7   **Early adversity changes the economic conditions of structural brain network organisation**
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Abstract
Early adversity can change educational, cognitive, and mental health outcomes. However,
the neural processes through which early adversity exerts these effects remain largely
unknown. We used generative network modelling of the mouse connectome to test
whether unpredictable postnatal stress shifts the constraints that govern the formation of
the structural connectome. A model that trades off the wiring cost of long-distance
connections with topological homophily (i.e. links between regions with shared neighbours)
generated simulations that replicate the organisation of the rodent connectome. The
imposition of early life adversity significantly shifted the best-performing parameter
combinations toward zero, heightening the stochastic nature of the generative process. Put
simply, unpredictable postnatal stress changes the economic constraints that shape
network formation, introducing greater randomness into the structural development of the
brain. While this change may constrain the development of cognitive abilities, it could also
reflect an adaptive mechanism. In other words, neural development could harness
heightened stochasticity to make networks more robust to perturbation, thereby facilitating
effective responses to future threats and challenges.
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Significance statement
Children who experience adversity early in life – such as chronic poverty or abuse – show
numerous neural differences that are linked to poorer cognition and mental health later in
life. To effectively mitigate the burden of adversity, it is critical to identify how these
differences arise. In this paper, we use computational modelling to test whether growing up
in an impoverished and unpredictable environment changes the development of structural
connections in the mouse brain. We found that early adversity appears to introduce more
stochasticity in the formation of neural architecture. Our findings point to a potential
mechanism for how early adversity could change the course of child development.

Introduction

The structure of the human brain undergoes complex changes over the first three decades of life[1]. At the macroscopic level, neural development proceeds through the formation of a network of white-matter projections between populations of neurons, a process both subject to genetic control and environmental regulation[2–4]. A complete wiring map of the brain, known as a "connectome", can be reconstructed through diffusion-weighted magnetic resonance imaging (MRI) and analysed using graph theory[5]. Healthy neural architecture is characterised by a precise pattern of organisation, or topology, that emerges over the course of childhood[6,7]. For instance, brain networks exhibit small-worldness, a balance between a short average path length and high clustering that permits both integrated and segregated processing of information[8,9]. Features of connectome organisation can predict developmental differences across individuals, including variation in cognitive ability and mental health[10,11].

The structural organisation of the brain emerges amid a tight set of constraints. The most significant of these is the biophysical embedding of the network, because of which long-distance connections incur a large metabolic cost[12]. The brain has adapted to limit this cost by making parsimonious use of energy and space, creating comparatively expensive features – such as connections between spatially distant regions – judiciously[9,13]. But cost minimisation alone cannot account for the observed organisation of biological neural networks[14,15]. Rather, the brain appears to negotiate an economic trade-off between the physical cost of structural connections and the topological value they add to the network[9,16,17]. Recent advances in computational modelling offer a way to directly investigate the constraints that govern the development of the connectome by generating networks using different wiring rules[14,16,18–20]. Studies employing this approach have shown that slight manipulations in the trade-off between two key generative model terms - wiring cost and topological value - can reproduce real-world diversity in structural brain organisation, and account for differences in behavioural phenotypes[16,21,22]. However, we do not yet know which developmental factors, including social environmental conditions in early life, modulate the wiring economy and thus shape the trajectory of brain network development.

The quality of the early environment is a critical determinant of neurodevelopment[23]. Children who experience adversity or maltreatment show subtle differences in the organisation of their connectomes, including lower connectivity between modules and altered centrality of regions such as the amygdala[24,25]. Such neural differences may be conducive to navigating a hostile and unpredictable early environment, but may come at the expense of poorer cognition and mental health later in life[26]. Due to the methodological and ethical limits of human research, experimental studies in rodent models have proven invaluable for establishing the causal role of adversity in neural outcomes[27]. Recent work in mice has shown that early-life stress causes local changes in brain network organisation, including an increase in frontolimbic connectivity and decrease in efficiency of the amygdala, that drive a global increase in small-worldness and heightened anxiety-related behaviour[28,29]. The increasingly thorough demonstration of adversity-related differences in brain structure highlights a crucial mechanistic gap in our understanding: how does early adversity alter the development of network-level brain organisation?

In the current study we test whether early adversity alters the wiring economy of the
developing mouse connectome using a paradigm of unpredictable postnatal stress (UPS).
UPS pups are raised under conditions of limited bedding to mimic impoverishment and are
also exposed to unpredictable hour-long bouts of maternal separation and nest disruption
to model chaotic and complex adversity[28,30]. We reconstructed the structural connectomes
of 49 adult mice, half of which were exposed to UPS during the first four weeks of life[30].
Using generative network modelling, we computationally simulated realistic networks for
each animal and evaluated how well they replicated the observed connectomes. We then
tested for differences in the economic conditions of brain development by comparing the
generative model parameters that most closely replicated the connectomes of each group.
Finally, we explored the developmental implications of shifts in the wiring economy of the
brain.
154
155   **Results**

Empirical connectomes

At birth, N = 49 pups were randomly assigned to a control or UPS[30] condition (**Figure 1a**).
Mice were kept in rearing conditions until adolescence and sacrificed in adulthood, at which
point diffusion imaging was performed (see Methods). Using probabilistic tractography, we
reconstructed binary structural connectomes for each mouse. The connectomes showed no
differences between groups on gross measures of global topology, including on number of
edges ($p = 0.89$), number of long-distance connections ($p = 0.52$), maximum modularity ($p =$
0.72), global efficiency ($p = 0.71$), or small-worldness ($p = 0.47$) (see **Methods**;
Supplementary Table S1). Groups did not differ on the distributions of key local
characteristics, including node degree, clustering coefficient, betweenness centrality, edge
length, mean matching index, and nodal efficiency (all $p > 0.96$) (see **Methods**;
Supplementary Table S2).
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Generative modelling procedure

To simulate the formation of each connectome, we formalised a trade-off between two
competing factors: the wiring cost incurred by new connections and the topological value
they add to the network[16,21]. The cost term penalises long-distance connections, thereby
capturing the evolutionarily conserved drive to minimise the metabolic and material
expense of axonal projections[9,18]. The value term favours connections between regions that
share some topological property, such as a similar pattern of clustering or a large number of
existing connections[7,9,18].
177
178   The model simulates connectome formation by incrementally adding connections, one at a
179   time, from some initial conditions. At each step, it estimates the likelihood of potential new
180   structural connections using a simple probability equation[16,21]:
181
182 $$P_{i,j} \propto (D_{i,j})^{\eta} (K_{i,j})^{\gamma} \qquad (1)$$
183
where $P_{i,j}$ is the probability of forming a binary connection between any two previously
unconnected regions of the brain, i and j. The first term $D_{i,j}$ represents the wiring cost. As
the resources required by an axonal projection increase with its length[9], $D_{i,j}$ approximates
the cost of a connection using the Euclidean distance between the brain regions it would
connect. The term is scaled by a parameter η, which determines the strength of its

contribution to the overall wiring probability. To penalise longer distance connections, η is
negative.
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The second term $K_{i,j}$ represents the topological value of a connection and can take
numerous forms. Following previous work[16,21,22], we tested thirteen variations of K (known
as "generative rules"), each one quantifying a different topological relationship between the
two nodes i and j. The generative rules we considered fall in three categories: (i) homophily
models, which favour connections between nodes with similar connectivity
neighbourhoods; (ii) clustering-based models, which utilise the clustering coefficients of the
regions; and (ii) degree-based models, which utilise their node degree. $K_{i,j}$ is scaled by a
parameter γ, which is positive to favour connections with a higher topological value.
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Figure 1. Experimental design and generative modelling procedure. (a) *On postnatal day 0, N = 49*
pups were randomly assigned to a paradigm of unpredictable postnatal stress or standard rearing
conditions until postnatal day 26. After postnatal day 70, mice were sacrificed and ex-vivo diffusion
imaging was performed. Whole-brain probabilistic tractography was used to reconstruct the
*structural connectome of each animal. **(b)** An illustration of the generative process using a simplified*
connectome of ten nodes. Starting from a sparse seed network (t = 0), edges are added one at a time
until the simulation reaches the number of edges found in the observed connectome (t = e). The

matrix of wiring probabilities is updated at each step, allowing for dynamic shifts as the topology of
the network emerges. (c) By systematically varying generative rules and parameter combinations, it
is possible to identify the topological term K and the parameters η and γ that best simulate the
organisation of the observed connectome.

At every step of the generative process, the model multiplies the cost and value terms for
each pair of regions to produce a matrix of relative wiring probabilities, and probabilistically
chooses a "winning" edge to add to the simulation (**Figure 1b**). Given that every new
connection changes the topology of the network, and therefore also the $K_{i,j}$ term for some
possible connections, the model iteratively updates $P_{i,j}$ over time. In other words, the
model continually re-computes the probability of future connections.

Shifts in wiring probability can occur quite rapidly, especially whilst the connectome is
sparse[22]. For example, consider the network at step *t* = 0 in **Figure 1b**. Suppose it is growing
according to a generative rule that favours connections between regions with shared
neighbours. According to the probability function (Eq. 1), nodes 4 and 5 would be unlikely to
wire together at first, because they are relatively distant and share no neighbours. Instead,
at step *t* = 1, a connection forms between proximal nodes 5 and 6. However, this new
connection gives nodes 4 and 5 a shared neighbour and therefore increases the topological
value of forming a direct connection, which occurs at step *t* = 2, despite the greater distance
between them. Whilst wiring cost remains the same across development, the topological
value of connections, and therefore the overall wiring probability, is dynamic from one step
to the next. As the network grows, longer connections become increasingly likely as the
topological value added by new links outweighs the penalisation of wiring cost[31].

The generative process terminates when the synthetic network reaches the number of
edges of the connectome that the model is simulating. By varying the generative rule used
as the topological term $K_{i,j}$, and the η and γ parameters, it is possible to systematically
manipulate the conditions that govern the development of the synthetic network (**Figure
1c**). Identifying the rules and parameters that best simulate the real connectomes of
individuals can thus shed light on what may be guiding their structural
neurodevelopment[18,21,22].

Homophily-based simulations achieve best model fit
We first sought to identify the generative rule that most successfully reproduced the
structural connectomes of our sample of mice (N = 49). For each animal and generative rule,
we tested 160,000 parameter combinations evenly distributed throughout the space
defined by $-10 \leq \eta \leq 0$ and $0 \leq \gamma \leq 10$. Beginning with a sparse seed network of edges
shared across all animals (see **Methods**; **Supplementary Figure S1**), connections were added
according to the probability function (Eq. 1) until the synthetic network reached the number
of edges of the empirical connectome of that animal.

At the end of the generative process, we assessed how well each synthetic network fit the
connectome it was simulating using the following energy equation[21]:

$$E = \max(KS_k, KS_c, KS_b, KS_d) \qquad (2)$$

where the terms are the Kolmogorov-Smirnov (KS) statistics comparing the synthetic and
empirical distributions of node degree (k), clustering coefficient (c), betweenness centrality
(b), and edge length (d). These four measures are critical properties of networks that are
linked to stress exposure and psychiatric conditions[32,33] and have previously been used to
assess the similarity of empirical and economically simulated connectomes [21,22,34]. As the
energy is the maximum of the four statistics, a lower energy corresponds to better model
fit. In other words, Eq. 2 compares the organisation of each synthetic network to the
organisation of the biological connectome; if the networks are similarly organised, then the
energy will be low.
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To assess the performance of the models, we compared the lowest-energy simulation
produced by each rule. All generative rules outperformed a purely spatial model that
considered only wiring cost (**Figure 2a**; **Supplementary Table S3**). An ANOVA and post-hoc
Tukey test confirmed that models specifying homophily as the topological $K_{i,j}$ term
achieved lower energy than those utilising clustering (*diff* = -0.090, p = 1.97 x 10^{-12}) or
degree (*diff* = -0.020, p = 1.16 x 10^{-9}). Thus, generative models that trade-off the wiring cost
of a connection with a measure of neighbourhood similarity produce synthetic networks
whose global topological distributions closely resemble those of the observed connectomes.
As multiple models achieved low energy, the success of the top-performing models from
each category was examined further.
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Homophily best recapitulates the local properties of observed networks
The energy equation effectively assesses how closely the statistical distributions of nodal
characteristics of the synthetic networks resemble those of the empirical connectomes.
However, brain networks also exhibit local patterns of relationships between nodal
characteristics. For instance, nodes with high betweenness centrality tend to be lower in
clustering, given their position between modules[35].
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To address this, we characterised the local organisational properties of the empirical and
simulated networks using a method called the "topological fingerprint," which has recently
been developed for this purpose[31]. First, we selected the lowest-energy simulations
produced by each generative rule. We then calculated six common measures of nodal
topology, including degree, betweenness centrality, clustering coefficient, edge length, local
efficiency, and mean matching index. Next, we computed correlations between these
measures, calculated the sample average, and summarised the results in a 6-by-6 matrix.
These matrices are called topological fingerprints because they summarise the unique
patterns of local organisation found across a network.
293
Topological fingerprints (TF) for the empirical connectomes and the top-performing
generative models from each category can be found in **Figure 2b** (all other rules are shown
in **Supplementary Figure S2a**). A visual comparison of the topological fingerprints offers a
way of estimating how well the generative models replicate the local properties of the
connectomes. To formalise this assessment quantitatively, we also calculated the difference
in their topological fingerprints, (ΔTF) according to the following equation[31], which
implements the Euclidean norm:

301
$$\Delta TF_{i,j} = \sqrt{\sum_i \sum_j \left(TF_{empirical_{i,j}} - TF_{synthetic_{i,j}} \right)^2} \quad (3)$$

The homophily model achieved the lowest ΔTF, confirming the visual impression that its
topological fingerprint was most similar to that of the empirical connectomes (**Figure 2c**;
comparable results are shown for all other rules in **Supplementary Figure 2b**). In other
words, a model that balances the cost of an additional connection against the number of
shared neighbours produces networks with local patterns of organisation that closely
resemble those of the rodent connectome, even though local topology was not explicitly
optimised by the energy function.
309
310   ***Figure 2. Relative performance of generative network models in replicating the organisation of***
311   ***empirical connectomes. (a)*** *The energy of the top-performing synthetic networks for each animal (N*
312   *= 49) across thirteen generative rules: a purely spatial model, which considers only the distance*
313   *between two regions; two homophily models, which also consider a measure of the similarity of the*
314   *neighbourhoods of the respective regions; five clustering-based models, which compare the*

*clustering coefficients of the regions; and five degree-based models, which compare their node degree. White points indicate the sample mean. **(b)** The topological fingerprint is a correlation matrix of local network statistics, including node degree, clustering coefficient, betweenness centrality, total edge length, local efficiency, and mean matching index. Topological fingerprints are shown for the empirical networks and the best-performing rules across the three categories of generative models. Across all four matrices, the value of the correlation can be inferred from the colour bar, which spans -1 (purple) to 1 (green). Correlations shown are the sample average (N = 49). **(c)** Across the sample (N = 49), homophily achieves lowest ΔTF, a measure of the discrepancy in local patterns of connectivity between the simulations and empirical connectomes.*

Homophily replicates spatial layout of empirical networks

Given that the wiring of biological neural networks is shaped by their embedding in anatomical space[36], realistic synthetic connectomes should ideally exhibit a spatial layout akin to that of connectomes derived from tractography. To test this similarity, we first calculated the six characteristics of each node of the parcellation, averaged across the sample, then correlated the values between simulated and empirical connectomes[21,22]. As shown in **Figure 3**, all four measures included in the energy equation exhibited significant correlations: degree ($r = 0.360$, $p = 2.68 \times 10^{-5}$), clustering coefficient ($r = 0.346$, $p = 5.40 \times 10^{-5}$), betweenness centrality ($r = 0.530$, $p = 9.33 \times 10^{-11}$), and edge length ($r = 0.543$, $p = 2.52 \times 10^{-11}$). Correlations were also observed between synthetic and empirical nodes on local efficiency ($r = 0.420$, $p = 7.01 \times 10^{-7}$) and mean matching index ($r = 0.334$, $p = 1.02 \times 10^{-4}$), confirming that the simulations replicated the spatial layout of nodal features that were not used to optimise model parameterisation.

Figure 3. Simulated networks replicate spatial layout of empirical connectomes. Each point in the scatterplots represents the nodal measure for one of the 130 regions of the parcellation, taken as the average value across animals (N = 49). For each of the six measures, a significant positive correlation exists between the nodes of synthetic and empirical networks. A cumulative density function of the measure is also displayed, as well as a visualisation of the mouse brain in which the five regions with the lowest and highest error (i.e., discrepancy between synthetic and empirical networks) are highlighted in green and red respectively. Four of the statistics ((a) node degree, (b) clustering coefficient, (c) betweenness centrality, and (d) total edge length) are terms of the energy equation used to assess the fit of the synthetic networks, while the remaining statistics ((e) local efficiency and (f) mean matching index) are not.

We also assessed discrepancies between the simulated and observed connectomes in the layout of these local characteristics. At each node, we computed a measure of spatial error

by subtracting the average value of each characteristic in the synthetic networks from its
average value in the empirical connectomes[22]. Thus, a lower spatial error indicates more
similarity between the local topology of a particular region in the simulations and in the
observed connectomes. While overall spatial error was distributed throughout the brain
(**Supplementary Table S4**), a significant correlation was observed between spatial error and
node degree in the seed network ($r = 0.436$, $p = 2.221 \times 10^{-7}$) (**Supplementary Table S5**). This
indicates that generative models may benefit from instructions as to where to begin adding
connections if they are to best replicate the spatial patterning of network characteristics.
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Early adversity attenuates wiring constraints in optimal simulations
Across all generative models, the homophily model implementing the neighbour rule
exhibited the smallest coefficient of variation in the γ parameter and second smallest in the
η parameter (**Supplementary Table S3**). Thus while this rule was best able to account for
variations in topology across animals, it did so through minute adjustments in the weighting
of its cost and value terms, likely indicative of the highly regulated nature of connectomic
organisation (**Figure 4a**). To obtain maximally precise parameters for each animal, we
therefore performed a second search of 40,000 parameter combinations in a narrow space
centred at the apparent minimum of the energy landscape: $-3.75 \leq \eta \leq -1.75$ and $0.2 \leq$
$\gamma \leq 0.6$.
400
401   The parameters producing the lowest-energy networks for each animal are shown in **Figure**
402   **4b**. The cost and value parameters were moderately correlated ($r = -0.574$, $p = 1.65 \times 10^{-5}$),
403   placing the simulations on an axis from the origin of the parameter space ($\eta = 0$, $\gamma = 0$).
404   This indicates that simulations with a more severe penalty on long-distance connections
405   usually had stronger preference for connections between regions with shared neighbours.
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Figure 4. Adversity attenuates optimal generative modelling parameters. (a) In the first run of the
homophily model, 160,000 unique combinations of cost parameter η and value parameter γ were
tested. The energy surface shown is the sample average (N = 49). (b) Optimal values of η and γ
produce the lowest-energy synthetic networks. Values were obtained by testing an additional 40,000
parameter combinations in a narrow low-energy window of the initial grid search, highlighted with a
black rectangle in (a). Each data point in the scatterplot represents a single animal. Density plots
above and to the right highlight differences between UPS and control conditions. Optimal
parameters tend to fall closer to the origin for animals in the UPS condition (ANOVA $F_{1,47} = 5.700$, $p =$
0.021).

Along this axis, animals in the UPS condition tended to fall closer to the origin; we confirmed
this observation by comparing the length of a vector from the origin to each point between
groups (UPS M = 2.63, SD = 0.213, Control M 2.79, SD = 0.210; ANOVA $F_{1,47}$ = 5.700, p =
0.021). The simulations for animals in the UPS condition were therefore subject to weaker
constraints on the formation of connections. One possible confound here is that the models
may simply perform better for one group than the other, but this was not the case: no
difference in model energy was observed (UPS M = 0.101, SD = 0.015, Control M = 0.105, SD
= 0.010; ANOVA $F_{1,47}$ = 0.719, p = 0.401).
424
But what is the nature of this group difference in parameters? One possibility is that either
or both parameters drive the change in a relatively independent manner. Alternatively, it
could reflect a single underlying shift in wiring constraints that incorporates both
parameters. We distinguished these alternatives using a partial least squares discriminant
analysis (see **Methods**). This formally tests for the presence of underlying factors that
explain the group difference in parameter combinations. There was a significant correlation
between the group affiliation and the first latent variable (r = 0.36, $p_{permuted}$ = 0.011) but not
the second latent variable ($p_{permuted}$ = 0.898). Both parameters of the generative model (η
coefficient = -1.5549, 95% CI = [-1.8929 -1.2969]; γ coefficient = 0.1229, 95% CI = [0.0684
and 0.1858]) loaded significantly onto this component. There was no between-group
difference in scores on the component (KS $D_{1,47}$ = 0.308, p = 0.159). Thus, it seems that the
observed group difference in location in the parameter space reflects a change that
incorporates both wiring parameters, rather than reflecting one or two independent effects.
438
Shift in wiring economy induces greater stochasticity
Simulations closer to the origin of the parameter space have greater stochasticity or
randomness in the generative process[31]. To understand why this is the case, imagine that
the edges in the wiring probability matrix are competing with one another. When the cost
penalty and topological preferences are strong, fewer edges have high probabilities of
wiring and the preferred winner is clear. But when constraints are weaker, more edges
qualify as good contenders, giving the probabilistic nature of the process a greater role in
the gradual organisation of the network.
447
Simulations for the UPS condition showed a flatter distribution with a greater dispersion of
values in the probability matrix compared to the control condition (**Figure 5a;** KS $D_{1,47}$ =
0.055, p = 2.20 x 10^{-16}), corresponding to more potential connections with higher
probabilities of wiring and therefore heightened stochasticity. Variance among wiring
probabilities rose over the course of the development of each simulation, particularly in the
UPS condition, indicating that this increase in stochasticity was more pronounced later in
the generative process (**Figure 5b**). At the end of the generative process, the simulations for
mice in the UPS condition exhibited a distribution of node degree that was closer to normal
(kurtosis: KS $D_{1,47}$ = 0.475, p = 0.005), indicating that the shift in wiring probabilities subtly
randomized network topology.

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Figure 5. Weaker wiring constraints heighten stochasticity of network development. (a)
Distributions of wiring probabilities ($P_{i,j}$) within the probability matrix, taken as the group averages
across all steps of optimal simulations. The UPS condition shows a flatter distribution with greater
*dispersion, corresponding to more connections with higher wiring probabilities. **(b)** Variance among*
values in the probability matrix ($P_{i,j}$) corresponds to the dispersion of likelihoods of potential future
connections. Wiring probability variance rises as simulations develop, especially in the UPS condition,
*indicating that model stochasticity was more pronounced later in the process. **(c)** To assess the effect*
of systematically manipulating wiring constraints, simulations were run at 10% increments from the
optimal values for each animal to zero. This resulted in the 490 parameter combinations plotted in
*this space. **(d)** Distributions of wiring probabilities ($P_{i,j}$) within the probability matrix, taken as the*
average across all steps, at each parameter interval. Wiring probabilities for simulations with weaker
*parameters approach a normal distribution. **(e)** Topological dissimilarity (ΔTF; see Methods) was*
averaged across 1000 randomly wired networks. The organisation of simulated networks gradually
resembles random topology as parameters approach zero. The same trend is observed when
*comparing the UPS condition to the control condition, both for **(f)** optimal generative models and **(g)***
biological connectomes derived through tractography.
475

476 To explore the relationship between model stochasticity and parameters more
477 systematically, we produced simulations using incrementally smaller values of η and γ.
478 Specifically, we ran generative models at 10% increments from the optimal parameters for
479 each animal, at each stage moving towards the origin of the parameter space (**Figure 5a**).
480
As the parameters neared $\eta = 0$ and $\gamma = 0$, the distribution of values within the wiring
probability matrices ($P_{i,j}$) exhibited greater dispersion (**Figure 4b**). This corresponds to a
greater number of connections with high probability of wiring over the course of the
generative process. Simulations with smaller wiring parameters had a more random
topology (**Figure 5f**), as measured by the average ΔTF to 1000 randomly wired networks.
We found the same trend toward random network topology in the UPS group, both in the
optimal simulations (**Figure 5d;** UPS M = 1.18, SD = 0.214, Control M = 1.27, SD = 0.214,
ANOVA $F_{1,47}$ = 2.158, p = 0.148) and the biological connectomes (**Figure 5e;** UPS M = 0.915,
SD = 0. 125, Control M = 0.973, SD = 0.126, ANOVA $F_{1,47}$ = 2.647, p = 0.110). Though subtle,
this trend is in line with the principle that weaker wiring constraints heighten stochasticity in
the formation of structural connections, thereby leading to more random brain network
topology.
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Discussion

We explored the effects of early adversity on the development of the structural
connectome. We deployed generative network modelling in a mouse model of
unpredictable postnatal stress (UPS) to test whether adversity alters the economic trade-off
that governs structural brain development. The parameters that best simulated the rodent
connectomes were closer to zero for the mice exposed to UPS, resulting in greater
variability in wiring probabilities and therefore stochasticity in the generative process. Thus,
exposure to a chaotic and unpredictable environment appears to attenuate the constraints
governing brain development such that the formation of structural connections is subject to
weaker control. These results point to a crucial intermediate level of explanation for the
developmental impact of early adversity.
505
Replicating prior work in generative network modelling, models with a topological term
outperformed that based purely on distance[16,21,22,34], and models implementing the
principle of homophily produced the most realistic structural connectomes[16,21,22,34]. These
findings accord well with previous research on the development of the mouse brain; wiring
cost alone is not sufficient to recapitulate the complex topology of its macroscopic
structural networks[17]. In our study, the neighbour rule – which favours connections
between regions with a greater number of shared neighbours – produced networks that
possessed not only similar statistical distributions of nodal characteristics, but also their
local organisation and spatial layout. Importantly, this organisation was not hard-coded into
the algorithm but emerged from the trade-off between cost and value over the course of
the generative process. Our study is the first to implement the two-parameter generative
model in rodents and replicate the comparative success of homophily in this species. One
potential explanation for its success may be that it captures macroscopic dynamics of
Hebbian learning: as regions with similar neighbourhoods are likely to experience
comparable patterns of stimulation, mechanisms of activity-dependent plasticity would
favour their consolidation into a structural network[37,38].
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The parameters that produced the best-fitting synthetic networks differed between mice
according to their exposure to early adversity. Specifically, simulations for mice in the UPS
condition were subject to a more moderate penalty on long-distance connections and a
weaker preference for connections between regions with shared neighbours. The negative
correlation between model parameters, in line with previously findings[22,34] (but see also[21]),
indicates that individuals negotiate the wiring economy of the brain by co-varying the two
constraints. However, it is still possible that a single parameter accounts for the observed
group difference. Using a partial least-squares discriminant analysis, we confirmed that a
single latent factor that incorporates both the cost penalty and value term best explains the
relationship between model parameters and group affiliation. As evolutionary pressures
have favoured heightened phenotypic plasticity in harsh, unpredictable environments, even
when this is energetically costly[39,40], the brain may respond to early unpredictable stress by
attenuating overall constraints on the formation of new structural connections. This finding
is particularly important because existing measures of global organisation of brain structure
do not have the granularity to detect the effects of early adversity. In other words, it
appears that a generative modelling approach can capture complex and subtle outcomes of
adversity by reducing many measures of neural organisation to a single latent factor,
namely, the wiring economy of the brain.
541
As lower-magnitude wiring parameters correspond to heightened model stochasticity, early
adversity appears to favour more random formation of structural connections. Given that
UPS mice show impaired fear learning[28] and weaker wiring constraints are associated with
poorer cognitive abilities in children[22], our results might therefore offer a mechanistic
account for the previous finding that growing up in an unpredictable environment can
hamper cognitive development[41]. However, greater stochasticity in network development
may also reflect an advantageous process of adaptation, as individuals exposed to early
adversity tend to show skills and abilities that are conducive to successfully navigating
stressful contexts[39]. Across scales, the probabilistic development of neural tissue harnesses
stochastic and noisy processes to build circuits that are robust to perturbation[42]. In an
adverse or unpredictable environment, heightened stochasticity in the development of the
structural connectome could be adaptive if it enables the nervous system to respond more
effectively to future challenges in hostile environments[40]. This proposal is consistent with a
recent finding that the connectomes of children with cognitive difficulties are more robust
to random attacks on networks hubs[10].
557
It is important to note that, while we have verified that the organisation of the synthetic
networks replicates that of the empirical connectomes, they remain simulations. As such,
our generative models do not provide conclusive evidence of longitudinal differences in
neural development[18]. Future work could increase the biological complexity of the
simulations in a few key ways. First, as the binarization of the connectomes is a gross
simplification, a generative modelling strategy that produces weighted networks would be a
welcome next step. Second, as structural neurodevelopment entails not just the formation
of connections but their pruning, consolidation, and myelination[43], models may benefit from
varying rules and parameters across space and time. Additionally, models could incorporate
other facts known to shape the emergence of connectivity, such as the functional identity or
morphology of regions[44,45]. As UPS can have sex-specific effects on brain structure[28], future
work should test for sex differences in the wiring economy of the brain. Finally, comparing

the effects of UPS to a simpler paradigm that consists only of limited bedding could reveal
whether unpredictability or impoverishment is responsible for the observed shift in wiring
constraints.
573
574 In conclusion, we found that unpredictable postnatal stress changes the economic
575 conditions that govern the formation of macroscopic structural connections in the brain.
576 Our results offer a promising and mathematically specified path toward understanding how
577 early life adversity contributes to diversity in structural brain network organisation.
578
579   **Methods**
Animals
Thirty female BALB/cByj mice were housed in breeding cages with standard bedding, and
subsequently transferred to maternity cages once visibly pregnant. On postnatal day zero
(P0), litters were culled to five to eight pups and randomly assigned to dams to mitigate the
effects of genetics and litter size. Of 49 total pups, 25 (13 male and 12 female) were
assigned to a control group, whilst 24 (12 male and 12 female) were assigned to an
unpredictable early-life stress (UPS) condition. Mice in the control group were raised with
standard bedding and nesting material. Mice in the UPS group received 25% of the standard
amount of bedding material, no nesting material, and were separated from their dam for
one hour on P14, P16, P17, P21, P22, and P25. Additional details about the paradigm are
available elsewhere[30]. After weaning on P26, all mice were group housed with standard
bedding and no nesting material. All experiments received the approval of the Institutional
Animal Care and Use Committee (IACUC) at Yale University and were conducted in
accordance with the NIH Guide for the Care and the Use of Laboratory Animals.
594
Tissue and imaging acquisition
Tissue was collected from the mice in adulthood (> P70) after the conclusion of behavioural
testing unrelated to this analysis. Mice were anesthetized with chloral hydrate (100 mg/kg)
and, once unresponsive, transcardially perfused using cold PBS/heparin (50 units/ml)
solution followed by 10% formalin (polyScience). The mice were decapitated, and intact
skulls were immersed in 10% formalin at 4˚C for 24 hours, transferred to sterile 1 X PBS (pH
7.4), and kept at 4˚C until imaging acquisition.
602
Magnetic resonance images were acquired at imaging facility of New York University using a
7-Tesla scanner equipped with a cryogenic probe for enhanced signal-to-noise[46]. A modified
3D-GRASE sequence was used with an echo time (TE) of 33 ms, repetition time (TR) of 400
ms, 100 µm isotropic resolution, two non-diffusion-weighted (b0) images and 60 images
acquired at unique gradient directions with b= 5000/mm^2 [47]. Additional acquisition details
are available in a protocol paper[48].
609
610 Images were corrected for noise and Gibbs ringing artefacts using MRtrix3[49–51],
611 displacement and eddy currents using FSL[52], and field bias using the N4 algorithm provided
612 in Advanced Normalization Tools (ANTs)[53].
613
Connectome construction and comparisons
For each subject, a map of brain connectivity was reconstructed using probabilistic
tractography. First, unsupervised estimation of tissue-specific response functions was

conducted using the Dhollander algorithm[54]. The fibre orientation distribution was then
estimated using multi-shell multi-tissue constrained spherical deconvolution (MSMT CSD)[55].
Probabilistic streamline fibre tracking with second-order integration (iFOD2)[56] was
performed with whole-brain seeding until ten million streamlines were reached. Fibre
tracking parameters were optimized for ex-vivo rodent tissue (step size 50 μm, curvature
threshold 45°, FA threshold 0.1, minimum fibre length 0.5 mm)[57,58].

A structural connectome was then built from each tractogram using a parcellation
previously adapted from the Allen Mouse Brain Atlas (AMBA) and Allen Developing Mouse
Brain Atlas (ADMBA) by Rubinov and colleagues[17]. The bilaterally symmetric parcellation
consists of 41 cortical and 24 extracortical regions per hemisphere, for a total of 130
regions. Using ANTs[59], each subject image was first registered to the AMBA template space
using affine and diffeomorphic transformations, then the inverse transformation was used
to project the parcellation into subject space. The number of streamlines connecting each
pair of regions were counted and transformed into connectivity matrices, which were
symmetrized. Self-connections were removed. To eliminate spurious connections and
highlight topological variation across subjects[60], we applied a weight-based threshold of
6100 streamlines to achieve a sparse connectome density (M = 3.52%, SD = 0.13%).
Thresholded connectomes were then binarized.

Connectomes were compared on five measures of global topology: (1) number of edges; (2)
total edge length, approximated using the sum of the Euclidean distances between
connected regions; (3) number of long-distance edges, defined as connections that are
more than two standard deviations above the mean connection length across the sample;
(4) global efficiency, calculated as the average inverse shortest path length of the network[8];
(5) small-worldness, defined as the ratio of clustering to shortest path length compared to
its random network equivalent[61], which we obtained by averaging across an ensemble of
500 networks that were randomized whilst preserving the degree distribution.

Wherever group differences were assessed, a Shapiro test was first applied to test the
normality of the distributions; normal distributions were compared using ANOVA, while
others were compared using a KS test.

Generative network modelling procedure
Synthetic networks were produced for each subject through a generative modelling
procedure[16,21]. First, a seed network was constructed by identifying edges shared by all mice
and selecting the strongest N = 28 so that, in line with previous work[21,22], the seed would
comprise about 10% of the final network density. The use of a seed network ensures
parsimony, which is particularly important given the similarity of the rodent connectomes;
see **Supplementary Figure S1** for additional details on seed network construction. A single
edge at a time was then added to the seed network according to the following probability
equation[16]:

$$P_{i,j} \propto (D_{i,j})^{\eta}(K_{i,j})^{\gamma} \ (1)$$

662 The first term $D_{i,j}$ quantifies the distance between nodes i and j, calculated as the Euclidean
663 distance between the centroids of each brain region in the parcellation. The parameter η

664   determines the direction and strength of the contribution of distance to wiring probability
665   (i.e., a negative value penalizes long edges while a positive value favours long edges, and a
666   large value would produce a stronger effect than a small value).
667
668   The second term $K_{i,j}$ quantifies the topological similarity of nodes i and j as specified by
669   each generative rule, and the parameter γ determines the direction and strength of its
670   contribution to wiring probability. As each added edge changes the topological similarity of
671   certain nodes, $K_{i,j}$ and $P_{i,j}$ are continually updated at every step of the generative process.
672   If an edge is added between nodes i and j, $P_{i,j}$ is set to zero.
673
674   **Evaluation of generative models**
675   *Model energy*
676   The generative process was terminated when the number of edges of the synthetic network
677   matched that of the empirical network. The fit of each synthetic network was assessed
678   according to the following energy equation[21]:
679
680
$$E = \max(KS_k, KS_c, KS_b, KS_d) \ (2)$$
681
The equation consists of the Kolmogorov-Smirnov (KS) statistics comparing the synthetic
and empirical networks on distributions of node degree (k), clustering coefficients (c),
betweenness centrality (b), and edge length (d). Thus, a synthetic network that closely
resembled the empirical connectome in all four distributions would have a low energy,
while a network that greatly differed from the empirical connectome on any one of the four
would have a high energy.
688
In addition to a purely spatial model, which did not include a topological term, we assessed
three categories of generative models: two homophily models (number of common
neighbours and the matching index); five clustering-based models (the average, minimum,
maximum, difference in, and product of clustering coefficients); and five degree-based
models (the average, minimum, maximum, difference in, and product of node degrees)[21].
Each model was computed using the Brain Connectivity Toolbox
(https://sites.google.com/site/bctnet/Home) in MATLAB.
696
697   To find the optimal parameters for each model, we performed a grid search in the space
698   defined by $-10 \leq \eta \leq 0$ and $0 \leq \gamma \leq 10$. This approach was used to assess variability in
699   model energies across the parameter space. A total of 160,000 parameter combinations
700   were tested per subject and model, corresponding to 40,000 unique values of both η and γ.
701
Model topological fingerprints
To test the ability of generative models to replicate local hallmarks of empirical connectivity,
we calculated the topological fingerprint matrices of both empirical and synthetic networks.
TF matrices are a recently developed measure that consist of n-by-n correlation matrices of
n local network statistics[31]. We included six common measures of topology in our TF
matrices: node degree, betweenness centrality, clustering coefficient, edge length, local
efficiency, and matching index. Each measure was calculated for all 130 nodes, then the
Pearson correlation between each pair of measures was calculated and the correlations
were averaged across subjects. A visual comparison of the synthetic and empirical TF

matrices provides a heuristic for assessing the similarity of the correlational structure of
their topology, and thereby evaluating the generative models' ability to replicate the
organisation of empirical networks. To quantify this formally, we calculated the difference in
their TF matrices according to the following equation[31]:

716
$$\Delta TF_{i,j} = \sqrt{\sum_i \sum_j \left(TF_{empirical_{i,j}} - TF_{synthetic_{i,j}} \right)^2} \quad (3)$$

Here, ΔTF is calculated as the Euclidean norm of the difference between empirical and
synthetic *TF* matrices. We used ΔTF to compare the generative rules from each category
(i.e., spatial, homophily, clustering and degree) that produced the lowest-energy networks.
The generative rule that obtained the lowest ΔTF was used in all subsequent analyses. To
obtain accurate estimates of the optimal parameters for each subject, a second grid search
of an additional 40,000 parameter combinations was performed in a much smaller
parameter space defined by $-3.75 \leq \eta \leq -1.75$ and $0.2 \leq \gamma \leq 0.6$.

Modal spatial layout
The spatial layout of the six nodal measures was also assessed[22]. Four of these measures
(node degree, betweenness centrality, clustering coefficient, and edge length) are included
in the energy equation while two (local efficiency and matching index) are not. For each
measure, the value at each node was averaged across the synthetic networks of all 49
subjects, resulting in a single 130-by-1 vector. The same procedure was performed on the
empirical connectomes. Linear correlations between synthetic and empirical vectors were
then calculated. At each node, the spatial error (or discrepancy) of each measure was
calculated by subtracting its average value in the synthetic networks from its average value
in the empirical connectomes[22]. Thus, a lower spatial error indicates more similarity
between the local topology of a particular region in the simulations and in the observed
connectomes. An absolute error was calculated as the sum of the Z-scores of all six
generative errors.

Group comparisons on generative modelling parameters
A partial least squares (PLS) discriminant analysis[62] was run to test whether the optimal
model parameters (i.e. the values of η and γ producing the lowest-energy simulations)
reflected of a single latent factor. The correlation between each predictor component and
the primary response component was calculated, and their significance was assessed by
permuting the group membership of the mice 100,000 times. For the loading of each
parameter onto the PLS components, 95% confidence intervals were calculated by
generating 100,000 bootstrapped samples of 49 subjects and re-computing the loadings.

The distance of each mouse from the origin of the parameter space (i.e. $\eta = 0$ and $\gamma = 0$)
was then calculated and compared between groups using ANOVA.

Exploration of model stochasticity
To explore the implications of a shift in model parameters, the composition of the wiring
probability matrices ($P_{i,j}$) was also compared between groups[31]. This was achieved by
testing for differences in the distribution of probability values in the wiring matrix, taken as

the average across all steps of the lowest-energy simulations. To examine whether the
dispersion among probability values emerges over the course of the generative process, we
calculated the variance among wiring probabilities across developmental time.
759
To explore the effects of attenuated model parameters more systematically, additional
simulations were run scaling η and γ toward zero (i.e. running models at 90%, 80%, 70%,
60%, 50%, 40%, 30%, 20%, 10%, and 0% of the optimal parameters). The distribution of
values found in the wiring probability matrices ($P_{i,j}$) of these simulations was measured and
plotted. To evaluate the randomness of simulation topology, the final networks for each of
these simulations were compared to 1000 randomly wired networks using the ΔTF measure
described above. The same comparison was conducted using the optimal simulations for
each mouse, and the biological connectomes derived through tractography.
768

Open access statement
Generative network modelling and analyses of synthetic networks were conducted in
MATLAB, and visualisations were produced using RStudio for R. All code is available on the
Open Science Framework (OSF) at osf.io/evgw5. Imaging data are available upon request to
the authors. Structural connectivity matrices for each animal can be found on the OSF at
osf.io/evgw5. For the purpose of open access, the author has applied a Creative Commons
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777

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786

Author contributions
SC, JH, DA, and DEA conceived the analysis. AP and AK carried out the paradigm and TMA
and JZ collected the imaging data. SC processed the imaging data, constructed the
connectomes, executed the models, and analysed the results under the supervision of JH
and DEA. SC drafted the manuscript and JH, EB, PEV, AK, DA, and DEA provided critical edits.
All authors reviewed and approved the manuscript.

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990 **Table S1. Comparisons of the global topology of the empirical connectomes.** See Methods
991 for details on the computation of the connectomic measures.
992

Measure	UPS M (SD)	Control M (SD)	Test statistic*	p
Edge count	296.875 (10.250)	297.320 (11.943)	$F_{1,47} = 0.02$	0.89
Long-distance connections	20.583 (6.199)	19.360 (6.945)	$D_{1,47} = 0.42$	0.52
Maximum modularity	0.591 (0.025)	0.589 (0.022)	$F_{1,47} = 0.13$	0.72
System segregation	0.593 (0.177)	0.496 (0.403)	$D_{1,47} = 0.26$	0.32
Global efficiency	0.240 (0.015)	0.240 (0.013)	$D_{1,47} = 0.19$	0.71
Small-worldness	4.200 (0.395)	4.112 (0.445)	$F_{1,47} = 0.54$	0.47

* A Shapiro test was applied to test the normality of the distributions. Normal
distributions were compared using ANOVA, while others were compared using a KS test.
Note. "UPS" = unpredictable postnatal stress.

1021   **Table S2. Comparisons of the local topology of the empirical connectomes.** Distributions of
1022   local characteristics, taken as the group average for each node, were compared between
1023   UPS and control conditions using Kolmogorov-Smirnov (KS) tests. See Methods for details on
1024   the computation of the connectomic measures.
1025

Measure	UPS M (SD)	Control M (SD)	D statistic	p
Node degree	1.292 (0.859)	1.200 (0.913)	0.046	1.00
Betweenness centrality	2.476 (4.959)	1.204 (4.670)	0.054	0.99
Clustering coefficient	0.236 (0.423)	0.320 (0.456)	0.062	0.96
Edge length	29.743 (19.116)	28.159 (21.694)	0.039	1.00
Mean matching index	0.022 (0.017)	0.019 (0.016)	0.062	0.96
Nodal efficiency	0.243 (0.431)	0.327 (0.463)	0.062	0.96

Note. "UPS" = unpredictable postnatal stress.

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Figure S1. Seed network used for generative modelling. (a) An adjacency matrix of the 130
regions of the parcellation. The colour indicates the proportion of the sample whose
connectomes contain each connection, ranging from 0 (blue) to 1 (green). **(b)** The sample
mean of the weight of connections shared by all empirical connectomes. **(c)** A schematic
representation of the seed network (green) superimposed over a representative empirical
connectome (grey).

Table S3. Energy, optimal parameters, and topological dissimilarity for each generative
rule. Lowest-energy networks for each animal (N = 49) were obtained by comparing 160,000
combinations of parameters in the space defined by $-10 \leq \eta \leq 0$ and $0 \leq \gamma \leq 10$.
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Generative Model	Energy		Eta (η)		Gamma (γ)	
	Mean	CV	Mean	CV	Mean	CV
Spatial	0.309	6.848	-4.185	-12.314	5.120	52.631
Neighbour	0.103	12.562	-2.667	-9.817	0.360	8.488
Match	0.110	11.276	-2.624	-9.842	0.402	11.236
C-Avg	0.170	11.972	-7.301	-13.144	2.361	34.19
C-Min	0.214	8.094	-5.586	-22.763	0.546	22.261
C-Max	0.178	12.184	-8.36	-15.669	4.946	52.494
C-Diff	0.207	10.056	-6.166	-8.732	0.880	24.858
C-Prod	0.215	8.176	-5.686	-14.933	0.569	15.848
D-Avg	0.098	9.357	-4.787	-13.923	2.596	12.808
D-Min	0.157	9.426	-5.116	-11.233	0.435	13.393
D-Max	0.092	8.806	-4.968	-15.855	2.732	15.693
D-Diff	0.132	10.305	-5.514	-25.623	2.507	21.68
D-Prod	0.155	8.889	-5.000	-11.119	0.379	14.452

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1040 *Note.* "ΔTF" = topological fingerprint dissimilarity, *:* "Neighbour" = Number of Shared
1041 Neighbours, "Match" = Matching Index, "C-Avg" = Average Clustering, "C-Min" = Minimum
1042 Clustering, "C-Max" = Maximum Clustering, "C-Diff" = Difference in Clustering, "C-Prod" =
1043 Product of Clustering, "D-Avg" = Average Degree, "D-Min" = Minimum Degree, "D-Max" =
1044 Maximum Degree, "D-Diff" = Difference in Degree, "D-Prod" = Product of Degree.

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Figure S2. **Topological fingerprint matrices and topological dissimilarity for all generative**
models. (a) The topological fingerprint is a correlation matrix of local network statistics,
including node degree, clustering coefficient, betweenness centrality, total edge length,
local efficiency and matching index. Across all matrices, the value of the correlation can be
inferred from the colour bar, which spans -1 (lilac) to 1 (spring green). Correlations shown
are the sample average (N = 49). For ease of visualisation, the measures are arranged
according to the hierarchical clustering of measures in the empirical networks. **(c)** The
neighbour model achieves lowest ΔTF, a measure of discrepancy between synthetic and
empirical patterns of connectivity. White points indicate the sample mean (N = 49). *Note:*
"Neighbour" = Number of Shared Neighbours, "Match" = Matching Index, "C-Avg" = Average
Clustering Coefficient, "C-Min" = Minimum Clustering Coefficient, "C-Max" = Maximum
Clustering Coefficient, "C-Diff" = Difference in Clustering Coefficient, "C-Prod" = Product of
Clustering Coefficient, "D-Avg" = Average Degree, "D-Min" = Minimum Degree, "D-Max" =
Maximum Degree, "D-Diff" = Difference in Degree, "D-Prod" = Product of Degree.
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1061 **Table S4. Error across topological measures and nodes**. For each measure, the error
1062 quantifies the discrepancy observed between synthetic and empirical networks, while the
1063 absolute error is calculated as the sum of the Z-scores of all six errors. For details about each
1064 region, see [1].
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Node	Degree Error	Clustering Error	Betweenness Error	Edge Length Error	Efficiency Error	Matching Index Error	Absolute Error
L-AMd	-0.22	0.14	-37.18	-3.42	0.12	0.01	1.42
L-SSp-m2/3	-0.53	0.24	25.21	-2.46	0.22	0.01	2.13
L-AUDd6a	-8.98	-0.44	-290.73	-158.46	-0.59	-0.05	12.88
L-SSp-n4	1.02	0.48	-95.17	15.35	0.54	0.03	5.88
L-ml	-3.63	-0.34	-64.12	-73.31	-0.41	-0.03	7.08
L-AOBmi	-1.92	0.06	69.14	-43.88	0.01	-0.02	2.67
L-TEa1	-1.82	-0.22	25.6	-28.2	-0.28	-0.01	3.66
L-COApm1-3	5.88	0.14	534.87	114.14	0.24	0.05	8.59
L-PVHpml	4.31	-0.2	811.1	48.52	-0.23	0.01	6.08
L-CUL4gr	5.55	-0.18	794.87	89.17	-0.08	0.03	7.63
L-oct	-2.37	0.11	-273.33	-46.5	0.04	0	3.16
L-VM	1.82	0.17	102.94	40.52	0.23	0.04	4.52
L-FLmo	-1.02	-0.16	-91.14	-29.43	-0.17	0	2.83
L-VISal6a	-1.04	-0.08	-66.69	-26.06	-0.1	0	2.18
L-SCdw	-1.02	-0.11	-58.99	-15.86	-0.13	0.01	1.8
L-RSPagl6a	-1.9	-0.21	-71.33	-31.42	-0.23	-0.01	3.95
L-TR2	3.16	0.01	508.69	39.5	0.01	0	3.17
L-FLgr	0.37	0.22	-52.4	-7.48	0.21	0.03	2.96
L-MPT	-1.86	0.07	-80.9	-41.92	0.07	0.01	2.19
L-DR	0.29	0.2	-29.77	5.42	0.19	0.02	2.6
L-AHNp	-6.35	0.08	-171.14	-120.83	-0.01	-0.04	7.16
L-lotd	-2.45	-0.2	-69.24	-50.25	-0.25	-0.02	4.8
L-EPd	-0.47	0.11	-141.54	2.34	0.1	0.02	2.09
L-MPNm	-2.41	-0.29	-59.58	-45.5	-0.34	-0.02	5.32
L-INC	-1.39	0.15	-278.04	-40.17	0.16	0.02	3.76
L-ECT6a	-3.94	-0.26	73.67	-79.93	-0.34	-0.03	6.54
L-CENT3gr	2.84	0.12	-39.92	58.21	0.22	0.04	4.93
L-cbt	-1.78	-0.2	-102.34	-23.13	-0.23	0	3.3
L-ORB1	-10.43	-0.56	-257.05	-128.4	-0.72	-0.07	14.55
L-AHNa	6.22	-0.1	443.37	20.88	-0.04	0.02	4.28
L-HPF	-1.51	0.18	-161.84	-19.69	0.2	0.01	2.79
L-VAL	-0.96	0.1	-78.24	-30.29	0.06	0.01	2.12
L-COAa	6.1	-0.18	432.69	74.68	-0.08	0.03	6.29
L-PARN	-6.63	-0.43	-265.15	-88.95	-0.54	-0.04	10.08
L-NOD	-2.76	0.28	-272.64	-55.55	0.21	-0.01	5.25
L-RSPd	-0.47	-0.29	319.89	-44.03	-0.36	-0.02	5.41
L-arb	-1.27	-0.15	-102.79	-17.8	-0.19	-0.01	2.88
L-IV	-1.39	0.24	-76.28	-22.73	0.2	0	2.98
L-AUDv	-1.96	-0.09	-113.77	-26.3	-0.13	-0.01	2.81
L-TTd1-4	-3.82	-0.49	-138.03	-11.91	-0.53	-0.03	7.21

L-KF	-0.98	0.24	-84.92	-13.53	0.22	0	2.8
L-DORpm	0.53	0.03	-38.73	4.92	0.01	0	0.76
L-lab	1.53	-0.02	-9.48	21.55	-0.04	0.01	1.49
L-ptf	-4.16	-0.16	-206.16	-49.74	-0.25	-0.03	5.87
L-ttp	0.51	-0.03	174.81	-6.98	-0.07	0.01	1.12
L-grv of CBX	-0.98	0.44	-233.56	-10.88	0.42	0.01	4.78
L-VISpl6a	3.47	0.11	-116.26	33.41	0.22	0.03	4.3
L-SSp-un	1.86	0.3	69.48	22.8	0.36	0.04	4.92
L-PBme	7.71	0.05	430.47	27.26	0.19	0.03	5.84
L-MH	0.9	0.15	-53.74	-1.25	0.16	0.01	1.85
L-IXn	-1.39	0.38	-240.49	-30.09	0.35	0.02	5.07
L-VISpm4	3.57	0.22	-10.2	6.38	0.34	0.04	4.71
L-cbp	4.08	-0.02	-2.32	-2.05	0.09	0.03	2.68
L-GU1	6.22	-0.17	1230.54	4.3	-0.08	0.04	7.39
L-MSC	-2.84	0.38	-486.32	-53.82	0.29	0.01	5.98
L-ORBm2/3	10.69	-0.11	1647.14	75.78	0.02	0.04	11.06
L-SSp-bfd1	-5.67	-0.47	-335.72	-88.6	-0.59	-0.03	9.97
L-DMHv	-3	0.37	-273.4	-43.09	0.34	0	5.55
L-DECgr	1.37	0.18	-273.17	15.76	0.25	0.03	4.13
L-CU	-1.18	0.27	-256.02	-30.5	0.3	0	4.04
L-CA1sp	6.49	0.01	8.04	105.77	0.19	0.03	5.82
L-MO6a	-0.8	0.33	-221.42	-28.66	0.29	0.01	3.96
L-VISam5	2.55	0.02	-45.18	37.45	0.08	0.01	2.34
L-CBXmo	0.84	0	-95.62	-19.04	0.03	0	1.1
L-PB	2.18	-0.09	21.42	0.51	-0.03	0.01	1.45
R-AMd	0.04	0.19	-151.96	7.23	0.18	0.01	2.53
R-SSp-m2/3	-0.9	0.1	-70.07	18.86	0.11	0.01	1.84
R-AUDd6a	-7.88	-0.34	-263.05	-51.13	-0.49	-0.04	9.16
R-SSp-n4	1.53	0.48	-67.28	40.02	0.55	0.03	6.65
R-ml	-2.02	-0.21	-39.71	-24.91	-0.25	-0.01	3.85
R-AOBmi	-0.39	-0.02	185.84	7.38	-0.05	0	1.29
R-TEa1	-0.71	-0.19	134.37	15.07	-0.22	0	2.69
R-COApm1-3	6.49	0.12	709.64	116.99	0.25	0.05	9.21
R-PVHpml	4.41	-0.19	869.81	58.39	-0.2	0.01	6.39
R-CUL4gr	6.69	-0.14	891.72	115.2	-0.03	0.04	8.68
R-oct	-2.55	0.01	-206.9	-38	-0.05	0	2.49
R-VM	3.31	0.21	201.61	75.8	0.31	0.05	6.72
R-FLmo	-0.8	0	-112.73	-21.4	-0.01	0	1.29
R-VISal6a	-1.45	-0.09	-180.1	-24.03	-0.12	-0.01	2.79
R-SCdw	-2.06	-0.19	-89.53	-24.39	-0.23	0	3.24
R-RSPagl6a	-1.61	-0.11	-92.3	-19.35	-0.12	-0.01	2.71
R-TR2	3.53	0.03	481.93	28.71	0.05	0.01	3.24
R-FLgr	0.2	0.3	-24.57	1.81	0.29	0.02	3.28
R-MPT	-2.22	0	-158.84	-28.32	-0.02	0	1.88
R-DR	-0.2	0.14	-21.66	-5.26	0.12	0.02	1.89
R-AHNp	-6.29	-0.19	-94.75	-50.31	-0.28	-0.04	6.96
R-lotd	-1.08	-0.09	-36.35	-13.27	-0.1	-0.01	1.97
R-EPd	-1.16	0.13	-105.45	-0.28	0.09	0.02	2.14

R-MPNm	-1.94	-0.25	-127.77	-27.65	-0.29	-0.02	4.52
R-INC	0.04	0.11	-102.35	-16.94	0.15	0.02	2.46
R-ECT6a	-2.49	-0.15	25.07	-25.98	-0.2	-0.02	3.65
R-CENT3gr	3.63	0.15	-157.78	100.04	0.26	0.05	6.88
R-cbt	-1.67	-0.24	-91.47	-10.9	-0.26	0	3.33
R-ORB1	-9.71	-0.52	-325.37	-41.31	-0.66	-0.07	12
R-AHNa	7.41	-0.17	733.8	39.9	-0.13	0.01	6.35
R-HPF	-1.76	0.23	-220.68	-24.71	0.25	0.01	3.53
R-VAL	-1.31	0.04	-80.58	-28.72	0.01	0.01	1.74
R-COAa	5.84	-0.07	201.38	78.08	0.04	0.03	5.12
R-PARN	-7.02	-0.46	-192.47	-14.42	-0.59	-0.04	8.73
R-NOD	-2.49	0.22	-249.33	-11.57	0.15	-0.01	3.56
R-RSPd	0.08	-0.34	331.05	6.02	-0.38	-0.01	4.73
R-arb	-1.67	-0.31	-56.07	-12.93	-0.35	-0.01	4.17
R-IV	-2.41	-0.06	-42.26	-25.36	-0.11	0	2.31
R-AUDv	-2.39	-0.18	-168.6	-21.52	-0.21	-0.01	3.72
R-TTd1-4	-4.2	-0.44	-154.67	-10.37	-0.5	-0.03	7.03
R-KF	-0.98	0.12	-141.8	-1.91	0.1	0	1.67
R-DORpm	1.24	0.06	23.94	47.52	0.08	0.01	2.08
R-lab	2.71	-0.01	148.17	42.77	-0.02	0.02	2.73
R-ptf	-3.63	-0.17	-42.75	0.12	-0.23	-0.02	3.93
R-ttp	1.18	0.11	40	32.74	0.13	0.02	2.45
R-grv of CBX	-1.06	0.57	-248.01	4.01	0.55	0.02	6.06
R-VISpl6a	4.47	0.16	-15.31	52.98	0.31	0.03	5.46
R-SSp-un	2.24	0.36	48.94	26.03	0.44	0.04	5.79
R-PBme	8.33	0	474.66	56.07	0.15	0.04	6.49
R-MH	0.59	0.12	-63.39	3.49	0.13	0.01	1.66
R-IXn	0.02	0.49	-148.9	-10.61	0.47	0.03	5.27
R-VISpm4	3.96	0.28	-49.44	41.2	0.4	0.04	6.34
R-cbp	3.43	-0.01	-61.8	13.9	0.08	0.03	2.99
R-GU1	6.88	-0.15	1466.97	3.95	-0.07	0.04	8.24
R-MSC	-2.41	0.34	-328.9	-25.66	0.25	0.01	4.6
R-ORBm2/3	8.88	-0.27	1455.35	13.67	-0.18	0.03	9.4
R-SSp-bfd1	-6.88	-0.44	-343.83	-54.41	-0.59	-0.03	9.49
R-DMHv	-3.41	0.27	-344.47	9.02	0.24	0	4.42
R-DECgr	1.61	0.07	-88.32	37.7	0.15	0.03	3.32
R-CU	-1.43	0.21	-264.79	27.95	0.23	0	3.67
R-CA1sp	6.02	-0.06	87.33	103.27	0.09	0.03	5.54
R-MO6a	-2.41	0.3	-321.76	10.68	0.25	0	4.3
R-VISam5	0.71	-0.02	-72.09	0	-0.01	0	0.75
R-CBXmo	0.24	0	-54.21	0	0.02	0	0.59
R-PB	2.06	-0.06	-46.92	0	-0.01	0.01	1.32

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1067   [1] Wiring cost and topological participation of the mouse brain connectome.
1068   Mikail Rubinov, Rolf J. F. Ypma, Charles Watson, Edward T. Bullmore.
1069   Proceedings of the National Academy of Sciences Aug 2015, 112 (32) 10032-
1070   10037; DOI: 10.1073/pnas.1420315112.

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Table S5. Correlations between error in spatial embedding and seed network
characteristics. The error in spatial embedding quantifies the discrepancy between the
synthetic and empirical connectomes on one of six nodal characteristics: node degree,
clustering coefficient, betweenness centrality, edge length, nodal efficiency, and matching
index. For each characteristic, Pearson correlation coefficients were calculated between its
value in the seed network and the mean spatial error across the sample.
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Nodal characteristic	Correlation coefficient	*p* value
Degree	0.4356	$2.221 \times 10^{-7*}$
Clustering	-0.0104	0.9067
Betweenness	0.1167	0.1862
Edge length	0.1912	0.0293
Efficiency	0.0026	0.9767
Matching	0.0822	0.3523

* Correlation is significant at Bonferroni corrected p < 0.00833

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