The choice-wide behavioral association study: data-driven
identification of interpretable behavioral components

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Behavior contains rich structure across many timescales. However, there is a dearth of
methods to identify relevant components, especially over the longer periods required for
learning and decision-making. Inspired by the goals and techniques of genome-wide
association studies, we present a data-driven method—the choice-wide behavioral
association study: CBAS—that systematically identifies such behavioral features. CBAS
extracts sequences of actions or choices that either significantly differ between groups or
correlate with a covariate of interest, using a powerful resampling-based method to correct
for multiple comparisons. We illustrate CBAS through application to tasks performed by flies,
rats and humans, showing that it provides unexpected and interpretable information in each
case.

INTRODUCTION
Understanding how behavior differs between or among groups of humans or other
animals is critical for generating and testing hypotheses about the functional role of genes,
neural circuits, and regions of the brain. It is also essential for characterizing neurologic and
psychiatric dysfunction[1]. However, behavior is highly complex, evolving over multiple
timescales and exhibiting substantial path dependencies due to individual experience[2–6]. To
deal with these complexities, it is increasingly popular to collect large datasets through
automated behavioral paradigms, and to analyze them using computational and machine
learning methods[7–16]. There are two main computational approaches[17,18]: top-down/model-
dependent, and bottom-up/data-driven. Model-dependent methods are substantially more
prevalent in the analysis of behavior; however, data-driven methods dominate in other areas
with rich and complex findings and afford the possibility of addressing some of the many
limitations of top-down approaches.

In model-dependent analyses, behavioral data, such as choices in a decision-making
task, are processed under the specific assumptions of a hypothesis or model. If the model or
hypothesis is correct, this is highly efficient, since large volumes of data can be reduced to a
handful of semantically meaningful parameters, such as learning rates or differential sensitivity
to rewards or punishments. By finding specific parameters whose values differ significantly
between groups, or correlate with facets of those groups, model-dependent analyses conflate
identification with interpretation. That is both their strength and their weakness. If the model is
correct, it allows for the difference or correlation to be directly interpreted in terms of the
parameters concerned; however, if the model is incorrect or limited, confirmation bias[19]
imposes an incorrect interpretation on the difference or correlation. That is, even when
substantial effort is put into building multiple alternative models, and comparing them in a
statistically rigorous manner, it remains possible that the best fitting model nevertheless fails to
characterize the behavior properly. This limits the interpretability of the model or the
interrogation of hypotheses. In the worst cases, model and hypothesis-based analyses offer
post-hoc explanations for any difference that can be found in a behavioral dataset[20].

Data-driven analyses start from the other end, characterizing behavior without relying
on parametric assumptions, and making very few assumptions about how the data are
generated. Some of these approaches are unsupervised, for instance finding clusters in
behavioral space and comparing them between groups[12,21,22]; others are more supervised,

directly looking for discriminative differences between populations or individuals[7–10]. By not
trying to shoehorn data into a limited set of parameters, these methods should be more
sensitive; however, comparisons between groups pose severe statistical challenges, because of
the complexity and dimensionality of behavioral datasets; and interpretation remains a
challenge.

Modern machine learning methods[23–25] can sit between model-dependent and data-
driven camps. They have the particular benefit of providing useful lower bounds for how well
hypothesis-driven models should fit but often struggle with convincing interpretability and data
efficiency.

Here, we present the choice-wide behavioral association study (CBAS), a novel data-
driven analysis method designed to identify sequences of choices (or other discrete behavioral
features) that differ between or among groups. CBAS has two components: 1) breaking down
behavior into a comprehensive language that allows comparisons to be made between two
groups or to assess correlation with a covariate of interest; and 2) using rigorous, resampling-
based, corrections to account for the resulting large number of comparisons and to maintain
statistical power despite statistical complexity in the data. CBAS breaks the conflation between
detection and interpretation of model-dependent analyses because it is designed simply to
identify differences or find correlations with a covariate. The presence (or absence) of that
significance is interpretation-free. However, by design, the output of CBAS provides a rich and
rigorous substrate for interpreting behavior, for testing the adequacy of models and
hypotheses concerning the source of behavioral differences, and our method provides a
general data-driven framework to advance our resulting understanding.

RESULTS
Choice as a common discretization for behavior
The development of CBAS was motivated by the powerful data-driven approaches of
genome-wide association studies (GWAS), whole exome sequencing (WES) and whole genome
sequencing (WGS)[26]. Prior to the wide-scale implementation of these methods, candidate gene
studies that attempted to associate candidate genes with phenotypes were often
underpowered and failed to replicate[27–29]. It has been argued that many data-driven behavioral
analyses suffer the same problems[30]. GWAS/WES/WGS famously solved the problem of
statistical reliability by employing rigorous multiple-comparisons correction. These corrections
depend on the discrete representation afforded by base-pairs[31,32]. CBAS follows an equivalent
statistical path, and also requires a similarly appropriate, and potentially general, discretization,
but for behavior. In many cases, choices provide just such a discretization (Fig 1a).

We apply CBAS to three tasks in three diverse species—flies, humans, and rats—to show
the breadth of applicability of CBAS. For simplicity and clarity, we describe the motivation and
development of CBAS using one of the tasks and then show its application to the other tasks
below. The task that we will initially use to describe CBAS involves drosophila walking on a y-
maze (Fig 1a; left). The flies are tracked as they spontaneously make the choice of going to
either the left or right arm after leaving a current arm[31]. This left/right discretization of the task
has enabled many conclusions to be drawn about the genetic nature of individual variability[31–
[36]. Here, we compare the choices of two outbred strains of fly, Cambridge-A (CA) and w1118,

from a publicly available dataset[31]. The w1118 strain is the background strain for many
transgenic flies[31]. Analyses in the original paper[31] hypothesized a potential source of the
difference between the groups: handedness, or the preference for left or right turns, by the
individual flies; however, there are many different ways in which that might manifest, and the
rich dataset combined with CBAS allows multiple possibilities to be evaluated.

103 CBAS evaluates all sequences of choices up to a set length
Using choice as the basis of the comparison for the behavioral analysis requires an
additional consideration beyond what is done for the genome with base-pairs. For
GWAS/WES/WGS, an individual base pair can be a meaningful unit of information (although this
is only a partial story[37,38]) that can be compared between subjects. However, isolated choices
are rarely meaningful units by themselves, as the choices that precede and follow them can
change their interpretation. CBAS does not just evaluate the occurrence of individual choices,
but, rather, the occurrence of all sequences up to a certain, user-defined, length. In general, the
longer the sequences, the more data and computational resources will be necessary, but the
richer the aspects of behavior that can be encompassed.

For the fly spontaneous alternation behavior, we applied CBAS to all sequences of
choices of turns up to a length of 10. For each sequence of choices, all instances of that
sequence up to a criterion of 250 choices are found in the dataset, and the rate of usage of that
sequence in the two populations is used as the point of comparison at the basis of CBAS (Fig 1b
shows one particular example sequence).

Correcting for the many comparisons inherent in evaluating the occurrence of such
sequences is complicated by the fact that their incidence can be highly correlated. Standard
methods to correct statistically for multiple comparisons (e.g. Bonferroni, Holm, Benjamini-
Hochberg, Benjamini-Yekutieli) are underpowered for correlated data. Instead, we use an
approach based on resampling to correct for the multiple comparisons—called the Romano-
Wolf method. This approach retains power in the face of correlations[39]. In practice, we set the
significance threshold according to median control of the false discovery proportion at 5%. This
control is comparable to 5% control of the false discovery rate, which provides mean control of
the false discovery proportion[40].

Using the Romano-Wolf method for resampling-based multiple comparisons
correction[39,40], CBAS identifies many sequences of choices that differ significantly between the
two strains of flies in the spontaneous alternation task (1,605/2,046 sequences; Fig 1c). We are
also able to determine the sample size required to provide ~80% power to detect a difference
at this level of statistical certainty, using subsampling of the data (Fig S1).

132 CBAS identifies interpretable differences for fly spontaneous alternation
CBAS identifies many sequences that significantly differ between the CA and w1118 fly
lines. Upon inspection of all of the significantly different sequences, a clear, interpretable,
contrast is apparent between those sequences that occur more in the CA line and those that
occur more in the w1118 line (Fig 2a). The CA line utilizes sequences with extended numbers of
the same turn in a row, whereas the w1118 line utilizes sequences with more frequent changes
in the direction of turning. Therefore, CBAS not only identifies that there is a difference

between the two fly lines, but it also provides information to support an interpretation as to
the nature of the difference.

The paper from which this open-source data comes from highlights the handedness of
the individual flies, whereby individual flies show a propensity towards either right or left
turns[31]. Such an observation creates a straightforward testable hypothesis about the nature of
the difference between the two lines, i.e., that the lines differ in the extremes of their
handedness bias, with individual CA flies hypothesized to being more extreme in their left/right
turn bias than the w1118 lines. This hypothesis can be formalized by randomly generating
virtual twin subjects by sampling turns according to the left/right turn biases of each individual
fly. CBAS can compare this turn bias model of the lines, through generating an expectation for
what its output would look like if the lines solely differed based on the left/right turn bias (Fig
2b). The CBAS results from the data are inconsistent with this hypothesis (judged by the
numbers of sequences that are significantly different in two transparent metrics).

Instead of modeling the choices of the individual flies as being generated by a left/right
bias on each turn, we could instead generate the turns based on the bias of the individual flies
to persist in their direction of turning (i.e., turning in the same direction as their previous turn).
If we generate virtual twin subjects by sampling turn directions according to these one-step
persistence biases of each individual fly—persistence rate—the resulting CBAS output is closer
to the data than the left/right turn bias but still is inconsistent overall (Fig 2b). However, if the
choices of virtual twin flies are generated by using the distributions of persistence for each of
the number of turns in a row from each individual fly—persistence distribution—then the CBAS
of that model almost perfectly matches the CBAS output of the data according to our metrics
(Fig 2b).

Graceful decay of CBAS output with decreasing group size
We exploited the very large numbers of flies in the spontaneous alternation dataset to
understand how the output of CBAS behaves with different sample sizes. This determines our
ability to make conclusions and derive interpretations from fewer subjects. We first evaluate
the number of significant sequences identified from smaller group sizes as a fraction of the total
number of significant sequences identified with the full dataset (Fig 3a). As expected, with
smaller group sizes, we find fewer overall significantly different sequences; however, across the
range of group sizes evaluated, the median fraction of sequences was larger than the fraction of
the population being used in the smaller group CBAS (Fig 3a). This indicates that at smaller
group sizes, the proportion of sequences identified by CBAS for these subjects grows faster
than the proportion of subjects in the CBAS. This provides a rapid increase in the amount of
information provided by CBAS as the sample size increases.

We next evaluate the fraction of the sequences identified by CBAS for the smaller sized
groups that are not identified in the CBAS on the full dataset (which we might interpret as false
positives). Since we control the false discovery proportion and not the familywise error rate, we
do not expect this value to be zero; however, it was consistently small across all the group sizes
evaluated (Fig 3b). The medians across the different repeats of the same sample sizes across
the different sample sizes are all less than 2%.

Finally, we evaluated the similarity of the sequences identified by CBAS with
nonoverlapping sets of subjects with the same group size (Fig 3c). At smaller groups sizes (40
per group), this overlap could be quite low (median 24.4%), even though there was sufficient
evidence to discriminate the strains (Fig. S1). This means that the specific sequences identified
by CBAS can be quite variable from one experiment to the next, especially at smaller group
sizes. Given that, we sought to understand if the structure of the sequences comported with
the conclusion from the full dataset—that the CA line uses more of the same turns in a row and
the w1118 line more frequent changes in direction of turn. Even though the overlap between
CBAS on different groups might not be that high (Fig. 3c), the sequences identified still follow
the same structure as the full dataset in regard to number of the same turns in a row (seen
across the repeats for each group size in Fig 3d). As the group size increases, the output of CBAS
becomes more consistent, and more similar to the results from the full dataset (Fig 3e),
licensing more generalized conclusions.

CBAS can also correlate sequences of choices with a covariate of interest
The second task to which we apply CBAS is the two-step task, developed to test the
interplay between model-based and model-free (reinforcement) learning algorithms[41] (Fig 1a;
middle). In this task, subjects choose between pairs of images at two different stages. The
image choice at the first stage stochastically governs the pair of images from which the subject
can choose at the second stage, and which enjoy drifting individual probabilities of delivering
reward when picked. Model-dependent analyses of variants of this task (which make inferences
based on the stochasticity in the transition between first and second stages) have led to
conclusions about the algorithms used in different brains regions[41,42] and differences that
underlie psychiatric symptoms[43], notably compulsivity. However, the interpretations are not
without controversy[44], and the complexity of behavior makes it difficult to evaluate ways in
which the model might be missing features in the data.

Data for the two-step task come from a large population of human subjects in the open-
source dataset from Gillan et al.[43]. We applied CBAS to all sequences of up to 4 choices long
over the course of the 200 trials—400 total choices—of the task. Following Akam et al.[42] we
collapse image 3 and 4 into set A and image 5 and 6 into set B because the specific images
within the set are not relevant for the critical decision at the first stage. Choices that are
rewarded are treated as distinct from those that are not rewarded, as those choices can lead to
different behaviors. That means that the sequence 2**A**1 is different from 2a1, where the upper-
case emboldened letter indicates that a reward was received.

In building the two-step task dataset, the authors sought to examine how behavior
varied along continuous trait dimensions. They did this by performing factor analysis on the
answers to a series of psychiatric symptom questionnaires and showing that the way subjects
performed that task was correlated with one of the factors (factor 2) that was associated with
compulsive behavior and intrusive thoughts (CBIT)[43]. Therefore, we extended the CBAS so that
it could also evaluate such correlations. We applied CBAS to the correlation between the
sequence usage for each subject and their CBIT score (Fig 1b), finding 31/408 sequences to be
significant (Fig 1c).

CBAS provides evidence for testing model-dependent analyses of the two-step task

To understand the output of CBAS for the two-step task, we review the expectation
associated with the hypothesis-driven analysis of this experiment. The two-step task was
designed to evaluate the interplay between model-based and model-free decision making[41]
based on the stochastically rare transitions (from image 1 to set B; and image 2 to set A).
Model-based decision making develops an understanding of the structure of the world (which is
the model) and makes choices based on that understanding. Model-free decision making makes
choices based on reinforced past successful actions, without developing an understanding of
the structure of the world. A way to see the difference between these two decision-making
schemes is when a learner chooses image 2 at the first step, makes an unlikely stochastic
transition to set A, and gains a reward at this second step ('2**A**' in our language). A regular
model-free learner will reinforce the choice of image 2 (along with the image chosen at A) and
will therefore be more likely to choose image 2 on the next trial. By contrast, a model-based
learner will be more likely to choose image 1 on the next opportunity, based on the observation
that this will make the transition to set A more likely (because of the common/rare transition
structure in the environment)[41].

We evaluated all of the sequences that CBAS found as either significantly positively or
negatively correlated with CBIT (Fig 4a). CBAS identified a positive correlation with many
sequences involving being rewarded at A and then selecting image 2 or being rewarded at B
and then selecting image 1. In particular, the structures 1**A**2 or 2**B**1 occur commonly in the
positively correlated sequences. These behavioral motifs are inconsistent with either model-
free or model-based learning, as the subjects get rewarded after choosing from the common
side (A from 1 or B from 2) but then select the image that will rarely bring them back to the
previously rewarded side (2 from A or 1 from B). The model-based decision maker would return
to 1 as that is the side that would commonly go to set A where there was the reward. The
model-free decision maker would also return to 1 as that was the side that was reinforced as
being connected to the recent reward at A.

We next used CBAS to test whether the combined model-based/model free
reinforcement learning (MB/MF RL) model used by Gillan et al.[43] which has parameters
describing model-based and model-free decision making and the propensity to employ each,
correctly captures the data. To do this, we generated virtual twin choices for each subject based
on fits of each subject to this model and ran CBAS on the model output (Fig 4b). This led to a
positive correlation between CBIT and the model inconsistent sequences with the choices 1**A**2
and 2**B**1, like the human data. However, there was the important difference in that CBAS
identified a positive correlation with the unrewarded versions of those units (1a2 and 2b1) that
was not present in the human data.

CBAS therefore identified an important failing in the MB/MF RL model. We can explain
this by noting that this model has a parameter for "stickiness"—the propensity to continue to
choose the same of the first images (1 or 2) in a row. Decreased stickiness would also
comparatively favor sequences that change the first image, including 1**A**2, 1a2, 2**B**1 and 2b1.
Indeed, in our fits, along with the negative correlation between the propensity to employ
model-based choices and CBIT ($\rho = -0.08; p = 1.7x10^{-3}$) reported by Gillan et al.[43], there was

also a negative correlation between the stickiness parameter and CBIT ($\rho = -0.11; p = $
$1.6x10^{-5}$).

As an alternative, we generated behavior based on just model-inconsistent choices. That
is, we created a virtual twin of each subject s from the MB/MF RL model by hybridizing the rate
with which that subject performed model-inconsistent choices with choices that were
otherwise generated according to the fit parameters for a single, reference subject s*. The
reference subject s*, was randomly chosen for each of the 50 repeats. That is, we used the
MB/MF RL model based on s* to generate data, but every time the model produced 1**A** or 2**B**
we probabilistically selected the next choice according to the overall model-inconsistent rate of
subject s (but then continued to generate choices as if nothing else had changed). This ensures
that the majority of choices came from a subject with a single CBIT value, and only the choices
following 1**A** or 2**B** were manipulated (19% on average). The CBAS results from this model-
variant were much closer to the CBAS output of the data in the metric reported (shown in the
'Model inconsistent' results in Fig. 4b). Furthermore, when we fit the output of the model-
inconsistent variant of the model to the MB/MF RL model, we found that a positive correlation
between model-inconsistent choices and CBIT alone can appear as a negative correlation
between the model-based parameter of the model and CBIT (Fig 4c).

CBAS identifies a hippocampal dependent strategy for spatial alternation learning
The third, and final task we evaluated with CBAS is spatial alternation behavior in rats.
For this task, to get reward, the rats must alternate between pairs of arms of a track whilst
visiting a different arm of the track in between (Fig 1a; right). Spatial alternation is a common
behavioral paradigm for phenotyping and neurophysiology, and the discretization of the
behavior into the arms chosen by the animals forms the basis of many of the conclusions from
these studies[45–49]. However, our recent work calls into question the assumptions and
hypotheses that motivate the standard analysis for spatial alternation behavior[50,51]. Such
limitations could even be general across other tasks used to evaluate memory[52]. Furthermore,
even though we have developed many variants of reinforcement learning agents to fit
individual behavior, these agents learned in ways that were very evidently different from the
animals[51], limiting their use for phenotyping. Here, we use CBAS to evaluate the role of the
hippocampus in this task by comparing rats with lesions to their hippocampus to rats that
underwent control surgery.

For the spatial alternation task, we applied CBAS to all sequences of arm choices up to 6
choices long over the first 800 arm choices of the rats. As with the two-step task, rewarded
choices are treated differently from unrewarded choices. As with the fly spontaneous
alternation dataset, CBAS compared the rate of usage of each sequence between the
populations of hippocampally-lesioned and control rats (Fig 1b; right). 409/24,342 sequences
differed significantly (Fig 1c).

CBAS identified many sequences discriminating the fly strains. However, the
dimensionality of the task is quite low, so it is fairly straightforward to structure all of the
sequences to develop an interpretation (Fig 2). By contrast, CBAS did not identify that many
sequences in the two-step task that significantly correlated with CBIT, so the extra complexity
and dimensionality of this task did not prevent us from directly evaluating all the sequences to

develop an interpretation (Fig 4). For the case of rat spatial alternation, CBAS identified a good
number of sequences, and the task is complex and high dimensional, making it a challenge to
directly develop an interpretation of the output of CBAS.

Therefore, we developed an analysis method that takes advantage of the structure of
the sequences at the output of CBAS to help inform an interpretation of the spatial alternation
behavior. CBAS evaluates all sequences up to a certain length, and so sequences with shared
and overlapping structure might all be significant. We therefore defined the notion of a
"complete" target sequence (Fig S2) as one with the property that all sufficiently prevalent
longer sequences that contain it are found by CBAS to differ significantly in the same way as the
target (e.g., all are found to be greater in the control than the lesion rats). Effectively, a
"complete" sequence has the property that no matter what happens before or after that
sequence, the series of choices remain significantly different between the groups. Such
sequences are a powerful way to simplify the complex behavior.

We find "complete" sequences that the control rats do more than the lesion rats and
that the control rats do less than the lesion rats (Fig 5a). Inspection of these sequences provides
two axes to compare all of the significant sequences. The "complete" sequences that the
control rats use more than the lesion rats show systematic exploration of the arms by largely
continuing in the same direction and transitioning mostly to neighboring arms. These features
are much less the case in the "complete" sequences that the control rats do less than the lesion
rats. We used these two axes to compare all the significant sequences (Fig 5b). Consistent with
the finding for "complete" sequences, sequences that the control rats use more than the lesion
rats tend towards higher directional inertia—the propensity to continue in the same direction—
with smaller overall transition distance.

The hypothesis generated by the "complete" sequences and verified across all of the
significant sequences, motivates a relatively straightforward metric by which we can evaluate
all of the choices of the rats for comparison between the two groups. We quantified the
transition normalized directional inertia in the control and lesion rats. This metric measures, for
each choice, whether that choice continues in the same direction as the preceding choice and
normalizes it by the number of arms transitioned. For example, choosing arm 3 after coming
from 2 and 1 (sequence 1-2-3) has a transition normalized directional inertia of 1, choosing arm
4 after coming from 2 and 1 (sequences 1-2-4) has a transition normalized directional inertia of
0.5, and choosing arm 1 after coming from 2 and 1 (sequence 1-2-1) has a transition normalized
directional inertia of 0. Lesion and control rats show a clear and significant difference in their
transition normalized directional inertia (Fig 5c).

Although "complete" sequences were not used to interpret the fly and human CBAS
outputs, evaluating them would lead to identical conclusions (Fig S3).

CBAS generated hypothesis replicates for spatial alternation
The fact that the transition normalized directional inertia is significantly different
between the control and lesion rats, is partly a circular claim. We motivated the metric based
on the sequences identified by CBAS as differing between the groups. It did not have to be the
case that the metric would differ across all the choices of the animals (as opposed to just the

significant sequences), but it should not be overly surprising that it does. Therefore, we sought
to replicate our understanding in a separate dataset of hippocampal lesion and control rats.

Even with a smaller sample size, CBAS identifies differences due to the hippocampal
lesioning (Fig 6a), consistent with the power calculation on the initial dataset (Fig S1e&f). The
sequences identified by CBAS separate along the two axes identified by the "complete"
sequences from the initial dataset (Fig 6b). This comportment of the structure of the sequences
with a smaller sample size is consistent with what was found with subsampling the fly data (Fig
3d). Consistent with the hypothesis from the initial dataset, the groups significantly differ in
their transition normalized directional inertia (Fig 6c). Indeed, we even replicated specific
sequences across the two datasets (Fig 6d). Interestingly, a much larger fraction of the
sequences that the control rats use more than the lesion rats replicate compared to the
sequences the control rats use less than the lesion rats. This is consistent with the overall
hypothesis that the hippocampus enables a learning strategy that systematically engages with
the arms of the track through moving in the same direction and transitioning to nearby arms.
Without a hippocampus that systematic behavior goes away, exposing less systematic choices,
that inevitably will be less likely to replicate between samples.

DISCUSSSION

We have presented a general data-driven behavioral analysis method, CBAS, for
identifying interpretable behavioral components that is grounded in sequences of choices made
by subjects. There has been significant progress, in recent years, in tracking and analyzing, short
timescale actions of subjects[7–16]; however, we lack methods for generally analyzing and
interpreting sequences of these actions or choices and decisions of subjects that unfold over a
longer period than moment to moment movements. CBAS provides just such a method and is
applicable across a wide array of species and different behavioral paradigms (Fig 1). It can be
used to test models and hypotheses (Fig 2&4), and, for instance, using generalizable simple
principles about the relationship between sequences, it can generate hypotheses in complex
behaviors where reliable computational understanding has yet to emerge (Fig 5&6). Through
taking advantage of large-scale data collection and rigorous statistical methods, CBAS has the
potential to transform our use of behavior in a comparable way to how GWAS/WES/WGS
changed the paradigm for genomic studies.

Somewhat surprisingly, in all tasks, CBAS provides information and generates
interpretations that are either inconsistent with, or unexpected from, the prior understanding
of these data and tasks. For the flies, as mentioned above, the dataset came from a paper
characterizing the existence of handedness in these flies, as manifested by extremes in
individual preferences for left or right turns[31]. The output of CBAS on these data allowed for the
testing of generative models to explain that handedness. The most straightforward model that
one could postulate based on the hypothesis of handedness is not consistent with the data (Fig
2b); whereas a model drawing upon the distribution of individual flies to persist in the same
direction for a range of the same turn in a row was almost indistinguishable from the data
according to our metrics. Therefore, CBAS generates testable hypotheses as to underlying
computational structure that these flies draw upon as they perform this behavior.

387  For the two-step task, the CBAS results provide an alternative interpretation for the
388 relationship between the task and individual CBIT levels. Previously, these data were
389 interpreted to mean that individuals with more CBIT are less likely to draw upon model-based
390 planning[43]. The CBAS results indicate that the relationship with CBIT rests more on the increase
391 of model-inconsistent choices with CBIT (Fig 4a&b), and that that increase alone could appear
392 as a negative correlation with model-based planning, even if there was in reality not one (Fig
393 4c). What an increase in model-inconsistent choices means in the context CBIT is something
394 that should be explored in the future.

395  The result that the hippocampus is involved in spatial alternation behavior is not a new
396 one. There have been prior reports of changes to spatial alternation behavior in the context of
397 hippocampal lesioning[45] and manipulation[48,53]. However, all of the prior work occurred from
398 the prevailing perspective of spatial alternation exclusively reflecting memory allocation,
399 something we have recently shown to be inconsistent with the way in which the rats learn[50,51].
400 Guided by the results of CBAS we find that the hippocampus is responsible for implementing a
401 specific strategy (or set of strategies) whereby the animals systematically move across the track
402 and transition between closer arms as they learn. This strategy is far more consistent with the
403 hippocampus implementing a structuring of the task space as described in recent models of
404 hippocampal function[54,55], than with the typical memory function assumed in the prior studies
405 of spatial alternation behavior.

406  These three tasks were just the first ones to which we applied CBAS; they were not
407 selected from a larger set of tasks and used for illustrative purposes. We strongly anticipate
408 that there will be comparable benefits to applying CBAS and other data-driven methods to a
409 broad array of datasets and behavioral tasks to provide a stronger foundation for our
410 understanding of behavior. The ability of CBAS to identify differences or correlations in a
411 dataset is directly built into its function. However, the ability to interpret the differences or
412 correlations found remains nontrivial. We have provided examples of ways to extract
413 interpretable information from the sequences output by CBAS and have developed a general
414 analysis ("complete" sequences) to assist in that process. However, there remains room for
415 future work to assist in going from the identification of a difference or correlation by CBAS to
416 understanding and interpreting what those differences and correlations mean. Of course this is
417 in no way a unique problem to CBAS. Genomics methods (GWAS/WES/WGS) similarly require
418 secondary and follow up analyses.

419 **Considerations for the application of CBAS to datasets**
420  To apply CBAS to a dataset, there are some decisions that need to be made. At a
421 fundamental level, CBAS requires a discretized description of the behavior. This was motivated
422 by the common use of choices to describe behavior (Fig 1a). Furthermore, there is evidence
423 that, at a rather fundamental level, behavior occurs through discrete choices[12,56]. CBAS is not
424 currently capable of working on continuous data. The discretization informs the language that is
425 used to make up the sequences that form the basis of the statistical evaluation within CBAS. In
426 deciding on the language there is a range of biases that can be imposed with different
427 decisions. For example, with the two-step task, we combined the second image choice into sets
428 A or B. This prevents CBAS from differentiating a difference in choices at that level. Based on
429 the literature we deemed that bias to be justified, but it is a bias, nonetheless.

A next decision to make is the length of sequence up to which CBAS will evaluate. The
longer the sequences, the more information CBAS can provide, but the more data and
computational resources that will be necessary. If the language is large, i.e. there are many
things that can happen in the behavior at any point in time, and the transition matrix between
one choice and another is not sparse, then computational resources might not be feasible to
calculate the statistics underlying CBAS, especially if longer sequences are evaluated.
Additionally, it is necessary to specify a criterion for the total number of choices per animal or
session that are decomposed to form the sequences that are compared. Although it is possible
just to include all the data, this might introduce bias if the groups have different total numbers
of choices overall. Conversely, one might try and study aspects of learning or the acquisition of
competence by applying CBAS to restricted portions of the behavior. It would also be possible
to use a discrete language that characterizes aspects of behavior that unfold over longer
timescales (for instance, defining a discrete language using unsupervised clustering over
windows of choices), or indeed to employ a multi-scale description.

Finally, CBAS either needs to compare groups or correlate with a covariate of interest.
Currently CBAS is not able to just evaluate a single group of animals by itself in an unsupervised
manner without a covariate of interest. Future work will focus on relaxing this limitation.

In sum, we offer CBAS as a new data-driven analysis technique that extracts statistically
rigorous differences in behavioral sequences between or among groups. We show that such
sequence distinctions can be revealing about the underlying information processing functions
that vary and can circumvent biases that plague model-dependent analysis methods. We
illustrated the properties and promise of CBAS in three different datasets in three different
species.

Methods
Romano-Wolf resampling based multiple comparisons correction: We follow the terminology
and description laid out in Clarke et al.[57] to describe the Romano-Wolf multiple comparison
correction. First, we describe the way the method corrects for the familywise error rate (FWER)
and then explain how the procedure is extended to provide median control of the false
discovery proportion. FWER control at a level of α means that across all comparisons there is a
α percent chance of having at least one false positive rejection of a null hypothesis. The
Romano-Wolf procedure provides FWER control through resampling the data[39]. We describe
the case of testing a total of S hypotheses.

It is not generally known if the Romano-Wolf procedure controls for type III, or
directional, errors. Type III errors are errors in the sign, or direction, of the conclusion. For
example, if a statistical test provided information to reject the null hypothesis $\theta_1 = \theta_2$, and you
then concluded that $\theta_1 > \theta_2$, when in fact $\theta_1 < \theta_2$. Therefore, instead of running a single two-
tailed test for each sequence, we run two one-tailed tests for each sequence. As a
consequence, the total number of hypotheses tested, S, is twice the total number of sequences
being compared. For CBAS those hypotheses take one of two forms: i) the rate of each
sequence (r_s) is the same between two groups $\Delta r_s = 0$, or ii) that there is no correlation (ρ_s)
between each sequence and a covariate of interest, $\rho_s = 0$. For the one-tailed versions of each

hypothesis, we ask if $r_{s_1} - r_{s_2} > 0$ and $r_{s_2} - r_{s_1} > 0$ for the comparison CBAS, where r_{s_N} is the
rate of sequence s for group N, or if $\rho_s > 0$ and $\rho_s < 0$ for the correlational CBAS.

The first step in the procedure is to create a studentized test statistic for each
hypothesis. The studentization is different based on whether the CBAS is comparing two groups
or calculating a correlation. In the case where two groups are being compared:

$$t_s = \frac{\Delta r_s}{\sigma_s} \tag{1}$$

476 where σ_s is the standard error of Δr_s, which we calculate by combining the standard error of

477 the mean of the rate for each group using error propagation, i.e. $\sigma_s = \sqrt{\sigma_{s_1}^2 + \sigma_{s_2}^2}$, where σ_{s_N}

478 is the standard error of the occurrence rate of sequence s for group N.

479   In the case where the correlation is being calculated the studentized test statistic is[58]:

$$t_s = \frac{\sqrt{n}\hat{\rho}_n}{\hat{\tau}_n} \tag{2}$$

480 where:

$$\hat{\rho}_s = \frac{\sum X_i Y_i - n\bar{X}_s\bar{Y}}{\sqrt{\sum(X_i - \bar{X}_n)^2 \sum(Y_i - \bar{Y})^2}} \tag{3}$$

$$\hat{\tau}_s = \frac{\sqrt{\frac{1}{n}\sum_{i=1}^{n}(X_i - \bar{X}_s)^2(Y_i - \bar{Y})^2}}{\sqrt{\frac{1}{n}\sum_{i=1}^{n}(X_i - \bar{X}_s)^2}\sqrt{\frac{1}{n}\sum_{i=1}^{n}(Y_i - \bar{Y})^2}} \tag{4}$$

For eq. 2, 3, and 4, n is the number of subjects for which the correlation is being calculated, X_i
and Y_i are the values of the metrics being correlated (in our case, the sequence count and CBIT
score for each individual respectively), $\bar{X}_s$ is the mean sequence count for the specific sequence
being considered, and $\bar{Y}$ is the mean of the covariate of interest (CBIT score, which is the same
for any sequence).

When two groups are being compared, we resample from the entire population with
replacement (separately for each group) and build up a null distribution by bootstrapping M
times. The test statistic from the mth bootstrap sample for $m = 1, \dots M$ is:

$$t_s^{*,m} = \frac{\Delta r_s^{*,m}}{\sigma_s^{*,m}} \tag{5}$$

where, $\Delta r_s^{*,m}$ is the difference in the rate of each sequence whilst resampling, with
replacement, from the entire population, ignoring the group labels. $\sigma_s^{*,m}$ is the accompanying

bootstrap standard error of the difference in means. The resampled group sizes are the same as
the two groups of interest.

In the case where the correlation is being calculated, the test statistic based on the mth
bootstrap sample is:

$$t_s^{*,m} = \frac{\sqrt{n}\hat{\rho}_s^{*,m}}{\hat{\tau}_s^{*,m}} \qquad (6)$$

where, $\hat{\rho}_s^{*,m}$ is the correlations of each sequence whilst permuting the relationship between the
metrics being calculated across the entire population. $\hat{\tau}_s^{*,m}$ is the accompanying normalization
for the permuted relationship. The permuted group size is the same as the original.

For the main CBAS calculations, we used a value of $M = 10,000$. When we run many
repeats of different models or for power calculations, we use a value of $M = 1,000$.
Importantly, for each individual resampling, m, the same resampled set is used for all
sequences.

The test statistics, and their accompanying estimators are ordered from largest to
smallest values. This creates an $M \times S$ matrix where each column contains all the estimators of
the test statistics. The first column contains the estimators from the largest test statistic, the
second column contains the estimators from the second largest, etc.

To define the distribution for which each test statistic is compared, which then
determines the adjusted p-value, the following algorithm is used. The first sequence considered
is the one with the maximum test statistic, t_s. Its comparison distribution is defined as the
maximum value within each row of the matrix of estimators of the test statistic:

$$\max(t^{*,m}) = \max\{t_1^{*,m}, \dots, t_S^{*,m}\} \qquad (7)$$

510 which provides a total of M values, $t^{*,m}$ (there is no longer an association with s, because these
511 values can come from a resampling of any of the sequences). Using those M values, the
512 adjusted p-value is calculated as follows:

$$p_s^{adj} = \frac{\#\{\max(t^{*,m}) \geq t_s\} + 1}{M + 1} \qquad (8)$$

After calculating p_s^{adj} for the first sequence, the column with the test statistic
estimators generated from the first sequence is removed from the matrix. This now leaves a
matrix that is $M \times (S - 1)$. The above procedure is then used to calculate p_s^{adj} for the
sequence with the second largest test statistic, and then its column of test statistic estimators is
removed, etc until all p_s^{adj} have been calculated. Following the algorithm described in Clarke et
al.[57], we enforce monotonicity of the p-values by resetting the p-value for each sequence:

$$p_s^{adj} = \max\{p_s^{adj}, p_{s-1}^{adj}\} \qquad (9)$$

This is done prior to calculating the p-value for the next sequence.

To control the false discovery proportion (i.e., control the number of false positives
divided by the total number of hypotheses rejected), the idea of k-FWER is introduced[40]. For
control of the FWER, k is equal to 1, and that leads to an α percent chance that there is at least
1 false positive among all hypotheses rejected (for FWER control $\alpha = 0.05$ is most commonly
used). If k equals 2, then there is an α percent chance that there are at least 2 false positives
among all hypotheses rejected. Therefore, to get control of the false discovery proportion we
need to find the k that provides the proportion of interest given the number of hypotheses
rejected. So, if we want a false discovery proportion, γ, of 0.05, we need $k \sim 0.05 \times$
number of hypotheses rejected.

Romano and Wolf also derived an algorithm to do just that. The algorithm is as follows.
Start with $k = 1$. Apply the k-FWER procedure, and note the total number of hypotheses
rejected, N. If $N < \frac{k}{\gamma} - 1$, stop and you have identified k. Otherwise, increase k by 1, and
repeat[40]. The way you determine k-FWER is in eq. 7, instead of taking the maximum value in
each row, you take the kth largest value. Finally, to get median control of the false discovery
proportion, $\alpha = 0.5$. This means that 50% of the time you will get a value greater than γ, and
50% of the time you will get a value less than γ, leading to median control of the false discovery
proportion[40]. This is a similar decision to what is done when calculating the false discovery rate
(FDR) with Benjamini-Hochberg or Benjamini-Yekutieli, except the false discovery rate controls
the mean of the false discovery proportion instead of the median.

Lastly to avoid confusion around what the statistical control is we label the adjusted p-
value with the k-FWER control (i.e. median control of the false discovery proportion) as ζ
instead of p, comparable to the use of q with FDR control.

Power estimation for sample size calculation with CBAS. To estimate the statistical power of
CBAS for a given sample size (Fig S1) we resampled the dataset without replacement and ran
CBAS to determine the number of significant sequences. For each sample size we performed 20
repeats. We also ran a CBAS comparing each group to itself, with 20 repeats for each group; or
correlating the sequence counts with a randomly generated set of CBIT scores drawn from the
same distribution as the actual CBIT scores (Fig S1), with 40 repeats. Then for each sample size,
the power is estimated by identifying the fraction of largest 20 number of significant sequences
that came from the CBAS run on the resampled data (as opposed to the comparisons
comparing groups to themselves or randomly generated CBIT).

Power estimation for sequence usage for "complete" sequences. Populations the same size as
the datasets were bootstrapped (sampled with replacement). 1,000 CBAS were run on different
bootstrapped samples. The smallest sequence usage rate for which there was 80% power to
detect a difference was defined as the smallest usage rate from the sequences that were
significant on 80% of the CBAS runs.

Spontaneous alternation in flies
Data. Data was downloaded from: https://lab.debivort.org/neuronal-control-of-locomotor-
handedness/. The first 250 turns for each fly were used. Flies that did not do at least 250 turn

were excluded from the analysis. 466/1,225 CA and 565/1372 w1118 flies did not reach the
250-turn criterion.

Two-step task in humans
Data. Data was downloaded from: https://osf.io/usdgt/overview. All subjects in the dataset
completed all 200 trials/400 choices. Therefore, all subjects were included in the analysis.

MB/MF RL model. The model was implemented following the description from Gillan et al.[43].
The model combines units for model-based and model-free control, as well as stickiness. For
each trial, t, there are choices at two stages, $c_{1,t}$ and $c_{2,t}$. The choice at stage 1 leads
stochastically to a stage 2 state, s_t. Reward, r_t, occurs following the second stage choice based
on dynamic probabilities for each image at the second stage. $r_t = 1$ indicates reward and $r_t = $
-1 indicates no reward. Stage 1 choices depend upon what is learned at stage 2; therefore,
stage 2 learning is described first.

At stage 2, the model learns a value function, $Q_t^{\text{stage2}}(s, c)$, where s is state. The reward
received at each trial leads to updating Q according to: $Q_{t+1}^{\text{stage2}}(s_t, c_{2,t}) = (1 - $
$\alpha)Q_t^{\text{sttge2}}(s_t, c_{2,t}) + r_t$, where α is the learning rate parameter. The probability to make a
specific stage 2 choice is governed by a softmax: $P(c_{2,t} = c) \propto \exp(\beta^{\text{stage2}}Q_t^{\text{stage2}}(s_t, c))$,
which is normalized over both options of c, and β^{stage2} is the inverse temperature parameter.

Stage 1 choices are determined by weighting the value predictions of the different
components of the model about the stage 2 value of each stage 1 choice. Model-based values
are dictated by the learned values of the stage 2 state, maximized over the two actions: $Q_t^{MB} = $
$\max_{c_2}(Q_t^{\text{stage2}}(s, c_2))$, where s is the stage 2 state predominantly produced by stage 1 choice c.
Model-free values are dictated by two learning rules: $Q_{t+1}^{MF_0}(c_1, t) = (1 - \alpha)Q_t^{MF_0} + $
$Q_t^{\text{stage2}}(s_t c_{2,t})$ and $Q_{t+1}^{MF_1}(c_1, t) = (1 - \alpha)Q_{t+1}^{MF_1} + r_t$. Stage 1 choice probabilities are also
governed by a softmax: $P(c_{1,t} = c) \propto \exp(\beta^{MB}Q_t^{MB}(c) + \beta^{MF_0}Q_t^{MF_0}(c) + \beta^{MF_1}Q_t^{MF_1}(c) + $
$\beta^{\text{stick}}I(c = c_{1,t-1}))$, where the β values are the temperature parameters for each component,
and $I(c = c_{1,t-1})$ is 1 for the choice that repeats the one made on the previous trial and 0 for
the other choice.

Following each trial, the value estimates in all Q for all unchosen actions and unvisited
states are decayed multiplicatively by $(1 - \alpha)$.

Simulated annealing was used to fit the model, initializing with random parameters. At
least 10 different fits were run for each set of parameters and the fit parameters leading to the
largest log-likelihood was chosen. The data contained instances where a subject did not choose
either of the images presented. Those choices were not included in the likelihood for the fitting.
However, the lack of choice was coded as its own symbol and analyzed within CBAS for
correlations with CBIT.

Spatial alternation in rats
Animals: All experiments on rats were conducted in accordance with University of California
San Francisco Institutional Animal Care and Use Committee and US National Institutes of Health
guidelines. Rats were fed standard rat chow (LabDiet 5001). To motivate the rats to perform

the task, reward was sweetened evaporated milk: 25 g of sugar per can (354 ml) of evaporated
milk (Carnation). The rats were food restricted to up to 85% of their basal body weight.

Surgery: Anesthesia was induced using ketamine, xylazine, atropine, and isoflurane. The
animals underwent surgery to either lesion the dorsal and intermediate hippocampus or as
control for the lesioning. For the lesion rats, craniotomies were drilled bilaterally to allow for
access to all 24 injection sites (Table 1) and the injection needle (33 gauge) was inserted
through the dura. For each lesion site, the needle was lowered 0.1 mm below the target
coordinates and then raised back to the target prior to injection. 120 or 110 nl of NMDA (20
mg/ml) was injected at each site at a rate of 0.1 µl/min, for males and females, respectively.
The needle was left at the site for 2 minutes after finishing the injection. For the rats that
underwent control surgeries, everything was the same as the lesion rats, except no NMDA was
injected, and the needle did not dwell at the hypothetical injection site. All animals that
underwent the lesion surgery received Diazepam 10 mg/kg intraperitoneally post-operatively.

Hippocampal lesioning was confirmed via micro-CT (Fig S4) collected at the Advanced
Light Source at Lawrence Berkeley National Lab. Brains were processed and imaged, and scans
were processed as described in Kastner et al.[59]. CT images were aligned using manual
registration in Slicer-3D (http://www.slicer.org)[60,61]. Male and female brains were separately
registered.

Spatial alternation behavior: The automated behavior system for spatial alternation behavior
was previously described[51]. There are different symbols on each arm of the track serving as
proximal cues, and there are distal cues distinguishing the different walls of the room.
Pneumatic pistons (Clippard) open and close the doors. Python scripts, run through Trodes
(Spike Gadgets), control the logic of the automated system. The reward wells contain an
infrared beam adjacent to the reward spigot. The automated system uses the breakage of that
infrared beam to progress through the logic of the behavior. In addition to the infrared beam
and the spigot to deliver the reward, each reward well has an associated white light LED.

Each cohort of rats is divided into groups of four (or three) animals. The same groups
were maintained throughout the duration of the experiment. Within a group, a given rat is
always placed in the same rest box, and the four rats of a group serially perform the behavior.
The rats have multiple sessions on the track each day. Prior to beginning the spatial alternation
task, the rats experience multiple days and sessions where they get rewarded at any arm that
they visit (provided it is not an immediate repeat). During this period of the behavior, the
duration of a session is defined by a fixed number of rewards, or a fixed amount of time on the
track (15 minutes), whichever came first. During the alternation task the duration of a session
was defined either by a fixed number of center arm visits and at least one subsequent visit to
any other arm, or a fixed amount of time on the track (15 minutes), whichever came first.

The algorithm underlying the spatial alternation task is such that three arms on the track
have the potential for reward: arms 2, 3, and 4 have the potential to be rewarded, and arms 1,
5, and 6 do not. Of those three potentially rewarded arms we refer to the middle of the three
arms as the center arm (arm 3) and the other two arms as the outer arms (arms 2 and 4).
Reward is delivered at the center arms if and only if: 1) the immediately preceding arm whose
reward well infrared beam was broken was not the center arm. Reward was delivered at the

outer two arms if and only if: 1) the immediately preceding arm whose reward well infrared
beam was broken was the center arm, and 2) prior to breaking the infrared beam at the center
arm, the most recently broken outer arm infrared beam was not the currently broken outer
arm infrared beam. The one exception to the outer arm rules was at the beginning of a session,
if no outer arm infrared beam was broken prior to the first infrared beam break at the center
arm, then only the first condition had to be met.

For the running of the behavior, the infrared beam break determined an arm visit;
however, the rats sometimes go down an arm, get very close to the reward wells, but do not
break the infrared beam. Therefore, for all the analyses described for the rats, an arm choice is
defined as when a rat gets close to a reward well. These times were extracted from a video
recording of the behavior. This proximity-based definition of an arm visit added additional arm
visits to those defined by the infrared beam breaks, and none of them could ever be rewarded,
nor alter the logic of the underlying algorithm. However, because of the non-Markovian nature
of the reward contingency, they could affect the rewards provided for subsequent choices.

For the initial dataset, a total of 46 rats that underwent control surgery (22 males, 24
females) and 45 rats that underwent hippocampal lesion surgery (23 males, 22 females) were
run on the spatial alternation task. 6 of the rats that underwent hippocampal lesion surgery
showed no evidence of lesioning on CT and were therefore not included in the analysis. For the
replication dataset, a total of 9 rats that underwent control surgery (all males) and 11 rats that
underwent hippocampal lesion surgery (all males) were run on the spatial alternation task. For
the replication dataset, all of the rats that underwent hippocampal lesion surgery showed
evidence of lesioning on CT. Rats were housed together prior to their undergoing surgery. They
were single housed for post-operative recovery and through food restriction and the behavior.

The first 800 choices during the spatial alternation behavior for each rat were used. Only
1 rats did not reach the criterion. That control, female, rat from the initial dataset, completed
618 choices, and was included in the analysis.

Data and Code availability. Rat spatial alternation data generated for this work and code used
to calculate CBAS will be posted to Github upon publication.

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 Figure Legends

Figure 1. Choice-Wide Behavioral Association Study (CBAS) is applicable across diverse tasks
and species. (**a**) The starting point for the three behavioral tasks we consider is to decompose
the actions of the subjects into a series of discrete choices. Left: Fly y-maze (top), and example
snippet of the choices of left (red) and right (blue) turns (bottom) of an individual fly. Data from
Buchanan et al.[31]. Middle: Two-step task, performed by human subjects (top), and an example
snippet of choices of an individual subject (bottom). The colors correspond to the different
images chosen (bottom). Data from Gillan et al.[43]. Right: Spatial alternation behavior,
performed by rats (top), and an example snippet of choices of an individual rat (bottom). Colors
correspond to the arm chosen by the rat. The rats are rewarded if they visit arms 2, 3, and 4 by
alternating visits to arms 2 and 4 after visiting arm 3 (arrows). The flies were not rewarded for
their choices; for the middle and right panels, filled circles indicate that reward was received.
(**b**) CBAS breaks down the task into all sequences of choices up to a defined total length and
compares the usage rate of the sequences between two groups (flies and rats) or correlates the
usage rate of each sequence with a covariate of interest (humans). In all cases, CBAS controls
statistically for the large number of sequence comparisons. Left: The occurrence of a single
sequence of 10 turns in the two fly strains during the first 250 turns of the spontaneous
alternation behavior. The rows show the occurrence of that sequence of turns for all individual
flies from each strain. For this example sequence, the CA strain has a rate of sequence usage of
9.9 per animal. The w1118 strain has a rate of sequence usage of just 1.5 per animal. This
difference in rate is significant with $\zeta = 1x10^{-4}$, corrected for the multiple comparisons.
Middle: Correlation between the participants' CBIT scores and their usage of the particular
sequence 1**A**2, which means choosing image 1, then making a choice in set A and getting
rewarded and then choosing image 2. The usage of this sequence shows a correlation of 0.12
($\zeta < 2.8x10^{-3}$) with the CBIT score of each participant. Dotted line shows the linear fit to the
data. Right: The occurrence of a single sequence of arm choices 5654**3** (unrewarded for the first
5 choices but then rewarded for the move into the central arm of the rules, arm 3) in the two
groups of rats (control and hippocampal lesioned) during the first 800 arm choices. The rows
show the occurrence of that sequence of choices for all individual rats from each group. Control
rats use this sequence at a rate of sequence usage of 1.8 per animal. Hippocampal lesioned rats
use this sequence at a rate of sequence usage of 0.6 per animal. This difference in rate is
significant with $\zeta = 0.047$. (**c**) CBAS Manhattan plot displays the p-value for each sequence
evaluated in the 3 datasets. The sequences are ordered based on the number of choices each
involves (shown by colors, up to the total length considered), and they are displayed on a log
scale to make all sequence lengths visible. Within a given sequence length, the sequences are
ordered based on frequency of occurrence in the entire dataset. The horizontal dotted line
indicates the significance threshold of γ=5% control of the median false discovery proportion
($\zeta = 0.5$). A total of 10,000 resamples were used to calculate the p-values, making the
maximum value on the plot $-\log_{10}\left(\frac{1}{10,001}\right) = 4.00004$. The location of the example sequences
shown in **b** are indicated by arrows.

Figure 2. CBAS applied to fly spontaneous alternation produces interpretable differences
between fly strains. CBAS was applied to flies tracked as they spontaneously made left and

right turns on a y-maze. (**a**) All sequences up to length 10 identified as significantly different
between the CA and w1118 strains are displayed with left turns indicated in red and rights turns
indicated in blue. Each row displays a sequence. The top set of rows shows the sequences CA
uses more than w1118 and the bottom set of rows are the sequences w1118 use more than CA.
Sequences are ordered in columns based on persistence, i.e., the maximum number of the
same turns in a row in the sequence. For example, the sequence displayed in figure 1b,
RLRLRLLLLL, is in the column labeled 5 (indicated with an arrow) because there are 5 left turns
in a row, and that is the maximum number of the same turns in a row in the sequence. (**b**) The
number of significant sequences as defined by CBAS is displayed for the data (black line and
circles) and three different models (colors and box and whisker displays) that might
characterize the turns of the individual flies. The turn bias model (orange) randomly generates
each turn with a bias based on the individual fly's overall right turn bias over the first 250 turns.
The persistence rate model (green) randomly generates each turn with a bias based on the
individual fly's overall rate of continuing in the same direction. The persistence distribution
model (purple) randomly generates a sequence of the same direction of turns based on the
individual fly's probability distribution of continuing for any number of turns in a row. Top plots
organize the sequences based on the maximum number of the same turns in row in the
sequence (as in panel **a**). Bottom plots bin the same set of sequences based upon the fraction
of right turns that occur in the sequence (30% for the example sequence in figure 1b). The left
column quantifies the sequences that CA use more than w1118 and the right column the
sequences w1118 use more than CA (or the equivalent model versions of each line). For the
models, CBAS was run on 100 repeats of all three models, tailored to the choices of each
individual fly. The center line of the box displays the median of the model output, the top and
bottom lines of the box show the 75th and 25th quartiles, respectively, and the end of the
whiskers show the full range of the model outputs.

Figure 3. Scaling of CBAS with sample size. For all panels in this figure, 40 repeats of smaller
sample sizes were generated from the fly data by selecting at random subjects within the two
groups (without replacement). (**a**) Each CBAS run on the smaller sample size identified some
number of significant sequences. Those sequences were compared to the sequences identified
in the CBAS on the full dataset (with 759 CA and 807 w1118 flies), and the graph shows the
ratios of the numbers of sequences identified in each instance of the smaller sample size that
were also found in the full dataset to the total number of sequences identified in the full
dataset. As a comparison, the ratio of the number of flies in the smaller CBAS to the total
number of flies in the dataset is plotted in the maroon horizontal lines. (**b**) The ratio of the
number of significant sequences identified in each instance of the smaller sample size that were
not also identified in the full dataset to the total number of significant sequences identified in
that instance of the smaller sample size. (**c**) In creating the smaller samples sizes, 20 paired sets
of animals were generated such that the two groups of flies within a paired set had no
overlapping individuals. Plotted are the number of sequences that were found to be significant
in both groups of flies within a paired set of nonoverlapping flies over the average number of
significant sequences found between the two paired set of flies. (**d**) For each instance of each
sample size, all of the sequences were categorized based on the maximum number of turns in
the same direction and the fraction of significant sequences within those categories are plotted

to allow for an easier comparison across groups with very different numbers of sequences, i.e.,
there are only 2 sequences that have a maximum of 10 of the same turns in a row, whereas
there are over 600 with a maximum of 3 of the same turns in a row. The bottom row of this plot
is from the full dataset. (**e**) The Euclidean distance between each row from panel **d** and the full
dataset row is plotted. Colors correspond to the sample sizes as shown in panel **d**. For panels **a**
– **c** the center line of the box displays the median of the resamples, the top and bottom lines of
the box show the 75th and 25th quartiles, respectively, and the end of the whiskers show the full
range of the resampled outputs.

Figure 4. CBAS helps interpret the correlation between CBIT and the two step task. CBAS was
applied to humans performing the two-step task with sequences of choices up to length 4. (**a**)
All sequences whose usage was positively (left) and negatively (right) correlated with the
individual subject CBIT factor score are displayed. Colors correspond to the images and image
sets chosen as indicated by the diagram of the task (right). Upper case bold letters indicate that
a reward was received. The majority of the sequences positively correlated with CBIT include B1
and/or A2, and so the first two columns are arranged to center these motifs. For illustrative
purposes, the two sequences B1A2 and A2B1 are duplicated and listed in both columns. (**b**) The
number of significant sequences as defined by CBAS is displayed for the data (black line and
circles) and two different models of the task (colors and box and whisker displays). Sequences
are organized based upon their containing the subunit indicated on the x-axis. MB/MF RL model
(yellow) is the model-based/model-free RL model from Gillan et al.[43]. Each subject was fit to the
model, and their parameters were used to generate choices for CBAS. Model inconsistent
choices (grey) were generated by using the fit parameters from the MB/MF RL model for a
single subject, but whenever the sequence 1A or 2B was chosen, the subsequent choice was
probabilistically determined based on the "model inconsistent" rate of the individual subject.
The "model inconsistent" rate for a subject was their rate of choosing a 2 following 1A or a 1
following 2B. For each CBAS repeat of the model inconsistent choices a different subject's fit
parameters were used. For the models, CBAS was run on 100 repeats. The center line of the
box displays the median of the model repeats, the top and bottom lines of the box show the
75th and 25th quartiles, respectively, and the end of the whiskers show the full range of the odel
repeats. (**c**) Data generated from the sequences of choices matched to the model inconsistent
rate of each subject (as described above and shown in grey in panel **b**) was fit to the MB/MF RL
model and the p-value of the correlation of the model based parameter of the model fit with
CBIT is displayed as function of the correlation value. Dotted horizontal lines show p = 0.05, and
p = 0.0083. The latter number is the Bonferroni corrected p-value to control for the 6
parameters of the model. Bonferroni correction is used instead of Romano-Wolf, as that would
be the most typical, if not conservative, correction used. A total of 50 model repeats was fit,
86% and 56% had p-values <0.05 and 0.0083, respectively.

Figure 5. CBAS identifies hippocampal based learning strategy for spatial alternation task in
rats. CBAS was applied to rats performing the spatial alternation task with sequences of choices
up to length 6. (**a**) "Complete" sequences that the control rats use more than hippocampal
lesion (left) and that the lesion rats use more than control (right). "Complete" sequences are
ones that that always significantly different between the groups (in the same direction) no
matter what choices occur before or after up to the maximum length of 6 (see Fig. S2).

Emboldened numbers indicate that choice was rewarded. (**b**) The "complete" sequences differ
between the groups in two broad ways: the consistency of the direction of travel (greater for
controls); and the total absolute distance covered (so 21 would contribute a distance of 1 and
14 would contribute a distance of 3). This plot organizes all the sequences (i.e., not just the
"complete" sequences) according to these two features (the former defining the rows, with NA
for sequences with fewer than three choices for which this cannot be calculated; the latter the
columns). For example, sequence 32123, is located in the row segment labeled 2 as two of the
choices in the sequence continue in the same direction: 3-2-1 (the 2-1 is in the same direction
as 3-2) and 1-2-3 (the 2-3 is in the same direction as 1-2), and is located in the column segment
labeled 4, as all of the choices are 1 arm away from the previous choice. Sequences that are 1
choice long have a total transition number of 0. Each sequence in the plot is displayed along the
tiny rows ordered by length, and, for completeness, the choices are colored based on the color
of the arm numbers in the task diagram. (**c**) Given that the sequences that occur more in the
control than the lesion rats tend to have more choices that continue in the same direction and
smaller total transition numbers, we captured these feature of the data using the metric of
transition normalized directional inertia, which measures the tendency to continue in the same
direction divided by the distance of the transition. Transition normalized directional inertia was
smoothed and averaged (±sem) across all rats in the control (black) and lesion (brown) groups
and shown for the first 800 choices of the spatial alternation task. Control rats show
significantly larger transition normalized directional inertia summed across the 800 choices of
the spatial alternation task, $p = 4.0 \times 10^{-4}$ (permutation test).

Figure 6. Replication of the CBAS generated hypothesis in the rat spatial alternation task.
CBAS was applied to a separate set of control and hippocampal lesion rats performing the
spatial alternation task. (**a**) CBAS Manhattan plot displaying the p-value for each sequence
compared between the two groups. Plot structured as described in Fig. 1c. (**b**) Significant
sequences structured by the two metrics, number of choices in the same direction and total
transition number, as described in Fig. 5b. (**c**) Transition normalized directional inertia as the
two groups of rats in the replication dataset learn the spatial alternation task. Control rats show
significantly larger transition normalized direction inertia summed across the 800 choices of the
spatial alternation task, $p = 2.2 \times 10^{-3}$ (permutation test). (**d**) All of the significant sequences that
CBAS identifies as occurring more in the control than lesion rats (two left columns) and as
occurring less in the control than lesion rats (rightmost column). 65.4% (88.2% of for control >
lesion, 22.2% of for control < lesion) of the sequences CBAS identifies as significant in this
dataset were also significant in the initial dataset (indicated by boxes).

Supplementary Figure 1. Sample size calculation for CBAS (**a**) Flies: Left: the number of significant sequences when randomly resampling the populations without replacement and calculating CBAS on the smaller sample sizes. Middle: the number of significant sequences when comparing smaller samples sizes of the CA strain to itself, with nonoverlapping individuals in each group. Right: the number of significant sequences when comparing smaller samples sizes of the w1118 strain to itself, with nonoverlapping individuals in each group. (**b**) Power estimate for different sized groups of flies in each strain (see methods). (**c**) Humans: Left: the number of sequences significantly correlated with CBIT when randomly resampling the population separately without replacement and calculating CBAS on the smaller sample sizes. Right: the number of significant sequences when randomly resampling the population without replacement and comparing it to randomly generated CBIT scores drawn from a distribution imputed from the original CBIT scores and calculating CBAS on the smaller sample sizes. (**d**) Power estimate for different sized groups of human subjects (see methods). (**e**) Rats: Left: the number of significant sequences when randomly resampling the populations without replacement and calculating CBAS on the smaller sample sizes. Middle: the number of significant sequences when comparing smaller samples sizes of the control rats to itself, with nonoverlapping individuals in each group. Right: the number of significant sequences when comparing smaller samples sizes of the hippocampal lesion rats to itself, with nonoverlapping individuals in each group. (**f**) Power estimate for different sized groups of rats (see methods). For **a**, **c**, and **e** data points are overlayed by box and whisker plots. The center line of the box displays the median of the data, the top and bottom lines of the box show the 25th and 75th quartiles, respectively, and the end of the whiskers show the full range of the data. Additionally, the horizontal dotted lines for the left-most plot indicates the total number of significant sequences CBAS find in the entire dataset. For **b**, **d**, and **f** horizontal dotted line shows a value of 80%.

Supplementary Figure 2. "Complete" sequence calculation. (**a**) A sequence unit is evaluated, and all sequences in the dataset that contain that unit are found. For the example shown, the sequence unit is: **32**1**2**3 (indicated by an arrow). As usual, emboldened numbers indicate that that choice was rewarded. Sequences are colored as in Fig 5 and 6. The second column lists the rate at which each sequence was utilized by control animals (as this sequence occurs more in control than lesion rats). The rate in the control population above which there is 80% power to significantly detect a sequence difference was determined to be 0.174. The third column lists whether sequences occurred above the power level. The fourth column indicates which sequences were determined to be significant, and in what direction. A "complete" sequence is therefore defined as a sequence for which all longer sequences that contain that sequence of interest, and which occur above a rate that allows for 80% power for differentiation, are found by CBAS to differ significantly in the same direction as the sequence of interest (e.g., are all found to be more prevalent in the control, than the lesion, rats).

Supplementary Figure 3. "Complete" sequences for fly and human tasks. All the sequences found to be complete for the fly task (**a**) and the human task (**b**) are shown. There is no "complete" sequence that is negatively correlated with CBIT for the human two-step task. For **b** bold and upper-case letters indicate that reward was received for that choice.

Supplementary Figure 4. Micro-CT used to confirm hippocampal lesioning. Example virtual
slices, displaying two different parts of the hippocampus (**a**, anterior, and **b**, posterior), from
the micro CTs of a control and lesioned brain for males (top) and females (bottom).
Additionally, the averages for the virtual slices for the control males (n = 22) and females (n =
18) and lesioned males (n = 24) and females (n = 21) are displayed. The blur in the averaging is
due to imperfect registration across the different brains, as only a linear transformation was
used for the registration. Note that hippocampal cell layers remain well defined and intact in
the average images for the control, but largely absent in the lesioned average images, as
revealed by the irregular darker areas with no tissue in the location of the hippocampus. The
scale of the images are the same between example control and lesion images, and between
average control and lesion images, but the scale of the average images have an increased gain
compared to the example images to better highlight the features in the average images.

AP (mm)	ML (mm)	DV (mm)
-2.8	±1.4	-3.0
-3.3	±2.4	-3.0
-4.1	±1.8	-2.8
-4.1	±3.4	-2.8
-4.8	±2.0	-2.8
-4.8	±4.2	-3.1
-5.5	±2.6	-3.0
-5.5	±3.6	-2.9
-5.5	±5.0	-3.5
-5.5	±5.0	-5.5
-6.2	±4.0	-3.4
-6.2	±5.4	-4.4

Table 1: Stereotaxic coordinates of NMDA infusions to produce lesions within the hippocampal
formation. Adapted from Kim & Frank[45]. The coordinates are given for a Long Evans rat skull
which is leveled so that bregma and lambda lie in the same horizontal plane. AP:
anteroposterior, ML: mediolateral, DV: dorsoventral. The AP and ML coordinates are measured
from bregma. DV coordinates are measured from the dural surface above the brain.

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Figure 1

a

Fly
spontaneous alternation

Human
two-step task

Rat
spatial alternation

● **REWARDED**
○ unrewarded

set A

probabilistic reward

set B

CBAS language: discrete choices during behavior

Turn

Image

Arm

Choice

Choice

Choice

b   **CBAS comparison/correlation: sequence of choices**

sequence: RLRLRLLLLL
CA
n = 759
r = 9.9

w1118
n = 807
r = 1.5

sequence: 1A2
n = 1,413 subjects
ρ = 0.12

sequence: 56543
control
n = 46
r = 1.8

hippocampus lesion
n = 39
r = 0.6

Fly number

Choice

Choice

Sequence count

Compulsive Behavior and
Intrusive Thoughts factor

Rat number

Choice

c   **CBAS statistical control: resampling-based multiple comparisons correction**

sequence length

sequence length

sequence length

$-\log_{10}(\zeta)$

$-\log_{10}(\zeta)$

$-\log_{10}(\zeta)$

Sequence

Sequence

Sequence

Figure 2

Figure 3

a

Fraction of total sequences/population

0.5

0   200
Flies per group

b

Fraction not in full dataset

0.04

0.02

0   200
Flies per group

c

Shared sequences

0.5

0   200
Flies per group

d

CA < w1118   CA > w1118

40 flies per group

80 flies per group

160 flies per group

320 flies per group

full dataset

Repeat number

5   10   5   10
Max same turn in a row

Fraction of seqeunces that are significant

1.0

0.5

e

Distance: CA < w1118

Distance: CA > w1118

0   1   2

40 flies per group
80 flies per group
160 flies per group
320 flies per group

Figure 4

Figure 5

a "complete" sequences

control > lesion   control < lesion

5431   24324
32123   24323
23454   24324
23454   24343
                    14324

REWARDED
unrewarded

b   total transition number

c

Transition normalized directional inertia

control (n = 46)
lesion (n = 39)

0.5

0   500
Choice

number of choices continuing in the same direction

NA

control > lesion
control < lesion
control > lesion
control < lesion
control > lesion
control < lesion
control > lesion
control < lesion
control > lesion
control < lesion
control > lesion
control < lesion

Rat
spatial alternation

1 2 3 4 5 6

Figure 6

Supplementary Figure 1

Supplementary Figure 2

a	control rat sequence usage rate	lesion rat sequence usage rate	sufficient power	significance
321231	0.04	0	no	
321232	1.67	0.85	yes	control > lesion
321234	0	0.05	no	
321234	7.11	3.00	yes	control > lesion
321235	0.11	0	no	
321236	0.07	0.03	no	
→ 32123	9.00	3.92	yes	control > lesion
132123	0	0	no	
232123	0	0	no	
432123	3.61	1.56	yes	control > lesion
432123	3.57	1.64	yes	control > lesion
532123	0.80	0.15	yes	control > lesion
632123	0.15	0.10	no	

REWARDED
unrewarded

Supplementary Figure 4