Dual-Axial Force Measurements of Non-Tethered Plants

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Summary

- **Measuring the mechanical interactions of growing plants with the environment is a critical step towards deciphering the complex growth strategies involved in negotiating their environment. Yet, available force-measurement systems have limited capacity to capture weak (sub-mN) forces in freely moving plant organs - such as the forces applied by a growing shoot pushing at an obstacle.**
- **We developed a measurement system based on the deflection of a pendulum by a freely moving shoot. Crucially, unlike many force-measurement systems, the organ is not tethered to the device. Moreover, force is measured along two axes, as opposed to one axis in commonly used methods such as cantilevers. Orthogonal cameras track the 3D position of the rod and shoot, yielding the rod deflection angle and, using a mechanical torque equilibrium equation, allowing to extract the force applied by the plant over time.**
- **We demonstrate the system with bean (*Phaseolus vulgaris*) shoots, measuring the forces they apply on a candidate support during inherent circumnutation movements, prior to twining. This system is relevant for measuring weak forces in macro-sized systems (such as growth or turgor pressures), and the force detection range can be tuned be altering rod mass and length.**

force measurement, biomechanics, mechanical interactions, twining plants, circumnutations, tropisms

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Introduction

As plants grow and forage for nutrients and light, they come into contact with surrounding objects, and engage in mechanical interactions with their environment (Darwin, 1875; Gianoli, 2015; Moulia et al., 2022). Such interactions lead to complex growth patterns (Tedone et al., 2020; Goriely, 2017; Goriely & Neukirch, 2006; Chelakkot & Mahadevan, 2017), as showcased in observations of waving and coiling of roots grown on inclined substrates (Okada & Shimura, 1990; Thompson & Holbrook, 2004; Zhang et al., 2022; Porat et al., 2024), and ultimately determine a plant's capacity to negotiate its environment. This idea is particularly salient in the case of thigmomorphogenesis (Telewski & Jaffe, 1986; Jaffe, 1973; Biddington, 1986; Jaffe et al., 2002) and thigmotropism (Braam, 2004; Forterre et al., 2005; Takahashi & Jaffe, 1990): plants' active growth responses to mechanical stimuli. These growth responses enable plants to maintain structural integrity in the face of environmental threats such as wind (Telewski & Jaffe, 1986; Moulia et al., 2015) and herbivore damage (González-Teuber & Gianoli, 2007).

Clearly, measuring mechanical interactions between plants and their environment is a critical step towards characterizing and eventually deciphering the complex growth strategies of plants. Yet, researchers have faced challenges in measuring these interactions in non-tethered plant organs, where current efforts have largely focused on root-soil systems (Kolb et al., 2017, 2022; Quiros et al., 2022; Koren et al., 2024), where force measurements are typically conducted by clamping or restricting the organ. However, techniques for studying unrestricted plant movements are still lacking. An important case in point is the dynamic twining response of climbing plants encountering a support (Darwin, 1875; von Sachs, 1887; Silk, 1989; Gianoli, 2015), during inherent sweeping semi-oscillatory movements termed circumnutations (CN) (Darwin, 1875; von Sachs, 1887; Stolarz, 2009; Gianoli, 2015; Bai et al., 2024), a classic, and experimentally tractable example of thigmomorphogenesis. Though multiple studies measure forces exerted by attachments of climbing plants on supporting structures (Jaffe, 1970; Silk & Hubbard, 1991; Matista & Silk, 1997; Silk & Holbrook, 2005; Steinbrecher et al., 2010; Bauer et al., 2010), very little work focuses on the initiation of twining (Jaffe, 1970), and there are no quantitative measurements of the resistance exerted by newly encountered supports on twiners prior to twining. Such measurements could shed light the on twining initiation of stem

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twiners and other climbing plants. The challenge in measuring such forces, rises from a broader difficulty in measuring low (sub-mN) forces of freely moving organs.

The forces generated by these motions are expected to be of low magnitude (even a light breeze will stir a thin stem), requiring sensitive measurements. Though numerous systems have been developed to measure low forces (see examples in Table 1), most are designed to measure forces applied by millimeter to micrometer (or smaller) size organisms. Consequently, the measurement devices and setups are of comparable dimensions, which presents a challenge for measuring small forces in large (centimeter-scale and higher) organisms, such as climbing plants. Replicating existing measurements systems at a larger scale is either not feasible, or fundamentally not suitable for force measurements of freely moving circumnutations altogether. For example, many existing systems are based on measuring deflection of elastic cantilevers (Kamimura & Takahashi, 1981; Kishino & Yanagida, 1988; Beaussart et al., 2014; Backholm & Bäumchen, 2019; Poppele & Hozalski, 2003), yielding a 1D projection of the applied force parallel to the measurement axis of the device (Fig. 1A), and typically requiring tethering of the sample to secure the direction of the applied force. While this method has been successfully adapted for plant roots (Quiros et al., 2022), in the case of a circumnutating plant organ, tethering significantly alters the inherent stem dynamics, and therefore the force generation itself.

Here we propose a method that enables measurements of 2D horizontal component (Fig. 1B) of sub-mN forces applied by an untethered moving plant stem. Our method is based on the deflection of a free physical pendulum by the stem movement. This simple setup is cost-effective and modular, and can be adjusted to fit multiple scales of force and sample dimensions. As a case study, we measured forces applied by circumnutating bean plants prior to twining.

Materials and Methods

Plant materials and growth conditions. We measured forces applied by the climbing bean plant (*phaseolus vulgaris*) prior to twining. Seeds of the Helda strain were purchased from Yarok organic nursery (https://www.ecolution.co.il/). Soil was acquired from Manna Center's Program for Food Safety and Security at Tel Aviv University and mixed with sand (30%). Seeds were placed on a 1cm thick piece of cotton wool spread out in a lidded flat box, kept within a growth chamber (Percival; Plant Tissue Culture; CU-41L5), at 24°C. Seeds were kept moist and in darkness until germinated roots were roughly $1-3$ cm long. Seedlings were removed from the growth chamber and planted in 100 ml soil pots with 25 ± 5 Wm^{-2} instensity light for 16 hours a day. When stems reached $7-10$ cm, plants were transferred to 1 L pots under 8 ± 1 W m^{-2} intensity lighting, and watered once with 2 ml of 20-20-20 N-P-K fertilizer of 2% on the day of transfer to the larger pot. Thereafter watering was of 40 ml every two days, and the temperature kept at 24°C. Experiments were done under constant LED lighting of 8 ± 2 W m^{-2}. All lamps were LED IP65 40 W, 4000 K, and light intensities were measured over a waveband between $300-1000$ nm.

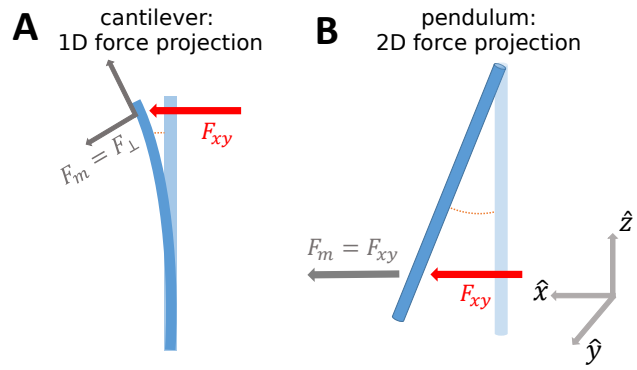

Fig. 1. Comparison of measured force projections of common cantilever-based force measurements vs. pendulum based measurements. Schematic of projected force onto the measurement direction in a typical cantilever experiment (Backholm & Bäumchen, 2019; Kamimura & Takahashi, 1981; Kishino & Yanagida, 1988) versus a pendulum setup. Applied forces ($\mathbf{F}_{xy}$) shown as red arrows, measured force projections ($\mathbf{F}_m$) in gray. (**A**) Force projection schematic of a cantilever force measurement setup. Measured forces are 1D projections of applied forces on the measurement axis ($\mathbf{F}_m = \mathbf{F}_\perp$). (**B**) Pendulum force measurement setup. Deflection direction is parallel to the horizontal projection of the applied force ($\mathbf{F}_m = \mathbf{F}_{xy}$).

Pendulum force measurement setup. The method developed in this paper is based on the deflection of a pendulum. The pendulum is positioned at such a distance from the plant, that the stem will encounter the rod during its circumnutation motion (Fig. 2). The position of the rod, and the contact position of the stem along it, are tracked by two cameras, positioned orthogonally on tripods, one from the side and one above the rod (see Fig. 2 and Fig. 3). The rod deflection is tracked over time and translated to force trajectories as elaborated in subsequent sections. The specifications of the setup components can be adjusted according to specific experiment requirements. In our setup, the pendulum rod is suspended from a structure (Ohad & Meroz, 2025) (here-

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Table 1. Table of example previous force measurement setups in living systems. Methods of measurement labeled by broad type, sample refers to the type of biological system involved in the force measurement. Sample sizes are the lengths of samples presented for measurement, or estimation of possible sizes of measured samples in the setup. Force generation labels the form in which the forces are generated, or how they are used (as in elastic modulus measurements). The measurement axes describe the axes in which force can be measured simultaneously with the given setup, and the force range gives an estimation of the possible forces available for measurement within the setup limits. PIV - particle image velocimetry. AFM - atomic force microscopy.

Reference	Method	Sample	Sample size (m)	Force generation	Measurement Axes	Force range (N)
Kamimura & Takahashi (1981)	Cantilever	Dynein arm	$10^{-7} - 10^{-4}$	Sliding	1	$10^{-12} - 10^{-10}$
Kishino & Yanagida (1988)	Cantilever	Actin	$10^{-6} - 10^{-4}$	Tensile	1	$10^{-12} - 10^{-10}$
Autumn et al. (2000)	AFM cantilever	Gecko seta	$10^{-6} - 10^{-4}$	Adhesion	2	$10^{-7} - 10^{-4}$
Poppele & Hozalski (2003)	Cantilever	Biofilms	$10^{-6} - 10^{-3}$	Adhesion	1	$10^{-7} - 10^{-5}$
Doll et al. (2009)	Strain gauge	Nematodes	$10^{-6} - 10^{-4}$	Propulsion	2	$10^{-6} - 10^{-4}$
Sznitman et al. (2010)	PIV	Nematodes	$> 10^{-5}$	Propulsion	2	$> 10^{-9}$
Rabets et al. (2014)	Cantilever	Nematodes	$< 10^{-2}$	Drag forces	2	$10^{-6} - 10^{-3}$
Beaussart et al. (2014)	Force microscopy	Microbial	$10^{-9} - 10^{-6}$	Adhesion	1	$10^{-11} - 10^{-8}$
Backholm & Bäumchen (2019)	Cantilever	Multiple	$10^{-6} - 10^{-3}$	Multiple	1	$10^{-11} - 10^{-3}$
Das et al. (2022)	Force transducer	Neurons	$> 10^{-3}$	Elastic	1	$> 10^{-3}$
Filc et al. (2023)	Force transducer	Wings	$10^{-3} - 10^{-1}$	Elastic	1	$10^{-4} - 10^{-2}$

after: "add-on structure") attached to the top-view camera lens. This structure (see Fig. 2) comprises of a circular piece, connected with M3 screws to two posts, which extend down vertically from opposite sides. A string (0.25 mm thick) connects the ≈ 9 cm wide gap between the posts at their lower end. The string is tightened and wrapped around the posts for stability. To enable the rod to be suspended from the camera add-on structure, we glued a 3D-printed adapter cone (Ohad & Meroz, 2025) within the top of the hollow rod (see inset in Fig. 2) and inserted a string through a hole in the top of the cone, attaching it to the horizontal string above it. The rod tip was typically placed about 1 cm below the stem tip height to ensure contact was made during the motion. The plant base was positioned at a distance that ensures contact by placing the rod within reach of circumnutation cycles. At the start of each experiment, a 30 s interval time lapse is initiated simultaneously on both cameras. If the stem slipped from the rod, the next circumnutation would typically lead to contact at a different position, which is treated as a separate event (the rod reaches equilibrium long before the stem makes contact again).

Pendulum setup. We suspend the rod (see inset in Fig. 2) from the add-on structure attached to the top-view camera. To ensure the rod hangs straight, a 3D printed cone adapter was glued within the upper part of the rod (a plastic drinking straw). A string is pulled through a hole in the cone, allowing us to hang the cone (and the rod with it) on the horizontal string. We designed a different cone for non-hollow rods (wood rods). We level the cameras using bullseye levels on the tripods, and confirm the rod is vertical in both the top view (where the rod should appear as a dark circle - see Fig. 3A), and the side view (Fig. 3C).

Since the plant is not tethered to the device, the stem may contact the rod in suboptimal positions, i.e near the bottom leading to slipping, or the top end, close to the hinge (where deflections are small with dominant errors).

Camera setup. Both top and side-view cameras are Nikon D7500 models, powered by a Glorich EP-5B DC coupler EN-EL15 EN-EL15a Dummy Battery EH-5 AC Power Supply Adapter Power Connector for Nikon. The top-view camera is mounted on a Manfrotto mk055 xpro3 tripod face down, with a Tamron lens $24-70$ $f/2.8$ Di g2 macro lens attached. The side-view camera uses a Nikon AF-S DX NIKKOR $18-140$ mm $f/3.5-5.6$G ED VR, supporting a wider field of view, and is fixed on a Joby tripod: GorillaPod 3K Kit for orientation and stability. The focus of the top view camera is fixed on the tip of the pendulum rod. The distance of the top lens from the lower tip of the rod was around 30 cm allowing supports of different lengths. The side view camera was positioned with the lens 80 cm away from the rod. Top (side) photos are taken against a white (black) background to increase contrast.

Translating displacements into force trajectories.

Tracking rod displacement over time. We place a drop of fluorescent dye (Ferrario, colore acrilico, rose pink) near

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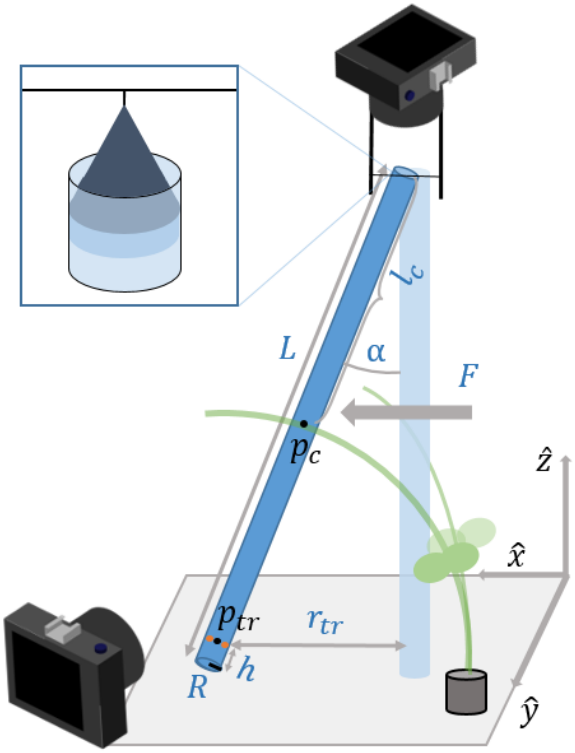

Fig. 2. Schematic of experimental measurement setup. Cameras are placed at top and side positions with respect to the pendulum. Lens add-on structure - extending two posts with a string between them, is attached to the top-view camera, to which the pendulum rod is attached via the cone adapter (see inset). The vertical light blue bar represents the pendulum rod at rest before contact, and the solid blue bar depicts the rod position after a force is applied by the stem. A plant is positioned near the rod (light green: contact with the rod begins; solid green: some time after contact begins). Parameters include full pendulum length (L - includes cone adapter) and radius (R), distance of contact point from hinge (l_c), deflection angle (α), distance of the tracked point (p_{tr}) from the rod tip (h), distance (d) of the stem tip from contact point (p_c), the horizontal distance of the tracked point from the vertical axis (r_{tr}) and the applied force (F). The inset shows a close-up of the connection between the rod and the string mediated by the cone adapter; the centralizing 3D-printed cone is glued within the top of the rod. 3D axis directions shown on bottom right.

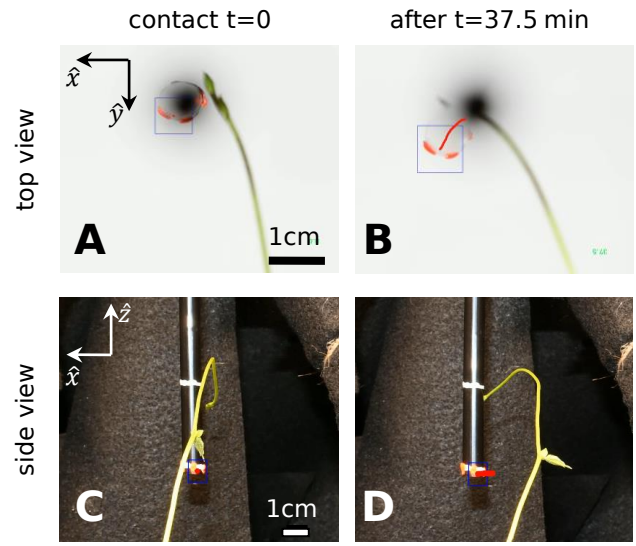

Fig. 3. Top and side view tracking.(**A,B**) Top view, tracking box (blue) around the dye drop (orange) on the edge of the cylinder (thin black circle). (**A**) Contact initiation with the stem. The rod shadow is within the rod perimeter, indicating verticality. The stem impacts the rod (green) and in (**B**) is the rod position after 37.5 minutes, with the tracking history drawn (red points). Size and axis references are on the bottom right and top left respectively. (**C,D**) Side view depiction for the same event as in (A,B). Rod (black rod with white stripe) with tracking markers on the bottom (orange) and the tracking box in blue. Size and axis references are on the bottom and top right respectively.

the bottom end of the rod visible from both camera views (Fig. 3). We track the position of the dye (define as point p_{tr}), and the contact position of the stem with the rod (p_c) from the side view (see schematic in Fig. 2). Tracking uses CV2 (Bradski, 2000) library. Manual corrections to the tracked contact position p_c are applied when the tracking algorithm is displaced due to occlusions, rapid motion, or contrast issues. To convert distances measured in pixels into physical lengths, we use the known rod dimensions for reference, as well as a black and white checker pattern.

From the 2D projections of the tracked points (p_{tr} and p_c) from the top and side views, we derive their respective 3D coordinates (Fig. 2). Based on these values, basic trigonometric arguments allow the extraction of the deflection angle of the pendulum α (see Fig. 2) by following (see SM for details):

$$\alpha = \sin^{-1} \frac{r_{tr}}{L-h} \tag{1}$$

where α is the angle between the rod and the vertical, r_{tr} is the horizontal displacement of the tracked point p_{tr} from the starting position, L is the total length of the pendulum and h is the distance between p_{tr} and the rod tip, as defined in Fig. 2). Fig. 4A shows an example of the resulting angle trajectory $\alpha(t)$, based on measured deflections.

Torque equilibrium. The force applied by the plant stem is calculated via a torque equilibrium equation (Morin, 2008) of the form:

$$F = \frac{mgL}{2l_c} \tan\alpha \tag{2}$$

where m is the pendulum mass, g is the gravitational acceleration, l_c is the distance of the stem-contact point p_c (see

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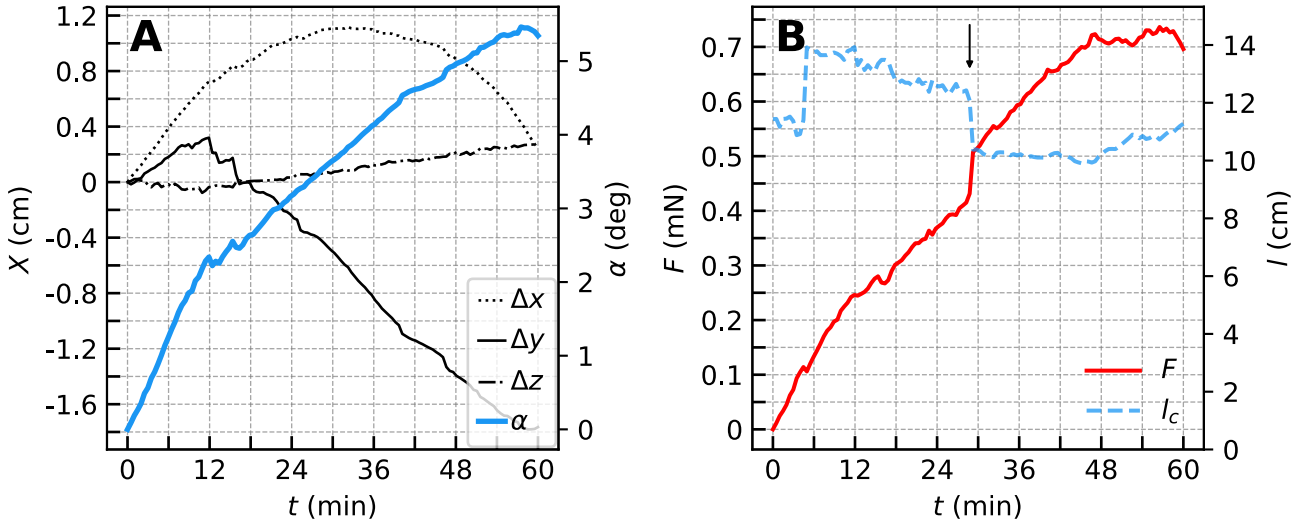

Fig. 4. Circumnutation driven deflections, extracted angle, contact position and calculated force. (**A**) Tracked coordinates $\Delta x = x(t) - x(t=0)$ (and likewise for y, z coordinates) result from the generated force (black lines). The angle α, calculated by the rod tip deflection relative to the rest position, for one example event (solid blue). (**B**) Distance of the contact point from pendulum hinge, l_c (blue), and the resulting calculated force F (red), for the trajectory in (A). Sharp change of l_c due to jumps of the shoot along the rod may result in shifts in the calculated force. An example at 30 min (black arrow).

Fig. 2) to the hinge point, and the angle α is calculated from Eq. 1. A detailed derivation can be found in the SM.

Pendulum specifications. The basic component used for our setup is a hollow plastic tube (a plastic drinking straw). As detailed in the Results section, changing the rod dimensions and mass alters the range of force which can be measured, as well as the system sensitivity. We produced pendulum rods of different masses and lengths for use in our experiments (see Table 2).

To change the mass of the rod without changing the length, we 3D-printed hollow cylinders (Ohad & Meroz, 2025) with an outer diameter and length slightly smaller than those of the basic rod; we then inserted one cylinder into the basic rod. Changing the density and inner diameter of the printed cylinders give further flexibility in setting the rod mass while retaining rod length. Cylinders (and other 3D printed objects) were printed in a Sindoh 3DWOX DP200 3D printer, with ELEGOO PLA Filament, 1.75 mm diameter. For lighter rods we first use a slightly shortened basic rod and also produced a lower-mass rod using a Balsa wood beam smoothed down with sandpaper (see Table 2).

Results

Calibration. To calibrate the system, we apply predetermined forces to the rod by using test weights (Acuris instruments) within the range of expected forces for the plant (from trial experiments). Weights were attached to a point on the pendulum, and compared to the extracted measured force. Using a pulley, the weights apply a known horizontal force equal to their weight (Fig. 5A inset). Fig. 5A presents the calculated force using Eq. 2 from the pendulum deflection, plotted against the known test weights, expecting a 1:1 relation for a calibrated system. The torque equilibrium calculation takes the horizontal component of the applied force into account.

m (g)	L (cm)	R (cm)	α_{min} (°)	F_{min} (μN)	F_{max} (mN)
0.20	19.9	0.2	0.04	0.5	1.1
0.65	17.7	0.8	0.04	2.0	3.4
0.86	19.9	0.8	0.04	2.3	4.5
1.10	19.9	0.8	0.04	3.0	5.8
3.10	19.9	0.8	0.04	8.4	16

Table 2. Table of used rod parameters. Mass (m) includes cone adapter mass. L is the total pendulum length, R the rod radius, α_{min} is the minimal detectable angle, F_{min} the minimal detectable force and F_{max} the maximal force, calculated assuming a maximal deflection of $15°$, with a contact position at a quarter of the pendulum length. The effective force range can be extended in either direction, see main text.

Force trajectories. Fig. 4 displays an example of the measurement of a force trajectory, representing the force a bean plant applied on the pendulum rod during its inherent circumnutation movement. Fig. 4A shows the tracked 3D coordinates of the contact point between the bean shoot and the

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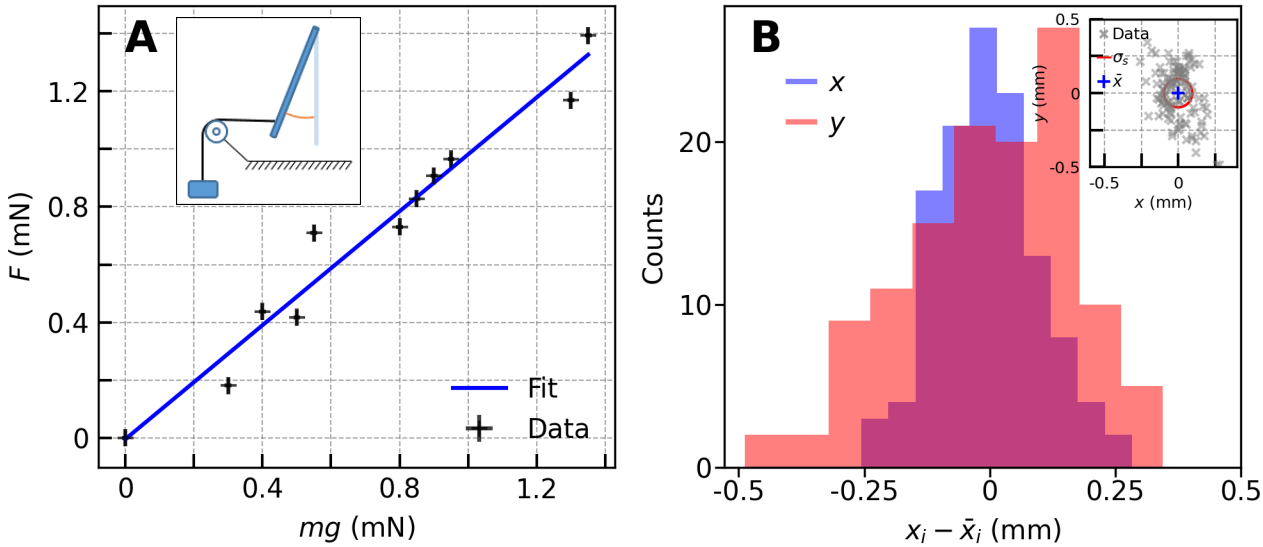

Fig. 5. Calibration and noise. (**A**) Comparison of the calculated measured force (F) using our setup, for scaled measured weights (mg). Inset: Calibration setup schematic. A force is applied to the rod by a known mass, at a known position, to the rod via a pulley. We expect a 1:1 ratio between the values, as the applied force is designed to be applied horizontally. Goodness of fit parameters are $R^2 = 0.96$. (**B**) Distribution of x_i coordinates (x and y) distance from mean position ($\bar{x}_i$) for top view tracking of inherent noise associated with the pendulum position with no directed forces applied. Inset: Tracked rod positions (gray x markers) and standard deviation of absolute distance ($\sigma_n \approx 0.1$ mm red circle) relative to the mean position $\bar{x}$ centered at $x = 0$ and $y = 0$ (blue +).

pendulum, as well as the calculated deflection angle of the rod α. Fig. 4B shows the resulting force trajectory, following the computation described in the Methods.

We ran experiments on $N = 50$ plants (10 per rod mass), measuring the forces they applied on the pendulum setup during their circumnutation movement. Fig. 6A shows the resulting force trajectories. The trajectories exhibit a characteristic increase in force until either the stem slips from the pendulum, where we allow a new measurement after a circumnutation period, or it starts to twine on the rod - at both points the measurement is stopped.

Rapid force variations. We may observe two types of abrupt changes in the measured force trajectories. The first is due to sliding of the stem along the rod, represented by jumps in the tracked contact position p_c. Such motions may be large (several cm) and fast (seconds), and may result in rapid shifts in the force (see example in Fig. 4B). Additionally, the initial contact with the stem may cause the rod to bounce, thus briefly losing contact. These gaps are much faster than the temporal resolution in our experiments, and therefore negligible.

Errors and Resolution. Measurement resolution depends on image resolution, tracking accuracy, and inherent noise of the system. The image resolution set by the cameras is 1 pixel, equivalent to $\rho^{\text{top}} = 0.02\ \frac{\text{mm}}{\text{pix}}$ and $\rho^{\text{side}} = 0.12\ \frac{\text{mm}}{\text{pix}}$ in the top view and side view respectively. The tracking algorithm introduces some uncertainty, which is estimated as $\sigma_{\text{tr}} \approx 5$ pixels, which results in an effective resolution of ≈ 0.1 mm in the top view. The inherent noise of the system is defined as the standard deviation of fluctuations in the position of a free rod measured over 2 minutes, at 1 s intervals (Fig. 5B). The fluctuations from this noise amount to $\sigma_{\text{n}} = 0.1$ mm, which is comparable to the effective tracking resolution. We define the total error of any tracked point σ, taking into account the said contributions, following:

$$\sigma = \Delta x = \sqrt{\sigma_{\text{s}}^2 + \sigma_{\text{tr}}^2 \rho^2} \tag{3}$$

where σ_{tr} is the tracking error in pixels, σ_n is the standard deviation of the inherent fluctuations and ρ is the mm value of one pixel (different for top and side views). Based on these errors we can estimate the error in the calculated deflection angle according to (see SM for derivation):

$$\Delta\alpha = \tan\alpha \sqrt{\left(\frac{\sigma^{\text{top}}}{r_{\text{tr}}}\right)^2 + 2\left(\frac{\sigma^{\text{side}}}{L-h}\right)^2} \tag{4}$$

where σ^{top} and σ^{side} are the total coordinate errors for the top and side views respectively following Eq. 3 with ρ changing according to view. The error in the force measurements is mostly affected by the position error, see the full expression for the force error in the SM (Eq. S.18).

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Tuning the range of measurable forces. The sensitivity of the force measurement setup, i.e. the minimal force that can be detected, is dictated by the minimal deflection angle that can be detected in the system, namely:

$$F_{\text{min}} \approx \frac{mg}{2}\alpha_{\text{min}} \tag{5}$$

where m is the mass of the rod, g is the gravitational acceleration. In turn, the angle sensitivity α_{min} is dictated by the position resolutions σ (see Eq. 3), following Eq. S.21, obtained by assuming the minimal detectable deflection σ^{top} and contact near the rod tip (see SM for derivation).

Therefore, for a given image resolution ρ, the sensitivity of the setup can be tuned by choosing different configurations of the pendulum rod, namely rod mass m and length L, thus allowing measurements of a wide range of forces. This is demonstrated in Fig. 6B where, for similar forces, smaller rod masses result in larger deflection angles α. As angle resolution α_{min} is system dependent, weaker forces will require lighter rods, ensuring the deflection remains significant compared to the error.

The maximal measurable force is given by the maximal deflection angle, as dictated by a number of parameters such as the camera field of view, or shoot slippage. In our setup we observed a maximal angular deflection of $\alpha_{\text{max}} \approx 12°$. Therefore if forces are such that deflection angles are too large, a heavier rod is required.

For example, a 50 gr, 100 cm rod would have a force detection range of approximately $0.03 - 260$ mN, while a 0.1 gr, 10 cm rod could measure forces in a range of $0.3 - 300$ μN. Force ranges are provided in Table 2 for a number of different rod configurations used in our measurements.

Discussion

We have presented a force measurement system utilizing a freely jointed physical pendulum allowing measurement along 2 axes (as opposed to commonly available 1 axis). This setup enables measurements of μN forces applied by freely moving untethered organs or organisms. Is particularly relevant for the measurement of growth-driven forces applied by growing plants on their environment. We described the physical setup, force calculation method, calibration and error limitations. Finally, we demonstrated how setup sensitivity and range can be modified by varying pendulum mass and length. This system addresses a need for a flexible tool to measure a wide range of forces exerted by plants of diverse dimensions. Indeed, most existing techniques for measuring μN-mN scale forces are designed for organisms below the mm range, whereas our setup can be adapted to suit organisms on the meter scale. Crucially, unlike existing systems for measuring forces generated by plants, our system does not require tethering of the organism to the measurement device while also producing 2D force measurements, enabling new directions for testing plant behaviors and interactions.

Limitations. Our setup sensitivity is limited by the optical resolution of the cameras, and the inherent noise of the system. The temporal resolution is set by the timelapse interval, as well as by camera capabilities. Since our force extraction method relies on the applied force being primarily horizontal, forces with a significant vertical component will be underestimated using this method. The absence of tethering may also pose a challenge where fluctuations in the motion of the organism may not guarantee contact with the rod, requiring specific adaptations per test case.

Possible applications. Our system allows non-invasive investigation of mechanical interactions between organisms and their environment. It may facilitate the estimation of forces applied by leaf climbers prior to substrate adhesion (Bauer et al., 2010; Steinbrecher et al., 2010), as well as forces involved in posture control by stem twiners (Onyenedum et al., 2025) during growth-driven movements, etc. With appropriate scaling, larger setups could be adapted to measure forces in liana stems, such as those of grapevines and wisteria (Onyenedum & Pace, 2021; Hattermann et al., 2022). Additionally, low mass supports may allow the detection of pushing and pulling forces exerted by small non-plant organisms which may be difficult to measure with traditional setups - for example, by coating the rod tip with sugar and measuring forces generated by different insects (Feinerman et al., 2018).

Conclusion. This setup provides 2D force measurements without requiring physical attachment of the organ to the device. This system provides unique opportunities for exploring mechanical interactions between plants and their environments, especially when studying weak forces exerted by larger-scale biological samples, such as growing stems and roots, which are typically not suitable for existing micro-scale measurement methods. Future refinement of the approach could further extend its applicability to explore interactions across diverse biological species and length scales.

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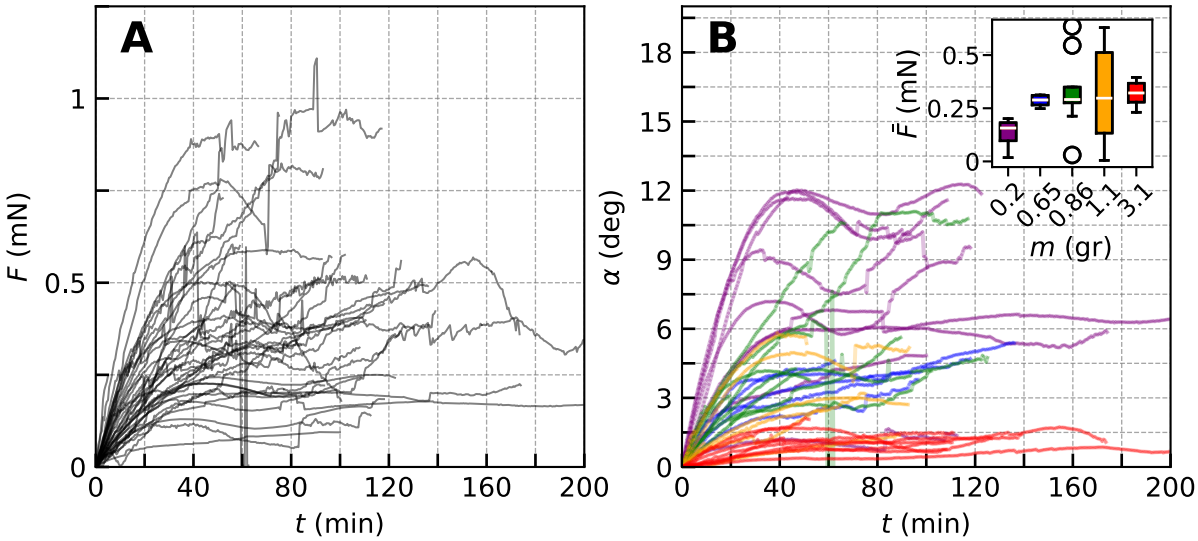

Fig. 6. Force trajectories and corresponding deflection angles per rod mass. (**A**) All force trajectories (F) measured with the force measurement setup after calibration. (**B**) Deflection angles (α) for rods of different mass (by color). The maximal deflection depends noticeably on the rod mass, allowing for varied force resolution and measurement range. In the inset, distributions of the mean force $\bar{F}$ per support mass, with the line in the box as the median, the upper and lower box edges are the first and third quartiles, and the whiskers show the minimal and maximal values within 1.5 times the inter-quartile range of the box edges.

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Competing interests

None declared.

Author contributions

AO and YM designed the research. AO collected data and AO analyzed the data with guidance from YM. AO and YM wrote the manuscript.

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Data availability

We have put the full workflow for 5 example trajectories on a Zenodo repository (https://doi.org/10.5281/zenodo.15545548; (Ohad & Meroz, 2025)), including code and raw data. Also included are calibration and noise measurements.

Other experimental data available upon request.

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Supplementary data

The following supplementary data are available online.

Video. S1. Top and side views with force trajectory.

Fig. S1. 2D setup definitions schematic.

Fig. S2. 2D torque schematic.

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