Multi-trait random regression models increase genomic prediction accuracy for a temporal physiological trait derived from high-throughput phenotyping

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²⁹ Abstract

Random regression models (RRM) are used extensively for genomic inference and prediction 30 of time-valued traits in animal breeding, but only recently have been used in plant systems. 31 High-throughput phenotyping (HTP) platforms provide a powerful means to collect high-32 dimensional phenotypes throughout the growing season for large populations. However, to 33 date, selection of an appropriate statistical genomic framework to integrate multiple temporal 34 traits for genomic prediction in plants remains unexplored. Here, we demonstrate the utility 35 of a multi-trait RRM (MT-RRM) for genomic prediction of daily water usage (WU) in rice 36 (Oryza sativa) through joint modeling with shoot biomass (projected shoot area, PSA). 37 Three hundred and fifty-seven accessions were phenotyped daily for WU and PSA over 20 38 days using a greenhouse-based HTP platform. MT-RRMs that modeled additive genetic 39 and permanent environmental effects for both traits using quadratic Legendre polynomials 40 were used to assess genomic correlations between traits and genomic prediction for WU. 41 Predictive abilities of the MT-RRMs were assessed using two cross-validation (CV) scenarios. 42 The first scenario was designed to predict genetic values for WU at all time points for a set 43 of accessions with unobserved WU. The second scenario was designed to forecast future 44 genetic values for WU for a panel of known accessions with records for WU at earlier time 45 periods. In each scenario we evaluated two MT-RRMs in which PSA records were absent or 46 available for time points in the testing population. Moderate to strong genomic correlations 47 between WU and PSA were observed across the days of imaging (0.29-0.87). In both CV 48 scenarios, MT-RRMs showed better predictive abilities compared to single-trait RRM, and 49 prediction accuracies were greatly improved when PSA records were available for the testing 50 population. In summary, these frameworks provide an effective approach to predict temporal 51 physiological traits that are difficult or expensive to quantify in large populations. 52

53 Background

High-throughput phenotyping (HTP) is an innovative tool in plant breeding. HTP pro-54 vides precise and non-destructive estimation of multiple complex traits that describe growth 55 and development (e.g., height, biomass, and flowering time) or environmental responses 56 (e.g., chlorophyll fluorescence, canopy temperature, and water content) using non-destructive 57 image-based phenotyping (Araus et al., 2018; Morota et al., 2019). These HTP data mitigate 58 extensive costs associated with manual phenotyping, and can be used to better capture the 59 plant's phenome. In the context of plant breeding and genetics, these data can be used to 60 improve the prediction of breeding values for a target trait of interest, thereby improving 61 the accuracy of selection, as well as provide insights into how secondary traits influence a 62 trait of interest (Araus et al., 2018; Morota et al., 2019; Voss-Fels et al., 2019). 63

For many genome-enabled breeding programs, developing phenotyping and statistical 64 approaches to improve prediction of breeding values and accelerate selection is the primary 65 objective (Campbell et al., 2018; Juliana et al., 2019; Voss-Fels et al., 2019). In many breed-66 ing programs, the agronomic value of breeding materials is evaluated using multiple traits. 67 These traits are often correlated at the genetic level. One standard approach for predicting 68 breeding values is to jointly fit all phenotypes in a single model using a multi-trait (MT) 69 approaches (Kadarmideen et al., 2003). These approaches capture the genetic covariances 70 between traits, and have been shown to improve the prediction of breeding values compared 71 to single trait approaches for phenotypes with limited records or low heritability (Calus and 72 Veerkamp, 2011; Jia and Jannink, 2012; Guo et al., 2014). Thus, the MT framework can be 73 particularly advantageous when the target trait has low heritability, but is correlated with 74 a more heritable trait; or when the trait of interest is difficult or costly to evaluate and 75 only incomplete data can be collected, and the trait of interest is correlated with a trait 76 that is easier and cheaper to evaluate. Thus, in the context of HTP, MT genomic predic-77 tion approaches can accommodate the high-dimensional multi-trait data generated by these 78 platforms. Moreover, secondary phenotypes recorded with HTP can be included in the pre-79

diction framework to improve prediction of a target trait such as yield. These applications have been shown in a recent study by (Sun et al., 2017).

While several studies have highlighted the advantages of MT frameworks for genomic 82 prediction, HTP-derived MT data often introduce an additional level of complexity-the time 83 axis. The standard MT framework may not be appropriate in cases where multiple pheno-84 types are recorded at regular intervals throughout the growing season or for the duration 85 of the experiment. While MT frameworks can be fit to these data, the assumptions of the 86 MT framework bring to question whether the conventional MT model should be used. For 87 instance, one assumption is that each phenotype in the MT model is finite characteristic 88 (Kirkpatrick et al., 1990). While this is certainly true for two phenotypes such as yield or 89 protein content, this is certainly not the case for a phenotype recorded at two time points 90 (Kirkpatrick et al., 1990). Temporal phenotypes are infinite-dimensional traits, meaning 91 that although there are only records for discrete time intervals, we expect that the pheno-92 type will vary continuously with time between the two intervals. With these data, a more 93 appropriate solution is to treat the temporal phenotypes as continuous characteristics and 94 perform genetic analyses using random regression models (RRM). 95

RRM model the covariance between time points as a continuous function of time (Mrode, 96 2014). While several covariance functions can be utilized, Legendre polynomials or B-splines 97 are routinely used. The use of orthogonal Legendre polynomials in RRM offers numeri-98 cal stability by reducing correlation between random regression coefficients and computing 99 error (Schaeffer, 2004). With RRM, temporal phenotypes are partitioned into genetic, per-100 manent environmental effects, and residuals (Mrode, 2014). With repeated measurements, 101 it is assumed that there is additional resemblance between records of an individual due to 102 environmental factors or circumstances that affect the records of the individual permanently 103 (Mrode, 2014). Thus, the random permanent environment term captures this non-genetic 104 resemblance between time points. Covariance functions are used to model both genetic 105 and permanent environmental effects (Kirkpatrick et al., 1990; Schaeffer and Dekkers, 1994; 106

Meyer and Hill, 1997; Schaeffer, 2004). Thus, the RRM prediction framework provides so-107 lutions for random regression coefficients for random effects. Given coefficients for random 108 genetic effects, the genetic values at any time point can be easily calculated. Recently, 109 RRM have been used for genomic analyses of longitudinal image-based HTP traits in plants 110 (Campbell et al., 2018, 2019; Momen et al., 2019a). The ability of these frameworks to 111 forecast future phenotypes using the records at earlier time has been shown by Campbell 112 et al. (2018) and Momen et al. (2019a) based on a digital metric for shoot biomass, known 113 as projected shoot area (PSA). PSA is a digital metric derived from images taken of each 114 plant and is highly correlated with destructive measures of shoot biomass (Golzarian et al... 115 2011; Berger et al., 2010; Campbell et al., 2015). 116

However, given the capability of HTP to collect multiple temporal phenotypes, one un-117 resolved question in plant breeding is how to jointly model multiple temporal phenotypes. 118 To address this, we aimed to integrate the RRM framework for temporal traits into a MT 119 model. We utilized a data set in which PSA and water use (WU) was recorded daily over 120 a period of 20 days. The aim of the study was to evaluate the ability of multi-trait ran-121 dom regression model (MT-RRM) and a single-trait random regression model (ST-RRM) to 122 predict WU by borrowing information from PSA. The rationale is that WU is much more 123 difficult to evaluate in most studies compared to PSA and is likely to be more influenced 124 by environmental effects, and thus have lower heritability compared to shoot biomass. The 125 models were compared using several cross-validation (CV) scenarios. 126

¹²⁷ Materials and Methods

¹²⁸ Plant materials and greenhouse conditions

This study utilized HTP records from 378 of the 432 accessions of rice (*Oryza sativa*) diversity panel 1 (RDP1) (Zhao et al., 2011). Sixty four accessions were excluded due to lack of seed availability or poor germination. Seeds were treated with Thiram fungicide and germinated on moist paper towels in plastic boxes for three days. Three uniformly germinated seedlings were selected for each accession and transplanted to pots (150mm diameter x 200 mm height) filled with 2.5 kg of UC Mix. The plants were grown in saturated soil on greenhouse benches prior to phenotyping.

Plants were thinned to one seedling per pot seven days after transplant (DAT), and two 136 layers of blue mesh were placed on top of the pots to reduce evaporation. The plants were 137 loaded on to the imaging system at 13 DAT. The automated phenotyping system was set 138 to maintain all plants at 90% field capacity. The experiment followed a partially replicated 139 design (Cullis et al., 2006). The p-rep design was modified to accommodate the two water 140 treatments (control and drought conditions) and allow comparison of treatments within each 141 accession. Each accession was assigned to two consecutive pots, and the water treatments 142 were randomly assigned to each pot. Each experiment consisted of 378 accessions from RDP1 143 and was repeated three times from February to April 2016. The accessions were distributed 144 across 432 pots positioned across 24 lanes (18 plants/pots in each lane). These 432 pots 145 belonged to 378 accessions, of which 54 had more than one replicate in each experiment. 146 The same 54 accessions were replicated twice in each experiment. Of these 378 accessions, 147 357 accessions had genotypic data. All experiments were conducted at the Plant Accelerator 148 Australian Plant Phenomics Facility, at the University of Adelaide, SA, Australia. 149

¹⁵⁰ Phenotypic data

Beginning at 13 DAT all plants were phenotyped daily for shoot biomass and WU using the 151 automated greenhouse system, and each plant was imaged daily over a period of 20 days 152 using a visible (red-green-blue / RGB) camera (Basler Pilot piA240012 gc, Ahrensburg, 153 Germany). For each plant, three images were taken in each recording day: two side-view 154 angles separated by 90 degree and a single top view. Plant pixels were extracted from RGB 155 images using the LemnaGrid software, and the plant pixels from the three images were 156 summed to obtain a digital measure of shoot biomass. We refer to this metric as PSA. 157 Several studies have shown this to be an accurate proxy for shoot biomass (Golzarian et al., 158 2011; Campbell et al., 2015; Knecht et al., 2016). 159

After imaging, each plant was watered to a predefined weight to maintain 90% field capacity. The automated watering system collects the start weight, final weight and amount of water that was added for each pot. Thus, from these data we can estimate the amount of water that lost by evapotranspiration each day. WU was calculated as $WU_t = Potwt_{t-1} - Potwt_t$. Where $Potwt_{t-1}$ is the weight of the pot after watering on the previous day, and *Potwt_t* is the weight of the pot on the current day prior to watering (Momen et al., 2019b).

In this study, we used observations collected in the control condition. Best linear unbiased estimators (BLUE) were obtained for each accession and day using the following model

$$y_{ijkn} = \mu + A_i + E_{jk} + B_{jkn} + AE_{ij} + e_{ijkn}$$

where μ is the overall mean, A_i is the effect of the i^{th} accession, E_{jk} is the effect of the j^{th} experiment in the k^{th} replicate, B_{jkn} is the block effect of the n^{th} smart house in the j^{th} experiment and the k^{th} replicate, AE_{ij} is the interaction of accession and experiment. All the effects, except A_i were considered random.

¹⁷⁰ Genotypic data

All accessions were genotyped with a 44,000 single nucleotide polymorphisms (SNPs) array (Zhao et al., 2011). Genotypic data regarding the rice accessions can be downloaded from the rice diversity panel website (http://www.ricediversity.org/). SNPs with call rate ≤ 0.95 and minor allele frequency ≤ 0.05 were removed. Missing genotypes were imputed using Beagle software version 3.3.2 (Browning and Browning, 2007) following Momen et al. (2019b). A total of 34,993 SNPs remained for downstream analyses.

¹⁷⁷ Single-trait random regression model

Campbell et al. (2018) and Momen et al. (2019a) have applied ST-RRM for PSA. In this study, a similar statistical model was used to model WU. The model is given by

$$y_{jt} = \sum_{k=0}^{2} \phi(t)_{jk} b_k + \sum_{k=0}^{2} \phi(t)_{jk} u_{jk} + \sum_{k=0}^{2} \phi(t)_{jk} p_{jk} + e_{jt},$$

where y_{jt} is the BLUE of *j*th accession for WU at time point *t*, b_k is the *k*th fixed Legendre regression coefficients for overall mean, u_{jk} is the *k*th random regression coefficients for additive genetic effect, p_{jk} is the *k*th random regression coefficients for permanent environmental effect, e_{jt} is the vector of residuals, and $\phi(t)_{jk}$ is a time covariate coefficient defined by a *k*th Legendre polynomial evaluated at time point *t* belonging to the *j*th accession. The permanent environmental effect captures constant environmental factors that affect the successive records of an accession throughout the time course (Mrode, 2014). We set quadratic Legendre polynomials of all the effects, based on the results of Momen et al. (2019a) which investigated the prediction accuracy of PSA using ST-RRM. The first order of the Legendre polynomial (i.e., an intercept) was standardized to 1 (Gengler et al., 1999). In matrix notation, the model is given by

$$\mathbf{y} = \mathbf{X}\mathbf{b} + \mathbf{Z}\mathbf{u} + \mathbf{Q}\mathbf{p} + \mathbf{e},$$

where **y** is the vector of observations for WU, **b** is the vector of fixed effect, **u** is the vector of random additive genetic effect, **p** is the vector of random permanent environmental effect, **e** is the vector of random residual effect, and **X**, **Z**, and **Q** are corresponding incidence matrices. The covariance structures were defined as the following.

$$\operatorname{Var} \begin{bmatrix} \mathbf{u} \\ \mathbf{p} \\ \mathbf{e} \end{bmatrix} = \begin{bmatrix} \mathbf{C} \otimes \mathbf{G} & \mathbf{0} & \mathbf{0} \\ \mathbf{0} & \mathbf{D} \otimes \mathbf{I} & \mathbf{0} \\ \mathbf{0} & \mathbf{0} & \mathbf{I} \otimes \mathbf{R} \end{bmatrix},$$

where **G** is a genomic relationship matrix calculated by $\mathbf{WW'}/m$ according to VanRaden (2008), **W** is a centered and scaled matrix, m is the number of SNPs, **I** is an identity matrix, **C** and **D** are covariance matrices of additive genetic and permanent environmental effects, **R** is a diagonal matrix of heterogeneous residual variance at each time period, and \otimes is the Kronecker product. The covariance matrices **C** and **D** are defined as follows.

$$\mathbf{C} = \begin{bmatrix} v_u^0 & v_u^{01} & v_u^{02} \\ v_u^{10} & v_u^1 & v_u^{12} \\ v_u^{20} & v_u^{21} & v_u^2 \end{bmatrix}, \quad \mathbf{D} = \begin{bmatrix} v_p^0 & v_p^{01} & v_p^{02} \\ v_p^{10} & v_p^1 & v_p^{12} \\ v_p^{20} & v_p^{21} & v_p^2 \end{bmatrix},$$

where v_u^k and v_p^k are the variance components of kth order random regression coefficients for additive genetic and permanent environment effects, respectively, and v_u^{kl} and v_p^{kl} are the covariances between kth and lth order random regression coefficients for additive genetic and permanent environmental effects, respectively.

¹⁸² Multi-trait random regression model

For MT-RRM, the ST-RRM for WU described above is expanded to include PSA information as follows.

$$\begin{bmatrix} \mathbf{y}_1 \\ \mathbf{y}_2 \end{bmatrix} = \begin{bmatrix} \mathbf{X}_1 & \mathbf{0} \\ \mathbf{0} & \mathbf{X}_2 \end{bmatrix} \begin{bmatrix} \mathbf{b}_1 \\ \mathbf{b}_2 \end{bmatrix} + \begin{bmatrix} \mathbf{Z}_1 & \mathbf{0} \\ \mathbf{0} & \mathbf{Z}_2 \end{bmatrix} \begin{bmatrix} \mathbf{u}_1 \\ \mathbf{u}_2 \end{bmatrix} + \begin{bmatrix} \mathbf{Q}_1 & \mathbf{0} \\ \mathbf{0} & \mathbf{Q}_2 \end{bmatrix} \begin{bmatrix} \mathbf{p}_1 \\ \mathbf{p}_2 \end{bmatrix} + \begin{bmatrix} \mathbf{e}_1 \\ \mathbf{e}_2 \end{bmatrix},$$

where subscripts 1 and 2 refer to WU and PSA, respectively. The covariance structures of **C** and **D** were also expanded as follows.

$$\mathbf{C} = \begin{bmatrix} \mathbf{C}_1 & \mathbf{C}_{12} \\ \mathbf{C}_{12}^{\mathrm{T}} & \mathbf{C}_2 \end{bmatrix}, \quad \mathbf{D} = \begin{bmatrix} \mathbf{D}_1 & \mathbf{D}_{12} \\ \mathbf{D}_{12}^{\mathrm{T}} & \mathbf{D}_2 \end{bmatrix}$$

where C_1 and C_2 (D_1 and D_2) are 3×3 variance-covariance submatrices of random regression coefficients for each trait and C_{12} (D_{12}) is a 3×3 covariance submatrix of random regression coefficients between the traits. Thus, the whole C and D matrices take the form

$$\mathbf{C} = \begin{bmatrix} v_{u_1}^0 & v_{u_1}^{01} & v_{u_1}^{02} & v_{u_{12}}^{00} & v_{u_{12}}^{01} & v_{u_{12}}^{02} \\ v_{u_1}^{10} & v_{u_1}^1 & v_{u_1}^{12} & v_{u_{12}}^{10} & v_{u_{12}}^{11} & v_{u_{12}}^{12} \\ v_{u_1}^{20} & v_{u_1}^{21} & v_{u_1}^{21} & v_{u_{12}}^{20} & v_{u_{12}}^{21} & v_{u_{12}}^{22} \\ v_{u_{21}}^{00} & v_{u_{21}}^{10} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{11} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{22} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{21}}^{21} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{21}}^{22} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{22} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{22} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{22} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{22} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{22} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21} \\ v_{u_{21}}^{20} & v_{u_{21}}^{21} & v_{u_{22}}^{21} & v_{u_{22}}^{20} & v_{u_{22}}^{21} & v_{u_{22}}^{21}$$

where $v_{u_1}^k$ and $v_{p_1}^k$ ($v_{u_2}^k$ and $v_{p_2}^k$) are variance components of kth order random regression coefficients for additive genetic and permanent environment terms for WU (PSA), $v_{u_1}^{kl}$ and $v_{p_1}^{kl}$ ($v_{u_2}^{kl}$ and $v_{p_2}^{kl}$) are covariances between kth and lth order random regression coefficients for additive genetic or permanent environmental effects within WU (PSA), and $v_{u_{12}}^{kl}$ and $v_{p_{12}}^{kl}$ are covariances between kth and lth order random regression coefficients for additive genetic and permanent environmental effects between WU and PSA, respectively. As with ST-RRM, we assumed the residual variance for each day of imaging was unique. Thus, a heterogeneous residual variance structure was used for MT-RRM. The matrix of residual variance at time t ($\mathbf{R}^*_{(t)}$) is presented as:

$$\mathbf{R}^{*}_{(\mathbf{t})} = \begin{bmatrix} v_{e_{1(t)}} & v_{e_{12(t)}} \\ v_{e_{21(t)}} & v_{e_{2(t)}} \end{bmatrix}$$

where $v_{e_{1(t)}}$ and $v_{e_{2(t)}}$ are residual variances for WU and PSA, respectively, and $v_{e_{12(t)}}$ ($v_{e_{21(t)}}$) is the residual covariance between WU and PSA at time point t.

188 Estimation of genomic correlation at each time point

Genomic correlation between WU and PSA at each time point from MT-RRM was computed as follows.

$$\frac{\mathbf{t_i}\mathbf{C_{12}}\mathbf{t'_i}}{\sqrt{\mathbf{t_i}\mathbf{C_1}\mathbf{t'_i}}\sqrt{\mathbf{t_i}\mathbf{C_2}\mathbf{t'_i}}},$$

where $\mathbf{t_i} = \phi_{ik}$ is the *i*th row vector of the 20 × 3 basis function matrix ($\mathbf{\Phi}$) with the kth order of fit (Mrode, 2014). Here, $\mathbf{\Phi}$ is given as $\mathbf{M}\mathbf{\Lambda}$, where \mathbf{M} is a matrix of second order polynomials of standardized time values and $\mathbf{\Lambda}$ is a matrix of coefficients for a second order Legendre polynomial (Kirkpatrick et al., 1990). We used the GIBBS3F90 program to estimate genetic parameters (Misztal et al., 2002). The GIBBS3F90 program solves mixed model equations in the Bayesian framework by assuming heterogeneous residual variances.

¹⁹⁵ Cross-validation scenarios

We investigated the prediction performance of genetic values for WU from RRM using two CV scenarios as shown in Figure 1. For each CV scenario, we compared three models as described below.

¹⁹⁹ CV1: The objective of this scenario was to assess the ability of ST-RRM and MT-RRM to

predict WU for a set of new accessions without records on WU. To this end, the accessions 200 were split into testing and training sets with 245 accessions allocated to the training set and 201 112 allocated to the testing set. First, we fitted ST-RRM using genomic and phenotypic 202 data on the training subset and the genetic values of WU were predicted for all accessions 203 in the testing set. This ST-RRM served as a baseline to evaluate MT-RRM. We evaluated 204 two different types for MT-RRM. The first MT-RRM (MT-RRM1) can be thought of as 205 a conventional genomic prediction application in which a model is fitted using a training 206 population that has genomic data and phenotypic records for both traits. This model is 207 used to predict genomic values for WU in a testing population that has genotypic data, but 208 no records for either trait. In the second MT-RRM (MT-RRM2), complete PSA and WU 200 records were available for the training population, while only PSA phenotypes were available 210 for the testing population. The rationale for this scenario is that it is often much easier to 211 obtain non-destructive measurements for shoot biomass compared to WU. Thus, this can be 212 thought of as a case in which a portion of the population has incomplete data. 213

Genetic values of testing individuals for WU at time t from ST-RRM and MT-RRM1 214 were calculated by $\hat{\mathbf{a}}_{tst}^t = \mathbf{G}_{tst,trn} \mathbf{G}_{trn,trn}^{-1} \hat{\mathbf{a}}_{trn}^t$, where $\mathbf{G}_{tst,trn}$ is the genomic relationship matrix 215 between testing and training individuals, $\mathbf{G}_{\mathrm{trn,trn}}^{-1}$ is the inverse of genomic relationship matrix 216 of training individuals, and $\hat{\mathbf{a}}_{trn}^t = \mathbf{\Phi} \hat{\mathbf{u}}_{1,trn}$ is the vector of genetic values at time t (Momen 217 et al., 2019a). On the other hand, the genetic values of testing individuals for WU from 218 MT-RRM2 can be directly obtained from best linear unbiased prediction (BLUP) solutions 219 because the model included the genomic relationship matrix of all accessions by fitting PSA 220 phenotypes for the testing individuals. Thus, the genetic values of WU for the testing 221 individuals at time t were computed by $\hat{\mathbf{a}}_{tst}^t = \mathbf{\Phi} \hat{\mathbf{u}}_{1,trn}$. 222

CV2: This cross-validation was designed to evaluate the ability of the MT-RRM and ST-RRM to predict genetic values of WU at future time points. Thus, it can be thought of as a forecasting approach. The training dataset consisted of phenotypic records for 245 randomly selected for the first 10 days of imaging. The models were used to predict genetic values for ²²⁷ days 11 to 20. As with the first scenario, we assessed their genomic predictions by using ²²⁸ ST-RRM and two kinds of MT-RRM from the training data. MT-RRM1 used records of ²²⁹ WU and PSA from day 1 to day 10 of imaging as training data, while MT-RRM2 used WU ²³⁰ records from the first 10 days of imaging and PSA values from 1 to 20 to train the model. ²³¹ We computed the genetic values of WU at day 11 to 20 as $\Phi_{11:20}\hat{\mathbf{u}}_{1,\text{trn}}$ where $\Phi_{11:20}$ is the ²³² basis function matrix at 11 to 20 days and $\hat{\mathbf{u}}_{1,\text{trn}}$ is the vector of random additive genetic ²³³ effect for WU of testing individuals.

To assess prediction accuracy, Pearson correlation was calculated between predicted genetic values and BLUE of WU at each time point in the testing population. Each CV scenario was repeated 10 times. We used the GIBBS3F90 program with a fixed variance option to perform genomic prediction in all the CV scenarios. We estimated variance components in the training set and genetic values were predicted in the testing set condition on the estimated variance components.

$_{240}$ Results

²⁴¹ Assessing temporal water use and shoot biomass trajectories in rice

To assess the temporal relationships between shoot biomass production and WU, a panel of 357 rice accessions was phenotyped over a period of 20 days using a non-destructive imagebased phenotyping platform. This system provides a means to non-destructively assess plant growth and morphology, and allows WU to be assessed throughout the duration of the experiment (Berger et al., 2010; Campbell et al., 2015; Fahlgren et al., 2015; Feldman et al., 2018).

Figure 2 shows a boxplot of the BLUE after an adjustment by fixed effects for WU over 249 20 time days of imaging. WU exhibited an exponential trend over the 20 days of imaging 250 and closely followed the temporal patterns exhibited by PSA.

Joint analysis of WU and PSA reveals shared additive genetic effects between traits

Genetic architectures of WU and PSA were dissected by estimating the proportion of cap-253 tured additive genetic variances across 20 days of imaging using a ST-RRM. The RRM 254 included a fixed second order Legendre polynomial to capture the overall mean trajectories 255 for each trait, and additive genetic and permanent environmental effects were modeled us-256 ing a second order Legendre polynomial. Figure 3 shows that PSA exhibited considerably 257 higher narrow-sense heritability (h^2) compared to WU. For instance, h^2 ranged from 0.48 to 258 0.82 for PSA, while the values ranged from 0.20 to 0.73 for WU. We observed an increasing 259 trend over time with the lowest value observed on day 1 of imaging and the highest value 260 observed on day 19. PSA on the other hand showed the lowest h^2 values on day 1, but it 261 quickly increased and reached somewhat of a plateau from day 3 to 16. After day 16, h^2 262 slowly declined. Collectively, these results indicate that both traits are influenced by addi-263 tive genetic effects, and these effects vary throughout time. However, phenotypic variance is 264

less influenced by non-genetic effects for PSA compared to WU. Moreover, additive genetic
effects for WU show greater temporal variability compared to PSA.

To investigate genetic relationship between WU and PSA, we estimated genomic correla-267 tion at each time point. The MT-RRM used a second order polynomial to model the overall 268 mean trends for each trait, as well as the additive genetic and permanent environmental 269 effects for both traits. The genomic correlation between WU and PSA from MT-RRM is 270 shown in Figure 4. A moderate to strong positive genomic correlation between WU and 271 PSA was observed over 20 time periods. On average, the genomic correlation across all 272 time periods was 0.78. The genomic correlation was low for the first time point, but quickly 273 increased until the fifth day of imaging. From day 5 to the final day of imaging, genomic 274 correlation showed a slight increasing trend. Genomic correlation ranged from 0.29 to 0.87, 275 with the highest value observed on the last 12 days of imaging. These results indicate that 276 WU and PSA share similarity at the genetic level. 277

²⁷⁸ Predictive assessment using RRM by two CV scenarios

We next sought to evaluate the predictive performance of MT-RRM to predict genetic values 279 for WU. To this end, we employed two CV scenarios. The first is similar to a conventional 280 genomic prediction application in which the objective is to predict genetic values for a set 281 of individuals without phenotypic records. We used two different testing populations. The 282 first consists a set of 112 randomly selected accessions that have no phenotypic records for 283 PSA and WU. The second consists of a set of 112 accessions that have phenotypic records 284 for PSA, but lack records for WU. Thus, the latter scenario can be thought of as a case 285 where a subset of the population has incomplete data. The predictive ability of MT-RRM1 286 and MT-RRM2 was compared to a ST-RRM in which the model fitted using WU values 287 for 245 accessions and is used to predict genetic values for the remaining 112 accessions. In 288 all cases, the predictive ability was measured as the correlation between predicted genetic 289 values and BLUE in the testing set at each time point. 290

The prediction accuracy for CV1 is shown in Figure 5. An increasing trend in prediction 291 accuracy over time for all models was observed in CV1. Prediction accuracy increased quickly 292 from day 1 to 13, and eventually plateaued from days 14 to 20. MT-RRM2 showed the highest 293 prediction accuracy of all models. On average the predictive ability for MT-RRM2 was 0.74, 294 while for MT-RRM1 and ST-RRM the prediction accuracies were 0.53 and 0.46, respectively. 295 These results indicate that the predictive ability can be improved using a MT-RRM when 296 records for one trait are available for individuals in the testing population. The predictive 297 ability for MT-RRM1 was similar to ST-RRM during the first five time points, but slightly 298 increased with 0.06 to 0.09 relative to ST-RRM from day 6 on ward. These results suggested 290 that MT-RRM approach can be more effective method for genomic prediction of WU. 300

The objective of the second CV scenario was to evaluate the abilities of MT-RRM1 and 301 MT-RRM2 to forecast genetic values at future time points using phenotypes recorded at 302 earlier time points. The design of two MT-RRM were similar to those described above 303 (Figure 1). The first MT-RRM, MT-RRM1, was fit using a training set with WU and PSA 304 data collected from the first 10 time points, and was used to predict genetic values for WU for 305 the subsequent time points. The second MT-RRM, MT-RRM2, was fit using PSA values for 306 all 20 time points and WU values for the first 10 time points, and was used to predict genetic 307 values for WU for the last 10 time points. Figure 6 shows the predictive correlation of WU 308 for each of the models evaluated. The prediction accuracy for each method was relatively 309 constant over all days. However, the prediction accuracy of MT-RRM were greatly higher 310 than ST-RRM, indicating that inclusion of additional information from PSA can improve 311 the ability to forecast WU. For ST-RRM, prediction accuracy ranged from 0.54 to 0.57, while 312 values for MT-RRM1 and MT-RRM2 range from 0.79 to 0.83 and 0.84 to 0.91, respectively. 313 Collectively, these results indicate that joint analysis of PSA and WU with the MT-RRM 314 improves the ability to forecast future genetic values for WU. 315

316 Discussion

Advances in HTP has provided plant breeders with a new suite of tools to assess morphologi-317 cal and physiological traits in a non-destructive manner for large populations at frequent time 318 intervals throughout the growing season (Fahlgren et al., 2015). These platforms facilitate 319 the collection of data that provide important insights into the morpho-physiological basis of 320 complex traits. Thus, with these technologies complex traits such as drought tolerance can 321 be decomposed into component traits to better understand the basis of these traits and im-322 prove the development of varieties with increased resilience (Berger et al., 2010). Although 323 these platforms provide a powerful means to quantify complex traits in large populations, 324 some physiological traits require specialized equipment or must be recorded during a specific 325 time of day (e.g., transpiration or chlorophyll fluorescence) (Tardieu et al., 2017). Thus, in 326 many cases these data may only be available for a subset of the population. 327

HTP is often used to record a number of traits on the same individuals. In some cases, 328 physiological traits that are difficult to measure may be correlated with traits that are more 329 accessible and can be recorded with greater ease. In such cases, MT genomic prediction 330 frameworks provide an excellent solution to utilize partial records and predict genetic val-331 ues for the physiological trait in individuals with missing data. Jia and Jannink (2012) 332 demonstrated that MT models improve prediction accuracy particularly for traits with low 333 heritability. In the current study, we utilized a MT approach in a RRM framework to pre-334 dict genetic values for WU, a difficult to measure trait with low heritability, by joint analysis 335 with PSA, which exhibits higher heritability and is easier to measure. Since WU shows a 336 positive correlation with PSA, we hypothesized that the MT-RRM framework can improve 337 predictions for WU. 338

³³⁹ Genetic components of HTP image traits

Since WU is difficult to quantify directly in cereals such as rice, few studies have measured 340 WU or water use efficiency, while most studies have sought to utilize indirect measurements 341 of WU or water use efficiency for genetic analyses (This et al., 2010; Rebolledo et al., 2013; 342 Feldman et al., 2018; Momen et al., 2019b). Consistent with the current study, Feldman 343 et al. (2018), which utilized a HTP platform to quantify temporal water use and plant size 344 in the C4 species Setaria grown in contrasting water regimes, reported moderate broad 345 sense heritability (H^2) values for WU, and higher H^2 for plant size. Moreover, Feldman 346 et al. (2018) showed that H^2 varied throughout the experiment with lower H^2 observed 347 during the initial time points and higher H^2 values observed during the middle time points. 348 In our study, h^2 values for WU in early time points were lower compared to those observed 349 during the later time points. The plants in the current study were relatively small during 350 the initial time points and therefore less amount of water is lost each day. Thus, water 351 loss during these periods may be heavily influenced by environmental factors such as soil 352 temperature or irradiation. Similar temporal trends have been reported for plant height 353 in sorghum (Fernandes et al., 2018). Thus, given the moderate h^2 values for WU and the 354 temporal variability in h^2 , selection for this trait may be difficult in breeding programs. 355 Conversely, h^2 for PSA was relatively stable throughout the experiment, indicating that h^2 356 for PSA may be less affected by temporal environmental effects compared to WU. 357

Multi-trait approaches are particularly advantageous when one target trait has low her-358 itability and is correlated to a secondary non-target trait with higher heritability (Mrode, 359 2014). Joint analysis using a MT model can improve prediction of genetic values for low her-360 itability trait and thus improve selection in plant breeding programs. In the current study, 361 we showed a benefit of using MT-RRM for WU which had a positive genomic correlation 362 with PSA. Thus, we proposed that joint analysis of WU with PSA can improve predictions 363 of genetic values for WU. In a recent study, Momen et al. (2019b) examined the relation-364 ships between single time point measurements of WU, root biomass, water use efficiency, 365

and PSA. According to the result, WU showed a moderate to strong positive correlation with PSA, root biomass, and water use efficiency, ranging from 0.48 to 0.85 (Momen et al., 2019b). Although we utilized PSA as the indicator trait in this study, it is expected that root biomass and water use efficiency can be leveraged for genomic prediction for WU using the MT.

³⁷¹ Predictive performance of MT-RRM

The MT-RRM framework offers several advantages over conventional single-trait genomic 372 best linear unbiased prediction (ST-GBLUP) approaches. First, the random regression 373 framework provides a tractable means to predict genetic values for temporal traits. The 374 RRM uses covariances functions to model the genetic and environmental covariance between 375 time points, and has been shown to improve prediction of genetic values compared to a 376 ST-GBLUP approach (Campbell et al., 2018). Secondly, because the covariance function 377 expresses the genetic covariance between time points using a continuous function, the RRM 378 can be used to predict genetic values at time points with no records (Momen et al., 2019a). 379 Thus, we can leverage the RRM framework to forecast future genetic values. Finally, as 380 mentioned above, the joint analysis of MT can improve prediction accuracy for traits with 381 low heritability. In the current study, we designed two CV to evaluate the ability to predict 382 genetic values in unobserved accessions for a trait with lower heritability, and assessed the 383 ability of the MT-RRM to predict future genetic values for accessions with records. Because 384 the sample size and the number of time points used were relatively small, both ST- and 385 MT-RRMs took less than 10 minutes to complete the longitudinal analyses on 64bit Linux 386 with Intel Core i7-6950X (3.0GHz). 387

The first CV scenario was designed to evaluate the ability of MT-RRM to predict genetic values for WU in accessions without any records. Consistent with our expectations, MT-RRM had a better predictive ability than ST-RRM. The predictive ability of the MT-

RRM was further improved when PSA records were available for accessions in the testing 391 population. The effectiveness of MT genomic models has been investigated extensively and 392 have reported improved prediction accuracy compared to a ST model (Jia and Jannink, 393 2012; Guo et al., 2014; Okeke et al., 2017; Fernandes et al., 2018). For instance, Guo et al. 394 (2014) compared prediction accuracy from ST- and MT-GBLUP using simulated data. MT-395 GBLUP showed better predictive performance when the target trait had lower heritability 396 compared to the non-target trait and when the target trait had a greater number of missing 397 observations (Guo et al., 2014). However, the majority of these studies have focused on 398 traits recorded at a single time point. In the current study, we used a MT approach for 390 prediction of bivariate traits with longitudinal records, and observed similar results. As sug-400 gested by the previous studies, an increase of prediction accuracy by MT-RRM in this study 401 may result from a relative lower heritability of WU than PSA and the high degree of shared 402 genetic signals with PSA (Momen et al., 2019b). The results of CV1 showed that prediction 403 accuracies from all the models were more stable at later time periods, which is similar to the 404 temporal trends in prediction accuracy observed for PSA reported by Momen et al. (2019a) 405 that was obtained using a ST-RRM. The accuracy of genomic prediction largely depends 406 on the heritability of the trait (Hayes et al., 2009). Thus, the lower predictions at the ini-407 tial time points may be the result of the lower heritability observed during these periods. 408 Moreover, early observations are recorded on seedlings that have just started to tiller. At 409 this stage the plants may not have accumulated enough biomass and have low transpiration 410 demands, to discern genotypic variation in water use from environmental variation. 411

Genomic predictions based on small number of records are a major concern in many practical applications, especially for a trait that is difficult or costly to measure because it can reduce phenotyping costs. As expected, the MT approaches (MT-RRM1 and MT-RRM2) in CV2 resulted in improvements compared to the ST-RRM with gains of 0.26 and 0.33, on average, for MT-RRM1 and MT-RRM2, respectively. Our results suggest that MT-RRM can be a powerful approach for forecasting future phenotypes using records from

earlier periods. In this study, we examined prediction accuracies from 11 to 20 days in CV2. 418 However, the trends in prediction accuracy were relatively stable across time points. Thus, 419 forecasting based on records at further earlier time periods could be implemented without a 420 loss of prediction accuracy as reported by Momen et al. (2019a). However, the performance 421 of these forecasting approaches will likely be highly dependent on the genomic correlation 422 between the time points used to train the prediction model and the time points in which 423 predictions will be made. Lastly, it should be noted that the best prediction performance 424 delivered by MT-RRM2 in both scenarios may be due to the fact that the training-testing 425 sets partitioning is not completely independent in a strict sense. However, a situation akin 426 to this occurs in practice and an approach such as MT-RRM2 would be still worthwhile to 427 test. 428

We employed an unweighted two-stage approach to obtain adjusted means because of its 429 simplicity and computational efficiency. However, a single-stage analysis is often considered 430 as a more appropriate method to account for systematic effects due to heterogeneity of 431 covariances among adjusted means (Möhring and Piepho, 2009; Piepho et al., 2012). Thus, 432 we also explored a single-stage analysis by fitting all the systematic effects in RRM. We 433 observed a high correlation (0.92) between the genetic values from the single-stage and the 434 unweighted two-stage analyses across 20 time points. This is likely because the current 435 dataset is obtained from the control condition in a greenhouse, which may yield a more 436 homogeneous variance-covariance structure of errors between adjusted means compared to 437 heterogeneous data typically collected from multi environment field trials. A weighted two-438 stage approach (Smith et al., 2001; Piepho et al., 2012) was not considered in the current 439 study because of the limitation of the GIBBS3F90 program to perform such an analysis. 440

441 Conclusion

To our knowledge, this is the first study that applied the MT-RRM to HTP-derived temporal traits in plants. We demonstrated that MT-RRM is a robust and flexible approach that can be used to improve prediction accuracy for a trait with a limited number of records or low heritability. Thus, in the case of breeding for morpho-physiological traits, the MT-RRM can improve prediction accuracy for physiological traits that may have low heritability or are difficult to measure in large populations.

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452 Author contribution statement

This work was supported by the National Science Foundation under Grant Number 1736192 to HW and GM, and Virginia Polytechnic Institute and State University startup funds to GM. MTC and HW designed and conducted the experiments. TB and MM analyzed the data. TB and GM conceived the idea and wrote the manuscript. MTC, MM and HW discussed results and revised the manuscript. GM supervised and directed the study. All authors read and approved the manuscript.

459 Figures

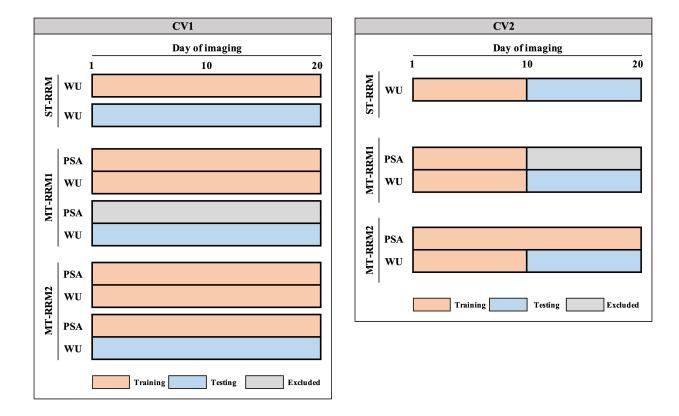


Figure 1: Two scenarios of cross-validation (CV) designed to investigate prediction accuracy of water use (WU) from single- and multi-trait random regression models (ST-RRM, MT-RRM1, and MT-RRM2). CV1: Prediction of WU for a set of 112 accessions without records on WU using 245 training accessions. ST-RRM: single-trait random regression model using WU of training accessions; MT-RRM1: multi-trait random regression model using WU and projected shoot area (PSA) of training accessions; MT-RRM2: multi-trait random regression model using WU and PSA of training accessions as well as PSA of testing accessions. CV2: Forecast future genetic values of WU belonging to 245 known accessions from records at earlier time periods. ST-RRM: single-trait random regression model for WU using the first 10 time points in training accessions; MT-RRM1: multi-trait random regression model for WU using the first 10 time points of WU and PSA information in training accessions; MT-RRM2: multi-trait random regression model for WU using the first and PSA at all the time periods in training accessions.

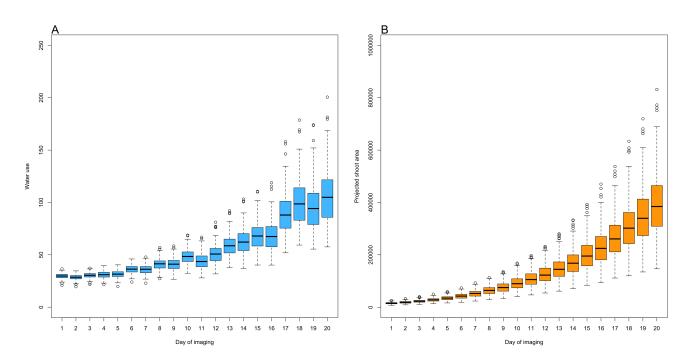


Figure 2: A boxplot of best linear unbiased estimator for water use (A) and projected shoot area (B) over 20 days of imaging.

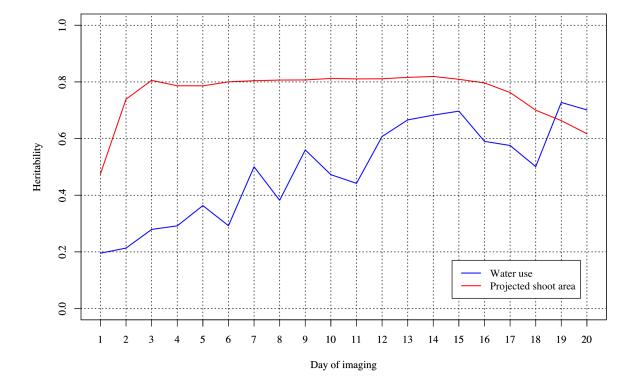


Figure 3: Heritability for water use and projected shoot area over 20 days of imaging using a single-trait random regression model.

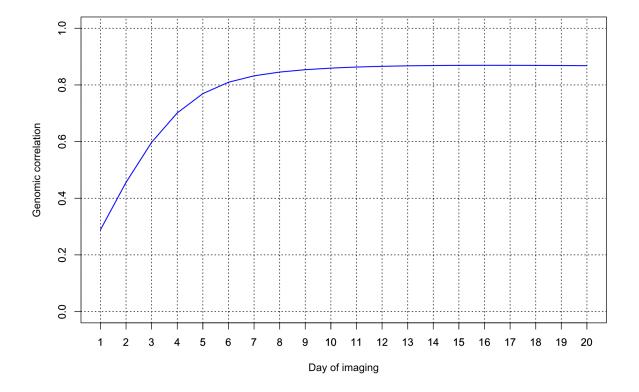


Figure 4: Genomic correlation between water use and projected shoot area over 20 days of imaging using a multi-trait random regression model.

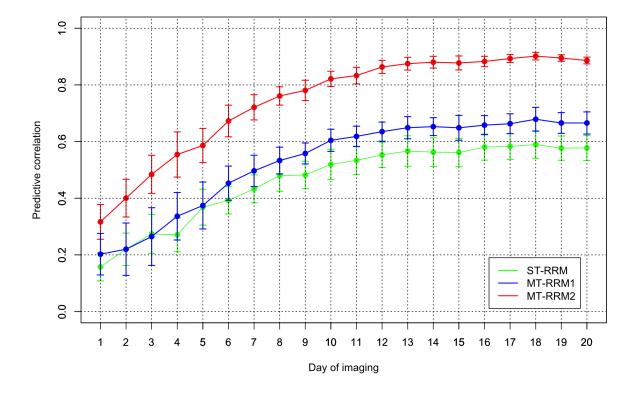


Figure 5: Pearson correlation of water use from cross-validation scenario 1. ST-RRM: singletrait random regression model; MT-RRM1: multi-trait random regression model using the water use and projected shoot area of training data; MT-RRM2: multi-trait random regression model using the water use and projected shoot area of training data as well as the PSA of testing data.

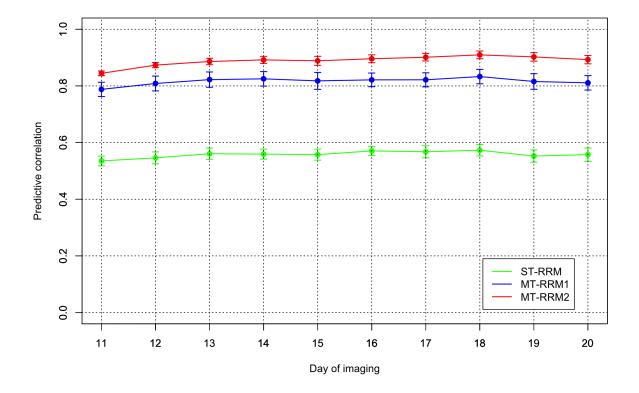


Figure 6: Pearson correlation of water use from cross-validation scenario 2. ST-RRM: singletrait random regression model; MT-RRM1: multi-trait random regression model using WU and PSA from 1 to 10 time periods in the training data; MT-RRM2: multi-trait random regression model using WU from 1 to 10 time periods and PSA at all the time periods in the training data.

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