1	Infectious disease phylodynamics with occurrence data
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18	
19	Abstract (350 words max. currently 173)
20	Point 1: Phylodynamic models use pathogen genome sequence data to infer
21	epidemiological dynamics. With the increasing genomic surveillance of pathogens,
22	especially amid the SARS-CoV-2 outbreak, new practical questions about their use are
23	emerging.
24	
25	Point 2: One such question focuses on the inclusion of un-sequenced case occurrence
26	data alongside sequenced data to improve phylodynamic analyses. This approach can be
27	particularly valuable if sequencing efforts vary over time.
28	Deint 2: Using simulations, we demonstrate that birth death phylodynamic models can
29 20	Point 3: Using simulations, we demonstrate that birth-death phylodynamic models can
30 31	employ occurrence data to eliminate bias in estimates of the basic reproductive number due to misspecification of the sampling process. In contrast, the coalescent exponential
32	model is robust to such sampling biases, but in the absence of a sampling model it cannot
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33 exploit occurrence data. Subsequent analysis of the SARS-CoV-2 epidemic in the

- 34 northwest USA supports these results.
- 35
- 36 Point 4: We conclude that occurrence data are a valuable source of information in
- 37 combination with birth-death models. These data should be used to bolster phylodynamic
- 38 analyses of infectious diseases and other rapidly spreading species in the future.
- 39

40 **Key Words:** Phylodynamics, pathogens, coalescent, birth-death, Bayesian statistics

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# 42 Introduction

43 Outbreak investigations increasingly rely on genome sequencing of causative pathogens.

44 Phylodynamic methods take advantage of these data to infer epidemiological dynamics

45 (Rife et al., 2017). New sequencing technologies generate these data rapidly, such that

46 phylodynamic inferences can be conducted in actionable time frames (Gardy & Loman,

2018; Grubaugh et al., 2019; Hadfield et al., 2018). In this context, the main appeal of

phylodynamics is that it uses sequence data to infer epidemiological dynamics preceding
the earliest collected sample, or during periods without collected sequences, and offers

- 50 insight into transmission chains.
- 51

52 Phylodynamic models describe a branching process, modelling both how a branching 53 transmission chain and phylogenetic tree of the underlying pathogen evolve. These are 54 central to linking epidemiological dynamics to the evolution of a pathogen. In Bayesian phylogenetic implementations the particular model of a branching process is part of the 55 prior and is sometimes referred to as the 'tree prior', such as the birth-death or coalescent 56 exponential. Internal nodes in the tree are associated with transmission events while the 57 58 tips of the tree represent sampling events (du Plessis & Stadler, 2015). The basic reproductive number,  $R_0$ , is a key parameter that reflects the average number of secondary 59 infections in a fully susceptible population. The simplest tree priors that can infer  $R_0$  posit 60 that the number of infected individuals increases exponentially over time. Although more 61 sophisticated methods now exist (Kühnert et al., 2014; Popinga et al., 2015; Rasmussen et 62 63 al., 2017; Vaughan et al., 2019; Volz & Siveroni, 2018), we focus here on tree priors assuming simple exponential growth since they are appropriate for the early stages of an 64 outbreak and are increasingly used to assess the efficacy of public health interventions 65 (Geoghegan et al., 2020; Vasylyeva et al., 2019). 66

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Two commonly used phylodynamic tree priors are the coalescent exponential and the birth-68 death, both of which assume that the infected population size, N, grows at a rate r;  $N(t)=e^{rt}$ , 69 70 where t is time after the origin. From an epidemiological perspective, r is the difference 71 between the transmission rate,  $\lambda$ , and the become uninfectious rate,  $\delta$ ,  $(r = \lambda - \delta)$ .  $1/\delta$  is the duration of infection.  $R_0$  is estimated as  $R_0 = \lambda/\delta$ . The exponential coalescent is a 72 generalisation of the Kingman-n coalescent where population size is a deterministic 73 74 function of time (Griffiths & Tavare, 1994; Volz et al., 2009, 2013). In contrast, the birth-75 death tree prior assumes stochastic population growth with sampling through time (Stadler, 2010; Stadler et al., 2012; Stadler & Yang, 2013). This is captured in the death 76 77 rate $\delta = \psi + \mu$ , where  $\mu$  is the recovery rate and  $\psi$  is the sampling rate such that the sampling proportion, p, can be calculated as  $p = \frac{\psi}{w}$ . 78

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Phylodynamic analyses draw from sequence data and sampling times (Biek et al., 2015; 80 81 Drummond et al., 2002, 2003; Rambaut, 2000; Rieux & Balloux, 2016). In the coalescent 82 exponential, sampling times are useful insofar as they influence the distribution of coalescent events through time, influencing  $R_{0}$  in turn. Coalescent models typically 83 condition upon sampling times instead of using them to infer sampling rates. Some 84 'augmented likelihood' approaches can combine the coalescent with a sampling process 85 86 (Volz & Frost, 2014), but they are not standard practice. For the birth-death tree prior, the number of samples and their times are naturally informative because they are explicitly 87 modelled through the sampling rate (i.e. they inform  $\psi$ ) (Boskova et al., 2018). This is a well 88 89 understood difference between the two tree priors, but its consequences remain to be 90 explored in the context of occurrence data. Although the amount of sequence data in 91 outbreak investigations has increased, a key consideration is that sequencing efforts are often conducted only after relatively a large number of cases are reported. This latency in 92 sampling can bias estimates of epidemiological parameters. To visualise this, the trees in 93 94 Fig 1 were simulated under an  $R_0$  of 2, a constant sampling effort, and over the course of 1 year. If sequencing were only conducted for samples collected after 0.75 years, samples 95 96 from the deep sections of the tree would be missed (late sampling in Fig 1). Such sampling 97 bias can mislead inferences of epidemiological dynamics because there is no sampling 98 data and very few branching events to inform inferences of the early stages of the outbreak. 99

Here we investigate bias in epidemiological parameters due to sampling heterogeneity and
present two approaches to reduce such bias using occurrence data. The first approach
involves using a birth-death skyline tree prior that requires an understanding of the

sampling effort (Stadler et al., 2013). If it is known that there was no attempt to collect 103 104 samples early in the outbreak, one can set two intervals for the  $\psi$  parameter where one is 105 zero. However, without knowledge of sampling effort this scenario is indistinguishable from 106 a constant sampling effort where initial prevalence was so low as to preclude obtaining any 107 sequence data early in an outbreak. The second approach consists of including early case occurrences in analyses, where an occurrence is a laboratory confirmed case that was not 108 109 sequenced (occurrences scenario in Fig 1). Occurrence data are a relatively inexpensive and often readily available source of information because they are traditionally used in 110 epidemiology and accurately identified via contact tracing and testing efforts. In a Bayesian 111 phylogenetic framework, topological uncertainty due to occurrence data is naturally 112 113 incorporated into the analysis through the posterior. An analogous approach can be used to coherently specify fossil data for molecular clock calibration (Heath et al., 2014; Heath & 114 Moore, 2014). This approach and others have been modelled, but not applied in 115 phylodynamics hitherto (Gupta et al., 2020; Manceau et al., 2019). 116

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### 118 Materials and Methods

#### 119 Simulation study

We simulated phylogenetic trees under a birth-death process in MASTER v6.1 (Vaughan & 120 121 Drummond, 2013), with the following parameterisation;  $R_0=2$  or 1.5,  $\delta=91$ , p=0.05, and an outbreak duration of one year ( $1/\delta = 0.011$  years, corresponding to an expected infectious 122 period of about 4 days). The number of tips and their ages are naturally variable (from 100 123 to 150 tips). We assumed a strict molecular clock with an evolutionary rate of 0.01 124 125 substitutions per site per year (subs/site/year) and the HKY+F substitution model to produce alignments of 13,000 nucleotides using NELSI (Ho et al., 2015) and Phangorn v2.4 126 127 (Schliep, 2011). These settings are broadly similar to an influenza virus outbreak (Hedge et al., 2013), but a rescaling of the epidemiological parameters could apply to many other 128 129 pathogens. We then assumed three sampling scenarios: (i) constant sampling with all 130 sequences from the simulation included (e.g. the sequence for every sample in the tree in 131 Fig 1 is included), (ii) *late sampling* only with samples after time  $T_s$  (e.g. only sequences for samples after the dashed line in the tree in Fig 1), and (iii) occurrences in which sequence 132 133 data are available only after time T<sub>s</sub> with those preceding recorded as occurrences. We set  $T_s$  to 0.75 or 0.9 years. For each parameter configuration we simulated 100 sequence data 134 sets which were subsampled according to the three scenarios above. Occurrences were 135 emulated by replacing simulated DNA sequences with 'n' (i.e. missing data) in the 136 137 alignment. We analysed the data in BEAST v2.5 (Bouckaert et al., 2019) with coalescent

138 exponential and the birth-death tree priors. Our results focus on the birth-death, but the 139 coalescent exponential forms a valuable point of comparison through its robustness to 140 variation in sampling. For the *late sampling* scenario, we also considered the birth-death 141 skyline (BDSky in figures) with two intervals for the  $\psi$  parameter, with the interval time fixed 142 at T<sub>s</sub>. We matched the substitution and clock model to those used to generate the data and 143 we used an informative prior on  $\delta$  using a  $\Gamma$  distribution with mean fixed to the true value of 144 91 and standard deviation of 1.

We assessed the effectiveness of each analysis treatment using three statistics. First, we considered the coverage as a measure of accuracy, or the number of times the 95% highest posterior density (HPD) intervals covered the true value of a given parameter. Second, we consider 'average bias', which is the difference between the posterior mean and true mean for a given parameter averaged across the 100 simulations for each sampling treatment. Third, we consider average 95% HPD width for each treatment, as a measure of precision.

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## 154 Empirical case study

To illustrate the accuracy of occurrence data relative to completely sequenced data sets we 155 156 analysed 821 whole genome sequences sampled from the SARS-CoV-2 pandemic from 157 Washington State, USA, and the adjacent Washington County, Oregon, downloaded from GISAID (Supplementary material) and partially documented by (Bedford et al., 2020). 158 Accordingly, we downloaded 2,164 high-coverage genome sequences collected between 159 160 January 18 and June 30 2020, but selected the 821 sequences taken up to March 21 2020 to capture an exponential phase in the epidemic and sampling (Fig S1). We corroborated 161 exponential growth in the underlying population using an Epoch Sampling Proportion 162 Skyline Plot (Parag et al., 2020). We further divided this data set into five subsets as per our 163 164 simulation study: (i) 'complete sampling' including all 821 sequences; (ii) late sampling post March 6 2020 (decimal date 2020.18) including 637 sequences; (iii) late sampling post 165 March 14 2020 (2020.20) including 340 sequences; (iv) late sampling post March 6 2020 166 (2020.18) including 637 sequences and 184 occurrences; and (v) late sampling post 2020.2 167 168 including 340 sequences and 481 occurrences. Including two late sampling data subsets offers information about how inflation in  $R_0$  varies with latency in sequences. 169 170

We then analysed each data set with each tree prior used in the simulation study withBEASTv2.5. We first employed a birth-death model with serial sampling. We placed a

lognormal prior on  $R_0$  with mean 0 and standard deviation of 1; fixed  $\delta$  at 36.5 (i.e. 10-day 173 duration of infection as estimated recently (Price et al., 2020)); a  $\beta$  prior on sampling 174 proportion with shape and scale equal to 2 to penalise extreme values. Second, we used a 175 176 birth-death skyline with the same priors as the birth-death, but with two sampling rate parameters. The first pertained to after the 2020.18 or 2020.2 cut-off, and the second to 177 178 before the cut-off. Both used the same beta prior for sampling proportion as for the birthdeath. Third, a coalescent exponential tree prior was used with a Laplace prior on growth 179 rate with mean 0 and scale 100 and an exponential prior with mean 100 on the coalescent 180 exponential effective population size ( $\phi$ ). For both tree priors, we assumed HKY+ $\Gamma$ 181 substitution model with a strict molecular clock rate fixed to 10<sup>-3</sup> subs/site/year, following 182 183 recent estimates (Duchene et al., 2020). We ran a Markov chain Monte Carlo of 5x10<sup>8</sup> steps, sampling at every 1000<sup>th</sup> step. We determined sufficient sampling from the posterior by 184 185 verifying that the effective sample size all parameters of interest was above 200.

#### 186

## 187 Results

188 Simulation study

- 189 Analyses of data sets with late sampling using the birth-death model were least accurate in
- 190 estimating  $R_0$ . In only 12 of 100 simulations with  $R_0=2$  did the 95% HPD include 2 (Table 1
- and Fig 2a). The true value was never recovered for simulations with  $R_0$ =1.5 (Table S1 and
- 192 Fig S2). The birth-death skyline was more accurate with 95 and 92 of 100 simulations
- 193 covering  $R_0=2$  and  $R_0=1.5$  respectively. The coalescent exponential was also more accurate
- 194 with 100 and 80 simulations having HPD intervals that covered  $R_0=2$  and  $R_0=1.5$
- 195 respectively. However, this came at the cost of low precision as HPD width was the largest
- 196 for the coalescent out of all treatments.

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In general, we observed that the birth-death model tended to overestimate  $R_0$  while the 198 coalescent exponential underestimated it for data sets with late sampling (Fig 2). Estimates 199 of the evolutionary rate displayed an identical pattern to those of  $R_0$ , with the coalescent 200 201 exponential and the birth-death model being the most and least accurate respectively at 202 the expense of precision. However, the evolutionary rate appeared overall robust to the 203 choice of the tree prior, with the only treatment producing a less than 90% coverage being the birth-death model with late sampling. This is a valuable consideration for analyses of 204 205 future outbreaks as considerable attention is initially devoted to estimating a reliable evolutionary rate for a given pathogen because this is key to phylodynamic inference 206 207 (Duchene et al., 2020).

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As expected, analyses of the data with constant sampling were accurate in a majority of 209 210 cases, with 94 and 89 out of 100 simulations covering  $R_0$  alongside 94 and 92 for the 211 evolutionary rate under the birth-death and the coalescent exponential models, 212 respectively. The true model is the birth-death, and as such it is expected to perform better than the coalescent. Estimates of  $R_0$  including occurrence data were similar in accuracy to 213 those with complete sampling. A total of 94 analyses correctly estimated this parameter 214 215 under the birth-death model, and 96 analyses included the true value for the coalescent exponential. Evolutionary rate estimates with occurrence data were similar, with 95 216 accurate estimates using the birth-death model and 91 using the coalescent exponential 217 218 (Table 1, Fig2a,d). These results are attributable to the fact that the birth-death model treats sampling times as data, whereas the coalescent exponential model conditions on the 219 number of samples and their ages (Boskova et al., 2018; Stadler et al., 2015). In the birth-220 death model, occurrence data improve accuracy when inferring  $R_0$  and are also informative 221 222 about the age of the tree height under this tree prior, which can also improve the accuracy 223 of the evolutionary rate relative to the coalescent exponential model. But these estimates 224 are unlikely to be as accurate as those with complete sequence data because they include less information. 225

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227 The coalescent exponential model appears to be more robust to the sampling treatment, with greater accuracy than the birth-death model across late sampling and occurrence 228 229 treatments. Our simulations suggest that this comes at the expense of less precise 230 estimates than those from the birth-death model (Table 1). In turn, birth-death and birth-231 death skyline models tend to produce more precise estimates with less bias (Table 1, Fig 232 2). Together these results suggest that in a genomic-reporting scenario, the coalescent exponential is suitable when sampling proportion is assumed to be low, when the sampling 233 234 process is otherwise poorly understood, or when no reliable occurrence data are available. 235 However, when increased precision is desirable and occurrence data are available, birthdeath tree priors may provide the sharper estimates with comparable accuracy. The choice 236 of tree prior could be optimised depending on prioritisation of precision and bias based on 237 238 the ordering of bars in Figure 2.

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240 Empirical case study: SARS-CoV-2 from the northwest USA

241 Mirroring trends in our simulated data sets, the coalescent exponential returned consistent

estimates of  $R_0$  across treatments which were generally lower than those inferred by the

birth-death tree prior (Fig 3a, Table 2). Coalescent exponential treatments again produced 243 244 wider HPD intervals than birth-death treatments, with the exception of late sampling which 245 was highly uncertain under the birth-death, as expected from simulations. Uncertainty in 246 posterior  $R_{0}$  does not appear to change when substituting sequenced data for occurrence 247 data (Fig 3A), indicating that late samples are highly informative while occurrence data contribute relatively little additional information to coalescent analyses. Moreover, we 248 249 observed a near perfect match between estimates from analyses with only late sampling 250 and those that included occurrences. This pattern can be explained because occurrence 251 data have no influence on marginal posterior estimates under the coalescent. By contrast, 252 our simulations show small differences in performance between coalescent analyses with 253 late sampling and those with occurrence data, which we attribute to noise in the simulation study. 254

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The results of the birth-death analyses recapitulate our observation from simulations that 256 257 later sampling inflates estimates of  $R_0$  and that occurrence data rectify this (Figure 3B table 258 2). Complete sampling gave a mean  $R_0$  of 1.96 (95% HPD: 1.85, 2.07) and late sampling with occurrence data estimated mean  $R_0$  of 1.95 and 2.00 (95% HPDs: 1.8, 2.11 and 1.9, 259 2.12 for post - 2020.18 and 2020.2 respectively). These estimates are slightly lower than 260 261 those from earlier work to estimate  $R_{\theta}$  in the Washington state epidemic (Vaughan et al., 262 2020). This discrepancy may be due to the former being conducted earlier when the virus may have been spreading more rapidly. Late sampling alone inferred a mean  $R_0$  of 2.44 and 263 3.53 for post 2020.18 and 2020.2 (2.31, 2.58 and 3.24, 3.82 95% HPDs respectively). The 264 265 way in which the latest sampling data set inferred the highest values of  $R_0$  further suggests that upward bias increases with lateness in sampling. 266

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In both late sampling treatments, the birth-death skyline posterior distributions of  $R_0$  were 268 269 lower than their equivalents under the standard birth-death model, with later sampling corresponding to lower estimates (Fig 3). This is consistent with the simulated data (Fig S2), 270 and suggests that including occurrence data is a preferential strategy to rectify posterior  $R_{0}$ 271 272 estimates amid late genome sequence sampling. Furthermore, the entropy of each birth-273 death based posterior  $R_{\theta}$  distribution, a measure of uncertainty, is comparable at 3.68-3.78 as calculated with the mlf R package (Peterson, 2018). This further suggests that the 274 topological uncertainty induced by occurrence data does not considerably increase 275 276 uncertainty in posterior  $R_0$  (Fig 3).

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## 278 Discussion

279 Occurrence data in empirical phylodynamic studies

Occurrence data represent an extreme case of when genome coverage in samples is poor. Herein we show that low-coverage samples can be useful in phylodynamics so long as the sequences analysed are accurate. An outstanding task is to characterise an upper-bound on the relative proportion of occurrence to genomic samples from which genomic samples can still inform tree topology for epidemiological dynamics. To this end, we caution against over-inflating occurrence among genomic data sets without comparing to results obtained with genomic samples alone.

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288 Our simulations and empirical data analyses reveal that occurrence data are a rich source

- of information for birth-death tree priors that can dramatically improve the accuracy and
- 290 precision in estimates of epidemiological parameters. A key consideration is that
- 291 occurrences should represent confirmed cases that would have been sequenced if
- 292 sequencing effort had been constant, and which are known to belong to a particular
- 293 outbreak, such as via contact tracing. Combining occurrence and sequence data can be
- 294 particularly useful in situations where it is unknown if sequence sampling has been constant
- 295 over time or where there exist several confirmed cases but a smaller number of sequences.
- 296 This is valuable amid recently emerging outbreaks where combining both sources of data
- can provide sharper and more timely insight into the recent evolution of the pathogen inquestion.
- 299

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## 308 Authors' contributions:

309 All authors contributed to the design of experiments and writing of the manuscript. LF

- 310 conducted analyses of empirical data and lead writing of the manuscript. FG contributed
- initial datasets, writing, and guidance with figures. TV contributed to writing the manuscript
- and mathematical concepts. EH contributed to writing of the manuscript and original ideas.

SD conceived of fundamental concepts in the manuscript, conducted simulations, and 313 314 contributed to writing. 315 316 Data availability: Input files to generate trees in MASTER and to analyse sequence data in BEAST according 317 to the birth-death skyline, birth-death, and the coalescent exponential tree priors, and 318 319 accession numbers for empirical SARS-CoV-2 virus data. Available at: 320 github.com/sebastianduchene/birth-death-sampling. Accession numbers for empirical SARS-CoV-2 virus data and the GISAID acknowledgements table are available as 321 322 supplementary data online. 323 References 324 Bedford, T., Greninger, A. L., Roychoudhury, P., Starita, L. M., Famulare, M., Huang, M.-L., 325 Nalla, A., Pepper, G., Reinhardt, A., Xie, H., Shrestha, L., Nguyen, T. N., Adler, A., 326 Brandstetter, E., Cho, S., Giroux, D., Han, P. D., Fay, K., Frazar, C. D., ... Jerome, K. 327 R. (2020). Cryptic transmission of SARS-CoV-2 in Washington State [Preprint]. 328 Epidemiology. https://doi.org/10.1101/2020.04.02.20051417 329 Biek, R., Pybus, O. G., Lloyd-Smith, J. O., & Didelot, X. (2015). Measurably evolving 330 pathogens in the genomic era. Trends in Ecology and Evolution, 30(6), 306–313. 331 Boskova, V., Stadler, T., & Magnus, C. (2018). The influence of phylodynamic model 332 specifications on parameter estimates of the Zika virus epidemic. Virus Evolution, 333 4(1), vex044. 334 Bouckaert, R., Vaughan, T. G., Barido-Sottani, J., Duchêne, S., Fourment, M., 335 Gavryushkina, A., Heled, J., Jones, G., Kühnert, D., Maio, N. D., Matschiner, M., 336 Mendes, F. K., Müller, N. F., Ogilvie, H. A., Plessis, L. du, Popinga, A., Rambaut, A., 337 Rasmussen, D., Siveroni, I., ... Drummond, A. J. (2019). BEAST 2.5: An advanced 338 software platform for Bayesian evolutionary analysis. PLOS Computational Biology, 339 15(4), e1006650. https://doi.org/10.1371/journal.pcbi.1006650 340

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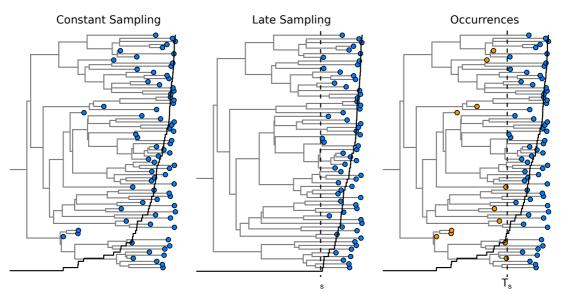
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- 455 Figure legends



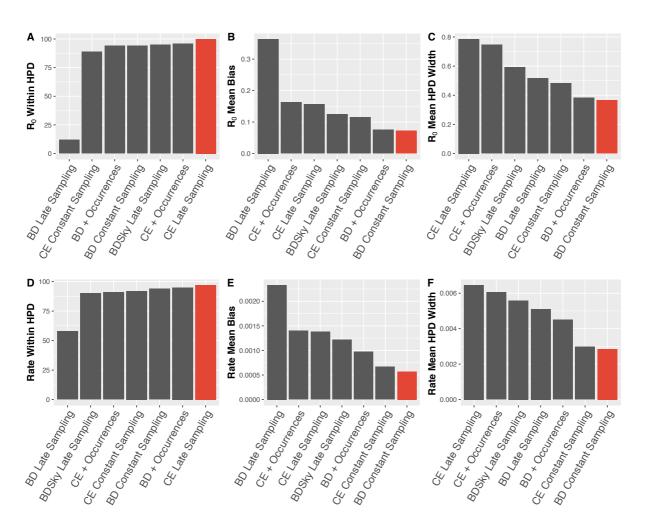
• Sequenced Samples

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Occurrences (No sequence data available)

Fig 1. Example of a phylogenetic trees generated under a birth-death process with a basic 457 reproductive number ( $R_0$ ) of 2, and a becoming uninfectious rate( $\delta$ ) of 100 for three analysis 458 scenarios. The solid line denotes the number of samples collected over time. In constant 459 sampling samples are collected and sequenced at a rate  $\psi$ =5 (i.e. sampling probability, *p*, 460 of 0.05). In *late sampling* samples are collected and sequenced after time T<sub>s</sub> shown with the 461 462 dashed line. In occurrence data samples are collected constantly over time, but only sequenced after time  $T_{s_1}$  such that before  $T_s$  only occurrences (sampling times with no 463 sequence data) are included. Blue circles represent samples with sequence data, whereas 464 those in orange correspond to occurrences. In the occurrence data scenario, a Bayesian 465 analysis would integrate over their phylogenetic uncertainty. The solid line represents the 466 number of samples collected over time. In late sampling there are no samples collected 467 before T<sub>s</sub>, such that assuming constant sampling can produce a bias in estimates of 468 epidemiological dynamics. 469

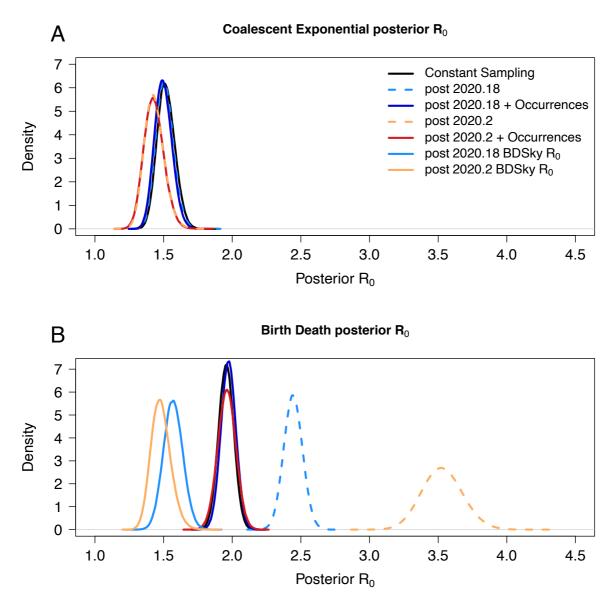




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Fig 2. Bar ordering varies across plots to reflect preferential performance in each statistic such that those in red are most preferential. A) The number of simulations (out of 100) for which HPDs for R<sub>0</sub> captured 2, the value simulated under. B) Mean bias in R<sub>0</sub> across simulation treatments. C) Mean HPD width in R<sub>0</sub> across simulation treatments. D) The number of simulations (out of 100) for which HPDs for evolutionary rate captured 0.01, the value simulated under. E) Mean bias in Rate across simulation treatments. F) Mean HPD width in rate across simulation treatments.

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**Fig 3.** Posterior estimates of  $R_0$  for SARS-CoV-2 genome data. Constant sampling refers to using all 821 genomes in the empirical dataset. Post 2020.18 refers to only including sequences from 2020-03-04 and afterwards. Post 2020.2 refers to the same from 2020-03-14 and afterwards. A) Posterior densities of the basic reproductive number,  $R_0$  under the coalescent exponential. B) Posterior densities for estimates of the basic reproductive number,  $R_0$  under the birth death. In B, birth-death and birth-death skyline posteriors for  $R_0$ and post cut-off sampling proportions are overlapping.

491

## 492 Tables

- **Table 1.** Results of the simulation study with  $R_0$  of 2 and evolutionary rate of 0.01
- 494 subs/site/year. The rows correspond to the seven treatments. For  $R_0$  and evolutionary rate
- 495 (subs/site/year), columns denote the number of simulations (out of 100) where the value

- used to generate the data was contained within the 95% highest posterior density (HPD),
- 497 also referred to as coverage and reflecting accuracy; average bias measured the average
- 498 difference between posterior mean  $R_0$  and 2; and the average HPD width. BD stands for
- birth-death, CE for coalescent exponential, and BDSky to the birth-death skyline model
- 500 with two sampling intervals.

Treatment	<b>R</b> <sub>0</sub> Within	$\mathbf{R}_0$ Mean	$\mathbf{R}_0$ Mean	Rate	Rate Mean	Rate Mean
ireatinent	HPD	Bias	HPD Width	Within HPD	Bias	HPD Width
BD Constant Sampling	94	0.072	0.364	94	0.00057	0.00285
CE Constant Sampling	89	0.115	0.481	92	0.00067	0.00298
BD Late Sampling	12	0.364	0.515	58	0.00233	0.00511
BDSky Late Sampling	95	0.125	0.591	90	0.00122	0.00559
CE Late Sampling	100	0.156	0.786	97	0.00138	0.00646
BD + Occurrences	94	0.076	0.384	95	0.00097	0.00450
CE + Occurrences	96	0.163	0.748	91	0.00140	0.00605

- 501 502
- 503 **Table 2.** Posterior estimates of  $R_0$  and p using the birth-death for the SARS-CoV-2
- 504 empirical dataset. Rows correspond to the 12 treatments.

Sampling Treatment	Mean R <sub>0</sub>	95% HPD
BD Constant Sampling	1.96	(1.85, 2.07)
BD Post 2020.18	2.44	(2.31, 2.58)
BD Post 2020.18 + Occurrences	1.97	(1.87, 2.08)
BD Post 2020.2	3.53	(3.24, 3.82)
BD Post 2020.2 + Occurrences	1.96	(1.83, 2.09)
BDSky Post 2020.18	1.57	(1.43, 1.71)
BDSky Post 2020.2	1.48	(1.35, 1.63)
CE Constant Sampling	1.52	(1.4, 1.65)
CE Post 2020.18	1.51	(1.39, 1.64)
CE Post 2020.18 + Occurrences	1.50	(1.38, 1.62)
CE Post 2020.2	1.43	(1.3, 1.58)
CE Post 2020.2 + Occurrences	1.43	(1.29, 1.57)

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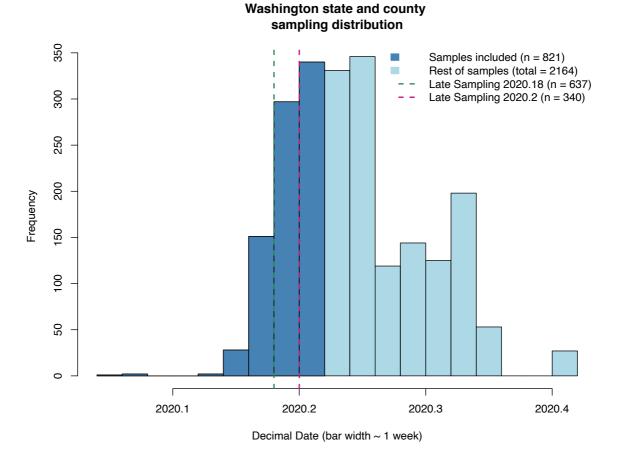
# 506 Supplementary material

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- 508 **Table S1.** Results of the simulation study with  $R_0=1.5$ , evolutionary rate of 0.01
- subs/site/year, and late sampling starting at 0.9 years of a total time of 1 year. The rows

- 510 correspond to the seven treatments. The first two columns denote the number of
- simulations (out of 100) where the value used to generate the data was contained within the
- 512 95% highest posterior density (HPD). The last two columns are a measure of precision of
- the estimates calculated as the estimated mean estimate of  $R_0$  and the evolutionary rate
- 514 divided by the 95% HPD width, such that large values imply low precision. Here we report
- 515 the mean value over 100 simulations.

		R₀ within 95% HPD	Evol. rate within 95% HPD	Mean R₀ / HPD width	Mean evol. rate / HPD width
	Late sampling BD const.	0	37	0.20	0.39
	Late sampling BD skyline	92	93	0.25	0.54
	Late sampling Coal. exp.	80	87	0.27	0.59
	Constant sampling BD const.	97	94	0.16	0.23
	Constant sampling Coal. exp.	96	92	0.16	0.23
	Birth Death + Occurrences.	92	86	0.16	0.35
516	Coalescent Exponential + Occurrences	66	69	0.23	0.43

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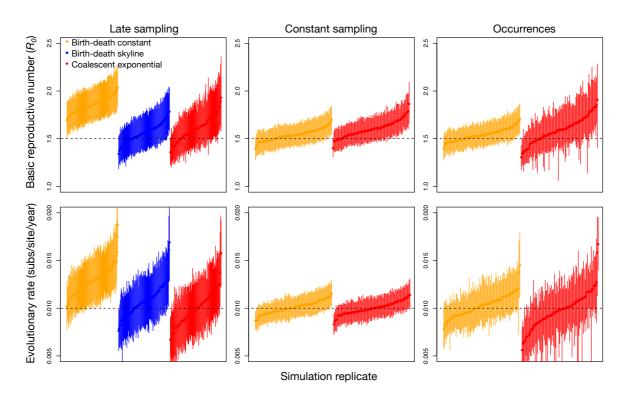
519 **Fig S1.** The temporal distribution of SARS-CoV-2 samples taken from Washington State

and Washington County, Oregon, during the COVID-19 pandemic downloaded from

521 GISAID. Colouring represents the subset of these data that we analysed and vertical lines

522 show our two cut-offs for late sampling.

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Fig S2. Posterior densities for estimates of the basic reproductive number,  $R_0$ , and the 526 evolutionary rate for 100 simulations with true  $R_0$  of 1.5 and an evolutionary rate of 0.01 527 528 subs/site/year. The bars represent the 95% highest posterior density (HPD) and the points are the mean. Estimates are ordered from lowest to highest mean. We analysed the data by 529 sampling late in the outbreak only (i.e. after 0.75 of the tree height), with a constant 530 sampling effort (with all samples sequenced), and by including occurrence data. The 531 532 colours represent four different tree priors; red for the coalescent exponential, blue for the birth-death skyline, and orange for the birth-death with constant sampling. For the data 533 534 with sampling late in the outbreak only we use the birth-death skyline tree prior with 535 constant  $R_0$  and two intervals for the sampling rate,  $\psi$ , before time 0.75. This tree priori not applicable to analyses with complete sampling or with occurrence data where sampling is 536 537 constant. The dashed horizontal lines correspond to the true parameter value used to generate the data. 538 539

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