### 1 Detectability of runs of homozygosity is influenced by analysis parameters as well as

### 2 population-specific demographic history

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#### 10 Abstract

11 Wild populations are increasingly threatened by human-mediated climate change and land use 12 changes. As populations decline, the probability of inbreeding increases, along with the potential 13 for negative effects on individual fitness. Detecting and characterizing runs of homozygosity 14 (ROHs) is a popular strategy for assessing the extent of individual inbreeding present in a 15 population and can also shed light on the genetic mechanisms contributing to inbreeding 16 depression. However, selecting an appropriate program and parameter values for such analyses is 17 often difficult for species of conservation concern, for which little is often known about 18 population demographic histories or few high-quality genomic resources are available. Herein, 19 we analyze simulated and empirical data sets to demonstrate the downstream effects of program 20 selection on ROH inference. We also apply a sensitivity analysis to evaluate the effects of 21 various parameter values on ROH-calling results and demonstrate its utility for parameter value 22 selection. We show that ROH inferences can be biased when sequencing depth and the 23 distribution of ROH length is not interpreted in light of program-specific tendencies. This is 24 particularly important for the management of endangered species, as some program and 25 parameter combinations consistently underestimate inbreeding signals in the genome, 26 substantially undermining conservation initiatives. Based on our conclusions, we suggest using a 27 combination of ROH detection tools and ROH length-specific inferences to generate robust 28 population inferences regarding inbreeding history. We outline these recommendations for ROH 29 estimation at multiple levels of sequencing effort typical of conservation genomics studies.

30 **Running title:** Testing runs of homozygosity inference tools

31 Key words: inbreeding, population genomics, PLINK, BCFtools

### 32 Introduction

33 Climate change and expanding human land use are increasingly partitioning wild populations 34 into smaller and smaller areas of available and suitable habitat, often leading to declining 35 populations sizes (Diffenbaugh & Field, 2013; Haddad et al., 2015). Decreases in population size 36 can lead to increased inbreeding, which has been reported to have negative fitness consequences 37 for inbred individuals in many wild populations (e.g., Crnokrak & Roff, 1999; Robinson et al., 38 2019). When inbreeding depression is sufficiently severe, populations can be threatened with 39 extirpation; thus, assessing inbreeding extent is crucial for understanding and mitigating risk in 40 small populations of conservation concern. Prior to widespread application of whole-genome sequencing strategies to non-model species, genetic estimates of inbreeding were obtained using 41 42 allozyme or microsatellite data or inferred from known pedigrees (Gibbs & Grant, 1989; Liberg 43 et al., 2005; Saccheri et al., 1998; Slate, Kruuk, Marshall, Pemberton, & Clutton-Brock, 2000). 44 These studies have been critically important to understanding the genetic dynamics of stable and 45 shrinking populations and have led to increasing recognition of inbreeding depression's 46 prevalence and ability to affect wild population persistence (Keller & Waller, 2002; O'Grady et 47 al., 2006). However, applying whole genome sequencing strategies to identify runs of 48 homozygosity (ROHs; genomic regions where both inherited haplotypes are identical) opens up 49 lines of inquiry previously not accessible via pedigree- or microsatellite-based studies (Kardos, 50 Taylor, Ellegren, Luikart, & Allendorf, 2016). 51 One long-standing question important for ongoing conservation efforts is whether

51 One long-standing question important for ongoing conservation efforts is whether
 52 inbreeding depression primarily occurs as a result of increasing homozygosity of recessive
 53 deleterious alleles or absences of heterozygote advantage (Hedrick & Garcia-Dorado, 2016).
 54 Analyses of genome-wide data have addressed parts of this question by quantitatively

55 documenting and illustrating inbreeding depression (Huisman, Kruuk, Ellis, Clutton-Brock, & 56 Pemberton, 2016; Harrisson et al., 2019; Stoffel, Johnston, Pilkington, & Pemberton, 2021) and 57 identifying support for increasing homozygosity of strongly deleterious mutations as a genetic 58 mechanism of inbreeding depression (Robinson et al., 2019; Stoffel et al., 2021). Theoretical 59 predictions regarding the genetic mechanisms of inbreeding depression mitigation have also been 60 empirically tested. For example, coupling genomic and fitness data reveals positive correlations 61 between ROH length and mutational load resulting from genetic purging (Stoffel, Johnston, 62 Pilkington, & Pemberton, 2021; Szpiech et al., 2013), suggesting that ROH length distribution 63 data can provide actionable insight for managers. Analyses of ROHs in ancient samples have 64 even clarified the genomic and demographic changes preceding historic species extinction events 65 (Liu et al., 2021; Palkopoulou et al., 2015). Despite these advances and insights, causative 66 mechanisms of inbreeding depression remain unclear for many taxonomic groups, and this can 67 hinder management efforts that seek to mitigate fitness declines in wild populations.

68 Estimating ROHs can provide crucial insights into populations' evolutionary histories, 69 but these histories can in turn affect which ROH-calling software and combination of parameter 70 values are most appropriate. For example, the settings best suited for inferring ROHs in a small, 71 long-isolated population experiencing high levels of inbreeding would not be suitable for 72 individuals sampled from a large, genetically diverse population because underlying sources of 73 error in these two scenarios are very different (e.g., differences in ROH length distributions, 74 numbers of variable sites, expected minor allele frequencies; Ceballos, Joshi, Clark, Ramsay, & 75 Wilson, 2018). While some studies include comparisons of results from multiple programs or 76 parameter value combinations (e.g., Saremi et al., 2019; Grossen, Guillaume, Keller, & Croll, 77 2020; von Seth et al., 2021; Mueller et al., 2022), many more studies rely on default settings and do not explore the effects of varying these parameter values on their results. Without extensive
knowledge of a population's demographic history (*e.g.*, prevalence and degree of
consanguineous mating or immigration), it can be challenging to determine the most appropriate
combination of parameter values, and it is always impossible to know how close the resulting
estimates approximate reality.

83 We address this challenge by leveraging simulated and empirical genomic sequencing 84 data to compare ROH identification programs and test a systematic process for determining 85 software parameter values. We focus on whole-genome sequencing data because although 86 previous studies have examined ROH inference for data sets with lower marker densities 87 (Ceballos, Hazelhurst, & Ramsay, 2018; Duntsch, Whibley, Brekke, Ewen, & Santure, 2021; 88 Meyermans, Gorssen, Buys, & Janssens, 2020), the insights from these previous works do not 89 cover the spectrum of issues encountered when analyzing whole genome data. Specifically, we 90 test a wide array of setting combinations for two programs commonly used in population 91 genomic studies—PLINK and BCFtools/RoH—and, for PLINK, apply a sensitivity analysis to 92 evaluate the effects of parameter values on ROH inference. Based on these results, we outline a 93 set of recommendations for ROH estimation at multiple levels of sequencing effort typical of 94 conservation genomics studies. These guidelines are particularly relevant when population 95 histories are poorly understood or when a reference genome assembly is more fragmented than 96 for a typical model species—two common conditions for species that are targets of conservation 97 action.

#### 98 Methods

- 99 Part I: Simulated data
- 100 Data generation and genotype calling
- 101 We used SLiM v3.6 and modifications of Recipe 7.3 distributed with SLIMgui to simulate a

102 population (N = 10,000), wherein each individual consisted of a homologous pair of 30-Mb

103 chromosomes (Haller & Messer, 2019a, 2019b). The population was simulated for 10,000

104 generations, followed by a bottleneck to 250 individuals that was sustained for 5,000 additional

105 generations. Recombination rate  $(1 \times 10^{-7} \text{ per site per generation})$ , base mutation rate  $(1.75 \times 10^{-7} \text{ per site per generation})$ 

106 per site per generation), and population parameters were selected to produce a final population

107 with  $F_{\text{ROH}}$  values ranging from 0.075 to 0.440 when considering ROHs  $\ge$  100 kb in length. The

108 VCF file output from SLiM was converted to FASTA sequence files using a custom script in R

109 v4.0.3 and a haploid ancestral sequence produced by SLiM (R Core Team, 2020).

110 Using the known genotypes for all individuals, we generated two files: (i) a record of all 111 true heterozygous sites and (ii) the start and end coordinates for all true ROHs > 100 kb in 112 length. We imposed this lower limit on ROH length because ROHs less than 100 kb in length 113 likely originated in a single common ancestor approximately 500 generations ago (assuming a 114 recombination rate of 1 cM/1 Mb; Thompson, 2013), and would not be expected to influence 115 contemporary individual fitness as strongly as more recently acquired autozygous segments 116 (Stoffel et al., 2021). This threshold has also gained popularity in population genetics studies of 117 non-model species (Robinson et al., 2019; Hasselgren et al., 2021; Sánchez-Barreiro et al., 2021; 118 Xie et al., 2022), and we follow this convention for all downstream analyses.

| 119 | For 100 randomly selected individuals, FASTQ read files were generated from each of               |
|-----|---|
| 120 | the two FASTA files representing homologous chromosomes using ART (version MountRainier-          |
| 121 | 2016-06-05) (Huang, Li, Myers, & Marth, 2012). We simulated 150-bp paired-end reads using         |
| 122 | the HiSeq 2500 error model to a depth of 50X per individual (i.e., 25X per homologous             |
| 123 | chromosome). Each FASTQ file was quality-checked using FASTQC v0.11.9 (Andrews, 2015).            |
| 124 | We aligned reads to the ancestral sequence using the BWA-MEM algorithm implemented in             |
| 125 | BWA v0.7.17 and downsampled the resulting BAM files using SAMtools v1.11 to simulate four         |
| 126 | additional levels of coverage per individual: 5X, 10X, 15X, and 30X (Li, 2013; Li et al., 2009).  |
|     |   |
| 127 | For each sorted BAM file, we called genotypes using the 'HaplotypeCaller' algorithm in            |
| 128 | Genomic Variant Call Format (GVCF) mode as implemented in GATK v4.1.9.0 (McKenna et               |
| 129 | al., 2010). For each level of coverage, individual GVCF files were combined using                 |
| 130 | 'CombineGVCFs' and genotyped using 'GenotypeGVCFs'. We applied 'VariantFiltration' to             |
| 131 | these VCF files in GATK to flag SNPs with low variant confidence (QualByDepth $< 2$ ),            |
| 132 | exhibiting strand bias (FisherStrand > 40), or with low mapping quality (RMSMappingQuality <      |
| 133 | 20). Finally, SNPs failing these filters and indels were removed using 'SelectVariants.'          |
|     |   |
| 134 | ROH calling: hidden Markov model approach (BCFtools)  |
| 135 | We applied the same ROH calling approaches to all multisample VCF files produced from the         |
| 136 | simulated data set using two of the programs most commonly applied to non-model species.          |
| 137 | First, we tested an extension of the BCFtools software package, BCFtools/RoH v1.11                |
| 138 | (Narasimhan et al., 2016). This program uses a hidden Markov model to detect regions of           |
| 139 | autozygosity, requiring only a VCF file for all samples, population allele frequency information, |
| 140 | and an optional recombination map. Because additional genetic information is not likely to be     |
|     |   |

141 available for many wild populations, we relied on allele frequencies calculated from each of our 142 sample sets. The main decision faced when running BCFtools/RoH is whether to estimate 143 autozygous regions using called genotypes or genotype likelihood values. We tested the effects 144 of this decision on ROH estimation by either including the --GTs-only setting to limit inference 145 based on genotypes (hereafter, BCFtools Genotypes) or omitting it and allowing genotype 146 likelihood values to be considered (hereafter, BCFtools Likelihoods) (Table 1). 147 ROH calling: sliding window approach (PLINK) 148 We tested a large number of parameter value combinations in PLINK v1.90b6.26 (Chang et al., 149 2015; Purcell et al., 2007). Unlike BCFtools/RoH, PLINK employs a sliding window approach 150 to ROH identification: for each window placement, SNPs are examined for conformity to the 151 PLINK parameter values (e.g., fewer than the number of heterozygous or missing calls allowed). 152 It is then determined, for each SNP, whether a sufficient proportion of windows overlapping that 153 SNP are homozygous and thus, whether the SNP is determined to be located within in a ROH.

154 PLINK has multiple parameters that can be set by the user, and we initially tested a total of 486

155 combinations of six of these parameters for each level of coverage (see Table 1 for list of

156 parameters, initial values, and parameter descriptions). We focus on how changing software

157 parameters affect ROH inference rather than the effects of various SNP-filtering strategies, as

158 these questions have been addressed elsewhere (Howrigan, Simonson, & Keller, 2011;

159 Meyermans et al., 2020).

Before comparing the results from the two BCFtools/RoH approaches and PLINK, we had to select one set of PLINK parameter values. We applied an iterative approach designed by Mathur et al. (2021; non-peer-reviewed preprint) to identify a combination of parameter values that

| 163 | minimizes the effect of value selection on inferred $F_{\text{ROH}}$ ( <i>i.e.</i> , the bias in $F_{\text{ROH}}$ inference due to  |  |  |
|-----|---|--|--|
| 164 | 4 each parameter value). For each iteration and level of coverage, we performed four steps:   |  |  |
| 165 | 1. Run PLINK with all possible combinations of different parameters to be tested,   |  |  |
| 166 | ultimately generating a matrix of parameter values (predictor variables) and inferred $F_{\text{ROH}}$  |  |  |
| 167 | (response variable) for each sample.  |  |  |
| 168 | 2. Create a linear model for each combination of parameter values ( $F_{ROH} = a + b_1 x_1 + b_2 x_1 + b_1 x_2 + b_2 x_2 + b_2$ |  |  |
| 169 | $\dots + b_n x_n + e$ ; where $b_i$ = weight of parameter $x_i$ ), where the values of parameter $x_i$ are  |  |  |
| 170 | standardized to 1.  |  |  |
| 171 | 3. Extract standardized rank regression coefficients (SRC) from the linear regression models  |  |  |
| 172 | using the <i>sensitivity</i> package in R and visualize sensitivity indices (SRC <sub>i</sub> ) to rank weights   |  |  |
| 173 | of each parameter (Iooss, Da Veiga, Janon, & Pujol, 2021).  |  |  |
| 174 | 4. If $SRC_i \approx 0$ with little individual variation, then set the parameter <i>i</i> to the default value. If  |  |  |
| 175 | $SRC_i$ is > 0 or < 0, then consider the effect described by $SRC_i$ ( <i>i.e.</i> , whether increasing   |  |  |
| 176 | the value of the parameter increases or decreases $F_{\text{ROH}}$ and how SRC <sub>i</sub> varies with called  |  |  |
| 177 | $F_{\rm ROH}$ ) and either select a new set of parameter values to test or select a value from the  |  |  |
| 178 | tested set.   |  |  |
|     |   |  |  |

We began the first iteration by reading the results from the initial 486 combinations of parameter values into R v4.0.3 (R Core Team, 2020). Details of the parameter value selection process for the simulated data are provided in Box 1. Briefly, we applied the four steps outlined above by examining the results from Iteration 1 (486 parameter value combinations) and noting that increasing the value of one parameter (*phwh*) had a positive effect on inferred  $F_{\text{ROH}}$  whereas increasing the values of two other parameters (*phws* and *phzs*) had negative effects on inferred  $F_{\text{ROH}}$ . For *phwh*, we allowed one heterozygous site per window to avoid (i) discarding a true homozygous window due to an erroneous heterozygous call and (ii) retaining too many spurious
homozygous windows due to inclusion of true heterozygous calls. For *phws* (scanning window
length in SNPs) and *phzs* (minimum number of SNPs that can comprise a ROH), we tested two
additional sets of parameter values and used these outputs to select the values for *phws* and *phzs*that (Table S2 and Box 1).

### 191 Data summarization and statistical analyses

192 Output files from BCFtools/RoH and the final PLINK runs were read into R for summarization 193 and statistical analyses. We also read in true ROH data (*i.e.*, start and end coordinates for known 194 ROHs  $\geq$  100 kb in length) and calculated true  $F_{ROH}$  values for each individual. We filtered all 195 called ROHs to retain ROHs  $\geq$  100 kb in length and calculated inferred  $F_{ROH}$  for each individual, 196 coverage level, and method. To describe relationships between true  $F_{\text{ROH}}$  and called  $F_{\text{ROH}}$  values, 197 we constructed a linear model for each method and coverage level with true  $F_{\rm ROH}$  as the 198 predictor variable and called  $F_{ROH}$  as the response variable. For each model, we calculated the 199 95% confidence intervals (CIs) for the slope and y-intercept parameters using the confint 200 function in R. To determine whether true and called  $F_{\rm ROH}$  values differed for each model, we 201 tested whether the model's *y*-intercept differed from zero and whether the slope differed from 202 one (*i.e.*, whether the 95% CIs included zero or one, respectively). We also used the y-intercept 203 and slope parameters to determine whether each method over- or underestimated true F<sub>ROH</sub> at 204 each coverage level, and how the degree of over- or underestimation changed with increasing 205 true  $F_{\text{ROH}}$  values.

At each coverage level, we compared the mean  $F_{\text{ROH}}$  values among ROH identification methods to determine whether different methods produce significantly different results. We also 208 compared mean  $F_{\text{ROH}}$  across coverage levels within each method to test whether coverage 209 significantly affects inferred  $F_{\text{ROH}}$ . For each method and coverage level combination, we 210 randomly sampled 15 individuals (to mirror the sample size for the empirical data, see below) 211 from the 100 individuals with simulated genotypes, calculated mean  $F_{\text{ROH}}$ , and repeated this 212 process 1,000 times. We generated 95% CIs around this mean using the 95% quantile of these 213 1,000 values. We interpreted non-overlapping 95% CIs as indicative of significant differences 214 within and among ROH identification method and coverage levels.

215 To further evaluate the accuracy of each ROH identification method, we also calculated 216 false negative (*i.e.*, failing to call a ROH present in an individual) and false positive (*i.e.*, calling 217 a ROH that was not present in an individual) rates for called ROHs. We began by identifying 218 overlap between true and called ROHs on a per-position basis by summing the number of bases 219 covered by both the true ROH and called ROH(s). From this information, we calculated (i) the 220 false negative rate: the total chromosomal length covered by true ROHs but not by called ROHs 221 divided by the total length of true ROHs; and (ii) the false positive rate: the total chromosomal 222 length covered by called ROHs but not by true ROHs divided by the total chromosomal length 223 not covered by true ROHs. For each method and level of coverage, we calculated median false 224 positive and negative rates and compared these medians and the 50% quantiles between all 225 method and coverage level combinations to provide insight into method-specific differences in 226 ROH calling errors.

We calculated  $F_{\text{ROH}}$  for ROHs in four different length bins to explore how ROH identification methods may differ in their capabilities to accurately call ROHs of different sizes. We defined length bins as: (i) 100 kb  $\leq$  short ROHs < 250 kb; (ii) 250 kb  $\leq$  intermediate ROHs <500 kb; (iii) 500 kb  $\leq$  long ROHs < 1 Mb; (iv) 1 Mb  $\leq$  very long ROHs. We examined how  $F_{\text{ROH}}$ 

for each bin changed with increasing coverage and also how patterns of over- and

- underestimation of  $F_{\text{ROH}}$  varied with increasing coverage by subtracting true  $F_{\text{ROH}}$  from called
- 233  $F_{\text{ROH}}$  for each individual. For each method, level of coverage, and length bin, we compared mean
- called  $F_{ROH}$  true  $F_{ROH}$  and the 95% CI around these means (again estimated using the quantiles
- function in R), with CIs < 0 indicating underestimation of true  $F_{ROH}$  and CIs > 0 indicating
- 236 overestimation. We further explored relationships between true and called ROHs by examining
- 237 how true and called ROHs overlap. We tabulated how many true ROHs each called ROH
- 238 overlaps (or contains) and vice-versa for each unique combination of ROH detection method,
- coverage level, and ROH length bin.
- 240 Part II: Empirical data
- 241 Data curation and genotype calling

To test the effects of program and parameter value selection on identifying ROHs from empirical 242 243 data, we analyzed publicly available whole genome sequencing data for a species of conservation 244 concern, the Tasmanian devil (Sarcophilus harrisii; BioProject PRJNA549794 in NCBI's 245 Sequence Read Archive; Wright et al., 2020). From the full dataset, we selected the 15 246 individuals from this data set with the highest number of reads. The accession numbers and 247 relevant metadata for each set of sequences are provided in Table S1. Adapters and low-quality 248 bases were trimmed from raw sequences using Trim Galore v0.6.6 (Krueger, 2019), and cleaned 249 reads were mapped to the mSarHar1.11 S. harrissii reference genome (NCBI GenBank accession 250 GCA 902635505.1) using BWA-MEM (Li, 2013).

We used Qualimap v2.2.1 to determine mean coverage per individual from each sorted
BAM file (Okonechnikov, Conesa, & García-Alcalde, 2016). These results were used to

calculate the downsampling proportions required to approximate 5X, 10X, 15X, and 30X

254 coverage for each individual. Following downsampling, BAM files were processed in the same

255 manner as for the simulated data, with additional SNP filtering criteria applied in VCFtools

v0.1.17 (Danecek et al., 2011), including filtering SNPs within 5 bp of indels and requiring

257 minor allele frequencies  $\geq 0.05$  and < 20% missing data across individuals.

### 258 <u>ROH calling and sensitivity analyses</u>

259 We called ROHs from the final multisample VCF files using the same approaches as for the

simulated data. We called ROHs in two ways, (i) using BCFtools/RoH (*i.e.*, relying on genotypes

261 or on genotype likelihood values) and (ii) testing 486 parameter combinations in PLINK at each

level of coverage and identifying robust values for each parameter following the same sensitivity

analysis process described above. Parameter values for all iterations tested are provided in Table

264 S2 with additional details provided for the empirical data in the Supplementary Material.

## 265 Data summarization and statistical analysis

266 Output files from BCFtools/RoH and the final PLINK runs for the empirical data were read into 267 R for summarization and statistical analyses. Following the approach we used for the simulated 268 data, we filtered all called ROHs to retain ROHs  $\geq$  100 kb in length and calculated inferred  $F_{ROH}$ 269 for each individual, coverage level, and method. We also calculated  $F_{\text{ROH}}$  for ROHs in four 270 different length bins, where length bins were defined as: (i)  $100 \text{ kb} \le \text{short ROHs} < 500 \text{ kb}$ ; (ii) 271  $500 \text{ kb} \le \text{intermediate ROHs} \le 1 \text{ Mb};$  (iii)  $1 \text{ Mb} \le \text{long ROHs} \le 2 \text{ Mb};$  (iv)  $2 \text{ Mb} \le \text{very long}$ 272 ROHs. To compare results across methods, coverage levels, and ROH lengths, we calculated 273 mean  $F_{\text{ROH}}$  values and compared the 95% CIs around these means among methods and coverage 274 levels.

#### 275 Results

- 276 Part I: Simulated data
- 277 Data collection and curation
- For the simulated data set, all analyses were based on 100 individuals randomly sampled from
- the small simulated population (N = 250) that underwent a strong bottleneck 5,000 generations
- ago. Mean heterozygosity for these 100 individuals was  $7.68 \times 10^{-5}$  (SD =  $5.88 \times 10^{-6}$ ). After
- retaining only ROHs  $\geq$  100 kb in length, mean  $F_{\text{ROH}}$  was 0.151 (SD = 0.045) and ranged from
- 282 0.083 to 0.293. Following downsampling and SNP filtering, the final mean coverage was 4.80,
- 283 9.70, 14.62, and 28.91 for the 5X, 10X, 15X, and 30X downsampled sets, respectively.

### 284 <u>ROH calling results</u>

285 We used our simulated data set and linear models to determine whether each approach tends to 286 over- or underestimate true  $F_{\text{ROH}}$ . Both of the BCFtools methods (Genotypes and Likelihoods) 287 underestimated  $F_{\rm ROH}$ , with all model intercepts across coverage levels negative and different 288 from zero (*i.e.*, no 95% CIs for intercepts included zero; Fig. 1; Table S3). For BCFtools 289 Genotypes, model slopes were approximately one (*i.e.*, all 95% CIs for slopes included one; 290 Table S3), whereas the slopes of all BCFtools Likelihoods models were significantly less than 291 one, indicating that  $F_{\rm ROH}$  estimated using Likelihoods can vary relative to true  $F_{\rm ROH}$ . PLINK 292 tended to produce overestimates of  $F_{\rm ROH}$ , but estimates at the highest coverage levels were 293 accurate (*i.e.*, the 95% CI for model intercepts included zero at 30X and 50X). The 95% CI for 294 the PLINK 5X model was larger and did not overlap the 95% CIs for the other PLINK coverage 295 level model intercepts, indicating greater overestimation occurred using 5X PLINK compared to 296 using PLINK at other coverages. PLINK model slopes did not differ from one at 5X or 10X, but did differ at 15X, 30X, and 50X, with these slope estimates exceeding one, again indicating that the estimated  $F_{\text{ROH}}$  varied with true  $F_{\text{ROH}}$ .

299 We also compared  $F_{\rm ROH}$  values across methods and observed the largest differences for 300  $F_{\rm ROH}$  calculated from 5X coverage data (Fig. 2A-C). We compared the 95% CIs around mean 301  $F_{\rm ROH}$  and found that at 5X, BCFtools Likelihoods produced significantly smaller  $F_{\rm ROH}$  estimates 302 than BCFtools Genotypes, and both BCFtools estimates were smaller than PLINK's estimate. At 303 all other coverage levels, mean  $F_{\text{ROH}}$  did not differ between the two BCFtools methods and 304 PLINK again produced significantly higher  $F_{\rm ROH}$  estimates. For both BCFtools approaches, there 305 were no significant differences in mean  $F_{\rm ROH}$  across coverage levels, but for PLINK,  $F_{\rm ROH}$ 306 estimated at 5X was significantly greater than estimates at higher coverage levels. For all 307 methods and at all coverage levels, inferred mean  $F_{\rm ROH}$  differed from the true mean  $F_{\rm ROH}$  value 308 (*i.e.*, none of the bootstrapped 95% CIs included the true mean  $F_{\text{ROH}}$  value). Raw results for all 309 individuals are presented in Fig. S1.

310 We calculated false negative (*i.e.*, failing to call a ROH present in an individual) and false 311 positive (*i.e.*, calling a ROH that was not present in an individual) rates to further assess each 312 method's accuracy. With respect to false positive rates, PLINK performed poorly relative to the 313 other methods, with median false positive rates of 0.078 for PLINK, 0.018 for BCFtools 314 Genotypes, and 4.09 x 10<sup>-8</sup> for BCFtools Likelihoods across all tested coverage levels (Fig. 3A). 315 For all three methods, increasing coverage to 10X corresponded to decreasing false positive 316 rates, but these tended to level off at high coverages. Variation in false positive rates among 317 samples at each coverage level was smallest for BCFtools Likelihoods, followed by BCFtools 318 Genotypes, with PLINK showing the greatest variation across samples (summary statistics 319 provided in Table S4). Generally speaking, the patterns in false negative rates were in the

| 320 | opposite direction and magnitude to those we observed with false positives: both BCFtools                   |
|-----|---|
| 321 | methods performed poorly relative to PLINK, with BCFtools Genotypes producing slightly                      |
| 322 | lower rates (overall median = $0.552$ ) than BCFtools Likelihoods (overall median = $0.744$ ; Fig.          |
| 323 | 3B). PLINK exhibited lower false negative rates than the BCFtools approaches (overall median =              |
| 324 | 0.165) and less variation among samples at each coverage level. All three methods produced                  |
| 325 | false negative rates that increased with increasing coverage up to 10X. Examples of false                   |
| 326 | negative and false positive scenarios can be seen in Fig. 4, which illustrates a 6-Mb window of             |
| 327 | true and called ROHs for one exemplar individual (full chromosome-level examples can be seen                |
| 328 | for three individuals in Fig. S2).  |
|     |   |
| 329 | We also examined how true and called values of $F_{\text{ROH}}$ varied for ROHs of different                |
| 330 | lengths. For the simulated data, all three methods almost always underestimated the proportion              |
| 331 | of the genome located in short ROHs, with the 95% CI less than zero for all tests other than                |
| 332 | PLINK at 5X coverage (Fig. 5A-C). For ROHs of intermediate, long, and very long lengths, all                |
| 333 | of the 95% CIs included zero. PLINK produced the highest overestimates of $F_{\text{ROH}}$ and the most     |
| 334 | variation across samples of the three approaches, followed by BCFtools Genotypes. However,                  |
| 335 | 95% CIs for BCFtools Likelihoods included zero for these three length bins, and variation                   |
| 336 | among individuals decreased with both increasing coverage and increasing ROH length,                        |
| 337 | suggesting increased accuracy with increasing depth and ROH length (Fig. 5B). PLINK and                     |
| 338 | BCFtools Genotypes almost exclusively overestimated $F_{ROH}$ for very long ROHs, even though               |
| 339 | most (94/100) of the simulated individuals had no very long true ROHs (Fig. 5D). Finally, one               |
| 340 | coverage-related trend emerged across ROH length categories and methods, with $F_{\rm ROH}$ estimates       |
| 341 | calculated at 5X coverage often exceeding estimates calculated at higher coverage levels. Across            |
| 342 | all length bins combined, individual estimates of $F_{\text{ROH}}$ calculated at 5X were greater than those |

calculated at 10X for 34%, 56%, and 72% of BCFtools Likelihoods, BCFtools Genotypes, and
PLINK estimates, respectively.

345 To further investigate how called ROHs correspond to true ROHs, we identified regions 346 of overlap between true and called ROHs within each individual and at each coverage level using 347 a unique identifier for each true and called ROH. We found no instances of true ROHs being 348 split into multiple called ROHs, but multiple true ROHs were often lumped together into a single 349 called ROH. This pattern held true for all three methods and at most coverage levels (Fig. 6). For 350 BCFtools Genotypes and PLINK, increasing coverage did not appear to ameliorate this problem 351 (*i.e.*, the mean number of true ROHs lumped into a single called ROH changed very little with 352 increasing coverage). However, for BCFtools Likelihoods, the number of true ROHs contained 353 in a single called ROH decreased with increasing coverage, reaching a 1:1 ratio at 30X. Across 354 all three methods, the mean number of true ROHs combined into a single called ROH increased 355 with increasing ROH length with the exception of BCFtools Likelihoods at coverage levels  $\geq$ 356 30X (Fig. S4). Examples of this lumping tendency can be seen in Fig. 4 and Fig. S2.

#### 357 Part II: Empirical data

#### 358 Genotype and ROH calling results

359 For the 15 sets of reads we downloaded from NCBI, the mean number of reads per sample was

360 9.75 x 10<sup>8</sup>. Read mapping rates to the mSarHar1.11 *S. harrissii* reference genome were high,

361 with an average of 95.4% of reads mapped and properly paired. For the final sets of filtered

362 SNPs (n = 1,532,598), average depth across samples was 48.43 for the full coverage set (*i.e.*, not

downsampled) and 6.37, 11.84, 16.63, 30.75 for the 5X, 10X, 15X, and 30X downsampled sets,

364 respectively (Table S1).

| 365 | Across methods, $F_{\text{ROH}}$ estimated at 5X coverage was significantly higher than $F_{\text{ROH}}$ |
|-----|--|
| 366 | estimates at all higher levels of coverage (95% CIs did not overlap, Fig. 2 D-F). At 5X coverage,        |
| 367 | $F_{\rm ROH}$ estimates produced by the two BCF tools approaches significantly differed from one         |
| 368 | another, with neither approach's estimates differing from PLINK's. For all higher levels of              |
| 369 | coverage, $F_{\text{ROH}}$ estimates produced by BCFtools Genotypes and PLINK did not differ but         |
| 370 | estimates from both methods differed from those produced by BCFtools Likelihoods.                        |
|     |  |
| 371 | When comparing how the three methods estimated length-specific $F_{\text{ROH}}$ values, patterns         |
| 372 | varied across ROH length categories. For short ROHs, PLINK produced the highest $F_{\text{ROH}}$         |
| 373 | estimates, followed by BCFtools Likelihoods and then by BCFtools Genotypes, with differences             |
| 374 | among the three methods significant (i.e., non-overlapping 95% CIs) at 5X-30X coverage and               |
| 375 | differences between BCFtools Genotypes and the other two methods significant at 50X (Fig. 7).            |
| 376 | For longer ROHs, BCFtools Genotypes generally had higher $F_{ROH}$ estimates than the other two          |
| 377 | approaches, and these differences were significant at all coverage levels for long and very long         |
| 378 | ROHs. Across all methods and ROH length bins, $F_{ROH}$ estimated at 5X coverage were all                |
| 379 | significantly different from estimates at all other coverage levels within each method and ROH           |
| 380 | length bin combination.  |

### 381 Discussion

In this manuscript, we highlight the quantitative differences in ROH detection between multiple programs and effects on downstream interpretations associated with these differences. However, these are dependent on our ability to choose appropriate program parameter values, which is particularly complicated when there are a large number of possible parameter value

combinations. Although some studies describe testing multiple sets of PLINK parameter values
(*e.g.*, Saremi et al., 2019; Grossen et al., 2020; von Seth et al., 2021; Mueller et al., 2022), many
do not and there is no widely used, previously published approach to systematically compare
results produced by different parameter value combinations.

390 In Box 1, we demonstrate the exploratory utility of the sensitivity analysis process we 391 followed to select parameter values for our data (see the Supplementary Material for 392 corresponding information for the empirical data). This process is important because disparate 393 sequencing data characteristics are likely to require different parameter values, meaning that it 394 may not be appropriate to use the values we used herein when analyzing other data. For example, 395 studies that use fewer SNPs (e.g., populations that are less genetically diverse, studies with 396 reduced sequencing efforts) should test the effects of altering the minimum SNP density required 397 on ROH inference results. Interactions between specific parameters should also be visualized, 398 such as between the number of heterozygous calls allowed in a window and window size in 399 SNPs, particularly if a reference genome is not assembled to chromosome-level or if mapping 400 rates are somewhat heterogenous across the genome. Sensitivity analysis provides a quick and 401 convenient way to visualize how different parameter values affect  $F_{\rm ROH}$  estimates for an entire 402 data set and the degree of variation in those effects across individuals. For samples where 403 inbreeding is anticipated to be highly variable across individuals or for data sets where coverage 404 varies between 5X and 10X, evaluating inter-individual variation in  $F_{\rm ROH}$  inference results is 405 particularly important, especially in light of the length-specific ROH inference issues we 406 describe for our results.

#### 407 Inferred F<sub>ROH</sub> value accuracy varies with method and level of coverage

408 The patterns of  $F_{\rm ROH}$  we estimated tended to vary with program choice and an individual's 409 inbreeding history, potentially leading to uncertainty when incorporating these inbreeding values 410 into management action plans. Between the two BCFtools methods when considering identified 411 ROHs of all lengths, Genotypes produced more accurate overall  $F_{ROH}$  estimates than 412 Likelihoods, with  $F_{\rm ROH}$  estimates from Likelihoods also increasingly diverging from the true 413  $F_{\rm ROH}$  value with increasing true  $F_{\rm ROH}$  (Fig. 1A,B). For populations expected to have considerable 414 variation in  $F_{\text{ROH}}$  among individuals (e.g., a population that has remained somewhat small for an 415 extended period of time with evidence of recent immigration), applying the BCFtools 416 Likelihoods approach could result in increasingly skewed values for the individuals with the 417 highest levels of inbreeding. For example, using the linear model parameters estimated for 15X 418 coverage, an individual with a true  $F_{\rm ROH}$  of 0.10 would be assigned an inferred  $F_{\rm ROH}$  of 0.01 419 (difference = -0.09), whereas an individual with a true  $F_{\rm ROH}$  value of 0.40 would be assigned 420 0.23 (difference = -0.17). This could be particularly problematic when dealing with species or 421 populations of conservation concern because the individuals with the highest true  $F_{\text{ROH}}$  also have 422 the largest magnitude of error, meaning that concerning signals of inbreeding could go 423 undetected.

In contrast to the underestimations produced by the BCFtools/RoH methods, the sliding window approach implemented in PLINK overestimated  $F_{ROH}$ . This was particularly evident at 5X coverage where  $F_{ROH}$  estimates differ more from their true values than any other method and coverage level combination in our study (Fig. 1C). However, at coverages above 5X, PLINK produced better estimates than either BCFtools approach (*i.e.*, in our linear models, intercepts for PLINK at 10X-50X are closer to zero than for either BCFtools method and 95% CIs for these

430 parameter estimates do not overlap with any BCFtools intercept 95% CIs). In the context of 431 endangered species conservation, small overestimations of  $F_{\rm ROH}$  may be more desirable than 432 underestimations because these are likely to be more conservative (*i.e.*, indicating more close 433 inbreeding than is present in reality) in many situations. Importantly though, as with BCFtools 434 Likelihoods,  $F_{\rm ROH}$  estimates diverged from true  $F_{\rm ROH}$  at increasing values of true  $F_{\rm ROH}$ . However, 435 these values diverged at a much lower rate in the PLINK estimates compared to BCFtools 436 Likelihoods. Again using our simulated data as a model, an individual with a true  $F_{\text{ROH}}$  value of 437 0.40 would be estimated to have an  $F_{\rm ROH}$  of 0.46 (difference = 0.06) when estimated at 10X-50X 438 with PLINK.

439 For the two BCFtools methods, patterns of underestimation were consistent with these 440 approaches' high false negative rates and low false positive rates (Fig. 3). Conversely, PLINK 441 produced higher false positive rates and lower false negative rates than either BCFtools method, 442 consistent with overestimation of  $F_{\rm ROH}$ . In terms of absolute difference between true and called 443  $F_{\rm ROH}$  values, PLINK outperformed BCFtools at 10X coverage and above, suggesting that PLINK 444 will often provide the most robust estimate of  $F_{\rm ROH}$ . However, at lower coverages (5X-10X), 445 BCFtools Genotypes could be considered, given that this method produces  $F_{ROH}$  estimates closer 446 to true  $F_{\rm ROH}$  than either PLINK or BCFtools Likelihoods. On the other hand, the underestimates 447 produced by this approach are likely related to the high false negative rates we observed 448 (especially relative to PLINK), and the appearance of convergence on true  $F_{\text{ROH}}$  may be due to 449 length-specific ROH calling rates by this program (see below) and therefore highly variable 450 across populations. It is important to note that while the trends we describe may be consistent 451 with some empirical results (e.g., Robinson et al., 2019), individual variation in genomic

- 452 characteristics exerts strong influence over  $F_{\text{ROH}}$  inference results as suggested by comparisons 453 between our simulated and empirical results.
- 454 *Coverage*  $\leq 10X$  strongly influences called ROH lengths
- 455 For the empirical data at 5X coverage, relative to higher coverage levels, all methods 456 consistently produced lower  $F_{ROH}$  estimates for short ROHs and higher  $F_{ROH}$  estimates for longer 457 ROHs (Fig. 7). The overcalling of intermediate to very long ROHs at 5X could be related to the 458 ROH-lumping issue noted in the simulated results, wherein multiple true ROHs are erroneously 459 called as a single ROH (Fig. 6). While we cannot confirm the accuracy of  $F_{\rm ROH}$  inference for the 460 empirical data, comparisons between results generated at 5X and higher levels of coverage are 461 consistent with the simulated results, suggesting that these patterns are accurate (Fig. 2). For the 462 Tasmanian devil samples we analyzed, the results from 5X coverage suggest much more 463 frequent, recent inbreeding than the results from  $\geq 10X$  coverage, painting a much more dire 464 demographic scenario than is presented when more coverage is obtained. If one of the goals of a 465 whole-genome sequencing project is to assess recent or historical patterns of inbreeding from 466 ROH lengths, ~10X coverage appears to be a minimum requirement for generating robust 467 inferences.

### 468 Patterns of under- or overestimation may vary with ROH length distributions

In our simulated and empirical data, we observed patterns indicating that underlying ROH length distributions influence the patterns of  $F_{ROH}$  under- and overestimation. For example, even though PLINK produced higher  $F_{ROH}$  estimates than both BCFtools methods for the simulated data and PLINK and BCFtools Genotypes produced statistically indistinguishable estimates for the empirical data (Fig. 2), length-specific  $F_{ROH}$  estimates suggest that differences in underlying true 474 ROH length distributions between the simulated and empirical data may be responsible for the 475 differences in relative  $F_{\rm ROH}$  results we observed. For the simulated data, BCFtools Genotypes 476 increasingly overestimated  $F_{\rm ROH}$  as ROH length increased (Fig. 5, Fig. S2), with increasing 477 numbers of true ROHs erroneously combined into single called ROHs (Fig. 6). Although we 478 cannot know the true ROH length distributions for the empirical data, long ROHs were called at 479 higher frequencies in the empirical data (at 15X: 382, 397, and 1,281 total ROHs  $\geq$  1 Mb in 480 length called by PLINK, BCFtools Likelihoods, and BCFtools Genotypes, respectively, in 15 481 individuals) relative to the simulated data (31 total true ROHs  $\geq$  1 Mb in length in 25 482 individuals). The tendency of BCFtools Genotypes to overestimate  $F_{\text{ROH}}$  for long ROHs 483 combined with the presence of more called long ROHs in our empirical data set may have 484 minimized differences in overall  $F_{\rm ROH}$  estimates between BCFtools Genotypes and PLINK in the 485 empirical results relative to the simulated results (Fig. 2). Increased frequencies of long ROHs in 486 the empirical data may have also led to greater differences in  $F_{\rm ROH}$  between 5X and 10X across 487 all three methods for the empirical results compared to the simulated results (Fig. 2). All three 488 methods call significantly more intermediate to very long ROHs from the empirical data at 5X 489 than at 10X (Fig. 7B-D), and this may be related to the increased false positive rates we noted at 490 5X in the simulated data. These results again illustrate the effects of a population's or 491 individual's actual ROH complement, which is determined by typically unknown demographic 492 and breeding patterns, on the relative reliability and utility of ROH identification programs. 493 Particularly for endangered species with potentially complicated demographic histories,

495 create an integrated picture. For example, comparing overall and length-specific  $F_{\text{ROH}}$  estimates 496 between BCFTools/RoH and PLINK can be used to understand the underlying length

interpreting ROH patterns in a population may be most accurate when multiple tools are used to

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| 497 | distributions; an abundance of shorter ROHs would be indicated by higher overall $F_{\text{ROH}}$         |
|-----|---|
| 498 | estimates in PLINK compared to BCF tools Genotypes but similar length-specific $F_{\text{ROH}}$ patterns, |
| 499 | whereas a ROH complement comprising many longer ROHs would be indicated by similar                        |
| 500 | overall $F_{\text{ROH}}$ estimates between PLINK and BCFtools Genotypes but higher intermediate to very   |
| 501 | long $F_{\text{ROH}}$ estimates from BCFtools Genotypes related to PLINK. These accurate assessments of   |
| 502 | past and ongoing inbreeding could then be used to inform management options, such as                      |
| 503 | translocations to ameliorate close inbreeding.  |

#### 504 Conclusions

505 Inferring the presence and characteristics of ROHs can shed important light on population 506 demographic histories, detect inbreeding depression when combined with fitness information, 507 and even disentangle the mechanisms underlying or loci contributing to inbreeding depression. However, given the variation in ROH-calling accuracy (overall and length-specific) 508 509 demonstrated here, we caution against direct comparisons of  $F_{\text{ROH}}$  values generated from 510 different data types or sources or using different inference parameters. Data from disparate 511 studies could be combined and re-analyzed in a standardized fashion, although special attention 512 should be paid to variation in reference genome assembly quality for interspecific comparisons 513 (Brüniche-Olsen, Kellner, Anderson, & DeWoody, 2018). Regardless of the number of data sets 514 to be analyzed, we strongly recommend that studies relying on ROH inference (i) employ at least 515 two ROH-calling programs and interpret their results with each method's biases in mind and/or 516 (ii) compare multiple parameter value combinations via sensitivity analysis, taking care to vary 517 parameters of particular relevance to a data set.

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#### 668 Data Availability

- 669 Code for all bioinformatic analyses available at https://github.com/avril-m-
- 670 harder/roh\_inference\_testing and https://github.com/kennethb22/roh\_parameter\_project\_kk. All
- 671 FASTA files for simulated individuals and final VCF files (for simulated and empirical data and
- all coverage levels) will be uploaded to a public repository upon manuscript acceptance.

### 673 Author Contributions

- AMH and JRW conceived the study. AMH, KBK, and SM performed data analyses. AMH wrote
- 675 the manuscript with input and final approval from all authors.

#### 676 Figure Captions

- 677 **Figure 1.** Both BCFtools methods underestimate true  $F_{\text{ROH}}$  whereas PLINK produces
- 678 overestimates. A-C) True vs. called  $F_{\text{ROH}}$  for each method and level of coverage. Each regression
- 679 line represents linear model results for a single level of coverage with the shaded areas
- 680 representing 95% confidence intervals. Each point represents data for a single simulated
- 681 individual; dashed line is 1:1 line. For PLINK, increasing coverage increases  $F_{\text{ROH}}$  estimation
- accuracy, whereas accuracy decreases for both BCFtools approaches.
- **Figure 2.** Increasing coverage from 5X to 10X can have significant effects on  $F_{\text{ROH}}$  estimates. A-
- 684 C) True and inferred  $F_{\text{ROH}}$  values for simulated data and D-F) inferred  $F_{\text{ROH}}$  values for empirical
- data at varying coverage levels for all three methods. True mean  $F_{\text{ROH}}$  values for simulated data
- are indicated by horizontal dashed line. For the simulated data, error bars are bootstrapped 95%

687 CIs and points represent mean values (n=100); lines for 15 randomly subsampled individuals are 688 displayed for simplicity (all individual data presented in Fig. S1). For the empirical results, 689 points represent mean values (n=15) and error bars correspond to 95% CIs. Across methods and 690 data types, mean  $F_{\text{ROH}}$  decreases from 5X to 10X, with significant differences detected when 691 simulated data are analyzed with PLINK and for all three methods applied to the empirical data. 692 Figure 3. PLINK outperforms BCFtools with respect to false negative rates, but underperforms 693 with respect to false positive rates. A) False positive (*i.e.*, calling a ROH that was not present in 694 an individual) and B) false negative (*i.e.*, failing to call a ROH present in an individual) rates for 695 simulated data across coverage levels and methods. Horizontal lines indicate median values and 696 shaded boxes are 50% quantiles. Note difference in scale of y-axis between panels A and B. Both 697 BCFtools approaches outperform PLINK with respect to false positive rates but the reverse is 698 true for false negative rates. Increasing coverage corresponds to decreasing false positive rates 699 and to increasing false negative rates.

Figure 4. True and called ROH positions for a ~6-Mb window in one exemplar individual.

Evidence of false negative and false positive calls can be seen across all methods and coverage
levels, and the lumping issue (*i.e.*, the erroneous combining of multiple true ROHs into a single
called ROH) is apparent for BCFtools Genotypes, BCFtools Likelihoods (at 5X coverage), and
PLINK. Full chromosome plots are provided for three individuals in Fig. S2.

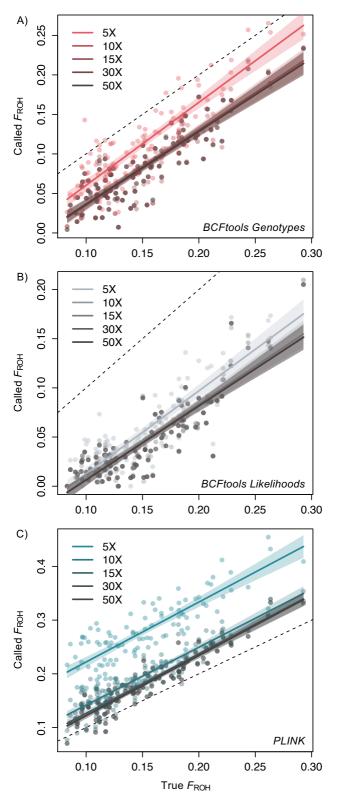
Figure 5. BCFtools Likelihoods produces more accurate length-specific  $F_{\text{ROH}}$  estimates than BCFtools Genotypes or PLINK (but see the Discussion for additional context of this result). A-C) Called  $F_{\text{ROH}}$  – true  $F_{\text{ROH}}$  across methods, ROH length bins, and coverage levels. Dashed horizontal line is at y = 0 and values above this line indicate overestimation of  $F_{\text{ROH}}$  whereas

| 709 | values below this line indicate underestimation. Length bins were defined as: (i) $100 \text{ kb} \ge \text{short}$                              |
|-----|--|
| 710 | $ROHs < 250 \text{ kb}$ ; (ii) $250 \text{ kb} \le$ intermediate $ROHs < 500 \text{ kb}$ ; (iii) $500 \text{ kb} \ge \log ROHs < 1 \text{ Mb}$ ; |
| 711 | (iv) 1 Mb $\geq$ very long ROHs. D) Histograms for bin-specific true $F_{\text{ROH}}$ values ( <i>i.e.</i> , total                               |
| 712 | frequencies sum to 100 individuals within each plot). Despite very few very long ROHs present  |
| 713 | in simulated individuals, PLINK and BCFtools Genotypes consistently overestimate $F_{\text{ROH}}$ for  |
| 714 | this bin. All individual data for called $F_{\text{ROH}}$ – true $F_{\text{ROH}}$ are presented in Fig. S2.                                      |
| 715 | Figure 6. For BCFtools Genotypes and PLINK (and BCFtools Likelihoods at low coverage),   |
| 716 | multiple true ROHs are increasingly lumped into single called ROHs with increasing true ROH  |
| 717 | length. A) Illustration of relationships between true ROHs and the called ROHs they are often  |
| 718 | lumped into. B-E) Number of true ROHs lumped into a single called ROH for each ROH length  |
| 719 | bin, method, and coverage level. Total number of called ROHs falling into each length bin is   |
| 720 | provided in the upper right corner of each panel. Degree of circle transparency corresponds to the   |
| 721 | number of called ROHs matching that particular y-value. Transparency levels are normalized to  |
| 722 | the total number of called ROHs within each panel (all methods and coverage levels combined).  |
| 723 | Diamonds represent mean values. A simplified version of this figure showing trends in mean   |
| 724 | values is provided in Fig. S4. Lumping patterns can also be seen in Figs. 4 and S2.  |
| 725 | Figure 7. For the empirical data, PLINK tends to call more short ROHs than the BCFtools  |
| 726 | approaches whereas BCFtools Genotypes tends to call more intermediate to very long ROHs  |
| 727 | than the other two methods. ROH length-specific $F_{ROH}$ values for A) short, B) intermediate, C)   |
| 728 | long, and D) very long ROHs. Length bins were defined as: (i) 100 kb $\leq$ short ROHs $<$ 500 kb;   |
| 729 | (ii) 500 kb $\leq$ intermediate ROHs $<$ 1 Mb; (iii) 1 Mb $\geq$ long ROHs $<$ 2 Mb; (iv) 2 Mb $\geq$ very long                                  |
| 730 | ROHs. Points correspond to mean values and error bars are 95% CIs. Across all methods and  |

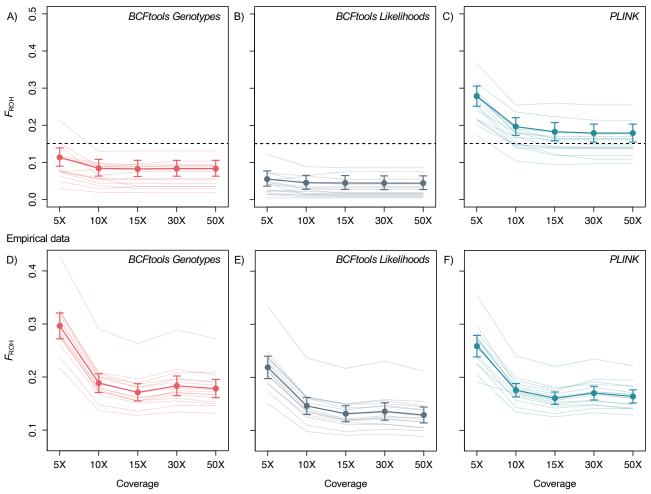
- 731 ROH length bins,  $F_{ROH}$  estimates at 5X coverage are significantly different from estimates at all
- 732 other coverage levels within each method and ROH length bin combination.

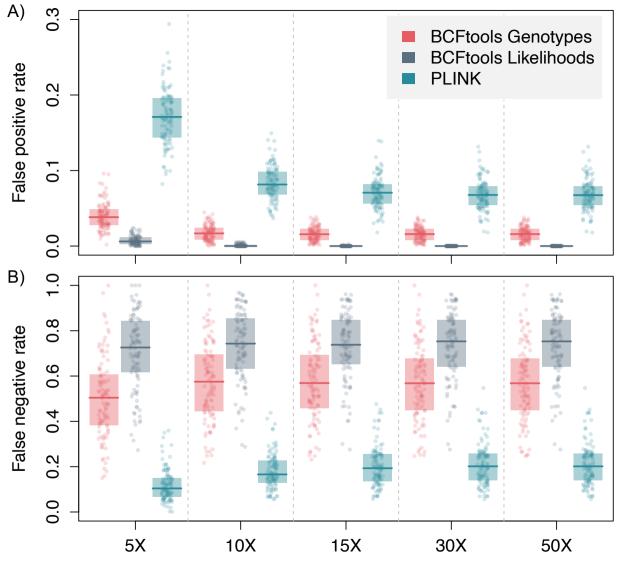
| Program      | Parameter                    | Abbreviation | Values                  | Description   |
|--------------|------------------------------|--------------|-------------------------|---|
| BCFtools/RoH | GTs-only                     |              | 30                      | If set, uses genotypes only and ignores likelihood values   |
| PLINK        | homozyg-window-het           | phwh         | 0, <u>1</u> , 2         | Number of heterozygous sites allowed within a window;<br>default = 1 heterozygous site  |
|              | homozyg-window-<br>missing   | phwm         | 2, <u>5</u> , 50        | Number of missing calls allowed in a window; default = 5 missing calls  |
|              | homozyg-window-snp           | phws         | <u>50</u> , 100, 1000   | Scanning window length in SNPs; default = 50 SNPs   |
|              | <pre>homozyg-density</pre>   | phzd         | <u>50</u>               | Minimum density in kb ( <i>i.e.</i> , maximum inverse density (kb/variant); <i>e.g.</i> , to specify minimum 1 SNP per 50 kb, set to 50); default = 50 kb |
|              | homozyg-gap                  | phzg         | 500, <u>1000</u>        | Threshold distance in kb at which to split a ROH into two if two SNPs are too far apart; default = $1000$ kb  |
|              | homozyg-window-<br>threshold | phwt         | 0.01, <u>0.05</u> , 0.1 | Proportion of overlapping windows that must be called<br>homozygous to assign any SNP to a ROH; default = $0.05$  |
|              | homozyg-snp                  | phzs         | 10, <u>100</u> , 1000   | Minimum number of variants that must be included in a<br>ROH of minimum lengthhomozyg-kb to report it; default<br>= 100 SNPs                              |
|              | homozyg-kb                   | phzk         | 100                     | Required minimum length of sequence (in kb) spanned by<br>number of homozygous sites specified byhomozyg-snp;<br>default = 1000 kb                        |

**Table 1.** Parameter values applied during ROH calling for both simulated and empirical data. For PLINK, a total of 486 combinations were tested. PLINK default values are underlined. ROH = run of homozygosity.

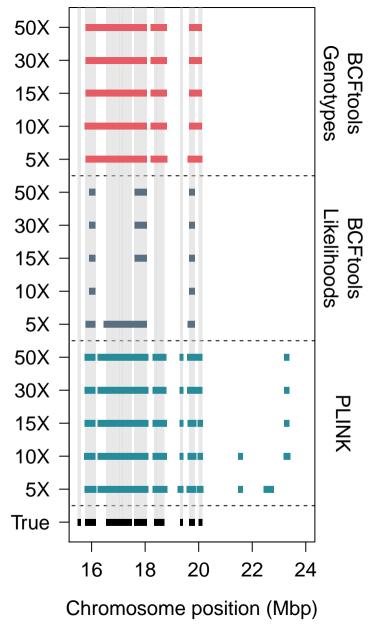


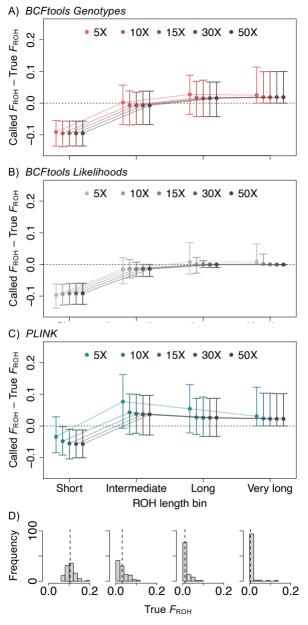
Simulated data

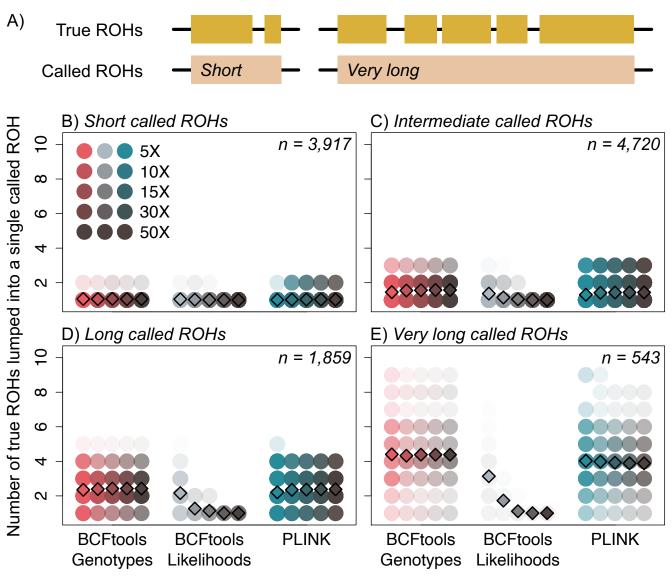


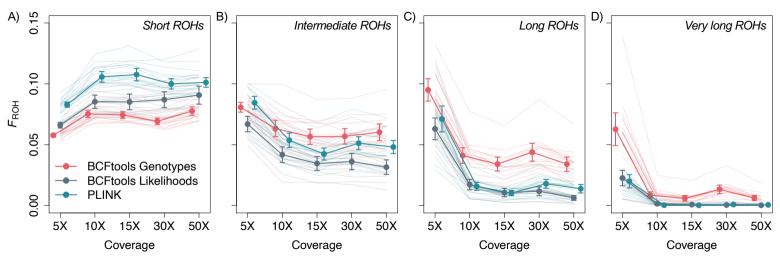


Coverage

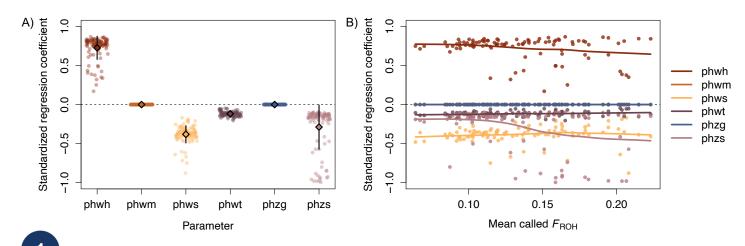








#### Box 1. PLINK parameter exploration through sensitivity analysis

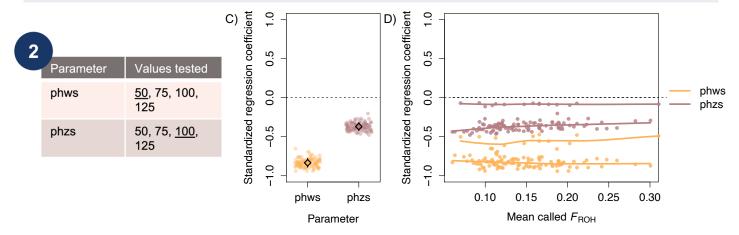


| - | Parameter | Values tested           |
|---|-----------|-------------------------|
|   | phwh      | 0, <u>1</u> , 2         |
|   | phwm      | 2, <u>5</u> , 50        |
|   | phws      | <u>50</u> , 100, 1000   |
|   | phzg      | 500, <u>1000</u>        |
|   | phwt      | 0.01, <u>0.05</u> , 0.1 |
|   | phzs      | 10, <u>100</u> , 1000   |
|   |           |                         |

When considering which PLINK parameter values to apply to your data, it is important to determine how individual variation across samples interacts with specific parameter values to influence  $F_{\text{ROH}}$  estimates. Herein, we demonstrate how we applied sensitivity analysis to select a set of parameter values for our simulated data (downsampled to 15X). In panel A, standardized regression coeffecient (SRC) values are plotted for each parameter, with values SRC values > 0 indicating that increasing the value of a parameter increases mean called  $F_{\text{ROH}}$  (in the plot, each point corresponds to a single individual). In panel B, SRC values are plotted across mean called  $F_{\text{ROH}}$  values to show how the relationship between SRC and  $F_{\text{ROH}}$  changes with  $F_{\text{ROH}}$ . The parameter values tested are provided in the table at left, with the default PLINK settings underlined.

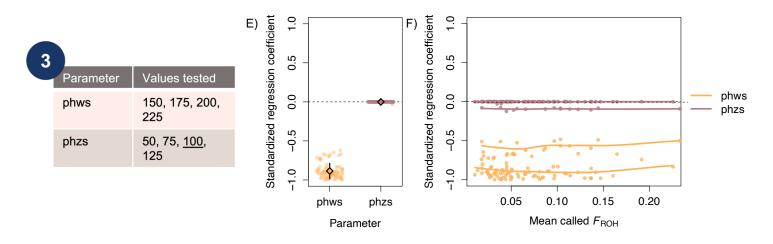
Parameter descriptions are provided in Table 1. Each physical sector  $E_{1}$  (constitution of the first sector  $E_{2}$  ) (constitution of the first sector  $E_{2}$  (constitution of the first sector  $E_{2}$  ) (constitution of

For **phwh** in Iteration 1, SRC values were > 0, indicating a positive effect on  $F_{\text{ROH}}$  (panel A), with the effect slightly weakening at higher called  $F_{\text{ROH}}$  values (trendline in panel B). Allowing zero heterozygous calls within a window would discard many windows due to genotyping error, so we conservatively retained the lowest setting > 0 for this parameter, setting it to 1 to avoid inflated  $F_{\text{ROH}}$  values. Varying **phwm**, **phwt**, and **phzg** had nearly no effect on  $F_{\text{ROH}}$ , so we retained default values for these parameters. The variable effects of changing **phws** and **phzs** across individuals (i.e., the vertical spread of points in panel A and B) indicate that we should further explore these parameter values, because appropriate values for sliding window length and minimum number of sites per ROH are data-dependent, and thus, value selection will differentially affect ROH estimates due to individual variation in genetic architecture and sequencing errors. We first tested large values (e.g.,  $\geq$  500 for **phws** and  $\geq$  200 for **phzs**) and found that these settings result in no ROH calls for many individuals (Table S2). We next tested two sets of values near the default value for **phws** and a more narrow range of values near the default value for **phzs** than in Iteration 1.

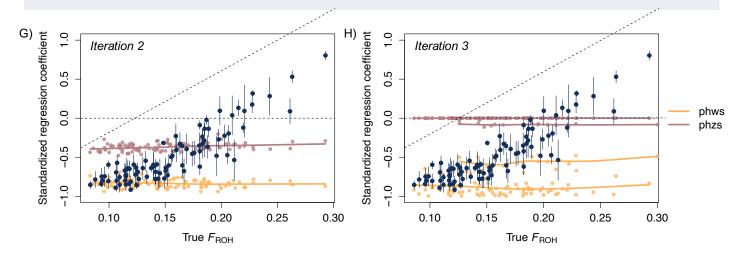


In Iteration 2, we tested values at the smaller end of the ranges tested for **phws** in Iteration 1. For the values tested, increasing **phws** still had a negative effect on  $F_{\text{ROH}}$ , but the effect was somewhat constant across  $F_{\text{ROH}}$  values (panels C and D). Increasing **phzs** also corresponds to decreased  $F_{\text{ROH}}$ , but compared to Iteration 1, the variation in that effect across individuals was much smaller (panels C and D). For both **phws** and **phzs**, these results indicate that selecting a value somewhere within the tested range is unlikely to have substantial sample-specific impacts on called  $F_{\text{ROH}}$  values.

In Iteration 3, we tested slightly higher values for **phws** than in Iteration 2. Although this change minimized the effect that varying the value of **phzs** has on  $F_{\text{ROH}}$ , variation in the effects of **phws** settings across individuals increased substantially when compared with Iteration 2. In this iteration, mean called  $F_{\text{ROH}}$  values have also shifted towards zero, indicating that increasing **phws** to the tested values may be leading to some ROHs not being called in some individuals. Based on this comparison with the Iteration 2 results, we opted to retain the default values for both **phws** and **phzs**, which were included in the Iteration 2 tested values.



Because we tested this approach on simulated data, we can also examine the relationship between true  $F_{\text{ROH}}$  values and SRCs. For Iteration 2 (the set of values we retained for all downstream analyses), although increasing the values of both **phws** and **phzs** decreased called  $F_{\text{ROH}}$ , there is no consistent pattern in variation across individuals as true  $F_{\text{ROH}}$  varies and the variation is small. For Iteration 3, however, there is substantial individual variation in how varying values of **phws** affect called  $F_{\text{ROH}}$ . This variation is likely due to variation in individuals' true ROH length distributions, with individuals with a greater proportion of short ROHs more strongly affected by increasing **phws**. This is also reflected in lower mean values for called  $F_{\text{ROH}}$  relative to true  $F_{\text{ROH}}$  (panel J; vertical lines are  $\pm 1$  SD).



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