Testing the ion-current model for flagellar length sensing and IFT regulation

Hiroaki Ishikawa[1], Jeremy Moore[2,†], Dennis R. Diener[3], Markus Delling[4], Wallace F. Marshall[1*]

1. Department of Biochemistry and Biophysics, University of California San Francisco, San Francisco, CA 94143

2. Kenyon College, Gambier, OH, 43022 and Summer Research Training Program at University of California San Francisco, San Francisco, CA 94143

3. Max Planck Institute of Molecular Cell Biology and Genetics, Dresden, Germany 01307

4. Department of Physiology, University of California San Francisco, San Francisco, CA 94143

*Corresponding author: Wallace F. Marshall

Address: UCSF Mail Code 2200

Genentech Hall Room N372F

600 16th St.

San Francisco, CA 94143

Phone: (415) 514-4304

Fax: (415) 502-4315

Email: wallace.marshall@ucsf.edu

† Present address

Department of Molecular Cellular and Developmental Biology, Yale University, New Heaven, CT 06511

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Abstract

Eukaryotic cilia and flagella are microtubule-based organelles whose relatively simple

shape makes them ideal for investigating the fundamental question of organelle size

regulation. Most of the flagellar materials are transported from the cell body via an active

transport process called intraflagellar transport (IFT). The rate of IFT entry into flagella,

known as IFT injection, has been shown to negatively correlate with flagellar length.

However, it remains unknown how the cell measures the length of its flagella and controls

IFT injection. One of the most-discussed theoretical models for length sensing to control

IFT is the ion-current model, which posits that there is a uniform distribution of Ca^{2+}

channels along the flagellum and that the Ca^{2+} current from the flagellum into the cell

body increases linearly with flagellar length. In this model, the cell uses the Ca^{2+} current

to negatively regulate IFT injection. The recent discovery that IFT entry into flagella is

regulated by the phosphorylation of kinesin through a calcium-dependent protein kinase

has provided further impetus for the ion-current model. To test this model, we measured

and manipulated the levels of Ca^{2+} inside of *Chlamydomonas* flagella and quantified IFT

injection. Although the concentration of Ca^{2+} inside of flagella was weakly correlated with

the length of flagella, we found that IFT injection was reduced in calcium-deficient flagella,

rather than increased as the model predicted, and that variation in IFT injection was

uncorrelated with the occurrence of flagellar Ca^{2+} spikes. Thus, Ca^{2+} does not appear to

function as a negative regulator of IFT injection, hence it cannot form the basis of a stable

length control system.

Introduction

The mechanism by which cells control the size of organelles is a fundamental question in cell biology. Cells control the size of their organelles to efficiently use their energy and space (Chan and Marshall, 2012). However, it is mostly unknown how cells regulate organelle size, in part because the complexity of many organelles makes their size control mechanisms difficult to study. Eukaryotic cilia and flagella (we use these terms interchangeably) are an ideal model system to study size regulation because they consist of a simple, hair-like structure that can change in length while maintaining a constant diameter. Cilia and flagella are microtubule-based organelles that protrude from the cell body and are important for sensing extracellular signals and producing fluid flows (Ishikawa and Marshall, 2011; Reiter and Leroux, 2017). It is known that the length of cilia and flagella is cell type specific. For example, the biflagellate green alga *Chlamydomonas reinhardtii* adjusts the length of both flagella to a length suitable for swimming (Bauer et al., 2021; Bottier et al., 2019). If the flagella are too long or too short, the cells cannot swim efficiently. When flagella are removed from a cell, new flagella regenerate to the pre-severing length in around 90 min (Rosenbaum et al., 1969). Flagellar growth slows before they become full-length. This decelerating growth rate suggests that there is some mechanism that regulates the growth rate as a function of length.

Assembly and maintenance of flagella are dependent on an active transport system, intraflagellar transport (IFT). Because no protein synthesis occurs in the flagellum, new materials must be brought into the flagellum and carried to the site of assembly at the flagellar tip. IFT mediates this transport. IFT is carried out by huge protein complexes called trains, which have an elongate shape and move on the flagellar axoneme back and forth like a train (Jordan et al., 2018; Pigino et al., 2009). IFT trains assemble around the basal body and then enter the flagellum in a process known as IFT injection, after which they are carried to the flagellar tip by a heterotrimeric kinesin-2 motor and returned to the cell body by cytoplasmic dynein 2 (Ishikawa and Marshall, 2011; Rosenbaum and Witman, 2002). It is known that the rate of IFT injection is negatively correlated with the length of flagella during flagellar regeneration of (Engel et al., 2009;

Ludington et al., 2013), but it is unknown how cells regulate the rate of IFT injection. To
explain this negative correlation, several theoretical models have been proposed (Chan
and Marshall, 2012; Ludington et al., 2015; Rosenbaum, 2003).

One well-known model for the regulation of IFT injection is the ion-current model
(also known as the ciliary-current model). The ion-current model was first proposed by
Rosenbaum (2003) based on a previous electrophysiological study showing that voltage-
gated calcium channels were present in flagella at constant density (Beck and Uhl, 1994),
such that the number of voltage-gated calcium channels in the flagellum increases as the
flagellum elongates. Changes in flagellar calcium concentrations, due to changes in the
number and activity of calcium channels in the elongating flagella, were proposed to affect
calcium-dependent signaling pathways to regulate the rate of IFT injection or microtubule
assembly (Rosenbaum, 2003). In fact, changes in external Ca^{2+} are known to change
flagellar length in *Chlamydomonas* (Lefebvre et al., 1978; Quader et al., 1978; Tuxhorn
et al., 1998). The calcium ion-current model was first proposed based on physiological
measurements, but at the time, the molecular identity of the voltage-gated calcium
channel in the flagellar membrane was not known. More recently, several calcium channel
proteins have been shown to localize on the *Chlamydomonas* flagellum (Fujiu et al., 2011,
2009; Huang et al., 2007; Pazour et al., 2005). CAV2 is a subunit of a voltage-gated
calcium channel which resides in the flagellar membrane (Fujiu et al., 2009). The *ppr2*
mutant has a mutation in the CAV2 gene and is defective in the photophobic response
(Fujiu et al., 2009; Matsuda et al., 1998). TRP channels are also found in *Chlamydomonas*
flagella (Fujiu et al., 2011; Huang et al., 2007).

In the original ion-current model, it was not specified how Ca^{2+} contributes to
flagellar length regulation, but a potential molecular mechanism has been proposed by
Pan and colleagues (Liang et al., 2014, 2018). They found that a subunit of heterotrimeric
kinesin that drives IFT anterograde motion, FLA8/KIF3B, is phosphorylated by a calcium-
dependent protein kinase (CDPK1), and this phosphorylation negatively regulates IFT
injection into flagella. Because this work provides a potential missing link in understanding
the ion-current model, calcium-mediated regulation of IFT entry has increasingly been
viewed as a likely means of regulating IFT in response to flagellar length (Engelke et al.,

2019; Jiang et al., 2019; Kumari and Ray, 2022; Lechtreck et al., 2017; Liang et al., 2018).

There is thus a pressing need to test whether this model does in fact account for IFT

regulation as a function of length. The ion-current model hinges on two critical

assumptions (Figure 1A), both of which are experimentally testable. First, the amount of

flagellar Ca^{2+} needs to be an increasing function of the flagellar length. This assumption

would allow Ca^{2+} to serve as a length indicator within the ion-current model. Second, for

the ion-current model to work, cellular Ca^{2+} must negatively regulate IFT injection or

assembly of the axoneme. This is because if the amount of flagellar Ca^{2+} increases with

the flagellar length, it must work as a negative regulator to control the length of flagella in

order to have a stable length control system with negative feedback. If Ca^{2+} positively

regulated IFT injection, it could not be part of a stable feedback control loop and would

instead produce positive feedback.

Here, we tested the two underlying assumptions of the ion-current model by

quantitatively measuring the Ca^{2+} concentration inside of *Chlamydomonas* flagella using

a genetically encoded calcium biosensor, together IFT injection, in wild-type and calcium-

channel deficient flagella. The amount of Ca^{2+} inside of flagella was indeed correlated

with the length of flagella, as the model requires. However, IFT injection was reduced in

calcium-deficient flagella, rather than increased as the model predicted. Moreover, $CaCl_2$-

treated cells increased the amount of flagellar Ca^{2+} and IFT injection. We then examined

fluctuations of IFT at the time scale of individual injection events and compared these

fluctuations to fluctuations in flagellar Ca^{2+} and found no correlation, suggesting that

flagellar Ca^{2+} does not influence IFT injection at a short timescale. Thus, flagellar Ca^{2+}

apparently does not work as a negative regulator of IFT injection and therefore could not

form the basis of a stable length control system. These observations are thus inconsistent

with the ion-current model.

Results

Model for the ion-current model using kinesin phosphorylation

Before testing the calcium-based model experimentally, we first asked whether it could provide a stable length control mechanism, even in theory. We constructed a simplified model for flagellar length dynamics assuming that calcium entry is proportional to the flagellar length and that kinesin-2 activity is regulated by phosphorylation mediated by CDPK1 as previously reported (Liang et al., 2014) and summarized in Figure 1B. Details of this model, which integrates IFT-mediated transport, Ca^{2+} influx, and CDPK activity modulating IFT entry, are provided in Materials and Methods. As shown in Figure 1C, this model is able to produce a stable length control system, such that when flagella are removed they grow back to the correct length with decelerating kinetics that resemble those seen in actual flagella. Figure 1D further shows that the relative level of phosphorylation of kinesin changes during regeneration, smoothly increasing as the length increases, consistent with the experimental observations reported by Liang et al (2014). We note that this is a highly simplified model, and detailed numerical comparison to experiments is not useful since a number of parameters have unknown values. Nevertheless, this model serves to confirm the intuition that Ca^{2+} influx proportional to flagellar length, combined with CDPK-mediated regulation of IFT injection could, at least in principle, serve as a length control mechanism.

Quantitative flagellar Ca^{2+} detection using GCaMP

The first assumption of the ion-current model that we explore is the requirement that the Ca^{2+} amount in the flagellum should be an increasing function of flagellar length. To measure the amount of Ca^{2+} in *Chlamydomonas* flagella, we constructed *Chlamydomonas* strains that express GCaMP, a genetically encoded calcium indicator (Nakai et al., 2001), anchored in its flagella. GCaMP was fused to the C-terminus of dynein regulatory complex 4 (DRC4), an axonemal protein (Rupp and Porter, 2003), and DRC4-GCaMP was expressed in the *pf2-4* mutant cells, a loss-of-function mutant of DRC4. DRC4-GCaMP was localized along the length of flagella (Figure 2A) and rescued

the defective flagellar motility phenotype of the *pf2-4* mutant. DRC4 is a component of the

Nexin-Dynein Regulatory Complex, which is a part of the 96-nm axonemal repeat,

periodical structures on the axoneme (Heuser et al., 2009; Rupp and Porter, 2003).

Therefore, the amount of DRC4-GCaMP is constant per unit length, and the total quantity

of DRC4-GCaMP associated with axonemes is determined solely by the length of the

flagella. We previously showed that the amount of axonemal proteins, such as FAP20

and RSP3, is constant per unit length using GFP (Ishikawa et al., 2022). This result means

that our system using DRC4-GCaMP should be able to quantitatively detect flagellar Ca^{2+}.

To confirm that axonemal DRC4-GCaMP produces a signal that depends

quantitatively on free Ca^{2+}, we measured the GCaMP intensity using isolated DRC4-

GCaMP axonemes. We isolated flagella from DRC4-GCaMP (or DRC4-mCherry-

GCaMP) cells and removed the membrane from flagella so that Ca^{2+} can access the

axoneme-associated DRC4-GCaMP (or DRC4-mCherry-GCaMP). Isolated axonemes

were observed in various concentrations of free Ca^{2+} solutions (Figure 2B) and the

intensity was quantified (Figure 2C). GCaMP fluorescence showed a sigmoidal curve with

respect to free Ca^{2+} concentration, with an approximately linear response in the range of

free Ca^{2+} from 0.05 to 1 μM. Figure 2C provides a calibration curve that lets us

quantitatively measure Ca^{2+} in *Chlamydomonas* flagella based on DRC4-GCaMP

fluorescence.

The Ca^{2+} influx into the flagellum is correlated with flagellar length

To check whether the amount of Ca^{2+} influx into the flagellum is increased with increasing

flagellar length, we observed DRC4-GCaMP in flagella of living cells using total internal

reflection fluorescence (TIRF) microscopy during flagellar regeneration. *Chlamydomonas*

flagella were amputated with the pH shock method (see Materials and Methods), allowing

us to measure Ca^{2+} influx as a function of flagellar length as the flagella regrow. We

observed intensity fluctuation of GCaMP in live cells, indicating the presence of Ca^{2+} influx

(Figure 3A and Video 1). This intensity fluctuation was not observed when 1 mM EGTA

was added to the media (~150 nM of free Ca^{2+}, which is the same level as the cytosolic

Ca^{2+} concentration; Figure 3A and Video 3). This result indicated that most of the Ca^{2+}

influx came from outside of the cell.

TIRF movies of DRC4-GCaMP were converted into kymographs to measure the

calcium amount in the flagellum (Figure 3A). The amount of flagellar Ca^{2+} influx was

significantly correlated with the flagellar length but with a broad distribution of values

around the trend line (Figure 3B, Pearson correlation coefficient $\rho = 0.33$, and coefficient

of determination $r^2 = 0.11$). Longer flagella generally allowed more Ca^{2+} influx but also

had greater variability. This variability is mainly caused by the fact that the Ca^{2+} influx

does not occur consistently. The frequency of flagellar Ca^{2+} influx events (spikes) was not

correlated with the flagellar length (Figure 3C, $\rho = 0.14$, and $r^2 = 0.02$). The pattern of

Ca^{2+} influx events varied from flagellum to flagellum and from time to time and did not

match a Poisson distribution (Figure 3 - figure supplements 1and 2). Consistent with

previous reports, the Ca^{2+} influx into the flagellum was compartmentalized, such that

there was no correlation in Ca^{2+} influx events between the two flagella from the same cell

(Figure 3A, Figure 3 - figure supplement 1, and Video 1; Collingridge et al., 2013).

To reduce the Ca^{2+} influx into the flagellum, we used a calcium channel mutant

strain, *ppr2* (Fujiu et al., 2009; Matsuda et al., 1998). The *ppr2* mutant has an insertion in

the CAV2 gene, which encodes a voltage-gated calcium channel localized to flagella

(Fujiu et al., 2009). In the *ppr2* mutant, we still observed Ca^{2+} influx events, but the amount

of Ca^{2+} influx was no longer correlated with the flagellar length (Figure 3B, $\rho = 0.09$, and

$r^2 = 0.02$) and the magnitude of the influx was smaller than control on the average (Figure

3D). Interestingly, the *ppr2* mutant reduced Ca^{2+} influx most strongly at the distal region

of flagella (Figure 3A). This reduction is presumably caused by the loss of CAV2 protein,

which localizes in the distal part of the flagellum (Fujiu et al., 2009). Conversely, we tried

to increase the amount of flagellar Ca^{2+} by raising the concentration of extracellular Ca^{2+}.

When 1 mM $CaCl_2$ was added to the media, we confirmed that the amount of flagellar

Ca^{2+} was increased (Figures 3 A, B, and D). Thus, we could regulate the amount of

flagellar Ca^{2+} by using the flagellar Ca^{2+} channel mutant cells or changing the external

Ca^{2+} concentration.

IFT injection was reduced in calcium-deficient flagella

As discussed above, in order for the ion-current model to work, Ca^{2+} would need to be a negative regulator of IFT injection. Any reduction in Ca^{2+} influx should thus lead to increased IFT injection. Because the amount of Ca^{2+} influx into flagella was reduced in the *ppr2* mutant (Figures 3 B and D), IFT injection in the *ppr2* mutant should be increased compared to control cells if the ion-current model is correct. To test this prediction, we quantified the IFT injection using kinesin-associated protein (KAP), which is a subunit of the heteromeric kinesin-2 motor (IFT kinesin), tagged with green fluorescent protein (GFP). We focused on the kinesin-2 motor because this is the component of IFT that is apparently regulated by Ca^{2+} (Liang et al., 2018, 2014). KAP-GFP was expressed in the *fla3* mutant, which has a point mutation in the *FLA3* gene (encodes KAP), and rescued the phenotype of the *fla3* mutant (Mueller et al., 2005). This *fla3* KAP-GFP strain was also used in previous studies for measuring IFT injection intensity (Engel et al., 2009; Ishikawa and Marshall, 2017; Ludington et al., 2013). Movies of KAP-GFP were converted into kymographs to measure IFT injection (Figure 4A and Videos 4-6). Similar to previous reports (Ishikawa and Marshall, 2017; Ludington et al., 2013), the injection intensity of KAP-GFP decreases as flagellar length increases in control cells (Figure 4B). In the *ppr2* mutant, IFT injection was also negatively correlated with the flagellar length but was reduced in short flagella compared to control cells (Figure 4 B and C). This is the opposite of the prediction of the ion-current model. To confirm that flagellar Ca^{2+} is related to this IFT reduction phenotype, we treated KAP-GFP cells with 1 mM EGTA and measured the intensity of IFT injection. EGTA treated cells showed reduced, rather than increased, IFT injection, similar to that seen in *ppr2* mutant cells (Figure 4 B and C). In contrast, the KAP-GFP cells treated with 1 mM $CaCl_2$ increased the intensity of IFT injection (Figure 4 B and C). Because reduction in Ca^{2+} caused a decrease, rather than an increase in IFT injection and vice versa, these results suggested that flagellar Ca^{2+} does not work as a negative regulator of IFT injection. Our observations thus do not support the ion-current model.

Effect of Ca^{2+} on flagellar regeneration and disassembly

The preceding results were based on quantifying KAP entry into flagella. As an alternative

indicator of IFT based on IFT function, we note that IFT is thought to drive flagellar

elongation, such that increased IFT injection should lead to faster flagellar growth, while

decreased IFT injection should lead to slower growth. Flagellar growth can thus be used

as an indicator of functionally altered IFT injection. To confirm our result that flagellar Ca^{2+}

does not inhibit IFT injection as predicted by the ion-current model, we performed flagellar

regeneration assays while altering Ca^{2+} concentrations. *Chlamydomonas* cells were

treated with low-pH media to remove their flagella and cultured with TAP media with or

without 1 mM EGTA (free Ca^{2+} in the two types of media is 149.3 nM and 170 μM,

respectively). 150 nM free Ca^{2+} is comparable to the cytosolic Ca^{2+} concentration but was

enough to eliminate detectable flagellar Ca^{2+} influx (Figure 3A and Video 3). 1 mM EGTA

treated cells showed slower flagellar regeneration than control cells but could eventually

reach the original length of flagella (Figure 5A, orange triangles). This observation is

consistent with previous studies (Liang and Pan, 2013) but is contrary to the prediction of

the ion-current model, in which reduction of calcium should lead to faster regeneration

due to increased IFT injection.

These findings suggested that at least a cytoplasmic concentration of Ca^{2+} is

enough for flagellar regeneration, and further Ca^{2+} influx into the flagellum is not essential.

Interestingly, the *ppr2* mutant cells showed slower flagellar regeneration and shorter final

length than 1 mM EGTA treated cells even though the *ppr2* mutants still have some Ca^{2+}

influx events (Figure 5A, red square). In any case, Ca^{2+} influx through CAV2 is apparently

not necessary for assembly of flagella, and CAV2 might have another role for flagellar

assembly or maintenance. To investigate whether extracellular Ca^{2+} can promote flagellar

assembly, we added 1 mM $CaCl_2$ to TAP media after pH shock. Flagellar regeneration

kinetics in $CaCl_2$ added media did not change relative to normal TAP media (Figure 5A,

green diamonds). The extra amount of extracellular Ca^{2+} does not help assembly of

flagella. Because the IFT injection was increased in the $CaCl_2$ treated cells, without

causing an increase in flagellar assembly, these IFT trains might carry less cargo, such

as tubulin. It has been reported that tubulin loading onto IFT trains is regulated by flagellar

length (Craft et al., 2015).

While flagellar Ca^{2+} does not seem to affect either IFT injection or flagellar

assembly in the way expected from the ion-current model, an alternative length control

model involving Ca^{2+} could be that flagellar Ca^{2+} might promote flagellar disassembly,

such that longer flagella would experience a faster disassembly rate. We therefore tested

how flagellar Ca^{2+} affects flagellar disassembly using the temperature-sensitive *fla10*

mutant cells (Huang et al., 1977). The *fla10* mutant cells gradually reduce their flagellar

length at the restrictive temperature (Huang et al., 1977; Marshall et al., 2005). The *ppr2*

mutation had no clear effect on disassembly rates, and EGTA treated cells showed faster

disassembly kinetics than untreated cells in both control and *ppr2* mutant cells (Figure

5B), rather than the slower kinetics that would be predicted if flagellar Ca^{2+} normally

promoted disassembly. We also tested putative mutations in flagella-localized calcium

pumps and found no effect on flagellar length (Figure 5 - figure supplement 1). Overall,

our results suggest that flagellar Ca^{2+} does not inhibit IFT injection or flagellar assembly

or promote flagellar disassembly.

Flagellar Ca^{2+} does not change IFT injection even at short timescales

Our analyses suggested that flagellar Ca^{2+} helps flagellar assembly and maintenance

rather than flagellar disassembly and does not inhibit IFT injection. However, this

conclusion is based on separate measurements of Ca^{2+} and IFT carried out under

identical conditions but not in the same cells, and is based on comparison of population

averages as a function of length, leaving open the possibility that there could be

correlations between Ca^{2+} influx and IFT injection over short periods of time. Such a short

time scale correlation might be important given that calcium shows spiking dynamics that

are more regularly spaced than predicted by a Poisson distribution. These spikes could

play a role in transiently delaying or shifting the time at which IFT injections occur, leading

to a more regular or uniform IFT time series. To ask how flagellar Ca^{2+} might contribute

to flagellar length control or IFT injection over short time scales in individual flagella, we

performed dual-channel live-cell imaging of Ca^{2+} and IFT using DRC4-GCaMP and

mScarlet-IFT54 (Figure 6A and Video 9). IFT injection measured in dual-channel imaging

was negatively correlated with flagellar length, similar to our KAP-GFP analysis (Figure

6B). Both frequency and speed of anterograde mScarlet-IFT54 showed a similar

distribution with KAP-GFP (Figures 4D, 4E, 6C, and 6D). Likewise, GCaMP intensity

measured in dual-channel imaging also showed a similar distribution as previously seen

in our single-wavelength imaging (Figure 6E). However, there was no obvious correlation

between Ca^{2+} influx and IFT injection (Figure 6F), consistent with our results above

comparing separate single-channel imaging data.

To further investigate the potential effect of Ca^{2+} influx on IFT behavior on a short

time scale, we asked whether a burst of Ca^{2+} influx might cause a transient change in IFT

behavior. We selected kymograph regions in which there was no observed Ca^{2+} influx for

at least 10 s before a Ca^{2+} burst and analyzed successive 5 s intervals (Figure 7A). In

this analysis, we did not find a statistically significant difference in intensity or frequency

of IFT injection during the time windows before or after Ca^{2+} influx (Figure 7 B and C).

However, average speeds of both anterograde and retrograde IFT appeared to increase

during Ca^{2+} influx. The increase in average speed was due to the fact that paused IFT

trains, which had an initial speed of zero, became re-activated during the Ca^{2+} bursts,

consistent with a previous report (Collingridge et al., 2013; Fort et al., 2021). In

experiments in which cells were treated with 1 mM EGTA, a slowdown of IFT trains was

also observed (Figure 4E). Moreover, the background intensity of the mScarlet-IFT54

channel decreased after Ca^{2+} influx (Figure 7I). This background reduction means that

IFT trains, which paused and accumulated during the prolonged absence of Ca^{2+} influx,

restarted with Ca^{2+} influx. Because most of the pausing IFT trains were retrograde IFT,

the intensity of the returning IFT was transiently increased after Ca^{2+} influx (Figure 7C).

This result showed that Ca^{2+} bursts can clear out the accumulated retrograde IFT trains

from flagella. Additional examples are given in Figure 7 - figure supplement 1. Because

a portion of IFT trains, after returning to the base, can be reused as new anterograde IFT

trains (Wingfield et al., 2017), we expected that IFT injection might increase after a burst

of Ca^{2+} influx, due to the resulting release of paused retrograde trains. However, IFT

injection did not obviously increase after the returning IFT trains reached the base of the

flagellum in this time range (Figure 7B). Together, these results indicate that Ca^{2+} influx

can restart paused IFT trains and increase the amount of returning IFT trains to the base

of flagella, but that IFT injection is not controlled by Ca^{2+} influx in a short time and is not

triggered by a transient increase in the arrival of retrograde trains.

Discussion
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The role of Ca^{2+} dependent phosphorylation in IFT

The work of Liang et al. (2014) has clearly shown that the IFT kinesin is regulated by

CDPK1. Why then in our hands do we not observe the expected effect of calcium channel

modulation and Ca^{2+} depletion on length? For one thing, it has not been shown directly

that this kinase requires Ca^{2+} for its activity in *Chlamydomonas*. CDPK1 has also been

shown to regulate IFT turnaround at the flagellar tip (Liang et al., 2014), however recent

studies showed that IFT can turn around at the tip without Ca^{2+} (Chien et al., 2017;

Nievergelt et al., 2022). Thus, Ca^{2+} might not be required for the activation of CDPK1.

Furthermore, it is important to note that regulation does not have to imply feedback control.

We modeled the phosphorylation of kinesin as occurring in response to Ca^{2+} entering

through the flagellar membrane, which is consistent with the original ion-current model

(Rosenbaum, 2003). However, it is also possible that the phosphorylation is regulated by

cytoplasmic Ca^{2+} fluctuations, which could be independent of the flagellum, thus

constituting a separate regulatory input. In such a scenario, CDPK1 would not be part of

a feedback loop because it would not be sensitive to flagellar length. This case may

therefore be similar to the length-regulating kinase LF4 in *Chlamydomonas*. Null mutants

in *lf4* have flagella that are approximately double the normal length, but their length is still

regulated in the sense that length variation is constrained (Bauer et al., 2021). Since

length is still regulated in a null mutant of *lf4*, the kinase cannot be part of a feedback loop

essential for length control. Instead, it is likely to carry information from other signaling

pathways to alter the set-point of flagellar length. We speculate that the calcium-

dependent regulation of kinesin entry into flagella during IFT may provide a way for

cellular states, such as cell cycle or metabolic state, to influence flagellar length, and not

as a feedback control loop necessary for length regulation *per se*. Liang and Pan (2013)

also showed that another calcium-dependent protein kinase, CDPK3, helps flagellar

assembly at low Ca^{2+} concentrations. CDPK1 and CDPK3 may have opposite regulation

over length control downstream of Ca^{2+}. We speculate that regulation of some flagella

related processes by cytoplasmic, rather than flagellar Ca^{2+}, may explain the long-known

result that reduction in Ca^{2+} leads to shortening or loss of flagella (Lefebvre et al., 1978)

which has always stood in contradiction to the ion-current model.

The role of flagellar Ca^{2+} influx in flagellar length control

The ion-current model assumed that the Ca^{2+} influx was stable. However, the amount of

flagellar Ca^{2+} was highly dispersed around the trend line although on average it is

correlated with flagellar length. This variability mostly came from the randomness of the

Ca^{2+} influx events. However, the Ca^{2+} influx events did not match a Poisson distribution,

consistent with the idea of Ca^{2+} bursting. Ca^{2+} influx may itself be regulated by some other

process. A previous study found that increased Ca^{2+} influx is evoked in the trailing

flagellum during gliding motility (Collingridge et al., 2013). Because our cells were also

mounted on glass surfaces to image flagella, the gliding motility could also be one source

of variation in our experiments. Because we imaged cells embedded in agarose, they

were prevented from gliding extensively. Previous studies have also shown that poly-

lysine-coated coverslips can increase Ca^{2+} influx events in flagella (Fort et al., 2021).

These findings suggested that a mechanical stimulus on the flagellum is one of the

triggers of Ca^{2+} influx. The difference in Ca^{2+} influx between the two flagella might also

be related to the phototactic behavior of *Chlamydomonas*. *Chlamydomonas* cells can

change beat frequency and beat pattern of each flagellum to turn towards the light source

(Rüffer and Nultsch, 1991), and they are controlled by Ca^{2+} (Kamiya and Witman, 1984).

This phototactic response is mediated by the signal transduction from the photoreceptor,

which is located at the eyespot (Harz and Hegemann, 1991). Because these kinds of Ca^{2+}

responses are dependent on the specific local environment in which the cell might find

itself, they are unlikely to produce a stable signal, making them less useful as an indicator

of flagellar length.

The flagellar regeneration kinetics of 1 mM EGTA treated cells (Figure 5A) were

similar to results reported in rapamycin treated *Chlamydomonas* cells. Rapamycin

treated cells also showed slower flagella regeneration kinetics, but the length of the

flagellum eventually reached its original length before deflagellation (Yuan et al., 2012).

Rapamycin inhibits the mTOR pathway (Wullschleger et al., 2006), and it is known that

intracellular Ca^{2+} is necessary for the activation of the mTOR pathway (Gulati et al., 2008;

Li et al., 2016). The slow regeneration kinetics of EGTA treated cells might be caused by

the inhibition of the cytoplasmic mTOR pathway. Other calcium dependent processes in

the cytoplasm might also potentially affect IFT, and our results cannot rule out this

possibility. However, we note that the ppr2 mutant also fails to show the effect on IFT or

regeneration predicted by the ion current model.

It has been proposed that not only IFT injection, but also cargo loading onto IFT

particles, is regulated as a function of flagellar length (Craft et al., 2015). Quantitative

studies show that some or all of this apparent length-dependent cargo loading is a result

of the fact that in longer flagella, IFT trains are shorter and thus have fewer tubulin binding

sites (Wemmer et al., 2020). Nevertheless, the question arises whether flagellar Ca^{2+}

could play a role in regulating tubulin binding to the IFT particles. If this was the case,

Ca^{2+} would have to inhibit cargo binding, in order for cargo binding to decrease at longer

lengths as has been reported. Reduction of flagellar Ca^{2+} should thus lead to increased

cargo binding, causing flagella to grow faster and/or to longer lengths. Our measurements

of flagellar growth rate (Figure 5A) show that in fact the opposite is true.

Taken together, our experimental test of the ion-current model for flagella length

control appears to rule out an ion channel model based on Ca^{2+} influx into flagella. It is

formally possible that some other ion might serve as a length sensor, but thus far Ca^{2+} is

the only candidate ion for which a plausible mechanistic link to IFT regulation has been

reported.

We previously provided experimental evidence against two other potential length

control models - an "initial bolus" model (Ludington et al., 2015) in which IFT particles are

initially injected into a newly formed flagellum but then recycle without being able to leave,

as well as a "time-of-flight" model (Ishikawa and Marshall, 2017; Ludington et al., 2015)

in which IFT particles contain a molecular timer that tracks the time spent inside the

flagellum as a proxy for flagellar length. Here we rule out a calcium-based ion-current

model for length sensing as well. Of the models we have considered, the remaining model

for length-dependent IFT regulation is one based on diffusive return of the IFT kinesin

(Hendel et al., 2018). The experiments presented here do not address this diffusion-

based model, which is thus far the only model for which there is no opposing experimental
evidence.

Return of re-activated retrograde trains

When anterograde IFT trains reach the tip, they remodel into a different number of
retrograde trains (Chien et al., 2017). Much less is known about possible remodeling of
retrograde trains at the basal body in order to re-inject them. One possibility might be that
some of returning IFT particles are immediately packaged into anterograde trains and re-
injected back into the same flagellum (Wingfield et al., 2017).

We observed the re-activation of large paused retrograde trains by Ca^{2+} spikes,
which has been reported to occur due to an ability of Ca^{2+} influx to break the link between
IFT and membrane proteins and thus restart paused retrograde IFT trains (Fort et al.,
2021). We note in addition that many cytoplasmic dynein cargo adaptors contain EF hand
domains (Reck-Peterson et al., 2018), and at least in the case of CRACR2a it has been
shown that increased cellular calcium can activate dynein motility (Wang et al., 2019).
Regardless of the mechanism, the re-activation of these paused trains results in the
sudden return of a large quantity of IFT particles to the base, as visualized by a strong
retrograde trace. However, when we then looked at the anterograde trains entering the
flagellum in a short time period after the return of these trains, no significant increase in
IFT injection was observed (Figure 7). This observation implies that returning IFT particles
are not directly re-injected. This may indicate that the remodeling/recycling of retrograde
IFT trains into anterograde IFT trains simply needs more time, or it might be because IFT
injection is controlled by some other process that determines the timing of new particle
injection, regardless of instantaneous retrograde return events.

Materials and methods

Chlamydomonas strains and culture condition

Chlamydomonas reinhardtii strains, wild-type 137c (CC-125), the *fla3-1* mutant expressing KAP-GFP (CC-4296)(Mueller et al., 2005), the *fla10-1* mutant (CC-1919)(Huang et al., 1977), and the *pf2-4* mutant (CC-4404)(Rupp and Porter, 2003) were obtained from the Chlamydomonas Resource Center (University of Minnesota, St. Paul, MN). The *ppr2* mutant strain was provided by Kenjiro Yoshimura (Fujiu et al., 2009; Matsuda et al., 1998). The *ift54-2* mutant strain expressing mScarlet-IFT54 was provided by Karl Lechtreck (Fort et al., 2021; Wingfield et al., 2017). The generation of *pf2-1* DRC4-GCaMP has been described (Nievergelt et al., 2022). The presence of mutant alleles was confirmed by PCR. *pf2-1* DRC4-GCaMP was crossed with the *pf2-4* mutant. We crossed the *pf2-4* DRC4-GCaMP strain with the *ppr2* strain to generate the *ppr2 pf2-4* double mutant strain expressing DRC4-GCaMP. We generated the *ppr2* mutant expressing KAP-GFP by crossing the *ppr2* mutant with the KAP-GFP strain. For dual-channel imaging of Ca^{2+} and IFT, we crossed the *pf2-4* DRC4-GCaMP strain with *ift54-2* mScarlet-IFT54 strain to generate the *pf2-4 ift54-2* double mutant strain expressing both DRC4-GCaMP and mScarlet-IFT54. For flagellar disassembly assays, the *fla10-1* mutant strain was crossed with the *ppr2* strain to generate the *fla10-1 ppr2* double mutant strain. *Chlamydomonas* cells were grown in liquid Tris-acetate-phosphate (TAP) medium media (20 mM Tris HCl, 3.5 mM NH_4Cl, 0.2 mM $MgSO_4$, 0.17 mM $CaCl_2$, 1 mM K_3PO_4, and 1000× diluted Hutner's trace elements, titrated to pH 7.0 with glacial acetic acid) (Harris et al., 2009) at room temperature with constant aeration in light.

Flagellar regeneration and disassembly assays

Flagellar regeneration assays were performed in the same manner as previously described (Ishikawa and Marshall, 2017). Briefly, *Chlamydomonas* liquid cultures were adjusted to pH 4.5 by adding 0.5 M acetic acid and incubated for 1 min to amputate flagella, and then the pH was returned to pH 7.0 with 0.5 M KOH. The pH shocked cells were pelleted by centrifugation and resuspended with fresh TAP media with or without 1

mM EGTA (free Ca^{2+} is 149.3 nM and 170 μM, respectively). For the flagellar disassembly

assay, we used the *fla10* temperature-sensitive kinesin mutant. The *fla10* mutant and

fla10 ppr2 double mutant cells were cultured in TAP media at room temperature for one

day and then 1 mM EGTA was added, after which the cultures were transferred to a 33°C

incubator with continuous illumination. Cells were fixed with 2.5% glutaraldehyde before

and at time points after pH shock or temperature shift. Fixed cells were imaged by

differential interference contrast (DIC) microscopy using an inverted microscope

(AxioVert 200M, Zeiss, Jena, Germany) with an air objective (Plan Apo 40x/NA 0.75,

Zeiss) and a CCD camera (Axiocam MRm, Zeiss). The lengths of 20 biflagellated cells at

each time point and each sample were measured using ImageJ (NIH, Bethesda, MD).

We often observed the *fla10* mutant and *fla10 ppr2* double mutant cells with a single

flagellum after the temperature shift but measured only the cells with two flagella. We did

not observe any *fla10 ppr2* double mutant cells with two flagella at 300 min after the

temperature shift.

Live-cell imaging

All live-cell imaging was performed during the regeneration of flagella. *Chlamydomonas*

flagella were amputated by the pH shock method as described above. #1 (22 x 22 mm)

coverslips were coated with 0.1% poly-L-lysine solution (Sigma, St. Louis, MO) for 10 min

and washed three times with deionized water. A culture of flagella-regenerating cells was

placed on a poly-L-lysine-coated coverslip for 3 min and removed most of the media.

Then, the coverslip was mounted on glass slides with 2% agarose/TAP with or without 1

mM EGTA and sealed with VALAP (1:1:1 Vaseline, lanolin, and paraffin). Agarose

embedding prevents cells from gliding. Images were acquired on an inverted microscope

(Eclipse Ti-E, Nikon, Tokyo, Japan) configured for TIRF microscopy using an oil objective

(Apo TIRF 100 ×/NA 1.49; Nikon), MLC400 laser combiner with solid-state lasers of 405,

488, 561, and 647nm (Keysight, Santa Rosa, CA) and an electron-multiplying CCD (EM-

CCD; iXon Ultra 897, Andor, Belfast, UK) camera controlled with Nikon Elements

Software (v5.20.00 b1423). Image sequences were continuously acquired using triggered

acquisition using the 488 nm and/or 561 nm lasers (4.0 mW and 1.6 mW, respectively)

and single band-pass (ET525/50m and ET600/60m, Chroma, Bellows Falls, VT) or dual

band-pass emission filters (59012m, Chroma) with a camera exposure of 50 ms and an

EM gain of 300 used for both channels.

Quantifying axonemal DRC4-GCaMP

To quantify the GCaMP reactivity, axonemes were isolated from the *pf2-4* DRC4-GCaMP

or *pf2-4* DRC4-mCherry-GCaMP strains. Flagellar isolation and demembranation were

performed as previously described (Wakabayashi and Kamiya, 2015). For Ca^{2+} titrations,

GCaMP axonemes were washed and resuspended in 30 mM MOPS, pH 7.2, 100 mM KCl

with either 10 mM EGTA (zero free Ca^{2+}) or 10 mM CaEGTA (39 μM free Ca^{2+}) from the

calcium calibration buffer kit (Thermo Fisher, Waltham, MA) and then observed on the

TIRF microscope (Eclipse Ti-E, Nikon). GCaMP intensity was measured using ImageJ.

Each axoneme was traced by hand using the Segmented line tool with a 7-pixel line width,

analyzed by the Plot Profile function, and then average intensity per pixel was calculated.

At least 13 axonemes were analyzed for each calcium concentration.

Imaging analysis

For GCaMP intensity analysis, kymographs were generated from movies of DRC4-

GCaMP using ImageJ. GCaMP kymographs were analyzed in MATLAB (MathWorks,

Natick, MA). The kymographs were smoothed using a 2D Gaussian filter and

photobleach-corrected. The peak of Ca^{2+} influx was detected using the findpeaks function

on MATLAB. The intensity of Ca^{2+} influx was calculated as the sum of the peak area of

Ca^{2+} influx divided by imaging time.

For quantitative analysis of IFT injection and behavior, kymographs were

generated from movies of KAP-GFP or mScarlet-IFT54 using Kymograph Clear (Mangeol

et al., 2016). IFT trajectories were detected using KymoButler, a deep learning-based

software (Jakobs et al., 2019), and extracted as coordinates. IFT kymographs and

coordinates of IFT trajectories were analyzed in MATLAB. Whenever separated IFT

trajectories were detected on the same track, they were connected, and any overlaps of

IFT trajectories were removed. The IFT injection intensity was calculated as the total

intensity of anterograde IFT trajectories per unit length and unit time. IFT velocity and
frequency were calculated from extracted IFT trajectories. The intensities of IFT injection
and returning IFT were calculated as the sum of the average intensity of injecting or
returning IFT trajectories during the image acquisition period.

For analysis of dual-channel imaging, dual-channel movies were converted to
kymographs for each channel. The mScarlet channel showed slight bleed-through to the
GCaMP channel because we used the dual band-pass emission filter for imaging. To
remove the weak bleed-through of mScaret-IFT54 signals from DRC4-GCaMP
kymographs, 20% intensity of the mScaret-IFT54 kymograph was subtracted from the
GCaMP kymograph. The intensity of Ca^{2+} influx was calculated in the same manner as
described above. To investigate the short-term effect of Ca^{2+} influx on IFT, we selected
the kymographs without Ca^{2+} influx for more than 10 s before bundles of Ca^{2+} influx that
had more than 2,000 intensities. We calculated IFT injection, velocity, and frequency for
10 s and 15 s each before and after the start of the Ca^{2+} influx in these kymographs. The
intensities of IFT injection and returning IFT were calculated as the sum of the intensity
of IFT trajectories that started from or returned to the base within the time range. We also
calculated the background intensity from the kymographs which removed both
anterograde and retrograde IFT trajectories. All calculations were performed using
custom-written routines in MATLAB.

For statistical analyses and graph generation, we used GraphPad Prism
(GraphPad, San Diego, CA). The statistical significance of Ca^{2+} influx between the control
and the *ppr2* mutant was tested using an unpaired t test. Statistical significances of IFT
behaviors were tested using a paired t test.

Computational model
We constructed a computational model of flagellar length control based on the general
concept proposed by Rosenbaum (2003) and based on the biochemical work of Liang et
al on CDPK1 mediated phosphorylated of kinesin-2 (Liang et al., 2014). This model is
based on the following assumptions. First, as first proposed by Rosenbaum (Rosenbaum,
2003) based on the measurements of Beck and Uhl (Beck and Uhl, 1994), we assume

that the concentration of calcium at the base is on average proportional to the length of
the flagellum.

$$Ca^{2+} = \alpha L$$

Where α is a proportionality constant.

Second, we assume that CDPK1 activity depends on the instantaneous calcium
concentration according to a saturable binding relation with some dissociation constant
that is an adjustable parameter of the model. In effect, this assumption means that the
kinetics of allosteric regulation of CDPK1 activity by calcium occur on a much faster time
scale than the other events of our model. This yields the relation:

$$F_{CDPK} = \frac{\alpha L}{\alpha L + K_D}$$

Where F_{CDPK} is the fraction of enzyme that is active, and K_D is the dissociation constant
of calcium binding by CDPK1.

Third, we assume that phosphorylation of kinesin by CDPK1, as well as subsequent
dephosphorylation of kinesin, both take place on a fast timescale relative to the timescale
of flagellar length change, such that the fraction of active kinesin is at a quasi-state in the
model. Given this assumption, we represent the fraction of phosphorylated kinesin as a
function of the relative activity of CDPK1 according to a Michaelis-Menten equation:

$$K = 1 - \frac{F}{F + K_M}$$

Where K_M is the Michaelis constant for the interaction of the enzyme CDPK1 with the
kinesin substrate.

Fourth, based on the results of Liang et al (2014), we assume that the number of IFT
particles entering the flagellum per unit time is proportional to the fraction of non-

phosphorylated kinesin-2 proteins. Fifth, we assume that the occupancy of IFT particles

for tubulin is proportional to the quantity of tubulin available in the cytoplasm, which is

equivalent to saying that binding is not saturated. This was the assumption used in

previous models (Marshall et al., 2005) and is consistent with observations on the

fractional occupancy of tubulin during flagellar assembly (Craft et al., 2015; Wemmer et

al., 2020).   We thus represent the available tubulin pool as (P-2L) where P is the total

precursor (tubulin) pool and L is the length of each of the two flagella.   With these

assumptions, we can describe flagellar length dynamics as follows:

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$$\frac{dL}{dt} = A * K * (P - 2L) - D$$

Where A is a proportionality constant describing the total pool of kinesins, such that AK

is the pool of kinesins currently active, as well as the incremental increase in length that

occurs when a kinesin delivers cargo to the tip. D is the rate of disassembly, which is

assumed to be constant based on prior measurements (Marshall et al., 2005).

The net growth rate is used to update the length using the Euler method with a

timestep of 0.02 seconds. Output values are stored every 50 timesteps (1 second of

simulation). Source codes of the model and data analyses used in this work (Ishikawa

and Marshall 2022) can be found here:

https://github.com/ishikawaUCSF/IonCurrentModel

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Abbreviations

CDPK: calcium-dependent protein kinase

DIC: differential interference contrast

DRC: dynein regulatory complex

GFP: green fluorescent protein

IFT: intraflagellar transport

KAP: kinesin-associated protein

TIRF: total internal reflection fluorescence

Note: This is a preprint and is not peer reviewed

Declaration of Competing Interests
The authors declare that they have no competing interests.

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 Figure legends

 Figure 1 Schematic diagram and modeling of the ion-current model.

 (A) The ion-current model assumes the ion channels are uniformly distributed along the

 length of the flagellum, and Ca^{2+} ions entering the flagellum are proportional to the

 flagellar length. Flagellar Ca^{2+} is assumed to negatively regulate IFT injection into flagella

 to control the flagellar length. The longer flagellum can intake more ions, and these ions

 inhibit IFT injection such that the further assembly of flagella is suppressed. (B) The

 schema of kinesin-2 inactivation by Ca^{2+} and CDPK1 based on Liang et al. (2014). In a

 Ca^{2+}-dependent manner, CDPK1 phosphorylates FLA8, a subunit of heterotrimeric

 kinesin-2. Phosphorylated kinesin-2 loses its IFT protein binding activity. (C, D) Simulated

 result of the ion-current model based on kinesin-2 phosphorylation by CDPK1 (Liang et

 al., 2014), as detailed in Materials and methods. Flagellar length (C) and the ratio of

 phosphorylated kinesin (D) were plotted against time.

 Figure 2 DRC4-GCaMP quantitatively detects free Ca^{2+}.

 (A) Bright-field and fluorescent images of DRC4-GCaMP cells. DRC4-GCaMP localizes

 to the entire length of flagella. Scale bar: 10 μm. (B) Fluorescent images of isolated DRC4-

 mCherry-GCaMP axonemes. Axonemes were isolated from DRC4-mCherry-GCaMP

 cells and were treated with various concentration of free Ca^{2+}. GCaMP intensity increased

 as free Ca^{2+} concentration increased. Scale bar: 10 μm. (C) Semilogarithmic plot of

 GCaMP and mCherry intensities. GCaMP and mCherry intensities were measured and

 plotted. The blue dashed line shows the equation of a sigmoidal curve which is calculated

 from the data.

 Figure 3 Quantification of Ca2+ influx as a function of flagellar length.

 (A) Representative DRC4-GCaMP kymographs of *Chlamydomonas* flagella in control

 (*pf2* DRC4-GCaMP), *ppr2* mutant (*pf2 ppr2* DRC4-GCaMP), 1 mM EGTA treated (*pf2*

 DRC4-GCaMP), and 1 mM CaCl₂ treated (*pf2* DRC4-GCaMP) cells. These kymographs

 were assembled from Videos 1-4. Horizontal bar: 5 s; vertical bar: 5 μm. (B) The intensity

of Ca^{2+} influx into flagella was calculated from kymographs and plotted against flagellar

length. Different lengths of flagella were obtained by imaging flagella during regeneration.

Control (blue circles, n = 272, Pearson correlation coefficient ρ = 0.21, and coefficient of

determination r^2 = 0.04), the *ppr2* mutant (red squares, n = 182, ρ = 0.14, and r^2 = 0.02),

and 1 mM $CaCl_2$ treated cells (green diamonds, n = 96, ρ = 0.46, and r^2 = 0.21). (C) The

frequency of Ca^{2+} influx was plotted against flagellar length. No obvious correlation was

detected in either the control (blue circles, ρ = 0.11, and r^2 = 0.01) or the *ppr2* mutant (red

squares, ρ = 0.004, and r^2 = 1.85 × 10^{-5}). However, the frequency of Ca^{2+} influx in 1 mM

$CaCl_2$ treated cells was correlated with flagellar length (green diamonds, ρ = 0.33, and r^2

= 0.11). (D) The mean differences of Ca^{2+} influx intensity from the control regression line.

Data were plotted as scatter dot plots with mean ± SD. Statistical significance was

determined by an unpaired two-tailed t test against the control (**** P < 0.0001).

Figure 4 Quantification of IFT injection as a function of flagellar length.

(A) Representative KAP-GFP kymographs of *Chlamydomonas* flagella in control (*fla3*

KAP-GFP), *ppr2* mutant (*fla3 ppr2* KAP-GFP), 1 mM EGTA treated (*fla3* KAP-GFP), and

1 mM $CaCl_2$ treated (*fla3* KAP-GFP) cells. These kymographs were assembled from

Videos 5-8. Horizontal bar: 5 s; vertical bar: 5 *µ*m. (B) The mean KAP-GFP intensity of

each flagellum was calculated from kymographs and plotted against flagellar length.

Control (blue circles, n = 220, ρ = -0.72, and r^2 = 0.51), *ppr2* (red squares, n = 192, ρ = -

0.52, and r^2 = 0.27), EGTA (orange triangles, n = 162, ρ = -0.53, and r^2 = 0.28), and $CaCl_2$

(green diamonds, n = 116, ρ = -0.52, and r^2 = 0.27). (C) The mean difference of IFT

intensity from the control regression line. Data were plotted as scatter dot plot with mean

± SD. Statistical significance was determined by an unpaired two-tailed t test against the

control (*** P < 0.001; **** P < 0.0001). (D) The frequency of KAP-GFP was plotted

against flagellar length. Control (blue circles, ρ = 0.17, and r^2 = 0.03), *ppr2* (red squares,

ρ = 0.51, and r^2 = 0.26), EGTA (orange triangles, ρ = 0.14, and r^2 = 0.02), and $CaCl_2$

(green diamonds, ρ = 0.38, and r^2 = 0.15). (E) The velocity of KAP-GFP was plotted

against flagellar length. Control (blue circles, ρ = 0.64, and r^2 = 0.41), *ppr2* (red squares,

$\rho = 0.81$, and $r^2 = 0.64$), EGTA (orange triangles, $\rho = 0.69$, and $r^2 = 0.47$), and $CaCl_2$

(green diamonds, $\rho = 0.69$, and $r^2 = 0.48$).

Figure 5 The kinetics of flagellar regeneration and disassembly.

(A) Flagella were removed by the pH shock method. Mean flagellar length of control (wild-

type CC-125, blue circles), *ppr2* mutant (red squares), 1 mM EGTA treated (orange

triangle), and 1 mM $CaCl_2$ treated (green diamonds) cells was plotted against time after

pH shock. (B) The *fla10* mutant strains were transferred to the restrictive temperature

(33°C). Mean flagellar length of control (*fla10*, blue circles), *fla10 ppr2* mutant (red

triangle), 1 mM EGTA treated *fla10* (orange diamonds), and 1 mM EGTA treated *fla10*

ppr2 (magenta inverted triangles) cells was plotted against time after temperature shift.

20 biflagellated cells were measured per strain and time point.

Figure 6 Dual-channel imaging of DRC4-GCaMP and mScarlet-IFT54.

(A) Representative kymographs and quantified data. The DRC4-GCaMP kymograph (top)

was generated from Video 9. Quantified intensity of Ca^{2+} influx is shown at the bottom of

the kymograph. The mScarlet-IFT54 kymograph (middle) was generated from Video 9.

Quantified anterograde IFT injection is shown at the bottom of the kymograph. The

merged kymograph (bottom) of DRC4-GCaMP (green) and mScarlet-IFT54 (magenta).

Horizontal bar: 5 s; vertical bar: 5 μm. (B) The mScarlet-IFT54 intensity of each flagellum

was calculated from kymographs and plotted against flagellar length (n = 116, and

Pearson correlation coefficient $\rho = -0.47$). Non-linear regression is indicated by a solid

line ($r^2 = 0.21$). (C) The frequency of anterograde IFT was plotted against flagellar length

($\rho = 0.53$ and $r^2 = 0.28$). (D) The velocity of anterograde IFT was plotted against flagellar

length ($\rho = 0.76$ and $r^2 = 0.58$). (E) The intensity of Ca^{2+} influx into flagella was calculated

from kymographs and plotted against flagellar length ($\rho = 0.33$ and $r^2 = 0.11$). (F) The

mean mScarlet-IFT54 intensity was plotted against the intensity of Ca^{2+} influx ($\rho = -0.08$

and $r^2 = 0.007$).

Figure 7 Quantification of IFT behavior after Ca^{2+} influx.

(A) Overview of the short-time analysis of IFT behavior after a burst of Ca^{2+} influx using

dual-channel imaging. Analyzed areas were colored on the representative kymographs

of DRC4-GCaMP and mScarlet-IFT54. Intervals of each area are 5 s. Bursts of Ca^{2+}

influx were selected where no previous Ca^{2+} influx was observed for more than 10 s

before the Ca^{2+} influx. The "c" area was set at the start of the burst of Ca^{2+} influx. The

areas "a" and "b" were set to 10 s and 5 s before the burst of Ca^{2+} influx at the "c" area.

The areas "d" and "e" were set to 5 s and 10 s after the start of the Ca^{2+} influx, respectively.

Horizontal bar: 5 s; vertical bar: 5 μm. (B-G) IFT behaviors before and after the burst of

Ca^{2+} influx were plotted against each area (n = 29). (B) The intensity of IFT injection. (C)

The intensity of returning IFT. (D) The frequency of anterograde IFT. (E) The frequency

of retrograde IFT. (F) The speed of anterograde IFT. (G) The speed of anterograde IFT.

(H) The sum of the Ca^{2+} influx before and after the burst of Ca^{2+} influx. (I) The background

intensity of mScarlet-IFT54. Statistical significance between neighboring areas was

determined by a paired two-tailed t test (* P < 0.05; ** P < 0.01; *** P < 0.001; **** P <

0.0001).

Supporting Information

Figure 3 - figure supplement 1

Example DRC4-GCaMP kymographs of *Chlamydomonas* flagella (control, *pf2* DRC4-

GCaMP). The pair of Flagellum 1 and Flagellum 2 are flagella from the same cells. The

pattern of Ca^{2+} influx events varied from flagellum to flagellum and from time to time.

Horizontal bar: 5 s; vertical bar: 5 μm.

Figure 3 - figure supplement 2

Individual Ca^{2+} influx events are not independent. Histogram shows Ca^{2+} spikes

distribution every 5 s. Blue line shows the DRC4-GCaMP (control) data from Figure 3.

Red dashed line shows calculated data to fit with Poisson distribution. Blue line does not

fit with red line (Chi-square goodness-of-fit test, p < 0.0001). Similar results were obtained

at other time intervals.

Figure 5 - figure supplement 1

Flagellar length of potential flagellar calcium pump mutant cells. Mutant strains, FAP10

and FAP39, were obtained from the CLiP library. The control cell is the background strain

of the library, CMJ030 (CC-4533 cw15 mt-). These mutations were identified from the

CLiP library database and not independently verified. 25 biflagellated cells were

measured per strain. All mutant strains showed no significant differences in flagellar

length from the control. Statistical significance was determined by an unpaired two-tailed

t test against the control.

Figure 7 - figure supplement 1

Additional examples of stalled IFT release by Ca^{2+} influx. Kymographs of DRC4-GCaMP

and mScarlet-IFT54 were from four different flagella. mScarlet-IFT54 was paused and

accumulated when Ca^{2+} influx was not observed for a long-time. These examples confirm

that Ca^{2+} influx can clear paused IFT for flagella. Horizontal bar: 5 s; vertical bar: 5 μm.

Video 1

Movie of DRC4-GCaMP in control (*pf2* DRC4-GCaMP) cell. This movie was taken at 20

frames per second (fps) and plays in real time.

Video 2

Movie of DRC4-GCaMP in the *ppr2* mutant (*pf2 ppr2* DRC4-GCaMP) cell. This movie

was taken at 20 fps and plays in real time.

Video 3

Movie of DRC4-GCaMP in 1 mM EGTA treated (*pf2* DRC4-GCaMP) cell. This movie was

taken at 20 fps and plays in real time.

Video 4

Movie of DRC4-GCaMP in 1 mM $CaCl_2$ treated (*pf2* DRC4-GCaMP) cell. This movie was

taken at 20 fps and plays in real time.

Video 5

Movie of KAP-GFP in control (*fla3* KAP-GFP) cell. This movie was taken at 20 fps and

plays in real time.

Video 6

Movie of KAP-GFP in the *ppr2* mutant (*fla3 ppr2* KAP-GFP) cell. This movie was taken at

20 fps and plays in real time.

Video 7

Movie of KAP-GFP in 1 mM EGTA treated (*fla3* KAP-GFP) cell. This movie was taken at

20 fps and plays in real time.

Video 8

Movie of KAP-GFP in 1 mM $CaCl_2$ treated (*fla3* KAP-GFP) cell. This movie was taken at

20 fps and plays in real time.

Video 9

Movie of DRC4-GCaMP and mScarlet-IFT54 in the *pf2 ift54* DRC4-GCaMP mScarlet-

IFT54 cell. DRC4-GCaMP is shown in green, and mScarlet-IFT54 is shown in magenta.

This movie was taken at 10 fps and plays in real time.

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Figure 1

A

Bright field   GCaMP   Merge

B

mCherry   GCaMP   Merge

Free Ca²⁺

0 μM

0.15 μM

0.35 μM

39 μM

C

Intensity (A.U.)

0.0001 0.001 0.01 0.1 1 10 100

Free Ca²⁺ (μM)

○ mCherry
□ GCaMP

Figure 2

Figure 3

Figure 4

A

B

Figure 5

Figure 6

Figure 7

DRC4-GCaMP

mScarlet-IFT54

DRC4-GCaMP

mScarlet-IFT54

DRC4-GCaMP

mScarlet-IFT54

DRC4-GCaMP

mScarlet-IFT54