Title: The neurocognitive role of working memory load when Pavlovian motivational control

affects instrumental learning

Short Title: Working memory load and instrumental learning under Pavlovian influence

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Abstract

Humans and animals learn optimal behaviors by interacting with the environment. Research suggests that a fast, capacity-limited working memory (WM) system and a slow, incremental reinforcement learning (RL) system jointly contribute to instrumental learning. Situations that strain WM resources alter several decision-making processes and the balance between multiple decision-making systems: under WM loads, learning becomes slow and incremental, while reward prediction error (RPE) signals become stronger; the reliance on computationally efficient learning increases as WM demands are balanced against computationally costly strategies; and action selection becomes more random. Meanwhile, instrumental learning is known to interact with Pavlovian learning, a hard-wired system that motivates approach to reward and avoidance of punishment. However, the neurocognitive role of WM load during instrumental learning under Pavlovian influence remains unknown, while conflict between the two systems sometimes leads to suboptimal behavior. Thus, we conducted a functional magnetic resonance imaging (fMRI) study (N=49) in which participants completed an instrumental learning task with Pavlovian–instrumental conflict (the orthogonalized go/no-go task); WM load was manipulated with dual-task conditions. Behavioral and computational modeling analyses revealed that WM load compromised learning by reducing the learning rate and increasing random choice, without affecting Pavlovian bias. Model-based fMRI analysis revealed that WM load strengthened RPE signaling in the striatum. Moreover, under WM load, the striatum showed weakened connectivity with the ventromedial and dorsolateral prefrontal cortex when computing reward expectations. These results suggest that the limitation of cognitive resources by WM load decelerates instrumental learning through the weakened cooperation between WM and RL; such limitation also makes action selection more random, but it does not directly affect the balance between instrumental and Pavlovian systems.

Author Summary

Among multiple decision-making systems of humans and animals, the Pavlovian system is known for promoting automatic and instinctive behaviors. Understanding the Pavlovian influence on decision-making can offer valuable insights into the mechanism of impulsive and addictive behaviors. Previous studies suggested that prefrontal executive control can be important in regulating the Pavlovian influence. We tested if reducing cognitive resources available for executive control modulates the Pavlovian influence, by adding WM load to an instrumental learning task where Pavlovian influence is beneficial in some conditions but detrimental in others. Contrary to our expectation, constraining cognitive resources with WM load failed to significantly change the contribution of Pavlovian system. Nonetheless, with behavioral analysis and computational modeling, we revealed that WM load makes learning slower and decisions noisier in an instrumental learning task with Pavlovian components. FMRI analysis revealed that the WM load weakens the functional connectivity between the prefrontal cortex and the striatum when people anticipate outcomes before making a decision. The current study contributes to understanding how cognitive resource constraints alter learning and decision-making under Pavlovian influence as well as the neural mechanisms of those effects.

Introduction

The process of learning about the environment from experience and making adaptive decisions involves multiple neurocognitive systems, among which reinforcement learning (RL) and working memory (WM) systems are known to significantly contribute to learning [1–3]. RL processes facilitate "incremental" learning from the discrepancy between actual and predicted rewards, known as reward prediction error (RPE); RL is regarded as a slow but steady process [4]. Dopaminergic activity in the basal ganglia conveys RPEs [5–11], and human imaging studies have found that blood-oxygen-level-dependent (BOLD) signals in the striatum are correlated with RPEs [12–14].

In addition to RL, WM is a crucial component in learning. In particular, WM allows the rapid learning of actions via retention of recent stimulus-action-outcome associations, while RL constitutes a slow learning process [1,15–17]. WM can also offer various inputs to RL, such as reward expectations [18] and models of the environment [19–22] as well as complex states and actions [3,23]. In the brain, the WM system is presumably associated with sustained neural activity throughout the dorsolateral prefrontal cortex (dlPFC) and prefrontal cortex (PFC) [24–29].

Because RL and WM cooperate to promote successful learning, the deterioration of either system can alter the learning and balance between the two systems. In particular, increasing WM load during learning and decision-making can lead to various consequences through the depletion of WM resources. For example, first, instrumental learning becomes slow and incremental under WM load [1,16,30,31]. Limited resources in the WM system cause WM contribution to decline while the RL contribution increases, causing learning to occur more slowly and strengthening the RPE signal in the brain [15,18]. Second, among the multiple RL systems that use varying degrees of WM resources, the demands of WM can be balanced against computationally costly strategies. Otto et al. demonstrated that under WM load, the reliance on computationally efficient model-free learning was increased, compared with model-based learning [32]. Lastly, limited WM resources may cause action selection to

become more random and inconsistent. Different values must be compared to inform decision-

making during the action selection stage [33], but several studies have reported that WM load

may interrupt these processes without affecting valuation itself [34–36].

While reductions of WM resources substantially alter instrumental learning, another

important factor known to shape instrumental learning is the Pavlovian system. Through the

motivation of hard-wired responses, such as active responses to appetitive cues and inhibitory

responses toward aversive cues [37–40], the Pavlovian system may facilitate certain

instrumental behaviors and impede others. This bias in instrumental learning is known as

Pavlovian bias [41–44]. Pavlovian bias is generally presumed to be associated with

maladaptive behaviors such as substance use disorder and compulsivity-related disorders

[45–49].

Although it is well known that the enhancement of WM load alters instrumental learning

in several ways, it remains unclear how WM load changes instrumental learning when it is

under Pavlovian influence. To investigate this relationship, we conducted a functional

magnetic resonance imaging (fMRI) study in which participants completed an instrumental

learning task that involved Pavlovian–instrumental conflicts [50], with and without additional

WM load.

We tested the following three hypotheses. First, if the role of WM in learning is

unaffected by Pavlovian influence, WM load will lead to slower learning and increased striatal

RPE signals, consistent with previous findings [1,15,16,18]. Second, if WM load leads to a

computational trade-off between Pavlovian and instrumental learning, as model-free and

model-based learning [32], WM load will enhance Pavlovian bias because the Pavlovian

system is known to require fewer resources and to be computationally efficient as an

evolutionarily embedded system that learns values as a function of cues, regardless of actions

[42]. We also presumed that neural signaling associated with Pavlovian bias would increase

under WM load. We focused on regions of the basal ganglia, specifically the striatum and

substantia nigra/ventral tegmental area (SN/VTA), which are considered important in

Pavlovian bias [50–54]. Third, if the contribution of WM to consistent action selection remains

consistent, WM load will cause action selection to become more random, as in previous

studies [34–36]. We tested whether the value comparison signal in the brain would decrease

under WM load because consistent action selection may be associated with the extent to

which value difference information is utilized during the decision-making process [33,55].

Our behavioral and computational modeling results revealed that Pavlovian bias did

not increase under WM load, while learning decelerated and action selection became

increasingly random; these findings supported hypotheses 1 and 3 but not 2. Increased striatal

RPE signaling suggests that the increased contribution of RL and decreased contribution of

WM may explain slower learning. Further analyses revealed weakened connectivity between

the striatal and prefrontal regions under WM load, suggesting diminished cooperation between

the WM and RL systems.

Results

The participants (N=56) underwent fMRI imaging while performing an instrumental

learning task under a control condition and a WM load condition (**Fig 1**). In the control condition,

they participated in the orthogonalized go/no-go (GNG) task [50], a model-free learning task

that contained Pavlovian–instrumental conflicts. In the WM load condition, a 2-back task was

added to the GNG task; the modified task was named the working memory go/no-go (WMGNG)

task (see Materials and Methods for more detail).

(A) Orthogonalized go/no-go task - 4 trial types

(B) Trial timelines of GNG and WMGNG tasks

(C) 2-back task in WMGNG task

Fig 1. The GNG and WMGNG tasks. (A) In both tasks, four fractal cues indicated the combination of action (go/no-go) and valence at the outcome (win/loss). (B) In each trial, a fractal cue was presented, followed by a variable delay. After the delay, actions were required in response to a circle, and participants had to decide whether to press a button. After an additional brief delay, the probabilistic outcome was presented, indicating monetary reward (green upward arrow on a ₩1000 bill) or monetary punishment (red downward arrow on a ₩1000 bill). A yellow horizontal bar indicated no win or loss. In the WMGNG task, the original GNG task was followed by a 2-back response and 2-back outcome phases. (C) The participants were asked to indicate whether the cue in the current trial was identical to the cue in the two preceding trials. Here, because the cue in trial 3 differed from the cue in trial 1, "DIFF" was the correct response. Similarly, because the cue in trial 4 was identical to the cue in trial 3, "SAME" was the correct response. The lines mark two cues for comparison: the purple line indicates that the cues differ, while the pink line indicates that the cues are identical.

Task performance: Decreased performance and learning speed under WM load

Comparison of overall task accuracy between the two tasks confirmed that our dual-task manipulation with a 2-back task successfully imposed WM load. Participants performed better in the GNG task (M=0.80, SD=0.12) than in the WMGNG task (M=0.72, SD=0.16), as illustrated in **Fig 2A** (paired t-test, t(48)=3.86, p<0.001, d=0.55). We also confirmed that participants exhibited go bias and Pavlovian bias in both tasks, thus replicating the findings of earlier studies [50,51,56–62]. Two-way ANOVA on accuracy, with the factors action (go/no-go) and valence (reward/punishment) as repeated measures for both tasks, revealed a main effect of action (F(48)=6.05, p=0.018, η^2=0.03 in GNG task, F(48)=9.44, p=0.003, η^2=0.04 in WMGNG task) and action by valence interaction (F(48)=22.43, p<0.001, η^2=0.12 in the GNG task, F(48)=30.59, p<0.001, η^2=0.10 in the WMGNG task); it showed no effect of valence (F(48)=0.00, p=0.99, η^2=0.00 in the GNG task, F(48)=2.77, p=0.103, η^2=0.01 in the WMGNG task). In both tasks (**Fig 2B**), participants exhibited superior performances in "go to win" and "no-go to avoid losing" conditions (i.e., Pavlovian-congruent conditions; blue columns) than in "no-go to win" and "go to avoid losing" trials (i.e., Pavlovian-incongruent conditions; red columns). Specifically, in the GNG task, accuracy was higher in the "go to win" (M=0.92, SD=0.12) than "no-go to win" condition (M=0.69, SD=0.35) (paired t-test, t(48)=4.13, p<0.001, d=0.59), and in the "no-go to avoid losing" (M=0.85, SD=0.13) than in the "go to avoid losing" condition (M=0.76, SD=0.18) (paired t-test, t(48)=3.29, p=0.002, d=0.47). Similarly, in the WMGNG task, accuracy was higher in the "go to win" (M=0.82, SD=0.25) than in the "no-go to win" condition (M=0.57, SD=0.34) (paired t-test, t(48)=4.82, p<0.001, d=0.69), and in the "no-go to avoid losing" (M=0.79, SD=0.16) than in the "go to avoid losing" condition (M=0.72, SD=0.19) (paired t-test, t(48)=2.51, p=0.015, d=0.36).

Next, we tested the effect of WM load on learning speed (hypothesis 1, **Fig 2C**). While the learning curves indicated that participants learned during both tasks, the learning curve was slower in the WMGNG task than in the GNG task (i.e., WM load reduced learning speed and overall accuracy). To test the effect of WM load on Pavlovian bias (hypothesis 2, **Fig 2D**),

we quantified Pavlovian bias by subtracting the accuracy in Pavlovian-incongruent conditions

("no-go to win" and "go to avoid losing") from accuracy in Pavlovian-congruent conditions ("go

to win" and "no-go to avoid losing"), then compared it between the two tasks. No significant

difference in Pavlovian bias was observed between the GNG and WMGNG tasks, confirming

that WM load did not affect Pavlovian bias.

Fig 2. Task performance (N=49). (A) Task accuracies (mean percentages of correct responses) in the

GNG and WMGNG tasks show that participants performed better in the GNG task than in the WMGNG

task. (B) Accuracy in each of the four trial types between the two tasks demonstrated that participants

performed better in "go to win" and "no-go to avoid losing" trials (Pavlovian-congruent, blue) than in "no-

go to win" and "go to avoid losing" trials (Pavlovian-incongruent, red). (C) The learning curve (i.e., the

increase in accuracy across trials) was slower in the WMGNG task than in the GNG task. Note that

moving average smoothing was applied with filter size 5 to remove the fine variation between time steps.

Lines indicate group means and ribbons indicate ± standard errors of the mean. (D) Pavlovian bias was

calculated by subtracting accuracy in Pavlovian-incongruent conditions ("no-go to win" + "go to avoid

losing") from accuracy in Pavlovian-congruent conditions ("go to win" + "no-go to avoid losing"). No

significant difference in Pavlovian bias was observed between the GNG and WMGNG tasks. (A)-(B), (D) Dots indicate group means and error bars indicated ± standard errors of the mean. Gray dots indicate individual accuracies; lines connect a single participant's performances. Asterisks indicate the results of pairwise t-tests. **** *p < 0.0001, *** p < 0.001, ** p < 0.01, * p < 0.05.*

Computational modeling: WM load influences learning rate and irreducible noise

We used a computational modeling approach to test the three hypotheses. For this purpose, we developed eight nested models that assumed different learning rate, Pavlovian bias, or irreducible noise parameters under WM load. These models were fitted to the data using hierarchical Bayesian analysis, then compared using the leave-one-out information criterion (LOOIC), where a lower LOOIC value indicated better out-of-sample predictive accuracy (i.e., better fit) [63]. Importantly, the use of computational modeling allowed us to test hypothesis 3 regarding whether WM load would increase random choices; this would have not been possible if we had performed behavioral analysis alone.

Based on earlier studies [50,64], we constructed a baseline model (model 1) that used a Rescorla-Wagner updating rule and contained learning rate (ε), Pavlovian bias, irreducible noise, go bias, and separate parameters for sensitivity to rewards and punishments (Materials and Methods). In the model, state-action values are updated with the prediction error; learning rate (ε) modulates the impact of the prediction error. Reward/punishment sensitivity (ρ) scales the effective size of outcome values. Go bias (b) and cue values weighted by Pavlovian bias (π) are added to the value of go choices. Here, as the Pavlovian bias parameter increases, the go tendency increases under the reward condition whereas the go tendency is reduced under the punishment condition; this results in an increased no-go tendency. Computed action weights are used to estimate action probabilities, and irreducible noise (ξ) determines the extent to which information about action weights is utilized to make decisions. As irreducible noise increases, action probabilities will be less reflective of action weights, indicating that action selection will become increasingly random.

In models 2, 3, and 4, we assumed that WM load affects only one parameter. For

example, in model 2, a separate Pavlovian bias parameter (π_{wm}) was assumed for the WM

load condition. Models 3 and 4 assumed different learning rates (ε_{wm}) and irreducible noise

(ξ_{wm}) parameters in their respective WM load conditions. In models 5, 6, and 7, we assumed

that WM load would affect two parameters: model 5 had different Pavlovian bias (π_{wm}) and

learning rate (ε_{wm}); model 6 had different Pavlovian bias (π_{wm}) and irreducible noise (ξ_{wm}); and

model 7 had different learning rate (ε_{wm}) and irreducible noise (ξ_{wm}). Finally, model 8 was the

full model, in which all three parameters were assumed to be affected by WM load.

The full model (model 8) was the best model (**Fig 3A**; **Table S2**). In other words, it

demonstrated that participant behavior could be best explained when separate parameters

were included for Pavlovian bias, learning rate, and irreducible noise parameters. Next, we

analyzed the parameter estimates of the best-fitting model; we focused on comparing the

posterior distributions of the parameters that were separately fitted in the two tasks (**Fig 3B**).

The parameters were considered credibly different from each other if the 95% highest density

intervals (HDI) of the two distributions showed no overlap [65]. **Fig 3B** illustrates that Pavlovian

bias was not credibly different between the two tasks, consistent with the lack of support for

hypothesis 2 (Pavlovian bias) in the behavioral results. Conversely, the learning rate was

credibly lower, while irreducible noise was credibly greater in the WMGNG than in the GNG

task. These results support hypothesis 1 (i.e., WM load will reduce learning rate) and

hypothesis 3 (i.e., WM load will increase random choices). While the best model was the full

model that assumed separate Pavlovian bias in the two tasks, no credible group difference

was observed between these parameters. This is presumably because the full model was able

to capture individual variations among participants (**Fig S3**), despite the lack of credible

difference in the group-level estimates between the two tasks. As expected, the 95% HDIs of

go bias, reward sensitivity, and punishment sensitivity did not include zero, indicating that the

participants exhibited go bias and reward/punishment sensitivity (see Supplementary Material

for the posterior distributions of individual parameters; **Fig S2-S5**).

To further compare choice randomness between the two tasks, we examined the

extent to which choices were dependent on value discrepancies between the two options. We

first plotted the percentage of go choices for the GNG and WMGNG tasks by varying the

quantiles of differences in action weight between the "go" and "no-go" actions (W_{go} - W_{nogo})

(**Fig 4A**). The trial-by-trial action weights were extracted from the best-fitting model. Higher

quantiles corresponded to a greater "go" action weight than "no-go" action weight. Overall, the

go ratio increased from the first to the tenth quantile, indicating that the value differences

between the "go" and "no-go" actions affected participants' choices. This result further

illustrates the difference between the two tasks: the increase in the go ratio was steeper in the

GNG task than in the WMGNG task. In particular, the go ratio significantly differed between

the two tasks for the first ($t(48)$=-3.59, p=0.001, d=0.51), second ($t(48)$=-3.23, p=0.002,

d=0.46), third ($t(48)$=-2.55, p=0.014, d=0.36), eighth ($t(48)$=2.95, p=0.005, d=0.42), and tenth

($t(48)$=2.76, p=0.008, d=0.39) quantiles. Thus, under WM load, participants were less

sensitive to the significant value difference between "go" and "no-go".

To compare these patterns in a different way and further explore the extent to which

performance was dependent on choice difficulty, we plotted accuracies for the two tasks and

for different quantiles of the absolute value differences ($|W_{go}$ - $W_{nogo}|$; **Fig 4B**). We assumed

that the choices would become easier when the absolute value difference was increased

because a small value difference makes it difficult to choose between options. Overall, the

accuracy increased from the first to the tenth quantile, indicating that participants performed

better as the choices became easier. This result further illustrates the difference between the

two tasks: the increase in accuracy was steeper in the GNG task than in the WMGNG task.

Specifically, the accuracy significantly differed between the two tasks for the fifth ($t(48)$=4.12,

p<0.001, d=0.59), sixth ($t(48)$=2.95, p=0.005, d=0.42), seventh ($t(48)$=2.44, p=0.018, d=0.35),

eighth ($t(48)$=3.13, p=0.003, d=0.45), ninth ($t(48)$=2.87, p=0.006, d=0.41), and tenth

($t(48)$=2.55, p=0.014, d=0.36) quantiles. Thus, participants performed worse in the WM load

condition than in the control condition when choices were easier. Overall, **Fig 4** demonstrates

that WM load reduced the effect of the value difference on participants, indicating increased

choice randomness.

Fig 3. Model comparison results and posterior distribution of the group-level parameters of the best-

fitting model (N=49). (A) Relative LOOIC difference indicates the difference in LOOIC between the best-

fitting model and each of the other models. The best-fitting model was the full model, which assumed

separate Pavlovian bias, learning rate, and irreducible noise in GNG and WMGNG tasks. Lower LOOIC

indicates better model fit. (B) Posterior distributions of group-level parameters from the best-fitting

model. Learning rate and irreducible noise estimates were credibly different in the GNG and WMGNG

tasks, while Pavlovian bias estimates were not. Dots indicate medians and bars indicate 95% HDIs.

Asterisks indicate that the 95% HDIs of the two parameters' posterior distributions do not overlap (i.e.,

differences are credible).

Fig 4. Choice consistency (N=49). (A) Mean percentage of go choices for different quantiles of action weight differences (W_{go} - W_{nogo}) between "go" and "no-go" choices, where higher quantiles indicate higher decision values for "go" choices. Under WM load, the increase in go ratio according to quantile was less steep. (B) Mean accuracies for different quantiles of absolute value differences ($|W_{go}$ - $W_{nogo}|$), where higher quantiles indicate larger value differences between two options or easier choices. Under WM load, the increase in accuracy according to quantile was less steep. (A)-(B) Dots are group means, and error bars are ± standard errors of the mean. Asterisks show the results of pairwise t-tests. ***** p < 0.0001, *** p < 0.001, ** p < 0.01, * p < 0.05.*

Larger RPE signals in the striatum and weakened connectivity with prefrontal regions under WM load

Behavioral analysis revealed that WM load caused learning to occur more slowly but did not affect Pavlovian bias. The computational approach confirmed that the learning rate decreased; Pavlovian bias did not change under the load; and WM load led to increased choice randomness. Here, we sought to investigate the underlying neural correlates of these effects of WM load on learning rate, Pavlovian bias, and random action selection. First, we hypothesized that RPE signaling in the striatum would increase under WM load [15,18]. We conducted a model-based fMRI analysis using RPE as a regressor derived from the best-fitting model (see Materials and Methods for the full general linear models (GLMs) and regressor specifications). The RPE signal in the a priori striatum region of interest (ROI) was significantly greater in the WMGNG task than in the GNG task (contrast: RPE in WMGNG > RPE in GNG, MNI space coordinates x = 13, y = 14, z = -3, Z = 3.96, p < 0.05 small-volume corrected (SVC), **Fig 5A**, **Table S4**). This supports hypothesis 1, which predicts an increased

contribution of the RL system and decreased contribution of the WM system, to learning under

WM load. We also tested hypothesis 2 regarding Pavlovian bias, but we found no main effect

of Pavlovian bias between the GNG and WMGNG tasks (WMGNG > GNG [Pavlovian-

congruent > Pavlovian-incongruent]) within the striatum or SN/VTA ($p < 0.05$ SVC, a priori

ROIs). Note that previous studies showed no significant result for the same contrast

(Pavlovian-congruent > Pavlovian-incongruent) within the same regions [50]. With regard to

hypothesis 3 concerning random choices, we observed no main effect of WM load on random

choice (WMGNG > GNG [$W_{chosen} - W_{unchosen}$]) within the ventromedial prefrontal cortex (vmPFC;

$p < 0.05$ SVC, a priori ROI). See Supplementary Material for further details regarding these

findings (**Table S5**).

Increased RPE signals under WM load may indicate reduced WM contribution and

increased RL contribution to learning because of the load, suggesting diminished cooperation

between the two systems for learning. Therefore, we conducted a psychophysiological

interaction (PPI) analysis [66] using the gPPI toolbox [67] to test whether functional

connectivity between areas associated with RL and WM systems would weaken under WM

load. Specifically, we explored differences between the two tasks in terms of functional

coupling between the striatum, which showed increased RPE signaling under WM load during

the feedback phase, and other regions when computing reward expectations. The striatum

showed significantly decreased connectivity with the vmPFC (MNI space coordinates $x = 13$,

$y = 56$, $z = 0$, $Z = -4.90$, $p < 0.05$ whole-brain cluster-level familywise error rate (FWE)) and

dlPFC (MNI space coordinates $x = -20$, $y = 63$, $z = 23$, $Z = -4.24$, $p < 0.05$ whole-brain cluster-

level FWE, **Fig 5B**, **Table S6**) in the WMGNG task, compared with the GNG task.

(A) Model-based fMRI result

RPE (WMGNG > GNG)

(B) PPI result

Anticipation phase (WMGNG > GNG)
Seed: striatum

Fig 5. fMRI results (N=44). (A) In the predefined ROI-based analysis, RPE signaling in the striatum was

stronger in the WMGNG task than in the GNG task. Effects that were significant at $p < 0.05$ (SVC) are

shown in yellow. (B) Functional connectivity between the striatum (seed region, top) and prefrontal

regions, including vmPFC (bottom left) and dlPFC (bottom right), was weaker in the WMGNG task than

in the GNG task when computing reward expectation ($p < 0.05$, whole-based cluster-level FWE).

Overlays are shown with a threshold of $p < 0.001$ (uncorrected). Color scale indicates t-values.

Discussion

In this study, our main objective was to elucidate the neurocognitive effects of WM load

on instrumental learning that involves Pavlovian–instrumental conflicts. We hypothesized that

under WM load, 1) learning rate would decrease and RPE signals would become stronger, 2)

Pavlovian bias would increase, and 3) action selection would become increasingly random.

First, we found that the limitation of WM resources according to WM load led to a decrease in

the learning rate and increases in striatal RPE signals. The striatum, which subsequently

showed stronger RPE signals under WM load, demonstrated weakened functional

connectivity with prefrontal regions including the dlPFC and vmPFC, during reward prediction.

WM load also increased random action selection. However, Pavlovian bias did not increase

under WM load, suggesting that WM load did not affect the balance between Pavlovian and

instrumental systems.

Decreased contribution of the WM system and increased contribution of the RL system under WM load

The effect of WM load on instrumental learning remained consistent despite Pavlovian bias. In particular, our behavioral analysis revealed a deceleration in learning speed under WM load (**Fig 2C**); modeling analysis confirmed that WM load reduced learning rate (**Fig 3**).

These findings can be attributed to the reduced contribution of the WM system and increased contribution of the striatal RL system, consistent with previous findings that WM improves learning efficiency (in parallel with RL), as well as reward prediction precision in RL processes. First, as a rapid and immediate learning system, WM learns in parallel with the slow and incremental RL system by directly storing associations between states and actions [1,15–17,68]. Specifically, WM and RL systems compete with each other based on their reliability in a given situation. Under WM load, the fast and capacity-limited WM system becomes less reliable; thus, the slow and incremental RL system supersedes the WM system, causing learning to occur more slowly and incrementally [1,16,30]. Second, RL computations themselves are intertwined with WM; WM can represent feed reward expectations to the RL system [69–72] and improve reward prediction precision, which can reduce RPE and improve learning efficiency [15,18]. In our study, WM load, which limited the contribution of WM, may have increased the striatal RL contribution while reducing the accuracy of RL reward computation. Consistent with this interpretation, we found that RPE signaling in the striatum – a marker of RL – was strengthened under WM load (**Fig 5A**). This is consistent with previous findings that RPE-associated neural signals were increased under higher WM load [15,18].

Overall, these findings suggest that WM load led to reduced cooperation between RL and WM by interrupting and reducing the contribution of WM. This notion is further supported by the finding that the striatum showed weakened functional connectivity with the dlPFC during reward prediction under WM load (**Fig 5A**). Taken together, these findings suggest that WM load may have weakened the interplay between WM in the dlPFC and RL in the striatum during the value estimation process, which subsequently led to stronger RPE signals. However,

further research is necessary to demonstrate the directionality of functional connectivity

between the two systems during reward prediction; frontostriatal connectivity is reportedly

bidirectional, such that the striatum may also provide prefrontal regions with inputs that relate

to reward information [73,74].

Notably, we observed weakened connectivity between the vmPFC and the striatum.

The vmPFC has been identified as a critical neural correlate of value-based decision-making;

it integrates reward predictions [70], represents value signals or decision value [75–78], and

affects reward anticipation/processing in the striatum [79,80]. Our findings suggest that value

integration through the cortico-striatal loop was also weakened under WM load.

No effect of WM load on Pavlovian bias

Contrary to our hypothesis, WM load did not influence Pavlovian bias. Behavioral and

modeling results showed that Pavlovian bias did not significantly differ between the GNG and

WMGNG tasks (**Fig 2D; Fig 3**), while fMRI analysis revealed that neural signaling associated

with Pavlovian bias did not significantly differ between the two tasks (**Table S6**). These

findings indicate that the brain did not exhibit greater reliance on the computationally efficient

system under WM load, in contrast to the results of previous studies [32]. We identified two

possible explanations for this discrepancy. First, instrumental and Pavlovian learning require

similar amounts of WM resources; second, the WM system may not be involved in modulating

the balance between Pavlovian and instrumental systems.

In the first potential explanation, the amounts of WM resources may be similar for

Pavlovian and instrumental learning (especially model-free learning), in contrast to model-

based and model-free learning. Model-based learning system constructs an internal model to

compute the values of actions; thus, it requires greater WM resources to compute and retain

the model online [20,81–84]. However, the model-free system simply uses the action-reward

association history to compute action values (i.e., "cached values"), and does not require the

internal model [81,82,85]. Pavlovian learning is similar to model-free learning but differs in

terms of the dimensions for value learning–the Pavlovian system learns state-outcome

associations, while the instrumental system learns state-action-outcome associations [42,86]. Therefore, the difference in WM demands between model-based and model-free learning could be significantly greater than the difference between model-free instrumental and Pavlovian learning. In our task, in particular, the instrumental learning was model-free; both instrumental and Pavlovian systems were required to learn the associations without prior information. Thus, the difference in WM demands may not have been sufficient to trigger a trade-off between the two learning systems. Rather than depending more on Pavlovian learning which has little computational benefit in our task, the participants may simply have compromised overall learning.

In the second potential explanation, WM resources may be unimportant with respect to modulating the Pavlovian–instrumental interaction, despite earlier studies' suggestions to the contrary. Several studies have proposed that prefrontal WM control systems are crucial for controlling Pavlovian bias. Electroencephalogram studies demonstrated that midfrontal theta oscillations are important for controlling Pavlovian bias [64,87], suggesting top-down prefrontal control over Pavlovian bias [64]. Furthermore, recruitment of the inferior frontal gyrus (IFG) is involved in appropriate response inhibition, helping to overcome Pavlovian bias [50]. Finally, there is indirect evidence that administration of levodopa, which increases dopamine levels, reduced Pavlovian influences on instrumental learning; such a reduction was speculated to result from increased dopamine levels in the PFC, which may have facilitated the operation of prefrontal WM functions [59]. A related finding suggested that genetic determinants of prefrontal dopamine function may be important in overcoming Pavlovian bias [62].

While the results of the present study appear to contradict these findings, several complex possibilities exist. In particular, although previous findings implied the involvement of prefrontal mechanisms (e.g., model-based prefrontal control [64] and WM [54,59] in controlling the Pavlovian system, they did not directly suggest active recruitment of the prefrontal WM system. First, while Cavanagh et al. speculated that midfrontal theta power could be indicative of "model-based top-down prefrontal control" [64], a subsequent study by Swart et al.

suggested that midfrontal theta signals could only be involved in the detection of conflict by

signaling "the need for control" [87,88], rather than being a source of direct control. Next, the

IFG showed an increased BOLD response only in the "no-go" condition [50], implying that the

IFG is important for "inhibitory" motor control (i.e., as a brake [89]); it does not participate in

active maintenance or representation of goal-directed behaviors including both "go" and "no-

go," which would be more closely associated with WM [29,90,91]. Finally, elevated dopamine

levels should be cautiously interpreted as improvements in prefrontal WM function [59]. While

dopamine has been shown to enable successful cognitive control in the prefrontal cortex, it

may have three roles: gating behaviorally relevant sensory signals; maintaining and

manipulating information in WM to guide goal-directed behavior; and relaying motor

information to premotor areas for action preparation [92]. Moreover, distinct mechanisms have

been known to modulate the influence of dopamine on WM in the PFC through distinct types

of dopamine receptors [92]. Thus, there may be several ways to interpret the observation that

dopamine level [59] or function [62] was associated with the modulation of Pavlovian

influences. Considerable research is needed to fully understand the mechanisms by which

dopamine levels affect Pavlovian bias. Alternatively, the role of prefrontal WM in controlling

Pavlovian bias may not require vast resources. It may only be responsible for signaling a need

for control [87], promoting response inhibition [50], or influencing subcortical areas (e.g., the

striatum and subthalamic nucleus [93,94]).

Increased random choices under WM load

Another notable finding was that random choice increased under WM load. Our

modeling analysis revealed that irreducible noise parameter estimates were greater in the

WMGNG task than in the GNG task (**Fig 3**), suggesting increased random action selection

under WM load. Further analysis using the modeling outputs revealed that participants'

choices were less affected by the relative value difference between the "go" and "no-go"

actions under WM load (**Fig 4A**). Moreover, analysis using the absolute difference between

the two options (**Fig 4B**) revealed that the increase in accuracy became smaller as the

absolute difference increased (i.e., the choice became easier). Both findings suggest that WM

involvement led to an increase in random choices, regardless of value comparison and choice

difficulty.

Our findings are broadly consistent with the results of previous studies concerning the

role of WM and prefrontal regions in action selection and execution [95–102]. In particular,

several studies have demonstrated that the interruption of WM function via WM load could

increase the frequency of random choices in value-based decision-making tasks [34–36].

Additionally, transcranial direct current stimulation, a brain stimulation method, over the left

PFC led to increased random action selection during an RL task, suggesting that the prefrontal

WM component influenced action selection [103]. Furthermore, the importance of WM in

action selection during learning tasks is supported by the indirect evidence that individual

differences in WM capacity were correlated with appropriate exploratory action selection in

multi-armed bandit tasks [104]. Overall, the reduced availability of WM resources because of

WM load in our study may have compromised the participants' abilities to actively represent

their current goals and actions, leading to reduced WM control over consistent choice based

on value computation.

No significant neural correlates were identified with respect to the increased random

choices. We assumed that random action selection would be associated with the reduced

sensitivity to value difference or value comparison between the two options ("go" and "no-go")

[55]; thus, we hypothesized that value comparison signals would decrease under WM load.

Contrary to our hypothesis, no significant differences in value comparison signaling in ROIs

were observed between GNG and WMGNG tasks. There are several possible explanations

for this null finding. Our assumption of value sensitivity may not be the source of the random

choice observed here. Alternatively, subsequent attentional lapse [105,106] or value-

independent noise [107] may have led to inconsistent action selection despite the presence of

value comparison signals. Further research is necessary to distinguish these possibilities.

In summary, the present study has shown that WM load compromises overall learning

by reducing learning speed via weakened cooperation between RL and WM; it also increases

random action selection without affecting the balance between Pavlovian and instrumental

systems. To our knowledge, this is the first study to investigate the neurocognitive effect of

WM load during interactions between Pavlovian and instrumental systems. By investigating

how learning and decision-making using different systems are altered in the presence of WM

load and by linking such behaviors to their underlying neural mechanisms, this study

contributes to our understanding of how distinct cognitive components interact with each other

and synergistically contribute to learning. Because impairments in learning, balance among

multiple systems, and action selection have been reported in various neurological and

psychiatric disorders [2,108], our findings represent an important step toward improved

understanding of various symptoms.

Materials and Methods

Participants

Fifty-six adults participated in this study (34 women; 24.5±3.6 years old). All

participants were healthy, right-handed; they had normal or corrected-to-normal visual acuity.

They were screened prior to the experiment to exclude individuals with a history of

neurological, or psychiatric illness. All participants provided written informed consent, and the

study protocol was approved by the Institutional Review Board of Seoul National University.

The behavioral analysis included 49 participants (29 women; 24.3±3.3 y.o); the fMRI

analysis included 44 participants (27 women; 24.2±3.3 y.o). Four participants were excluded

because of technical issues; one participant was excluded because they slept during the task.

Two participants were excluded because of poor performance in the 2-back task since the

results in the dual-task paradigm could only be valid and interpretable when participants

actually performed both tasks. The accuracy cutoff was 0.575, a value that rejects the null

hypothesis that participants would randomly choose one of two options. After assessment of

preprocessed image quality, five participants were excluded from the fMRI analysis because

of head movements in the scanner, which can systematically alter brain signals; four out of

these five were excluded because the mean framewise displacement exceeded 0.2 mm [109],

while the remaining one was excluded after visual assessment of carpet plots [110].

Experimental design and task

The experiment was performed in two blocks: one contained the original GNG task [50]

and one contained the GNG task paired with the 2-back task as a secondary task. The order

of task completion was counterbalanced among participants. The GNG and WMGNG tasks

consisted of two blocks (four blocks in total); each block consisted of 60 trials. Therefore, each

task contained 120 trials (240 trials in total). Participants underwent fMRI while performing the

tasks for approximately 50 min, with a short (~60 s) break after each set of 60 trials. Before

scanning, participants performed 20 practice trials each of GNG task and WMGNG task to

help them become accustomed to the task structure and response timing. Participants

received additional compensation based on their accuracy in the two tasks, along with the

standard participation fee at the end of the experiment.

Orthogonalized go/no-go (GNG) task

Four trial types were implemented depending on the nature of the fractal cue (**Fig 1A**):

press a button to gain a reward (go to win); press a button to avoid punishment (go to avoid

losing); do not press a button to earn a reward (no-go to win); and do not press a button to

avoid punishment (no-go to avoid losing). The meanings of fractal images were randomized

among participants.

Each trial consisted of three phases: fractal cue presentation, response, and

probabilistic outcome. **Fig 1B** illustrates the trial timeline. In each trial, participants were

presented with one of four abstract fractal cues for 1000 ms. After a variable interval drawn

from a uniform probability distribution within the range of 250-2000 ms, a white circle was

displayed on the center of the screen for 1000 ms. When the circle appeared, participants

were required to respond by pressing a button or not pressing a button. Next, the outcome

was presented for 1000 ms: a green arrow pointing upwards on a ₩1000 bill indicated

monetary reward, a red arrow pointing downwards on a ₩1000 bill indicated monetary

punishment, and a yellow horizontal bar indicated no reward or punishment.

The outcome was probabilistic; thus, 80% correct responses and 20% incorrect

responses resulted in the best outcome. Participants were instructed that the outcome would

be probabilistic; for each fractal image, the correct response could be either "go" or "no-go,"

and they would have to learn the correct response for each cue through trial and error. The

task included 30 trials for each of the four trial types (120 trials in total). Trial types were

randomly shuffled throughout the duration of the task.

Orthogonalized go/no-go + 2-back (WMGNG) task

In the WM load condition, the GNG task was accompanied by a 2-back task to induce

WM load. The combined task was named the WMGNG task; each trial had 2-back response

and 2-back outcome phases after the GNG task (fractal cue, response, and probabilistic

outcome). Participants were required to indicated whether the cue in the current trial was

identical to the cue presented in the two previous trials. For example, as shown in **Fig 1C**, the

cue in the third trial differes from the cue in the first trial (two trials prior); thus, participants

should respond "different" by pressing button after responding to the reinforcement learning

task. In the fourth trial, they should respond "same." The positions of "SAME" and "DIFF" were

randomized among participants.

Computational modeling

Baseline RL model with Pavlovian bias

We adopted a previously implemented version of an RL model [50] that can model

Pavlovian bias and choice randomness as well as learning rate. In our baseline model, we

assumed no difference in parameters between the control and load conditions.

Expected values $Q(a_t, s_t)$ were calculated for each action a, "go" or "no-go", on each

stimulus s (i.e., four trial types of the task) on each trial t. $Q(a_t, s_t)$ was determined by Rescorla-

Wagner or delta rule updating:

$$Q_t(a_t, s_t) = Q_{t-1}(a_t, s_t) + \epsilon(\rho r_t - Q_{t-1}(a_t, s_t))$$

where ε is the learning rate. The learning rate (ε) is a step size of learning [4] that modulates

how much of the prediction error, a teaching signal, is incorporated into the value update.

Rewards, neutral outcomes, and punishments were entered in the model through $r_t \in$

$\{-1, 0, 1\}$, where ρ reflects the weighting (and effect sizes) of rewards and punishments. In all

models, ρ could be different for rewards and punishments (ρ_{rew} for gain, ρ_{pun} for loss).

Action weights $W(a_t, s_t)$ were calculated from Q values, and the Pavlovian and go

biases:

583
$$W_t(a_t, s_t) = \begin{cases} Q_t(a_t, s_t) + b + \pi V_t(s_t) & if\ a = go \\ Q_t(a_t, s_t), & else \end{cases}$$

584 where b was added to the value of go, while the expected value on the current state $V_t(s_t)$ was

585 weighted by π and added to the value of go choices. $V_t(s_t)$ was computed as follows:

586
$$V_t(s_t) = V_{t-1}(s_t) + \epsilon(\rho r_t - V_{t-1}(s_t)).$$

587   If the Pavlovian bias parameter (π) is positive, it increases the action weight of "go" in

588 the reward conditions because $V_t(s_t)$ is positive. In the punishment conditions, positive π

589 decreases the action weight of "go" because $V_t(s_t)$ is negative.

590   Action probabilities were dependent on these action weights $W(a_t, s_t)$, which were

591 passed   through   a   squashed   softmax   [4]:

592
$$P(a_t, s_t) = \left[\frac{\exp[W(a_t, s_t)]}{\sum_{a'} \exp[W(a', s_t)]} \right] (1 - \xi) + \frac{\xi}{2}$$

where ξ was the irreducible noise in the decision rule; it was free to vary between 0 and 1 for

all models. The irreducible noise parameter explains the extent to which information about

action weights is utilized in making a choice. As the irreducible noise increases, the influence

of the difference between the action weights is reduced, indicating that action selection

becomes random.

Additional models

To test our hypotheses regarding the effects of WM load on parameters, we

constructed seven additional nested models assuming different Pavlovian biases (π), learning

rate (ε), and irreducible noise (ξ) under WM load (**Table 1**). Model 1 is the baseline model.

Model 2 assumed a separate Pavlovian bias parameter (π) for the WM load condition.

Similarly, models 3 and 4 assumed different learning rates (ε) and irreducible noises (ξ) in the

WMGNG block, respectively. To address the possibility that two of the three parameters would

be affected by the WM load, we constructed three additional models with eight free parameters:

model 5 with different Pavlovian bias (π) and learning rate (ε); model 6 with different Pavlovian

bias (π) and irreducible noise (ξ); and model 7 with different learning rate (ε) and irreducible

noise (ξ). Finally, we constructed the full model, which assumed that all of these three

parameters would be affected by WM load, leading to nine free parameters.

Table 1. Free parameters of all models

Model No.	Model	# of parameters
1	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi$	6
2	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \pi_{wm}$	7
3	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \epsilon_{wm}$	7
4	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \xi_{wm}$	7
5	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \pi_{wm}, \epsilon_{wm}$	8
6	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \pi_{wm}, \xi_{wm}$	8
7	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \epsilon_{wm}, \xi_{wm}$	8
8	$\epsilon, \rho_{rew}, \rho_{pun}, b, \pi, \xi, \pi_{wm}, \epsilon_{wm}, \xi_{wm}$	9

Procedures for model fitting and model selection

Model parameters were estimated using hierarchical Bayesian analysis (HBA). Group-

level distributions were assumed to be normally distributed, with mean and standard deviation

parameters set as two free hyperparameters. We employed weakly informative priors to

minimize the influences of those priors on the posterior distributions [65,111]. Additionally, for

parameter estimation, the Matt trick was used to minimize the dependence between group-

level mean and standard deviation parameters; it also facilitated the sampling process [112].

Moreover, bounded parameters such as learning rates and irreducible noise ($\in$ [0, 1]) were

estimated within an unconstrained space; they were then probit-transformed to the

constrained space, thus maximizing MCMC efficiency within the parameter space [111,113].

We ran four independent chains with 4000 samples each, including 2000 warm-up

samples (i.e., burn-in) to ensure that the parameters converged to the target distributions.

Four chains were run to ensure that the posterior distributions were not dependent on initial

starting points [114]. We visually checked convergence to target distributions by observing

trace plots (**Fig S1**) and computing the R statistics - a measure of convergence across chains

[115]. R statistics were < 1.1 for all models, indicating that the estimated parameter values

converged to their target posterior distributions (**Table S1**).

Models were compared using the LOOIC, which is an information criterion calculated

from the leave-one-out cross-validation [63]. This method is used to estimate the out-of-

sample predictive accuracy of a fitted Bayesian model for model comparison and selection.

The LOOIC is computed using the log-likelihood evaluated from posterior distributions or

simulations of the parameters. The R package loo [63], which provides an interface for the

approximation of leave-one-out cross-validated log-likelihood, was used to estimate the

LOOIC for each model. Lower LOOIC values indicated better fit.

fMRI scans: acquisition and protocol

fMRI was performed on the same scanner (Simens Tim Trio 3 Tesla) using a 32-

channel head coil across all participants. A high-resolution T1-weighted anatomical scan of

the whole brain resolution was also acquired for each participant (TR = 2300ms, TE = 2.36ms,

FOV = 256mm,1mm×1mm×1mm) to enable spatial localization and normalization. The

participant's head was positioned with foam pads to limit head movement during acquisition.

Functional data was acquired using echo-planar imaging (EPI) in four scanning sessions

containing 64 slices (TR = 1500ms, TE = 30ms, FOV = 256mm, 2.3mm × 2.3mm × 2.3mm).

For the GNG task, functional imaging data were acquired in two separate 277-volume runs,

each lasting about 7.5 min. For the WMGNG task, data were acquired in two separate 357-

volume runs, each lasting about 9.5 min.

fMRI scans: general linear models

Preprocessing was performed using fMRIPrep 20.2.0 (RRID:SCR_016216) [116,117],

which is based on Nipype 1.5.1 (RRID:SCR_002502) [118,119]. Details of preprocessing with

fMRIPrep are provided in Supplementary Material. Subsequently, images were smoothed

using a 3D Gaussian kernel (8mm FWHM) to adjust for anatomical differences among

participants. BOLD-signal image analysis was then performed using SPM12

[http://www.fil.ion.ucl.ac.uk/spm/] running on MATLAB v9.5.0.1067069(R2018b).

We built participant-specific GLMs, including all runs – two runs for the GNG block and

two runs for the WMGNG block – and calculated contrasts to compare the two blocks at the

individual level. The first-level model included six movement regressors to control the

movement-related artifacts as nuisance regressors. Linear contrasts at each voxel were used

to obtain participant-specific estimates for each effect. These estimates were entered into

group-level analyses, with participants regarded as random effects, using a one-sample t-test

against a contrast value of 0 at each voxel. The group-level model included covariates for

gender, age, and the task order. For all GLM analyses, we conducted ROI analysis; the results

were corrected for multiple comparisons using small volume correction (SVC) within ROIs.

GLM1 (Hypothesis 1): GLM1 was used to test hypothesis 1: RPE signaling in the

striatum would be increased under WM load. Therefore, GLM was implemented by the model-

based fMRI approach and included the following regressors: (1) cue onset of "go to win" trials,

(2) cue onset of "no-go to win" trials, (3) cue onset of "go to avoid losing" trials, (4) cue onset

of "no-go to avoid losing" trials, (5) target onset of "go" trials, (6) target onset of "no-go" trials,

(7) outcome onset, (8) outcome onset parametrically modulated by the trial-by-trial RPEs, and

(9) wait onset (i.e., inter-trial interval). The regressor of interest was "RPE"; we compared the

main effect of RPE between two tasks ($RPE(8)_{WMGNG}$ - $RPE(8)_{GNG}$). RPE regressors were

calculated by subtracting the expected values (Q) from the outcome for each trial. Here, the

outcome was the product of feedback multiplied by reward/punishment sensitivity. The a priori

ROI was the striatum, which is widely known to process RPE [12,14,120]. The striatum ROI

was constructed anatomically by combining the AAL3 definitions of bilateral caudate, putamen,

olfactory bulb, and nucleus accumbens.

GLM2 (Hypothesis 2): GLM2 was used to test hypothesis 2: neural responses

associated with Pavlovian bias would be increased under WM load. Specifically, the GLM

examined whether the difference between the anticipatory response to fractal cues in

Pavlovian-congruent trials and Pavlovian-incongruent trials was greater in the WMGNG task

than in the GNG task in regions associated with Pavlovian bias. Therefore, GLM included the

following regressors: (1) cue onset of "go to win" trials, (2) cue onset of "no-go to win" trials,

(3) cue onset of "go to avoid losing" trials, (4) cue onset of "no-go to avoid losing" trials, (5)

target onset of "go" trials, (6) target onset of "no-go" trials, (7) outcome onset of win trials, (8)

outcome onset of neutral trials, (9) outcome onset of loss trials, (10) wait onset (i.e., inter-trial

interval). We compared the main effect of Pavlovian bias (Pavlovian-congruent trials -

Pavlovian-incongruent trials) between two tasks ($[(1) + (4) - ((2) + (3))]_{WMGNG} - [(1) + (4) ((2) +$

$(3))]_{GNG}$). The a priori ROIs were the striatum and SN/VTA, which are considered important in

Pavlovian bias [50–54]. The striatum ROI was constructed anatomically by combining the

AAL3 definitions of bilateral caudate, putamen, olfactory bulb, and nucleus accumbens.

Furthermore, the SN/VTA was constructed by combining the AAL3 definitions of bilateral SN

and VTA.

GLM3 (Hypothesis 3): GLM3 was used to test hypothesis 3: value comparison signals

would decrease under WM load. GLM3 was also implemented with a model-based fMRI

approach: (1) cue onset of all trials, (2) cue onset parametrically modulated by the trial-by-trial

decision values ($W_{chosen} – W_{unchosen}$), (3) target onset of "go" trials, (4) target onset of "no-go"

trials, (5) outcome onset, and (6) wait onset (i.e., inter-trial interval). Decision value regressors

were calculated by subtracting the action weights of the unchosen option ($W_{unchosen}$) from the

action weights of the chosen option (W_{chosen}). We then compared the main effect of decision

value between two blocks (($(2)_{WMGNG}-(2)_{GNG}$). The a priori ROI for GLM3 was the vmPFC, which

was suggested as a region that encodes the relative chosen value ($W_{chosen} - W_{unchosen}$)

[121,122]. Here, ROI masks were created by drawing a sphere with a diameter of 10 mm

around the peak voxel reported in the previous studies ([-6,48,-8] for vmPFC [121]).

PPI analysis: In addition to GLMs, we used PPI analysis to test whether WM load led

to reduced cooperation between WM and RL systems for learning [15,18] by using PPI

analysis. Here, to examine differences between the two blocks in terms of functional coupling

between the prefrontal areas and the area computing RPE after choices, we performed PPI

analysis using the gPPI toolbox [67]; the physiological variable was the time course of the

striatum in the anticipation phase, and the psychological variable was the effect of WM load

during the same phase. As a seed region (i.e., a physiological variable), the cluster striatum

ROI (peak MNI space coordinates x = 13, y = 14, z = -3) was derived from the results of GLM1,

which revealed stronger RPE signaling in the WMGNG task than in the GNG task during the

feedback phase. The entire time series throughout the experiment was extracted from each

participant in the striatum ROI. To create the PPI regressor, these normalized time series were

multiplied by task condition vectors for the anticipation phase, which consisted of the cue

representation and fixation phases as in GLM1. A GLM with PPI regressors of the seed region

was thus generated together with movement regressors. The effects of PPI for each

participant were estimated in the individual-level GLM; the parameter estimates represented

the extent to which activity in each voxel was correlated with activity in the striatum during the

anticipation phase. The contrast was constructed by subtracting activity during the anticipation

phase in the GNG task from activity in the WMGNG task (WMGNG vs. GNG in the anticipation

phase). Individual contrast images for functional connectivity were then computed and entered

into one-sample t-tests in a group-level GLM together with nuisance covariates (i.e., gender,

age, and task order). Whole-brain cluster correction was applied for PPI analysis.

Data availability

Behavioral data and codes for behavioral analysis and modeling are available at

https://github.com/CCS-Lab/project_WMDM_public. Unthresholded t maps are available on

Neurovault: https://identifiers.org/neurovault.collection:12860.

Supporting Information

Text S1. fMRIPrep details.

Text S2. fMRI results details.

Fig S1. Trace plots of group parameters for the best-fitting model. The trace plots show

that MCMC samples were well mixed and converged. Note that the plots excluded burn-in

samples.

Fig S2. Posterior distributions of individual go bias, reward sensitivity, punishment

sensitivity parameters. Dots indicate medians and thick bars indicate 95% HDIs.

Fig S3. Posterior distributions of individual Pavlovian bias and Pavlovian bias under

WM load parameters. Dots indicate medians and thick bars indicate 95% HDIs.

Fig S4. Posterior distributions of individual learning rate and learning rate under WM

load parameters. Dots indicate medians and thick bars indicate 95% HDIs.

Fig S5. Posterior distributions of individual irreducible noise and irreducible noise

under WM load parameters. Dots indicate medians and thick bars indicate 95% HDIs.

Fig S6. Results of fMRI replication analyses. (A) The main effect of WM load during the

anticipation phase. As reported in previous meta-analysis studies [29,123], under WM load,

regions of the lateral prefrontal cortex (PFC), including bilateral superior gyrus (MNI space

coordinates x = -22, y = 0, z = 50, Z = 6.03, p < 0.05 whole-brain cluster-level family-wise error

(FWE)) and middle frontal gyrus (MNI space coordinates x = 29, y = 2, z = 57, Z = 5.44, p <

0.05 whole-brain cluster-level FWE), and left precentral gyrus (MNI space coordinates x = -

45, y = 5, z = 30, Z = 5.79, p < 0.05 whole-brain cluster-level FWE) and left inferior parietal

cortex (MNI space coordinates x = -38, y = -51, z = 41, Z = 5.42, p < 0.05 whole-brain cluster-

level FWE) showed increased BOLD signal. These results indicate that participants indeed

had cognitive loads in the brain level. (B) The main effect of reward outcome. The reward was

significantly associated with the signal in the striatum (MNI space coordinates x = 18, y = 5, z

= -12, Z = 4.47, p < 0.05 whole-brain cluster-level FWE) and ventromedial PFC (MNI space

coordinates x = -3, y = 68, z = 4, Z = 4.92, p < 0.05 whole-brain cluster-level FWE). (C) The

main effect of loss outcome. Loss-related regions such as the insula (MNI space coordinates

x = -36, y = 19, z = -10, Z = 6.77, p < 0.05 whole-brain cluster-level FWE) showed increased

BOLD response. (B) and (C) are consistent with the previous findings suggesting reward- and

loss-related regions [124,125]. Overlays are shown with a threshold of p < 0.001 (uncorrected).

Color scale indicates t-values.

Table S1. Statistics of posterior distributions of group parameters for the best-fitting

model. $\hat{R}$ values [115] for all parameters were close to 1.00 (< 1.1), which indicates that the

estimated parameter values converged to their target posterior distributions.

Table S2. LOOIC for each model.

Table S3. Whole-brain results from replication analyses. Whole-brain cluster-level family-

wise error (FWE) for multiple comparison with a cluster-forming threshold of p < 0.001. * The

insula (peak in insula: x = -36, y = 19, z = -10, Z = 6.77) reported in the result (**Fig S6C**) was

included in this cluster of which the peak coordinate was located in orbital part of IFG.

Table S4. ROI and whole-brain results of the main effect of WM load on RPE. * p: small-

volume corrected FWE within an anatomical striatum ROI defined from aal3 atlas with a

cluster-forming threshold of p < 0.001. ** p: whole-brain cluster-level FWE for multiple

comparison with a cluster-forming threshold of p < 0.001.

Table S5. Neural statistics of the effect of WM load on Pavlovian bias.

Table S6. Whole-brain results from PPI analysis. * The dlPFC (peak in dlPFC: x = -20 y =

63, z = 23, Z =-4.24) reported in the result (**Fig 5B**) was included in this cluster of which peak

coordinate was located in medial SFG.

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