Title: Climate drives spatial variation in Zika epidemics in Latin America

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Abstract

Between 2015 and 2017, Zika virus spread rapidly through populations in the Americas with no

prior exposure to the disease. Although climate is a known determinant of many *Aedes*-

transmitted diseases, it is currently unclear whether climate was a major driver the of Zika

epidemic and how climate might have differentially impacted outbreak intensity across locations

within Latin America. Here, we estimated force of infection for Zika over time and across

provinces in Latin America using a time-varying Susceptible Infectious Recovered model.

Climate factors explained less than 5% of the variation in weekly transmission intensity in a

spatiotemporal model of force of infection by province over time, suggesting that week to week

transmission within provinces may be too stochastic to predict. By contrast, climate and

population factors were highly predictive of spatial variation in the presence and intensity of

Zika transmission among provinces, with pseudo R^2 values between 0.33 and 0.60. Temperature,

temperature range, rainfall, and population size were the most important predictors of where

Zika transmission occurred, while rainfall, relative humidity, and a nonlinear effect of

temperature were the best predictors of Zika intensity and burden. Surprisingly, force of

infection was greatest in locations with temperatures near 24°C, much lower than previous

estimates from mechanistic models, potentially suggesting that existing vector control programs

and/or prior exposure to other mosquito-borne diseases may have limited transmission in

locations most suitable for *Aedes aegypti*, the main vector of Zika, dengue, and chikungunya

viruses in Latin America.

Introduction

The emergence and re-emergence of mosquito-borne diseases presents a global public health concern, yet trends in mosquito-borne disease transmission are hard to predict because they are influenced by the underlying immunity in the population, which is usually unknown [1–3]. The emergence and spread of Zika virus through Latin America in a population with no prior exposure or immunity to the disease provides an opportunity to characterize relationships among the environment, populations, and disease transmission without the confounding effects of pre-existing immunity (although cross-reactivity between dengue antibodies and Zika virus may provide some protection) [4]. Between 2015 and 2017, Zika rapidly spread to 51 countries and territories in the Americas, with over 800,000 cases reported [5]. Here, we quantified the force of infection for Zika and studied factors that contributed to variation in transmission across time and space as Zika emerged.

Force of infection, or the per capita rate at which susceptible individuals contract an infection, can be used to compare disease transmission over the course of an outbreak and across geographic regions [2,6]. Force of infection estimates can account for variation in the number of immune individuals and entomological factors that influence the time it takes for mosquito-borne diseases to be transmitted [2,6]. It can take up to several weeks for mosquitoes to spread diseases because transmission requires a mosquito to bite an infectious person, the pathogen to replicate and disseminate in the mosquito (during the extrinsic incubation period), and the mosquito to bite and infect a susceptible person [2,7–9]. Force of infection can be calculated over time to study how transmission rate changes over the course of an outbreak and to compare outbreaks of the same disease in different places [2,6,10–12].

The progression of an epidemic can be characterized and compared through measures of

burden, intensity, and transmission rate [13,14]. We can quantitatively differentiate between

epidemics with sharp peaks in case incidence that quickly burn through the susceptible

population and more sustained, low-level transmission [6,15,16]. Instances when high case

incidence coincides with a low force of infection may indicate the presence of imported cases

[17]. Each of these epidemic metrics may be affected to a different extent by climate and

population factors, in addition to country and province-level features like existing transportation

infrastructure and vector control resources [4,9,18,19]. Additionally, conditions that enable the

establishment of a disease may differ from those that drive higher epidemic intensity following

establishment [20].

Climate is a key determinant for whether mosquito-borne disease transmission can occur

and the intensity of outbreaks because of its effects on vector dynamics. The primary vector of

Zika in Latin America is *Aedes aegypti*, which also spreads chikungunya and dengue viruses

[21]. Disease transmission can only occur if climate conditions are suitable for pathogen and

vector survival and reproduction, while the intensity of transmission may be affected by how

close humidity, temperature, and rainfall are to optimal climate conditions for vector and

pathogen performance [2,9,22–27]. Humidity is positively associated with mosquito survival

[23]. Temperature influences mosquito fecundity, development, and survival, as well as factors

contributing directly to transmission, including the extrinsic incubation period and mosquito

biting rate [9,24,27–29]. These thermal responses are nonlinear with optimal disease

transmission expected at 29°C for viruses transmitted by *A. aegypti* based on mechanistic models

parameterized from laboratory experiments [20,25]. Mosquitoes require water to complete their

life cycle and breed, but the relationship between mosquito abundance and rainfall is variable

[30–36]. The most notable reasons for this varying relationship are associated with extreme

conditions, such as heavy rainfall that can kill and wash away larvae [37,38], and drought, which

in certain regions promotes humans storing water in open containers that serve as breeding

habitats [35,36]. Understanding how climate drives the emergence and intensity of Zika will be

important for identifying regions where the disease is likely to become endemic, and, more

generally, for predicting the potential trajectories of other mosquito-borne diseases that could

emerge and re-emerge in the future, such as o'nyong nyong, Mayaro, and yellow fever [1,19,39–

41].

In this study, we estimate weekly force of infection for Zika from human case reports

across Latin America to examine the role of climate in driving the emergence and intensity of the

2015 to 2017 outbreak. Specifically, we use the models to ask how climate and population

variation affect (1) when and where epidemics occur, (2) epidemic dynamics over time, and (3)

geographic variation in the intensity of epidemics. We use disease case reports and force of

infection estimates in two modeling frameworks. First, we examine variation in force of

infection over time within provinces to understand how strongly climate predicts the probability

of weekly local transmission and the intensity of weekly force of infection. Then, we examine

spatial variation in several epidemic metrics, including total human cases and mean force of

infection, to understand how climate and population factors shape epidemics geographically.

Materials and Methods

Epidemiological Data

To investigate Zika transmission dynamics over time and space in Latin America, we

downloaded and preprocessed publicly available human case data. We used weekly suspected

and confirmed Zika cases between November 2015 and November 2017 for 156 provinces

across seven countries in Latin America (Colombia = 32 provinces, Dominican Republic = 32

provinces, Ecuador = 24 provinces, El Salvador = 14 provinces, Guatemala = 22 provinces, and

Mexico = 32 provinces) from the Centers for Disease Control and Prevention (CDC) Zika Data

Repository, which includes epidemiological bulletins provided by each country's ministry of

health [42]. We excluded fourteen provinces with fewer than ten weeks of case reporting or

irregular reporting intervals, because those provinces provided insufficient data to observe

meaningful trends in transmission (excluded provinces: Ecuador = eight provinces, Guatemala =

two provinces, and Mexico = four provinces). For the remaining provinces, we temporally

interpolated case data for weeks with missing data and reporting errors by averaging cases from

the weeks immediately preceding and following these intervals.

Weather Data

To investigate the effects of climate on Zika transmission, we downloaded weather data

and calculated climate metrics with time lags relevant to diseases spread by the *Aedes aegypti*

vector. We downloaded daily mean relative humidity, total rainfall, and mean, minimum, and

maximum temperatures from Weather Underground [43]. For each province, we used the

weather station nearest to the province's centroid that had the most complete climate record in

the timespan corresponding to the case data. We excluded from our analyses an additional fifteen

provinces that had no nearby weather station reporting in the desired time period (excluded

provinces: Colombia = six provinces, Dominican Republic = one province, Ecuador = two

provinces, El Salvador = two provinces, Guatemala = two provinces, and Mexico = two

provinces), and further excluded 277 weeks with mean temperatures outside of the range of 0-

40°C and rainfall values exceeding 250mm, as these extreme values are likely to be weather

station errors. Our analyses included the remaining 127 provinces with a total of 7,109 weekly

observations of epidemiological and weather data. We believe weather station data provides

more accurate measurements of climate near populated areas (as weather stations are located at

airports or operated for personal use) compared with modeled weather data such as the NOAA

National Centers for Environmental Prediction Reanalysis data (NCEP; see Figure S1 for a

comparison between data from Weather Underground and NCEP, a gridded global model based

on satellite data), and therefore chose to conduct our analyses with weather station data with a

reduced sample size due to missing weather stations in some provinces.

To investigate the spatiotemporal dynamics of transmission, we calculated lagged climate

metrics (see Figure S2 for heatmaps showing variation in climate by province over time), as

humidity, temperature, and rainfall influence transmission at a delay, which is commonly

assumed to be between one and two months [30–32,34,35,44]. Specifically, we calculated

humidity, mean temperature, and temperature range (difference between the maximum and

minimum temperatures observed) over a three-week period, lagged by six weeks from the week

of case reporting (i.e., nine to seven weeks prior, following previous work) [20,45,46]. Similarly,

we calculated the cumulative rainfall over a six-week period, lagged by three weeks from the

week of case reporting (i.e., nine to four weeks prior), extending the window applied to lagged

temperature period by three weeks in order to better capture the effects of water accumulation

over time [47,48]. To compare differences in overall epidemic characteristics (e.g., total number

of cases, mean force of infection Table 1; Figure 1) among provinces, we also calculated

province-level mean humidity, mean temperature, temperature range, and cumulative rainfall

over the biologically relevant time lag described above.

tSIR Model

We estimated weekly force of infection by fitting time-varying Susceptible Infectious

Recovered (tSIR) models to the human case data [42]. We assumed a static population size

because the human population did not change significantly over the course of the epidemic, and

we assumed that Zika was introduced to a fully susceptible population since it had never been

documented before in this region. Therefore, we set the initial susceptible population (S_0) as the

most recent estimate of population (N) available from *City Population* as of June 2017, and

modeled the susceptible population following Zika introduction as $S_t = S_{t-1} - I_t$ where S

indicates the susceptible population at time (t) or ($t - 1$) and I indicates the infected population

at time (t) [49]. We defined effective infectious individuals based on the modification of the

tSIR model for vector-borne diseases developed by Perkins et al. 2015 for chikungunya

transmission because of similarities in the transmission ecology of their shared vector [2,34].

Using the infectious periods derived for chikungunya, we assumed that humans can transmit the

parasite to mosquitoes for five days after reporting symptoms and that secondary human

infections can arise from primary cases reported one to five weeks prior [50]. We calculated the

effective number of infectious individuals ($\tilde{I}_t$) as a weighted sum of infectious individuals (I_{t-n})

within a five-week serial interval (k=5). We used the same methods as the Perkins et al. 2015

model for chikungunya transmission to solve for the weights (ω_n) and substituted the appropriate

serial interval distribution for Zika (a Gaussian distribution with mean 20 days and standard

deviation 7.4 days) [2,51,52]:

$$\tilde{I}_t = \sum_{n=1}^{k} \omega_n I_{t-n} \qquad (1)$$

181   Individuals entered the recovered class after the five-week serial interval. We fit tSIR models to

182   case data for each province to calculate time-varying force of infection (β_t):

$$I_t = \beta_t \frac{\tilde{I}_t^{\alpha}}{N} S_{t-1} \qquad (2)$$

Here, the mixing parameter α indicates homogeneous frequency-dependent contact rate between

cases in each province. We fixed the mixing parameter due to the tradeoff between capturing

heterogeneity in transmission or mixing, a method commonly used in tSIR studies focused on

transmission dynamics [10,53–56]. Given the similar transmission dynamics of chikungunya and

Zika, we set the mixing parameter equal to 0.74, the value for chikungunya calculated in the

Perkins et al. study [2,51]. By rearranging equation 2, we solved for $\ln(\beta_t)$ using the following

equation:

$$\ln(\beta_t) = \ln(I_t) + \ln(N) - \ln(S_{t-1}) - \alpha \ln(\tilde{I}_t) \qquad (3)$$

Spatiotemporal Model

We investigated how strongly climate predicts the probability of weekly local

transmission and the intensity of weekly force of infection by regressing force of infection

against biologically relevant lagged and normalized climate factors. Since the transmission

parameters (β_t) were zero-inflated, we fit a two-step hurdle model that first predicts the

probability that the force of infection, β_{it}, will exceed zero in a given province (i) and week (t)

(i.e., presence of local transmission), and then predicts the magnitude of logged force of

infection, $\ln(\beta_{it})$ (i.e., intensity), given that β_t exceeds zero. To capture nonlinear relationships

between transmission and temperature, we included a squared term for temperature [2,9,20].

We performed stepwise model selection using backward elimination, selecting the best fit

models for both steps of the hurdle model as those with the highest adjusted R^2, and further

constraining the selection process to prohibit models that include a nonlinear temperature term

without a linear temperature term. To account for autocorrelation between observations within

each province over time, we fit panel models with a two-way random effect:

$$Step\ 1\ -\ Presence/Absence: P(\beta_{it} > 0) \sim cx_{it} + \mu_i + \eta_t + \varepsilon_{it} \qquad (4)$$

$$Step\ 2\ -\ Intensity\ Given\ Presence: ln(\beta_{it}) \sim cx_{it} + \mu_i + \eta_t + \varepsilon_{it} \qquad (5)$$

The hurdle models include climate covariates (x), their corresponding coefficients (c), time-

independent province random effect (μ), province-independent random effect of week (η), and

an observation-specific error term (ε) accounting for time (t) and province (i). Regressions were

conducted in R statistical software version 3.4.3 using the plm function in the plm package [57].

We also fit alternative fixed effect spatiotemporal models with month or month nested in

province fixed effects (Table S3-4).

Spatial Models

We examined the factors that drove broad-scale geographic differences in Zika

transmission by using linear regressions to compare epidemic metrics with normalized climate

and population factors. The response variables included epidemic metrics based on incidence and

force of infection (presence of local transmission, logged maximum force of infection, logged

average force of infection, cumulative cases, and mean weekly cases), where each response

variable was aggregated to a single value per province (Table 1; Figure 1). To account for

additional variation among countries beyond climate and population factors, we included country

as a fixed effect. Since some countries had local transmission in all provinces, we included

country as a random effect in the spatial model for the probability of local transmission in a

given province. For the population factor, we used the number of people living in the largest city

in each province based on census results and official estimates as of June 2017 downloaded from

City Population [49]. The mean value of each lagged climate covariate was taken for each

province across the time that cases were reported. For each spatial model, we performed stepwise

model selection using backwards elimination, selecting the best fit models as those with the

lowest AIC, and calculated pseudo R^2 with Nakagawa and Shielzeth's method for the model of

the probability of local transmission and Cragg, Uhler, and Nagelkerke's method for remaining

spatial models [58–61]. All regressions were conducted in R statistical software version 3.4.3

using the glm function in the base package.

Results

Epidemiological Data and tSIR Model

The duration and burden of Zika transmission and timing of epidemic peaks varied

considerably both between and within countries (Figure 2). Within the countries included in this

study, Zika emerged earliest in El Salvador in November of 2015, and latest in Colombia, which

first reported a Zika case almost one year later in January of 2016 (Figure 2A). The weights for

the serial interval were: $\omega_1 = 0.081, \omega_2 = 0.448; \omega_3 = 0.372; \omega_4 = 0.089; \omega_5 = 0.010$. Force

of infection ranged from 0 to 15.409 cases per 100,000 people per week (model fit shown in

Figure S3). In all countries there were weeks with no weekly local transmission ($\beta_t = 0$), but

high case incidence resulting from imported cases. All countries included in our analyses had at

least one province with local transmission (Figure 2B).

Spatiotemporal Model

The spatiotemporal hurdle model indicated that different climate factors were associated

with the presence of weekly local transmission versus the intensity of weekly force of infection

in a given province (Tables 1, S1-2). The best fit model for the presence of weekly local

transmission included positive linear relationships with mean temperature and humidity and

explained 3.7% of the variation in the likelihood of week to week transmission within provinces.

The best fit model for the intensity of weekly force of infection included negative linear effects

of mean temperature and humidity, as well as a positive linear effect of rainfall. This model

explained 1.1% of the variation in the intensity of weekly force of infection. Alternative fixed

effects models with month or month nested in province fixed effects produced similar results

(Table S3-4).

Spatial Models

The spatial models indicated that geographic variation in epidemics was driven by

climate and human population sizes (Figure 4, Tables S5-9). There was considerable geographic

variation in Zika presence and intensity within and among countries in Latin America (e.g.,

Figure 3). We found a positive linear relationship between the presence of local transmission and

humidity and mean temperature (Figure 4). For all other epidemic metrics, we found a unimodal

relationship with mean temperature, although this relationship is not statistically significant in

the models of cumulative cases and mean weekly cases (positive linear effect of mean

temperature and negative quadratic effect of mean temperature; Figures 4-5). In provinces that

had local transmission, mean force of infection peaked at 23.63°C (95% confidence interval:

22.20°C-25.49°C; Figure 5B). The population of the largest city had a positive relationship with

all epidemic characteristics aside from maximum force of infection (Figure 4). Mean humidity

had a slight positive linear relationship with cumulative cases, while rainfall had a slight positive

relationship with average weekly cases (Figure 4). All spatial models fit well based on their

pseudo R^2 values (0.33-0.60) (Table 1).

Discussion

Climate and population factors were strong drivers of geographic variation in Zika

epidemics, with different factors influencing where local transmission occurred compared with

the intensity of transmission. Relative humidity, temperature, temperature range, and the

population of the largest city were key determinants for whether local transmission occurred, and

these factors could be used to determine regional likelihood for future *Aedes aegypti* transmitted

diseases. Both the spatiotemporal and spatial models for the presence of local transmission

included a positive linear effect of temperature, while the burden and intensity of epidemics

(based on the other spatial models) included nonlinear effects of temperature (Table 1, Figure

4A). The large variation in epidemic characteristics across countries (Figures 2, 3A-B, 4)

suggests that additional factors beyond climate and population size may also be important in

driving Zika transmission. Understanding how climate drives different epidemic metrics is

valuable for preparing for and responding to outbreaks. For example, the infrastructure and

resources needed to respond to a large outbreak that spreads rapidly through the population, like

what occurred in the Dominican Republic and El Salvador, are very different from what is

needed to respond to an outbreak that affects fewer people at one time but lasts many months, as

in Colombia and Guatemala.

Although climate strongly influenced spatial variation in Zika epidemic metrics, climate

was not a strong predictor of Zika epidemic dynamics through time [22,29,37]. We hypothesize

that week to week variation in transmission within provinces may be too stochastic to predict

based on climate alone. For many of the provinces included in this study, climate rarely fell

outside the suitable range for disease transmission, potentially indicating that given suitable

climate conditions, non-climate factors such as reporting protocols, underlying immunity,

transportation, and infrastructure may generate stochasticity that drives local temporal trends in

Zika transmission. Another possible limitation in our ability to predict week to week variation in

transmission could be due to errors in the epidemiological data, as suspected case numbers may

differ considerably from laboratory-confirmed cases, and case reporting may change over time

(e.g., as Zika awareness increases, people may become more likely to go to the doctor for a fever

and doctors may be more likely to diagnose symptoms as Zika rather than another disease with

similar symptoms such as dengue).

A surprising result of this study was the mismatch between the theoretically and

empirically derived optimal temperature for Zika transmission and the temperatures we found to

correspond with the greatest force of infection values during the 2015 to 2017 epidemic [25,62].

In previous studies, mechanistic R_0 models parameterized with data from laboratory experiments

indicated that 29°C is optimal for Zika transmission [27,32]. However, our study demonstrated

that the highest average force of infection values are found in provinces with mean temperatures

between 20 and 26°C (Table 1), and laboratory studies confirm that Zika virus can be detected in

the salivary glands of Aedes aegypti and transmitted at 25°C [63]. There are several possible

hypotheses that could explain this discrepancy, including that: 1) provinces with mean

temperatures around 29°C already implement vector control; 2) people may have acquired cross-

immunity from exposure to other arboviruses [25,64,65]; and/or 3) given suitable temperature for

transmission, other factors that can covary with temperature such as land use, urbanization, and

socioeconomics may be more important drivers of large epidemics [20].These hypotheses raise

important questions about how to reconcile and ground truth theoretical and empirical studies

with field data.

The 2015 to 2017 Zika outbreak provided an opportunity to investigate how population

size and climate affect epidemic dynamics over time and space in a previously unexposed

population. The results provide valuable insight into where Zika is likely to become endemic and

how future outbreaks transmitted by *Aedes aegypti* could spread. Specifically, given that

provinces with greater populations in their largest cities had longer and more intense outbreaks,

regions with larger urban population sizes that also have suitable climate conditions for most of

the year are most likely to sustain endemic Zika transmission. However, it is important to

carefully consider how these results could apply to other regions, especially in places where Zika

may be transmitted by other mosquito species, such as *Aedes africanus*, which exhibit different

responses to climate [66]. Zika epidemics in Latin America were characteristically different

across countries: some regions experienced large epidemics that spread quickly while others

experienced low levels of sustained transmission (Figure 2). We would expect similar epidemic

metrics to characterize other mosquito transmitted diseases that could emerge and re-emerge in

the future, such as o'nyong nyong, Mayaro, and yellow fever [1,19,39–41]. Given this climate-

driven geographic variation in epidemics, we would expect climate change to alter patterns in

transmission for emerging and re-remerging mosquito-borne diseases in the future.

All data and code are accessible in a github repository: https://github.com/mrc-ide/ZikaModel.

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Tables

Table 1: Response variables for the spatiotemporal (ST) and spatial (S) models, with their

corresponding thermal optima. R^2 values were calculated for the spatiotemporal models and

pseudo R^2 values were calculated for the spatial models using Nakagawa's pseudo R^2 for the

mixed effect local transmission model (which produces a marginal and conditional pseudo R^2)

and Nagelkerke's pseudo R^2 for the other spatial models. For the best fit models, temperature

and humidity correspond to mean temperature and mean humidity over a three-week period,

lagged by six weeks from the week of case reporting. Temperature^2 corresponds to squared

temperature over a three-week period, lagged by six weeks from the week of case reporting.

Rainfall corresponds to cumulative rainfall over a six-week period, lagged by three weeks from

the week of case reporting. In the case of the spatial models, climate covariates are averaged over

the course of the epidemiological data and city pop corresponds to the population of each

province's largest city.

Response variable	Description	Model Type	Thermal Optimum (°C)	R^2/ Pseudo R^2	Sample Size	Best Fit Model
Weekly Local Transmission	The likelihood that β_t exceeded zero for a given week	ST	N/A	0.037	7,109	$P(\beta_t>0) \sim$ ~0.07 × temperature +0.06 × humidity
Intensity of Weekly Force of Infection	The magnitude of $ln(\beta_t)$, given that it exceeded one	ST	N/A	0.011	2,031	$ln(\beta_t) \sim$ 0.07 × temperature - 0.08 × humidity + 0.04 × rainfall
Local Transmission	The likelihood that β_t exceeded zero for any week	S	N/A	Marginal: 0.281 Conditional: 0.599	127	P(local trans) $\sim$ 0.49 × temperature + 1.15 × humidity - 0.07 × rainfall + 0.82 × city pop
Maximum Force of Infection	Logged maximum value for β_t in provinces with local transmission	S	23.93 (95% CI: 22.02-26.90)	0.534	114	$\ln(\max(\beta_t)) \sim$ - 2.30 × temperature^2 + 2.44 × temperature
Mean Force of Infection	Logged mean value for β_t in provinces with local transmission	S	23.63 (95% CI: 22.20-25.49)	0.596	114	$\ln(\text{mean}(\beta_t)) \sim$ - 2.78 × temperature^2 + 2.75 × temperature + 0.19 × city pop
Cumulative Cases	Total number of cases reported	S	22.51 (95% CI: 20.57-30.68)	0.330	127	cumulative cases $\sim$ - 1.68 × temperature^2 + 1.69 × temperature + 0.16 × humidity + 0.21 × city pop
Mean Weekly Cases	Mean number of cases in weeks with any cases reported	S	23.69 (95% conf: 19.57-26.12)	0.348	127	mean weekly cases $\sim$ - 1.59× temperature^2 + 1.69 × temperature + 0.14 × rainfall + 0.35 × city pop

Figure Captions

Figure 1: Illustration of epidemic metrics that characterize the presence, burden, and intensity of outbreaks. (A) Cartoon of weekly incidence during an outbreak where cumulative cases are calculated by taking the sum of all cases across all weeks during the outbreak, and mean cases (dashed horizontal line) are calculated as the mean of all cases in weeks with at least one case during the outbreak. (B) Cartoon of logged weekly force of infection during an outbreak where the highest value corresponds to maximum force of infection and the dashed horizontal line corresponds to the mean force of infection.

Figure 2: Heatmaps of weekly case incidence and force of infection. Each row corresponds to a single province over time, with lines separating the following countries: DOM = Dominican Republic, SLV = El Salvador, COL = Colombia, ECU = Ecuador, MEX = Mexico, GTM = Guatemala. Gray shading indicates no available data. The color represents (A) weekly logged cases for each province and (B) logged force of infection. Red indicates high values and blue indicates low values. White indicates (A) no cases reported or (B) no presence of local transmission (β_t=0) in a given week.

Figure 3: Geographic differences in epidemic metrics. Provinces are colored by (A) whether local Zika transmission was present (red) or absent (blue); (B) logged mean force of infection; and (C) mean temperature. Provinces that we excluded from this study due to lack of epidemiological or climate data (see Methods) are white. Countries not included in this study are grey.

Figure 4: Coefficients for factors driving geographic differences in epidemics. Plots display coefficients included in the best fit spatial model for presence local transmission (lavender), maximum force of infection (blue), mean force of infection (green), cumulative cases (olive),

and mean weekly cases (salmon). Points and horizontal lines indicate the mean coefficient values

and 95% confidence intervals, respectively. Note that the presence of local transmission model is

excluded from the panels reporting country fixed effects, as this model incorporates a random

effect of country.

Figure 5: Nonlinear relationship between temperature and epidemic characteristics. Plots

showing the relationship between mean temperature and (A) logged maximum force of infection

and (B) logged mean force of infection. The model prediction is indicated by the blue lines, and

the 95% confidence interval is indicated by the red dashed lines. The gray shaded region

indicates the 95% confidence interval for the thermal optimum. The F-statistic for the nonlinear

effect of temperature and its p-value are given in the inset. The response variables are scaled to

be between zero and one.

A. Log (Weekly Case Incidence)

B. ln(Weekly μ_t)

A. Local Transmission

B. ln(Mean(β_i))

C. Mean Temperature

Spatial Model Coefficients

A. ln(Max(β$_i$))

ln(Max(β$_i$))-Scaled

F-statistic: 4.99
p<0.01

Mean Temperature (°C)

B. ln(Mean(β$_i$))

ln(Mean(β$_i$))-Scaled

F-statistic: 7.25
p<0.005

Mean Temperature (°C)