Consistent cross-modal identification of cortical neurons with coupled autoencoders

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Abstract

Consistent identification of neurons and neuronal cell types across different observation modalities is an important problem in neuroscience. Here, we present an optimization framework to learn coordinated representations of multimodal data, and apply it to a large Patch-seq dataset of mouse cortical interneurons. Our approach reveals strong alignment between transcriptomic and electrophysiological profiles of neurons, enables accurate cross-modal data prediction, and identifies cell types that are consistent across modalities.

15 Keywords

¹⁶ neuronal cell type, Patch-seq, multimodal, cross-modal, coupled autoencoder

17 Highlights

¹⁸ Coupled autoencoders for multimodal assignment, Analysis of Patch-seq data consisting of
 ¹⁹ more than 3000 cells

The characterization of cell types in the brain is an ongoing challenge in contemporary neu-20 roscience. Describing and analyzing neuronal circuits using cell types can help simplify their 21 complexity and unravel their role in healthy and pathological brain function.¹¹⁻⁶ However, 22 the effectiveness of such approaches rests on the existence of cellular identities that manifest 23 consistently across different observation modalities, and our ability to identify them. Recent 24 single cell RNA sequencing (scRNA-seq) experiments have provided a detailed window into 25 the transcriptomic organization of cortical cells in the mouse brain. 78 Technological develop-26 ments have enabled collection of large Patch-seq datasets that include electrophysiological and 27 transcriptomic properties for the same set of neurons.^{9,10} The problem of aligning multimodal 28 data for cell type research is challenging due to complexity of biological relationships between 29 modalities, difficulties in measuring signal and quantifying noise in each modality, and the high 30 dimensional nature of these datasets. Recent works to align single cell -omic measurements 31 have largely focused on removing experimental batch effects, or on estimating correspondences 32 between individual samples across unpaired modalities.^[1] For Patchseq-data, there are neither 33 overlapping features nor known associations across the modalities. However the same samples 34 are measured in each modality, and our goal is to formulate consistent cell identities. We 35 present a new deep neural network based methodology referred to as *coupled autoencoders* that 36 addresses the issue of data alignment, and demonstrate its utility for the multimodal cell type 37 identification problem using a Patch-seq dataset with transcriptomic and electrophysiological 38 profiles of 3,411 mouse cortical interneurons.⁹ 39

Coupled autoencoders consist of multiple autoencoder networks, each of which consists of 40 encoder and decoder subnetworks. These subnetworks are nonlinear transformations that 41 project input data into a low dimensional representation, and back to the input data space 42 respectively, Figure 1a. In learning these transformations, the goal is to simultaneously maximize 43 reconstruction accuracy for each data modality as well as similarity across representations for 44 the different modalities. In particular, hyper-parameter λ controls the relative importance 45 of achieving accurate reconstructions versus learning representations that are similar across 46 modalities. 47

We find that low-dimensional representations of transcriptomics and electrophysiological measurements can be aligned to a high degree, while capturing salient characteristics of neurons in the individual data modalities. This strongly supports the hypothesis that molecular and electrophysiological properties of individual neurons are closely related, reflecting attributes of a common cell type, albeit through a complicated mapping. Importantly, although linear transformations^{13,14} can align the major cell classes, a more detailed alignment of features and cell types is revealed only through non-linear transformations that avoid pathological

55 representations.

Using the aligned representations, we show that unsupervised clustering can identify ~ 33 classes 56 of GABAergic interneurons in the mouse visual cortex that are consistent across transcriptomic 57 and electrophysiological characterizations of this neuron population. Additionally, these classes 58 are in agreement with a reference transcriptomic taxonomy of cortical cell types.^{\square} Our method 59 is general and can be extended to accommodate additional modalities of interest such as 60 morphology and connectivity, as the datasets mature. We further demonstrate how coupled 61 autoencoders trained on a reference dataset such as the one in this study can serve as a 62 dictionary for smaller, single modality datasets to accurately identify cell types as well as 63 predict data for unobserved modalities. 64

⁶⁵ Aligned 3-d representations z_t and z_e for the transcriptomic and electrophysiological profiles for ⁶⁶ the high-dimensional observation vectors X_t and X_e obtained with coupled autoencoders are ⁶⁷ shown in Figure []b-c. Cells labeled according to the reference taxonomy (see Figure S1) cluster ⁶⁸ together in representations of both observation modalities. Moreover, the representations ⁶⁹ largely preserve hierarchical relationships between cell types of the reference taxonomy. For ⁷⁰ example, in Figure []b-c various cell types of the Sst class appear close together, while remaining ⁷¹ well-separated from cell types of other classes such as Pvalb, Vip, and Lamp5.

Representations obtained with coupled autoencoders may be used to perform a variety of 72 downstream analyses on complex datasets. We considered supervised classification accuracy 73 in predicting cell type labels at different resolutions (Methods) of the reference taxonomy 74 from z_t and z_e in Figures 1d-e, and data reconstruction performance in Figure 1f. First, we 75 orient the reader with results for the uncoupled setting ($\lambda_{te} = 0.0$) at each of these tasks. In 76 Figure 1d, we note that the representations based on the transcriptomic data alone are best 77 suited for supervised cell type classification using QDA, leading to >70% accuracy for leaf 78 node cell type labels. This is not surprising, since the reference taxonomy was derived from 79 analyses of gene expression alone. Electrophysiological profiles are expected to be noisy, and of 80 lower resolution compared to transcriptomic profiles.¹⁵ Nevertheless in Figure 1e, classifiers 81 based on representations of electrophysiology alone predict leaf node cell type labels with 82 $\sim 30\%$ accuracy (chance level is $\sim 3\%$). Lastly, the within-modality reconstruction accuracy 83 of uncoupled representations in Figure 1 provides an upper limit for both, within- and cross-84 modal reconstructions that may be achieved with 3-d representations obtained with coupled 85 autoencoders. 86

To evaluate whether complicated, non-linear transformations underlie the relationship between the transcriptomic and electrophysiological features of neurons, we considered the performance



Figure 1: Coordinated representations of transcriptomic and electrophysiological profiles with coupled autoencoders (a) Schematic showing the coupled autoencoder architecture for Patchseq data. Encoders (\mathcal{E}) compress input data (X) into low dimensional representations (z). Decoders (\mathcal{D}) reconstruct data (\tilde{X}) from representations. The coupling penalty in the loss function encourages representations to be similar across the transcriptomic (t) and electrophysiology (e) modalities. (b-c) 3-d coordinated representations of the transcriptomic and electrophysiological datasets. Each point represents a single cell, colored by the reference hierarchy leaf node to which the cell was mapped to. (d-e) Supervised cell type classification with QDA at different resolutions of the reference hierarchy that were based on 3-d representations obtained with coupled autoencoders and with linear methods. (f) Reconstruction performance as measured with coefficient of determination in the within-modality $(X_e \to \tilde{X}_e \text{ and } X_t \to \tilde{X}_t)$, and in the cross-modality $(X_t \to \tilde{X}_e \text{ and } X_e \to \tilde{X}_t)$ cases. Error bars show (mean \pm SD, 43-fold cross validation) for panels (d-f)

of linear methods (PC-CCA), and coupled autoencoders with $\lambda_{te} \in \{0.5, 1.0\}$ at these tasks, 89 with the representation dimensionality set to 3. We note that the Patch-seq experiment provides 90 perfect knowledge of *anchors* between the modalities by virtue of paired recordings. In this 91 setting, the popular tool Seurat¹⁶ uses a variant of linear CCA to achieve alignment, for 92 which the performance is expected to be comparable to baselines considered here. Results in 93 Figure 1d-f show that coupled autoencoders learn well-aligned representations of transcriptomic 94 and electrophysiology data, such that cell type labels can be predicted with better accuracy, and 95 the cross-modal data can be inferred more reliably compared to linear methods. Importantly, 96 the within-modality reconstruction error is comparable to that obtained in the uncoupled 97 setting, suggesting that the representations compress the individual data modalities with high 98 fidelity. 99

Cross-modal data prediction is a key computational tool for identifying corresponding properties 100 of cell types, and in the design of new experiments. Non-linear transformations to align single 101 cell modalities directly in the data domain have been explored before,¹⁷ but crucially did not 102 provide low dimensional co-ordinated representations. We considered a subset of genes that 103 underlie recently discovered cell type specific paracrine signaling pathways in the cortex.¹⁸ The 104 Patch-seq transcriptomic data shows these cell type specific gene expression patterns, Figure 2a. 105 We used only electrophysiology features to infer the expression patterns for all genes in the 106 cross-modal setting, and show results for the same subset of genes as before in Figure 2b. The 107 striking similarity of these expression patterns (Pearson's $r=0.89\pm0.10$, mean \pm SD over cell 108 types) not only demonstrates the effectiveness of coupled autoencoders at the cross-modal 109 prediction task at a granular level, but also suggests that intrinsic electrophysiology contains 110 information regarding neuropeptide communication networks. 111

We considered cross-modal prediction of electrophysiological features in an analogous manner, 112 pooling values of the features on a per cell type basis. We considered electrophysiological 113 features that are captured by the compressed representation well (within-modality reconstruction 114 $R^2 > 0.25$, Figure S6). While results of Figure 1d-e already suggest that the electrophysiology 115 features are not as specific to transcriptomic cell types, we can nevertheless identify cell type 116 specific patterns, Figure 2c. The cross-modal reconstruction of these features also matches 117 the data (Pearson's $r=0.99\pm0.01$, mean \pm SD over cell types), reinforcing the idea that gene 118 expression can explain many intrinsic electrophysiological features accurately, and that coupled 119 autoencoders are a powerful starting point to unravel such non-linear relationships. 120

¹²¹ We directly tested the idea that pre-trained coupled autoencoders can be used to predict ¹²² unobserved cross-modal features in smaller independent experiments by using the Patch-seq



Figure 2: Cross-modal reconstructions capture cell type specific gene expression patterns and electrophysiological features.(a) Gene expression levels averaged over samples of individual cell types of the reference taxonomy, normalized per gene by the maximum value of each column. (b) Cell type specificity of different genes is captured well by cross-modal prediction of gene expression profiles from electrophysiological features. (c) A subset of electrophysiological features pooled by cell types shows analogous cell type specificity. (d) Cross-modal reconstructions of the electrophysiology features from gene expression profiles match the measured electrophysiology features.



Figure 3: A proposal for consensus clusters (a) Unsupervised clustering using Gaussian Mixtures on the coordinated representation z_t and BIC based model selection suggests ~33 consensus clusters. (b) Contingency matrix for cluster assignments based on independent, unsupervised clustering of the transcriptomic and electrophysiology representations shows that the clusters are highly consistent. (c) Contingency matrix for the leaf node cell type labels of the reference hierarchy compared to unsupervised cluster assignments show that these unsupervised clusters have substantial overlap with known transcriptomic cell types. Number of test cells for each label are indicated within parentheses next to the label, and area of the dots is proportional to the number cells in panels (b) and (c).

dataset of Scala *et al.*,¹⁹ which includes 107 inhibitory neurons from mouse motor cortex. We applied a coupled autoencoder without additional training to predict the transcriptomic labels and electrophysiological properties of the 107 neurons from their transcriptomic profiles. Results in Figures S8 and S7 show that this approach yields accurate prediction of cell type labels and certain electrophysiological properties, despite $\sim 5\%$ mismatch between the gene lists and significant differences in electrophysiology protocols.

While clustering of individual modalities into cell type taxonomies shows general correspondence, a strategy for consensus clustering is less clear. The notion of a consensus set of cell types can be formalized as a statistical mixture model. Accordingly, the observation for each cell is explained by a combination of its membership to one of a discrete number of types, and continuous variability around the type representative. Encouraged by the clustering of cells belonging

to similar transcriptomic types in Figure 11b-c, we explored the extent to which such a model 134 can explain the data consistently across modalities. Specifically, we performed unsupervised 135 clustering by fitting a Gaussian mixture model on coordinated representations obtained with 136 the coupled autoencoder to explain both modalities. Figure 3a shows the distribution of optimal 137 number of mixture components over representations obtained with different coupled autoencoder 138 initializations. This plot suggests that the number of clusters that can be consistently defined 139 with coordinated representations has a tight distribution around ~ 33 . We refer to this de 140 novo clustering of the data as consensus clusters. Figure 3b demonstrates that the same 14 consensus cluster can be assigned to neurons not used during training with high frequency, 142 based on observing either the transcriptomic or electrophysiological (but not both) modality. 143 While the dominant diagonal of this contingency matrix indicates the success of this notion of 144 consistent, multimodal cortical cell types, the off-diagonal entries point to imperfections of this 145 view, either due to experimental noise and limitations of experimental characterization, or due 146 to imperfection of the model itself. 147

Lastly, the consensus clusters are also consistent with the reference transcriptomic taxonomy, Figure 3c. This might suggest over-splitting in the transcriptomic taxonomy and help identify transcriptomic "super-clusters" of GABAergic neurons, as well as point towards the limitations of the dataset, such as having too few samples for certain transcriptomic labels (see Figure S2) to support a mixture component.

In this study, we have presented a principled way to align multimodal observations of neuronal 153 data and define clusters that are consistent across data modalities. Our analysis of the 154 largest multimodal Patch-seq dataset to date with an unsupervised clustering on coordinated 155 representations reveals ~ 33 clusters that can be defined consistently with transcriptomic and 156 electrophysiological measurements of cortical GABAergic neurons. We demonstrated that 157 coupled autoencoders trained on reference datasets can serve as efficient look up tables for 158 smaller, single modality neuron characterization to not only infer cell types, but also their 159 properties in other modalities. Refining this ability will enable the design of new kinds of 160 experiments. 161

An intriguing and essential issue regarding cell types is whether they should be considered as discrete entities or as a continuum.^[20] Here, we tested a mixture model view on multimodal data, which allows for types to overlap each other in the representation space so long as the cluster centers are more dominant than the peripheries. With this model, mouse visual cortex interneuron Patch-seq data suggests the existence of \sim 33 clusters, more than the \sim 5 well-known subclasses but less than the > 50 partitions suggested by scRNA-seq data alone.

Finally, dataset size plays an important role in all our results. More samples can allow the use of larger representation space dimensionality and improve cross-modal data prediction. Similarly, clustering is ill-defined for cell types with too few samples. Therefore, the number of cortical GABAergic interneuron types is likely to grow, and the number of consensus clusters in Figure 3 more likely represents an under-count of the diversity when the notion of cell types is considered as a mixture model.

$_{174}$ Methods

175 Coupled autoencoders

Approaches to discover and extract relationships in multimodal datasets are discussed in literature as cross-modal retrieval, multimodal alignment, multi-view representation learning.^{21,23} Deep learning methods such as DeepCCA^{24,25} and correspondence autoencoders²⁶ are promising approaches to achieve multimodal data alignment, but have had limited success in associating complex neural datasets. Our coupled autoencoder networks are related architectures with key improvements to scaling of representations that are critical for the overall quality of learned representations.²⁷

We first describe the general coupled autoencoder framework. Then, we show its application to the Patch-seq dataset. For K observation modalities, we represent the coupled autoencoder by

$$\Phi = (\{(\mathcal{E}_i, \mathcal{D}_i, \alpha_i)\}_{1 \le i \le K}, \lambda), \tag{1}$$

where \mathcal{E}_i and \mathcal{D}_i denote the encoding and decoding networks for the *i*-th observation modality, a_i sets the relative importance of the different modalities, and $\lambda \geq 0$ sets the relative importance of representation fidelity within observation modalities versus the alignment of different representations.

For a set of paired observations $X = \{(x_{s1}, x_{s2}, \dots, x_{sK}), s \in S\}$, we define the loss due to Φ as

$$L(X; \Phi) = \sum_{s \in S} \left[\sum_{i=1}^{K} \alpha_i \| x_{si} - \mathcal{D}_i(\mathcal{E}_i(x_{si})) \|_2^2 + \lambda \sum_{\substack{i,j \in K, \\ i < j}} \frac{\| \mathcal{E}_i(x_{si}) - \mathcal{E}_j(x_{sj}) \|_2^2}{f_{ij}(X)} \right].$$
(2)

That is, each autoencoding agent (Figure 1a) within the coupled architecture processes a separate data modality and optimizes a loss function that consists of penalties for (1) the

discrepancies between the actual input X and reconstructed input \tilde{X} (2) mismatches between the representations learned by the different agents. (A slightly more general treatment can be found in Ref.^[27])

In Eq. 2, the functional form of the denominator f_{ij} that scales the mean squared difference between representations of the same sample based on the different data modalities, is crucial to learn good quality representations. Common choices for f_{ij} lead to pathological solutions, i.e. the latent representations collapses into a zero- or one-dimensional space (see Propositions in Supplementary Methods). To avoid such pathological solutions, we propose using:

$$f_{ij}(X) = \min(\sigma_{\min}^2(Z_i), \sigma_{\min}^2(Z_j))$$
(3)

where $\sigma_{\min}(Z_i)$ denotes the minimum singular value of the matrix Z_i , which consists of rows $Z_{i}(s,:) = z_{si}$ where $z_{si} = \mathcal{E}_i(x_{si})$. In practice, we perform stochastic gradient descent and calculate f_{ij} by its mini-batch approximation. Scaling the coupling loss term in this manner approximates whitening by the full covariance matrix well, and also is practically important when the batch size is small or representation dimensionality is large, regimes where calculating the full covariance matrix would be unreliable and computationally expensive.

²⁰⁶ Application to the Patch-seq dataset

We use the fact that the same neurons were profiled with both modalities to obtain aligned, low-dimensional representations of the gene expression profiles and electrophysiological features. In the case of just these two data modalities, transcriptomics (t) and electrophysiology (e), the loss function according to Eq. 2 consists of two reconstruction error terms, and a single coupling error term. For a single sample s,

$$L((x_{\rm st}, x_{\rm se})) = \alpha_{\rm t} \|x_{\rm st} - \mathcal{D}_{\rm t}(\mathcal{E}_{\rm t}(x_{\rm st}))\|_2^2 + \alpha_{\rm e} \|x_{\rm se} - \mathcal{D}_{\rm e}(\mathcal{E}_{\rm e}(x_{\rm se}))\|_2^2 + \lambda_{\rm te} \frac{\|z_{\rm st} - z_{\rm se}\|_2^2}{f_{\rm te}(X)}, \quad (4)$$

where $z_{st} = \mathcal{E}_t(x_{st})$ and $z_{se} = \mathcal{E}_e(x_{se})$. Here x_{st} denotes gene expression vector for sample sand x_{se} denotes the concatenated sPC and physiological feature measurement vectors for the same sample. The interplay between the accuracy with which the representations capture the individual data modality, versus how well the representations are aligned is a fundamental tradeoff that any attempt to define consistent multimodal cell types must resolve (see Supplementary Material for an equivalent formulation in the probabilistic setting). The hyper-parameters α_t , α_e and λ_{te} explicitly control this trade-off in our formulation (Figure S3).

219 Data augmentation

Data augmentation is important to regularize the networks and alleviate overfitting, particularly 220 when the dataset size is small. We mimicked the biological dropout phenomenon²⁸ and used 22 Bernoulli noise (i.e., Dropout²⁹) to augment repeated presentations of the transcriptionic 222 vectors while training. This strategy also renders the network robust to partial mismatches 223 in gene lists, and reduces dependence of the representations and reconstructions on specific 224 marker genes. The individual electrophysiological features have unequal variances, since the 225 total variance in the sPC is normalized on a per-experiment basis. We therefore used additive 226 Gaussian noise with variance proportional to that of the individual features to augment the 227 electrophysiological vectors while training the network. The reconstruction loss for the decoders 228 was calculated with both, the representation obtained by the encoder network of the same 229 modality, and that obtained by the encoder for the other modality. This was done to improve 230 performance of cross-modal prediction. We view this way of calculating the reconstruction loss 23 function as an augmentation strategy for the decoder networks. 232

233 Linear baselines

Canonical correlation analysis (CCA) is a standard linear method to align low dimensional 234 representations.¹³ To optimize the performance with linear methods, we first used principle 235 component analysis (PCA) to reduce the dimensionality of individual data modalities, followed 236 by CCA to achieve aligned representations across the modalities. The number of dimensions to 237 which the transcriptomic and electrophysiology data were reduced to with PCA is indicated as 238 a tuple in the legends of Figure 1. The dimensionality of CCA representations was chosen to 239 match the dimensionality obtained with coupled autoencoders (dim=3). The inverse CCA and 240 PCA transformations were used to reconstruct data from the representations both, for the the 24 within- and across- modality cases in Figure 1f. 242

²⁴³ Supervised cell type classification

Label sets obtained at different resolutions of the reference taxonomy were used as ground truth to evaluate representations. The different resolutions correspond to different horizontal levels of the reference taxonomy hierarchy in Figure S1. Starting from the leaf node cell type labels, each cell is assigned the parent node label based on the set of labels that remains at a given level of the hierarchy. Quadratic Discriminant Analysis (QDA)^[13] was used to train classifiers on

the representations obtained with coupled autoencoders or CCA, and used to predict the cell 249 type labels for all such label sets. Cells that were not used to train the coupled autoencoder 250 were used to obtain accuracy values shown in Figure 1 (d-e) using a k=43 fold cross validation 251 approach. Validation folds were obtained such the class distribution in each fold was similar to 252 that for the overall dataset. Classes with $n \leq 10$ samples in the dataset were discarded from 253 the analysis. Similarly, classes for which there were less than n=6 samples in the training set 254 of any fold were discarded from evaluation for only that fold, since QDA classifier parameters 255 for those poorly represented classes would be unreliable. The results were pooled across the 256 folds for the remaining number of classes (i.e. QDA components) in Figure 1(d-e). 257

²⁵⁸ Unsupervised clustering and consensus clusters

Gaussian mixture models with a different number of components (15 to 45 in steps of 1) were 259 fit on $z_{\rm t}$ obtained with coupled autoencoders ($\lambda_{\rm te} = 1.0$) for 21 different network initializations 260 trained on the same 80% of the dataset. The remaining 20% of cells serve as the test set 26 for this analysis. The training and test sets had similar distributions of the cell type labels 262 based on the reference taxonomy. Each mixture model fit was initialized 50 times and fit 263 until convergence. For the representation from each network initialization, we used Bayesian 264 Information Criterion¹³ (BIC) to perform model selection. The distribution for optimal number 265 of mixture components across the 21 different representations was binned using the Freedman-266 Diaconis rule,³⁰ Figure 3a. Based on this distribution we estimated the number of clusters that 267 can be consistently defined with coordinated representations to be 33. We picked the model 268 with the lowest reconstruction error, and refer to the mixture model with 33 components fitted 269 on $z_{\rm t}$ as consensus clusters. The fitted mixture model was then used to assign consensus cluster 270 labels to test cells based on z_t , as well as based on z_e . The consensus cluster assignments 27 obtained in this manner are compared in Figure 3. We used the Hungarian algorithm to 272 match the consensus clusters with leaf node cell types of the reference taxonomy, using the 273 negative of the contingency matrix based on training cells as the cost function. The order of 274 the consensus clusters in Figure 3b-c reflects this optimal match. 275

276 Patch-seq dataset

We used the transcriptomic and electrophysiological profiles of 3,411 GABAergic interneurons from mouse visual cortex of a recent Patch-seq dataset.⁽⁹⁾ The dataset includes cell type labels that were obtained by mapping the gene expression profiles to a reference taxonomy.^[7] The

relevant taxonomy, and abundances of cells per type are shown in Figure S1 and Figure S2. 280 There are 59 cell types at the highest resolution (i.e. leaf nodes) of this reference taxonomy. 28 A set of 1,252 genes after removing genes related to mitochondria and sex were used as 282 input for the analyses in this study. Gene expression values were CPM normalized, and then 283 $\log_{e}(\bullet + 1)$ transformed. 44 sparse principle components (sPC) were extracted to summarize 284 the time series data from different portions of the electrophysiology measurement protocol.⁹ 285 Additionally 24 measurements of intrinsic physiology features were obtained using the IPFX 286 library https://ipfx.readthedocs.io/. The sPC values were scaled to have unit variance 287 per experiment. The remaining features were individually normalized to have zero mean and 288 unit norm. Data was divided into k=43 folds for cross validation experiments. For the consensus 289 cluster experiments, 20% of the cells were set aside as the test set. Different random seeds were 290 used to train networks 21 times on the remaining 80% of the cells. 291

²⁹² Code availability

²⁹³ Code for the coupled autoencoder implementation and analysis are available at https: ²⁹⁴ //github.com/AllenInstitute/coupledAE-patchseq. The coupled autoencoder was imple-²⁹⁵ mented using Tensorflow 2.1. Scikit-learn³¹ version 0.22.2 implementations of PCA, CCA, ²⁹⁶ QDA and Gaussian Mixture Models, and Scipy version 1.4.1 implementation of the Hungarian ²⁹⁷ algorithm (linear sum assignment) were used to perform the analyses.

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