Burst-dependent Thalamocortical Dynamics Underlie Perceptual Awareness

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Abstract

Models of perceptual awareness often lack tractable neurobiological constraints. Inspired by recent cellular recordings in a mouse model of tactile threshold detection, we constructed a biophysical model of perceptual awareness that incorporated essential features of thalamocortical anatomy and cellular physiology. Our model reproduced, and mechanistically explains, the key *in vivo* neural and behavioural signatures of perceptual awareness in the mouse model, as well as the response to a set of causal perturbations. We generalised the same model (with identical parameters) to visual rivalry and found that the same thalamic-mediated mechanism of perceptual awareness determined perceptual dominance. This led to the generation of a set of novel, and directly testable, electrophysiological predictions. Analyses based on dynamical systems theory showed that perceptual awareness in simulations of both threshold detection and visual rivalry arises from the emergent systems-level dynamics of thalamocortical loops.

Introduction

The study of perceptual awareness – the process of gaining conscious access to perceptual content – in human participants (e.g. Overgaard, 2015) and animal models (e.g. Gale et al., 2024; Takahashi et al., 2016b) have opposing but complementary limitations. Human participants can rapidly learn complex tasks that isolate and control for key psychological constructs, however the high-resolution (i.e., cell specific) recordings and precise causal manipulations (e.g., optogenetic and pharmacological) that are needed to make effective inferences about the neural basis of behaviour are exceedingly difficult and often impossible to obtain. At the same time, animal models, and transgenic mouse models in particular, allow for an astonishing degree of experimental precision in the recording and causal manipulation of neural activity. Animal models are, however, highly limited in the range and complexity of the tasks that can be performed, restricting the type of psychological inferences that can be drawn from the animals' behaviour. Both fields contain crucial pieces of the puzzle, but the links between the two are limited. Effective progress, therefore, hinges on our ability to create empirically tractable tethers between the behavioural signatures of perceptual awareness studied in humans and the fine-grained neurobiological mechanisms studied in animal models (He, 2023).

Recent work in a mouse model of perception has identified a key thalamocortical circuit connecting thick-tufted layer 5 pyramidal-tract ($L5_{PT}$) neurons and higher-order matrix thalamus as playing a causal role in the threshold for perceptual awareness (Aru et al., 2019, 2020; Bachmann et al., 2020; Takahashi et al., 2016a, 2020). Specifically, based on a range of cellular recordings and causal perturbations it has been shown that matrix-thalamus-mediated coupling of apical dendrite and somatic compartments in $L5_{PT}$ cells leads to a burst-firing mode that is a reliable signature of perceptual awareness of a near-threshold tactile stimulus (Takahashi et al., 2016a, 2020). However, the simplicity of the threshold detection task and species-specific differences in neural architecture means that it is not clear whether the mechanisms of perceptual awareness characterised in the mouse model will generalise beyond the whisker detection task to the more complex paradigms typically studied in human participants.

We use biophysical modelling to bridge the gap between the thalamocortical circuit identified in the mouse model of perception (Aru et al., 2020; Takahashi et al., 2016b, 2020) and the behavioural signatures of perceptual awareness studied in human psychophysics. Specifically, we built a thalamocortical spiking neural network model that explains the full suite of behavioural and neural findings in the mouse model of tactile threshold detection. Given the ubiquity of the thalamocortical circuit architecture across sensory modalities, we (Aru et al., 2020; Bachmann et al., 2020; Whyte et al., 2024), along with others (Marvan et al., 2021; Phillips et al., 2016), have proposed that reverberant activity in matrix thalamus – L5PT loops may be a necessary component part in a domain general mechanism of perceptual awareness. A key test of this hypothesis is whether this same circuit architecture can explain psychophysical principles known to govern perceptual awareness in more complex paradigms and in other sensory modalities.

To test this hypothesis *in silico* we leveraged the same model with identical parameters to simulate both tactile threshold detection and visual rivalry (which we use as a catch all term for binocular rivalry and related bistable perception paradigms). Visual rivalry is a complex but highly psychophysically constrained phenomenon whereby visual perception stochastically switches between stimulus percepts that differ only in terms of their perceptual content (Alais & Blake, 2005; Blake & Tong, 2008; Carmel et al., 2010; Tong et al., 2006). Visual rivalry provides a means to dissociate the neural mechanisms of subjective perception from the correlates of physical stimulation. Crucially, variants of visual rivalry (i.e., plaid perception; Hupé & Rubin, 2003) can now be studied in mouse models (Bogatova et al., 2022; Palagina et al., 2017) as well in human and non-human primates, allowing us to test our model against existing psychophysical findings in primates and to make predictions for what should be observed in the mouse model before data has been collected – a central component in the evolving dialogue between theory and experiment. In addition, although our model is consistent with the predictions of previous models of visual rivalry (e.g., Grossberg et al., 2008; Laing et al., 2010; Laing & Chow, 2002; Safavi & Dayan, 2022; Shpiro et al., 2007, 2009; Wilson, 2003, 2007, 2017), our approach has an unique level of

neurobiological specificity that allows us to generate cellular level predictions about the neural underpinnings of perceptual awareness in a language that is applicable to the causal methods used by modern systems neuroscientists, making them readily testable.

Results

A spiking corticothalamic model recreates key features of cellular physiology

The dynamical elements of the model consist of three classes of neurons (**Fig 1 A-B**) – L5PT cells (blue), fast spiking interneurons (basket cells, gold), and diffuse projecting matrix thalamocortical cells (purple) – each of which are modelled using biophysically plausible spiking neurons (Izhikevich, 2003, 2004, 2006; Naud & Sprekeler, 2018) that were coupled through conductance-based synapses. By building the model from these circuit elements, we ensure that the emergent dynamics of the population recapitulate known signatures of cell-type-specific firing, thus retaining the capacity to translate insights between computational modellers and cellular physiologists.

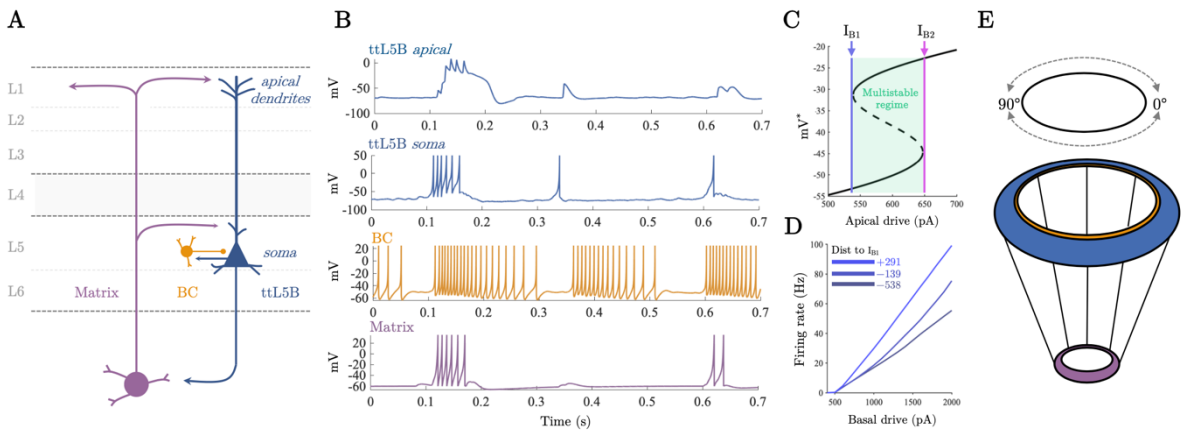

Fig 1. Thalamocortical model of perceptual awareness. A) Idealised anatomy of the model thalamocortical loop connecting higher-order matrix thalamus and L5PT neurons. **B)** Single neuron dynamics of each class of cell when driven with 600 [Hz] of independent background drive to the somatic compartment of every neuron and 50 [Hz] to apical compartment of L5PT cells. **C)** Bifurcation diagram of the L5PT apical compartment. I_{B1} denotes a saddle node bifurcation generating a stable plateau potential which coexists with the resting state of the apical compartment until the model passes through a second saddle node bifurcation at I_{B2} at which point the resting state vanishes and the stable plateau potential becomes globally attracting. **D)** Somatic firing rate of the novel dual compartment L5PT model as a function of basal (i.e. somatic compartment) drive and apical drive (measured in terms of the distance to I_{B1}). In line with empirical data (Larkum, 2004), apical drive increases the gain of the

somatic compartment. **E)** Model thalamocortical ring architecture. L5PT cells and basket cells were placed on a cortical ring at evenly space intervals.

To model the non-linear bursting behaviour of L5PT cells (which has been linked to perceptual awareness; Larkum, 2004, 2022; Larkum et al., 2009), we created a novel dual-compartment model with active apical dendrites that captures key features of the cells' physiology. Empirical recordings have shown that L5PT cells can switch from regular spiking to bursting when they receive near-simultaneous input to both their apical (top) and basal (bottom) dendrites (Larkum, 2004, 2022; **Fig 1B**). As such, our model includes a somatic compartment, described by an Izhikevich adaptive quadratic integrate and fire neuron (Izhikevich, 2006; Munn, Müller, Aru, et al., 2023; Munn, Müller, Medel, et al., 2023) and an apical compartment, described by non-linear model of the Ca^{2+} plateau potential (Naud et al., 2014; Naud & Sprekeler, 2018). To recapitulate known physiology, we coupled the compartments such that a sodium spike in the somatic compartment propagates back into the apical compartment; in turn if a Ca^{2+} plateau potential is triggered in the apical compartment the somatic compartment's behaviour (probabilistically) switches from regular spiking to bursting (implemented by switching the reset conditions of the somatic compartment). The amount of current entering the apical compartment controls this switching process. With sufficiently high current the apical compartment passes through a saddle node bifurcation (I_{B1}; **Fig 1C**) and a stable Ca^{2+} plateau potential coexists with the resting state of the compartment. Further increases in current cause the cell's resting state to disappear (by passing the cell through a second saddle node bifurcation at I_{B2}; **Fig 1C**), making the plateau potential globally attracting (**supplementary materials S1A-D**).

Based on the observation that communication between L5PT compartments is modified by depolarising input from the matrix thalamus to the "apical coupling zone" of L5PT cells (Suzuki & Larkum, 2020), the probability of successful propagation between compartments was set up to be proportional to the amplitude of thalamic conductances. In line with empirical findings and previous modelling (Larkum, 2004; Shai et al., 2015), Ca^{2+} plateau potentials in the apical compartment controlled the

gain of the somatic compartment's firing rate curve through increasing the amount of time the somatic compartment spent in a bursting, rather than a regular spiking, regime (**Fig 1D**).

Based on previous spiking neural network models of early sensory cortex (Laing et al., 2010; Laing & Chow, 2002; Wang et al., 2020; Zerlaut et al., 2018), we embedded the cortical neurons in a one-dimensional ring architecture (90 pairs of L5PT excitatory and fast-spiking inhibitory interneurons; **Fig 1E**). Each point on the ring represents an orientation preference, with one full rotation around the ring corresponding to a 180° visual rotation – this provides each neuron with a 2° difference in orientation preference, relative to its neighbours. The cortical ring was coupled to a thalamic ring with a 9:1 ratio (an underestimate of the cortico-thalamic ratio in mammals), which then projected back up to the apical dendrites of the same 9 cortical neurons, representing the diffuse projections of higher order thalamus onto the apical dendrites of L5PT neurons in layer 1 (Mease & Gonzalez, 2021; Shepherd & Yamawaki, 2021). Cortical coupling was modelled with a spatial decay, with long range inhibitory coupling and comparatively local excitatory coupling (i.e., centre-surround 'Mexican-hat' connectivity).

When driven solely by baseline input, the model emitted irregular spikes interspersed with sparse spatially localised bursts mediated by depolarising input from the thalamus which allowed L5PT somatic spikes to back-propagate initiating Ca^{2+} plateau potentials in the apical dendrites which in turn initiated transient burst spiking in the somatic compartment (**Fig 1C**). Cortical spiking activity was highly irregular (mean inter-spike interval coefficient of variation $\frac{standard\ deviation}{mean} = 2.4$) characteristic of a waking state (Destexhe, 2009). For more details on the model architecture and analysis of the dynamics see **Materials and Methods**.

The thalamocortical model reproduces empirical signatures of threshold detection

We first set out to reproduce the results of the whisker based tactile detection paradigm employed by Takahashi and colleagues (2016, 2020), who trained mice to report a mechanical deflection of a whisker over a range of deflection intensities (**Fig**

2A) whilst recording L5PT activity in barrel cortex from the apical dendrites via fast scanning two-photon Ca^{2+} imaging, and somatic activity via juxtacellular electrodes. They found that bursting activity in the soma of L5PT cells, generated by Ca^{2+} plateau potentials in the apical dendrites, distinguished hits and false alarms from misses and correct rejections. Importantly, they were able to establish causality through a series of perturbation experiments (**Fig 2B**). Optogenetic excitation of the apical dendrites reduced the animal's threshold for awareness increasing both hits and false-alarms and an upward shift of the psychometric function (**Fig 2C**). In turn, pharmocological inhibition of the apical dendites and POm (a matrix rich higher-order thalamic nucleus with closed loop connections to barrel cortex; Mease & Gonzalez, 2021) increased the animals perceptual threshold resulting in a downward shift of the psychometric function (**Fig 2D-E**).

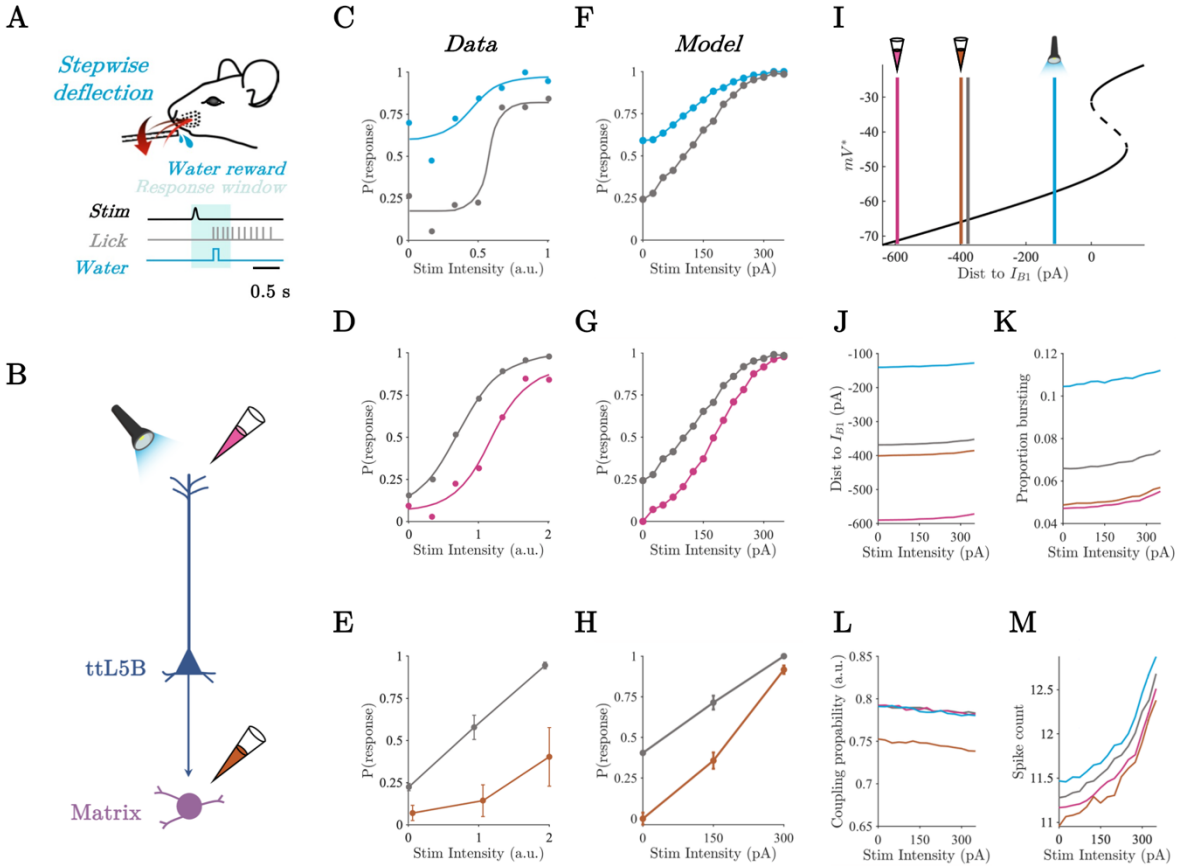

Fig 2. Apical compartment distance to criticality and thalamic-gating explains shifts in perceptual threshold. A) Whisker deflection paradigm modified from Takahashi et al, (2020). **B)** Representation of causal perturbations to L5PT thalamocortical circuit including optogenetic excitation of the apical dendrites (light blue), pharmacological inhibition of the apical dendrites (pink), and pharmacological

inhibition of POm (orange). **C-D)** Psychometric function of animals performing a whisker deflection task for the control condition (grey), optogenetic excitation of apical dendrites (blue), and pharmacological inhibition of apical dendrites (pink). Modified from Takahashi et al, (2016) and Takahashi et al, (2020). **E)** Response probability as a function of whisker deflection intensity for control (grey) and pharmacological inhibition of POm (orange). Modified from Takahashi et al., (2020). **F-H)** Model response probability as a function of stimulus intensity across simulated causal perturbations. Colours same as above. **I)** Apical compartment bifurcation diagram showing the average distance to B_1 in post stimulus period averaged across stimulus intensities. **J)** Average distance to B_1 across stimulus intensities and simulated causal perturbations in the post stimulus period. **K)** Proportion of population in bursting regime across stimulus intensities and simulated causal perturbations in the post stimulus period. **L)** Average inter-compartment coupling probability across stimulus intensities and simulated causal perturbations in the post stimulus period. **M)** Average spike count across stimulus intensities and simulated causal perturbations in the post stimulus period.

To model the perceptual discrimination process underlying threshold detection – discriminating the presence of a weak stimulus against a noisy background – all neurons received a constant background drive consisting of independent Poisson spike trains whilst an arbitrary cortical neuron was pulsed by a current of constant width and variable amplitude that we weighted by a spatial Gaussian to mimic the selectivity profile of neurons in early sensory cortex. We operationalised perceptual awareness in the threshold detection simulations in terms of neurometric functions which compared trial-by-trial spike counts elicited by the presentation of the stimulus to trial-by-trial spike counts elicited by background drive alone (Britten et al., 1992). In the model, simulated whisker deflections recapitulated the observed empirical sigmoid-like relationship between the intensity of the simulation and model's response probability (**Fig 2F-H**). In addition, perturbations to the model designed to replicate optogenetic excitation and pharmacological inhibition (**Fig 2A)** qualitatively reproduced the empirically-observed shifts in response probability across lesion types (**Fig 2C-H**).

A key benefit of biophysical modelling is the capacity to mechanistically probe the model and determine how the empirical observations may have emerged from the underlying circuit dynamics. To this end, we used tools from dynamical systems theory to interrogate the cell-type-specific dynamics underlying the behaviour of the model including the distance to bifurcation (I_{B1}) in the apical compartment, the parameter

regime of the somatic compartment (i.e. regular spiking or bursting), and the inter-compartment coupling probability. Excitation of the apical dendrites (blue) reduced the distance to bifurcation (here defined as the distance to I_{B1}) in the apical compartment across the network (**Fig 2I-J**). This increased the proportion of time each somatic compartment spent in the bursting regime (**Fig 2K**), which in turn increased the average spike count of $L5_{PT}$ cells across stimulus intensities resulting in an upward shift of the model's neurometric function (**Fig 2F & 2M**). Conversely, inhibition of the apical dendrites (pink) and the thalamus (orange) both resulted in an increase in the perceptual threshold characterised by a downward shift in the model's neurometric function (**Fig 2G-H**).

Importantly, however, the mechanisms underlying the increase in the perceptual threshold differed across lesion types. Inhibition of the apical dendrites increased the average distance to bifurcation at B_1 in the apical compartment across the network (**Fig 2I-J**). In contrast, inhibition of the thalamus resulted in a comparatively minor reduction in the distance to bifurcation in the apical dendrites (**Fig 2I-J**) but reduced the thalamus mediated inter-compartment coupling (**Fig 2L**) thereby reducing the probability that a back propagating action potential could reach the apical compartment, and the probability with which a plateau potential could switch the regime of the somatic compartment from regular spiking to bursting. Together this resulted in a similar reduction in the proportion of cells in the bursting regime for both thalamic and apical dendrite inhibition, and likewise, a similar reduction in the average stimulus evoked spike count explaining the downward shift in the neurometric function across both conditions (**Fig 2M**).

Thalamocortical spiking model generalises to visual rivalry

We next sought to generalise our thalamocortical model of perceptual awareness to visual rivalry formalising and interrogating the hypothesis that the role played by pulvinar – $L5_{PT}$ loops in visual cortex is analogous to the role played by POm – $L5_{PT}$ loops in barrel cortex. To simulate visual rivalry we drove the model with input representing orthogonal gratings presented to each eye, typical of standard binocular rivalry experiments (e.g. Logothetis & Leopold, 1996; Tong et al., 2006), targeting the

soma (i.e. basal dendrites) of L5PT cells on opposite sides of the ring with orthogonal orientation preferences (**Fig 3A**).

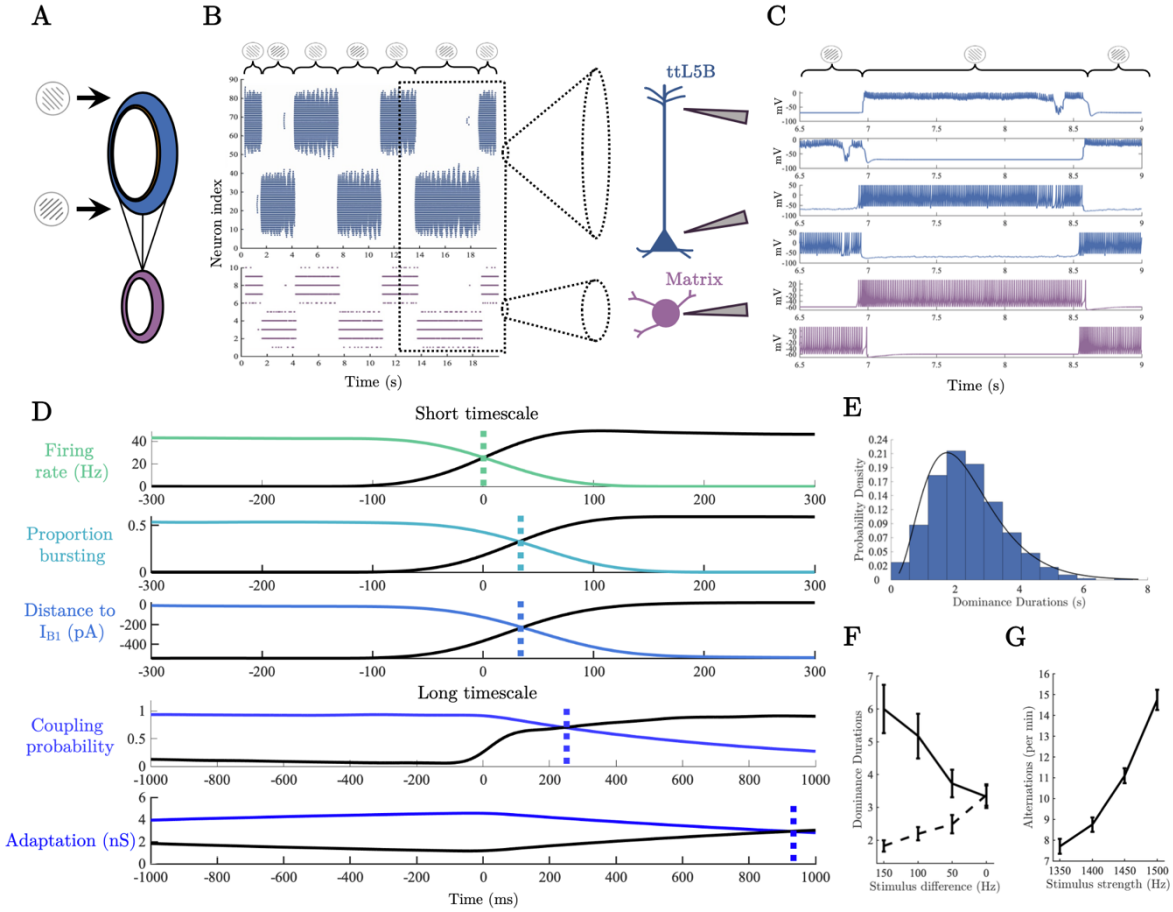

Fig 3. A thalamocortical cascade underlies perceptual switches. A) Thalamocortical ring architecture driven by input representing orthogonal gratings. **B)** Raster plots of L5PT soma (blue) and matrix thalamus population (purple) during rivalry. **C)** Example single neuron spiking activity around a perceptual switch – dotted lines denote the crossing in the population averaged time series. **D)** Population averaged neuronal variables centred on a perceptual switch. **E)** Histogram of dominance durations, black line shows the fit of a Gamma distribution with parameters estimated via MLE ($\alpha = 3.7863$, $\theta = 0.6272$. **F)** Simulation confirming Levelt's second proposition. Dashed line shows the dominance duration of the population receiving the decreasing external drive, solid line shows dominance duration of population receiving a fixed drive. **G)** Simulation of Levelt's fourth proposition.

Due to the fact that inhibitory connectivity is broader than excitatory connectivity, delivering external drive to opposite sides of the ring shifts the model into a winner-take-all regime with burst-dependent persistent states on either side of the ring

competing to inhibit one another. Importantly, through the accumulation of slow a hyperpolarising adaptation current in the somatic compartment of each L5PT cell (representing slow Ca^{2+} mediated K^{+} currents; McCormick & Williamson, 1989; Wilson & Cowan, 2021), burst-dependent persistent states are only transiently stable leading to stochastic switches between persistent states characteristic of binocular rivalry **(Fig 3B-C)**. We operationalised perceptual dominance (i.e. awareness of a percept at the exclusion of the other) in terms of the difference in average firing rate between the persistent 'bumps' of L5PT cell activity on opposite sides of the ring. A population was counted as dominant when it had a firing rate 5 [Hz] > than its competitor (results were robust across a large range of values). The initial competition for perceptual dominance is determined by which population of L5PT cells first establishes a recurrent loop with matrix-thalamus. This interaction allows the connected population of cells to enter a bursting regime, at which point the population has sufficient activity to maintain a persistent state and inhibit the competing population into silence. In previous work we have argued that this emergent property of corticothalamic loops is a good candidate for a cellular-level correlate of perceptual awareness (Aru et al., 2020; Whyte et al., 2024).

Crucially, our model provides a cellular-level explanation of spontaneous rivalry-induced perceptual switches in terms of these same mechanisms. As the reliable initiation of Ca^{2+} plateau potentials in the model depends upon back-propagating action potentials, perceptual switches are always preceded by regular spikes in the suppressed population. Preceding each switch, the accumulation of adaptation reduces the firing rate of the dominant population to a sufficient level that the suppressed population can escape from inhibition and emit a brief series of regular spikes that transition into bursts as thalamus is recruited and Ca^{2+} plateau potentials are initiated (**Fig 3C**), eventually gaining sufficient excitatory activity to inhibit the previously dominant population into silence via recurrent interactions with the basket cell population. At the population level (**Fig 3D**) this cascade of neuronal events is characterised by an initial ramping in the somatic firing rate of the suppressed population, followed by the inter-compartment coupling probability, the proportion of the population bursting, and the average apical compartment distance to bifurcation.

Once dominant, approximately half the population is in a bursting regime at each point in time (0.5424 mean $\pm$ 0.058 standard deviation), and the average distance to bifurcation in the apical compartment fluctuates around zero (-11.0185 $\pm$ 48.067 [pA]), with approximately a third (0.3669 $\pm$ 0.097) of the population located above the critical boundary (I_{B1}) at each point in time. In addition, the average inter-compartment coupling probability is (0.8845 $\pm$ 0.102) allowing reliable communication between compartments. Once silenced, adaptation in the previously dominant population decays back to baseline levels and accumulates in the previously suppressed, now dominant, population. In this way, the organisation of the competitive cortico-cortico and corticothalamic loop provides a natural "flip-flop" switch that stochastically alternates between dominant percepts.

In close agreement with psychophysical data, switches between dominance and suppression have a right-skewed distribution of dominance durations (Brascamp et al., 2015; Levelt, 1967; Logothetis & Leopold, 1996; **Fig 3E**). Across stimulus drive conditions (1350 – 1500 [Hz]), comparison of negative log likelihoods shows that the distribution of dominance durations is best fit by a Gamma distribution ($\ell = 1.29 \times 10^{-3}$), compared to lognormal ($\ell = 1.37 \times 10^{-3}$) or normal distributions ($\ell = 1.30 \times 10^{-3}$). As there is not analytic criterion to identify limit cycles in high dimensional systems (i.e. the Poincaré–Bendixson theorem only applies in 2-dimensions) we used a heuristic line of argument (see Strogatz, 2018, Ch.8) combined with simulations in the absence of noise to confirm that the dynamical regime underlying these stochastic oscillations consists of noisy excursions around a stable limit cycle (**supplementary material S2**).

Thalamocortical spiking model conforms to Levelt's propositions

To further test the psychophysical validity of our neurobiologically detailed model, we simulated the experimental conditions described by Levelt's modified propositions (Brascamp et al., 2015) – a set of four statements that compactly summarise the relationship between stimulus strength (e.g., luminance contrast, colour contrast, stimulus motion) and the average dominance duration of each stimulus percept. Here,

we focus on the modified second and fourth propositions, as they constitute the "core laws" of rivalry and incorporate recent psychophysical findings (propositions one and three are consequences of proposition two; Brascamp et al., 2015).

Levelt's modified second proposition states that increasing the difference in stimulus strength between the two eyes will principally increase the average dominance duration of the percept associated with the stronger stimulus (Brascamp et al., 2015; Leopold & Logothetis, 1996; Logothetis & Leopold, 1996). To simulate Levelt's second proposition, we decreased the spike rate entering one side of the ring from 1350 to 1200 [Hz] in steps of 50 [Hz] across simulations. In line with predictions (**Fig 3F**), the average dominance duration of the percept corresponding to the stronger stimulus showed a steep increase from ~3.25 [s] with matched input, to ~ 6 [s] with maximally different input whilst the average dominance duration on the side of the weakened stimulus decreased comparatively gradually to ~1.9 [s] with maximally different inputs.

According to Levelt's modified fourth proposition, increasing the strength of the stimulus delivered to both eyes will increase the average perceptual reversal rate (i.e., decrease dominance durations; Brascamp et al., 2015), a finding that has been replicated across a wide array of experimental settings (Bonneh et al., 2014; Brascamp et al., 2006; Buckthought et al., 2008; Meng & Tong, 2004). To simulate Levelt's fourth proposition, we ran a series of simulations in which we increased the spike rate of the external drive in steps from 1350 to 1500 [Hz] in steps of 50 [Hz] across simulations. Again in line with predictions (**Fig 3G**), the perceptual alternation rate increased with input strength, starting at ~7.75 alternations per minute at the weakest stimulus strength and increasing to ~15 alternations per minute for the strongest stimulus.

We thus confirmed that our neurobiologically detailed model of the matrix thalamus - L5PT loop is capable of reproducing Levelt's propositions, which together with the right-skewed distribution of dominance durations, show the consistency of our model with the psychophysical "laws" known to govern visual rivalry.

Generating testable predictions through in silico electrophysiology

Binocular rivalry is thought to depend in part on the substantial binocular overlap in humans (~120°), however the lateral position of the eyes in mice leaves only ~40 ^{o} of binocular overlap (Poort & Meyer, 2021). For this reason, there are no current mouse models of binocular rivalry, however there are variants of visual rivalry, namely plaid perception, that can be studied the mouse model (Bogatova et al., 2024; Palagina et al., 2017). Crucially, plaid perception, like binocular rivalry, conforms to Levelt's laws (Brascamp et al., 2015) and also has a right skewed distribution of dominance durations that is well fit by a Gamma distribution (Bogatova et al., 2024). We hypothesise, therefore, that the principles underlying the simulation of binocular rivalry in our model will also describe other forms of visual rivalry such as plaid perception offering a plausible means to test cellular level predictions derived through simulation. To this end, we next ran a series of perturbation experiments, with the aim of interrogating the novel burst-dependent mechanism of perceptual dominance by mimicking the optogenetic and pharmacological experiments carried out in threshold-detection studies (Takahashi et al, 2016; 2020), in the context visual rivalry. As perceptual dominance depends on the formation and maintenance of a burst-dependent persistent state, we hypothesised that artificially exciting the apical dendrites would result in an increase in the average dominance duration of the excited population, and artificially inhibiting the apical dendrites and thalamus would result in a decrease in the dominance durations for the inhibited populations.

Due to the fact that the distance to bifurcation of the dominant population fluctuates around zero, we predicted that exciting the apical dendrites would increase the proportion of the population above the bifurcation at B_1, thereby reducing the probability with which a fluctuation in somatic drive would lead to a sizable enough drop in the proportion of the population below B_1 to release the competing population from inhibition. This should, therefore, result in an increase in the frequency of long dominance duration events, thereby increasing the mean and the spread of the distribution. Equivalently, we predicted that inhibiting the apical dendrites would reduce the proportion of the population above B_1, making it more likely that transient fluctuations in somatic drive would allow the competing population to escape from

inhibition, reducing the occurrence of long dominance duration events, thereby reducing both the mean and the spread of the distribution of dominance durations. Finally, based on the results of the threshold detection simulations we predicted that thalamic inhibition would have an analogous effect on dominance durations to apical dendrite inhibition but would be mediated by a reduction in the coupling probability.

To test these hypotheses, we conducted two *in silico* experiments analogous to the conditions described by Levelt's modified propositions but instead of manipulating the external drive entering the somatic compartment of L5PT cells we manipulated the amplitude of simulated causal perturbations to the L5PT apical compartment and thalamus (**Fig 4A & 5A**).

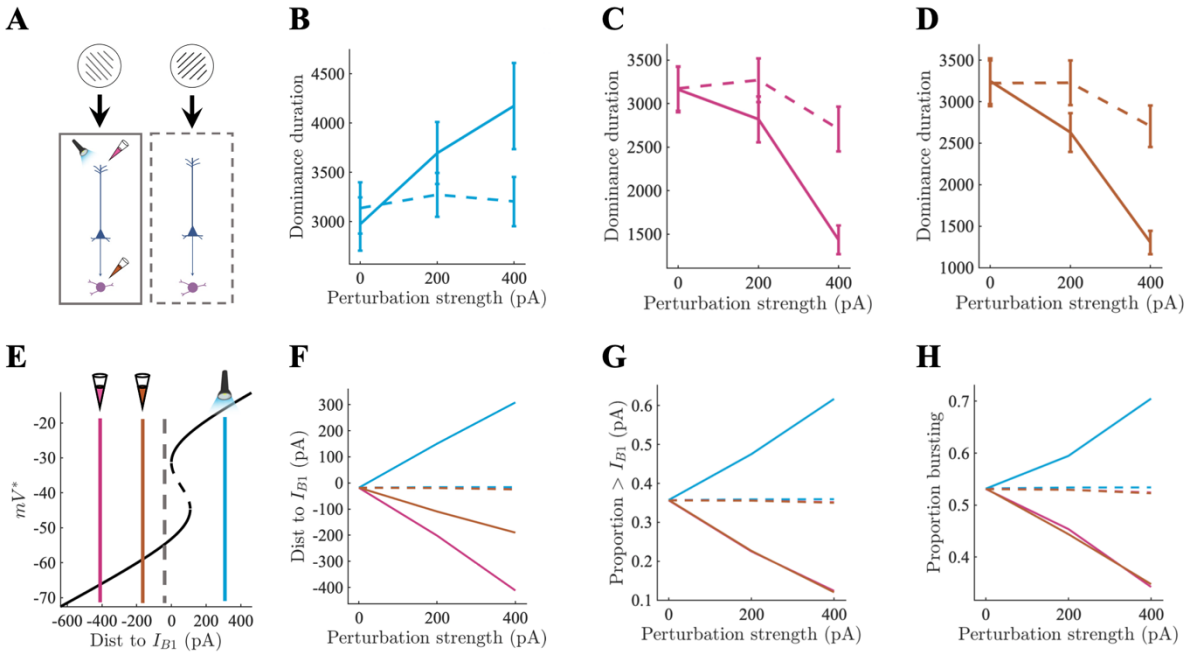

Fig 4. *In silico* electrophysiology reveals degenerate mechanisms of perceptual dominance (asymmetric lesions). A) Causal perturbations to one half of the thalamocortical circuit underlying visual rivalry consisting of optogenetic excitation of the apical compartment (blue), pharmacological inhibition of the apical compartment (pink), and pharmacological inhibition of the thalamus (orange). **B-D)** Average dominance duration of perturbed (solid), and unperturbed (dashed) populations. Error bars show SEM. **E)** Average distance to bifurcation point at B_1 shown on bifurcation diagram for perturbed (solid) and unperturbed (dashed) populations during periods of perceptual dominance with 400 [pA] perturbation strength. **F)** Average distance to bifurcation point at B_1 for perturbed (solid) and unperturbed (dashed) populations during periods of perceptual dominance. **G)** Proportion of population above bifurcation point at B_1 during periods of perceptual dominance. **H)** Proportion of population in bursting regime during periods of perceptual dominance.

In the first set of experiments, we simulated optogenetic excitation and pharmacological inhibition of one of the two competing populations by adding a constant current (± 200, 400 [pA]) to all of the target variables (i.e. apical compartment or thalamic neurons) on one side of the ring (**Fig 4A**). In line with predictions, we found that the average dominance duration of the excited population (**Fig 4B**) increased, the distance to bifurcation decreased (**Fig 4E-F**), the proportion of the population above the critical point at B_1 increased (**Fig 4G**), and the proportion of the population in the bursting regime increased (**Fig 4H**). The dominance durations and neuronal dynamics of the unexcited population remained relatively unchanged. Similarly, inhibition of both the apical dendrites and thalamus reduced the average dominance duration of the inhibited population whilst the uninhibited population was again relatively unchanged (**Fig 4C-D**). As in the threshold detection simulations, inhibition of the apical dendrites led to a large increase in the distance to B_1 compared to thalamic inhibition (**Fig 4E-F**) which primarily affected the inter-compartment coupling probability (**supplementary material S3A**). Both apical dendrite and thalamic inhibition led to almost identical reductions in the proportion of the population above the critical point at B_1 (**Fig 4G**), and the proportion of the population in a bursting regime (**Fig 4H**). The uninhibited population again remained relatively constant across all of the neuronal measures. As predicted the spread of the distribution of dominance durations increased with the amplitude of excitatory perturbation and decreased under inhibition (**supplementary material S3B**).

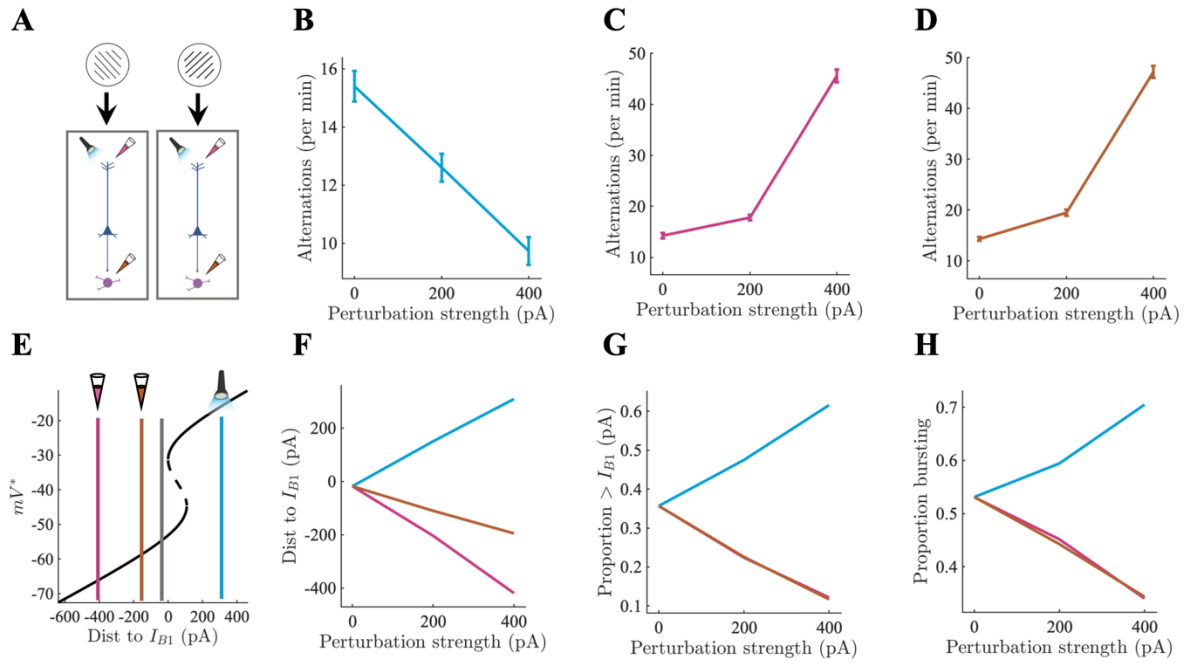

Fig 5. *In silico* electrophysiology reveals degenerate mechanisms of perceptual dominance (symmetric lesions). A) Causal perturbations to full thalamocortical circuit underlying visual rivalry. Colours same as above. **B-D)** Perceptual alternations per minute of simulation time across perturbation types. Error bars show SEM. **E)** Average distance to bifurcation point at B_1 shown on bifurcation diagram for perturbed (blue, orange, pink) and unperturbed (grey) simulations during periods of perceptual dominance at 400 [pA]. **F)** Average distance to bifurcation point at B_1 for full network perturbations during periods of perceptual dominance. **G)** Average proportion of population above bifurcation point at B_1 for full network perturbations during periods of perceptual dominance. **H)** Average proportion of population in bursting regime for full network perturbations during periods of perceptual dominance.

In the second set of experiments, we simulated optogenetic excitation and pharmacological inhibition of both competing neuronal populations simultaneously by adding a constant current (± 200, 400 [pA]) to all of the target variables on the ring (**Fig 5A**). Again, in line with predictions, the speed of rivalry (i.e., the number of perceptual alternations per minute of simulation time) decreased as a function of apical dendrite excitation (**Fig 5B**). Excitation also decreased the average distance to B_1 (**Fig 5E-F**), increased the proportion of the population above the critical point at B_1 (**Fig 5G**), and increased the proportion of the population in the bursting regime (**Fig 5H**). In contrast, inhibition of the apical dendrites and thalamus both increased the speed of rivalry (**Fig 5C-D**). Inhibition of the apical dendrites led to a large increase in the distance to the critical point at B_1 compared to thalamic inhibition (**Fig 5E-F**), but

both apical dendrite inhibition and thalamic inhibition reduced the proportion of the population above the critical point at B_1 (**Fig 5G**), and the proportion of the population in a bursting regime (**Fig 5H**) through reductions in the thalamus mediated inter-compartment coupling probability (**supplementary material S3C**). As with the asymmetric lesion simulations, inhibition exerted a much larger effect on the speed of rivalry than excitation. Finally, again in line with our predictions, the spread of the distribution of dominance durations increased under excitatory perturbation of the apical dendrites and decreased under inhibition of the apical dendrites and thalamus (**supplementary material S2D**).

Together, these *in silico* electrophysiological experiments provide important testable (and explainable) hypotheses for future experiments that although not testable in any existing data sets are well within the purview of modern systems neuroscience providing an opportunity to conduct precise theory-driven tests of our model.

Discussion

The study of perceptual awareness in human participants and animal models has so far proceeded largely in parallel – the former exploring the largescale neural dynamics and behavioural signatures of perceptual awareness across a rich array of experimental settings, and the latter characterising the cellular circuitry of perception in exquisite detail, and with precise causal control, but with only limited links to higher level perceptual phenomena. Leveraging a neurobiologically detailed model of the matrix thalamus – $L5_{PT}$ loop, we have shown that a potential circuit-level mechanism of tactile perceptual awareness discovered in a mouse model of tactile awareness (Aru et al., 2019, 2019; Takahashi et al., 2016, 2020) generalises to visual rivalry, thus providing a roadmap for the linking circuit level mechanisms studied in animal models to the behavioural signatures of perceptual awareness studied in human participants.

The balance of neurobiological detail and interpretability offered by our model allowed us to reproduce the threshold-detection results of Takahashi et al (2016, 2020) and interrogate the mechanisms underlying the experiments in a manner that would be impossible *in vivo*. In particular, examination of the model's dynamics under simulated

causal perturbations to the circuit revealed a degenerate dynamical mechanism for controlling the threshold for perceptual awareness. Excitation of the apical compartment reduced the distance to bifurcation in the apical compartment, thus increasing the probability with which each cell would generate a Ca^{2+} plateau potential switching the soma into a bursting regime. This resulted in an increase in the baseline and stimulus-evoked spike count, and correspondingly, led to an upward shift in the model's neurometric function. Inhibition of the apical compartment and thalamus resulted in comparable downward shifts in the baseline and stimulus-evoked spike count, leading to comparable downward shifts in the respective neurometric curves. Importantly, however, the neural mechanisms underlying the downward shifts were distinct: inhibiting the apical compartment increased the distance to bifurcation, thus reducing the probability with which each cell would generate a Ca^{2+} plateau potential, whereas inhibiting the thalamus reduced the inter-compartment coupling. Both mechanisms, however, led to comparable reductions in the proportion of cells in the bursting regime explaining the comparable increase in perceptual thresholds, suggesting that the emergent actions of the corticothalamic circuit as a whole, rather than single cells within the circuit, that are responsible for perceptual awareness.

The degenerate mechanisms underlying the threshold for perceptual awareness in the model combined with the operational definition of perceptual awareness in the threshold detection task (in terms of neurometric functions) highlights a conceptually important point about the role of bursts in both the model, and potentially, the empirical data itself. Specifically, controlling the ease with which a cell can burst through optogenetic and pharmacological perturbation is simply a means for controlling how easily a stimulus can evoke reverberant activity in corticocortical and thalamocortical loops which, in the simple case of threshold detection, constrains the extent to which stimulus evoked activity can stand out against a background of noise driven fluctuations.

We next showed that the same thalamus-gated burst-dependent mechanism underlying perceptual awareness in simulations of the tactile threshold detection task also determines perceptual dominance in simulations of visual rivalry. Specifically,

perceptual dominance is initiated by a succession of regular spikes and maintained through the formation of a transiently stable burst-dependent persistent state characterised by reliable coupling between apical and somatic compartments. This allows the close-to-critical dynamics in the apical compartment to generate temporally extended plateau potentials in a large subset of the dominant population reliably switching the $L5_{PT}$ soma from a regular spiking to a bursting regime thereby maintaining perceptual dominance until the slow hyperpolarising adaptation current accumulates to a sufficiently high level that the dominant population is no longer able to inhibit its competitor and a perceptual switch ensues.

Importantly, the model conforms to Levelt's modified propositions. Originally proposed in 1965 (Levelt, 1965), "Levelt's laws" have proven to be remarkably robust needing only minor modification and contextualisation (Brascamp et al., 2015) and have, therefore, served as a benchmark for computational models of visual rivalry (e.g., Grossberg et al., 2008; Laing & Chow, 2002; Shpiro et al., 2007; Wilson, 2007). Together with the right-skewed (Gamma) distribution of dominance durations the consistency of our model with Levelt's propositions provides an *in silico* conformation of the hypothesis that pulvinar – $L5_{PT}$ loops in visual cortex may play an analogous role to POm – $L5_{PT}$ loops in barrel cortex. This is a minimal but necessary first step in testing the hypothesis that reverberant activity in matrix thalamus – $L5_{PT}$ loops is a necessary component part in a domain general mechanism of perceptual awareness.

Having validated our model against psychophysical benchmarks, we next sought to interrogate the novel thalamus-gated burst-dependent mechanism of perceptual dominance by mirroring the optogenetic and pharmacological experiments carried out by Takahashi et al (2016, 2020) in the context of visual rivalry. Under conditions of visual rivalry, these causal perturbations are similar to Levelt's propositions, but instead of manipulating the strength of the external stimulus we manipulated the strength of apical compartment excitation/inhibition, or thalamic-dependent intercompartment coupling highlighting the unique contribution of these neurobiological components to visual rivalry. Across asymmetric and symmetric perturbations excitation of the apical compartment slowed perceptual alternations

(i.e., increased dominance durations) by increasing the proportion of the population able to sustain temporally extended Ca^{2+} plateau potentials and remain in a transiently-stable bursting regime, whereas inhibition of both the apical dendrites and thalamus had the opposite effect. Although technically difficult, these simulated manipulations are well within the purview of modern experimental techniques and therefore represent a means of causally testing the predictions of our model. Importantly, the simulation of these experimental perturbations would not be possible in any existing models of rivalry, even those at the spiking level (e.g. Laing & Chow, 2002; Wang et al., 2020; Wilson, 2003), as they focus on the minimal conditions for rivalry in point-neuron models of cortical interaction. The inclusion of a dual compartment model of $L5_{PT}$ cells, and an explicit thalamic population, was, therefore, required in order to make contact with the results of Takahashi et al (2016, 2020).

We anticipate that the cellular conditions for awareness explored in this paper are likely to have consequences for the largescale correlates of awareness. Indeed, we venture that at the level of large scale brain networks diffuse matrix-thalamus gated bursting may play a key role in the formation of a quasi-critical regime (Müller et al., 2020, 2023) allowing single nodes in a network to transiently escape from a tight E/I balanced state. This permits stimulus information to rapidly propagate across the cortical sheet whilst also maintaining stability at the level of the whole network (Müller et al., 2020) effectively modulating the gain of interareal connectivity in line with previous computational models of pulvinar-cortical interactions in cognitive tasks (Jaramillo et al., 2019).

As has been noted elsewhere (c.f. Aru et al., 2020; Storm et al., 2024), the circuit level conditions for awareness explored here fit well with many of the major neuronal theories of consciousness. The diffuse projections of the matrix-type thalamus may be a circuit level mechanism underlying the non-linear and widespread “ignition” response proposed by global neuronal workspace theory to underlie the transition from unconscious to conscious processing (Benitez et al., 2023; Cortes et al., 2023; Mashour et al., 2020). The improvement in signal-to-noise ratio associated with bursting aligns with signal detection theoretic versions of higher order theory (Lau, 2007), and the

recurrent nature of matrix – $L5_{PT}$ loops could be considered a thalamocortical extension of the currently corticocentric recurrent processing theory (Lamme, 2006). In addition, in previous work we have shown that diffuse matrix-type control of bursting in a sheet of $L5_{PT}$ cells maximises a measure of integrated information (Munn, Müller, Aru, et al., 2023), in line with integrated information theory (Albantakis et al., 2023). We speculate that exploring the interaction between the cellular conditions for awareness interrogated in this paper, and the topology of largescale brain networks, may be of crucial importance in resolving the ongoing debate between the theories described above regarding the macroscale network conditions necessary for awareness.

To strike the right balance between neurobiological detail and interpretability, we made a number of simplifying assumptions that place some limitations on our model. Most notably, we did not include a L2/3 pyramidal neuron population – which are the primary source of long distance horizontal connections in the cortex (Douglas & Martin, 2004) and arguably cross column inhibition (Qian et al., 2023) – nor a core thalamic population which forms a targeted recurrent loops with L4 and L6 of cortex (Harris & Shepherd, 2015) preventing us from performing systematic lesion experiments on our model highlighting the precise function of $L5_{PT}$ cells and higher-order matrix thalamus in a more realistic cortical microcircuit. In addition, we did not include time delays between our corticocortical or thalamocortical connections preventing our model from providing a realistic model (e.g., Tahvili & Destexhe, 2023) of time-frequency components of common electrophysiological measures such as local field potentials.

Our model is, of course, only a first step towards a formal characterisation of the minimal neurobiological mechanisms underlying perceptual awareness. Extending the model, and modelling strategy more generally, to new paradigms such as backward masking (Gale et al., 2024), will be of paramount importance in the progression of the field as mouse models and the tools of systems neuroscience are brought into contact with the sophisticated psychophysical paradigms used to study the behavioural signatures of awareness in humans.

Materials and Methods

Thalamocortical spiking neural network

The neuronal backbone of the model consists of a (novel) dual compartment model of L5PT neurons, fast spiking interneurons (basket cells), and thalamic cells. The dynamics of basket cells, thalamic cells, and the somatic compartment of L5PT cells (**Fig 1A-C**) were described by Izhikevich quadratic adaptive integrate and fire neurons, a variety of hybrid dynamical system that is capable of reproducing a wide variety spiking behaviour whilst still being highly efficient to integrate numerically (Izhikevich, 2003, 2004, 2006). The Izhikevich neuron consists of the following two-dimensional system of ODEs:

$$C\dot{v}^{(s)} = k\left(v^{(s)} - v_r^{(s)}\right)\left(v^{(s)} - v_t^{(s)}\right) - u^{(s)} + I_{ext} \tag{1}$$

$$\dot{u}^{(s)} = a\left\{b\left(v^{(s)} - v_r^{(s)}\right) - u^{(s)}\right\} \tag{2}$$

with reset conditions: if $v \geq v_{peak}$ then $v \to c, u \to u + d$. The equations are in dimensional form giving the membrane potential (including the resting potential v_r, spike threshold v_t, and spike peak v_{peak}, and reset c), input I_{ext}, time t, and capacitance C, biophysically interpretable units (mV, pA, mS, and pF respectively). The remaining four parameters k, a, b, and d, are dimensionless and control the sharpness of the quadratic-nonlinearity, the timescale of spike adaptation, the sensitivity of spike adaptation to sub-threshold oscillations, and the after spike reset of the adaptation variable. Crucially, Izhikevich (Izhikevich, 2006; Izhikevich & Edelman, 2008) fit parameters for a large class of cortical and sub-cortical neurons, thus affording our model a high degree of neurobiological plausibility while greatly reducing the number of free parameters.

The apical compartment of the L5PT neuron consists of a two dimensional non-linear system introduced by Naud and colleagues (Naud & Sprekeler, 2018) as a phenomenological model of the Ca^{2+} plateau potential in the apical dendrites of L5PT neurons.

$$C\dot{v}^{(d)} = -l\left(v^{(d)} - v_r^{(d)}\right) + gf\left(v^{(d)}\right) + mH\left(t - t^{f(s)}\right) + u^{(d)} + I_{ext} \tag{3}$$

$$\dot{u}^{(d)} = a\left\{b\left(v^{(d)} - v_r^{(d)}\right) - u^{(d)}\right\} \tag{4}$$

Where $f(x) = 1/(1 + \exp\left(-\frac{(x+38)}{6}\right)$ describes the regenerative non-linearity underlying the Ca^{2+} plateau potential, and $H\left(t - t^{f(s)}\right)$ denotes a square wave function of unitary amplitude describing the backpropagating action potential (delayed by 0.5 [ms] and lasts for 2 [ms]) with $f(s)$ denoting the somatic compartment spike time. The parameters l, g, m, denote the leak conductance [nS], amplitude of regenerative non-linearity [pA], and amplitude of the back propagating action potentials [pA] respectively. The model and parameters were derived from a more complex model of Ca^{2+} spikes built to predict *in vitro* L5PT spike times (Naud et al., 2014).

We coupled the compartments together so that sodium spikes in the somatic compartment triggered a back propagating action potential affecting the apical compartment through the square wave function $H\left(t - t^{f(s)}\right)$. In turn, plateau potentials in the apical compartment controlled the reset conditions of the somatic compartment. We leveraged the insight (Izhikevich, 2003; Munn, Müller, Aru, et al., 2023; Munn, Müller, Medel, et al., 2023) that the difference between regular spiking and intrinsic bursting can be modelled by changing the reset conditions of equations (1) and (2) - raising the reset voltage (increasing c) taking the neuron closer to threshold, and reducing the magnitude of spike adaptation (decreasing d). Whenever the membrane potential in the apical compartment exceeded -30 mv the reset conditions changed from regular spiking to bursting parameters. This allowed us to reproduce the transient change in dynamical regime in L5PT cells that occurs when they receive coincident apical and basal drive. Parameters values for each neuron/compartment are given in **table 1**.

Neuron	C [pF]	k [a.u.]	v_r [mV]	v_t [mV]	a	b	c [mV]	d [a.u.]	v_{peak} [mV]	l [nS]	g [pA]	m [pA]
L5PT apical dendrite	170	~	− 70	~	$\frac{1}{30}$[ms]$^{-1}$	−13 nS	~	~	~	24.2857	1200	2600
L5PT soma	150	2.5	− 75	− 45	0.01 [a. u]	5 [a. u]	RS: − 66 IB: − 56	RS: 260 IB: 130	50	~	~	~
Basket cell	20	1	− 55	− 40	0.15 [a. u]	8 [a. u]	− 55	200	25	~	~	~
Matrix thalamus	200	1.6	− 60	− 50	0.01 [a. u]	15 [a. u]	− 60	10	35	~	~	~

Table 1. Parameters for each neuron L5PT apical dendrite parameters were taken from Naud and Sprekeler, (2018). L5PT soma parameters were modified from the model of intrinsic bursting (p.290) described in Izhikevich (2006). Basket cell (fast spiking interneuron), and matrix thalamus parameters were taken from Izhikevich and Edelman (2008).

Based on the finding that communication between apical dendrites and the soma of L5PT cells requires depolarising input from the matrix thalamus to the "apical coupling zone" in L5a (Suzuki & Larkum, 2020) we made back propagating action potentials and Ca^{2+} driven parameter switches depend stochastically upon a phenomenological model of excitatory dynamics in the apical coupling zone described by the saturating linear system shown in equation (5).

$$\dot{g}_{i,coupling} = -\frac{g_{i,coupling}}{\tau_{coupling}} + (1 - g_{i,coupling}) \sum_j \delta(t - t_j^f) \tag{5}$$

Coupling was driven by thalamic spikes and the decay constant $\tau_{coupling}$ was taken from work estimating the decay of the post synaptic excitatory effects of metabotropic glutamate receptors (Greget et al., 2011) which have been shown empirically to mediate inter-compartmental coupling in L5PT cells (Suzuki & Larkum, 2020). By design, the dynamics of the coupling variable varied between 0 and 1 and governed the probability with which back propagating action potentials would reach the apical compartment and the probability with which a Ca^{2+} spike would lead to a switch in the soma reset parameters.

Based on previous spiking neural network models of rivalry (Laing et al., 2010; Laing & Chow, 2002; Wang et al., 2020) the cortical component of the network had a one-dimensional ring architecture. Each point on the ring represents an orientation preference with one full rotation around the ring corresponding to a 180° visual rotation. This mirrors the fact that a 180° rotation of a grating results in a visually identical stimulus and also ensures periodic boundary conditions. The cortical ring contained 90 L5PT neurons and 90 fast spiking interneurons. Each pair of excitatory and inhibitory neurons was assigned to an equidistant location on the ring (unit circle) giving each neuron a 2° difference in orientation preference relative to each of its

neighbours. The (dimensionless) synaptic weights $w_{i,j}^{\kappa\omega}$ connecting neurons ($E \to E$, $I \to E$, and $E \to I$), were all-to-all with amplitude decaying as a function of the Euclidean distance $d_{i,j}$ between neurons (equations (6)) according to a spatial Gaussian footprint (equation (7)).

$$d_{i,j} = \sqrt{(\cos\theta_i - \cos\theta_j)^2 + (\sin\theta_i - \sin\theta_j)^2} \tag{6}$$

$$w_{i,j}^{\kappa\omega} = \lambda^{\kappa\omega} e^{-\frac{1}{2}\left(\frac{d_{i,j}}{\sigma^{\kappa\omega}}\right)^2} \tag{7}$$

Where θ is the location of the neuron on the unit circle, κ and ω denote the pre- and post-synaptic neuron type (i.e. $E \to E$), λ controls the magnitude of the synaptic weights, and $\sigma^{\kappa\omega}$ the spatial spread. In line with empirical constraints inhibitory coupling had a larger spatial spread than excitatory to excitatory coupling (Naka & Adesnik, 2016). Each thalamic neuron received input from 9 cortical neurons and then projected back up to the apical dendrites of the same 9 cortical neurons recapitulating the diffuse projections of higher order thalamus onto the apical dendrites of L5PT neurons in layer 1 (Mease & Gonzalez, 2021; Shepherd & Yamawaki, 2021). For simplicity we set projections to and from the thalamus to a constant value (e.g., $w_{i,j}^{TH\to D} = \lambda^{TH\to D}$). For the sake of computational efficiency we also neglected differences in rise time between receptor types which allowed us to model receptor dynamics with a first-order linear differential equation (equation 8) with decay (τ_{decay}) constants chosen to recapitulate the dynamics of inhibitory (GABAA), and excitatory (AMPA and NMDA) synapses (Dayan & Abbott, 2005; Gerstner et al., 2014).

$$\dot{g}_{i,syn} = -\frac{g_{i,syn}}{\tau_{decay}} + w_{i,j}^{\kappa\omega} \sum_j \delta(t - t_j^f) \tag{8}$$

where denotes t^f the time that the neuron passes the threshold $v \geq v_{peak}$. The conductance term entered into the input I_{ext} through the relation $I_{i,syn} = g_\infty g_i(t)_{syn}(E_{syn} - v_i(t))$ where E_{syn} is the reverse potential of the synapse. Following

Izhikevich and Edelman (2008) we set g_∞ to 1 for $GABA_A$ and AMPA synapses, and $g_\infty = \frac{[(v+80)/60]^2}{1+[(v+80)/60]^2}$ for NMDA synapses.

For the threshold detection simulations, the somatic compartment of each $L5_{PT}$ cell received 600 [Hz] of independent (Poisson) external drive and apical compartments received 50 [Hz] of external drive. The whisker deflection was simulated by a pulse of constant amplitude varying between 0 – 350 [pA] lasting 200 [ms] and weighted by the spatial Gaussian shown in equation (9) where N is the neuron at the centre of the pulse and σ^{TD} the spatial spread.

$$h_i^{TD} = e^{-\left(\frac{(i-N)}{\sigma^{TD}}\right)^2} \tag{9}$$

For the visual rivalry simulations separate monocular inputs targeting the somatic compartment of $L5_{PT}$ cells were modelled with two independent Poisson processes (representing input from the left and right eyes in the case of binocular rivalry or left and right movement selective populations in the case of plaid perception) with rates varying between 1200 and 1500 [Hz] depending on the simulation. The external drive was weighted by the spatial Gaussian shown in equation (10) centred on neurons 90° apart on the ring abstractly corresponding to the orthogonal grating stimuli commonly employed in binocular rivalry experiments.

$$h_i^{VR} = e^{-\left(\frac{(i-N_L)}{\sigma^{VR}}\right)^2} + e^{-\left(\frac{(i-N_R)}{\sigma^{VR}}\right)^2} \tag{10}$$

Here i denotes the index of the ith neuron, N_L and N_R control the orientation of the stimulus delivered to the left and right eyes, and σ^{VR} the spatial spread.

To capture the slow hyperpolarising current that traditionally governs switching dynamics in models of bistable perception (Wilson & Cowan, 2021) the somatic compartment of each $L5_{PT}$ cell was coupled to a phenomenological model of slow hyperpolarising Ca^{2+} mediated K^+ currents (McCormick & Williamson, 1989) which

entered into the external drive term for each cell (i.e. $I_{i,adapt} = g_i(t)_{adapt}(E_{adapt} - v_i(t))$) with dynamics given by equation (10).

$$\dot{g}_{adapt} = -\frac{g(t)_{adapt}}{\tau_{adapt}} + \Delta g \delta(t - t^{tf}) \tag{11}$$

Where Δg denotes the contribution of each spike to the hyperpolarising current, and τ_{adapt} the decay constant.

Rather than fit the parameters of our model to individual experimental findings, which permits substantial degrees of freedom and risks overinterpretation of idiosyncratic aspects of individual experiments, we instead elected to challenge a single model to qualitatively reproduce a wide array of experimental findings with a minimal set of parameter changes carefully chosen to reflect experimental manipulations and perturbations. Specifically, we initialised the connectivity parameters such that: 1) when the model received a background drive the conductances were approximately E/I balanced with a coefficient of variation > 1, corresponding to an asynchronous irregular regime (Destexhe, 2009); 2) inhibitory connections on the cortical ring had broader (Gaussian) connectivity than excitatory connections generating a winner-take-all regime when the model received two "competing" inputs to opposite sides of the cortical ring; and 3) a slow hyperpolarising current was added to the somatic compartment of each L5PT cell destabilizing the winner-take-all attractor states leading to spontaneous switches between transiently stable persistent states with an average duration in the experimentally observed range for binocular rivalry. Parameters for the model components described by equations (5) – (11) are supplied in **table 2**.

Parameter	Description	Value	Units
$\lambda_{AMPA}^{E\to E}$	Amplitude of excitatory to excitatory coupling for (AMPA)	$\frac{6.125}{\sigma^{E\to E}\sqrt{2\pi}}$	a.u.
$\lambda_{NMDA}^{E\to E}$	Amplitude of excitatory to excitatory coupling (NMDA)	$\frac{1.225}{\sigma^{E\to E}\sqrt{2\pi}}$	a.u.
$\lambda^{E\to I}$	Amplitude of excitatory to inhibitory coupling (NMDA and AMPA)	$\frac{1}{\sigma^{E\to I}\sqrt{2\pi}}$	a.u.
$\lambda^{I\to E}$	Amplitude of inhibitory to excitatory coupling ($GABA_A$)	$\frac{5}{\sigma^{I\to E}\sqrt{2\pi}}$	a.u.
$\lambda^{E\to TH}$	Constant excitatory to thalamic coupling constant (AMPA only)	4	a.u.
$\lambda_{AMPA}^{TH\to D}$	Constant thalamic to apical dendrite coupling (AMPA)	10	a.u.
$\lambda_{NMDA}^{TH\to D}$	Constant thalamic to apical dendrite coupling (NMDA)	10	a.u.
$\sigma^{E\to E}$	Spread of excitatory to excitatory coupling	0.5	a.u.
$\sigma^{E\to I}$	Spread of excitatory to inhibitory coupling	2	a.u.
$\sigma^{I\to E}$	Spread of inhibitory to excitatory coupling	2	a.u.
τ_{decay}: AMPA	Decay time of AMPA conductance	6	ms
τ_{decay}: $GABA_A$	Decay time of $GABA_A$ conductance	6	ms

τ_{decay}: NMDA	Decay time of NMDA conductance	100	ms
$\tau_{coupling}$	Decay time of apical coupling zone	800	ms
τ_{adapt}	Decay time of adaptation current	2000	ms
Δg	Contribution of each spike to adaptation current	0.065	nS
σ^{TD}	Spatial spread of external drive	20	a.u.
σ^{VR}	Spatial spread of apical drive	18	a.u.
$E_{Excitatory}$	Reverse potential of excitatory synapses	0	mV
$E_{Inhibitory}$	Reverse potential of inhibitory synapses	-75	mV
E_{Adapt}	Reverse potential of adaptation currents.	-80	mV

Table 2. Parameter description, values and units for the model components described by equations (5-11).

The equations were integrated numerically in MATLAB 2023b. The apical compartment was integrated with a standard forward Euler scheme. All other compartments were integrated using the hybrid scheme introduced by Izhikevich (2010). All simulations used a step size of .1 [ms] and were run for 30 [s]. To ensure robustness, all results shown in the main paper simulations were averaged over a minimum of 30 random seeds.

Distance to bifurcation

To obtain a closed form expression for the distance to bifurcation in the apical compartment (equations 3-4) we leveraged the fact that saddle node bifurcations occur when the nullclines ($\dot{v}^{(d)} = \dot{u}^{(d)} = 0$) of the system intersect tangentially (Strogatz, 2018). That is, the nullclines and derivative of the nullclines must be equal leading to the following two requirements (where we have absorbed the term describing back propagating action potentials $H(t - t^{f(s)})$ into the external drive I_{ext}).

$$\frac{l}{C}\left(v^{(d)} - v_r^{(d)}\right) + \frac{1}{C}\left(gf\left(v^{(d)}\right) + I_{ext}\right) = b\left(v^{(d)} - v_r^{(d)}\right) \tag{12}$$

$$\frac{d}{dv}\left[\frac{l}{C}\left(v^{(d)} - v_r^{(d)}\right) + \frac{1}{C}\left(gf\left(v^{(d)}\right) + I_{ext}\right)\right] = \frac{d}{dv}\left[b\left(v^{(d)} - v_r^{(d)}\right)\right] \tag{13}$$

We used equation (13) to solve for $v^{(d)}$ giving $v^{(d)*} = [-44.6601, -31.3399]$. We then substituted $v^{(d)*}$ back into equation (12) to solve for I_{ext} yielding the value of the external current at each of the two bifurcations $\mathrm{I_{B1}} = 538.911$ [pA] and $\mathrm{I_{B2}} = 647.375$ [pA] (corresponding to points at which the linear adaptation current nullcline

intersects tangentially with the left and right knees of the cubic membrane potential nullcline see **supplementary material S1B-D**).

Neurometric functions

To obtain a measure of response probability from our model comparable to the psychometric functions from Takahashi et al, (2016, 2020) we constructed neurometric functions following the procedure described in the supplementary material of Takahashi et al, (2016). Specifically, for each simulated stimulus intensity in the threshold detection simulations we constructed ROC curves by finding the frequency with which the spike count on stimulus-present trials exceeded the spike count emitted on stimulus-absent trails (when the model was only driven by background drive). This measure was averaged across criterion values on the interval defined by the miniumum to the maximium spike count across all trial types. We then computed the AUC (area under the ROC curve) which we then normalised to obtain an expression for response probability $P(response) = (AUC - intercept) * max$ that, like a psychometric function, vairied between 0 and 1. The *intercept* was given by the minimium AUC across conditions, and the max was given by the maximium AUC across conditions.

Supplementary material

S1. Apical compartment phase plane

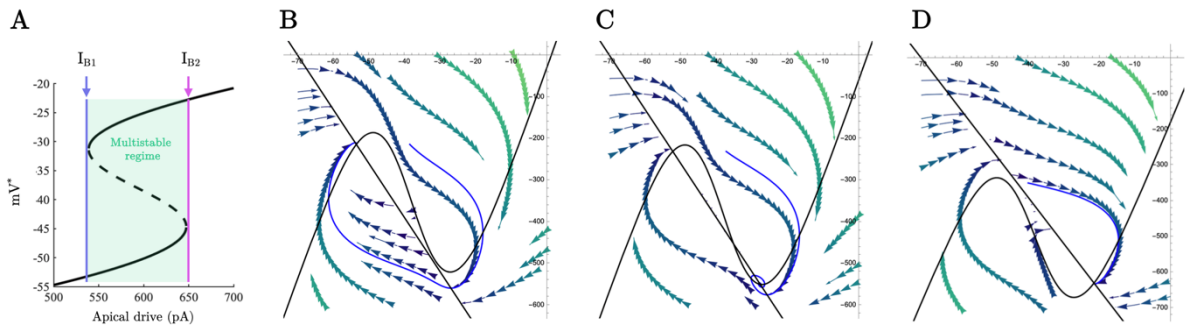

Figure S1. A) Bifurcation diagram of the $L5_{PT}$ apical compartment. The saddle node bifurcation at I_{B1} generates a stable plateau potential which coexists with the resting state of the apical compartment until the model passes through a second saddle node bifurcation at I_{B2} at which point the resting state of the compartment vanishes and the plateau potential becomes globally attracting. **B-C)** Phase plane representation of the apical compartment showing the nullclines (black) for the following values of the bifurcation parameter; $I_{ext} < I_{B1}$, $I_{B1} < I_{ext} < I_{B2}$, $I_{ext} > I_{B2}$.

S2. Dynamical regime underlying visual rivalry

To interrogate the structure of the dynamical system underlying the stochastic oscillations we made inter-compartment coupling deterministic and drove the model with a constant current and asymmetric initial conditions so that the system converged to a state where one of the populations was dominant whilst the other was suppressed. We reasoned that if the oscillations were driven by stochastic jumps between stable fixed points with basins of attraction modulated by adaptation then in the absence of noise the oscillations should disappear. In contrast, if adaptation exerts a large effect, the oscillations should consist of a stable limit cycle and the model should continue to oscillate in the absence of noise (c.f. Moreno-Bote et al., 2007; Shpiro et al., 2009). In agreement with the stable limit cycle hypothesis in the absence of noise the model continued to oscillate (**Fig S2A**). To test the stability of the limit cycle we: i) confirmed the existence of an unstable structure inside the limit cycle; and ii) confirmed that perturbations to the limit cycle decayed back to a stable orbit. With symmetric initial conditions the model converged to a state where excitatory activity on each side of the ring was perfectly matched. Perturbations to this state consisting of a 1 ms pulse of constant drive (50 [pA]) to the somatic compartment of a single $L5_{PT}$ neuron caused the orbit to converge to the surrounding limit cycle (**Fig S2B**). Such perturbations had little effect on already oscillating orbits confirming the stability of the limit cycle (**Fig S2C**).

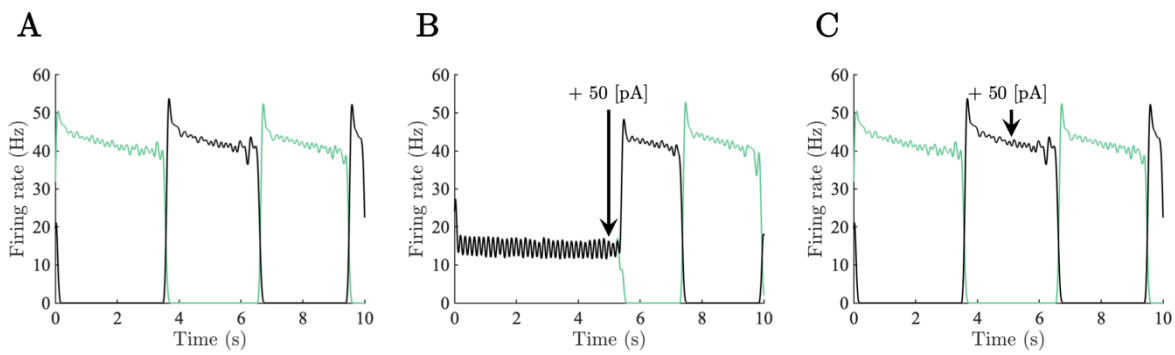

Figure S2. A) Average firing rate of neuronal populations centred on opposite ends of the ring driven by a constant drive with asymmetric initial conditions. **B)** Average firing rate of neuronal populations simulated with constant drive and symmetric initial conditions. A perturbation was delivered at $t = 5000$ [ms] sending the population orbit to the surrounding stable limit cycle. **C)** Average firing rate of neuronal populations driven by constant drive with asymmetric initial conditions. Perturbation delivered at $t = 5000$ [ms] had no substantial effect on the already oscillating orbit indicative of a stable limit cycle.

S3. In silico electrophysiology supplemental figures

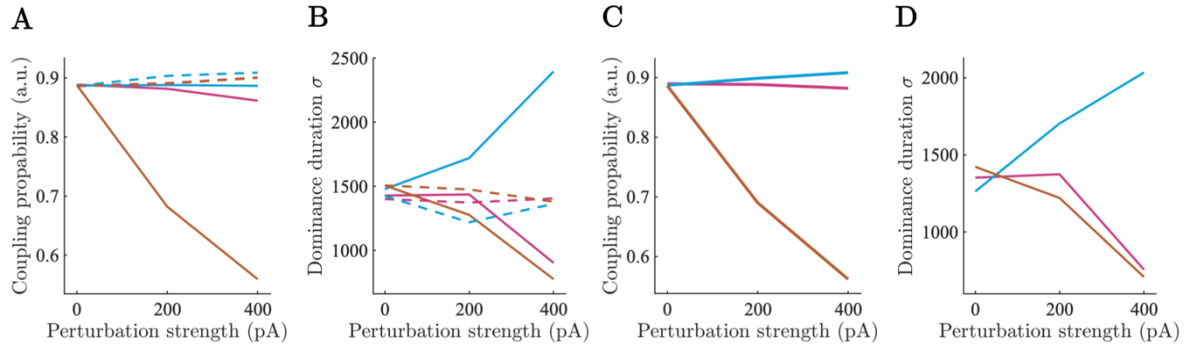

Figure S3. A) Inter-compartment coupling probability under asymmetric perturbation for perturbed (solid) and unperturbed (dashed) populations as a function of perturbation strength for each lesion type (colours same as main text). **B)** Dominance duration standard deviation under asymmetric perturbation as a function of perturbation strength for each lesion type. **C)** Inter-compartment coupling probability under symmetric perturbations for each lesion type. **D)** Dominance duration standard deviation under symmetric perturbation as a function of perturbation strength for each lesion type.

Code and Data Availability

MATLAB code illustrating the basic operation of the model can be found at https://github.com/cjwhyte/LVPA. Complete code will be made available upon full publication of the paper.

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