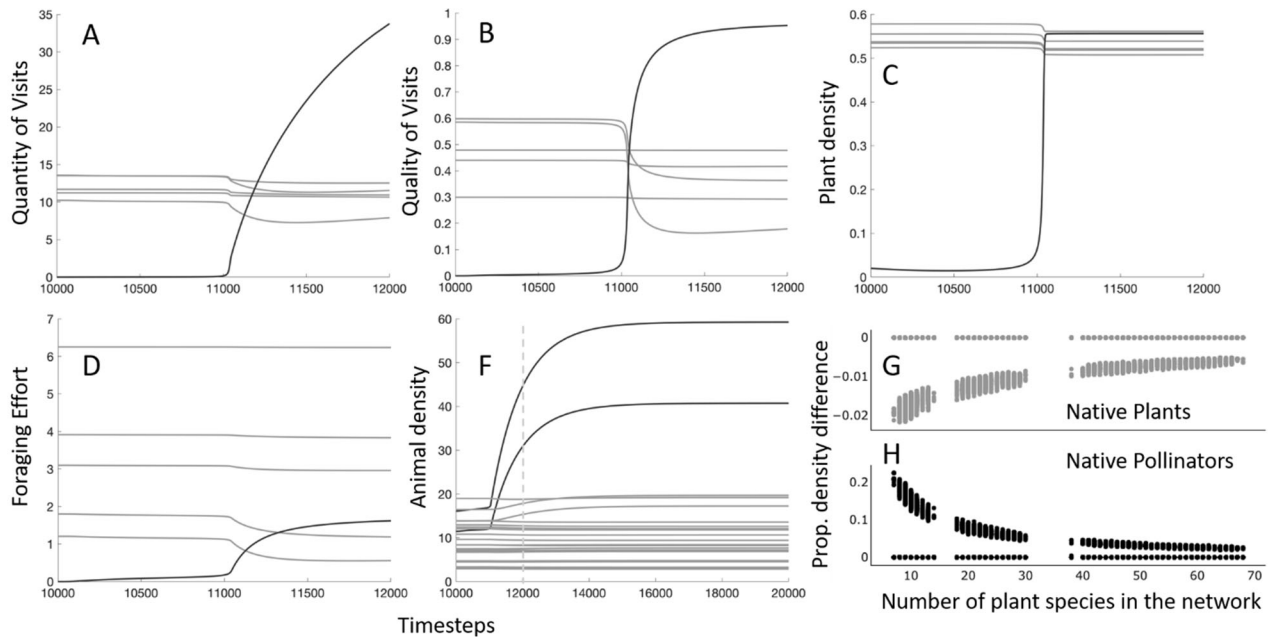
307 native pollinators (Fig. 4F), an effect that was also attenuated by the number of plant species in
308 the network (Fig. 4H). Finally, the plant invasions slightly increased the networks' weighted
309 nestedness (Fig. 3C) and modularity (Fig. 3D). See Table S1 for all the statistics of the Welch
310 Two Sample t-test comparing weighted nestedness and modularity for all networks, groups of
311 networks, and by the plant types introduced. Table S2 conceptually summarizes Table S1 for
312 easy understanding of the trends.

313



314 **Figure 3. Effect of plant invasions on the quantity (A) and quality (B) of visits received by native**
315 **plants and the networks' weighted nestedness (C) and modularity (D).** Box plots for these variables
316 before (at 10,000 timesteps) and after (at 20,000 timesteps) the plant introduction for all the networks
317 with 40 species and connectance 0.25 that were invaded by the three plant types that successfully invaded
318 the networks (see Fig 1A). The middle bar, box, and error bars represent the mean, interquartile range,
319 and standard deviations of each distribution. Welch Two Sample t-test for A, B, C, and D show
320 significant differences between the variable means before and after invasion, all of which generated p-
321 values less than 10^{-7} (see Table S2). We found a negative correlation between weighted nestedness and
322 modularity (Fig. S5A; correlation coefficient -0.17 by Pearson's test) – consistent with previous analysis
323 on binary structure (Fortuna et al. 2010) – which became more negative after the invasion (Fig. S5B;
324 correlation coefficient -0.50). See Fig. S6 showing the same qualitative results of panels C and D but
325 when the invader and their interactions are removed from the analyses of network structure after the
326 invasion. That is, keeping network size and species composition constant before and after the invasion did
327 not change our results.

328



329 **Figure 4: Effects of plant invasions on native plants (A-D, G) and pollinators (F and H) right after**
330 **the plant introduction.** Panels A-F show time series for only one simulation chosen from a successful
331 invasion of Spec High R&P, but all simulations with successful invasions show qualitatively similar
332 patterns. Quantity (A) and quality (B) of visits, density (C), and foraging effort assigned to the invasive
333 plant species (black) increase over time, while those of native plant species (gray) sharing pollinators with
334 the invasive species decrease. Panel F shows the increase in density of pollinator species (black) visiting
335 the invasive species in comparison to those (gray) not visiting the invasive. Panels G-H show the results
336 of all simulations in which specialist plant species with high production of rewards and pollen
337 attachability (Spec High R&P) were introduced (Fig. 1C), with each dot representing one simulation.
338 Plant richness decreases the magnitude of the negative (G) and positive (H) effects of the plant invasion
339 on the native plants and pollinators, respectively, which is consistent with Elton's (1958) prediction of
340 richer systems being more robust to species invasions than poorer systems.
341

342 Discussion

343 We found that 1) introduced plant species producing more floral rewards than natives
344 were more likely to invade, 2) introduced species visited by fewer pollinators but receiving
345 higher quality visits were more likely to invade, and 3) plant invasions decreased the quantity
346 and quality of visits received by the native plants, slightly increased the network's weighted
347 nestedness and modularity, and slightly decreased the reproduction success of native plants.

348 Network structure did not predict the plant invasion success (results 1 and 2) but affected the
349 impacts on natives (result 3); that is, the number of plant species in the network decreased the
350 magnitude of the invaders' negative and positive effects on native plants and pollinators,
351 respectively.

352 Our first two results are a consequence of the transient dynamics that occur right after the
353 plant introduction. These dynamics occur because plants are introduced at very low abundances
354 (Appendix S1) so they need to produce more rewards than the natives to attract pollinators.
355 Introduced plants need those pollinators to increase their foraging effort by a great amount for
356 them to become efficient (i.e., carrying mostly the conspecific pollen of the introduced plant).
357 Receiving visits by many pollinator species or by abundant pollinators depletes the rewards of
358 the introduced plant more quickly to the reward threshold that determines the system's
359 equilibrium. Therefore, pollinators stop reassigning their foraging effort to the introduced plant
360 before they become efficient pollinators and the introduced plant goes extinct. To the best of our
361 knowledge, our work is one of the first revealing a dynamical transient in ecological networks, as
362 theory on ecological networks has traditionally focused on equilibrium dynamics (e.g.,
363 Bascompte et al. 2006, Bastolla et al. 2009, Pascual-García and Bastolla 2017, Valdovinos and
364 Marsland 2020).

365 Mathematical discussion of the importance of transients traditionally takes place in the
366 context of systems where the fixed point is never reached (whether due to limit cycles, chaos,
367 stochastic perturbations, etc.), or where the time scale for equilibration is so long that the fixed
368 point is irrelevant (Hastings et al. 2018, 2021). However, our results demonstrate that while there
369 is always a stable fixed point in which non-native plant species invade, the ability for the system
370 to reach that point from the initial conditions of low non-native plant abundance is based on the

371 transient dynamics of reward density. Specifically, we found that based on the rate at which non-
372 native plant species' rewards are reduced to equilibrium, they either secure sufficiently efficient
373 visits to invade or do not and go extinct. We show in Fig. S4 that increasing the initial abundance
374 of non-native species 10 times, which increases their population reward production by 10 times,
375 allows all plant types to invade including the generalists. This suggests that there is some reward
376 production level that always produces a successful invasion (given a fixed native community)
377 with a sharp threshold separating from the region of failed invasion. Future mathematical work
378 should analyze this tipping point by finding the threshold in initial plant abundance, and
379 therefore reward production, determining plant invasion success.

380 Our finding of higher invasion success of plants offering higher amounts of floral
381 rewards is consistent with empirical research showing that plants that successfully invade plant-
382 pollinator networks typically offer large amounts of floral rewards in large, showy flowers
383 (Lopezaraiza-Mikel et al. 2007, Muñoz and Cavieres 2008, Padrón et al. 2009, Pyšek et al. 2011,
384 Kaiser-Bunbury et al. 2011). Empirical data also support our findings that plant invasions can
385 increase the abundance of native pollinators (Lopezaraiza-Mikel et al. 2007, Bartomeus et al.
386 2008, Carneiro et al. 2008), but decrease the quantity and quality of visits received by native
387 plants (Traveset and Richardson 2006, 2014, Morales and Traveset 2009, Arceo-Gómez and
388 Ashman 2016, Kaiser-Bunbury et al. 2017, Parra-Tabla et al. 2021). Finally, we found that plant
389 invasions made the network structures slightly more nested and modular, which is consistent
390 with previous theoretical (Valdovinos et al. 2009) and empirical (Bartomeus et al. 2008) work,
391 respectively. Other empirical studies did not find a clear difference in structure between invaded
392 and uninvaded networks (Vilà et al. 2009, Albrecht et al. 2014, Parra-Tabla et al. 2019). The
393 field, however, still lacks understanding on how those effects of invasive plants on visitation

394 rates and network structure translate to effects on the reproduction success and population
395 growth of native plants (Parra-Tabla and Arceo-Gómez 2021). Our work can help guide future
396 empirical research by showing that when other stages of plant reproduction are considered
397 beyond visitation (i.e., successful pollination events, seed production, recruitment), a decrease in
398 quantity or quality of visits does not necessarily translate into a decrease in plant reproduction or
399 reduction of plant growth.

400 We found no extinction caused by the plant invaders, which is explained by: 1) plants
401 only needing a few high-quality visits to produce enough seeds, and 2) seed recruitment being
402 dependent on competition among plants for resources other than pollinators, with intraspecific
403 stronger than interspecific competition (see Table 1). Native plants receive enough high-quality
404 visits before the plant introduction and grow in abundance up to their equilibrium point
405 determined mostly by their intraspecific competition (Valdovinos and Marsland 2020). The
406 reduction of adaptive foraging reallocated from the native to the non-native plants is always
407 smaller than what would be needed for the native plant to receive sufficiently low-quality visits
408 to be driven extinct. Therefore, our work suggests that competition for pollinators alone is not
409 enough to cause native plant extinctions. Future work should evaluate how competition between
410 natives and invaders for resources other than pollinators affect the persistence of native plant
411 species (Mitchell et al. 2006).

412 Our study is limited to the analysis of non-native plants that are completely dependent on
413 pollinators to persist and that are introduced only once and in very small numbers. Regarding the
414 first limitation, successfully invading plants are often not completely dependent on animal
415 pollinators for reproduction, with many being abiotically pollinated or capable of some level of
416 autogamous selfing or asexual reproduction (Barrett 2011, Burns et al. 2011). Second,

417 introducing plants only once and in very small numbers is at the core of our results showing that
418 generalist plants are less successful at invading networks than specialist plants. In fact,
419 increasing their initial abundance 10 times – as mentioned above – allowed all generalist types to
420 invade (Fig. S4A). Our results suggest that the common finding of invasive species often
421 exhibiting “highly generalized floral traits” (e.g., radial symmetry; reviewed in Parra-Tabla and
422 Arceo-Gómez 2021) might be explained by those taxa being introduced several times and at
423 larger numbers than those we simulated here.

424 Finally, to our knowledge, ours is the first study suggesting that the cost of too many
425 visits can affect the invasion success of non-native plants. This initial introduction process into
426 plant-pollinator networks is difficult to study empirically because it would require conducting the
427 study during the first arrival of the non-native plant, or deliberately introducing the plants, which
428 poses ethical problems (Stricker et al. 2015). Therefore, our study also exemplifies how
429 theoretical work can promote new thinking and research in areas traditionally studied
430 empirically. Overall, our work contributes in promoting new thinking to integrate theoretical and
431 empirical research during the transient dynamics of ecological networks, and calls for evaluating
432 the impact of invasive plants not only on visitation rates and network structure, but also on the
433 demographics of native plants, which depend on other processes beyond animal visitation such
434 as seed production and recruitment.

435

436 **References**

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