Why cooperation is not running away

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Abstract

A growing number of experimental and theoretical studies show the importance of partner choice as a mechanism to promote the evolution of cooperation, especially in humans. In this paper, we focus on the question of the precise quantitative level of cooperation that should evolve under this mechanism. Using a classic adaptive dynamics model, we first highlight the existence of a paradox. When individuals compete to be chosen by others, their level of investment in cooperation evolves towards ever-higher values, a process called competitive altruism, or runaway cooperation. Our model shows that this runaway process leads to a profitless escalation of the level of cooperation, up to the point where the cost of cooperation exactly cancels out its benefit. In other words, at first sight, under the effect of partner choice we predict that cooperation should have no benefit at ESS. Second, importing models from matching theory in economics we, however, show that, when individuals can plastically modulate their choosiness in function of their own cooperation level, partner choice stops being a runaway competition to outbid others, and becomes a competition to form the most optimal partnerships. Assortative partner choice then leads to the evolution of the socially optimum level of cooperation. This result could explain the observation that human cooperation seems to be often constrained by considerations of social efficiency.

Key words: partner choice, biological markets, matching models, competitive altruism, human cooperation

1. Introduction

Cooperation among non-kin constitutes a puzzle for evolutionary biologists, and a large body of theoretical models, inspired by game theory, have been developed to solve it. The most commonly accepted explanation is that cooperation can be enforced if it triggers a conditional response on the part of others (West et al. 2007). Several enforcement mechanisms have been proposed: direct reciprocity (Trivers 1971; Axelrod and Hamilton 1981; Lehmann and Keller 2006), indirect reciprocity (Nowak and Sigmund 1998, 2005; Leimar and Hammerstein 2001), punishment (Boyd and Richerson 1992; Boyd et al. 2003; Bowles and Gintis 2004) and partner choice (Bull and Rice 1991; Noë and Hammerstein 1994, 1995; Sachs et al. 2004). A growing number of experimental studies support the idea that, among this set of mechanisms, partner choice is likely to be particularly influential in nature, both in inter-specific and in intra-specific interactions (Bshary and Schäffer 2002; Simms and Taylor 2002; Kiers et al. 2003, 2011; Fruteau et al. 2009; Schino and Aureli 2009; Hammerstein and Noë 2016). Besides, partner choice is also believed to play a major role in human cooperation, where friendships and coalitions are common (Barclay 2013, 2016; Baumard et al. 2013; and see Discussion).

The key idea of partner choice models is that, when one happens to be paired with a defecting partner, one has the option to seek for another, more cooperative, partner present in the "biological market" and interact with her instead of the defector. This possibility allows cooperators to preferentially interact with each other, and, consequently, prevents any invasion by free-riders (Eshel and Cavalli-Sforza 1982; Bull and Rice 1991; Noë and Hammerstein 1994, 1995; Ferriere et al. 2002; Bergstrom 2003; Aktipis 2004, 2011; Sachs et al. 2004; Fu et al. 2008; Barclay 2011).

So far, the primary objective of most partner choice models has been to explain how *some* cooperation can exist at all in an evolutionary equilibrium. On this ground, models have reached a clear answer: partner choice can trigger the evolution of cooperation. In this paper, however, we are interested in another issue that models generally consider with less scrutiny: that of understanding the quantitative *level* of cooperation that should evolve under partner choice.

This analysis is crucial because the quantitative level of cooperation determines the "social efficiency", also called the Pareto efficiency, of interactions. Cooperating too little is inefficient because individuals miss some opportunities to generate social benefits. But cooperation, as any investment, is likely to have diminishing returns (Altmann 1979; Weigel 1981; Killingback and Doebeli 2002). As a result, there is a "socially optimal" amount of cooperation, an intermediate level where the sum of the helper and helpee's payoff is maximized. Cooperating more than this amount is hence also inefficient, because it increases more the cost of cooperation than it raises its benefit. In the extreme, there is even a "wasteful" threshold beyond which the overall cost of cooperation becomes larger than its benefit. If two partners cooperate more than this threshold, the net benefit of their interaction is negative, that is they are both worst off than if they had not cooperated at all.

Prima facie, partner choice appears to be a unidirectional pressure acting on the evolution of cooperation, unlikely to generate an intermediate equilibrium. Competition to be chosen by others, called "competitive altruism" (Roberts 1998; Hardy and Van Vugt 2006; Nesse 2009), should lead to a runaway of cooperation, as it does in sexual selection (West-Eberhard 1983). In

principle, this runaway should proceed up to the point where the cost of investing into cooperation cancels out the benefit of finding a partner (West-Eberhard 1979; Fisher 1999 p.152) that is up to the "wasteful" threshold where cooperation becomes fruitless. Is competitive altruism, however, balanced by opposite forces, leading to an evolutionary stabilization of cooperation below this threshold? Is this level socially optimal, or does partner choice lead to the investment into counterproductive forms of cooperation to out-compete others as it does in sexual selection?

Most previous models on partner choice have not addressed these questions, either because they have assumed that cooperation is an all-or-nothing decision (Eshel and Cavalli-Sforza 1982; Bergstrom 2003; Aktipis 2004; Fu et al. 2008; Chen et al. 2009; Aktipis 2011; Suzuki and Kimura 2011; Sibly and Curnow 2012; Campennì and Schino 2014; Izquierdo et al. 2014; Chen et al. 2016; Wubs et al. 2016), or because they have studied the investment in cooperation as a quantitative trait but without considering diminishing returns (Sherratt and Roberts 1998; Ferriere et al. 2002; Foster and Kokko 2006; Nesse 2009; Song and Feldman 2013).

In this paper, we build a model inspired by McNamara et al. (2008), in which a quantitative level of cooperation expressed by individuals jointly evolves with a quantitative level of choosiness regarding others' cooperation. Analysing this model, we first confirm the existence of a paradox. Partner choice does create a competition to be chosen as a partner, leading to a runaway of cooperation and choosiness up to the point where the cost of cooperation entirely cancels out its benefit. Hence, at first sight, partner choice is unable to explain the evolution of a moderate and efficient level of cooperation.

However, we then resolve this apparent paradox by importing tools from the economics literature

and assuming that individuals can plastically modulate their choosiness in function of their own

cooperation level. This plasticity allows every individual to behave optimally on the biological

market, which did not occur in the first model. Assortative matching emerges and leads to the

evolution of efficient levels of cooperation. If the cost of changing partner is low enough, this

process can even lead to the evolution of the socially optimal level of cooperation where the

mutual efficiency of cooperation is maximised.

2. Methods

2.1. Partner choice framework

We model partner choice in an infinite size population using Debove et al. (2015a)'s framework.

Solitary individuals randomly encounter each other in pairs at a rate β. In each encounter, the two

players decide whether they accept one another as a partner (see below how this decision is

made). If one of the two individuals (or both) refuses the interaction, the two individuals

immediately split and move back to the solitary pool. If both individuals accept each other, on the

other hand, the interaction takes place and lasts for an exponentially distributed duration with

stopping rate τ, after which the two individuals move back to the solitary pool again. The ratio

β/τ thus characterizes the "fluidity" of the biological market. If β is high and τ is low,

individuals meet each other frequently and interact for a long time. In such an almost frictionless

market, they should be choosy about their partner's investment in cooperation. Conversely, if

β/τ is low, individuals rarely meet potential partners and interact for a short time. In such a

market, on the contrary, individuals should accept any partner.

Regarding the nature of the social interaction, we consider a quantitative version of the prisoner's

dilemma in continuous time. Each individual i is genetically characterized by two traits: her

cooperation level x_i, and her choosiness y_i. Cooperation level x_i represents the quantitative

amount of effort that an individual i is willing to invest into cooperation. Choosiness y_i

represents the minimal cooperation level that an individual i is willing to accept in a partner, i.e.

every potential partner j with cooperation $x_j \geq y_i$ will be accepted, whereas every potential

partner with $x_j < y_i$ will be rejected. Once an interaction is accepted by both players, at every

instant of the interaction, each player invests her effort x_i (see below for the payoff function), and

the interaction lasts in expectation for $1/\tau$ units of time, where τ is the stopping rate of the

interaction.

When they are solitary, individuals gain a payoff S per unit of time. When involved into an

interaction, they gain a social payoff that depends on both partners' cooperation level. The

cooperative interaction is a continuous prisoner's dilemma: making an investment brings benefits

to the partner but comes at a cost to the provider. As stated in the introduction, we make the

additional assumption that cooperation has diminishing returns (Altmann 1979; Weigel 1981;

Killingback and Doebeli 2002). This induces the existence of an intermediate level of

cooperation at which the sum of the partners' gains is maximized, the so-called "social

optimum". An individual i paired with j gains the following social payoff $\Pi(x_i, x_j)$ per unit of

time:

$$\Pi(x_i, x_j) = x_j - c{x_i}^2$$

148 Hence, the expected payoff of an individual i paired with j is

$$\frac{x_j - cx_i^{\,2}}{\tau}$$

where individual i paired with τ is the stopping rate of the interaction. The socially optimal level

of cooperation is $\hat{x} = 1/2c$. Beyond this level, the net benefit of cooperation decreases.

Eventually, the interaction becomes entirely profitless, or even costly, if individuals invest more

than the "wasteful threshold" $x = 1/c$. We allow both cooperation and choosiness to take any

positive real value.

Previous studies demonstrated that the existence of some variability among individuals is

necessary to stabilize conditional cooperation (Ferriere et al. 2002; Foster and Kokko 2006;

McNamara et al. 2008; McNamara and Leimar 2010; Song and Feldman 2013). If every possible

partner is equally cooperative, then there is no need to be choosy with regard to the quality of

one's partner, and choosiness cannot be evolutionarily stable. In order to capture the effect of

variability in the simplest possible way, we assume that individuals do not perfectly control their

investment into cooperation (as in Song and Feldman 2013 and André, 2015 for instance). An

individual's actual cooperation level x_i is a random variable which follows a truncated to zero

normal distribution around the individual's gene value $\bar{x}_i$, with standard deviation σ. In what

follows, we call cooperation level the genetically encoded cooperation level that individuals aim

for, and "phenotypic cooperation" the actual level of cooperation that they express after

phenotypic noise.

We are interested in the joint evolution of cooperation, and choosiness by natural selection. We

undertake and compare the consequences of two distinct assumptions. In a first approach, we

assume that both cooperation and choosiness are hard-wired traits, that is each individual is

171 characterized by a single level of cooperation $\bar{x}$ and a single choosiness y, both expressed

172 unconditionally. In a second approach, we still assume that cooperation is a hard-wired trait, but

173 we consider that choosiness is a reaction norm by which individuals respond to their own

174 phenotypic cooperation.

2.2. Hard-Wired choosiness

Here, we assume that each individual is genetically characterized by two traits: his level of

cooperation $\bar{x}$ and his choosiness y and we are interested in the evolution of these two traits by

natural selection. For this, we need to derive the fecundity of a rare mutant m playing strategy

$(\bar{x}_m, y_m)$ in a resident population r playing strategy $(\bar{x}_r, y_r)$. The mutant fecundity is

proportional to her cumulative lifetime payoff G_m, which can be written as (see SI for a detailed

analysis of the model):

$$G_m = \frac{\bar{\bar{\Pi}}_m \alpha_m \beta + S\tau}{\alpha_m \beta + \tau}$$

with α_m the mean probability for an encounter between the mutant and a resident to be mutually

accepted, and $\bar{\bar{\Pi}}_m$ the mutant mean social payoff (see Table 1 for a list of the parameters of the

model). This expression is similar to the classical sequential encounter model of optimal diet

(Schoener 1971).

The evolutionary trajectory of the two traits (choosiness and cooperation) can be studied from the

analysis of the selection gradient on each trait:

$$\begin{cases} \dfrac{\partial G_m}{\partial \bar{x}_m}\bigg|_{\substack{\bar{x}_m = \bar{x}_r \\ y_m = y_r}} \\ \dfrac{\partial G_m}{\partial y_m}\bigg|_{\substack{\bar{x}_m = \bar{x}_r \\ y_m = y_r}} \end{cases}$$

190   We could not derive an analytical expression of the evolutionarily stable strategy. However, we

191   numerically computed the selection gradient on each trait, in order to study the evolutionary

192   trajectories.

193   [Table 1]

2.3. Plastic choosiness

Because cooperation is subject to phenotypic noise (i.e. one does not perfectly control one's own

level of cooperation), it could make sense, at least in principle, for individuals to adapt plastically

their degree of choosiness to the actual phenotypic cooperation that they happen to express. For

instance, it could make sense for those individuals who happen to be phenotypically more

generous to be also choosier, and vice versa. In our second model, we aim to explore the

consequences of this possibility. To do so, we assume that choosiness is not a hard-wired trait,

but a plastic decision that individuals take in function of their own phenotypic cooperation. An

individual's "choosiness strategy" is thus defined as a reaction norm rather than a single value.

Our aim in this second model is to study the joint evolution of cooperation $\bar{x}$ on one hand, and of

the "choosiness strategy" $y(x)$, defined as the shape of a reaction norm, on the other hand. One

facet of this problem, therefore, consists in seeking for the equilibrium choosiness strategy in a

situation where both one's own quality (one's phenotypic cooperation level) and the quality of

one's prospective partners vary. Matching theory, a branch of micro-economics, provides tools to

resolve this problem. Here we briefly explain this approach, and show how it applies to our

problem.

In a first category of approaches, called matching models, changing partner is assumed to be

entirely cost-free (Gale and Shapley 1962; Becker 1973). That is to say, agents have an infinite

amount of time available to find each other. In this setting, theory shows that there is a unique

equilibrium choosiness strategy: an individual with phenotypic cooperation x should only accept

to interact with individuals with at least the same phenotypic cooperation level x, i.e. the

equilibrium reaction norm is the identity function. This equilibrium strategy leads to a strictly

positive assortative matching in which individuals are paired with likes.

The second category of approaches, called search and matching models, accounts for frictions in

the matching process, i.e. incorporates an explicit cost for changing partner (Chade et al. 2017).

These models actually correspond exactly to our own partner choice framework. Individuals

randomly encounter each other at a given rate and, when an individual refuses an interaction, she

has to wait for some time before encountering a new partner. Unfortunately, the equilibrium

choosiness reaction norm $y^*(x)$ cannot be analytically derived in these models. However, Smith

(2006) has shown that a mathematical property of the social payoff function $\Pi(x_i, x_j)$ allows

predicting the shape of this reaction norm. If the social payoff function $\Pi(x_i, x_j)$ is strictly log-

supermodular, then $y^*(x)$ is strictly increasing with x. If this is the case, the more an individual

invests into cooperation, the choosier she should be. This equilibrium is called a weakly positive

assortative matching. Log-supermodularity is defined as the following: $\Pi(x_i, x_j)$ is strictly log-

supermodular only if $\Pi(x_i, x_j) \Pi(x_k, x_l) > \Pi(x_i, x_l) \Pi(x_k, x_j)$ for any investments $x_i > x_k$ and

$x_j > x_l$.

Matching and search and matching models are, however, only interested in characterizing the

equilibrium choosiness strategy of individuals, assuming a given, fixed, distribution of

cooperation levels. As a result, matching models can offer an insight into the evolution of

choosiness, but not into the joint evolution of choosiness and cooperation. To study this joint

evolution in the case where choosiness is a reaction norm, and not a single value, we developed

individual-based simulations.

2.4. Individual-based simulations

In addition to our analytical models, we run individual-based simulations coded into Python. We

simulate the joint evolution of cooperation and choosiness in a population of N individuals, with

the same lifespan L. A Moran evolution process is applied with mutations occurring at rate μ.

Mutant genes are drawn from a normal distribution around the parent's gene value, with standard

deviation σ_{mut}. Large effect mutations are implemented with probability μ_l. They do not alter the

equilibrium result and they allow to speed up the joint evolution process. We run long enough

simulations for both choosiness and cooperation to stabilize. In contrast with previous papers

(Sherratt and Roberts 1998; Foster and Kokko 2006; McNamara and Leimar 2010), here we

consider a continuous rather than discrete trait space, because Sherratt and Roberts (1998) have

shown than too much discretization can produce undesirable consequences when studying a joint

evolution process.

We run simulations both under the assumption that choosiness is hard-wired, and under the

assumption that it is a reaction norm. In the second case, we test two types of reaction norms.

First, we consider polynomial functions, the coefficients of which evolve by natural selection.

Second, we consider step functions with evolving coefficients coding for the value of choosiness

for each interval of cooperation. In the initial generation, all reaction norms are set to a constant

zero function, so that individuals are never choosy at initiation.

3. Results

3.1. Hard-wired choosiness

Without variability in cooperation ($\sigma = 0$), there is no selective pressure to be choosier and,

therefore, to be more cooperative. The only Nash equilibrium is $(\bar{x}, y) = (0,0)$, see SI for a

demonstration.

When phenotypic cooperation is variable, however, the evolutionarily stable strategy cannot be

formally derived. We therefore study the joint evolutionary dynamics of cooperation and

choosiness by plotting numerically the selection gradients acting on both traits (Fig. 1). When

starting from an initially selfish population, a runaway occurs: cooperation and choosiness jointly

evolve up to very high values, largely beyond the socially optimal level. At evolutionary

equilibrium, both traits are in effect very close to the "wasteful threshold" $x = 1/c$ at which

cooperation is entirely profitless. In fact, choosiness is even slightly larger than the "wasteful

threshold" at equilibrium because, due to phenotypic variability, some individuals cooperate

beyond $x = 1/c$ which makes it adaptive to request high values of cooperation. We test the

robustness of this result under a range of parameter values (Fig. 2). The parameter β controls the

fluidity of the social market (the larger is β, the less costly it is to change partner) and the

parameter σ controls the width of the phenotypic variability of cooperation. When the market is

very fluid and phenotypic variability is large, individuals are very choosy at the evolutionary

equilibrium, to the point where they only accept partners with a cooperation level higher than

$x = 1/c$, that is the precise level at which the cost of cooperation for the helper entirely cancels

out its benefit for the helpee (Fig. 2b). Individual-based simulations confirm these results (see

SI).

This runaway process can be understood intuitively. In any population, some individuals

cooperate more than average, in particular owing to phenotypic variability. As a result, if partner

choice is sufficiently fluid, it is adaptive to accept only these hyper-generous partners. Hence,

choosiness increases by natural selection beyond the average cooperation level. In turn, this

favours individuals who cooperate more than average, i.e. the mean level of cooperation

increases by natural selection, etc. Like in sexual selection, this process can go on until the cost

of cooperating becomes larger than the benefit of being chosen as a partner, i.e. until individuals

cooperate precisely at the "wasteful threshold".

[Figure 1]

[Figure 2]

Note that Wild and Cojocaru (2016, inspired by Barclay 2011) also showed that partner choice

could, under some circumstances, drive the evolution of cooperation up to a "wasteful threshold".

However, in their model, the choosiness strategy was fixed, and not necessarily optimal; it did

not evolve jointly with cooperation. The present results are thus more robust and general.

3.2. Plastic choosiness

Here, an individual's choosiness is a reaction norm to her own phenotypic cooperation, and we

used search and matching models (see Section 2.3) to derive the two following predictions

regarding the evolutionarily stable reaction norm:

i.   If the social payoff function is strictly log-supermodular, an individual's optimal

choosiness is a strictly increasing function of her own cooperation (weakly positive

assortative matching).

ii. If the market fluidity β/τ is high, the reaction norm should be close to $y^*(x) = x$ $\forall x$

(strictly positive assortative matching).

We first show that our production function Π is strictly log-supermodular. Indeed

$\Pi(x_i, x_j) \Pi(x_k, x_l) > \Pi(x_i, x_l) \Pi(x_k, x_j)$ is equivalent to

$$(x_i - x_k)(x_j - x_l)(x_i + x_k) > 0$$

which is true for all $x_i > x_k \geq 0$ and $x_j > x_l$. Accordingly, search and matching models show

that the optimal choosiness strategy is an increasing reaction norm, i.e. more phenotypically

cooperative individuals should also be choosier, leading to a positive assortative matching at

equilibrium (phenotypically generous individuals are matched with other generous individuals,

and vice versa).

[Figure 3]

Individual-based simulations confirm this result. Fig. 3 shows the reaction norm at evolutionary

equilibrium in these simulations: choosiness is strictly increasing, at least around the levels of

phenotypic cooperation that are actually present at equilibrium. Outside this range, selection is

very weak on the reaction norm, and we observe larger confidence intervals. As expected, when

the market tends to be frictionless, the reaction norm becomes very close to the identity function,

that is to a strict positive assortative matching (Fig. 3a and b, orange dashed line).

[Figure 4]

Importantly, the evolution of a plastic rather than hard-wired choosiness strategy has a key

consequence regarding the evolution of cooperation. When choosiness is plastic, cooperation

stabilizes at a level largely below the wasteful threshold (Fig. 4). As a result, in contrast with the

hard-wired case, at the evolutionary equilibrium, cooperation has a strictly positive net benefit.

What is more, when market fluidity is large (partner change has a small cost), cooperation

evolves precisely towards the socially optimal level, i.e. the level that maximizes the net total

payoff of individuals ($\hat{x} = 1/2c$).

This result can also be understood intuitively. In the first model where choosiness was hard-

wired, it was adaptive to increase one's cooperation level beyond the population mean because,

by doing so, an individual could switch from "being rejected by everyone", to "being accepted by

everyone". The runaway process, therefore, proceeded until cooperation had no benefit at all. In

contrast, in the present model where choosiness is plastic, increasing one's cooperation level is

beneficial because it allows one to *access better partners*. Hence, this is useful only provided the

benefit of accessing a higher quality partner is larger than the cost of being more cooperative. As

a result, cooperation only rises up to the social optimum, where its net benefit is maximized.

4. Discussion

Most theoretical works on the evolution of cooperation by partner choice aim at explaining how

some cooperation can be evolutionarily stable. They do not aim at understanding which specific

quantitative *level* of cooperation should evolve. In this paper, we have raised this second question

and investigated whether partner choice can account for the evolution of an intermediate and

efficient level of cooperation. In this aim, we have modelled, both analytically and with

individual-based simulations, the joint evolution of two traits: cooperation, the effort invested

into helping others, and choosiness, the minimal level of cooperation that an individual is willing

to accept in a partner.

In a first model, we have found that the mechanism of partner choice seems to be incompatible

with the evolution of an efficient level of cooperation. To understand intuitively, consider a

population with a given distribution of cooperation levels, with some particularly generous

individuals, some particularly stingy individuals, and a given mean cooperation level. In such a

population, provided that the variability of cooperation is sufficiently large and the market

sufficiently fluid, it is always adaptive to accept only partners that are slightly better than average

(McNamara et al. 2008). Hence, natural selection favours individuals with a choosiness always

slightly larger than the average cooperation level. In turn, this choosiness selects for mutants

whose cooperation level is larger than the mean, which leads to a gradual increase in cooperation.

This runaway process drives cooperation up to the point where interactions become totally

profitless because the cost of cooperation entirely cancels out its benefits (Figs. 1 and 2). Thus,

partner choice prompts individuals to invest into counterproductive forms of cooperation to

outbid others, leading to an eventually fruitless arms race.

However, in a second approach, in line with matching models from the economic literature, we

have designed a model in which choosiness is implemented as a reaction norm to the individual's

own cooperation level (see Section 2.3), the shape of which evolves by natural selection. In this

case, both our analytical model and complementary individual-based simulations show that the

evolutionarily stable reaction norm is a monotonously increasing function of cooperation (Fig. 3).

This implies that more generous individuals are also choosier, leading to a positive assortative

matching: generous individuals tend to interact with other generous individuals, and vice versa.

Furthermore, if the biological market is fluid enough (i.e. if the cost of changing partner is low),

this positive assortative matching becomes very close to a perfect matching in which individuals

with a given level of cooperation always interact with other individuals with the exact same level

(Fig. 3a and b).

In this case, and in sharp contrast with the model in which choosiness is a hard-wired trait,

cooperation does not reach the counterproductive level where its cost cancels out its benefit (Fig.

4). More precisely, when the market is very fluid (partner choice is very cheap), the

evolutionarily stable cooperation becomes very close to the social optimum, i.e. the amount of

cooperation that maximizes the sum of the partners' payoffs. This can also be understood

intuitively. Because of the strict assortment between cooperative types, individuals with a given

cooperation level interact with other individuals with the exact same level. Hence, pairs of

individuals become the effective units of selection, like if interactions occurred among genetic

clones (Eshel and Cavalli-Sforza 1982; Wilson and Dugatkin 1997; Aktipis 2004). Consequently,

the socially optimal level of cooperation is favoured.

Hence, the fruitless runaway of cooperation that occurs in a model with hard-wired choosiness is

a consequence of the assumption that individuals cannot optimally adapt their degree of

choosiness to local circumstances. If individuals are allowed to behave optimally, which entails

in the present case to adapt plastically their choosiness to their own generosity, then partner

choice looks less like a competition to outbid others, and more like a competition to form

efficient partnerships with others, which leads to a very different outcome regarding the net

benefits of cooperation.

Wilson and Dugatkin (1997) already discussed the consequences of assortative matching for the

evolution of socially efficient levels of cooperation. However, they did not explicitly model a

partner choice strategy, let alone the evolution of this strategy, but merely assumed that

assortment occurs in one way or another. In contrast, here, we have studied the joint evolution of

choosiness and cooperation, showing how a positive assortative matching can emerge from a

simple partner choice mechanism.

In another related work, using individual-based simulations McNamara et al. (2008) also

observed a form of assortative matching in the joint evolution of cooperation and choosiness. The

difference with the present approach, however, is that they assumed that the variability of

cooperation is maintained at the genetic level, via a high mutation rate, rather than at the

phenotypic level. Under this assumption, negative selection on inefficient mutants (either too

choosy or too generous) creates a linkage disequilibrium between cooperation and choosiness,

resulting in a positive assortative matching. In McNamara et al. (2008)'s simulations, however,

in contrast with our results, cooperation never reaches the socially optimal level. In a

complementary analysis (see SI), we showed that this is a consequence of their assumption that

the genetic mutation rate is very high, which prevents natural selection from fully optimizing

social strategies.

Some scholars have already imported principles from matching theory into evolutionary biology,

especially in the field of sexual selection. Johnstone et al. (1996) and Bergstrom and Real (2000)

have used matching models, respectively with and without search frictions, to shed light on

mutual mate choice. Both works focused on the evolution of choosiness with a given, fixed

distribution of individual's quality. As we have previously shown, the intensity of assortment

may have a dramatic impact on the evolution of the chosen trait (cooperation, in our case). For

instance, further models could investigate the precise limits of the runaway processes that occur

on weaponry, or on ornamental traits, in sexual selection. More generally, matching models

could be helpful to analyse a large variety of biological markets (Noë and Hammerstein 1994,

1995; Hammerstein and Noë 2016), including inter-specific mutualisms, such as mycorrhizal

symbiosis or plant-rhizobia relationships (Simms and Taylor 2002; Kiers et al. 2003, 2011).

As for the human case in particular, several lines of evidence suggest that partner choice is a

likely candidate as a key driving force in the evolution of cooperation. Numerous experimental

studies have shown that human beings indeed do choose their social partners in function of their

cooperative reputation (Barclay and Willer 2007; Sylwester and Roberts 2010, 2013; Barclay

2013, 2016; Baumard et al. 2013; Raihani and Smith 2015; Barclay and Raihani 2016; Efferson

et al. 2016; Stovel and Chiang 2016; Wu et al. 2016). Anthropological observations show that

defection in traditional societies is mostly met with a passive abandon rather than with more

defection in return (see Baumard et al. 2013 for a review). Also, several theoretical studies have

shown that partner choice is able to explain the evolution of other important properties of human

cooperation, such as the fact that its benefits are often shared in proportion to everyone's

respective effort in producing them (Chiang 2008; André and Baumard 2011a, 2011b; Debove et

al. 2015a, 2015b, 2017; Takesue 2017).

Regarding the quantitative level of cooperation, observations show that humans have precise

preferences regarding the amount of effort that shall be put into helping others. Daily life

contains ample examples of these preferences. For instance, we hold the door for others in

subway stations, but only when they are sufficiently close to the door already, not when they are

very far from it. And this is true quite generally. As experiments in real settings demonstrate, we

have preferences for specific amounts of cooperation, neither too little, nor too much (Santamaria

and Rosenbaum 2011; Lange and Eggert 2015). Sometimes this preference is expressed in a

purely quantitative manner. At other times, the same preference is expressed in a more qualitative

way, determining the kinds of cooperative action that we are willing, or unwilling, to perform. In

any case, our investment in helping is quantitatively bounded. Moreover, the precise level of

effort we are willing to put in cooperation seems to be constrained by considerations of social

efficiency. Individuals help one another only when it is mutually advantageous, that is when the

cost of helping is less than the benefit of being helped. Additionally, recent evolutionary

modellings of risk pooling have revealed the socially optimal nature of helping behaviours

(Cronk 2007; Aktipis et al. 2011, 2016; Campennì and Schino 2014; Hao et al. 2015). They have

shown that people's systems of mutual help correspond to the most efficient systems of risk

pooling in a volatile environment.

In this paper, we have shown that partner choice can foster the evolution of such an intermediate

and efficient amount of cooperation, neither too little nor too much. But we have also shown that

the precise evolutionarily stable amount of cooperation should depend on the fluidity of the

biological market, and can range from a very low level of cooperation, up to the socially optimal

level (Fig. 4). A number of anthropological studies suggest that contemporary hunter-gatherer

societies exhibit high levels of spatial mobility (Baumard et al. 2013; Lewis et al. 2014).

Therefore, it seems plausible that biological markets were highly fluid in the social structure that

our ancestors experienced. Our model predicts that, in this case, the amount of effort invested

into cooperation should become very close to the social optimum. Therefore, partner choice can

account for the evolution of human preferences concerning social efficiency.

One could wonder, however, whether other models on the evolution of cooperation can account

for the evolution of a socially optimal level of cooperation as well. The most influential model on

the evolution of quantitative cooperation among non-kin is the continuous version of the iterated

prisoner's dilemma (Roberts and Sherratt 1998; Wahl and Nowak 1999*a*, 1999*b*; Killingback and

Doebeli 2002; Lehmann and Keller 2006; André and Day 2007; André 2015). In this game,

André and Day (2007) have shown that the only evolutionarily stable level of investment is the

one that maximises the total benefit of the interaction, i.e. that natural selection does eventually

favour the socially optimal amount of cooperation (see also Binmore 1990; Fundenberg and

Maskin 1990; Robson 1990 and Binmore and Samuelson 1992 in a discrete version of the

iterated prisoner's dilemma). Yet, in this approach, selection for efficient cooperation is only a

second-order force, which plays a significant role only because André and Day (2007) assumed

the absence of other first-order effects. For instance, a slight cognitive cost of conditional

behaviour would have prevented the evolution of efficient cooperation in their model. In another

related study, Akçay and Van Cleve (2012) have shown that some genetic relatedness is required

for the socially optimal amount of cooperation to be favored by first-order selective effects in the

continous prisoner's dilemma. In contrast, under the effect of partner choice, efficient

cooperation is favoured by first-order selective effects even in the absence of genetic relatedness.

This occurs because, unlike reciprocity, partner choice is a *directional* enforcement mechanism.

Whereas reciprocity merely stabilizes any given level of cooperation (a principle called the folk

theorem, see Aumann and Shapley 1994; Boyd 2006), partner choice directionally favours the

most efficient level.

One limit of our model is that we did not introduce an explicit mechanism for reputation. We

simply assumed that, in a way or another, individuals have reliable information regarding the

cooperation level of others, but we did not model the way in which they obtain this information.

Costly signalling theory proposes that some cooperative behaviours are costly signals of an

individual's quality or willingness to cooperate (Leimar 1997; Gintis et al. 2001; André 2010;

Barclay 2015; Bird and Power 2015; Bliege Bird et al. 2018). Such signals could, in theory, be

far from socially efficient (Gintis et al. 2001). However, further analyses are needed to rigorously

model signalling in the context of a biological market.

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Tables

Table 1: Parameters of the model

Parameter	Definition
$\bar{x}_i$	Cooperation level of individual i (mean value before applying noise)
y_i	Choosiness of individual i
σ	Standard deviation of the phenotypic cooperation distribution
β	Encounter rate
τ	Split rate
S	Solitary gain per unit of time
$\Pi(x_i, x_j)$	Social payoff of an individual i matched with a partner j
c	Cost of cooperation
α_i	Mean probability for an individual i to interact when she encounters a resident
$\bar{\Pi}_i$	Mean social payoff for an individual i interacting with a resident
G_i	Cumulative lifetime payoff of an individual i

Figures

(a)   (b)

Figure 1: Analytical and numerical results. **(a)** In grey, the vector field of the selection gradient.

In red, the evolutionary trajectory starting from an initially selfish population $(\bar{x}, y) = (0,0)$.

Parameters are $S = 0$; $c = 1$; $\sigma = 0.025$; $\beta = 1$; $\tau = 0.01$. **(b)** The corresponding evolution of

the cumulative lifetime payoff G for a resident individual. The socially optimal solution is

$\hat{x} = 1/2$ and the interaction becomes profitless if both individuals invest $x = 1$

(a)

(b)

Figure 2: Analytical results for a range of parameters. Equilibrium value for **(a)** choosiness and **(b)** cumulative lifetime payoff as a function of the standard deviation σ and three values of the encounter rate $\beta = 1; 0.1; 0.001$ respectively for high, medium and low market fluidity. Other parameters are the same as in Fig. 1

(a) (b) (c) (d)

Figure 3: Plastic choosiness at the equilibrium. In blue, plastic choosiness at the equilibrium over 30 simulations. 99% confident interval in red. The orange dashed line is the optimal reaction norm for a frictionless matching market (strong form of positive assortative matching). In grey the distribution of phenotypic cooperation at equilibrium. **(a-b)** High market fluidity $\beta = 1$. **(c-d)** Low market fluidity $\beta = 0.01$. **(a-c)** Polynomial norm. **(b-d)** Discrete norm. Parameters are $S = 0$; $c = 1$; $\sigma = 0.1$; $\tau = 0.01$; $\mu = 0.001$; $\sigma_{mut} = 0.05$; $\mu_l = 0.05$; $N = 300$; $L = 500$

Figure 4: Evolution of cooperation for a polynomial reaction norm. Mean over 30 simulations. Parameters: there are three values for the encounter rate $\beta = 1; 0.1; 0.001$ respectively for high, medium and low market fluidity. Other parameters are the same as in Fig. 3