Rescue by gene swamping as a gene drive deployment strategy

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Abstract

Gene drives are genetic constructs that can spread deleterious alleles with potential application to population suppression of harmful species. Given that a gene drive can potentially spill over to other populations or even other species, control measures and fail-safes strategies must be considered. Gene drives are designed to generate a rapid demographic decline, while at the same time generating a dynamic change in the population’s genetics. Since these evolutionary and demographic processes are linked and are expected to occur at a similar time-scale during gene drive spread, feedback between these processes may significantly affect the outcome of deployment. To study this feedback and to understand how it affects gene drive spillovers, we developed a gene drive model that combines evolutionary and demographic dynamics in a two-population setting. The model demonstrates how feedback between evolutionary and demographic dynamics can generate additional outcomes to those generated by the evolutionary dynamics alone. We identify an outcome of particular interest, where the short-term suppression of the target population is followed by gene swamping and loss of the gene drive. This outcome could be useful for designing gene drive deployments that temporarily suppress the population, but ultimately do not remain in the population. Using our model, we demonstrate the robustness of this outcome to spillover and to the evolution of resistance, and suggest that it could be used as a fail-safe strategy for gene drive deployment.

1 Introduction

Gene drives are genetic constructs that allow the spread of deleterious alleles by violating Mendelian inheritance patterns [1]. With CRISPR/Cas9-based technology, gene drives can potentially be used to suppress or eliminate wild populations [2, 3], and have the potential for revolutionizing biocontrol [4]. However, there are substantial concerns that need to be addressed before deployment in the wild can be considered, including the spillover of the gene drive to other populations or species [5, 6], and the evolution of resistance to the gene drive [7]. Addressing these concerns is complicated by the potential interaction between the evolutionary dynamics of the spread of the gene drive in the population and its demographic impacts. In potential gene drive deployments, the evolutionary and demographic effects are expected to occur at similar time scales, and so feedback between these processes may substantially shape the outcome [8]. Therefore, in order to inform gene drive design and to develop novel strategies for mitigating the risks of gene drive deployments, investigating the evolutionary-demographic dynamics of gene drives is crucial.
Mathematical and computational modeling has been instrumental in guiding gene drive research, allowing the study of key aspects in the behavior of gene drives prior to their deployment [9, 10]. Population genetic models investigating the evolutionary dynamics of non-Mendelian inheritance were developed decades before the recent development of CRISPR-based drives [11, 12], and were subsequently adjusted to more specifically model CRISPR-based gene drives [13, 14]. Some models focus on whether gene drives could effectively spread in a single-population [12–14], while others focus on containment of the gene drive to a discrete target population [6] or to a region in a continuous landscape [8, 15, 16]. These models showed that, if a gene drive spreads in a population or region regardless of its initial frequency, it will spill over to all other connected populations or regions. Therefore, only with threshold-dependent gene drives (i.e., cases where the gene drive spreads only when its frequency is above a critical threshold) are spillovers potentially avoidable. Modeling efforts have also been directed to studying the evolution or resistance to the gene drive constructs [17], showing that in some cases resistance alleles are expected to spread rapidly in a population once they appear [18], leading to the loss of the gene drive allele, and increasing the chance of future deployments failing.

In terms of the underlying population structure and selection pressures, two main modeling approaches have been developed: (i) discrete populations connected by migration, in which the gene drive allele frequency is tracked disregarding demographic changes, implying soft selection [6]; (ii) continuous space, where gene drive spread is modeled through spatial-demographic effects [5, 16, 19, 20]. These two approaches emphasize different aspects of selection affecting the gene drive allele frequency: in the initial stage of deployment, spread of the gene drive will depend mainly on direct competition between the gene drive and wild type alleles (i.e., soft selection) whereas at high frequencies the reduced fitness is expected to reduce the size of the population (i.e., hard selection). Modeling the process of allele spread using either soft or hard selection also relates to the timescale of evolutionary and demographic processes [21]: soft selection assumes that demographic effects will occur subsequent to evolutionary change, i.e., that an allele will spread in a population, and that the change in population fitness will later affect growth rate. On the other hand, hard selection assumes that the change in allele frequency has immediate effects on the population growth rate that can affect the spread of the allele.

The interaction between the evolutionary dynamics of the gene drive allele and the demographic effects may have implication for the types of outcomes expected [8]. As the gene drive frequency increases in the target population, growth rates become negative and the population is expected to begin its collapse. In the presence of gene flow, these demographic changes could lead to changes in the allele frequencies. Specifically, as the target population collapses, the reduced population sizes or local densities are expected to alter gene flow patterns, increasing the genetic effect of incoming gene flow and reducing the effect of outgoing gene flow. This asymmetrical effect of gene flow is expected to reduce the chance of spillover from the target population to other populations [6], and could increase the chance of gene swamping [22] of the target population by the wild-type allele from non-target populations (here we refer to ‘gene swamping’ as the removal of the gene drive allele from the system due to gene flow from the non-target population). This effect of gene flow, whether it results in a reduction in the gene drive allele frequency or in removal of the gene drive allele, will in turn increase the growth rate of the target population. This effect of demography on the evolutionary spread of the gene drive can potentially alter the outcomes of the deployment, and may even lead to loss of the gene drive in cases where otherwise, without a demographic effect, it would have been driven to fixation.

In order to study how the interaction between the evolutionary and demographic processes involved in gene drive spread influences deployment outcomes, we developed a model that tracks interconnected
evolutionary and demographic dynamics. For tractability, the model is set in a two-population system, which allows for spillovers from the target population to the non-target population and for gene swamping of the target population by the wild-type allele. Our investigation is specifically focused on identifying emerging outcomes which could be used to develop strategies that can mitigate the risks of gene drive spillovers, and reduce the probability of resistance evolution.

2 Model

Our model consists of two dynamics that are related to the spread of gene drives: (i) an evolutionary dynamic, tracking the change in the gene drive allele frequency \( q \), and (ii) a demographic dynamic, tracking the impact of the gene drive on populations sizes \( N \). In order to understand the impact of gene flow during gene drive spread, we model two populations, identical in terms of their carrying capacity, which are connected by migration. We formulate two sets of recursive equations, one set for tracking the gene drive allele frequency in the two populations \( q_i \), and one set for tracking the two population sizes, \( N_i (i = 1, 2) \). For simplicity and coherence, we define population 1 as the ‘target population’ that we aim to suppress and where the gene drive is deployed, and population 2 as the ‘non-target population’. The model is implemented and available on the modelRxiv platform [23], where all results can be regenerated and the model can be re-parameterized (https://modelrxiv.org/model/yoKkSv).

2.1 Migration between populations

We consider the case where migration occurs prior to selection, and we model changes in population sizes in two steps: from pre-migration to post-migration, and then from post-migration to post-selection. We consider here only the migration-before-selection case because the results are typically similar in the selection-before-migration case [6]. For simplicity, we only consider the case where migration is inherently symmetric, with a proportion \( m \) of each population migrating per generation (i.e., symmetric in terms of proportion of migration, but may be asymmetric in terms of number of individuals migrating when the population sizes are unequal). We formulate the change in the population size of population \( i \) from the pre-migration sizes, denoted as \( N_i \), to the post-migration sizes, denoted as \( \tilde{N}_i \):

\[
\tilde{N}_i = (1 - m) N_i + m N_j, \quad \text{for } i, j = 1, 2; \ i \neq j
\]  

(1)

To model the impact of migration on the genetic composition of population \( i \), we formulate the change from the pre-migration gene drive allele frequency in population \( i \), denoted as \( q_i \), to the post-migration frequency, denoted as \( \tilde{q}_i \):

\[
\tilde{q}_i = [(1 - m)2N_i q_i + 2m N_j q_j] \frac{1}{2\tilde{N}_i}, \quad \text{for } i, j = 1, 2; \ i \neq j
\]  

(2)

In Eq. 2, the number of gene drive alleles in the population following migration is normalized by the population size to compute the post-migration allele frequencies.

2.2 Evolutionary dynamics

To model evolutionary dynamics, we use a previously studied model of gene drive dynamics in two populations [6], which is based on a model of gene drive spread in a single population [13, 14]. This model considers the
fitness cost of the gene drive homozygote relative to the wild type, \( s \), the dominance of the gene drive allele, \( h \), and the conversion rate of heterozygotes to gene drive homozygotes by the CRISPR copying mechanism, \( c \). The change in the gene drive allele frequency in population \( i \) from the post-migration frequencies \( \tilde{q}_i \) (Eq. 2) to the post-selection frequencies \( q'_i \) can be described by the recursion equation [6]

\[
q'_i = \frac{\tilde{q}_i^2 (1 - s) + 2\tilde{q}_i (1 - \tilde{q}_i) (s_n + s_c)}{\bar{w}_i},
\]

where the average fitness \( \bar{w}_i \) is defined as \( \bar{w}_i = \tilde{q}_i^2 (1 - s) + 2\tilde{q}_i (1 - \tilde{q}_i) (2s_n + s_c) + (1 - \tilde{q}_i)^2 \) and the fitness costs for converted \( (s_c) \) and non-converted \( (s_n) \) heterozygotes are defined as \( s_n = \frac{1}{4} (1 - c)(1 - hs) \) and \( s_c = c(1 - s) \), respectively.

### 2.3 Demographic dynamics

To model demographic dynamics, we use the classic logistic equation to describe changes in populations sizes following migration (\( \tilde{N}_i \) in Eq. 1):

\[
N'_i = \tilde{N}_i + R_i \tilde{N}_i (1 - \frac{\tilde{N}_i}{K}),
\]

where \( K \) is the carrying capacity (assumed identical for both populations) and \( R_i \) is the growth rate of population \( i \). We also consider the populations identical in terms of their intrinsic growth rates. However, as the growth rate is affected by the spread of the gene drive, we treat the actual growth rate of the populations as a dynamic parameter, \( R_i \), which depends on the gene drive allele frequency. To describe this dependency, we denote the intrinsic growth rate in the absence of the gene drive as \( r_0 \), and the growth rate of a population fixed for the gene drive allele as \( r_1 \). For heterozygotes, we assume a growth rate proportional to the dominance parameter \( h \), i.e., \( r_h = (1 - h) r_0 + h r_1 \). The population growth rate \( R_i \) at a given point in time is, therefore, computed by weighing the different growth rates with the Hardy-Weinberg genotype frequencies of the gene drive allele:

\[
R_i = (1 - q_i)^2 r_0 + 2q_i(1 - q_i) [(1 - c)(1 - h) r_0 + h r_1] + q_i^2 r_1.
\]

In this equation the contribution of the heterozygote genotype frequencies is different for converted and non-converted genotypes, as in Eq. 2. Eq. 5 links the demographic dynamics described in Eqs. 1 and 4 with the evolutionary dynamics of Eqs. 2 and 3, which together comprise the dynamical system we study.

### 2.4 Demographic effect of the gene drive

The parameter \( r_1 \) describes the demographic impact of the gene drive, and is related to the relative fitness cost \( s \) of the gene drive allele. The relationship between \( r_1 \) and \( s \) is of particular interest, because it defines the population-level impact of the gene drive allele, and therefore could vary depending on the demographic effect of the gene drive phenotype on the population. If the gene drive has no demographic effect (i.e., gene drive carriers have decreased intra-species competitive abilities, but do not suffer from absolute fitness costs), \( r_1 \) should be independent of \( s \) and equal to the intrinsic growth rate \( r_0 \). If the demographic effect is correlated to the effect of the gene drive on relative fitness, \( s \) and \( r_1 \) should be tightly linked. We introduce a parameter \( d \) that allows the manipulation of the level of the demographic effect of the gene drive; this parameter determines the degree to which growth rate \( r_1 \) is impacted in relation to the relative fitness cost \( s \):

\[d = \frac{r_1}{r_0}.\]
\[ r_1 = r_0 - (1 - e^{-ds})(s + r_0). \] (6)

Under this formulation, for \( d = 0 \), the gene drive has no effect on growth rate (i.e. soft selection; \( r_1 = r_0 \)), whereas as \( d \to \infty \), we have \( r_1 \to -s \), meaning that the (negative) growth rate is fully correlated with the relative fitness cost. Intermediate values of \( d \) represent partial correlations between within-population competition and population-level demographic effects.

3 Results

3.1 Feedback from demographic dynamics generates short- and long-term suppression outcomes

To understand how demography influences the outcome of gene drive deployment, it is insightful to compare the outcomes of our model to that of a previous model taking into account only evolutionary dynamics [6], which is equivalent to \( d = 0 \) in our model. In the purely evolutionary model, three types of qualitatively different outcomes are expected following deployment in the target population: (i) the gene drive deployment fails and the gene drive allele is lost from both populations (‘failure’); (ii) the gene drive spills over from the target population to the non-target population and is driven to fixation in both (‘spillover’); or (iii) the gene drive remains in a stable state (high frequency in the target population and low frequency in the non-target population) for low migration rates (‘differential targeting’), but spillover or failure occurs for higher migration rates. The outcome of deployment is determined by the gene drive configuration parameters (\( s \), \( c \), and \( h \)), and for gene drive designs that are threshold-dependent (in a single population model), also by the migration rate, \( m \).

Through characterization of the dynamics under different parameterization of our model, we observe that incorporating demographic effects of the gene drive generates additional types of outcomes (Fig. 1). We classified the types of outcomes according to the gene drive allele frequency and the demographic changes in the populations (Table S1).

Two of the outcomes, ‘collapse’ (Fig. 1A) and ‘failure’ (Fig. 1E), are of less interest because there is no targeted demographic effect in either, and therefore they represent undesirable scenarios in terms of gene drive deployment. However, we identified three outcomes in which differential targeting of the gene drive results in distinct demographic and long-term genetic effects. The first is long-term ‘differential targeting’ and demographic ‘suppression’ of the gene drive in the target population (Fig. 1B). Here, fluctuations of the evolutionary and demographic dynamics eventually stabilize, and the system converges to a differential targeting state, as observed in purely evolutionary models that do not incorporate demography. With the other parameters remaining fixed, increasing the relative fitness cost of the gene drive \( s \) results in a different outcome, in which the ‘oscillations’ of the evolutionary and demographic dynamics do not converge, and no steady state is reached (Fig. 1C). In each cycle, a high gene drive allele frequency in the target population leads to demographic impact and a decrease in population size, as in the suppression outcome. However, consequently, gene flow from the non-target population, which now becomes proportionately larger, has an increased impact on the target population. Because this gene flow is mainly of wild type alleles (gene drive frequencies in the non-target population are low at the differential targeting state), the gene drive allele frequency in the target population is reduced. The wild-type-abundant gene flow reduces the demographic impact of the gene drive, and the target population switches from negative to positive growth. The impact
Figure 1: Distinct outcomes of deployment in a gene drive model incorporating feedback between evolution and demography. (A–E) Outcomes classified as indicated in Table S1. The top panels in (A–E) show the evolutionary dynamics in terms of the gene drive allele frequency, while the bottom panels show demographic dynamics in terms of the population sizes. Dynamics in the target population are shown in orange, and in the non-target population in blue. (A) Gene drive spillover followed by collapse of both populations. (B) Differential targeting with stable suppression of only the target population. (C) Oscillations in the evolutionary and demographic dynamics. (D) Suppression of the target population followed by gene swamping and global removal of the gene drive. (E) Failure of the gene drive with no demographic effect. The outcomes differ only in the relative fitness cost of the gene drive, $s$, noted above each panel, and are identical in all other parameters: $c = 0.8$, $h = 0.5$, $m = 0.01$, $q_1(0) = 0.8$, and $d = 10$. (F) Schematic illustration of the dynamics in the gene swamping outcome in (D): (i) the gene drive is initially deployed to the target population and has a low frequency in the non-target population (gene drive allele frequency illustrated as the filled red portion); (ii) as the target population is suppressed, migration becomes increasingly asymmetric, with decreased gene flow out of and increased gene flow into the target population; (iii) gene swamping due to asymmetric migration leads to gene swamping and removal of the gene drive from both populations.

of gene flow from the target population is then reduced as the target population increases in size, and the gene drive again spreads to high frequencies in the target population, ending the cycle, and a new oscillation begins.

Increasing the relative fitness cost of the gene drive further can generate an additional type of outcome (Fig. 1D), in which gene flow from the non-target population, coupled with negative selection against the gene drive allele, is sufficiently strong to completely remove the gene drive allele from the target population, resulting in ‘gene swamping’ and full demographic recovery of the target population (Fig. 1F). In this outcome, unlike in any of the other outcomes, the gene drive allele is not expected to remain in any of the populations, while it still generates a significant demographic impact on the target population, and only on the target population. This demographic effect is not persistent as in the suppression outcome (Fig. 1B), but instead generates a short-term suppression phase that is expected to dissipate. Nevertheless, if other population control measures are introduced during the suppression phase, long-term suppression or elimination of the target population may be achieved. Therefore, this hypothetical strategy requires additional types of population controls to augment genetic suppression. However, the risk of permanent genetic impact on the population, and consequently of the evolution of resistance to the gene drive, is
reduced because the expected final outcome is removal of the gene drive allele from the entire system (see section 3.5 below).

The parameter $d$, which represents the correlation between the relative fitness cost of the drive ($s$) and the growth rate of a population fixed for the gene drive allele ($r_1$), controls the level of demographic feedback in the model. At low values of $d$, $r_1$ remains positive regardless of $s$ (Fig. S1A), and therefore there are no demographic changes. In this case, the model is similar to the purely evolutionary model. At higher values of $d$, $r_1$ is correlated with $s$ (Fig. S1A), and consequently the evolutionary dynamics of the gene drive can affect population sizes, as well as the migration rates. This results in a shift in the deployment outcome with increasing values of $d$ (Fig. S1B).

### 3.2 Outcomes with targeted demographic effects are achievable only at low migration rates

To understand the relation between gene drive designs, ecological constraints and the deployment outcomes we identified, we investigated model outcomes for different gene drive configurations (values of $s$, $c$, and $h$) and migration rates, $m$ (Fig. 2). For each migration rate value $m$, we also computed the proportion of the parameter space that each outcome occupies (for fixed $h$ value, for tractability), in order to understand how difficult it would be to generate gene drive designs that can ensure a desired outcome (Fig. 2B).

For low migration rates ($m = 1 \times 10^{-6}$, denoted as $m \to 0$; left panels in Fig. 2A) much of the parameter space results in failure or spillover of the gene drive, while, for some parameters, differential targeting, suppression or gene swamping outcomes can be achieved (particularly for higher $h$ values). At higher migration rates ($m = 0.01$ and $m = 0.05$), an increased range of gene drive configurations result in spillover and collapse of both populations (orange curve in Fig. 2B). Importantly, while suppression outcomes (green in Fig. 2) quickly become almost unachievable as migration rates increase (i.e., this outcome occupies only a narrow range in the parameter space), the gene swamping outcome (blue in Fig. 2) still occupies a significant portion of the parameter range. Therefore, although the possibility of achieving gene swamping is also dependent on migration, it is achievable for higher migration rates compared to the suppression outcome (Fig. 2).

In Figures 1 and 2 we assumed a relatively high initial gene drive allele frequency in the target population ($q_1(0) = 0.8$), meaning that four times the initial population in individuals homozygous for the gene drive allele are released. This would require an intensive release effort, comparable with some other applied population control strategies [24], but one that would be difficult in many organisms and scenarios. To assess the degree to which the outcomes we identified rely on this high initial frequency, we analyzed the proportion of three outcomes (collapse in orange, suppression in green, and gene swamping in blue) for different designs and migration rates, across a continuum of initial frequencies (Fig. S2). While the initial frequency affects the proportion of all outcomes, it affects mainly the proportion of gene drive designs allowing gene swamping (blue curves in Fig. S2). When considering only evolutionary dynamics, a higher initial frequency allows differential targeting with higher values of $s$ [6]; our results indicate that these gene drive designs lead to gene swamping outcomes in a combined evolutionary-demographic model. While this result demonstrates the constraints of attaining gene swamping outcomes in terms of deployment costs, it also indicates that gene swamping is perhaps achievable even at lower initial frequencies (e.g., $q_1(0) \approx 0.5$; Fig. S2).
3.3 Gene swamping is more robust to spillover than suppression

So far we have shown that migration rates influence the proportion of outcomes, and that certain suppression outcomes are achievable only at low migration rates (Fig. 2). An important aspect of gene drive design is robustness to variability that may be present in the ecosystem, such as changing migration rates or demography, or inability to accurately estimate these parameters. In order to compare the outcomes we identified in terms of their sensitivity to an increase in migration rates, we consider gene drives with a range of fitness costs $s$ with a fixed conversion rate of $c = 1$ (i.e. no heterozygotes) for different values of $m$.

When $m$ is sufficiently low, it is possible to design gene drives that achieve either suppression or gene swamping (bottom part of Fig. 3A). Increasing the migration rate reduces the proportion of suppression and gene swamping outcomes (Fig. 3A), as demonstrated in Figure 2B. These outcomes, for the same parameters other than $m$, are replaced by the collapse and failure outcomes. However, the gene drive design (in this case, the value of $s$) also influences whether an increase in migration will result in spillover or failure. To illustrate this point, we consider three different designs ($s = 0.53, 0.6, 0.7$), plotted as white dashed lines.

![Figure 2: Model outcomes in relation to gene drive design and migration rates.](image)

Figure 2: Model outcomes in relation to gene drive design and migration rates. Colors indicate the outcome as follows: ‘spillover’—spillover without collapse in pink; ‘collapse’—collapse of both populations due to spillover in orange; ‘differential targeting’—differential targeting of the gene drive without demographic effects in cyan; ‘suppression’—suppression of target population in green; ‘oscillations’—oscillations of dynamics in the target population in teal; ‘gene swamping’—gene swamping and subsequent rescue of the target population with loss of the gene drive in blue; ‘failure’—failure of the deployment (no demographic effect) and loss of the gene drive from both populations in purple. (A) Each panel shows the outcome attained in our model for a fixed $h$ value, for several $m$ values, and for all $s$ and $c$ values. (B) Relative proportions for collapse (orange), suppression (green) and gene swamping (blue) outcomes. Increasing migration rates increase the proportion of spillover outcomes, but disproportionately affect suppression outcomes. In all panels the parameters $d = 10$ and $q_1(0) = 0.8$ were used.
in Figure 3A. The first design \((s = 0.53)\) achieves suppression at low migration rates, whereas the second and third designs \((s = 0.6)\) and \((s = 0.7)\) lead to gene swamping. Increasing the migration rate shifts the first and second designs to spillover, at different thresholds of migration. However, the third design shifts to failure when increasing the migration rate. This demonstrates that some gene drive designs that lead to gene swamping will not lead to spillover if migration rates increase. This feature, if incorporated into the design of the gene drive, could serve as a fail-safe, allowing deployment to accommodate variability in migration rate or imprecision in evaluation of migration rate, without the expected risk of spillover.

An additional aspect to gene drive deployment is the effect of the gene drive on non-target populations prior to spillover \([6]\); in our model, this can be measured as the gene drive frequency in the non-target population in outcomes where it is present there (suppression, oscillations, and gene swamping). This reflects not only the increased risk of spread of the gene drive in the non-target population, but also the risk of demographic effects on this population and further spread of the gene drive to other non-target populations through gene flow. For the three designs used above \((s = 0.53, 0.6, 0.7)\), we also analyze the effect of deployment on the non-target population, defined as the maximal gene drive allele frequency in the non-target population during deployment, which we term the ‘maximal spillover frequency’. We plotted the maximal spillover gene drive allele frequency for these designs for increasing migration rates, with the line color indicating the deployment outcome for this migration rate (i.e., change in line color indicates a shift in outcome at a threshold level of \(m\) in Fig. 3B). For the first two designs that result in spillover in Figure 3A \((s = 0.53\) and \(s = 0.6)\), the maximal spillover frequency increases with \(m\) below the spillover threshold (Fig. 3B). For the third design, which does not result in spillover at higher migration rates in Figure 3A \((s = 0.7)\), the maximal spillover frequency also increases with \(m\) but is lower than that of the other two designs.

### 3.4 Suppression characteristics in gene swamping outcomes

As opposed to long-term suppression, in the gene swamping outcome the gene drive is removed from both populations following a short-term targeted suppression phase (Fig. 1D). The feasibility of gene drives allowing short-term suppression would depend on the effectiveness of the suppression phase. In order to
characterize how gene drive design and migration affect the degree of suppression in this outcome, we studied three characteristics of the suppression phase (Fig. 4A): (i) the duration (in generations) for which the target population is suppressed, (ii) the maximal level, in terms of population size or density, to which the population is suppressed, and (iii) the accumulative suppression of the target population during deployment.

For gene drive designs achieving gene swamping, a higher relative fitness cost \( s \) results in less effective suppression, both in terms of duration and level of suppression (Fig. 4B–D). In other words, with higher values of \( s \) the targeted population collapses faster, shortening the suppression phase (Fig. 4B). This relationship is consistent for different migration rates, with higher migration rates reducing both the duration and level of suppression (Fig. S3).

### 3.5 Gene swamping is robust to the evolution of resistance

One of the main challenges in gene drive deployment is to reduce the possibility of evolution of resistance to the gene drive [17, 18, 25, 26]. Resistance alleles can prevent fixation of the gene drive and even lead to its loss by competition with the gene drive allele. Resistance can arise through mutation of the wild type allele targeted by the gene drive, in the same locus, interfering with the CRISPR targeting mechanism [12, 27], or through mutation of other loci that reduce conversion efficacy [17]. The emergence and spread of resistance alleles has long-term implications, because the persistence of a resistance allele after deployment increases the chance that future deployments of the same gene drive will fail.

To evaluate the probability of resistance evolving in our model, we integrated an evolutionary model of gene drive resistance [18] into the genetic element of our model (see Methods section). We modeled two mechanisms through which resistance alleles are generated, \( de \ novo \) mutations of wild type alleles, and non-homologous end joining (NHEJ) events during gene drive conversion. In the \( de \ novo \) mutation case, the probability that a resistance allele will appear is correlated with the number of wild type alleles in both populations, because only wild type alleles can be converted to resistance alleles. In NHEJ-generated resistance alleles, this probability is correlated with the number of heterozygotes, because NHEJ events occur during conversion, which occurs only in heterozygotes. The spread of the resistance allele, once it has appeared, depends on the presence of the gene drive allele, because otherwise the resistance allele has no
fitness advantage over the wild type allele. Therefore, when considering the dynamics in the gene swamping outcome (Fig. 1D), we expect that the duration of the suppression phase with different parameters (Fig. 4B) will affect the probability of resistance evolving.

In Figure 5 we compare the probabilities that resistance does not evolve in the gene swamping and suppression outcomes. These probabilities were computed using stochastic simulations, where we simulated resistance alleles generated by two different mechanisms, following the equations described in [18] (see Methods). We considered the robustness of an outcome to the evolution of resistance as the proportion of stochastic simulations leading to the specified outcome in which resistance did not evolve. Since we were interested in the long-term effects of resistance evolution, we considered resistance to have evolved in simulations in which the resistance allele frequency was \( \geq 0.1 \) at the end of the simulation.

For resistance alleles generated through de novo mutations, we observe that gene swamping is more robust than suppression (i.e., fewer simulations resulted in significant spread of a resistance allele), and in both outcomes the probability for resistance evolution does not depend on the migration rate (Fig. 5A). With \( h = 0.5 \), the evolution of resistance from gene swamping outcomes is more unlikely than with \( h = 0 \), and did not occur in almost all of our simulations (Fig. 5A). In contrast, for resistance alleles generated through NHEJ events, the difference between the two outcomes is migration-dependent: at low levels of migration, both outcomes have a similar low likelihood of the evolution of resistance, while at higher levels of migration gene swamping is more robust to the evolution of resistance than suppression (Fig. 5B).

The difference between the resistance-allele generating mechanisms, in terms of the effect of migration, relates to the conditions which increase the likelihood of resistance alleles appearing. For de novo mutations, the rate of emergence of resistance alleles is a function of the number of wild-type alleles in the system (Eq. 10). Therefore, the suppression of the target population is not sufficient to prevent the evolution of resistance, because de novo mutations can appear in the non-target population and spread to the target population through gene flow. For NHEJ events, emergence of resistance is a function of the number of heterozygotes in the system (Eq. 11). For suppression outcomes, higher gene flow results in more intermediate levels of \( q \) in both populations (i.e. with higher \( m \), \( q_1 \) is decreased and \( q_2 \) is increased), and therefore a higher proportion of heterozygotes in the system. In gene swamping outcomes, higher gene flow likewise increases the maximal spillover frequency, increasing the frequency of heterozygotes during the suppression phase. This increases the likelihood of resistance evolving in both suppression and gene swamping outcomes, but...
particularly for suppression due to the persistence of the gene drive allele in the system.

4 Discussion

Gene drives have the potential to revolutionize biocontrol, but developing safe deployment approaches is crucial to avoiding unintentional spillover of the gene drive to non-target populations. Feedback between the evolutionary spread of the gene drive and its demographic effects may lead to non-optimal deployment outcomes, such as persistence of the gene drive, while preventing elimination of the target population [8, 19]. Here, we show that this feedback can potentially result in gene drives that avoid spillover and persistence of the drive allele, while still generating strong short-term suppression of the target population without suppression of the non-target population (the ‘gene swamping’ outcome).

Previous models of gene drive spread have taken either a purely soft selection approach [6, 14], in which the gene drive and wild type alleles compete directly, or a hard selection approach, in which the demographic effect of the gene drive determines selection of the gene drive allele [8, 16, 19]. Our model combines these approaches, allowing us to analyze the effect of demographic feedback on deployment outcomes. This feedback, under some conditions, can generate outcomes of gene drive deployment that are absent when considering only evolutionary dynamics (Fig. 1). Notably, the outcomes ‘oscillations’ and ‘gene swamping’ are present only when evolutionary and demographic changes occur in the same timescale (see Supporting Information for a two-timescale model in which these outcomes do not emerge).

One of the main challenges in gene drive deployment is the containment of the released drive to a specific population. Certain gene drive designs are expected to result in uncontrolled spread of the gene drive even at low migration rates [5] (e.g., Fig. 1A), whereas only a limited set of gene drive designs allow differential targeting of the gene drive, at least for low migration rates [6] (Fig. 1B–C). Our results, as well as results from continuous-space and reaction-diffusion models [8, 16], indicate that, when targeted suppression is attempted in the presence of migration, local collapse of a target population or region results in either temporary or persistent suppression, and not in elimination of the populations. In such cases, demographic (Fig. 1C) or spatial [19] oscillations resulting from demographic rescue or gene swamping are a possibility.

We focused our detailed analysis on the ‘gene swamping’ outcome because its characteristics suggest that it could be used as a fail-safe for gene drive deployment. In this scenario, a temporary phase of suppression of the target population is followed by removal of the gene drive from both populations due to wild-type-abundant gene flow from the non-target population (Fig. 1F). This outcome has several interesting features. (i) In terms of the range of gene drive designs and migration rates leading to this outcome, in comparison to long-term suppression of the target population, the gene swamping outcome is more robust to spillover (Fig. 3A). (ii) The gene swamping outcome is also more robust to the evolution of resistance (Fig. 5). Short-term suppression decreases the chance of resistance evolving during deployment, whereas long-term persistence of the gene drive in the wild increases the probability that resistance to the gene drive will evolve. This may affect the potential for future deployment programs in the same population. (iii) In the gene swamping outcome, at the end of the process the gene drive allele is absent from both populations, but unlike in the ‘failure’ outcome, a targeted suppression phase does occur. While this outcome offers only a confined window of suppression (Fig. 4), non-genetic means of population suppression could be used during this window to achieve eradication of the target population. However, as opposed to long-term suppression, in the case that eradication is not achieved, the deployment will not result in spillover nor in the gene drive allele remaining in the system. Since these non-genetic control measures should be timed to coincide with the
decrease in the population size of the target population, control measures that are efficient at low population densities, such as mating disruption strategies (e.g., false pheromones), should be preferred over measures such as pesticides or sterile males [28].

The investigation of gene drive deployment strategies has progressed mainly using mathematical and computational modeling. However, for the conclusions from these modeling efforts to be incorporated into upcoming gene drive projects, it is likely that experimental validation in a lab setting would be required. So far, experimental setups for population suppression using gene drives have been conducted using single caged populations [29] (usually with several replicates). In order to demonstrate the potential for spillover mitigation with different gene drive configurations, it would be important to design an experimental setup that includes population structure, and that strongly relates to the setup of theoretical models. In this aspect, the modeling approach of two interconnected populations, as we have used here, is perhaps more readily translatable to an experimental setup, for example using two interconnected cages, compared to continuous-space models.

Our model demonstrates the importance of considering the interaction between the evolutionary and demographic effects of gene drives. With such feedback, qualitatively different outcomes may emerge, which may have implications for designing gene drive configurations and deployment strategies. In our model, asymmetrical gene flow between target and non-target populations was shown to generate an outcome of interest which we termed ‘gene swamping’. This fail-safe strategy does not rely on the complexity of the gene drive construct [30–32], but rather on gene flow and population dynamics. Since these aspects are general features of wild populations, this approach could be readily combined with other types of fail-safe mechanisms to prevent the unintended spread of gene drive constructs.

5 Data Accessibility

To facilitate further exploration of our results, we uploaded the model to the platform modelRxiv, which allows visualization and analysis of models through a simple user interface ([23]; https://modelrxiv.org/model/yoKkSw). In this platform, all plots can be regenerated and re-paramaterized. The model code is available on modelRxiv and GitHub (https://github.com/carrowkeel/genedrive\_demographic).

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7 Methods

7.1 Population dynamics

The population dynamics are governed by Eqs. 1 and 4. In Eq. 4, when \( \tilde{N}_i = K \) the population size would remain fixed from that point onward. To avoid the population size remaining fixed at \( K \) when we initialize the dynamics, we defined the initial population size of both populations as \( N_i(0) = K - \epsilon K \). We used \( \epsilon = 0.01 \) through all analyses. Changing the value of \( \epsilon \) changes the delay of the demographic effect of the gene drive: lower values delay the demographic effect, while higher values increase the rate of the demographic effect.
7.2 Classification of outcomes

We classified the outcomes based on the evolutionary (Eq. 3) and the demographic (Eq. 4) dynamics. To differentiate between outcomes, we consider (i) the gene drive allele frequency and population size at \( t = 100 \), and (ii) the minimum population size. For each outcome, we define thresholds of these two parameters. For example, we classify the outcome as ‘suppression’ when the target population has a high frequency (\( \geq 0.5 \)) of the gene drive allele, the non-target population has a low frequency (\( < 0.5 \)) of the gene drive allele, and the non-target population was not suppressed (\( \min(N_1) < 0.9K \), i.e., less than 90% of its initial size), and the non-target population was not suppressed (\( \min(N_2) \geq 0.9K \)). The full classification of outcomes is detailed in Table S1.

We defined three characteristics of the suppression phase in the target population (Fig. 4A): (i) the duration of suppression, (ii) the maximal suppression level, and (iii) the total suppression. The duration of suppression was defined as the number of generations in which the target population size is suppressed (\( N_1 < 0.9K \), i.e., less than 90% of its initial size), and the non-target population was not suppressed (\( \min(N_2) \geq 0.9K \)). The maximal suppression level is defined as \( \frac{\text{min}(N_1)}{K} \). The total suppression is defined as \( \sum_{i=1}^{n} 1 - \frac{N_i(t)}{K} \), where \( n \) is the total number of generations.

7.3 Evolution of resistance

In order to measure the effect of the evolution of resistance on the outcomes of our model, we modified the genetic element of the model, using a previous model [18] which considers three possible alleles at the gene drive locus: \( a \) (wild type allele), \( A \) (gene drive allele) and \( r \) (resistance allele). Here, in addition to the gene drive allele, we track the frequency of the resistance allele in the two populations, \( p_i \). To account for gene flow of the resistance allele, we add an equation analogous to Eq. 2 to compute the post-migration resistance allele frequency \( \hat{p} \):

\[
\hat{p}_i = \frac{(1 - m)2p_i + 2mN_jp_j}{2N_i} \quad \text{for } i \neq j
\]

Because the resistance allele prevents conversion, we only need to account for conversion for \( A/a \) heterozygotes. We define \( s_r \) as the fitness cost of the resistance allele, and \( h_r \) as the degree of dominance of the resistance allele. Using these parameters, we define the evolutionary dynamics in a similar manner as in Eq. 3 for each population following [18]:

\[
q_i' = \frac{\hat{q}_i^2(1 - s) + 2\hat{q}_i(1 - \hat{q}_i - \hat{p}_i)(s_n + s_c) + \hat{q}_i\hat{p}_i(1 - hs - h_rs_r)}{\bar{w}_i}
\]

\[
p_i' = \frac{\hat{p}_i^2(1 - s_r) + \hat{p}_i(1 - \hat{q}_i - \hat{p}_i)(1 - h_rs_r) + \hat{p}_i\hat{q}_i(1 - hs - h_rs_r)}{\bar{w}_i}
\]

These recurrence equations incorporate the gene drive design parameters (\( s, c \) and \( h \)) and the fitness cost and dominance of the resistance allele (\( s_r \) and \( h_r \), respectively). The fitness costs for converted and non-converted \( A/a \) heterozygotes \( s_c \) and \( s_n \) are defined as in Eq. 3 (i.e., \( s_n = \frac{1}{2}(1 - c)(1 - hs) \) and \( s_c = c(1 - s) \)). Accounting for the resistance allele \( p_i \), the mean fitness in the two populations is now \( \bar{w}_i = \hat{q}_i^2(1 - s) + 2\hat{q}_i\hat{p}_i(1 - hs - h_rs_r) + 2\hat{q}_i(1 - \hat{q}_i - \hat{p}_i)(2s_n + s_c) + 2\hat{p}_i(1 - \hat{q}_i - \hat{p}_i)(1 - h_rs_r) + \hat{p}_i^2(1 - s_r) + (1 - \hat{q}_i - \hat{p}_i)^2 \).

For the purpose of investigating the likelihood of resistance establishing in the population we are mainly interested in the emergence of a significant level of resistance alleles in either population, and not in the loss of resistance alleles following the loss of the gene drive allele (through competition with the wild type allele). Therefore, we set the relative fitness cost of the resistance allele to \( s_r = 0 \). This implies that, in our analysis, the frequency of resistance alleles will remain at a fixed level once the gene drive allele is lost because it has
no disadvantage relative to the wild type allele. This assumption is useful for the evaluation of the maximal spread of the resistance allele under different conditions.

We considered two mechanisms through which resistance alleles are generated [18]: de novo mutations of the wild type allele to a resistance allele that cannot be converted, and non-homologous end joining during conversion resulting in a resistance allele (as opposed to a converted gene drive allele). De novo mutations appear as a function of population size and wild type alleles [18]:

\[ u_\mu = 2NI_\mu[(1-q)^2 + q(1-q)(1-c)], \]  

where \( u_\mu \) is the probability of a de novo mutation appearing in the current generation, \( N \) is the relative population size (in relation to the carrying capacity \( K \)), and \( I_\mu = \frac{\theta}{2} \) is the scaled de novo mutation rate in a population of size \( K \) (\( I_\mu = 2\bar{N}\mu \), where \( \mu \) is the mutation rate and \( \bar{N} \) is the effective population size at carrying capacity). For our simulations, we define \( I_\mu = 0 \).

In the case of NHEJ, events occur as a function of population size and gene drive/wild type heterozygotes [18]:

\[ u_\delta = 2NI_\delta cq(1-q) \]  

where \( u_\delta \) is the probability of an NHEJ event occurring in the current generation, \( N \) is the relative population size, and \( I_\delta = 2\bar{N}\delta \) is the rate of NHEJ events per generation in a population of size \( K \). For our simulations, we define \( I_\delta = 0.1 \). \( cq(1-q) \) is the proportion of converted heterozygotes.

### 7.4 Gametic conversion

While conversion of the wild type allele can be designed to occur either in the zygote or the germline [33], we considered only zygotic conversion in our main analyses. The formulations for gametic conversion are presented in the Gametic conversion section of the Supporting Information. For gametic conversion, the range of designs that allow differential targeting is more limited than for zygotic conversion[6], which is reflected in the comparison between Figure 2 and Figure S6.

### References


