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Wide Transition-State Ensemble as Key Component for Enzyme Catalysis

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Abstract

Transition-state theory has provided the theoretical framework to explain the enormous

rate accelerations of chemical reactions by enzymes. Given that proteins display large ensembles of conformations, unique transition states would pose a huge entropic bottleneck for enzyme catalysis. To shed light on this question, we studied the nature of the enzymatic transition state for the phosphoryl-transfer step in adenylate kinase by quantum-mechanics/molecular-mechanics calculations. We find a structurally wide set of energetically equivalent configurations that lie along the reaction coordinate and hence a broad transition-state ensemble (TSE). A conformationally delocalized ensemble, including asymmetric transition states, is rooted in the macroscopic nature of the enzyme. The computational results are buttressed by enzyme kinetics experiments that confirm the decrease of the entropy of activation predicted from such wide TSE. Transition-state ensembles as a key for efficient enzyme catalysis further boosts a unifying concept for protein folding and conformational transitions underlying protein function.

Introduction

Understanding the underlying physical mechanism of the impressive rate accelerations achieved by enzymes has been a central question in biology. Transition-state theory has provided the fundamental framework since the rate of a reaction is dictated by the free-energy difference between the ground and transition states (Truhlar, 2015). A wealth of research has led to the general notion that enzymatic rate acceleration is due to the enzymes' much higher affinity to the transition state (TS) relative to its substrates. This idea has been supported experimentally by the high affinities measured for transition-state analogues (TSA) relative to substrates, leading to the design of TSA as high-affine enzyme inhibitors (Lienhard, 1973; Schramm, 2007). Since the TS represents a maximum in the free-energy landscape, its structure cannot be determined directly due to its low probability and ephemeral nature, TSA-bound species have been extensively used as

structural proxies.

The classic transition-state theory and structural visualization of enzyme/TSA

complexes lead to a current view of quite unique structures on the dividing surface at the

maximum in the free-energy landscape. In contrast, it is now generally accepted that

proteins are large ensembles of conformations, a concept rooted in pioneering work by

Frauenfelder and coworkers for protein function, in analogy to the ensemble/funnel

concept of protein folding (Frauenfelder & Wolynes, 1985). Consequently, enzyme-

substrate (ES) complexes - experimentally accessible as minima in the free-energy

landscape - are composed of a vast ensemble of molecular configurations due to their

macromolecular nature. Hence, catalysis by pathing through exclusive TS's would pose a

huge entropic bottleneck/energy barrier for enzyme-catalyzed reactions.

Motivated by this consideration, together with the marginal outcomes in current enzyme

design relative to the catalytic power of naturally evolved enzymes, we set out to

investigate the atomistic nature of transition states of the chemical step in an enzymatic

cycle and its implication for rate acceleration by combining quantum-mechanics/molecular-

mechanics (QM/MM) calculations and experiments. We take advantage of the

groundbreaking work on TS theory by QM simulation developed in the field (Kamerlin et al.,

2013; Masgrau & Truhlar, 2015; Warshel & Bora, 2016; Zinovjev & Tuñón, 2017), well

summarized in several reviews (Cui, 2016; Senn & Thiel, 2009; van der Kamp &

Mulholland, 2013). We chose a phosphoryl-transfer (P-transfer) reaction due to its

impressive enzymatic rate acceleration, as the uncatalyzed reactions have extremely high

energy barriers (Kerns et al., 2015; Lassila et al., 2011). The chemical rationale for these

high barriers and reasons as to why P-transfer reactions are ubiquitous in living organisms

and are involved in almost all essential biological processes is elegantly discussed in a

fundamental paper by Westheimer in 1987: "Why nature chose phosphates" (Westheimer, 1987). The central role of enzyme-catalyzed P-transfer reactions in biology (i.e., genetic code, energy storage, signaling, and compartmentalization) has led to extensive discussions and controversies of how enzymes catalyze these vital reactions so efficiently (Allen & Dunaway-Mariano, 2016; Kamerlin et al., 2013; Kerns et al., 2015; Lassila et al., 2011; Pabis et al., 2016; Westheimer, 1987). Here, we combine QM/MM calculations with experimental temperature- and pH-dependent kinetic studies and X-ray crystallography of adenylate kinase (Adk) to shed light on the question of transition-state structures for the chemical step in its catalytic cycle. While QM/MM methods have been extensively applied to study enzymatic reactions, yielding accurate and detailed descriptions of the molecular events during catalysis (Acevedo & Jorgensen, 2010; Cheng et al., 2005; Dinner et al., 2001; Hahn et al., 2015; Hirvonen et al., 2020; Karplus & Kuriyan, 2005; Lai & Cui, 2020a; López-Canut et al., 2011; Mones et al., 2013; Palermo et al., 2015; Rosta et al., 2014; Roston et al., 2018; Roston & Cui, 2016; Schwartz & Schramm, 2009; Senn & Thiel, 2009; Turjanski et al., 2009), we test here the reaction free-energy profiles from simulations subsequently by designed experiments. We deliver a revised notion of transition-state stabilization by the enzyme through our discovery of a structurally broad transition-state ensemble (TSE).

Results

Adk is an extensively studied phosphotransferase that catalyzes the reversible, roughly isoenergetic conversion of two ADP molecules into ATP and AMP (Figure 1a,b), thereby maintaining the cellular concentrations of these nucleotides (Dzeja & Terzic, 2009). It is an

essential enzyme found in every cell and organism. Extensive structural, dynamic and

kinetic studies led to a comprehensive picture of the overall Adk reaction mechanism and

its underlying energy landscape (Figure 1a) (Beckstein et al., 2009; Berry et al., 1994,

2006; Henzler-Wildman et al., 2007; Kerns et al., 2015; Müller et al., 1996; Müller & Schulz,

1992; Wolf-Watz et al., 2004). The conformational change of the AMP- and ATP-lids

closing and opening is crucial in the enzymatic cycle: Lid-closing positions the two

substrates and the active-site residues for efficient chemistry (i.e., P-transfer) and prohibits

the alternative, energetically favorable reaction of phosphoryl hydrolysis (Kerns et al.,

2015). Lid-opening, essential for product release, and not P-transfer is the rate-limiting

step in the catalytic cycle and Mg^{2+} accelerates both steps (Kerns et al., 2015). Ironically,

the piece missing to understand the enzyme's catalytic power is the mechanism of the

actual P-transfer step, which would take about 7000 years without the enzyme

(Stockbridge & Wolfenden, 2009) compared to > than 5,000 s^{-1} with the enzyme (Kerns et

al., 2015).

QM/MM calculations of the P-transfer step in Adk

In order to shed light on the mechanism by which Adk from *Aquifex aeolicus* catalyzes

the phosphoryl-transfer reaction by more than 12 orders of magnitude (Kerns et al., 2015),

we performed QM/MM simulations starting with two ADP molecules and Mg^{2+} bound in the

active site. The starting structures for the simulations were prepared using the X-ray struc-

ture of Adk in complex with Ap5A (P1,P5-Di(adenosine-5′) pentaphosphate) and coordi-

nated to Zn^{2+} (2RGX (Henzler-Wildman et al., 2007)). ADP-ADP coordinates were built us-

ing Ap5A as a template and Zn^{2+} was replaced by Mg^{2+}. For the QM/MM simulations, the

QM region was defined as the diphosphate moiety of both ADP molecules, the Mg^{2+} ion,

plus the four coordinating water molecules. The rest of the system was described at mo-

lecular mechanics level using the AMBER ff99sb force field (Hornak et al., 2006) and was

solvated with TIP3P water molecules (Figure 1 – figure supplement 1).

The equilibrated starting structures agree well with the X-ray structures of the enzyme

bound to Mg^{2+}/ADP (4CF7 (Kerns et al., 2015) Figure 1 – supplement 2). Ten simulations

were run in both the forward (ADP/ADP to ATP/AMP) and reverse direction (ATP/AMP to

ADP/ADP) with Mg^{2+} present in the active site (Figure 1 – supplement 3). Since it is

unknown whether the fully charged or monoprotonated nucleotide (on one β–ADP oxygen)

state is the more reactive configuration, we performed QM/MM simulations for both cases.

Free-energy profiles of the P-transfer were determined using Multiple Steered Molecular

Dynamics and Jarzynski's Relationship (Crespo et al., 2005; Jarzynski, 1997; Ramírez et

al., 2014) (Figure 1c, and Figures 1 – supplements 3-5). The results reveal a much smaller

free energy of activation for the fully charged nucleotide state ($\Delta_f G^{\ddagger}$ of 13 ± 0.9 kcal/mol)

relative to monoprotonated state ($\Delta_f G^{\ddagger}$ of 23 ± 0.9 kcal/mol) (Table 1); hence, we conclude

that this is the most reactive enzyme configuration.

When the calculations were repeated in the absence of Mg^{2+} (with the nucleotide

monoprotonated, since the fully-charged nucleotide state prohibited the reaction), a large

increase in the free energy activation barrier was observed relative to the Mg^{2+} bound

system (Figure 1c and Figure 1 – supplement 5, $\Delta_f G^{\ddagger}$ of 34 ± 1.6 kcal/mol), in agreement

with expectations from experiments (Kerns et al., 2015). We note that only a lower limit for

the overall acceleration by Mg^{2+} ($>10^5$-fold) could be estimated from published results

(Kerns et al., 2015), since the P-transfer was too fast to be measured experimentally in the

presence of Mg^{2+}.

The Transition-State Ensemble (TSE) – transferring phosphoryl group delocalized

The nature of the transition state of enzyme-catalyzed P-transfer reaction with respect

to its associative and dissociative character has been of significant interest and heated

debate (Kamerlin et al., 2013; Kamerlin & Wilkie, 2007; Lassila et al., 2011; Roston & Cui,

2016). The definition as well as theoretical and experimental approaches to distinguish

between them are rooted in elegant and fundamental work on *nonenzymatic* P-transfer

reactions (Duarte et al., 2015; Hengge, 2002; Hou et al., 2012; Hou & Cui, 2012; Kamerlin

et al., 2013; Kerns et al., 2015; Kirby & Nome, 2015; Stockbridge & Wolfenden, 2009). For

Adk, a concerted mechanism is observed with no intermediates (Figures 1c and 2).

Instead of using the classification of associative versus dissociative character (Lassila et

al., 2011), we rather apply the clear definition by Cui and coworkers of a tight versus loose

TS for concerted P-transfer reactions as they are unambiguously related to the bond-order

in the transition state (Lai & Cui, 2020a, 2020b; Roston et al., 2018; Roston & Cui, 2016).

For Adk, a contraction of the active site is observed while passing through the TSE, as

captured by the decrease in the distance between acceptor and leaving group during the

transition (Figures 1d and 1e). In the absence of Mg^{2+}, the acceptor and donor need to be

within 4 Å for the reaction to occur (Figure 1d) whereas in the presence of Mg^{2+} an

acceptor-donor distance of 4.5 Å is sufficient (Figure 1e). The character of the TSE can

best be seen from the widely used Moore-O'Ferrall-Jencks diagram (Jencks, 2002;

O'Ferrall, 1970) that plots the distance from the transferring phosphate to the oxygen of the

donor and acceptor, respectively (Figure 2). The TSE changes from tight/synchronous

without Mg^{2+} (meaning high bond-order for both bonds between transferring phosphate to

the leaving group and the attacking nucleophile) into loose with Mg^{2+} (lower bond-order for

these two bonds; Figures 2 and 3) (Lai & Cui, 2020a, 2020b; Roston et al., 2018; Roston &

Cui, 2016).

Importantly, from these two-dimensional (Figure 2) and the one-dimensional (Figure 1c)

free energy plots, we noticed a novel striking feature: a large ensemble of conformations in

the TS region with vast differences in the position of the transferring phosphate but equal

values in free energy for the enzyme with Mg^{2+} (light blue dots in Figure 2a, yellow area in

Figure 1c). In other words, the enzyme seems to operate with a wide TSE. In contrast,

without Mg^{2+} fewer conformations seem to comprise the TSE. To dive more into this

unexpected computational result and better visualize the TSE, we show zoom-ins of

representative TSE snapshots and their superposition (Figure 3 and Figure 3 –

supplement 1). Notably, the TSE conformations are distributed along the reaction

coordinate. The difference in position of the transferring phosphate along the reaction

coordinate within the TSE (about 1 Å with Mg^{2+}; Figures 1c, 2a, and 3b) implies that the

TSE contains many highly asymmetric conformations, meaning that the transferring

phosphate can be much closer to the leaving oxygen than the attacking oxygen and vice

versa (Figure 3d). This asymmetry is logically tied with nonplanar configurations of the

transferring phosphate (Figure 3d and Table 1).

Comparison of the TSE snapshots for the fully active, Mg^{2+}-bound enzyme obtained

from QM/MM with an X-ray structure of the same enzyme in complex with the transition-

state analogue (ADP- Mg^{2+}-AlF_4_AMP) (Kerns et al., 2015) serves as an initial

experimental validation of our simulations (Figures 3e,f and Figure 3 – supplement 2). At

the same time, this comparison highlights the power of the QM/MM simulations to

investigate the catalytic mechanism, as the TSA-bound X-ray structure seems to imply

quite a unique TS conformation, in sharp contrast to the broad TSE discovered in our

simulations.

A detailed analysis of the pathways with and without Mg^{2+} reveals well-known features

from other P-transfer enzymes, such as coordinated changes of the Mulliken charge

populations coupled with proton transfers (Figure 1 – supplements 6-8). Mg^{2+} achieves its

catalytic effect on the chemical step playing several roles. It enables the donor and

acceptor phosphates to come close enough to react, thus achieving a reactive

conformation. In the absence of Mg^{2+}, a proton must bridge the terminal phosphates to

prevent the strong electrostatic repulsion between the two nucleotides. In addition, Mg^{2+}

stabilizes the charge of the transferring phosphate and thereby lowering the enthalpic

barrier. Most interestingly, the presence of a cation seems to result in a wide TSE.

Structures of the transition-state ensemble show that Mg^{2+} is optimally coordinated to the

transferring phosphates and water molecules.

Besides the multifaceted role of Mg^{2+}, our simulations provide insights into the function

of the fully-conserved arginine residues in the active site for lowering the activation barrier

for this chemical reaction (Figure 3 – supplements 3-5). R85 appears to arrange the β-

phosphates of the ADPs in the proper position for the reaction to be started. R150 and

R161 are involved in anchoring ATP and AMP residues in the backward reaction. These

last two residues and R85 interact with the Pα of AMP, stabilizing its negative charge. R36

is near to the α-phosphate of AD(M)P along the entire catalytic reaction, stabilizing both

the transition state and products. Overall, interactions between these arginine side chains

and several backbone amides and the Mg^{2+} with the phosphates of the substrate make up

a well-organized, asymmetric active site enabling efficient reversible P-transfer with a wide

TSE (Figure 3g).

Stimulated by experts in the field that keep pushing the methodology, we tested the

accuracy and robustness of our results from our original QM/MM level of theory by

employing higher level pure DFT (PBE) free energy calculations similar to the approaches

used by Ganguly et al. (Ganguly et al., 2020) (Figure 1 – supplement 9). The results are in

excellent agreement with the free energy profiles obtained before (Figures 1a,e and

Figures 2a,c) thus further supporting the computational results.

Experimental characterization of the activation parameters of the P-transfer step

We felt the need to experimentally test our major new finding from the QM/MM

simulations: a delocalized TSE. This feature would result in a lowering of the entropic

barrier for the chemical step, thereby contributing to the enzyme-catalyzed rate

enhancement. To avoid the issues of accuracy of QM/MM simulations that are well

documented (Acevedo & Jorgensen, 2010; Elstner, 2007; Gaus et al., 2014; Roston et al.,

2018), our system has the advantage of comparing the exact same reaction coordinate

with the only difference being the presence/absence of a single atom, Mg^{2+}, thereby

studying differences rather than absolute values. Since the reaction with Mg^{2+} (fully active

enzyme) revealed a more pronounced delocalization than the reaction in its absence, the

divalent cation is predicted to lower the activation entropy. To test this prediction, we

experimentally determined the enthalpic and entropic contributions to the chemical

reaction barrier in Adk by measuring its temperature dependence in the presence and

absence of Ca^{2+}. The experimental trick of replacing Mg^{2+} with Ca^{2+} was used since the

chemical step with Mg^{2+} is too fast to be experimentally measured, and previous studies

showed that Ca^{2+} is an appropriate mimic to selectively probe the chemical step (Kerns et

al., 2015).

The resulting Eyring plots for the two experiments (Figure 4a) deliver the enthalpic ($\Delta H^{\#}$

of 64.1 ± 2.2 and 70.0 ± 4.1 kJ/mol) and entropic ($\Delta S^{\#}$ = -23.8 ± 6.8 and -80.0 ± 12.8

J/mol/K) contributions to the chemical reaction barrier in the presence and absence of Ca^{2+},

respectively. The presence of Ca^{2+} reduces both barriers considerably. The decrease in

the enthalpic barrier by Ca^{2+}, which is even more pronounced with the optimal Mg^{2+} ion, is

not new and has been well-established in the literature for P-transfer reactions, including

the Adk chemical reaction (Kerns et al., 2015; Pérez-Gallegos et al., 2017; Rosta et al.,

2014; L. Yang et al., 2012). The striking new result, central to this work, is the large

decrease in the entropic barrier in the presence of a divalent cation, thereby strongly

supporting our key finding of a broader TSE from the QM/MM simulations.

We were able to further test our QM/MM simulations with a second designed set of

experiments by measuring the pH dependence of the P-transfer step. The reaction rate

increases with higher pH in the presence of Ca^{2+}, whereas without a metal the opposite

trend is observed (Figure 4b). These experimental results match the simulation results: the

fully-charged nucleotides state was the most reactive in the presence of the metal,

whereas the monoprotonated state had a much higher free-energy barrier. In contrast,

without metal only the monoprotonated nucleotides were reactive. Notably, at low pH (pH

5), the P-transfer step becomes rate limiting even with Mg^{2+}, allowing for an estimate of

the rate enhancement of Mg^{2+} versus Ca^{2+} of 24-fold.

Finally, we measured the forward and backward reaction rate constants of several

arginine mutants that were identified as important for the P-transfer from the QM/MM

simulations: R36K, R85K, R124K, R150K, and R161K (Table 2). The large decrease in the

catalytic rate for each single Arg to Lys mutation further highlights the notion of a highly-

choreographed active site for a well-coordinated P-transfer (Figure 3g), in which arginine

residues that are not even directly coordinated to the transferring phosphate play an

equally important role.

Discussion

Adk is an impressively efficient enzyme, being able to accelerate the P-transfer reaction over a billion times. Previous work showed the complexity of the Adk free-energy landscape for this two-substrate, two-product reaction (Figure 1a), providing direct experimental evidence for the widely accepted concept of a multidimension free energy landscape with multiple intermediates and transitions states for the full enzymatic cycle, already well described and demonstrated by Benkovic and Hammes-Schiffer (Benkovic et al., 2008). Full lid-closure results in an excellent preorientation of the donor and acceptor groups of the two bound nucleotides and the aiding active site residues in the enzyme/substrate complex, in agreement with the general view of necessary pre-organization in enzyme catalysis. Lid-opening had been identified as the rate-limiting step in the enzymatic cycle (Kerns et al., 2015), and the corresponding TSE for this conformational change (Stiller et al., 2019) and the next intermediate, the EP complex before product dissociation (Stiller et al., 2022), recently been described.

However, for a comprehensive understanding of the complete free-energy landscape of Adk catalysis, the key step, catalyzing the actual chemical step of P-transfer, had been missing. While ES and EP complexes such as Adk bound to ADP/Mg^{2+} can be structurally characterized by traditional experimental methods as they represent a minimum in the free-energy landscape, the reaction path from substrate to product involving breaking and forming covalent bonds (chemical step) and traversing the crucial transition state can only be "visualized" by Quantum mechanics based molecular simulations. The power of such simulations to examine the chemical steps in enzymes, including P-transfer reactions, has been extensively documented (Jin et al., 2017; Lai & Cui, 2020b; Mokrushina et al., 2020; Pérez-Gallegos et al., 2015, 2017; Roston & Cui, 2016; Valiev et al., 2007). The focus in

the literature has been on the comparison of the enzyme-catalyzed and uncatalyzed reac-

tion with respect to the bond character at the transitions state (i.e., associate versus disso-

ciative or tight versus loose) (Admiraal & Herschlag, 1995; Hengge, 2002; Kamerlin et al.,

2013; Lassila et al., 2011). Here, we uncover a central new result that provokes a modified

transition-state theory. Enzymes, due to their macromolecular nature, provide a fundamen-

tally different, advantageous way to catalyze these chemical reactions compared to the

uncatalyzed reaction by employing a broad TSE. Many different molecular configurations

can be accommodated in the transition-state region with comparable energies via collec-

tive motions, spanning a 1 Å range along the reaction coordinate for the transferring phos-

phate that travels a total distance of only 2 Å during the P-transfer. This features resem-

blance the now well-established conformational sampling of proteins in ground states such

as ES complexes. Our findings explain why enzymes do not face an entropic bottleneck

for catalysis. Furthermore, as enzyme active sites are asymmetric in contrast to the sym-

metric nature of the solvent for uncatalyzed reactions, we find that the TSE comprises also

highly asymmetric conformations. Our findings help resolve the controversy about the na-

ture of the transition state in enzyme-catalysed P-transfer reactions between theory and

experiments (Lassila et al., 2011). The complex nature of the active site of enzymes, in

contrast to simple solvent, results in different mechanisms in the enzyme catalyzed reac-

tion. We further note that a previous QM/MM minimum energy path calculations for Adk

using a semiempirical method had proposed a different mechanism with a stable meta-

phosphate intermediate with an even lower energy for this metaphosphate intermediate

than the ES- and EP-complexes (Shibanuma et al., 2020). In complex systems, such as

enzymes, it is possible to observe artificial local minima when using minimum energy path

searching strategies due to inadequate sampling (Mendieta-Moreno et al., 2015; Quesne

et al., 2016). From our NMR and x-ray experimental data we know that such stable meta-

phosphate does not exist in Adk-catalyzed reactions, highlighting the importance of exper-

imental verification of simulations as performed here, and the use of extensive sampling

with proper thermodynamic treatment.

A wide TSE agrees with the definition of the TS being a surface on the potential energy

surface instead of a saddle as elegantly discussed in a theoretical paper by Nussinov and

colleagues (Ma et al., 2000). Our results deliver concrete evidence for this fundamental

concept from the free-energy profiles of the QM/MM calculations on Adk that were further

buttressed by the consequently designed experiments. Although we have only quantita-

tively demonstrated this TSE concept here for Adk catalyzed P-transfer, we hypothesize

such mechanism to be more general for enzyme catalysis as it is rooted in the macroscop-

ic nature of proteins. A conformationally spread-out TSE is likely one reason why enzymes

are much bigger than a few active-site residues: On one hand residues remote from the

site of the chemical action allow for conformational flexibility without the protein unfolding,

on the other hand they allow for increasing the probability of highly-choreographed mo-

tions along the reaction coordinate (Hammes-Schiffer & Benkovic, 2006; Klinman & Ko-

hen, 2013; Saen-Oon et al., 2008; Schramm & Schwartz, 2018) while reducing excursions

into unproductive conformations (Otten et al., 2020). The latter is directly demonstrated

here in the TSE as the configurations seen in the simulations are along the P-transfer re-

action coordinate. We note that we focus here on equilibrium effects and an atomistic de-

scription of the TSE, this is not related to the fundamental work on dynamical effects mani-

fested in transmission coefficients due to barrier recrossing (Antoniou & Schwartz, 2016;

Zinovjev & Tuñón, 2017). The latter has been quantitatively demonstrated to play a minor

role.

A question often being asked is why would nature evolve a conformational step to be

rate limiting, as the lid-opening step for Adk? We propose that this is the "price" the

enzyme pays for stabilizing the ES complex to enable efficient rate acceleration of the

chemical step and for suppressing detrimental alternate reactions such as phosphate

hydrolysis. Release of product requires disassembly of such closed, low-energy structure.

These principles have now been directly revealed on an atomic scale for Adk: extensive

electrostatic interactions of 5 Arg and one Lys with the phosphoryl groups to efficiently

accelerate the P-transfer step, which then need to be broken for lid opening to allow

product release. However, as long as the rate of this conformational transition (k_{open}) and

hence k_{cat} is not limiting for organismal fitness, there is no evolutionary pressure to further

enhance it.

The importance of TSE including multiple transition pathways for protein folding

(Frauenfelder et al., 2006; Royer, 2008), and more recently for protein conformational

transitions within the folded state (Pontiggia et al., 2015; Stiller et al., 2019; Tsai &

Nussinov, 2014) has been well documented. TSE in enzyme catalysis of chemical steps

where covalent bonds are broken and formed as demonstrated now here further promotes

a unifying concept of protein folding and function, as the same principal concept of TSE is

seen for these different types of conformational changes. Each protein is uniquely

described by the corresponding free energy landscape that includes folded and unfolded

conformational substates and is defined by the amino acid sequence and the surrounding

solvent. Consequently, protein folding and function is embedded in a unifying energy

landscape which is simply altered by ligands and solvent.

Materials and Methods

Computational Set up of the system. The crystal structure of adenylate kinase from *Aquifex aeolicus* in complex with Ap5A coordinated to Zn^{2+} (PDB ID 2RGX (Henzler-Wildman et al., 2007)) was used as model. The Zn^{2+} ion was replaced by Mg^{2+} and the ADPs structures were built by modifying the structure of Ap5A, keeping the crystallographic coordination of the cation (2 oxygens from ADPs and 4 waters). For the simulation in low pH and without magnesium ion, the nucleophilic oxygen of AD(T)P was protonated. Standard protonation states were assigned to all titratable residues (aspartate and glutamate residues are negatively charged, lysines and arginines residues are positively charged). Histidine protonation was assigned favoring formation of hydrogen bonds in the crystal structure. Each protein was immersed in a truncated octahedral box of TIP3P water (Jorgensen et al., 1983). The parameters used for the protein were those corresponding to AMBER force field ff99sb (Hornak et al., 2006). For the non-protein residues, as ADP and Mg^{2+}, the parameters were taken from refs. Meagher et al. (Meagher et al., 2003) and Allnér et al. (Allnér et al., 2012).

Simulation Parameters. (a) Classical force field and Scheme: All simulations were performed with periodic boundary conditions; the SHAKE algorithm was used to retain the hydrogen atoms at equilibrium bond lengths, allowing the use of a 2 fs time step. Pressure and temperature were kept constant with the Berendsen barostat and thermostat, respectively (Berendsen et al., 1984). All the simulations were equilibrated following the same protocol: 1) 2000 steps of optimization using a conjugate gradient algorithm; 2) 100 ps MD simulation at NVT condition where the system's temperature was slowly raised to 300 K; 3) 100 ps MD simulation at NPT conditions to equilibrate the system's density. The protein α-carbon atoms were restrained by a 10 kcal mol^{-1} harmonic potential for the thermalization and by a 1 kcal mol^{-1} harmonic potential for the density equilibration. Afterwards, a production simulation was performed for 7.5 ns at NPT conditions. (b)

QM/MM parameters: QM/MM simulations were performed starting from selected snaphots

from the classical production simulation. To equilibrate the system with the QM/MM

hamiltonian, we performed first a conjugate gradient QM/MM optimization, followed by a

50 ps QM/MM MD equilibration process, subsequently each production simulation was

performed. QM/MM calculations were performed using the additive scheme implemented

in the sander module of the AMBER program suite (Case et al., 2005). The quantum (QM)

region was treated with the self-consistent charge-density functional tight-binding (SCC-

DFTB) approach (Elstner, 2007), usually considered a semi-empirical QM method, as

implemented in Sander (Seabra et al., 2007; Walker et al., 2008). The SCC-DFTB

parameter set involving carbon, hydrogen, oxygen, nitrogen, phosphate, and magnesium

was employed throughout this study (Cai et al., 2007; Y. Yang et al., 2008). All the other

atoms were described with AMBER ff99SB force field (Hornak et al., 2006). The interface

between the QM and MM portions of the system was treated with the scaled position-link

atom method. The QM region of the complete system consisted of the diphosphate moiety

of both ADP molecules, one Mg^{2+} ion, and the four water molecules that coordinate the

metal ion in the crystal structure (Figure 1 – supplement 1).

Free energy determination strategy. The free-energy profiles were constructed by

performing constant velocity multiple steered molecular dynamics (MSMD) simulations (i.e.,

stiff string approximation), and using Jarzynski's equality (Jarzynski, 1997), which relates

equilibrium free-energy values with the irreversible work performed over the system along

a user defined reaction coordinate that drives the system from reactants to products. In the

present study, the reaction coordinate (ξ) was chosen as:

$$\xi = d(O_{leaving}\text{-}P) - d(O_{attacking}\text{-}P) \tag{1}$$

Calculations were performed using a force constant of 300 kcal mol^{-1} Å^{-1} and pulling ve-

locities of 0.05 Å ps^{-1}. To reconstruct the free-energy profile of the phosphate transfer re-

action, two sets of 10 SMD runs were performed starting from equilibrated QM/MM MD

structures corresponding to either the system in 1) the Adk/ADP-ADP state (for forward

reaction), and 2) the Adk/ATP-AMP state (for backward reaction). Each set of work profiles

was used to obtain the corresponding forward and back free-energy profiles with Jarzyn-

ski's equality (Jarzynski, 1997), and finally the two profiles were combined to obtain the

complete curve. This strategy was successfully used to obtain enzymatic reaction free-

energy profiles in previous works (Crespo et al., 2005; Defelipe et al., 2015). The ADP in

the ATP-lid will be called as AD(T)P and the other, in the AMP-lid, as AD(M)P. The reac-

tion involves the two P-O bonds, one forming and the another breaking, the two bonds

sharing the same phosphorus atom from the transferring phosphate (Figure 1b). In the

former, an oxygen atom of the AD(T)P reacts and we will name it as $O_{attacking}$. The breaking

bond is described by the oxygen atom for the AD(M)P and it will be called $O_{leaving}$.

Higher level DFT(PBE) free energy calculations. The free-energy profile of the ADK

with Mg^{2+} was also computed using a higher level of theory. Here, the QM system was

described with PBE functional (Perdew et al., 1996) using a DZVP basis set as

implemented in the GPU based code LIO that works with amber (Nitsche et al., 2014). To

take advantage of previous DFTB sampling, five lowest work vs RC profiles of the forward

and back reaction were selected, and segmented in 10 windows or stages. For each

window, the free energy profile at the DFT(PBE) level was computed using SMD with a

steering velocity of 0.05 Å/ps. Windows were combined to obtain both forward and back

FEP and the final profile was obtained by joining them. Details of the staged strategy can

be found in references Ozer et al. (Ozer et al., 2010, 2012) and Ganguly et al. (Ganguly et

al., 2020).

Steady-state kinetics measurements. Steady-state kinetics measurements for *Aquifex*

aeolicus Adk (Adk) were performed at different pH values in the absence of divalent met-

als (using 50 mM of EDTA) and the presence of Mg^{2+} or Ca^{2+}. In all cases the reaction was

started by the addition of 8 mM ADP and saturating metal concentrations were used if ap-

plicable (32 mM at pH 5 and 8 mM at pH 7 and 9, respectively). The enzyme concentration

varied between 30 nM and 200 µM depending on the rate of interconversion; measure-

ments were collected at 25 ºC. The amount of product was quantified with high-pressure

liquid chromatography (HPLC). Protein precipitated by quench (30% TCA + 6 M HCl mix-

ture) was separated with Spin-X centrifugal tube filters (Costar), filtered supernatant was

diluted to avoid HPLC detector saturation, and the pH was brought to 6.0 to achieve opti-

mal separation. The samples were analyzed on an HPLC system (Agilent Infinity 1260)

with a high-precision autosampler (injection error <0.1 µL) and analytical HPLC column

ACE (i.d. 2.4 mm, length 250 mm, C18-AR, 5 Å pore size) and separated with isocratic

elution with potassium phosphate mobile phase (100 mM, pH 6.1). The observed rate con-

stants were determined from 8 – 15 data points for each temperature and/or pH value us-

ing initial rate analysis. The values and uncertainties (s.d.) shown in Figure 4 and Table 2

were determined from least-squares linear regression. Similarly, values and uncertainties

(s.d.) of $\Delta H^{\ddagger}$ and $\Delta S^{\ddagger}$ were extracted from linear regression of the data points presented in

Figure 4a.

Temperature Dependence of catalysis and Mutant activity. Experiments were essen-

tially performed as described previously[6] and above. In short, the steady-state kinetics

measurements were collected at temperatures between 20 and 60 °C for the temperature-

dependency and at 25 °C for the mutants. For the temperature dependence, the samples

contained 4 mM ADP and equimolar (with nucleotide) concentrations of calcium or 50 mM

EDTA. The enzyme concentration was varied between 50 nM – 1 μM (with Ca^{2+}) or 100 –

200 μM (with EDTA); buffer was 100 mM HEPES, pH 7.0, and 80 mM KCl. The amount of

product produced over time (10-16 minutes) was quantified with HPLC and observed rates

were extracted as described above. A similar approach was used for the Arg-to-Lys Aadk

mutants, where the reaction was measured in both directions starting with either 4 mM

ADP or ATP/AMP and equimolar (with nucleotide) concentrations of Mg^{2+}.

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Figures

Figure 1: Investigation of the chemical step of phosphoryl transfer by QM/MM calcu-

lations in the enzymatic reaction of Adk. a) Complete reaction scheme with correspond-

ing illustrative free-energy landscape highlighting the chemical phosphoryl-transfer step

(modified from ref. (Kerns et al., 2015)). Protein structures shown are apo Adk in the open

conformation and Adk in the closed conformation with two bound ADP molecules and one

Mg^{2+} atom (active-site arginine side chains are shown in stick representation). **b)** Phos-

phoryl-transfer step is drawn with corresponding distances used to define the reaction co-

ordinate as used in panels d,e. **c)** Free-energy profiles for the Adk catalyzed interconver-

sion of ADP-ADP into ATP-AMP in the absence (blue) and presence of Mg^{2+} (orange) from

QM/MM calculations. AD(T)P is fully charged for the reaction with Mg^{2+}, and singly proto-

nated on one ADP β-oxygen for reaction without Mg^{2+}. The reaction coordinate is defined

as the difference between the distance of the leaving oxygen to the transferring phospho-

rus $d(O_{leaving}\text{-}P)$ and the distance of the attacking oxygen to the transferring phosphorus

$d(O_{attacking}\text{-}P)$. **d,e)** Distance between acceptor and leaving oxygens along the reaction co-

ordinate in the presence (e) and in the absence (d) of Mg^{2+}. The transition state regions in

c-e are highlighted in orange and grey, respectively.

Figure 2: **Mechanism of phosphoryl transfer.** Diagram of Moore-O'Ferrall-Jencks (Jencks, 2002; O'Ferrall, 1970) from the QM/MM simulations, plotting the two P-O distances involved in the P-transfer for the reaction **a,c)** with Mg^{2+} and **b,d)** without Mg^{2+} (P_T for transferring phosphate). The theoretical transition pathways for a tight, synchronous, and loose transition state are shown in c,d (as defined in ref. Roston et al. (Roston & Cui, 2016)).

Figure 3: Broad transition-state ensemble (TSE) in fully active enzyme. a) Repre-

sentative snapshots for structure of reactants, transition states, and products in the Adk

active site in the presence and absence of magnesium. $d(O_{attacking}\text{-}P)$ and $d(O_{leaving}\text{-}P)$ are

shown. Labels in black indicate the length of the bonds involved in the phosphate transfer

and in green, the dihedral angle of the phosphoryl group. **b,c)** Superposition of the transi-

tion-state ensembles reveals a wider TSE with Mg^{2+} (b) relative to the one without the cat-

ion (c) with mean rmsd (± s.d.) of distances of the central P atom from its "average" posi-

tion of 0.30 ± 0.11 Å (b) and 0.13 ± 0.06 Å (c). The TSE's are superimposed with the X-

ray structure solved with a transition-state analogue in green (AMP, AlF_4^- and ADP) re-

ported in ref. (Kerns et al., 2015) (PDBID: 3SR0). **d)** Superposition of two extreme struc-

tures out of the large TSE for the enzyme with Mg^{2+}, one where the phosphoryl group is

closest to the donor oxygen (blue) and the other closest to the acceptor oxygen (red) high-

lighting the asymmetric character of TSE members. **e, f)** superposition of most symmetric

snapshot from TSE of QM/MM calculations (ball and stick representation in cyan) with the

X-ray structure of transition-state analogue (green, PDBID: 3SR0 (Kerns et al., 2015)) in-

cluding coordinating water molecules in f). **g)** zoom into the active site to display the broad

TSE in the presence of Mg^{2+} aided by flexible Arg and Lys side chains in the active site.

Figure 4: Experimental testing of the computational findings. a,b) Turnover rate constants that represent the chemical step (k_{chem}) under these conditions were measured with 8 mM ADP/Mg^{2+} by HPLC detection of build-up of ATP and AMP. **a)** Temperature dependence of the phosphoryl transfer step measured in presence of calcium and in absence of divalent any cations, plotted as Eyring plots. Fits to the Eyring equation (dashed lines) result in $\Delta H^{\ddagger}$ = 70.0 ± 4.1 kJ mol^{-1} and $\Delta S^{\ddagger}$ = -80.0 ± 12.8 J mol-1 K^{-1} without metal, and $\Delta H^{\ddagger}$ = 64.1 ± 2.2 kJ mol^{-1} and $\Delta S^{\ddagger}$ = -23.8 ± 6.8 J mol^{-1} K^{-1} with Ca^{2+}. **b)** pH dependence of k_{chem} measured in the presence of calcium and in absence of any divalent cation.

 Tables

Table 1. Free-energy profile estimates of the free-energy parameters of the reaction,
using SCC-DFTB (all values in kcal/mol). ΔG^o: Overall reaction free-energy; $\Delta_f G^{\ddagger}$:
Activation free-energy of the forward reaction. $\Delta_b G^{\ddagger}$: Activation free-energy of the
backward reaction. $\xi(TS)$ is the range of the reaction coordinate in the TSE (in Å); $\zeta(TS)$ is
the improper dihedral angle of the transferring phosphate in the TS. The estimated errors
of the free energies are in parenthesis and are computed as described in materials and
methods.

	with Mg^{2+}	without Mg^{2+}	with Mg^{2+}, ADP monoprotonated
ΔG^o	-6 (1.7)	+4 (2.5)	+6 (1.9)
$\Delta_f G^{\ddagger}$	13 (0.9)	34 (1.6)	23 (0.9)
$\Delta_b G^{\ddagger}$	20 (0.8)	30 (0.9)	18 (0.9)
$\xi(TS)$	-0.5―0.7	-0.2―0	-0.3――0.1
$\zeta(TS)$	160―200	165-180	170-180

543 **Table 2. Experimentally determined observed rate constants of the forward and**
544 **backward chemical reactions for mutant forms of Adk in the presence of Mg^{2+}.** Note
545 that the corresponding rate constants for the phosphoryl transfer in the wild-type protein
546 are too fast to be directly measured and have been estimated to be more than three orders
547 of magnitude faster than in the mutants (Kerns et al., 2015).

AAdk mutant	rate constant (s^{-1}) 2 ADP → ATP + AMP	rate constant (s^{-1}) ATP + AMP → 2 ADP
R124K	4.6 ± 0.5	1.6 ± 0.4
R150K	1.3 ± 0.3	1.1 ± 0.3
R161K	0.4 ± 0.1	0.5 ± 0.2
R85K	0.3 ± 0.1	1.6 ± 0.2
R36K	0.8 ± 0.2	14 ± 2

552 **Supplementary Figures**

553 **Figure 1 – supplement 1. QM/MM system.** The QM subsystem is shown in CPK repre-
554 sentation and the MM subsystem is in lines representation.
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Figure 1 – supplement 2. Superposition of the starting model structure for QM/MM

and the crystallographic structure (PDB ID: 4CF7 (Kerns et al., 2015)) of Adk with 2

ADP/Mg bound. **a)** Comparison of ADPs, main amino acids and Mg^{2+} ion in the active site

against the crystallographic model in green (starting structure for QM/MM as ball and

stick), **b)** zoom-in showing Mg^{2+} ion coordinated by water molecules and the phosphates,

and **c)** the Adk backbone of the starting model (cyan) and the crystallographic structure

(green) with a backbone RMSD of 0.98 Å.

Figure 1 – supplement 3. Forward and backward QM/MM reactions for Adk with two ADP and Mg^{2+} bound a) Free energy profile (FEP) for the forward (solid grey line) and backward (solid blue line) reactions for the *nonprotonated system in the presence of Mg^{2+}*. The dashed lines are the standard deviation for the forward and backward reactions in

 grey and blue, respectively. **b,c)** Works profiles obtained for the forward (b) and backward

(c) reaction.

Figure 1 – supplement 4. Forward and backward QM/MM reactions for Adk with

ADP, ADP and Mg^{2+} bound a) Free energy profile for the forward (solid grey line) and

backward (solid blue line) reactions for the *monoprotonated system with Mg^{2+}*. The dashed

lines are the standard deviation for the forward and backward reactions in grey and blue,

respectively. **b,c)** Works profiles obtained for the forward (b) and backward (c) reaction.

Figure 1 – supplement 5. Forward and backward QM/MM reactions for Adk with two ADP and without Mg^{2+} bound a) Free energy profile for the forward (solid grey line) and backward (solid blue line) reactions for the *monoprotonated system without Mg^{2+}*. The dashed lines are the standard deviation for the forward and backward reactions in grey

and blue, respectively. **b,c)** Works profiles obtained for the forward (b) and backward (c)

reaction.

Figure 3 – supplement 1. Representative snapshots for the reactant, TS and product

states in the *monoprotonated system with Mg²⁺*. The labels in black describe the distances

that are part of the phosphate transfer and the label in green show the dihedral angle.

Label of the phosphates in orange.

Figure 3 – supplement 2. A representative transition state structure is compared

against the x-ray structure PDB ID: 3SR0 (Kerns et al., 2015). The superposition is

showed for: the main active site's residues the atoms taking part of the reaction and

backbone of the Adk.

Figure 1 – supplement 6. Reaction with Mg^{2+} and fully charged nucleotides. a-b) The
change in geometrical parameters along the reaction coordinate are shown for (a) forward
and (b) backward reaction. Parameters: distance $O_{leaving} - P_{transferring}$ (red), distance $O_{attack-}$
$_{ing} - P_{transferring}$ (black), transferring phosphate dihedral angle (light blue), distance $Mg^{2+} - O$
from transferring phosphate (blue), and distance $Mg^{2+} - O$ from beta-phosphate of ADP_{ATP-}
$_{lid}$ (orange). **c, d)** The charge (mulliken charge) variation of different moieties involved in
the reaction are shown for (c) forward and (d) backward reaction: Mg^{2+} (green), alpha-
phosphate of $ADP_{ATP-lid}$ (red), alpha-phosphate of $ADP_{AMP-lid}$ (orange), beta phosphate of
$ADP_{ATP-lid}$ (black), transferring phosphate (blue). Note that a proton is transiently trans-
ferred from one water molecule coordinating the Mg^{2+} to an oxygen of Pα in $ADP_{AMP\ lid}$
(leaving group). In all plots, the FEP is shown in the background as light grey dashed line.

Figure 1 – supplement 7. Reaction without Mg²⁺. a,b) The change in different geometrical parameters along the reaction coordinate are shown for (a) forward and (b) backward reaction. Parameters shown: distance $O_{leaving} - P_{transferring}$ (red), distance $O_{attacking} - P_{transferring}$ (black), transferring phosphate dihedral angle (light blue). **c,d)** The charge

(mulliken charge) variation of different moieties involved in the reaction are shown for (c)

forward and (d) backward reaction: alpha phosphate of $ADP_{ATP\text{-lid}}$ (red), alpha phosphate

of $ADP_{AMP\text{-lid}}$ (orange), beta phosphate of $ADP_{ATP\text{-lid}}$ (black), transferring phosphate (blue).

e,f) The distances involving the proton transfer are shown for (e) forward and (f) backward

reaction: $H - O_{attacking}$ (black), $H - O$ of transferring phosphate (red) and $H - O$ of alpha

phosphate of $ADP_{AMP\text{-lid}}$ (green). In all plots, the FEP is shown in the background as light

grey dashed line.

 Figure 1 – supplement 8. Reaction with Mg^{2+} and protonated in an oxygen of the be-

ta phosphate of ADP$_{ATP\text{-}lid}$. a,b) The change in different geometrical parameters along

the reaction coordinate are shown for (a) forward and (b) backward reaction. Parameters

shown: distance O$_{leaving}$ – P$_{transferring}$ (red), distance O$_{attacking}$ – P$_{transferring}$ (black), transferring

phosphate dihedral angle (light blue), distance Mg^{2+} – O from transferring phosphate

(blue), and distance Mg – O from beta phosphate of ADP$_{ATP\text{-}lid}$ (orange). **c,d)** The charge

(mulliken charge) variation of different moieties involved in the reaction with Mg^{2+}are

shown for (c) forward and (d) backward reaction: Mg^{2+} (green), alpha phosphate of AD-

P$_{ATP\text{-}lid}$ (red), alpha phosphate of ADP$_{AMP\text{-}lid}$ (orange), beta phosphate of ADP$_{ATP\text{-}lid}$ (black),

transferring phosphate (blue). **e,f)** The distances involving the proton transfer are shown

for (e) forward and (f) backward reaction: H – O$_{attacking}$ (black), H – O of transferring phos-

phate (red) and H – O of alpha phosphate of ADP$_{AMP\text{-}lid}$ (green). In all plots, the FEP is

shown in the background as light grey dashed line.

Figure 3 – supplement 3. Representative snapshots for the reactant, TS and

product states in the system with Mg^{2+}. The main interactions between the phosphate

moieties of the nucleotides and the amino acid side-chains in the active site are shown (in

gray dashed lines).

Figure 3 – supplement 4. Representation of the interactions between the nucleotides
with the active-site amino acids and Mg^{2+} in the active site of Adk for a representative
snapshot from the TSE.

Figure 3 – supplement 5. Superposition of reactant (blue), TS (red), and product (green)
states focusing on the transferring phosphate and the main amino acids assisting phos-
phoryl transfer, for the system with Mg $^{2+}$.

Figure 1 – supplement 9. Free-energy profiles for the Adk catalyzed interconversion of ADP-ADP into ATP-AMP and presence of Mg^{2+} employing higher level DFT(PBE) free energy calculations (see methods for details). Reaction coordinate is the same as in Fig. 1. a) Superposition of the forward and backward free-energy profiles. b) The free-energy profile as result of the combination of the forward and backward free-energy profiles. The transparent pink region shows the transition state region. c) Distance between acceptor and leaving oxygens along the reaction coordinate in the presence of Mg^{2+}. The transition state region is highlighted in pink. d,e) Diagram of Moore-O'Ferrall-Jencks (Jencks, 2002; O'Ferrall, 1970) from the simulations, plotting the two P-O distances involved in the P-transfer for the reaction with Mg^{2+}, using DFT level at the QM region (P$_T$ for transferring

667   phosphate). The theoretical transition pathways for a tight, synchronous, and loose transi-

668   tion state are shown in e (as defined in ref. Roston et al.(Roston & Cui, 2016)).