The promise and peril of comparing fluorescence lifetime in biology revealed by simulations

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Abstract

Signaling dynamics are crucial in biological systems, and biosensor-based real-time imaging has revolutionized their analysis. Fluorescence lifetime imaging microscopy (FLIM) excels over the widely used fluorescence intensity imaging by allowing the measurement of absolute signal levels, independent of sensor concentration. This capability enables the comparison of signaling dynamics across different animals, body regions, and timeframes. However, FLIM's advantage can be compromised by factors like autofluorescence in biological experiments. To address this, we introduce FLiSimBA, a flexible computational framework for realistic Fluorescence Lifetime Simulation for Biological Applications. Through simulations, we analyze the signal-to-noise ratios of fluorescence lifetime data, determining measurement uncertainty and providing necessary error bars for lifetime measurements. Furthermore, we challenge the belief that fluorescence lifetime is unaffected by sensor expression and establish quantitative limits to this insensitivity in biological applications. Additionally, we propose innovations, notably multiplexed dynamic imaging that combines fluorescence intensity and lifetime measurements. This innovation can transform the number of signals that can be simultaneously monitored, thereby enabling a systems approach in studying signaling dynamics. Thus, by incorporating diverse factors into our simulation framework, we uncover surprises, identify limitations, and propose advancements for fluorescence lifetime imaging in biology. This quantitative framework supports rigorous experimental design, facilitates accurate data interpretation, and paves the way for technological advancements in fluorescence lifetime imaging.

Introduction

Fluorescence lifetime imaging microscopy (FLIM) and photometry (FLiP) are powerful methods for revealing the dynamics of biological signals (Bastiaens & Squire, 1999; Becker, 2012; Brinks et al., 2015; Chen et al., 2014, 2017; Lakowicz et al., 1992; Laviv et al., 2020; Lazzari-Dean et al., 2019; Lee et al., 2019, 2021; Ma et al., 2024; Massengill et al., 2022; Mongeon et al., 2016; van der Linden et al., 2021; Yasuda, 2006; Yasuda et al., 2006; S. X., Zhang et al., 2021; Zheng et al., 2015). Fluorescence lifetime refers to the time between excitation of a fluorophore and emission of light. Compared with intensity-based imaging, the greatest advantage of fluorescence lifetime is its insensitivity to fluorophore concentration. As a result, fluorescence lifetime can be used to compare the dynamics of biological signals across animals or over long periods of time despite changes in sensor expression levels (Laviv et al., 2020; Ma et al., 2024). Furthermore, it offers the potential to quantitate absolute values of biological signals because of its quantitative nature and its insensitivity to sensor expression. Because of these advantages, additional FLIM-compatible sensors have been developed and FLIM has been increasingly adopted to elucidate the dynamics of many types of biological signals over multiple time scales.

Although fluorescence lifetime is independent of sensor expression when only the sensor is present, in biology experiments, this very advantage of FLIM breaks down when multiple other factors are present. These include autofluorescence (natural emission of light by biological tissue after light absorption), background light (e.g., ambient light), dark current and afterpulse of the photomultiplier tube (PMT) (Akgun et al., 2008; Georgakoudi & Quinn, 2023; Ma et al., 2024; Malak et al., 2022). As sensor expression varies, the relative contribution of sensor fluorescence over these other sources of light or electrical noise varies correspondingly, leading to an apparent change in fluorescence lifetime. Thus, to harness the power and correctly interpret the results of FLIM and FLiP experiments in biological tissue, it is critical to quantitatively understand the regime in which fluorescence lifetime varies with sensor expression, and the range in which sensor expression does not significantly alter lifetime measurements. Furthermore, these additional factors introduce bias and noise to fluorescence lifetime measurements. As innovation pushes the technological boundary to image larger fields of view at higher speeds (Bowman et al., 2023; Raspe et al., 2016; Shcheslavskiy et al., 2018; Y. Zhang et al., 2021), it is critical to understand how these factors contribute to signal-to-noise (SNR) ratio, and how many photons are required to achieve a certain SNR in biological settings.

An effective tool for exploring how experimental parameters contribute to outcomes is simulation. Both analytical and simulation methods have provided insights into issues such as the SNR (Esposito et al., 2007, 2008; Gerritsen et al., 2002; Köllner & Wolfrum, 1992; Kumar, 2012; Lakowicz, 2006; Nasser & Meller, 2022; Netaev et al., 2022; Philip & Carlsson, 2003; Roethlein et al., 2015; Trinh & Esposito, 2021; Turton et al., 2003; Walsh et al., 2016; Xiao et al., 2021; Yasuda, 2006). However, prior work usually assumes the presence of sensor fluorescence only, without considering the important contributions to noise and bias due to other factors, such as autofluorescence and afterpulse of the PMT. Consequently, these simulations are useful in vitro but are not readily applicable in biological settings. Therefore, to understand how experimental conditions influence lifetime estimates for biological applications, simulations with realistic and, ideally, measured data must be performed.

Here we introduce Fluorescence Lifetime Simulation for Biological Applications (FLiSimBA) and use it to quantitatively define the potential and limitations of fluorescence lifetime experiments in

biological settings. FLiSimBA is a flexible platform designed for realistic simulation of fluorescence lifetime data with empirically determined parameters through time-correlated single photon counting (TCSPC). FLiSimBA recapitulates experimental data. Using FLiSimBA, we determined the photon requirements for minimum detectable differences in fluorescence lifetime, thus providing realistic estimates of the SNR in biological tissue and the necessary quantification of measurement uncertainty for correct data interpretation. Furthermore, we challenge the conventional view that fluorescence lifetime is insensitive to sensor expression levels and establish quantitative limits of insensitivity, defining the potential and limits of comparing fluorescence lifetime measurements in biology. Finally, we use FLiSimBA to propel innovation in FLIM by assessing the impact of hardware improvement on the SNR, quantifying the value of developing sensors with spectra unaffected by autofluorescence, and specifying sensor characteristics that would greatly expand the power of simultaneous real-time measurements of multiple signals (multiplexing) with both intensity and lifetime properties of sensors. Our results show that considering relevant contributors and noise to fluorescence lifetime measurements in biological contexts does not merely add detail. Rather, these quantitative changes produce qualitatively different conclusions that require careful consideration to avoid misinterpretation of data and to harness the potential of FLIM. Thus, we provide a versatile tool for simulating experimental conditions, a quantitative framework for evaluating fluorescence lifetime results, and insights into the potential and limitations of fluorescence lifetime measurements in biological applications.

Results

Simulation of fluorescence lifetime data in biological tissue

To realistically mimic the fluorescence lifetime in biological tissue, we simulated contributions from sensor fluorescence, autofluorescence, afterpulse, and background, which is composed of both a small amount of light leakage and the dark current of the photon detectors (Fig. 1).

For sensor fluorescence, we sampled a specific number of photons (F_{sensor}) with replacement from an ideal distribution of photon lifetimes. In the examples in this study, we used the lifetime distribution of the FLIM-compatible A Kinase Activity Reporter (FLIM-AKAR), a Förster resonance energy transfer (FRET)-based biosensor that measures the activity of protein kinase A (PKA) in a variety of biological contexts, including brain slices and freely moving animals (Chen et al., 2014, 2017; Lee et al., 2019, 2021; Tilden et al., 2024). The fluorescence lifetime of FLIM-AKAR follows a double exponential decay defined by the following equation:

$$F(t) = F_0 * (P_1 * e^{\left(-\frac{t}{\tau_1}\right)} + P_2 * e^{\left(-\frac{t}{\tau_2}\right)}) \text{ (Equation 1)},$$

where $F(t)$ is the number of photons that arrive at time t, F_0 is the number of photons at time 0, τ_1 and τ_2 are time constants corresponding to lifetime distributions of the donor fluorophore that is either free or undergoing FRET, and P_1 and P_2 are the proportions of the donor fluorophores in these two states (Fig. 1). Following sampling, we convolved the lifetime histogram with the probability density function (PDF) of an instrument response function (IRF) to account for instrument noise.

Subsequently, we added a specific number of sampled photons (F_{autoF}) from an autofluorescence curve, whose distribution was determined via fluorescence measurements in brain tissue without

Figure 1

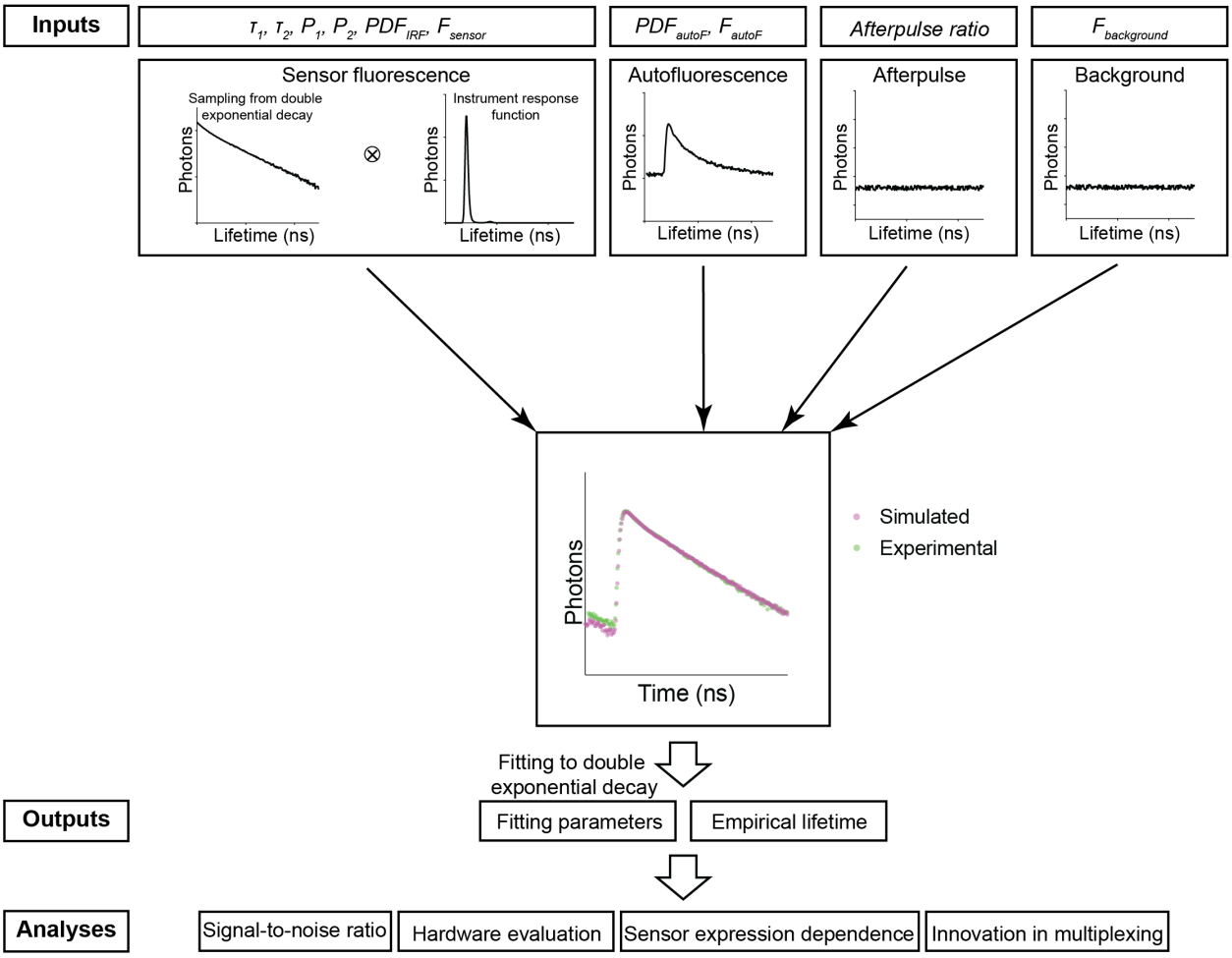
Inputs
τ_1, τ_2, P_1, P_2, PDF_{IRF}, F_{sensor}
PDF_{autoF}, F_{autoF}
Afterpulse ratio
$F_{background}$
Sensor fluorescence
Sampling from double exponential decay
Instrument response function
Photons
Lifetime (ns)
Autofluorescence
Afterpulse
Background
Simulated
Experimental
Time (ns)
Fitting to double exponential decay
Outputs
Fitting parameters
Empirical lifetime
Analyses
Signal-to-noise ratio
Hardware evaluation
Sensor expression dependence
Innovation in multiplexing

Figure 1. The simulation procedure of FLiSimBA.

The sensor fluorescence lifetime distribution of a FRET-based sensor was modeled as a double exponential decay, as shown in Equation 1 (τ_1 = 2.14 ns, τ_2 = 0.69 ns) and the lifetimes of photons were sampled with replacement. After the sensor fluorescence was convolved with the probability density function (PDF) of the instrument response function (IRF), the following were added to produce the final simulated data: autofluorescence (autoF) empirically measured from brain tissue with photon number F_{autoF}, afterpulse of the photomultiplier tube (PMT), and background signal (consisting of the dark current of the PMT and light leak) with photon number $F_{background}$. The histograms of the final simulated data were similar to those of the experimental data. The simulation was repeated 500 times under each P_1 and sensor fluorescence photon number (F_{sensor}) condition. The fitted P_1 (based on a double exponential decay fitting of the final simulated data) and empirical lifetime were used for subsequent analyses and evaluations.

any sensor expression. The autofluorescence lifetime histogram exhibited faster decay than that of FLIM-AKAR (Supplementary Fig. 1). After that, we added the afterpulse of the PMT, long-lasting signals from ionization of residual gas inside the PMT following a photon detection event(Akgun et al., 2008). The afterpulse was modeled as an even lifetime distribution with the amount of signals as a fraction of sensor fluorescence. Finally, we added a specific number of background signals ($F_{background}$) that was empirically determined from measurements, accounted for largely by ambient light leakage and the dark current of the PMT. We generated 500 simulated fluorescence lifetime histograms for each P_1 and sensor photon count (for additional details, see Materials and Methods).

The simulated histogram closely matched the experimental histogram (Fig. 1). Following histogram generation, we used two commonly used fluorescence lifetime metrics to evaluate the simulated data: fitted P_1 after double exponential fitting of the final simulated data or calculation of the average lifetime of all photons, which we termed the empirical lifetime. The fitted P_1 and empirical lifetime were used for subsequent analyses and evaluations (Fig. 1).

Bias and noise introduced by different sources of fluorescence

To understand how different fluorescence and electronic sources contribute to bias and noise, we analyzed the fitted P_1 and empirical lifetime across a range of values for the simulated P_1 and sensor photon counts. Autofluorescence (autoF) decreased the fitted P_1 and empirical lifetime, consistent with the faster decay of autofluorescence compared with that of FLIM-AKAR sensor fluorescence (Fig. 2; $p < 0.0001$, sensor + autoF vs sensor only under all sensor photon number conditions for both fitted P_1 and empirical lifetime). Afterpulse and background did not significantly change the fitted P_1 (Fig. 2; $p > 0.6$, final simulated data vs sensor + autoF condition for all the sensor photon number conditions), consistent with consideration of the background term during the fitting procedure. However, afterpulse and background increased the empirical lifetime, consistent with their presentation as an even distribution across lifetime time channels with a higher mean lifetime than that of FLIM-AKAR (Fig. 2; $p < 0.0001$, final simulated data vs sensor + autoF for all sensor photon number conditions).

Importantly, the biases introduced by autofluorescence, afterpulse, and background were less pronounced at higher sensor photon counts, which can be explained by the relatively small contribution of these factors when sensor fluorescence is high. Notably, as the number of sensor photons increased, the biases not only decreased but also plateaued, which made fluorescence lifetime less dependent on the number of sensor photons (Fig. 2A-2B). Furthermore, the variance also decreased at higher photon counts for both the fitted P_1 and the empirical lifetime (Fig. 2B). Thus, higher photon counts resulted in both less bias and less noise.

To quantify how well our simulation matches the experimental conditions, we calculated empirical lifetime after each simulation step. The empirical lifetime of final simulated data was not significantly different from that of experimental data (Fig. 2C; adjusted $p = 0.20$, final simulated data vs experimental data; $n = 500$ and 7 respectively). Thus, our simulated fluorescence lifetime data recapitulated experimental data in biologically relevant settings.

Figure 2

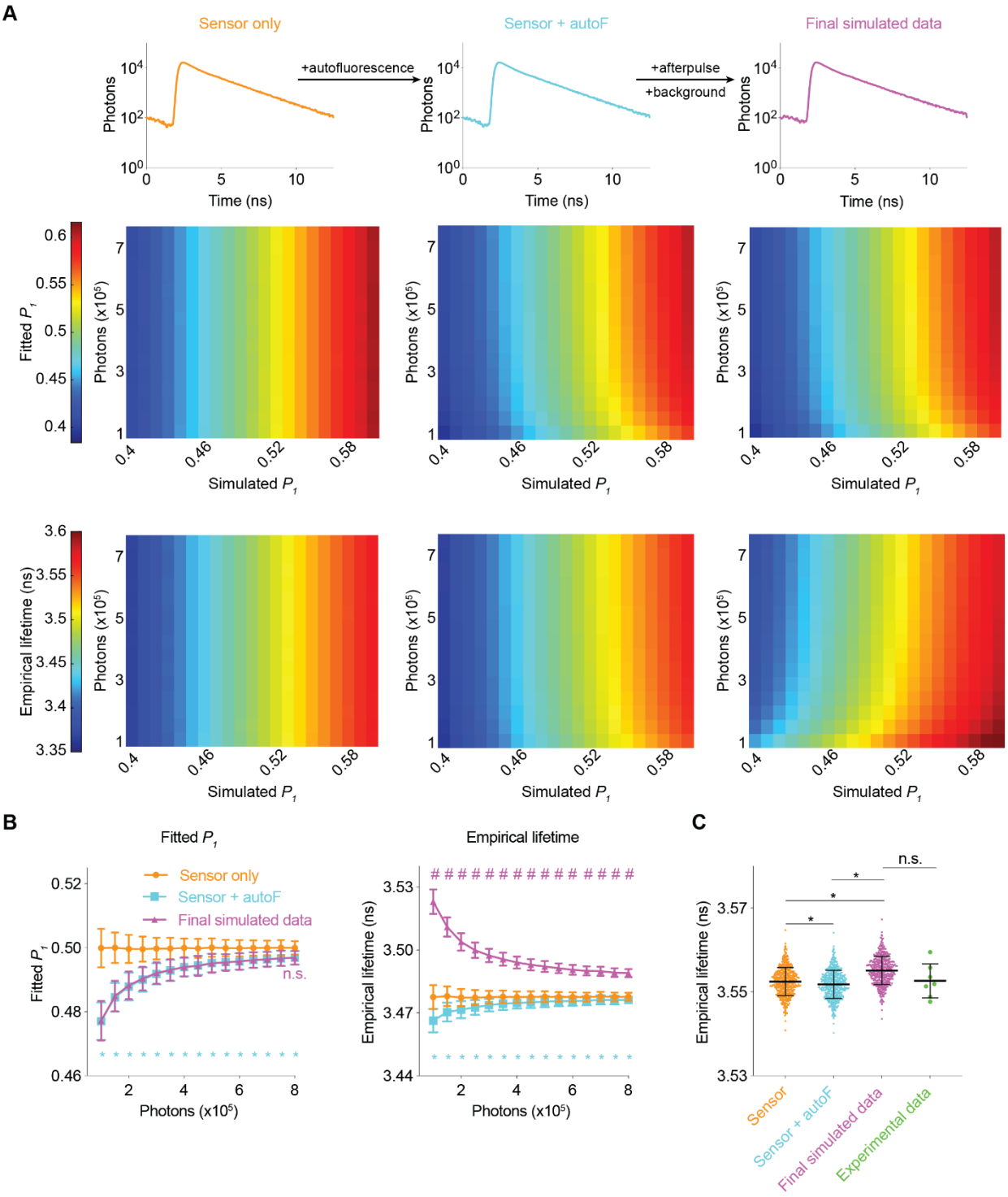
A
Sensor only
Sensor + autoF
Final simulated data
+autofluorescence
+afterpulse
+background
Photons
Time (ns)
Fitted P_1
Photons (x10^5)
Simulated P_1
Empirical lifetime (ns)
B
Fitted P_1
Sensor only
Sensor + autoF
Final simulated data
n.s.
Photons (x10^5)
Empirical lifetime
Empirical lifetime (ns)
C
n.s.
Sensor
Sensor + autoF
Final simulated data
Experimental data

Figure 2. Simulated fluorescence lifetime in brain tissue.

(**A**) Simulated example histograms (upper panels) and heatmaps (middle and lower panels) showing the average fitted P_1 and empirical lifetime of the simulated data across a range of P_1 and sensor photon number conditions. Fluorescence lifetime histograms were simulated with the sensor only, sensor + autofluorescence (autoF), and sensor + autofluorescence + afterpulse + background (final simulated data).

(**B**) Summaries of fitted P_1 (left) and empirical lifetime (right) with simulated $P_1 = 0.5$. * $p < 0.05$ vs sensor only; n.s. not significant vs sensor + autoF; # $p < 0.05$ vs sensor + autoF. Two-way ANOVA with Šídák's multiple comparisons test.

(**C**) Empirical lifetime of the simulated and experimental data. P_1 and P_2 from the fitting of the experimental data were used to generate the simulated data. Note that the mean of the empirical lifetime of the final simulated data is not significantly different from that of the experimental data. * $p < 0.05$; n.s. not significant; one-way ANOVA with Šídák's multiple comparisons test.

The data are represented as means and standard deviations.

In summary, using FLiSimBA, we realistically simulated fluorescence lifetime data in biological settings and quantitatively defined how different sources of signals contribute to bias and noise. These curves and quantitative approaches can therefore be used to evaluate the impact of optimization of these different sources on fluorescence lifetime measurements.

Determination of minimum photon number requirements to achieve specific SNRs

How many photons do we need for a given FLIM experiment in a biology experiment? Are more photons always better? A greater number of photons translates into a better SNR but also a lower sampling rate and reduced field of view. How can we quantitatively find the optimal compromise among these factors? As sensor fluorescence increases, the variances of both the fitted P_1 and the empirical lifetime decrease (Fig. 2B), and the ability to detect a specific amount of fluorescence lifetime response increases. Although the number of photons required to achieve a certain SNR was analyzed previously (Esposito et al., 2007, 2008; Gerritsen et al., 2002; Köllner & Wolfrum, 1992; Kumar, 2012; Lakowicz, 2006; Nasser & Meller, 2022; Netaev et al., 2022; Philip & Carlsson, 2003; Roethlein et al., 2015; Trinh & Esposito, 2021; Turton et al., 2003; Walsh et al., 2016; Xiao et al., 2021; Yasuda, 2006), such analysis was not performed with consideration of biological samples in realistic experiments involving autofluorescence, background, and afterpulse.

To determine the minimum number of photons required for a certain SNR, we analyzed the minimum detectable differences (MDD) in both the fitted P_1 and the empirical lifetime for different numbers of sensor photons and repeated measurements (Fig. 3). The MDD was calculated with 80% power and a 5% significance level. As the number of sensor photons increased, the MDDs decreased. As the number of repeated measurements increased, the MDD also decreased (Fig. 3B-3C). Importantly, the MDD curves provide quantitative information on the minimum number of photons required for a certain amount of expected signal. For example, to detect a P_1 change of 0.006 or a lifetime change of 5 ps with one sample measurement in each comparison group, approximately 300,000 photons are needed. As the sensor fluorescence increased, the gain in SNR decreased. Thus, MDD curves generated with FLiSimBA are instrumental for determining the optimal experimental conditions (for example, optimal imaging speed and sizes of imaging fields) necessary to detect a specific amount of lifetime change.

Using realistic determination of the SNR with FLiSimBA, we also quantitatively evaluated the impact of specific hardware changes on the SNR. Hybrid detectors (HBDs) are advantageous over traditional gallium arsenide phosphide (GaAsP) PMTs because of their narrower IRF width and lack of afterpulsing(Becker et al., 2011). However, hybrid detectors are more expensive. Thus, it is valuable to quantify the benefits HBDs can provide over traditional GaAsP PMTs for SNRs. We generated fluorescence lifetime histograms with narrower IRFs and no afterpulses for HBDs and compared them with the simulated data for traditional GaAsP PMTs (Fig. 4A-4B). Hybrid detectors and GaAsP PMTs displayed similar photon-dependent changes in fitted P_1 and empirical lifetime (Fig. 4C-4D). Furthermore, a given sensor photon number gave a comparable MDD for HBDs and GaAsP PMTs (Fig. 4E-4F). The similarity in the MDD curves can be explained by similar levels of variance between HBDs and PMTs (Fig. 4C-4D): although HBDs with a narrower IRF introduced less noise than GaAsP detectors (Fig. 4G-H; noise from sampling from the IRF: standard deviation (STD) of fitted P_1: 0.0008 for GaAsP PMTs and 0.0005 for HBDs; STD of empirical lifetime: 0.0003 for GaAsP PMTs and 0.0001 for HBDs), the noise of lifetime

Figure 3

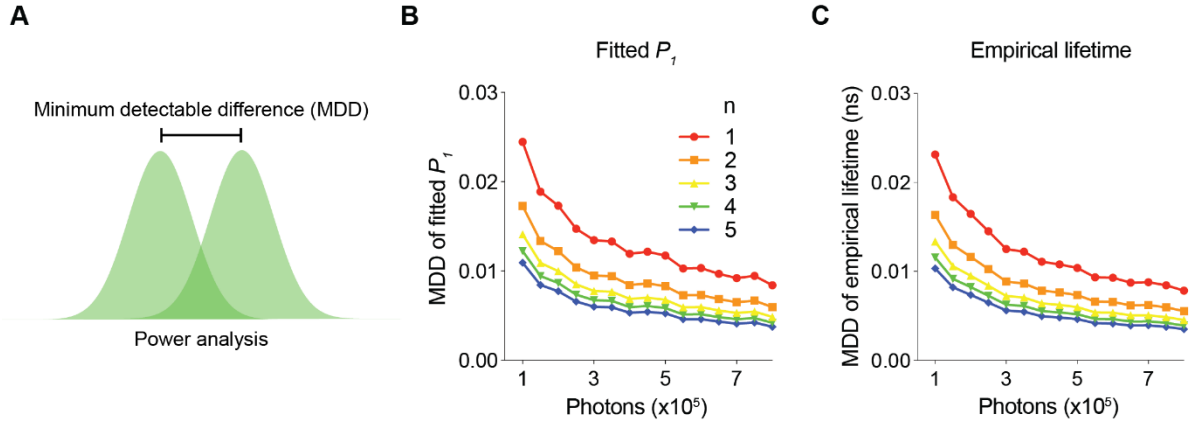
A
Minimum detectable difference (MDD)
Power analysis
B
Fitted P_1
MDD of fitted P_1
0.03
0.02
0.01
0.00
1
3
5
7
Photons (x10^5)
n
1
2
3
4
5
C
Empirical lifetime
MDD of empirical lifetime (ns)
0.03
0.02
0.01
0.00
1
3
5
7
Photons (x10^5)

Figure 3. The minimum number of photons required to detect a specific fluorescence lifetime response.

(**A**) Schematic illustrating the power analysis used to calculate the minimum detectable difference between two lifetime distributions.

(**B-C**) Minimum detectable differences in the fitted P_1 (B) and empirical lifetime (C) for different numbers of sensor photons and for different numbers of pairs of sampled data (n). The data were simulated with $P_1 = 0.5$.

Figure 4

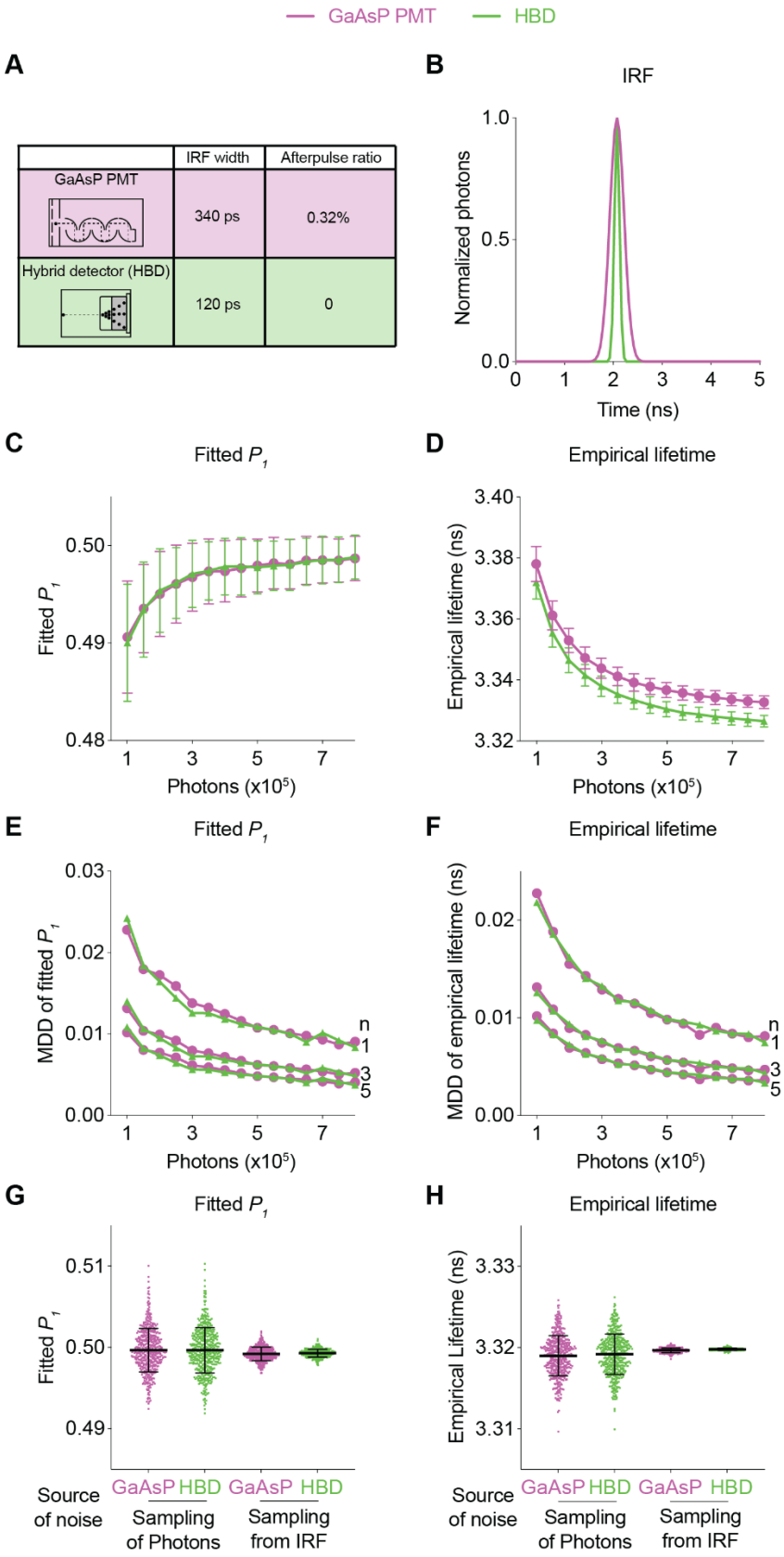
GaAsP PMT
HBD
A
IRF width
Afterpulse ratio
GaAsP PMT
340 ps
0.32%
Hybrid detector (HBD)
120 ps
0
B
IRF
Normalized photons
Time (ns)
C
Fitted P_1
Photons (x10^5)
D
Empirical lifetime
Empirical lifetime (ns)
Photons (x10^5)
E
Fitted P_1
MDD of fitted P_1
Photons (x10^5)
F
Empirical lifetime
MDD of empirical lifetime (ns)
Photons (x10^5)
G
Fitted P_1
Fitted P_1
H
Empirical lifetime
Empirical Lifetime (ns)
Source of noise
GaAsP HBD GaAsP HBD
Sampling of Photons
Sampling from IRF

Figure 4. Comparison of the fluorescence lifetime responses of GaAsP photomultiplier tubes (PMTs) and hybrid detectors (HBDs).

(**A**) Differences in IRF widths and afterpulse ratios between the GaAsP PMT and HBD. These specific parameters are used in subsequent simulations.

(**B**) Gaussian IRFs used for simulation, reflecting different Gaussian widths for the GaAsP PMT and HBD.

(**C-D**) Distributions of the fitted P_1 (C) and empirical lifetime (D) of the simulated data from the GaAsP PMT or HBD, with simulated $P_1 = 0.5$ and showing the sensor photon number dependence. The data are represented as means and standard deviations.

(**E-F**) Minimum detectable difference in the fitted P_1 (E) and empirical lifetime (F) for different numbers of sensor photons and different numbers of data samples. The data were simulated with $P_1 = 0.5$.

(**G-H**) Distribution of the fitted P_1 (G) and empirical lifetime (H) of the simulated data from the GaAsP PMT or HBD, with noise introduced from either sampling of photons or sampling from the IRF distribution. The data were simulated without autofluorescence, afterpulse or background and are represented as means and standard deviations.

measurements was dominated by photon noise, and not by IRF noise (Fig. 4G-H; noise from sampling of photons: STD of fitted P_1: 0.0028 for both GaAsP PMTs and HBDs; STD of empirical lifetime: 0.0025 for both GaAsP PMTs and HBDs). Thus, although HBD can offer other advantages (Becker et al., 2011; Trinh & Esposito, 2021), HBDs with a narrower IRF and no afterpulse yield little improvement in the SNR for fluorescent protein-based sensors in biological applications.

In summary, the quantitative and biologically realistic curves generated with FLiSimBA allow users to determine the appropriate tradeoff in each experiment. Given the specific sensor brightness, sensor lifetime, and expected signal amplitude in specific biological applications, FLiSimBA allows the users to select the imaging speed and size of the imaging field to achieve the desired SNR. In addition, FLiSimBA allows users to evaluate the tradeoff between performance improvement and price with specific hardware changes.

Expression level dependence of fluorescence lifetime estimates

Sensor expression levels often change over days and across animals and is usually assumed not to influence lifetime estimates because fluorescence lifetime is an intensive property of fluorophores. However, this assumption is true only if the biosensor is the only contributor to fluorescence. With autofluorescence, afterpulse, and background signals present in biological applications, the amount of sensor fluorescence relative to these contributing factors can lead to an apparent change in fluorescence lifetime estimates even if the biosensor is in the same conformational state (Ma et al., 2024). Here, we challenge the conventional view that fluorescence lifetime is independent of sensor expression and use simulation to define the range in which sensor expression has a negligible influence on lifetime.

We first determined how sensor expression levels altered the relative responses in fitted P_1 and empirical lifetime (Fig. 5A). When P_1 changed from 0.4 to 0.5, both fitted P_1 and empirical lifetime increased as expected (Fig. 5B-5C; adjusted $p < 0.0001$, $P_1 = 0.4$ vs $P_1 = 0.5$, under all photon number conditions for both fitted P_1 and empirical lifetime). As the sensor photon count increased, fitted P_1 increased and empirical lifetime decreased with both plateauing at high photon counts (Fig.5B-5C; $p < 0.05$, 800,000 photons vs 550,000 photons or less for fitted P_1, 800,000 photons vs 700,000 photons or less for empirical lifetime, for both $P_1 = 0.4$ and $P_1 = 0.5$). This photon-dependent change in fitted P_1 or lifetime is consistent with the diminishing effect of autofluorescence, background, and afterpulse. We next determined whether the response amplitude also changed as the sensor photon count increased by comparing the changes in fitted P_1 and empirical lifetime when actual P_1 changed from 0.4 to 0.5. As the sensor photon count increased, the change in the fitted P_1 and empirical lifetime also showed an apparent increase (Fig. 5D-5E; $p < 0.05$, 800,000 photons vs 450,000 photons or less for fitted P_1 and 400,000 photons or less for empirical lifetime). The response dependence on photons approached asymptotes at high photon counts: with the parameters used in our case study, the fluorescence lifetime responses were relatively stable at sensor photon counts of 500,000 and above (Fig. 5D-5E). Thus, our results challenge the widely held view that relative fluorescence lifetime changes are independent of sensor expression level and define a quantitative threshold of sensor expression that allows comparison of lifetime responses across different sensor expression levels.

Figure 5

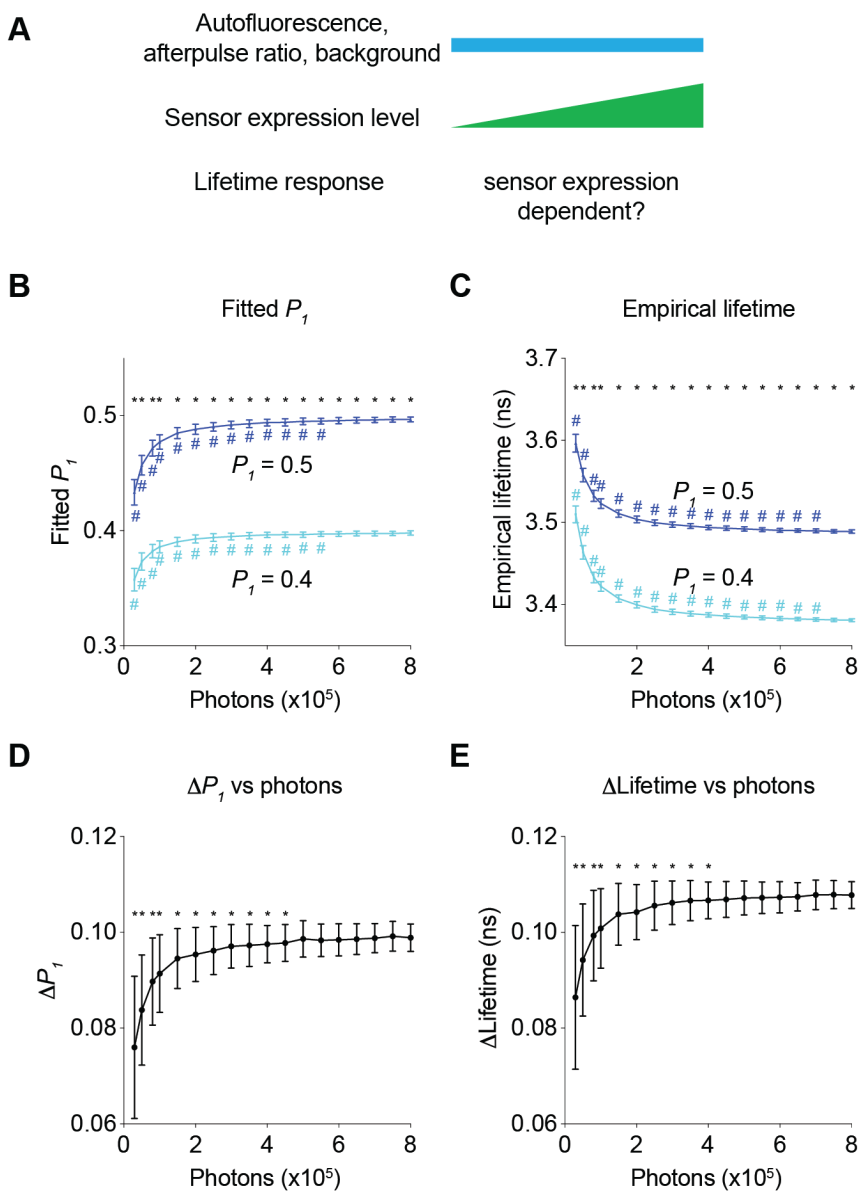
A
Autofluorescence, afterpulse ratio, background
Sensor expression level
Lifetime response
sensor expression dependent?
B
Fitted P_1
Fitted P_1
P_1 = 0.5
P_1 = 0.4
Photons (x10^5)
C
Empirical lifetime
Empirical lifetime (ns)
P_1 = 0.5
P_1 = 0.4
Photons (x10^5)
D
ΔP_1 vs photons
ΔP_1
Photons (x10^5)
E
ΔLifetime vs photons
ΔLifetime (ns)
Photons (x10^5)

Figure 5. Impact of the number of sensor photons on the response amplitudes of the fitted P_1 and the empirical lifetime.

(**A**) Schematic illustrating the following question under investigation: in biological systems, as autofluorescence, the afterpulse ratio, and the background remain constant, does the lifetime response change as sensor brightness increases?

(**B-C**) Distribution of the fitted P_1 (B) and empirical lifetime (C) from fluorescence lifetime data with simulated P_1 values of 0.4 and 0.5 across different sensor photon numbers. * $p < 0.05$, $P_1 = 0.4$ vs $P_1 = 0.5$, two-way ANOVA with Šídák's multiple comparisons test; $^{\#}$ $p < 0.05$, vs photons = 800,000, one-way ANOVA with Dunnett's multiple comparisons test.

(**D-E**) Distribution of the changes in the fitted P_1 (D) and empirical lifetime (E) for different sensor photon numbers. The simulated P_1 varied from 0.4 to 0.5. * $p < 0.05$, vs photon count = 800,000, one-way ANOVA with Dunnett's multiple comparisons test.

The data are represented as means and standard deviations.

Since fluorescence lifetime allows comparison of absolute levels of analytes (Brinks et al., 2015; Lazzari-Dean et al., 2019; Ma et al., 2024; van der Linden et al., 2021; Zheng et al., 2015), we determined the range where changes in sensor expression do not significantly affect fitted P_1 or empirical lifetime (Fig. 6A). A higher sensor photon count reduces the likelihood of significant changes in lifetime due to sensor expression (Fig. 6A). Thus, we determined the minimum number of sensor photons needed for a specific change in sensor expression to have a negligible impact on lifetime measurements (Fig. 6A). We first determined the apparent change in fitted P_1 and empirical lifetime introduced by the change in sensor expression levels (Fig. 6C, purple traces). As sensor fluorescence increased, the sensor expression-induced apparent change in fitted P_1 and empirical lifetime decreased. Additionally, by considering the variance associated with a specific photon count, we calculated the minimum change in fitted P_1 or empirical lifetime that would result in a statistically significant difference due to sensor expression changes (Fig. 6C, black traces, t test threshold, see Materials and Methods). The intersection of these two traces (Fig. 6C) indicates the minimum number of sensor photons required to tolerate a certain amount of sensor photon changes (i.e., t tests did not show a statistically significant difference) (Fig. 6B). As the total number of sensor photons increased, a greater difference in sensor expression was tolerated. Fitted P_1 could tolerate more photon changes than empirical lifetime for a given number of sensor photons (Fig. 6B). These curves provide quantitative guidelines for determining the necessary sensor photon counts to compare absolute lifetime values across different sensor expression levels.

Together, the data in Figures 5 and 6 not only challenge the conventional view that fluorescence lifetime is independent of sensor expression levels in biology experiments, but also, more importantly quantitatively define the range of sensor expression levels that enable comparison of either relative responses or absolute lifetime values across diverse sensor expression levels. These results are critical for guiding experiments that involve comparisons across animals, across brain regions, and across chronic time periods.

Innovating to reduce sensor expression dependence: avoiding autofluorescence and lowering background signal

Sensor expression dependence limits comparisons of fluorescence lifetime values and responses across chronic periods and across animals. Thus, we investigated the extent to which the dependence of sensor expression could be mitigated by achievable technological advances, in particular, by developing sensors outside the autofluorescence spectra (e.g., red-shifted sensors), and/or by lowering background signal (e.g., with photodetectors with low dark current, together with better light proofing) (Fig. 7).

If sensors could be made with emission spectra that do not overlap with tissue autofluorescence (e.g., red or far-red sensors), both the relative response and absolute values of fitted P_1 no longer depended on sensor expression (Fig. 7A, 7C left panels; 7A: $p = 0.047$ for 30,000 photons, $p > 0.8$ for the other photon counts, vs 800,000 photons;). This expression independence can be explained by the fact that only autofluorescence contributes to the sensor expression-dependent bias of fitted P_1 (Fig. 2A). With no autofluorescence, the relative response in empirical lifetime showed less dependence on sensor expression (Fig. 7B, left, $p < 0.05$ for 150,000 photons or less, $p > 0.2$ for the other photon counts, vs 800,000 photons), whereas the absolute empirical lifetime could

Figure 6

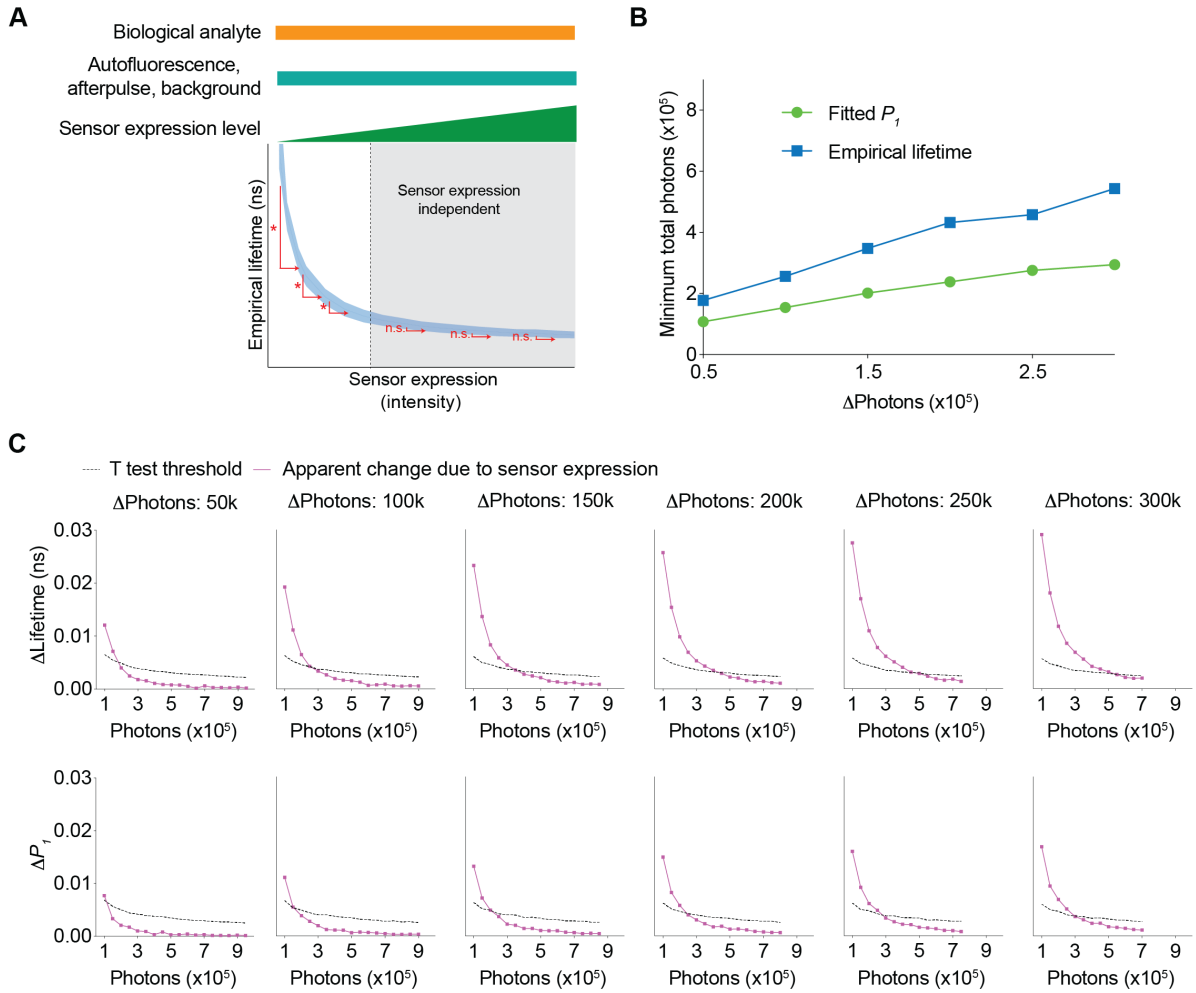
A
Biological analyte
Autofluorescence, afterpulse, background
Sensor expression level
Sensor expression independent
Empirical lifetime (ns)
Sensor expression (intensity)
n.s.
B
Fitted P_1
Empirical lifetime
Minimum total photons (x10^5)
ΔPhotons (x10^5)
C
T test threshold
Apparent change due to sensor expression
ΔPhotons: 50k
ΔPhotons: 100k
ΔPhotons: 150k
ΔPhotons: 200k
ΔPhotons: 250k
ΔPhotons: 300k
ΔLifetime (ns)
ΔP_1
Photons (x10^5)

Figure 6. Conditions needed for the sensor expression-induced lifetime change to be statistically nonsignificant.

(**A**) Schematic illustrating the question under investigation: as the biological analyte, autofluorescence, afterpulse ratio, and background signals remain constant, as the sensor expression/brightness increases, what is the minimum number of sensor photons needed to tolerate a specific change in sensor expression such that the apparent lifetimes are not significantly different?

(**B**) Relationship between changes in photon number due to changes in expression level and the minimum number of sensor photons required not to reach statistical significance for both the fitted P_1 and empirical lifetime. The data were simulated with $P_1 = 0.5$. The minimum number of sensor photons was calculated by interpolating the intersection between the two curves in (C).

(**C**) Plots of changes reaching statistical significance according to t tests (calculated as 1.96*standard error of the difference in the mean) and apparent changes due to sensor expression for both the empirical lifetime (upper panels) and fitted P_1 (lower panels). The data were simulated with $P_1 = 0.5$. Different sensor expression changes are plotted in each panel.

The data are represented as means and standard deviations.

Figure 7

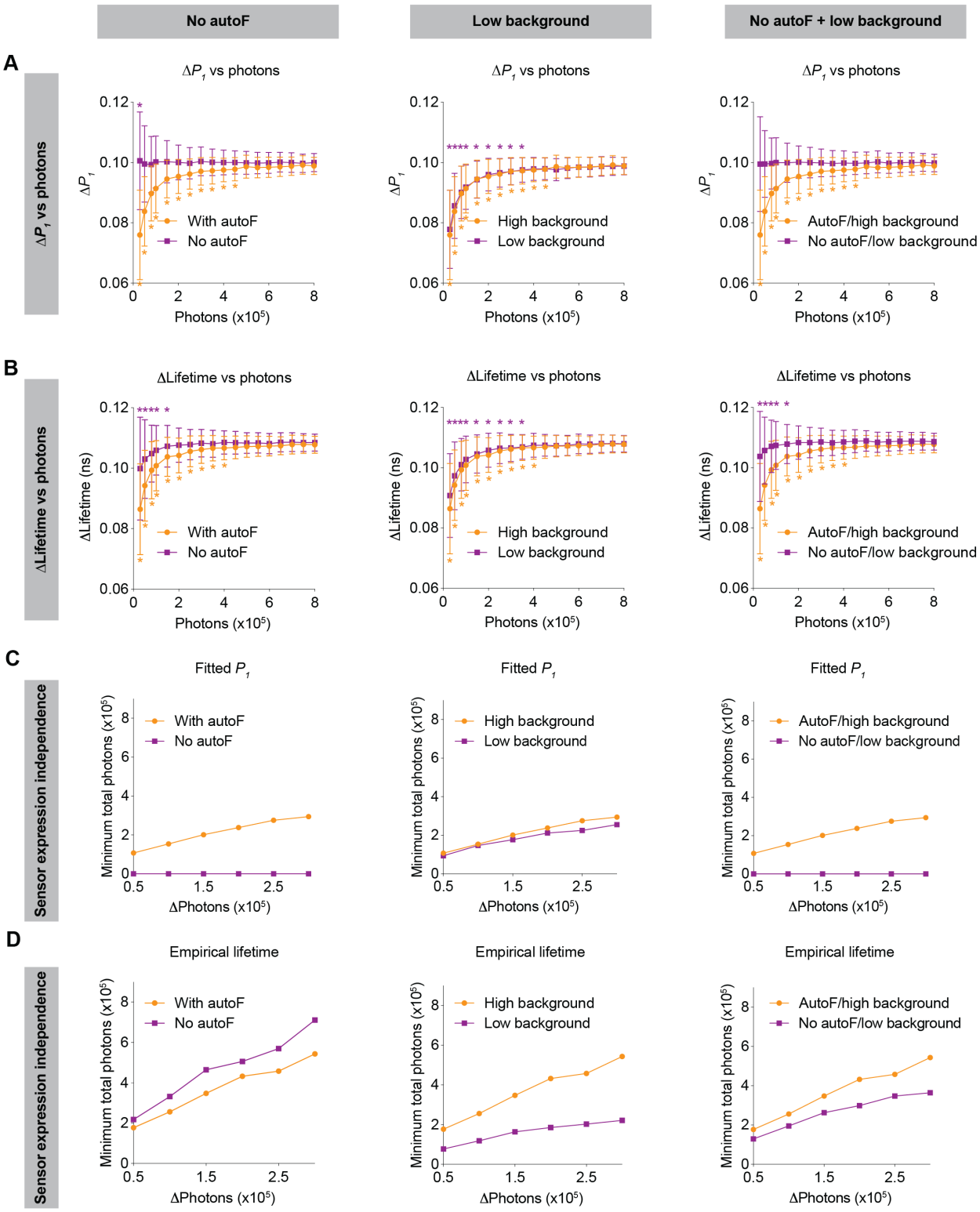
No autoF
Low background
No autoF + low background
A
ΔP1 vs photons
ΔP1 vs photons
With autoF
No autoF
High background
Low background
AutoF/high background
No autoF/low background
Photons (x10^5)
B
ΔLifetime vs photons
ΔLifetime (ns)
C
Sensor expression independence
Fitted P1
Minimum total photons (x10^5)
ΔPhotons (x10^5)
D
Empirical lifetime

Figure 7. Impact of no autofluorescence and/or low background on the lifetime dependence of sensor expression.

(**A-B**) Distribution of the change in fitted P_1 (A) and empirical lifetime (B) with different sensor photon numbers, under no autofluorescence, low background, and both improvement conditions. The simulated P_1 varied from 0.4 to 0.5. * $p < 0.05$, vs photon count = 800,000, one-way ANOVA with Dunnett's multiple comparisons test. The data are represented as means and standard deviations.

(**C-D**) Relationships between changes in photon number due to expression level and the minimum number of sensor photons required not to reach statistical significance for both the fitted P_1 (C) and empirical lifetime (D) under no autofluorescence, low background, or both improvement conditions. The data were simulated with $P_1 = 0.5$.

The orange traces are the same as the corresponding data in Figure 5 and Figure 6, and were reused here for comparison purposes.

tolerate less change in sensor expression (Fig. 7D, left). Thus, sensors with spectra that avoid overlap with autofluorescence are completely independent of sensor expression levels when fitted P_1 is used as the metric of evaluation.

When background signals were lower, both the relative response and absolute values of fitted P_1 showed a similar sensor expression dependence to that of the higher background (Fig. 7A, 7C, middle panels; 7A: $p < 0.05$ for 350,000 photons or less, $p > 0.1$ for the other photon counts, vs 800,000 photons). This is because the background is considered in the fitting process as a mathematical term. For the empirical lifetime response, a lower background slightly reduced the sensor expression dependence (Fig. 7B, middle, $p < 0.05$ for 350,000 photons or less, $p > 0.1$ for the other photon counts, vs 800,000 photons). Notably, a lower background signal caused greater tolerance of sensor expression level changes for the measurement of absolute empirical lifetime (Fig. 7D, middle). Thus, a lower background does not significantly alter the sensor level dependence when fitted P_1 is used as the metric of measurement, but it significantly reduces the sensor level dependence when empirical lifetime is used as the metric of measurement.

Consistent with the results above, when there was no autofluorescence and the background was lower, there was no longer sensor expression dependence for fitted P_1 (Fig. 7A, 7C, right panels; 7A: $p > 0.99$ for all photon counts vs 800,000 photons), and the sensor expression dependence also became much less pronounced for empirical lifetime (Fig. 7B, 7D, right; 7B: $p < 0.05$ for 150,000 photons or less, $p > 0.3$ for the other photon counts, vs 800,000 photons).

In summary, using FLiSimBA, we show quantitatively the benefit gained from future technological innovations: developing sensors outside autofluorescence spectra or having a lower background can significantly reduce the dependence of fluorescence lifetime on sensor expression in biological systems, increasing the versatility of lifetime comparison across animals, brain regions, and chronic time scales, as well as allowing us to quantify the absolute levels of analytes.

Innovating for multiplexing: revealing the feasibility and specifying sensor characteristics for multiplexed imaging with both fluorescence lifetime and intensity

Understanding of any biological systems requires the quantitation of the dynamics of many biological signals that interact together. Multiplexed imaging with sensors with different excitation and emission spectra is powerful, but only a few color channels can be effectively separated. Combining fluorescence lifetime and intensity could greatly enhance the capacity to monitor more biological signals simultaneously and this idea is becoming increasingly feasible with the development of genetically encoded and chemigenetic sensors (Farrants et al., 2023; Frei et al., 2022; van der Linden et al., 2021). However, this approach was only used to distinguish sensors with different lifetimes in different spatial compartments (Frei et al., 2022; Rahim et al., 2022), or fluorophores that do not change dynamically and thus do not act as sensors (Hamilton & Sanabria, 2019; Rahim et al., 2022; Rice & Kumar, 2014; Widengren et al., 2006), and there was no quantitative framework for exploring the multiplexing capacity to analyze the dynamics of biosensors. Here we investigated whether the combined signal of sensors with different lifetimes can be effectively deconvolved to quantitate the dynamic intensity change of each sensor – if this is feasible, this new approach could be used to simultaneously track the dynamics of multiple signals in the same

spatial location, or in photometry experiments (Fig. 8A), thus greatly enhancing our ability to understand the systems biology of signaling.

We modeled the system as having two sensors with different lifetimes. Furthermore, in response to a change in the concentration of a biological analyte, the fluorescence lifetime of each sensor remains constant whereas the fluorescence intensity is modulated. We used FLiSimBA to simulate multiplexed fluorescence lifetime imaging with realistic parameters and noise in biological systems, and then deconvolved the combined histogram by fitting it with a double exponential decay equation, whose decay time constants corresponded to those of the two sensor species (Fig. 8A).

We first investigated whether varying sensor intensities could be accurately deconvolved (Fig. 8B). Deconvolution accurately recovered the photon numbers attributed to each sensor compared with the actual sensor photons inputted into the model (Fig. 8C). The number of fitted sensor 1 photons (with shorter lifetime) was greater than the number of simulated sensor 1 photons, consistent with the contribution of autofluorescence whose average lifetime is closer to that of Sensor 1. Furthermore, when the lifetime decay constants of the two species were further separated, the variance in the fitted sensor photons decreased (Fig. 8C, STD = 0.012 for 4 ns separation and STD = 0.053-0.061 for 0.5 ns separation), indicating that further separation of lifetimes between the two sensors resulted in a better SNR.

To quantitatively evaluate the feasibility of multiplexed fluorescence lifetime imaging of sensors with the same spectra, we calculated the statistical power for detecting specific intensity changes of sensor 1 photons (Fig. 8D). The statistical power for detecting a specific intensity change was greater when the intensity change was greater and when the difference between the lifetime constants of the two sensors was greater (Fig. 8E, for any given heatmap). Furthermore, the statistical power was also greater when the number of starting sensor 1 photons was greater and the number of sensor 2 photons were lower (Fig. 8E, comparing between the heatmaps). Therefore, these results were valuable for demonstrating the feasibility of using fluorescence lifetime for multiplexed imaging and for quantitatively specifying the parameter space that provided sufficient statistical power.

To systematically define the parameter space, we determined the minimum intensity change that was detectable under different conditions. For any given sensor 1 starting photon count, sensor 2 photon count, and lifetime separation, we fitted the statistical power versus intensity change relationship to a 5-parameter logistic curve (Supplementary Fig. 2A). Using the fitted curve, we calculated the intensity change that would yield a statistical power of 80% and defined it as the minimum detectable $\Delta F/F_0$ (Supplementary Fig. 2A). The minimum detectable $\Delta F/F_0$ for sensor 1 decreased as the lifetime separation increased, as sensor 1 expression level increased, or as the number of sensor 2 photons decreased (Fig. 8F and Supplementary Fig. 2B). If the two sensors had comparable dynamic ranges and comparable expression levels, the minimum detectable $\Delta F/F_0$ for sensor 2 was similar to that of sensor 1 (Supplementary Fig. 2C). Remarkably, only a 0.5 ns separation in lifetime constants between the two sensors could result in a minimum detectable $\Delta F/F_0$ of 5% in sensor 1 if sensor 1 showed high but reasonable expression (800,000 photons or higher) and sensor 2 showed reasonable expression (500,000 photons or lower) (Fig. 8F). These

Figure 8

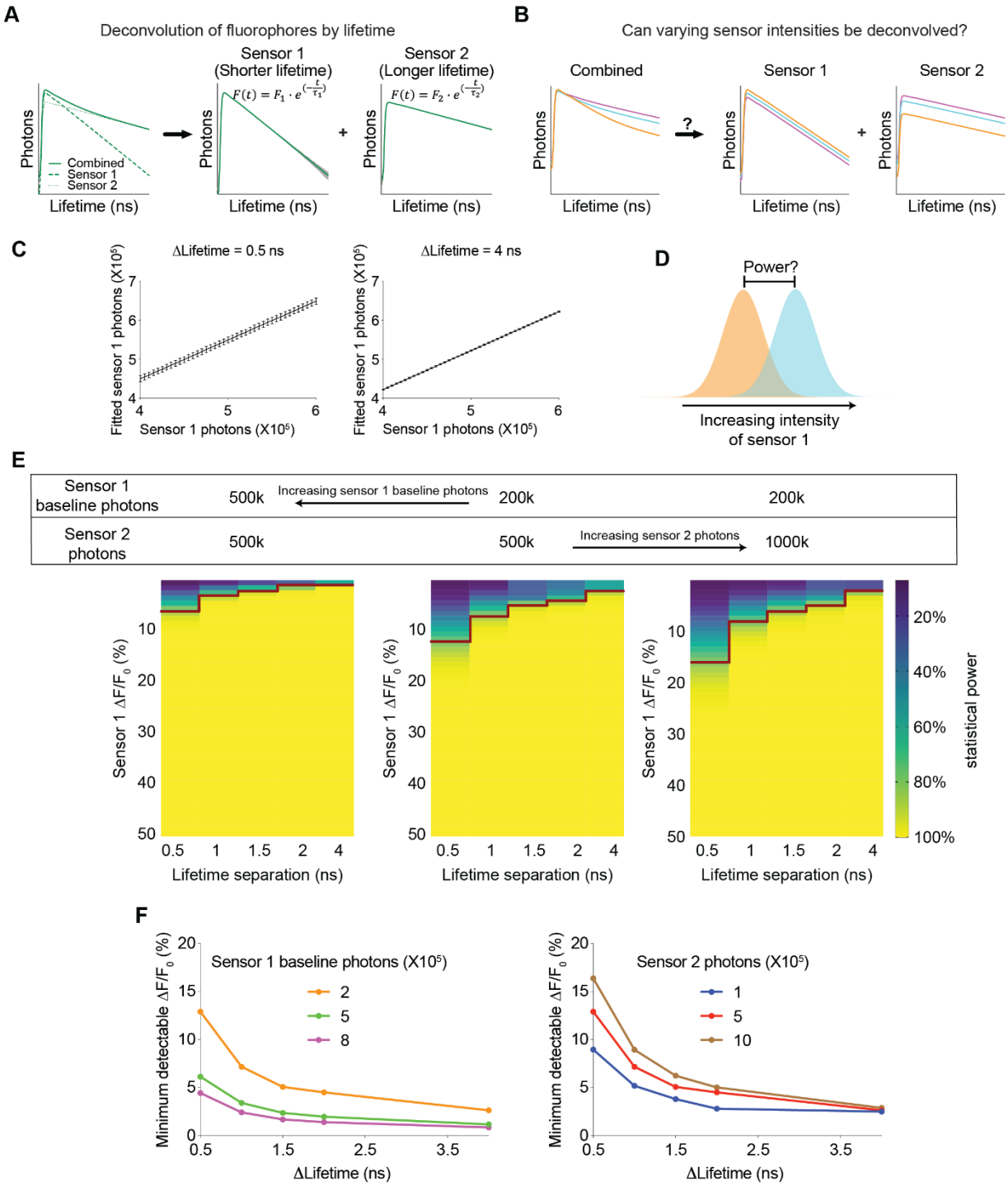
A
Deconvolution of fluorophores by lifetime
Sensor 1 (Shorter lifetime)
Sensor 2 (Longer lifetime)
$F(t) = F_1 \cdot e^{(-\frac{t}{\tau_1})}$
$F(t) = F_2 \cdot e^{(-\frac{t}{\tau_2})}$
Photons
Lifetime (ns)
Combined
Sensor 1
Sensor 2
B
Can varying sensor intensities be deconvolved?
Combined
Sensor 1
Sensor 2
?
C
ΔLifetime = 0.5 ns
ΔLifetime = 4 ns
Fitted sensor 1 photons (X10⁵)
Sensor 1 photons (X10⁵)
D
Power?
Increasing intensity of sensor 1
E
Sensor 1 baseline photons
500k
Increasing sensor 1 baseline photons
200k
200k
Sensor 2 photons
500k
500k
Increasing sensor 2 photons
1000k
Sensor 1 ΔF/F0 (%)
Lifetime separation (ns)
statistical power
20%
40%
60%
80%
100%
F
Minimum detectable ΔF/F0 (%)
Sensor 1 baseline photons (X10⁵)
2
5
8
Sensor 2 photons (X10⁵)
1
5
10
ΔLifetime (ns)

Figure 8. Feasibility and parameter requirements for multiplexed fluorescence intensity and lifetime imaging.

(**A**) Schematic illustrating the motivation for the question. Sensor 1 and sensor 2 are intensity-based sensors with the same color but different fluorescence lifetimes (with single exponential decay constants τ_1 and τ_2, respectively). The fluorescence signals are combined, and then mathematically deconvolved into individual components. Dotted lines: true fluorescence lifetime histograms of the two sensors; solid lines: simulated fluorescence lifetime histograms with standard deviation (gray shading) before and after deconvolution.

(**B**) Schematic illustrating the question under investigation: when sensor 1 and sensor 2 change fluorescence intensities and their combined fluorescence is collected simultaneously, can the respective intensities be deconvoluted from the combined measurements?

(**C**) Deconvoluted number of sensor 1 photons based on different simulated sensor 1 photons. Sensor 2 was simulated with a photon count of 500k. The left and right graphs are based on either 0.5 or 4 ns differences in the single exponential decay constants between the two sensors. The left and right graphs show that the variance in deconvoluted sensor 1 photons is less when the lifetime separation between sensor 1 and sensor 2 is greater. The data are represented as means and standard deviations.

(**D**) Schematic illustrating the calculation of the statistical power for detecting a specific change in sensor 1 photon counts.

(**E**) Heatmaps showing the statistical power of detecting specific changes in the intensity of sensor 1 with different sensor 1 baseline photons, different sensor 2 photons, and different lifetime separations between the two sensors. The red line denotes the change in intensity that provides a statistical power of 80%.

(**F**) Relationship between the minimum detectable intensity change in sensor 1 to reach 80% statistical power and the lifetime difference between the two sensors. Curves were plotted with different sensor 1 baseline photons (left, 500k sensor 2 photons) and different sensor 2 photons (right, 200k sensor 1 baseline photons).

results showed how the sensitivity of the intensity response quantitatively depended on the sensor expression and differences in lifetime between the two sensors.

In summary, our simulation showed that multiplexed fluorescence lifetime imaging was feasible with small shifts in the sensor properties. Furthermore, FLiSimBA could be used to quantitatively define the parameters of the sensors to yield a desired sensitivity. Thus, these results provide sensor developers with specific sensor properties to evolve toward. With simultaneous spectral and lifetime multiplexing, our proposed method enables the detection of a much larger number of signals dynamically, opening doors to better systems understanding of signaling within the cell and physiological interactions between different organs.

Discussion

Here, we provide a quantitative framework for analyzing fluorescence lifetime in realistic biological settings. We introduce FLiSimBA, a platform that accurately simulates fluorescence lifetime data for biological applications (Figs. 1-2). With FLiSimBA, we address key questions in FLIM. First, to understand SNRs, we determined the number of photons required for different minimum detectable differences (Fig. 3). Additionally, we assessed the impact of hardware changes on SNRs by comparing GaAsP PMTs with hybrid detectors (Fig. 4). Moreover, we challenged the conventional view that biosensor expression levels do not affect fluorescence lifetime. We revealed how variation in sensor expression influences response amplitude (Fig. 5) and identified the amount of expression level variation that does not significantly alter fluorescence lifetime estimates (Fig. 6). Finally, we evaluated the feasibility, quantified the benefits, and specified the parameter space for FLIM innovations that minimize expression level dependence (Fig. 7) or enable multiplexed imaging with lifetime and intensity (Fig. 8). In summary, our study provides valuable insights and a quantitative framework for defining the power and limitations of fluorescence lifetime experiments in biological applications.

FLiSimBA is a necessary and useful tool for FLIM and FLiP experiments for a few reasons. First, realistic simulations of lifetime data for biological applications are performed. Second, FLiSimBA is versatile and can be easily adapted for new sensors, new methods of calculating fluorescence lifetime, new tissues and organisms with different amounts of autofluorescence, or new ideas for FLIM innovations. Third, FLiSimBA and the quantitative framework we provide can precisely define the benefits and limitations of a FLIM or FLiP experiment, enabling rigorous experimental design and data interpretation.

Our results provide insights into three critical questions for FLIM usage in biology that were not previously available. First, quantifying the uncertainty of values is a key aspect of any measurement but is often neglected. Our results provide the amplitude of the error bars and reveal the sources of bias and noise in fluorescence lifetime measurements in realistic biological experiments. Therefore, these results facilitate the disambiguation of signals from noise in data interpretation and empower FLIM users to design optimal experiments by precisely evaluating the compromise between the SNR, field-of-view size, and imaging speed.

Second, our analyses of expression level dependence serve as a striking example of how small quantitative changes result in large qualitative differences: we show how autofluorescence, afterpulse, and background give rise to the expression level dependence of lifetime measurements. These results challenge the widely held assumptions about the very advantage of fluorescence lifetime measurements: its insensitivity to sensor expression levels. Therefore, consideration of biologically realistic factors in FLiSimBA does not merely add details but qualitatively change conclusions. Importantly, our results not only highlight this problem but also offer a solution: we define the range where the expression level does not result in a significant lifetime change (Figs. 5-6). These analyses are critical for defining the window of opportunity in which FLIM and FLiP can be used to compare biosensor measurements over chronic time periods, across animals, and to quantify absolute levels of biological signals.

Finally, with three examples, our quantitative platform demonstrates how we can improve FLIM through future innovation. First, whereas our simulations showed little advantage of hybrid detectors over GaAsP PMTs in terms of the SNR (Fig. 4), different types of hybrid detectors offer narrower IRFs at the cost of lower quantum efficiency (QE). FLiSimBA enables the evaluation of the tradeoff between IRF width and QE. Additionally, hybrid detectors are more advantageous for shorter fluorescence lifetimes(Trinh & Esposito, 2021) and FLiSimBA allows exploration of the range where they provide clear benefits in biological settings. Second, we quantified how the development of red or far-red sensors outside the autofluorescence spectrum, and the ability to minimize dark currents of the detector, could provide transformative benefits in reducing or removing the expression dependence of lifetime measurements (Fig. 7). This highlights exciting directions for sensor makers and hardware developers. Third, we demonstrate the feasibility and specify sensor parameters that enable the use of fluorescence lifetime and color spectrum as two orthogonal axes to distinguish many biological signals through intensity-based real-time imaging of biosensors. This approach promises to open doors to enhancing the ability of multiplexed imaging by orders of magnitude. Thus, FLiSimBA and our quantitative framework are instrumental for enabling optimal experimental design, rigorous data interpretation, and pushing the limit of FLIM imaging through innovations.

Materials and methods

Animals

All procedures for rodent husbandry and surgery were performed following protocols approved by the Washington University Institutional Animal Care and Use Committee and in accordance with National Institutes of Health guidelines. CD-1 mice (Envigo #030) were used. The experiments were performed according to the Animal Research: Reporting of In Vivo Experiments (ARRIVE) guidelines (Percie du Sert et al., 2020).

DNA plasmid

For experimentally determined FLIM-AKAR data, AAV-FLIM-AKAR(Chen et al., 2014) (Addgene #63058) was used to express the FLIM-AKAR sensor in the primary somatosensory cortex by in utero electroporation (Chen et al., 2017).

Acute brain slice preparation

Mice were anesthetized with isoflurane at 15 to 19 days of age and then decapitated. Their brains were rapidly dissected and put in sucrose-based cutting solution (concentrations in mM: 75 sucrose, 2.5 KCl, 1.25 NaH_2PO_4, 25 $NaHCO_3$, 87 NaCl, 25 glucose, 1 $MgCl_2$). 300 µm-thick coronal sections containing the primary somatosensory cortex were obtained with a vibratome (Leica Instruments, VT1200S) in cold sucrose-based cutting solution. After sectioning, the slices were transferred to artificial cerebral spinal fluid (ACSF) (concentrations in mM: 127 NaCl, 2.5 KCl, 1.25 NaH_2PO_4, 25 $NaHCO_3$, 2 $CaCl_2$, 1 $MgCl_2$, and 25 glucose) and incubated at 34°C for 10 minutes for recovery. The slices were kept at room temperature in ACSF with 5% CO_2 and 95% O_2. The slices were then transferred to a microscope chamber and ACSF was perfused at a flow rate of 2-4 mL/min for imaging.

Two-Photon Fluorescence Lifetime Imaging Microscopy (2pFLIM)

2pFLIM was performed as described previously(Chen et al., 2014, 2017; Ma et al., 2024; Tilden et al., 2024). A custom-built microscope with a mode-locked laser source (Spectra-Physics, Insight X3 operating at 80 MHz) was used. Photons were collected with fast photomultiplier tubes (PMTs, Hamamatsu, H10770PB-40). A 60X (Olympus, NA 1.1) objective was used. Image acquisition was performed with the custom-written software ScanImage(Chen et al., 2014, 2017; Ma et al., 2024; Pologruto et al., 2003; Tilden et al., 2024) in MATLAB 2012b. The excitation wavelength was 920 nm. Emission light was collected through a dichroic mirror (FF580-FDi01-25X36, Semrock) and a band-pass filter (FF03-525/50-25, Semrock). Images covering 15 µm x 15 µm fields of view were collected at 128x128 pixels via a frame scan at 4 Hz. The FLIM board SPC-150 (Becker and Hickl GmbH) was used, and time-correlated single photon counting was performed with 256 time channels. Photons from 20 frames were pooled for fluorescence lifetime calculations. Only healthy cells (judged by gradient contrast images) at 30-50 µm below the slice surface were selected. Each individual cell was analyzed as a region of interest (ROI). Photons from a given ROI were pooled for further analysis.

Experimental data collection, parameter determination, and simulation

The simulation was performed in MATLAB2022a with the following steps (Fig. 1A). The parameters described below were used for this study and could be altered with our code to adapt to different biological applications. The final simulated histograms consisted of the IRF-convolved sensor fluorescence, autofluorescence, afterpulse, and background fluorescence. The simulations were performed with 256 time channels for each laser cycle from an 80 MHz laser (12.5 ns interpulse interval). For each P_1 and sensor photon number condition, the simulation was repeated 500 times.

1. Generation of photon populations for sensor fluorescence

For sensor fluorescence, τ_1 and τ_2 were previously determined to be 2.14 ns and 0.69 ns respectively(Chen et al., 2014). To determine the appropriate photon counts and P_1 range for simulation, sensor fluorescence histogram was fitted with a modified version of Equation 1.

$$F(t) = F_0 * \left(P_1 * e^{-\frac{t}{\tau_1}} + P_2 * e^{-\frac{t}{\tau_2}}\right) \otimes IRF + F_{background} \text{ (Equation 2)}$$

where $F_{background}$ is the background fluorescence that is fitted for the sensor fluorescence data, and $\otimes$ represents convolution.

For Figures 1-7, to simulate the fluorescence lifetime with double exponential decay, we generated a population of photons with Equation 1 with F_0 equal to 1,000,000. We generated photon populations and corresponding fluorescence lifetime histograms with P_1 ranging from 0.4 to 0.6 with an increment of 0.01.

2. Sensor fluorescence sampling and IRF convolution

For sensor fluorescence sampling, a specific number of photons were randomly drawn with replacement from the corresponding population generated with double exponential decay. IRF convolution of the fluorescence lifetime histogram was performed: the lifetime of each photon in the sample was redistributed along the time channels based on the probability of the IRF distribution. Following convolution, the histogram was wrapped around such that any photons whose lifetimes were beyond 12.5 ns (interpulse interval of laser) were redistributed to the next cycle.

In all the figures except for Fig. 4, the IRF was empirically measured by second harmonic generation of the mouse tail with excitation at 1050 nm. The lifetime histogram was normalized to the total photon number and used as the IRF. For Fig. 4, the IRFs of both systems were modeled as Gaussian distributions with different Gaussian widths. The mean of the Gaussian distribution (μ) was set as the peak channel of the experimentally collected IRF. The full width at half maximum (FWHM) of the Gaussian IRF of the GaAsP PMT was set to match the FWHM of the experimentally collected IRF (340 ps). The FWHM of the hybrid detector Gaussian IRF was set as 120 ps based on the HPM-100-40 model (Becker & Hickl) (Becker et al., 2011). The standard deviation (STD, s) of the Gaussian distribution of the IRFs was determined based on the relationship with the FWHM:

$$FWHM = 2\sqrt{2ln2} * \sigma \text{ (Equation 3).}$$

The Gaussian distribution was defined as follows:

$$G(t) = \frac{1}{\sigma\sqrt{2\pi}} * e^{-\frac{1}{2}\left(\frac{t-\mu}{\sigma}\right)^2} \text{ (Equation 4).}$$

The Gaussian IRF was generated by normalization of *G(t)* against the total photon count.

For Fig. 4G and 4H, to isolate the noise from the sampling of photons, sensor fluorescence sampling was performed 500 times, followed by analytical IRF convolution of each sensor fluorescence decay histogram. To isolate the noise from sampling from the IRF distribution, only one sensor photon decay histogram was generated, and each photon was reassigned to a single lifetime value based on the probability density distribution of the IRF, and this procedure was repeated 500 times.

3. Autofluorescence

All biological tissues exhibit autofluorescence due to fluorescent cellular components and metabolites such as nicotinamide-adenine dinucleotide (NAD), flavins, and aromatic amino acids (Georgakoudi & Quinn, 2023; Ma et al., 2024; Malak et al., 2022). To determine the autofluorescence of brain tissue, we imaged brain slices from mice at postnatal 15 to 19 days of age without sensor expression. After brain slicing, neurons from the primary somatosensory cortex were imaged under the same imaging conditions (920 nm excitation light, 2.5 mW, 30-50 µm below the slice surface, 20 frames pooled over 5 seconds of acquisition, and 15 µm x 15 µm fields of view). The decay histograms from 19 acquisitions were averaged. The number of photons from autofluorescence contributing to autofluorescence (F_{auto}) was calculated as the average autofluorescence subtracted by the number of photons contributing to background fluorescence ($F_{background}$). Autofluorescence measurements consist of true autofluorescence together with background fluorescence (due to dark current and ambient light leakage). Thus, the average autofluorescence histogram was fitted with a double exponential function with background (Equation 2) to determine the t_1, t_2, P_1, and P_2 of autofluorescence as well as background fluorescence. For simulated autofluorescence, up to 10% fluctuation was introduced to the number of photons with the random draw of an integer within the range of F_{auto}*(1±5%).

For Fig. 4, the autofluorescence lifetime was simulated as double exponential decay (Equation 1). For the remaining figures, the autofluorescence lifetime was sampled from the empirical autofluorescence lifetime distribution, where the background was subtracted from the average autofluorescence lifetime histogram.

4. Afterpulse and background fluorescence

The afterpulse ratio of the PMT was derived from the IRF histogram and the background fluorescence measurement described above. Then the photons per channel were averaged at the end of the IRF histograms, where the distribution was even across time channels. The number was subtracted by the background fluorescence and the result was used as the afterpulse. Subsequently, the ratio between the number of photons contributing to the afterpulse and the total number of photons from the sensor fluorescence was calculated as the afterpulse ratio. This ratio was determined to be 0.32% for GaAsP PMTs.

Afterpulse and background fluorescence were simulated by sampling with replacement from an even distribution across time channels. The number of photons contributing to background

fluorescence ($F_{background}$) was determined from autofluorescence fitting. Up to 10% fluctuation was introduced to the number of photons with the random draw of an integer within the range of $F_{background}$*(1±5%). For the low background conditions in Fig. 7, the number of photons contributing to the background was half of the background photon count for the remaining figures. The number of photons from the afterpulse was determined by the afterpulse ratio (0.32% for GaAsP PMTs and 0 for hybrid detectors) multiplied by the number of photons from the sensor fluorescence.

FLIM analysis

Two metrics were used for subsequent data visualization and analysis. First, the fluorescence lifetime histograms generated from simulation or experimental data were fitted by Equation 2 with the Gauss-Newton nonlinear least-square fitting algorithm. Fitted P_1, corresponding to the proportion of slower decay (2.14 ns), was used for data visualization and analysis. Second, the empirical lifetimes of all the photons were calculated as follows:

$$empirical\ lifetime = \frac{\sum(F(t)*t)}{\sum F(t)} \text{ (Equation 5)},$$

in which t is the lifetime of a specific time channel, and $F(t)$ is the photon count from that time channel. The lifetime range from 0.489 ns to 11.5 ns was used for both P_1 fitting and empirical lifetime calculations.

Quantification and statistical analysis

For each simulated condition, the mean and STD of the fitted P_1 or the empirical lifetime of the 500 simulation repeats were calculated.

For Figs. 3 and 4, the minimum detectable difference (MDD) was calculated by:

$$MDD = z * SE\ (\widehat{diff}) \text{ (Equation 6)},$$

where SE refers to the standard error, and $\widehat{diff}$ is the estimated mean difference between two distributions. With a significance level of 0.05 and a power of 0.8, the z value is 2.806. which was used for the calculations in this study. Under a certain sensor photon number, the STD of the two metrics under different P_1 conditions (condition 1 and condition 2) were similar. Thus, given a certain sensor photon count, the STD under P_1 condition (0.5 in Fig. 2) was used to calculate the MDD:

$$MDD = z * \frac{\sqrt{STD_{(condition\ 1)}{}^2 + STD_{(condition\ 2)}{}^2}}{\sqrt{n}} \sim \frac{z*\sqrt{2}*STD}{\sqrt{n}} \text{ (Equation 7)},$$

where n is the number of data pairs used to analyze whether there was a significant change in the fitted P_1 or empirical lifetime.

For Figs. 6 and 7, to determine whether a certain amount of sensor expression-induced apparent change in the fitted P_1 or empirical lifetime was significant, t tests were used to compare whether there was any statistically significant difference between two distributions with the same simulated P_1 but different photon numbers. The critical value of the t statistic is z = 1.96 for a significance level of 0.05. The equation $z * SE\ (\widehat{diff})$ was used to calculate the fitted P_1 or empirical lifetime

difference that would be statistically significant. As the photon count increased, there was an intersection where the mean fitted P_1 or empirical lifetime difference between the two distributions became less than the difference that would reach statistical significance, and this intersection point (determined by linear interpolation of the curves plotted on a log scale for both axes) was used to determine the minimum number of sensor photons required to tolerate a specific amount of change in sensor fluorescence.

Detailed information on the quantification, sample size, and statistical tests used are summarized in the Figure Legends, Figures, and Results. T tests were performed to test whether two distributions had equal means. For analysis of variance, one-way or two-way ANOVA was performed followed by multiple comparison tests.

Simulation and analysis of multiplexed imaging with fluorescence intensity and lifetime data

For Fig. 8 and S2, the simulations were performed with a laser cycle of 50 ns to capture the fluorescence decay curve of Sensor 2 with a longer lifetime constant. The fluorescence lifetime histograms of sensor 1 and sensor 2 were simulated as single exponential decays:

$$F(t) = F_0 e^{\frac{-t}{\tau}} \otimes IRF \quad \text{(Equation 8)},$$

where the decay constants τ for sensor 1 and sensor 2 are different.

To simulate the fluorescence lifetime with single exponential decay, we generated a population of photons with Equation 8 with F_0 equal to 1,000,000. For sensor 1, the population was generated with τ = 2.0 ns. For sensor 2, the population was generated with τ = 2.5, 3.0, 3.5, 4.0, or 6.0 ns.

Fluorescence lifetime histograms of sensor 1 and sensor 2 were generated by sampling from the corresponding population, followed by IRF convolution. The histograms of sensor 1 and sensor 2 were added together as the combined histogram. Autofluorescence and background signals were simulated with the same probability density function as above but with 3.2 fold of photon numbers to accommodate for the longer acquisition time needed with a longer laser cycle to reach the same number of photons. Afterpulse was added proportional to the sensor photons as described above.

The combined histograms were fitted by a double exponential decay (Equation 2), with fixed τ_1 and τ_2 that were used for the simulation that generated the histograms. The fitting was performed with the Gauss-Newton nonlinear least-square fitting algorithm. F_0, P_1, and P_2 generated from the fitting were used to calculate the number of photons that contributed to sensor 1 and sensor 2, respectively.

The statistical power to detect the difference between two distributions of sensor intensity was calculated as follows:

$$\beta = 1 - normcdf\left(1.96 - \frac{\Delta I}{SE\ (\widehat{diff})}\right) \quad \text{(Equation 9)},$$

where *normcdf* is the cumulative distribution function of a normal distribution, ΔI is the intensity (photon number) change to be detected, SE refers to the standard error, and $\widehat{diff}$ is the estimator of the mean difference between two distributions.

The relationship between the statistical power β and the intensity change ratio ($\Delta F/F_0$) was fitted to a 5-parameter logistic curve:

$$\beta_{(\Delta F/F_0)} = D + \frac{A-D}{(1+(\frac{\Delta F/F_0}{C})^B)^E} \text{ (Equation 10)},$$

where A, B, C, D, and E are constants in the equation. The intensity change ratio corresponding to a statistical power of 80% is determined by solving the equation with $\beta_{(\Delta F/F_0)} = 0.8$ and defined as the minimum detectable $\Delta F/F_0$.

Data and code availability

All data needed to evaluate the conclusions in the paper are included in the paper. The MATLAB functions for simulation are deposited at https://github.com/YaoChenLabWashU/Publication/tree/main/Simulation_manuscript. The MATLAB programs for ScanImage for data acquisition and analysis are available at https://github.com/YaoChenLabWashU/2pFLIM_acquisition (DOI: 10.5281/zenodo.10031982).

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Formal Analysis: PM and YC

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Visualization: PM

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Competing Interests Statement

The authors declare no competing interests.

Supplementary File 1 includes Supplementary Figures 1 and 2

Supplementary File 1: Supplementary Figures 1 and 2

The promise and peril of comparing fluorescence lifetime in biology revealed by simulations

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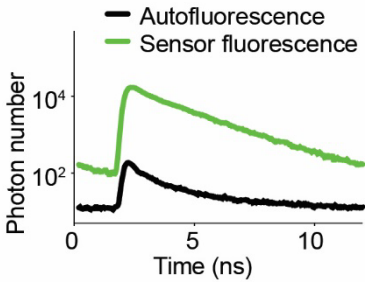
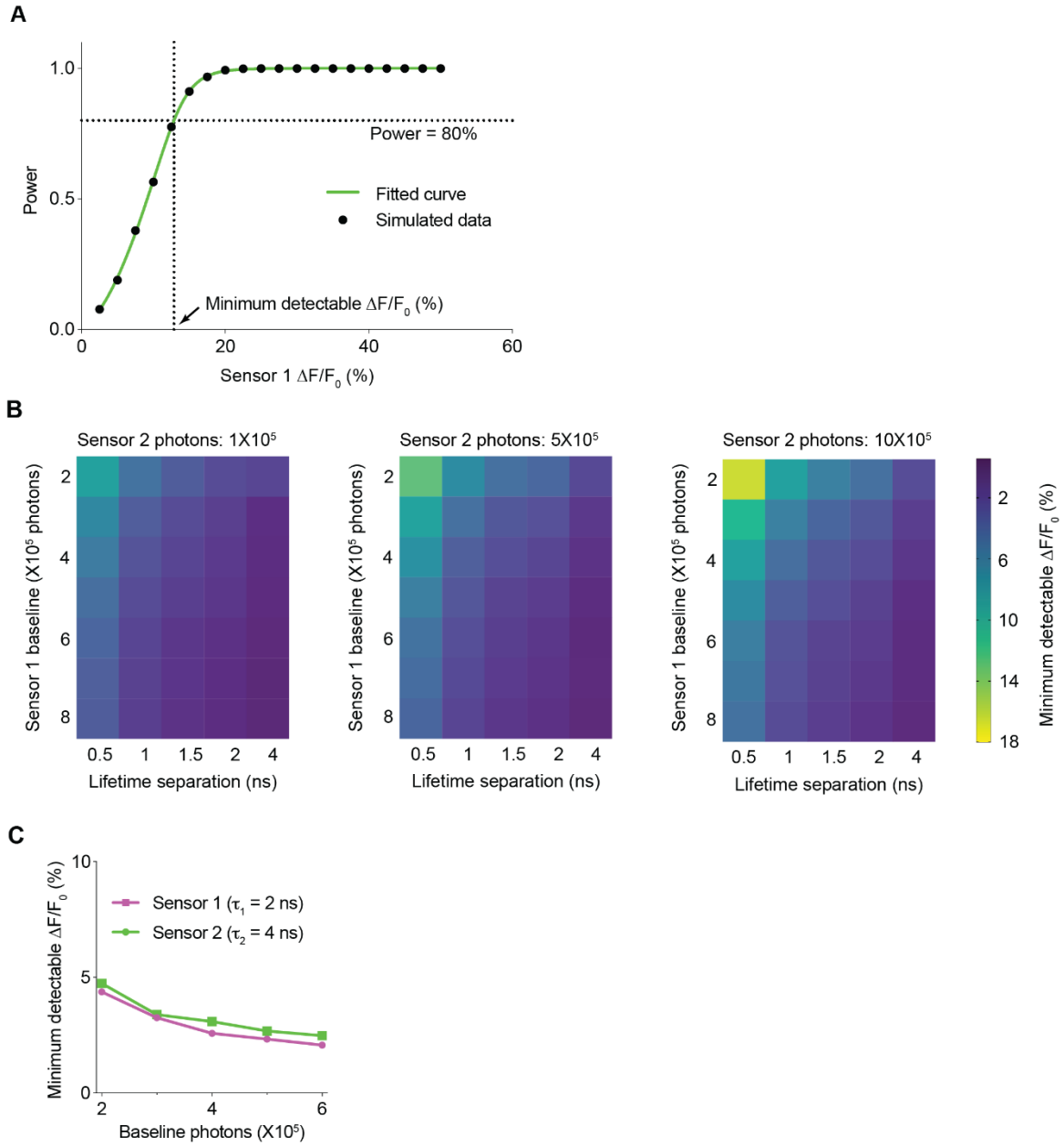
Supplementary Figure 1



Supplementary Figure 1. Comparison of the fluorescence decay of sensor fluorescence and autofluorescence.

Fluorescence lifetime histograms of sensor fluorescence and autofluorescence. Note that autofluorescence has lower photon counts and shows faster decay compared with sensor fluorescence.

Supplementary Figure 2



Supplementary Figure 2. Minimum detectable intensity change across diverse experimental conditions for multiplexed fluorescence lifetime imaging.

(**A**) Method of interpolating the minimum detectable intensity change to reach 80% statistical power. Statistical power and sensor 1 intensity change were fitted to a 5-parameter logistic function to calculate sensor 1 intensity change that gives a statistical power of 80%. Data are based on 500k sensor 2 photons, 200k sensor 1 baseline, and 0.5 ns lifetime separation between the two sensors.

(**B**) Heatmaps showing the minimum detectable intensity change of sensor 1 to reach 80% statistical power, with different sensor 2 photons, sensor 1 baseline, and lifetime separation

between the two sensors. Note that minimum detectable intensity change decreases as sensor 2 photons decreases, sensor 1 baseline increases, and lifetime separation increases.

(**C**) Minimum detectable intensity changes of sensor 1 and sensor 2. Simulation assumed that the two sensors had the same baseline intensity, and both had a dynamic range in intensity that spanned from 1 to 2 fold of the baseline.