1 **Identifying robust strategies for assisted migration in a**

2 **competitive stochastic metacommunity**

4 **Abstract**

Assisted migration is the translocation of species beyond their historical range to locations that

are expected to be more suitable under future climate change. However, a relocated

population might fail to establish within its donor community if there is high uncertainty in

decision making, climate, and interactions with the recipient ecological community. To quantify

the benefit to persistence and risk of establishment failure of assisted migration under different

management scenarios, we built a stochastic metacommunity model to simulate several

species reproducing, dispersing, and competing on a temperature gradient as temperature

increases over time. Without assisted migration, the species in our model were vulnerable to

climate change if they had low population sizes, short dispersal, and strong poleword

competition. When relocating species that exemplified these traits, assisted migration

increased the long-term persistence of the species most when relocating a fraction of the donor

population, even if the remaining population was very small or rapidly declining. This suggests

that leaving behind a fraction of the population could be a robust approach, allowing managers

to repeat assisted migration in case they move the species at the wrong place and wrong time,

especially when it is difficult to identify a species' optimal climate. We found that assisted

migration was most beneficial to species with low dispersal ability and least beneficial to

species with narrow thermal tolerances, for which assisted migration increased extinction risk

on average. Lastly, while relocation did not affect the persistence of non-target species in our

simple competitive model, researchers will need to consider a more complete set of community

interactions to comprehensively understand invasion potential.

Introduction

Global biodiversity is expected to decline with projected climate change (Urban 2015).

Among the species at risk of extinction are those with limited dispersal, narrow ranges, narrow

climate tolerance, and low population sizes (Pearson 2006; Tewksbury et al. 2008). Competition

and other community interactions could increase extinction risk, as negative interactions can

limit the dispersal of species that might be otherwise adequate dispersers (Gilman et al. 2010;

Urban et al. 2012). Many of these climate-threatened species face a high likelihood of

extinction without human intervention, prompting scientists and managers to consider a

variety of novel approaches to conservation (Heller & Zavaleta 2009). Among these approaches

is assisted migration (AM), in which managers relocate individuals from a threatened

population to a location outside their historical range that is expected to be more suitable

under future climates (McLachlan et al. 2007). By allowing these species to reach favorable

climates in densities that they would not be able to reach on their own, AM could increase the

likelihood of persistence for climate-threatened species or protect species with high ecological

and socioeconomic value in ways that traditional conservation strategies might not (McLachlan

et al. 2007; Heller & Zavaleta 2009; Lawler & Olden 2011; Schwartz et al. 2012).

Moving a species into a novel ecosystem could also incur many risks (Ricciardi &

Simberloff 2009; Hewitt et al. 2011). Ecological risks include the risk that a relocated species

becomes invasive within its recipient community (Mueller & Hellmann 2008), the risk of

spreading pathogens and parasites (Simler et al. 2018), demographic costs of increased

elevated stress on individuals when relocating individuals (Dickens et al. 2010), and the loss of

genetic diversity when creating small founding populations and donor populations (Kekkonen &

Brommer 2015). Demographic and genetic risks might contribute to the risk of a species failing

to establish after relocation (Chauvenet et al. 2013; Plein et al. 2016) as seen with the low-to-

intermediate success of previous conservation translocations across a wide range of taxa

(Fischer & Lindenmayer 2000; Godefroid et al. 2011). Establishment failure could accelerate the

negative impacts on climate-threatened species by reducing the population size and genetic

diversity while diverting the limited resources available to conservation (McDonald-Madden et

al. 2008; Hewitt et al. 2011). This risk also depends, in part, on uncertainties that lead managers

to relocate a species into the wrong place at the wrong time, especially if there are narrow

conditions under which a species can persist. One source of uncertainty that leads to

translocation failures is environmental stochasticity (Wolf et al. 1996), which will likely increase

with climate change (Vasseur et al. 2014). Additional uncertainty stems from the difficulty in

quantifying and differentiating between the abiotic and biotic drivers of species' ranges (Case et

al. 2005), which could become increasingly uncertain with climate change (Boiffin et al. 2017).

Given these uncertainties, a key management challenge is developing robust approaches over a

range of conditions (McDonald-Madden et al. 2008) for the array of decisions involved in AM.

This involves evaluating which species are vulnerable to climate-threatened extinction, which

species will likely benefit from AM, when and where to move a species, and how many

individuals to move (McDonald-Madden et al. 2011; Rout et al. 2013).

Despite a lack of consensus among the scientific community and the public about the

benefits and risks of AM (Hewitt et al. 2011; Javeline et al. 2015; St-Laurent et al. 2018), several

species are already being relocated (Seddon et al. 2015). Scientific guidance for AM endeavors

is available from existing AM decision-making frameworks, which typically focus on optimizing a

species' persistence under climate change using single-species models (McDonald-Madden et

al. 2008; Rout et al. 2013; Kling et al. 2016). Extending these to a multispecies framework is a

crucial next step to account for the species interactions that give rise to the risks of invasiveness

and uncertainty in the drivers of species range.

In this paper, we quantify the benefit to target species' persistence, risk of failed

translocation, and risk of non-target species' response to AM given competitive interactions,

multiple sources of uncertainty, and an array of management decisions. We built a stochastic

metacommunity model to simulate competing species undergoing climate change to estimate

which species were vulnerable to extinction, which species were likely to benefit from AM, and

what fraction of the population to relocate. Though the dynamics of interacting communities

that give rise to the risk of invasiveness are often complex, involving many direct and indirect

trophic interactions (Holt 1984; Chesson & Kuang 2008), we focus on competition because of its

role in driving species' range limits, rooted in long-standing ecological theory (Connell 1972)

and established as the most extensively studied and best-supported species interaction for

driving range limits (Sexton et al 2009). Due to this role in affecting species' ranges generally,

competition has a significant potential to affect range shifts and persistence under climate

change (Urban et al. 2012; Ettinger & HilleRisLambers 2013), the dynamic central to the AM

decisions on which we focus. Another potential source of uncertainty comes from abiotic

drivers of species' ranges. Because managers will have limited knowledge of a species' optimal

climate (a reducible uncertainty), we simulated relocation with uncertainty in estimating of

species' thermal optima. By repeating these simulations under different levels of environmental

stochasticity (an irreducible uncertainty), we identified characteristics of successful AM

approaches that were robust over a wide variety of uncertainty scenarios.

Methods

Model overview

To compare assisted migration (AM) strategies, we modeled metacommunity dynamics

of multiple species competing on a one-dimensional linear temperature gradient subjected to

climate change, analogous to a previous model by Urban et al. (2012) with environmental

stochasticity. For simplicity, all species in this metacommunity are annuals competing over the

same resources at the same trophic level. The model cycles through reproduction, dispersal,

and competition, all with demographic stochasticity, over each time step (Fig. 1). Each species i

has a unique dispersal distance (γ_i), thermal optimum (z_i), thermal tolerance breadth (σ_i), and

a reproductive strength parameter (r_i) that scales the birth rate to create a specialist/generalist

trade-off (Levins 1968). We simulate AM by selecting one target species and relocating a

fraction of its total population toward its thermal optimum each time the population falls

below a threshold population size. We compared outcomes when relocating different target

species with different fractions of the population into different locations.

We analyze the potential benefit of AM based on the target species' persistence

likelihood throughout all locations. Persistence likelihood also indicates the risk of translocation

failure due to uncertainty and stochasticity. We measure the risk of invasiveness from

competitive interactions based on the persistence likelihood of non-target species as well as

the overall gamma diversity. Though this metric only represents an extreme outcome on the

continuum of possible invasive impacts on community structure and ecosystem function

(Blackburn et al. 2014), other metrics would require investigation beyond competitive

interactions within a trophic level.

Population dynamics

Each species i has a local population size of $n_i(x,t)$ individuals in discrete patch x and a

total metapopulation size over all space X of $N_i(t) = \sum_{x \in X} n_i(x,t)$ at discrete time t. First, all

individuals reproduce (Fig. 1a) with a reproductive output $b_i(T(x,t))$ that depends on local

temperature $T(x,t)$. Temperature-dependence is skew-normal, given skewness constant λ, and

highest values are around the thermal optimum z_i with a sharp decrease above z_i (Norberg

2004). Thermal tolerance breadth σ_i and reproductive strength r_i determine the breadth and

height of the temperature-dependence. Altogether, $b_i(T(x,t))$ is

$$b_i\big(T(x,t)\big) = \exp\left(r_i\left\{\exp\left[-\left(\frac{T(x,t)-z_i}{\sigma_i}\right)^2\right]\cdot\left[1+erf\left(\lambda\frac{T(x,t)-z_i}{\sigma_i}\right)\right]-1\right\}\right) \qquad (1)$$

125   (following Urban et al. 2012). To incorporate demographic stochasticity, the number of

126   propagules produced by species i in patch x is a Poisson random variable with mean equal to

127   the reproductive output, $n_i^*(x,t)\sim\text{Poisson}(n_i(x,t)b_i(T(x,t))$ (Melbourne & Hastings 2008).

128   Next, each propagule disperses from its origin (Fig. 1b). We adapted the Laplace

129   dispersal kernel to a discrete-space analog (Appendix S1). We define γ_i as the mean absolute

130   distance (in patches) that species i moves from its origin and let kernel parameter $q_i =$

131      $\frac{\gamma_i+1-\sqrt{\gamma_i^2+1}}{\gamma_i}$. Thus, the probability of a propagule from patch x moving to patch y is

$$k_i(x,y) = \left(\frac{q_i}{2-q_i}\right)(1-q_i)^{|x-y|}. \qquad (2)$$

132   All propagules of species i disperse from patch x throughout all space X with the random

133   vector $M_i(n_i^*(x,t),x,X,t)\sim\text{Multinomial}\big(n_i^*(x,t),k_i(x,X)\big)$, and the vector of local populations

134   after dispersal is $n_i^{**}(X,t) = \sum_{y\in X} M_i(n_i^*(y,t),y,X,t)$.

135   Lastly, dispersed propagules compete within each patch x given community-wide

136   carrying capacity K (Fig. 1d). We assumed a variation on lottery competition (Sale 1978;

137   Chesson & Warner 1981), where each individual has an equal probability of surviving,

$$p(x, y) = \left(1 + \frac{\sum_{j=1}^{S} n_j^{**}(x, t)}{K}\right)^{-1}. \qquad (3)$$

138 The total number of propagules of species i in patch x that survive after competition is a

139 binomial random variable $n_i(x, t+1) \sim \text{Binomial}(n_i^{**}(x, t), p(x, t))$ (Melbourne & Hastings

140 2008). Therefore, the overall quality of a location, in terms of how it drives production and

141 survival, depends on the constant carrying capacity K and match between the local

142 environment and species thermal tolerance.

144 *Spatial structure*

145 Metacommunity dynamics occur across a one-dimensional, linear temperature gradient

146 of L patches (Fig. 1e), representing gradual latitudinal or sharp elevational change (Urban et al.

147 2012). We remove propagules that disperse outside of the spatial gradient. Because these

148 absorbing boundary conditions could bias our analyses, we disregard the first $\frac{L}{8}$ patches on the

149 poleward edge and the last $\frac{3L}{8}$ patches on the equatorward edge when measuring species and

150 community metrics.

151 Temperature changes each time step by mean τ with autocorrelation κ and standard

152 deviation ψ around white noise $\omega(t)$. The stochastic component of yearly temperature change

153 is $\epsilon(t+1) = \kappa\epsilon(t) + \omega(t)\sqrt{1 + \kappa^2}$, with the square root term to remove the effect of

154 autocorrelation on the variance (Wichmann et al. 2005). Altogether, the temperature in patch x

155 changes over time as

$$T(x, t + 1) = T(x, t) + \tau + \psi \epsilon(t). \qquad (4)$$

Assisted migration

AM focuses on a single target species (Fig. 1c), species F. We relocate species F if its

total metapopulation size $N_F(x, t)$ is below a threshold η at the beginning of a time step.

Though population size would realistically need to be estimated, we assume perfect knowledge

of population size to focus on uncertainty in the drivers of a species' range. To avoid repeating

AM before species F recovers, we only relocate if we did not previously relocate within the last

α time steps. After reproduction, we select a fraction of propagules ρ for AM, randomly chosen

from throughout the species' range, while the remaining propagules are left behind to disperse

naturally (the donor population). From the propagules chosen for AM, only a proportion μ

survive relocation, and those are relocated uniformly among five connected patches around a

patch β spaces poleward of the patch that most closely matches the species' estimated thermal

optimum (the recipient population).

We considered three methods of estimating the thermal optimum of species F. The

perfect knowledge estimate is the exact value of the true thermal optimum z_F. The realized

niche estimate is the temperature in the median patch of the target species' distribution at $t =$

0. The fundamental niche estimate measures species' limits without competition by simulating

100 time steps with $\tau = 0°C/year$ and only species F. This estimate is the temperature in the

median patch of the resulting distribution.

Parameterization and implementation

Simulations occurred on a temperature gradient with $L = 512$ patches, where initial

temperatures linearly varied over space from 9.78°C to 30.22°C. We considered two types of

environments, defined by the degree of stochasticity. Low-stochasticity environments had an

annual temporal standard deviation of $\psi = 0.1639$°C, equal to the standard deviation of mean

combined global land-surface air and sea-surface water temperature anomalies from 1880 to

1979 (GISTEMP Team 2019; Lenssen et al. 2019), and high-stochasticity environments had four

times that amount. Both had an annual temporal autocorrelation of $\kappa = 0.767$, also from

temperature anomalies from 1880 to 1979. We used skewness constant $\lambda = -2.7$ (Urban et al.

2012) and carrying capacity $K = 30$ individuals. We chose this parameter space, including low

values for K, so that extinctions do occur for some species and AM is a relevant management

consideration (Appendix S3).

Before simulating climate change, we initialized the model to assemble a

metacommunity with multidecadal coexistence under background environmental stochasticity.

First, we generated a pool of $S = 32$ species, each with uniquely randomized dispersal

distances γ_i, thermal optima z_i, and thermal tolerance breadths σ_i, (based on Urban et al.

2012) (Table 1). We numerically derived the reproductive strength r_i from σ_i, such that each

species had the same overall reproductive potential $B = 5$ when integrating over temperature,

emulating a jack-of-all-trades-master-of-none trade-off (Levins 1968). We placed 25 individuals

from each species into five adjacent patches that most closely matched each species' thermal

optimum and iterated through the model with mean temperature change $\tau = 0$ °C/year until

100 time steps passed without extinction. The remaining communities set initial conditions for

subsequent climate change simulations (Appendix S4).

We modeled metacommunity dynamics under climate change with AM to test the

success of a suite of potential relocation decisions. We initialized 10,000 metacommunities

under both low and high stochasticity before iterating through 100 time steps with mean

annual temperature change $\tau = 0.04$°C/year to reflect projected temperature changes under

RCP8.5 (Urban et al. 2012, IPCC 2014). For AM, we chose several target species that could be

considered vulnerable to climate change, including: the species with the shortest dispersal, the

species with the narrowest thermal tolerance breadth, the species with the closest poleward

neighbor, the species with the lowest initial population size, and a randomly selected species.

All target species were initially extant within an interior region of the temperature gradient,

$W \in [65,320]$, ensuring that their thermal optimum would likely exist after climate change and

that there was competitive pressure on both the trailing and leading edges. We simulated each

combination of target species type, fraction relocated ρ from 0 to 1 (by 0.05), and thermal

optimum estimate while keeping consistent values for AM survival probability $\mu = 0.8$,

cooldown time $\alpha = 5$, and relocation adjustment $\beta = 10$. From baseline simulations without

AM (Appendix S2), we chose low-population threshold for AM $\eta = 42$, high enough that

relocation could occur before extinction but low enough to avoid relocating species that would

have persisted even without AM.

To determine what types of species and communities are conducive to AM success

(increased persistence likelihood with AM), we ran random forest classifications

(`randomForest` 4.6-14 package, R Version 3.5.1) separately for low and high stochasticity

(note the analogous analysis for vulnerability to climate change in simulations without AM in

Appendix S2). The dependent variable was the fate of the target species: global extinction or

persistence throughout all locations, disregarding the fate in the original range. The

independent variables were target species' thermal optimum (z_F), difference in thermal

optimum between target species and neighbors ($z_{\mathrm{diff},P}$, $z_{\mathrm{diff},E}$), target and neighbor species'

dispersal (γ_F, γ_P, γ_E), target and neighbor species' thermal tolerance breadths (σ_F, σ_P, σ_E);

target and neighbor species' initial population sizes ($N_F(0)$, $N_P(0)$, $N_E(0)$), inverse Simpson's

diversity index of the initial community (D_W), measured temperature change (c_T), measured

standard deviation in temperature (s_T), and the deviation between the estimated and true

thermal optimum ($z_{\mathrm{est,dev}}$). To focus on cases where target species specifically benefited from

AM, we only included simulations in which the target species went extinct without AM. To

simplify analysis, we focused random forest classifications on simulations with fraction-moved

$\rho = 0.5$, shortest dispersers, and realized niche estimates.

Results

Under all scenarios, relocated species had a higher chance of persisting when relocating

an intermediate fraction of the total population during AM (Fig. 2, 3a-b). Moreover, target

species' persistence was typically lower when relocating 100% of the total population than

without relocation (except when relocating the shortest disperser). Relocating an intermediate

fraction of the total population usually allowed the target species to exist in higher densities

relative to interacting species in both the donor and recipient communities (Fig. 3c-d). On

average, this increased the likelihood of long-term persistence of both the donor and recipient

populations (Fig. 3e-f) and overall persistence compared to no management action (Fig. 2,

solid/dashed vs. thin dotted lines). Often, AM involved multiple relocations (Fig. 4a-b), and the

higher AM success when relocating intermediate fractions came with more individual relocation

events (Fig. 4c-d). Assisted migration had little effect on the persistence of non-target species

and final community diversity (Appendix S5), so the remaining results focus on persistence

instead of invasion risk arising from the competitive interactions modeled here.

Of the possible target species, the shortest dispersers experienced the greatest benefit

from AM (Fig. 2a-b). For most treatments, AM also increased persistence of target species with

the lowest population sizes, species with the closest poleward neighbors, and randomly picked

species. However, AM usually decreased persistence of species with the narrowest thermal

tolerances (specialists).

On average, AM had a similar effect on persistence regardless of how we estimated the

species' thermal optimum (Fig. 2c-d). Under high stochasticity, AM was most successful with

perfect knowledge of species' thermal optima, but under low stochasticity, AM was most

successful with realized niche estimates. This difference suggests stronger competition in low-

stochasticity environments such that competition set species limit more than species' inherent

thermal tolerances.

For both levels of stochasticity, three of the top four most important variables for

predicting AM success of the shortest disperser were the target species' initial population size

$N_F(0)$, the target species' thermal tolerance breadth σ_F, and the difference in thermal

optimum between the target species and its poleward neighbor $z_{\mathrm{diff},P}$ (random forest

classifications; out-of-bag error: 25.27% low stochasticity, 30.56% high stochasticity) (Fig. 5a-b).

AM was most successful when the values of these characteristics were higher (Fig. 5c-e),

suggesting that AM is most likely to benefit generalists with higher population sizes and less

poleward competition. Under low stochasticity, AM was less successful if the poleward

neighbor was a specialist with narrow thermal tolerance breadth σ_P (Fig. 5f), implying that

poleward competition limited AM success under low stochasticity but not as much under high

stochasticity. AM was also more successful when thermal optimum estimates were warmer

than the true value (positive deviation of $z_{\mathrm{est,dev}}$) (Fig. 5g), and this effect was stronger under

high stochasticity. Colder estimates placed target species further along the climate gradient,

often beyond temperatures under which they can survive, so extreme year-to-year

temperature change under high stochasticity would be more likely to drive the relocated

population extinct if they are placed into the wrong location.

Discussion

Our model suggests that assisted migration (AM) can be effective at increasing species'

persistence under climate change if the species is limited by short dispersal, small population

sizes, and competition (Fig. 2). However, like many related conservation translocations (Fischer

& Lindenmayer 2000), we found that AM often fails when the relocated population does not

establish, especially for narrow thermal tolerance species. Relocating an intermediate fraction

of the population was consistently an optimal strategy (Fig. 2) due to multiple possible drivers,

such as allowing additional relocation attempts after establishment failure (Fig. 4) and reducing

the degree of negative density dependence in both the donor and recipient populations (Fig. 3).

Choosing species for AM

Species are vulnerable to climate change for a variety of reasons, ranging from

dispersal-limitation (Pearson 2006), to narrow thermal tolerance (Tewksbury et al. 2008), to

competitive interactions (Urban et al. 2012). Our model suggests that the effectiveness of AM

as a management strategy depends on the driver of vulnerability. In particular, AM might not

be appropriate for specialist, narrow-tolerance species. With only a narrow range of

temperatures under which specialists can replace themselves, any error in identifying a species'

optimal climate would disproportionately affect specialists. However, because of our

assumption of a jack-of-all-trades-master-of-none trade-off (Levins 1968), specialist species

usually persisted under climate change without AM (Appendix S2). With this trade-off,

specialists were stronger competitors under lottery competition (Chesson & Warner 1981),

outweighing the costs of narrow thermal tolerance in our model. Removing this trade-off would

reduce specialists' competitiveness, making them potentially more vulnerable to climate

change, but also potentially more vulnerable to having smaller, divided populations with AM.

AM was most successful for dispersal-limited species because, in these cases, AM

directly mitigated the driver of their vulnerability to climate change (McLachlan et al. 2007;

Schwartz et al. 2012). Not only was short dispersal a strong predictor of extinction (Appendix

S2), but the shortest dispersers also had the strongest proportional increase in persistence with

AM (Fig. 2). Moreover, the shortest dispersers were the only target species with increased

average persistence in every variation of AM that we modeled. We also found that species with

low initial population sizes and species with close poleward competitors were also likely to be

vulnerable to climate change and to benefit from AM (Fig. 2). Though these species also had

lower-than-average dispersal (Appendix S6), they were likely to be strong AM candidates

because of their other vulnerabilities (Thompson & Gonzalez 2017). For example, species with

low population sizes might disperse far but not produce enough offspring to realize the full

extent of their dispersal potential. Given the possibility that climate change could select for

increased dispersal, fecundity, and climate tolerance in relatively short timeframes (Nadeau &

Urban 2019), the traits associated with AM success could change over time. This rapid evolution

might act as another source of uncertainty that can affect AM decisions, such as the choice of

source locations or whether declining populations reliably indicate the persistence risk (as the

"evolutionary rescue" process of adapting to novel environments often entails a period of

population decline before eventual adaptation and growth; Carlson et al 2014). Though close

poleward competitors also increased extinction risk, our focus on lottery competition (amongst

many possible drivers of competitive coexistence; Chesson 2000) ignores the niche

differentiation for environmental characteristics beyond temperature, which might reduce the

impact of poleward competitors. While acknowledging these assumptions inherent to our

simple model, our results suggest that AM might be considered for conserving a variety of

species beyond those that are directly dispersal limited.

Even under optimal conditions, AM did not prevent the extinction of nearly 20% of

short-dispersing species (Fig. 2). For specialists, AM failed because suitable environments were

sparse and narrow, but for other species, AM failed because they had a combination of

characteristics that limited establishment success (such as a species with both short dispersal

and narrow thermal tolerance) (Fig. 5). In these cases, managers might combine alternative

management strategies, like increasing connectivity, removing barriers, or creating new

reserves (Heller & Zavaleta 2009; Lawler & Olden 2011). For example, we found that species

persisted more often after being relocated into low-density communities (Fig. 3), suggesting

that managers could prepare the recipient ecosystems by controlling the populations of

resident species (Godefroid et al. 2011). This approach might limit competitive pressure, reduce

the risk of establishment failure, and temporarily increase the realized niche of the relocated

species, but it would come with additional risks to resident species. To be able to compare AM

to alternative management strategies such as increasing connectivity, protection, and

restoration, our next step is extending our model to incorporate variable carrying capacity and

a two-dimensional landscape. Preliminary results suggest that variable carrying capacities and

two-dimensional landscapes do not affect the qualitative take-homes about AM highlighted

here.

Fractional relocation

We found that AM was most successful when we relocated an intermediate fraction of

the total population (typically around 50-60%; Fig. 2), as this was most robust to uncertainty

that could cause AM actions to fail. By leaving donor population to persist temporarily, this

approach retains a source for future conservation actions in case relocation occurs at the wrong

time or into the wrong place (Fig. 3, 4). Fractional relocation also buffers against the risk of

falsely identifying a target species for AM, in which case leaving some individuals behind could

allow the species to recover those individuals that might be lost during AM. This contrasts with

past AM models that assume the optimal strategy is to move the entire population, as the

lagging donor population would eventually go extinct without management (McDonald-

Madden et al. 2011). Though relocating more individuals should increase the chances that a

species establishes (Godefroid et al. 2011; Blackburn et al. 2015), this could have diminishing

returns with negative density dependence (Fischer & Lindenmayer 2000). Instead, our

simulations suggest that, in some cases, relocating a fraction of a species could create two

smaller populations, each with less negative density dependence than a single unmanaged

population (Fig. 3). However, creating two smaller populations could increase extinction risk in

some situations. Though our model accounted for the extinction risk through demographic and

environmental stochasticity (Lande 1998), we did not include additional extinction risks from

Allee effects or explicit genetic factors that could cause inbreeding depression (Gilpin & Soulé

1986). Note that this conclusion is robust to different values of threshold population size for

movement η and carrying capacity K that influence the likelihood of engaging in AM and

degree of density dependence, respectively (Appendix S3).

Fractional relocation could also be robust to other risks that we did not directly model,

such as the risk of invasion beyond that arising from competitive interactions. Though fractional

relocation relies largely on multiple translocations, which repeatedly expose the recipient

ecosystem to potential invasion events (Kolar & Lodge 2001; Lockwood et al. 2005),

intentionally relocating fewer individuals into a well-monitored ecosystem could also make it

easier to detect and prevent invasions before they occur. Similarly, smaller releases could be

easier to control if funding, planning, or societal opinions change, and reversal is necessary

(Haight et al. 2000).

Community ecology of AM

Our model builds on past research that suggests competition can prevent some species

from tracking climate change (Urban et al. 2012). Though species were vulnerable to extinction

if poleward species were strong competitors, AM was also less successful when we relocated

species into an area occupied by stronger competitors (Fig. 3, 5). The effect of competition was

higher in competition-driven, low-stochasticity communities where AM success depended on

characteristics of the poleward species than in dispersal-driven, high-stochasticity communities

where success depended more on the ability to accurately place species into their optimal

climates. This difference suggests that historical climate variability and community assembly

could inform management decisions about AM. For example, limiting competitive interactions

(Godefroid et al. 2011) might be more effective for species from environments with low

historical variability, whereas relocating species into climate refugia (Morelli et al. 2016) might

be more effective for species from environments with higher historical variability.

385   Though we did not find any substantial negative effects of relocated species on the

persistence of species in recipient communities (Appendix S5), we made several simplifications

to our model that could have limited the capacity for invasion impacts to occur. First, the simple

spatial structure of our model assumed a single contiguous community that assembled without

distinct barriers, making the AM in our model analogous to intra-continental relocations that

are less likely to cause invasions (Mueller & Hellmann 2008). Additionally, for the sake of

simplicity, our model considered only intra-guild lottery competition without the wider web of

species interactions that would naturally occur. Biological invasions usually involve more

complex ecological dynamics, many of which are taxon-specific and difficult to generalize (Kolar

& Lodge 2001; Lockwood et al. 2005; Simberloff et al. 2013). Enemy-release effects would occur

if relocated species escape antagonistic interactions that limits growth within their original

range (Prenter et al. 2004). Also, relocated species might carry pathogens or parasites that

spread to other species in recipient community (Simler et al. 2018). A richer set of interactions

could also complicate AM success, as relocating a species without a mutualist might limit

establishment (Plein et al. 2016). More interactions would also allow the analysis of AM on

characteristics of ecosystem structure and function beyond the extreme outcome of extinction

analyzed here. Overall, while our simple competitive framework provides a first step toward

exploring the uncertainties and community context of AM, a more complete set of interactions

will be necessary to understand the full range of outcomes that could follow a relocation event,

from establishment failure, to invasion, to the wide-scale restructuring of ecological

communities that is already taking place with climate change (Alexander et al. 2015; Thompson

& Gonzalez 2017).

Supporting information

Supplementary methods (Appendix S1-S2), supplementary tables and figures (Appendix

S3-S6), and R code (Appendix S7) are available online. The authors are solely responsible for the

content and functionality of these materials. Queries (other than absence of the material)

should be directed to the corresponding author.

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Tables

Table 1: Definitions of the symbols used in the model.

Parameter	Symbol	Values	Units
Total species	S	32	species
Dispersal distance of species i	γ_i	Lognormal; mean=2.5, st. dev.=2.5	patches
Thermal optimum of species i	z_i	Uniform; 9.78 to 30.22	°C
Thermal tolerance breadth of species i	σ_i	Lognormal; mean=5, st. dev.=5	°C
Reproductive strength of species i	r_i	Derived from σ_i	-
Skewness constant	λ	-2.7	-
Fraction of population relocated	ρ	0, 0.05, 0.1, …, 1	-
Assisted migration survival probability	μ	0.8	-
Low population threshold	η	42	individuals
Cooldown time between relocations	α	5	years
Relocation adjustment (relative to optimum)	β	10	patches
Total patches	L	512	patches
Patch carrying capacity	K	30	Individuals
Mean annual temperature change	τ	0.04	°C/year
Annual temporal autocorrelation	κ	0.767	-
Annual temporal standard deviation	ψ	low=0.1639, high=0.6556	°C
Initial total population size of species i	$N_i(0)$	-	individuals
Difference in thermal optimum with species i	$z_{\mathrm{diff},i}$	-	°C
Inverse Simpson's index of region W	D_W	-	-
Measured temperature change	c_T	-	°C
Measured SD in temperature	s_T	-	°C
Deviation in thermal optimum estimate	$z_{\mathrm{est,dev}}$	-	°C

Figures

Figure 1: During each time step of the model, all extant species cycle through (a) reproduction, (b) dispersal, and (d) competition before (e) the temperature changes and the next time step continues. The target species also experiences (c) assisted migration during certain time steps. (a.i) Per capita reproductive output $b_i(T(x,t))$ is skew-normal, dependent on temperature $T(x,t)$. This function is shaped by species' thermal optimum z_i and thermal tolerance breadth σ_i. (a.ii) Reproductive strength r_i scales the total reproductive output so that species with narrow σ_i (specialists) have higher reproduction and species with broad σ_i (generalists) have lower reproduction. (b) The dispersal kernel is a long-tailed "double geometic" distribution with a mean dispersal distance γ_i. (c.i) Relocation occurs once the total population of target species F falls below a threshold η. To avoid repetition while F recovers, no relocations occur during a cool-down period following relocation α. (c.ii) A fraction ρ of population F is removed from its original distribution and moved to a new location (only μ survive) β patches beyond the leading edge. Remaining individuals disperse naturally. (d.i) All species compete

over limited space, where each patch has a carrying capacity K. Here each line represents a different species. (d.ii) In each patch, individual survival probability $p(x, t)$ decreases as the total community size increases. (e) Temperature changes stochastically over time. (e.i) Mean temperature decreases linearly with space. Over time, between $t = 0$ (lower line) and $t = 100$ (upper line), the temperature increases by 4°C. (e.ii-iii) Temperature variation over time depends on level of environmental stochasticity. Both examples have the same autocorrelation (κ), but (ii) has a higher standard deviation (ψ). The vertical dashed line designates when the model changes from the initialization phase (average temperature change ($\tau = 0$)) to the climate change phase ($\tau = 0.04$). Climate change only occurs after a relatively stable metacommunity has been assembled, after 100 time steps have passed with no extinctions.

Figure 2: During climate change simulations, the persistence likelihood of a target species chosen for assisted migration (vertical axis) depended on the fraction of that population that was relocated (horizontal axis), and the level of environmental stochasticity (a,c: low, b,d: high). The dotted horizontal lines correspond to persistence likelihood without AM (zero moved, or no management action) and are colored to match each comparison. (a,b) The effect of assisted migration on target species' persistence with different types of target species chosen for relocation: random, narrow thermal tolerance, closest poleward neighbor, shortest dispersal, or lowest population size. The thermal optimum estimate used in each of these was the realized niche estimates (based on the species initial distribution). (c,d) The effect of assisted migration on target species' persistence with different types of thermal optimum estimates for relocation decisions: realized niche, fundamental niche, or perfect knowledge. The target species in each of these simulations was the species with the shortest dispersal. Note that the persistence likelihood for non-target species is unaffected (Appendix S5).

Figure 3: The dynamics and fate of original and relocated populations depend on what fraction of the total population is relocated. (a-b) Example simulations showing how the shortest dispersing species' range changes over time in a high stochasticity environment. The population follows its optimal climate (thin solid line) as it moves poleward (higher location number). If the total population size falls below a low threshold η, a fraction is relocated (thick arrows) based on the estimated thermal optimum. Original and relocated populations are colored separately. (c-d) After relocation, the composition of the donor and recipient communities depend on what fraction of the target species was relocated (horizontal axis). Solid lines represent the median value for the fraction of propagules in the community that are the target species, while the surrounding ribbons represent 25% and 75% quantiles. (e-f) The donor and recipient populations are more likely to persist for at least 10 time steps after relocation (vertical axis) if the target species makes up a higher fraction of the surrounding community (horizontal axis). Lines correspond to predictions from logistic regression.

Figure 4: The number of independent relocation events that occurred during assisted migration simulations for low stochasticity (a,c) and high stochasticity (b,d) environments. (a,b) Among species that were relocated at least one time, the mean number of independent relocation events (vertical axis) that occurred under a range of values for the fraction of the population that was relocated each time (horizontal axis). Simulations are separated by target species (color) and whether or not the species went extinct (thick: persisted, thin: extinct). The simulations shown here use the initial distribution (realized niche) estimate of the species' thermal optimum. (c,d) We categorized assisted migration simulations by fate of the species (persistence/extinction) and the number of independent relocation events that occurred over the course of the simulation. Here we show the number of simulations that fall into these categories (colored differently) depending on the fraction of the population moved during assisted migration (horizontal axis). The center line in each sub-figure separates simulations where the target species survives (below the line) and where it goes extinct (above the line). Simulations shown here use the shortest disperser as the target species and the initial distribution (realized niche) estimate of the species' thermal optimum.

Figure 5: Importance of ecological characteristics from random forest classifications in determining whether assisted migration was successful for the target species (relocating 50% of the shortest dispersing species population with a realized niche estimate thermal optimum). (a,b) Relative unscaled permutation importance of independent variables of whether or not assisted migration improved species' persistence under low stochasticity (a) and high stochasticity (b). The horizontal axis shows the rank of the variable importance compared to other variables (1 being the most important), arranged in the same order for both plots. Each characteristic is colored depending on whether it is a characteristic of the target species, its neighbors, the full community, the environment, or uncertainty around the thermal optimum estimate. (c-h) Partial dependence of the values of 6 independent variables (corresponding to the top 6 important variables for low stochasticity labeled in panel (a) and (b)) on whether or not assisted migration will increase the shortest disperser's persistence. The vertical axis is the log-odds of whether assisted migration increases persistence of a species (higher being more likely to persist). Solid lines represent the low stochasticity environment and dashed lines represent the high stochasticity environment. See Table 1 for definitions of symbols.